Research Report
RR-22

GENERAL COMPUTER PROGRAMMING INSTRUCTIONS

FOR THE

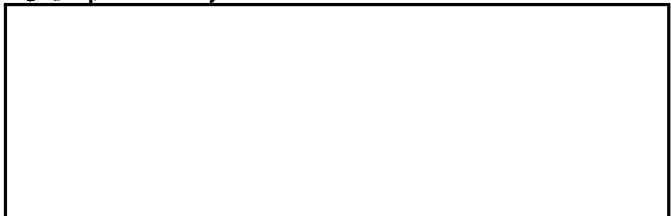STATINTL

H-229 PHOTO RECTIFIER

Revised: 23 July 1962

Declass Review by NIMA/DOD

STATINTL

Prepared by:

H229 PROGRAM PREPARATION

CONTENTS

LIST OF ILLUSTRATIONS

TECHNICAL MANUAL - H229 PROGRAM PREPARATION

1.0   Introduction

    1.1   General

STATINTL

      This document contains programming instructions for the

☐ H229 Photo Rectifier. Programming a rectification includes

computation of set-up data and punching the program tape. This

discussion is intended for the H229 equipment operator as well as

computing personnel.

STATINTL

      The ☐ H229 Photo Rectifier (frontispiece) is a photo-

graphic printer that exposes the print in a sequence of line and strip

scans. Variation of the image reading pattern with respect to the

printing pattern permits geometrical changes in the image. The control

and electro-optical systems are the basic and unique function in this

photographic printer. Figure 1.1 is a block diagram illustrating equip-

ment functions in the rectification of a panoramic photograph.

UNIVERSAL PHOTO RECTIFIER AND PRINTER
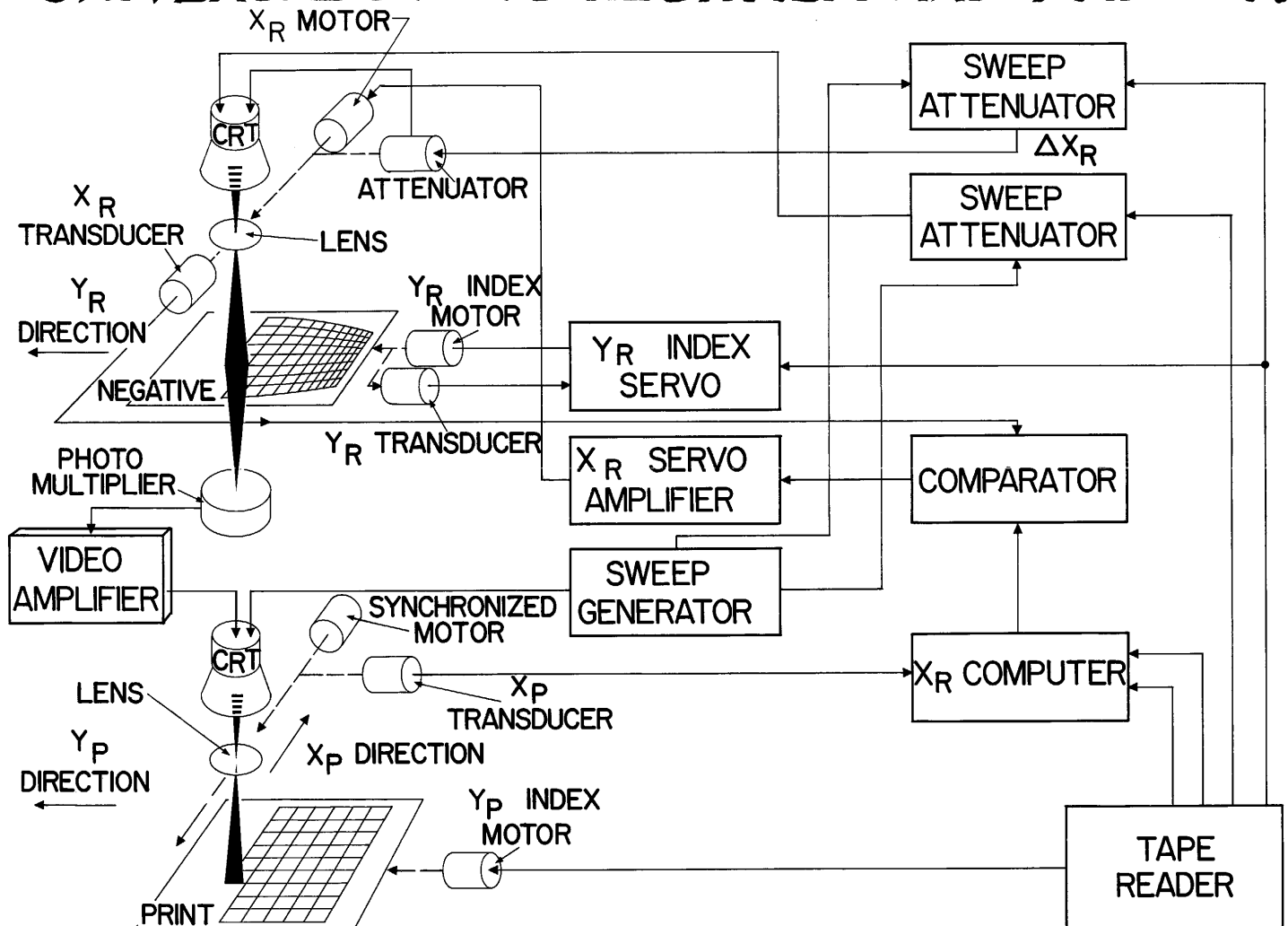
Figure 1-1.

1.2   Scanning Method

The H229 method of oblique rectification by scanning is illustrated in Figure 1.2. The print is exposed in a pattern of contiguous line and strip scans. The rates and amplitudes of all printing scans are constant to insure uniform print exposure. Reading scan rates, amplitudes, and orientations are programmed in a pattern to produce the desired geometry in the uniformly printed image.

Two coordinate systems are shown in Figure 1.2. The natural coordinates (x_r, y_r, x_p, y_p) are formed by the principal point of each image (as the origins) and the principal lines (as the y axes). The machine coordinates (X_r, Y_r, X_p, Y_p) are displaced from the natural coordinates and are related to them by a scale factor.

The printing scan constants can be summarized as follows:

X_{p_o} - Scan starting position

ΔY_p = δY_p - line scan length or strip centerline separation

f_{sw} - line scan frequency (same for reading and printing)

$\overset{o}{X}_p$ - Strip scan velocity

δX_p - Check interval

The last constant δX_p is the spacing between raster scan check positions (X_{p1}, X_{p2}, X_{p3}, etc.). These check positions are employed by the H229 Photo Rectifier control system to improve image placement accuracy.

OBLIQUE NEGATIVE

PRINT

n-check point number

m scan number
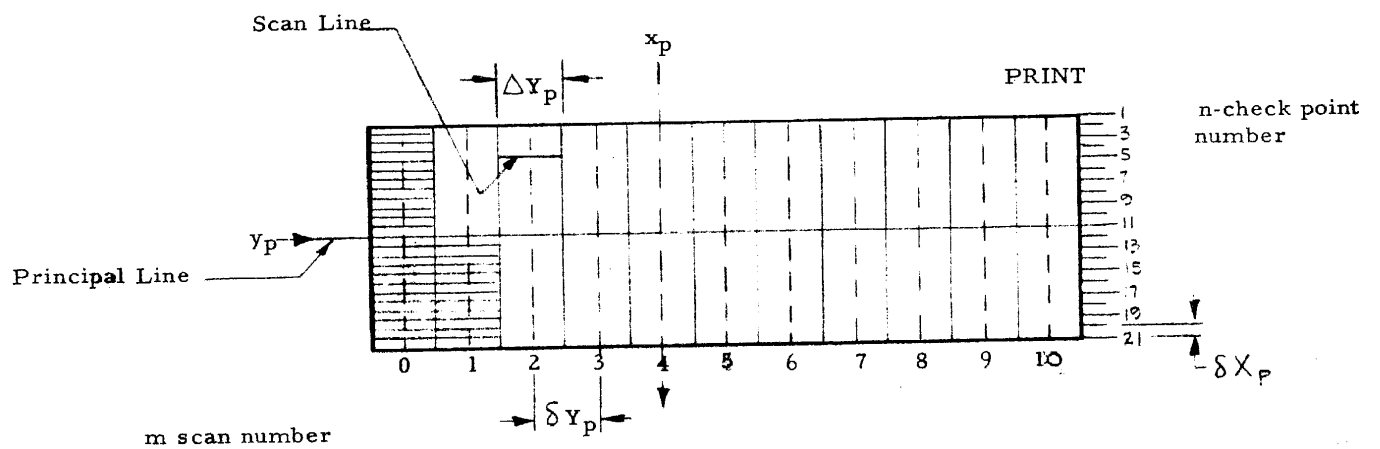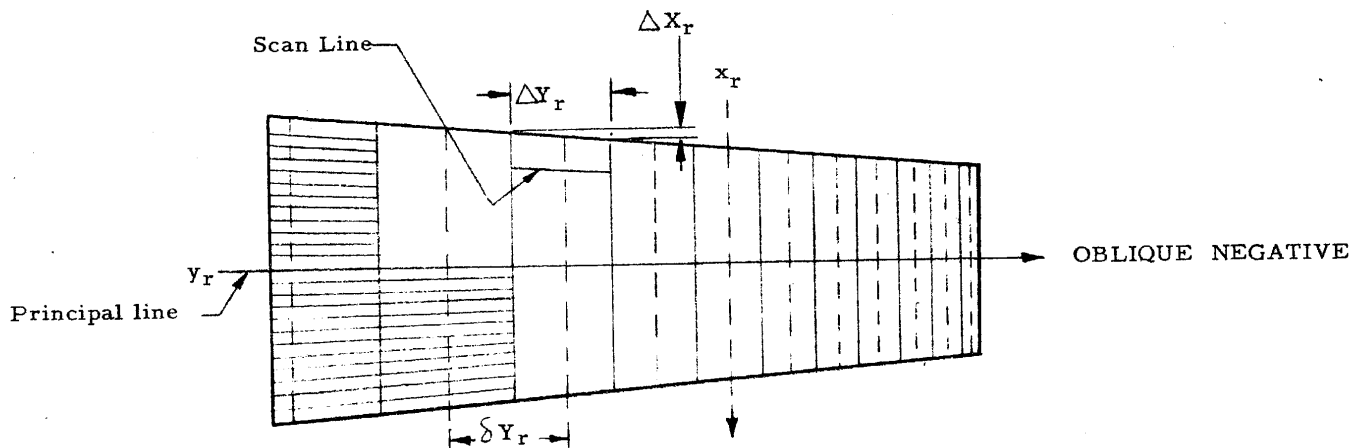
1.2   Scanning Method (continued)

The reading scan variables to be programmed for a desired image transformation are:

X_r -   starting and check positions

ΔY_r -   Y component of line scan (also strip width)

ΔX_r -   X component of line scan

δY_r -   interval between successive strip centerlines

$\overset{o}{X}_r$ -   strip scan velocity

Reading scan parameters must be precomputed and punched in a proper sequence on the operating tape.   Synchronization with printing scans and some computation are done in the H229 Photo Rectifier.

1.3   Image Transformations

Tape computation requires preliminary knowledge of the analytical transformation between coordinates of the original negative and the desired print.   Using the natural image coordinates (x_r, y_r, x_p, y_p - see Figure 1.2) the relation between original and rectified images are expressed in equations 1.1 through 1.4.

Oblique Rectification

$$x_r = x_p \cdot \frac{\frac{1}{m}}{\sec t + \dfrac{y_p \sin t}{mf}} \qquad\qquad 1.1$$

$$y_r = \frac{y_p/m}{\sec t + \dfrac{y_p \sin t}{mf}} \qquad\qquad 1.2$$

1.3   Image Transformations (continued)

Panoramic Rectification

$$x_r = x_p \cdot \frac{\frac{1}{m}}{\sqrt{1 + \left(\frac{y_p}{mf}\right)^2}} \qquad 1.3$$

$$y_r = f \tan^{-1}\left[\frac{y_p}{mf}\right] \qquad 1.4$$

Parameters in the above equations that must be known or determined are:

    f - camera focal length

    m - isopoint enlargement ratio required

    t - tilt angle

The above equations will describe most photographic rectifications likely to be made with this equipment. In general, the equipment will perform any image transformation that can be expressed by equations 1.5 and 1.6.

$$x_r = x_p \cdot F_1 (yp) \qquad 1.5$$

$$y_r = F_2 (yp) \qquad 1.6$$

2.0   Rectifier Set-Up and Program Information

2.1   Film Annotation and Alignment

Rectification accuracy depends upon correct alignment of a properly annotated negative in the H229 reading platen and precise knowledge of the analytical image transformation. Fiducial marks on the reading platen must be aligned with the principal line of the photograph and its perpendicular at the edge. Figure 2.1 shows four markings required on the original negative to properly align the Y_r axis and the starting position $Y_r = -b + 5''$ on the platen. Two measurements are required (distance b and k).

Dimension b in Figure 2.1 is the distance from the center of the first strip scan ($y_r = -b$) to the principal point $y_r = 0$. The starting position is the low oblique edge of an oblique photograph or as high as 65° from vertical on a panoramic photograph. Dimension k is the approximate distance of principal point to the last strip scan center-line.

Information required to generate the proper rectifying program tape is

1.   Type of photography (panoramic, oblique, other)

2.   f - Camera Focal Length ($\pm$ 0.001 inch)

3.   m - Isopoint Enlargement Ratio ($\pm$ 0.001)

4.   t - Tilt angle ($\pm$ 0.01°)

5.   b - (see figure 2.1) ($\pm$ 0.001 inch)

6.   k - (see figure 2.1)
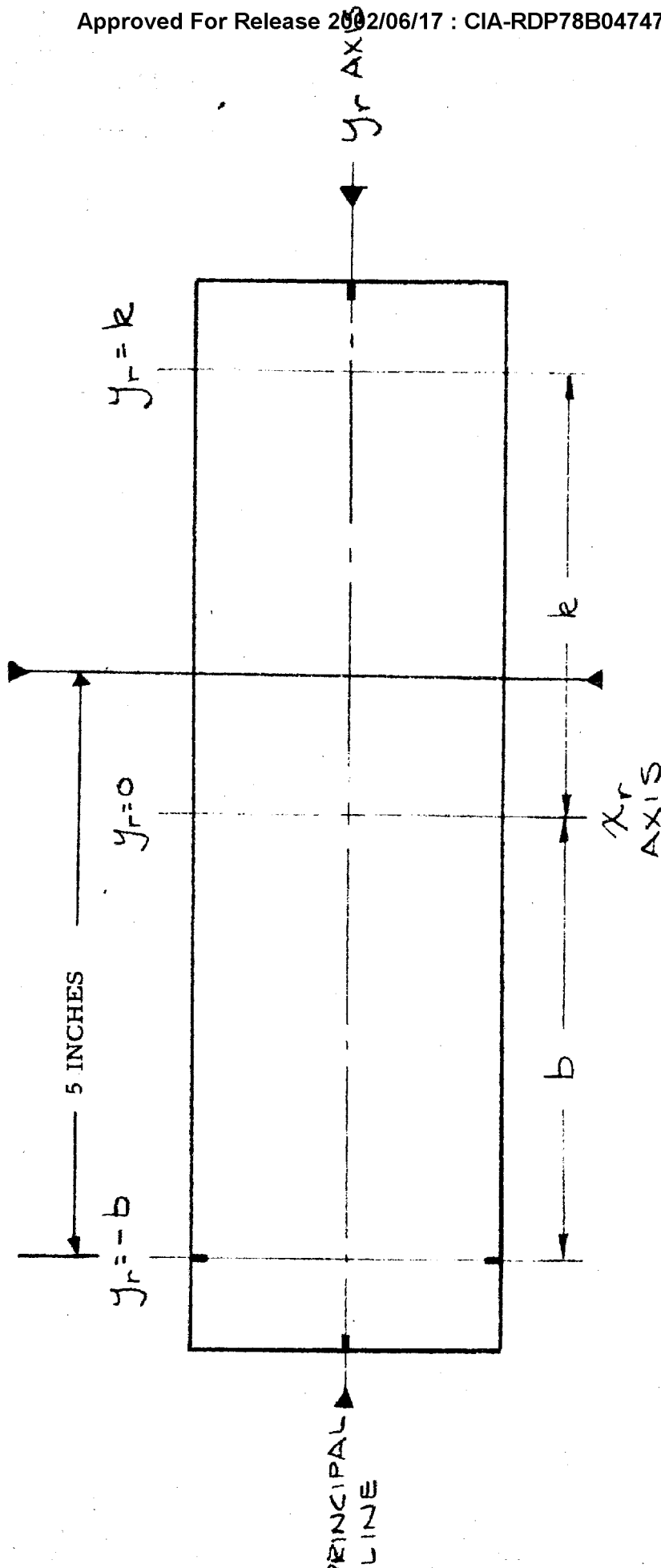
ORIGINAL NEGATIVE ANNOTATION

Figure 2.1

2.1   Film Annotation and Alignment (continued)

The tolerances indicated are those which will be practical within the theoretical limitations of the photo rectifier if the accuracy of measurement is achievable.

2.2   Photo Rectifier Machine Coordinate System

The numerical control system used in the H229 equipment requires that all the X and Y positions on the original negative (or print) are represented by positive numbers. This requires that the origin of machine coordinates be displaced from the principal point (used as the origin for expressing the image transformation - see equations 1.1 to 1.6). Furthermore, X displacements of the image are made by lens rather than film motion. This introduces a scale factor between coordinates. The relation between film and machine coordinates is expressed by equations 2.1 and 2.4.

$$X_r = \mu x_r + a \qquad\qquad 2.1$$

$$Y_r = y_r + b \qquad\qquad 2.2$$

$$x_p = \frac{1}{\mu} (X_p - c) \qquad\qquad 2.3$$

$$y_p = Y_p - d \qquad\qquad 2.4$$

where $\mu = \dfrac{25}{28}$ (exact ratio)

a = 5.5

c = 5.5

b - from annotation (see paragraph 2.1)

d - calculation from b

2. 2   Photo Rectifier Machine Coordinate System (continued)

The X and Y positions in the rectifier are numerically encoded for negative and print. The negative film scan motion is sychronized with the uniform printing scans by continuous computation (in the H229) of relative scan positions and by slaving reading scans to computed positions and rates.

Figure 2.2 shows reading and printing platens with dots representing center points of selected line scans performing a specific image transformation. Starting at scan position $Y_p = 0$ ($s = 0$), a strip is scanned in the $+ X_p$ direction. The first line scan, made at $X_p = 0$ ($n = 1$) is followed by a set of line scans sweeping a strip. The starting reading scan ($X_r = 0$, Y_{rs}) is read from the punched tape at printer position ($X_p = 0$, Y_{ps}). Subsequent reading scan positions are continuously computed in the Photo Rectifier. For increased accuracy, the reading scan position is checked by the machine using precomputed tape data at intervals $\delta X_p = 1/2$ inch.

Using scan and check point numbers, the values of X_p and Y_p expressed in inches, are given by equations 2.5 and 2.6.

$$X_{pn} = (n - 1) \delta X_p \qquad\qquad 2.5$$

$$Y_{pn} = s \, \delta Y_p \qquad\qquad 2.6$$

From equations 2.3 and 2.4 printed image positions referred to the principal point are

$$x_{pn} = \frac{1}{\mu} \left[(n - 1)(\delta X_p - c) \right] \qquad\qquad 2.7$$

$$y_{pn} = s \, \delta Y_p - d \qquad\qquad 2.8$$

$s = 0$ $s = 1$ $s = 2$ $s = 3$ $s = 4$ $s = 5$ $s = 6$ $s = 7$ $s = 8$ $n = 0$ 10

sample line scans

$n = 1$
$n = 2$
$n = 3$
$n = 4$
$n = 5$
$n = 6$
$n = 7$
$n = 8$
$n = 9$

READING
PLATEN

Y_R

X_R

$\delta X_R \, (s = 3)$

$\leftarrow \delta Y_R \rightarrow \, s = 3$

sample line scans

$n = 1$
$n = 2$
$n = 3$
$n = 4$
$n = 5$
$n = 6$
$n = 7$
$n = 8$
$n = 9$

Y_P

Y_P

δX_P

PRINTING
PLATEN

$s = 0$ $s = 1$ $s = 2$ $s = 3$ $s = 4$ $s = 5$ $s = 6$ $s = 7$ $s = 7$

X_P

Figure 2.2
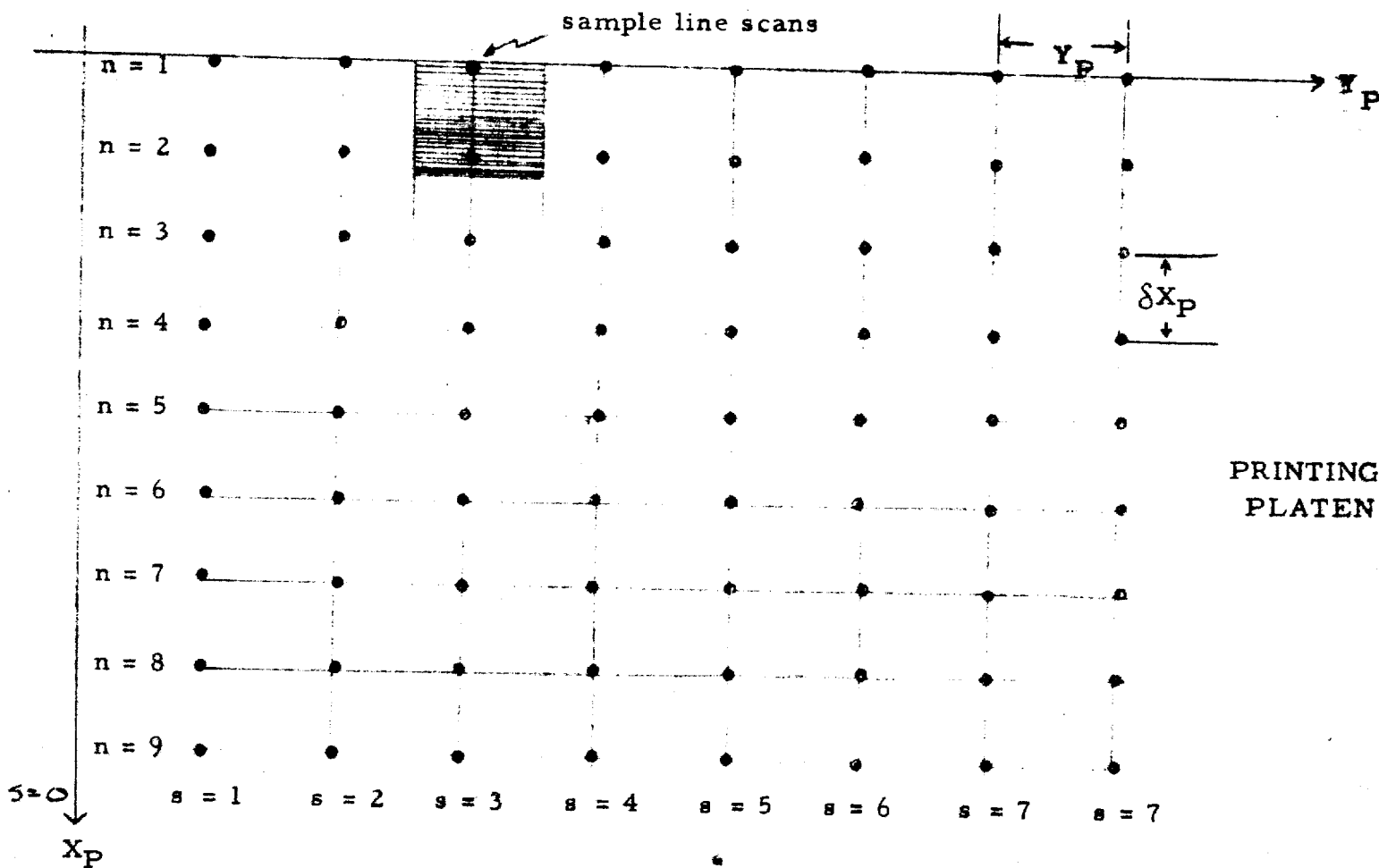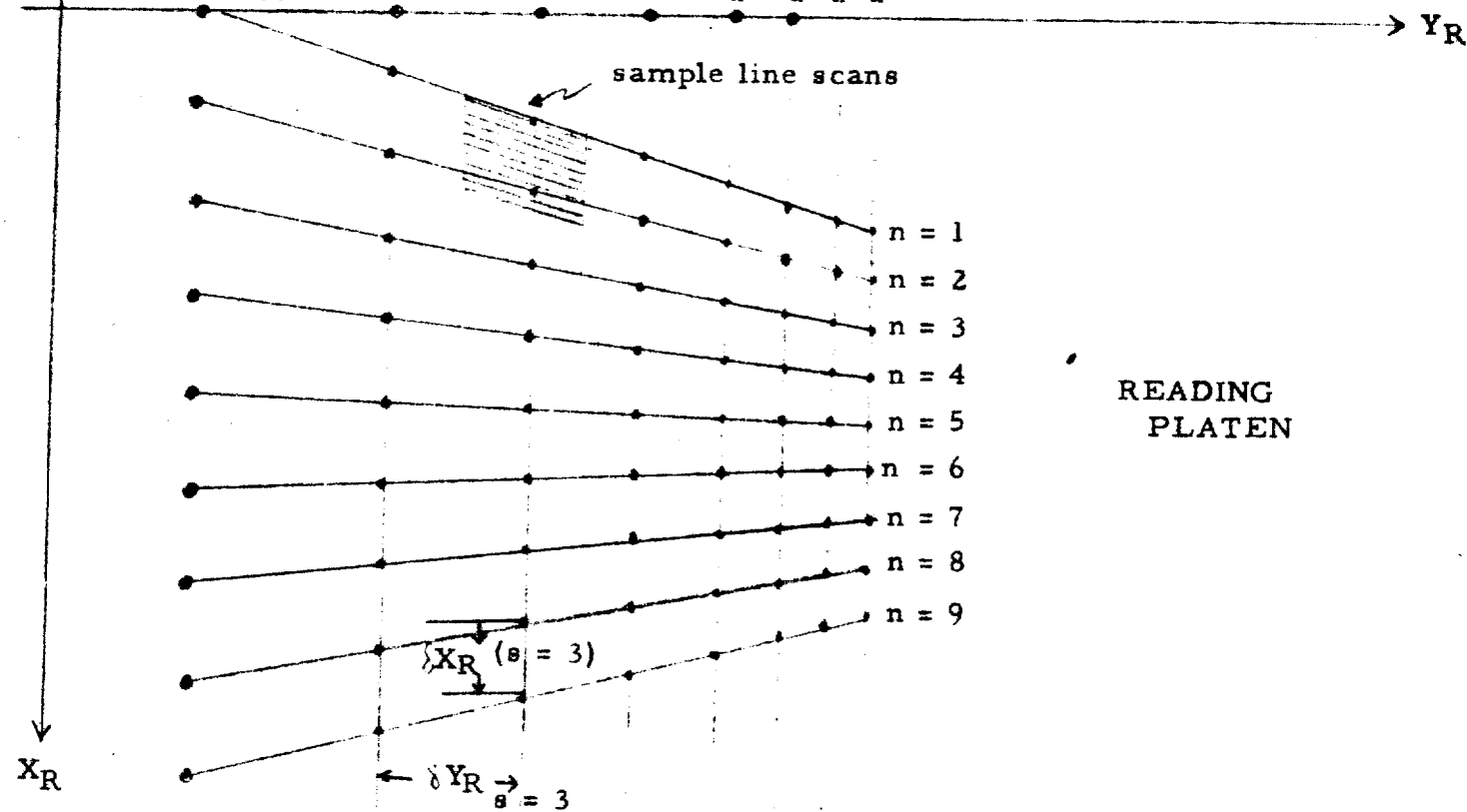
2.2   Photo Rectifier Machine Coordinate System (continued)

The value interval δX_p is always 0.5000 inch. The value of δY_p will be 0.5000 inch or less. The exact value of δY_p is determined by setting the largest value of δY_r equal to 0.5000 inch if it exceeds δY_p.

The H229 Photo Rectifier employs check points from (n = 1 to n = 21). The number of scans S depends upon the length of the rectified image.

2.3   Punched Tape Program

Numerical Data required to program each reader scan in synchronism with the corresponding printing scan is given below:

a. δY_{rs} - interval between the centerline of the (s - 1)th reading scan and the Sth scan.

b. ΔY_{rs} - Y component of reading line scans in the Sth strip scan.

c. $\dfrac{\Delta X_{rs}}{X_{rs}}$ - X component of any reading line scan (in the Sth strip) divided by the displacement of its center point from the principal line. This constant for each reading strip scan is used to compute the value ΔX_{rs} in real time

d. $\dot{X}_p / \dot{X}_r$ - ratio of printing and reading strip scan velocities.

e. $X_{rs,n}$ - instantaneous X_r position of line scan centers used for check points.

2. 3   Punched Tape Program (continued)

Five On-Off commands are also required from punched tape.
These are Register, Start Scan, Stop Scan, Stop Program, and Sweep
Aspect.

Punched tape is read in the H229 Tape Reader in blocks of
5 x 10 hole positions. Each strip scan requires 22 tape blocks. Tape
block n = 0 contains all numerical constants for the scan. Tape blocks
n = 1 through 21 contain data for checking scan positions in 1/2 inch
printing scan intervals. The number n referes to the check point
(figure 1.2) and also the tape block containing the numerical reading
check point position. Since each scan requires 22 tape blocks (n = 0
through 21) the total number of 5 x 10 hole position blocks in the program
tape is 22 x (s + 1) where s varies from 0 to S.

Numerical information in each Data Block (that is where n = 0)
is shown in Figure 2.3. δY_r is expressed by four decimal digits; Y_r
by an eleven bit binary number; and $\dfrac{\Delta X_r}{x_r}$ by a nine bit binary number.

In Figure 2.4 X_r is expressed as a seventeen bit binary
number and $\overset{o}{X}_p / \underset{X_r}{o}$ as a fourteen bit binary number.

Sprocket Holes

ROW NO.	A	B	C	D	E	F	G	H
P=1	δY_r	δY_r	δY_r	δY_r MSD		*	*	*
2	δY_r	δY_r	δY_r	δY_r		*	*	*
3	δY_r	δY_r	δY_r	δY_r		*	*	*
4	δY_r	δY_r	δY_r	δY_r		*	*	*
5	ΔY_r	ΔY_r	ΔY_r	ΔY_r	ΔY_r MSD	*	*	*
6	ΔY_r	ΔY_r	ΔY_r	ΔY_r	δY_r	*	*	*
7	*				ΔY_r	*	*	*
8	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$ MSD	*	*	*
9	*	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$	$\frac{\Delta X_r}{X_r}$	*	*	*
10	R				S.A.	DB	BI	*

* Position never used

R - Register Command

S. A. - Sweep Aspect

MSD - Most Significant Bit

DB - Data Block

BI - Block Indicator

Figure 2. 3

Sprocket Holes

	A	B	C	D	E	F	G	H
ROW NO. P = 1	X_r	X_r	X_r	X_r	X_r MSD	*	*	*
2	X_r	X_r	X_r	X_r	X_r	*	*	*
3	X_r	X_r	X_r	X_r	X_r	*	*	*
4				X_r	X_r	*	*	*
5	X_p/X_r	X_p/X_r	X_p/X_r	X_p/X_r	$X_p//X_r$ MSD	*	*	*
6	X_p/X_r	X_p/X_r	X_p/X_r	X_p/X_r	X_p/X_r	*	*	*
7	*	X_p/X_r	X_p/X_r	X_p/X_r	X_p/X_r	*	*	*
8						*	*	*
9	*					*	*	*
10		START SCAN	STOP SCAN	STOP PRO-GRAM			BI	*

* - Position never used

MSD - Most significant Bit

B.I. - Block Indicator

CHECK BLOCK (n ≠ 0)

Figure 2.4

2.3   Punched Tape Program (continued)

    a. δY_{rs} representation

The value of δY_{rs} is expressed as a four place

decimal digit. Each digit is coded on the program

tape as a binary-coded decimal number. For

instance, $\delta Y_{rs} = 0.1068$ inch it would be coded:

0001	first digit	
0000	second digit	
0110	third digit	
1000	fourth digit	
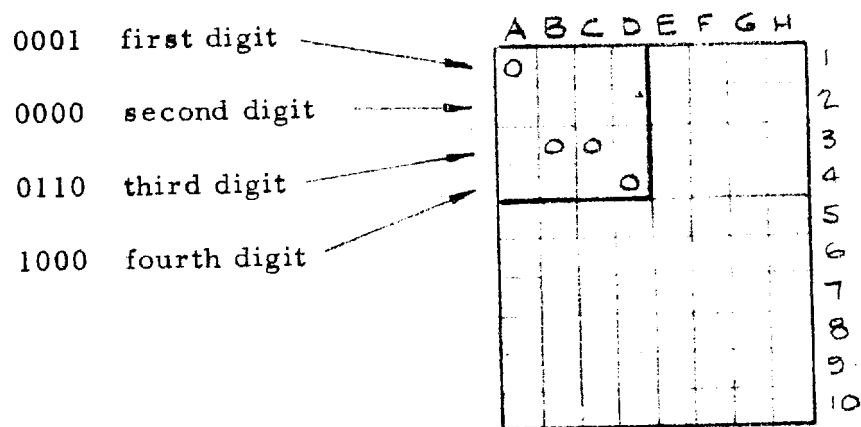
The value of δY_{rs} is the only decimally coded quantity

used.

2.3   Punched Tape Program (continued

x   b. ΔY_{rs} representation

The value of ΔY_{rs} is multiplied by a scale factor

(3500). For instance, if $\Delta Y_{rs} = 0.09651$ inch

the machine value would be $\Delta Y_{rs} = 334$ and would

be expressed as follows:

$\Delta Y_r = 00101001100$ units

c. $\dfrac{\Delta X_{rs}}{x_{rs}}$ representation

The value of $\dfrac{\Delta X_r}{x_r}$ is multiplied by a scale factor

(10,000). Consider the case where the maximum

occurs at a $65°$ viewing angle when $Y_p = 12$ inches.

If the ratio $\Delta X_{rs}/x_{rs} = 0.018$, the machine value

is 180 expressed as follows:

2.3   Punched Tape Program (continued)

$$\frac{\Delta X_{rs}}{x_{rs}} = 010110100 \text{ units}$$

d. $\dfrac{\dot{X}_{ps}}{\dot{X}_{rs}} = \dfrac{\dot{x}_{ps}}{\dot{x}_{rs}}$ This value is multiplied by a scale factor

of 2^9 and 7 is subtracted from the product.   For instance,

if $\dfrac{\dot{X}_{ps}}{\dot{X}_{rs}} = 7.361$, $(2^9 \times 7.361) - 7 = 3669-7$. $\dfrac{\dot{X}_{pm}}{\dot{X}_{rm}}$ is

represented in the tape as the binary number 00111001001100

and is stored in a 14-bit register.

2.3   Punched Tape Program (continued)

e. $X_{rs,n}$ representation

This value is calculated from the equation:

$$X_{rs,n} = \mu x_{rs,n} + a$$

where $a = +5.500$ inches

and $\mu = \dfrac{25}{28}$

This number is stored by the machine in a 17-bit register. The numerical value of $X_{rs,n}$ is expressed as 2^{13} machine units per inch. For instance, if $X_{rs,n} = 7.136$, its numerical machine value is 58,458 machine units and is expressed:

$$X_{rs,n} = 01110010001010110$$

Scan Number	Check Point Number	Row Number	Command	Bits Registered
$0 \leq s \leq S$	0	0	δY_{rs}	1st decimal digit
"	0	1	δY_{rs}	2nd decimal digit
"	0	2	δY_{rs}	3rd decimal digit
"	0	3	δY_{rs}	4th decimal digit
"	0	4	ΔY_{rs}	2^{10} through 2^6
"	0	5	ΔY_{rs}	2^5 through 2^1
"	0	6	ΔY_{rs}	2^0
"	0	7	$\dfrac{\Delta X_{rs}}{x_{rs}}$	2^8 through 2^4
"	0	8	$\dfrac{\Delta X_{rs}}{x_{rs}}$	2^3 through 2^0
"	0	9	Reserved for ON-OFF Commands	
"	$0 < n < 23$	0	$X_{rs,n}$	2^{16} through 2^{12}
"	"	1	$X_{rs,n}$	2^{11} through 2^7
"	"	2	$X_{rs,n}$	2^6 through 2^2
"	"	3	$X_{rs,n}$	2^1 through 2^0
"	"	4	$\dot{X}_{rs} / \dot{X}_{rs}$	2^{13} through 2^9
"	"	5	$\dot{X}_{ps} / \dot{X}_{rs}$	2^8 through 2^4
"	"	6	$\dot{X}_{ps} / \dot{X}_{rs}$	2^3 through 2^0
"	"	7	Not used	
"	"	8	Not used	
"	"	9	Reserved for ON-OFF Commands	

3.0   Computation

3.1   General

Before a program tape can be generated, the rectification,
to be performed and the image size must be known. The general
analytic transformation to be performed is as follows:

$$x_r = x_p \cdot F_1 (y_p) \qquad\qquad 1.5$$

$$y_r = F_2 \cdot F_2 (y_p) \qquad\qquad 1.6$$

It is defined by

1. Type of photography

2. Camera Focal Length

3. Isopoint Enlargement Ratio (from altitude)

4. Tilt Angle (in oblique photography)

The boundaries of the image are established by the printing platen
size ($9\frac{1}{2}$ inch film) and

1. m - Isopoint Enlargement Ratio

2. b - Starting position distance of Y_r axis from principal
    point

3. k - Approximate end point distance on Y_r axis from
    principal point

Before tape program computation it is also necessary to know:

1. δX_p - check point interval $= 0.5''$

2. δY_p - printing strip width

3.   N - number of check points $0 \lessgtr n \lessgtr N = 21$

4.   S - number of strip scans required $0 \lessgtr s \lessgtr S$

5.   d - starting point on Y_p axis

6.   q = 1 High Operating Speed

     q = 2 Low Operating Speed

3.1 General (continued)

7. ΔY_r scale factor - 3,500

8. $\Delta X_r / x_r$ scale factor - 10,000

9. a - X_r starting position

10. c - X_p starting position

Values determined by the H229 Photo Rectifier design are:

$\delta X_p = 0.5000$ inch

$N = 22$, that is, n varies from 0 to 21

$a = 5.5$ inches

$c = 5.5$ inches

Values to be determined by preliminary calculations are δY_p, S, d, q.

The logical structure of program computation and tape readout also requires knowledge of the sequence of logical and numerical commands. See Section 3.3.

3.2 Preliminary Calculation and Subroutines

Formulas for preliminary calculation are determined by the equations of rectification (equation 1.5 and 1.6)

Calculation of δY_p

Panoramic

$\delta Y_p = 0.5000$ inch if $m \geqslant 1$

$\delta Y_p = 2F_2^{-1} (y_r = 0.2500$ inch) if $m < 1$

Note F_2^{-1} and F_1^{-1} used for inverse function)

3.2   Preliminary Calculation and Subroutines   (continued)

Calculation of δY_p

Oblique

$$\delta Y_p = F_2^{-1} (-b + 0.2500'') - F_2^{-1} (-b - 0.2500'')$$

or 0.5000 inch, whichever is less.

Calculation of S

$$S = \text{Modulate} \quad \frac{F_2^{-1}(k) - F_2^{-1}(-b)}{\delta Y_p} \quad \text{to next higher number}$$

Calculation of d

$$d = -F_2^{-1}(-b)$$

Calculation of q

q = 1 (High Speed) if $m \gtreqless 2$

q = 2 (Low Speed) if $m < 2$

3.2   Preliminary Calculation and Subroutines (continued)

Preliminary and program computation involves calculation with functions that will be required computer subroutines. Using equations 1.5 and 1.6, the tape data computation will require use of the following equations.

Equations for Program Calculations

1. $\delta Y_{rs} = \left\{ F_2 \left[s \quad \delta Y_p - d \right] - F_2 \left[(s - 1) \quad \delta Y_p - d \right] \right\} \quad x \ 10^4$

where $\delta Y_r \overset{\triangle}{=} 0$

Calculation accuracy - to nearest whole number

2. $\Delta Y_{rs} = \left[3,500 \right] \times \left[F_2 \left\{ (s + \tfrac{1}{2}) \ \delta Y_p - d \right\} - F_2 \left\{ (2 - \tfrac{1}{2}) \ \delta Y_p - d \right\} \right]$

Calculation accuracy - to nearest whole number

3. $\left[\dfrac{\Delta X_r}{X_r} \right]_s = \left[10,000 \right] \times \left[\dfrac{F_1 \left\{ (s + \tfrac{1}{2}) \ \delta Y_p - d \right\} - F_1 \left\{ (s - \tfrac{1}{2}) \ \delta Y_p - d \right\}}{F_1 \ \left\{ s \quad \delta Y_p - d \right\}} \right]$

Calculation accuracy - to nearest whole number

3.2   Preliminary Calculation and Subroutines   (continued)

Equations for Program Calculations

4. $x_r(n, \, s) = \left[\left\{ (n - 1) \; \delta X_p - c \right\} \times \left\{ F_1(s \; \delta Y_p - d) \right\} - a \right] \times 2^{13}$

Calculation accuracy - to nearest whole number

5. $\left[\dfrac{\overset{o}{X_p}}{\overset{o}{X_r}} \right]_s = \dfrac{2^9 \times q}{F_1 \left[s \; \delta Y_p - d \right]} - 7$

Calculation accuracy - to nearest whole number

The scale factors shown are required for the coding used for numerical registers in the Photo Rectifier.

The required calculation will use the following functional subroutines:

1. $\dfrac{x_p}{\mu} = (n - 1) \; \delta X_p - c$

2. $y_p = s \; \delta Y_p - d$

3a. $F_1(y_p) = \dfrac{\dfrac{1}{m}}{\sqrt{1 + \dfrac{(y_p)^2}{mf}}}$ Panoramic

3b. $F_1(y_p) = \dfrac{\dfrac{1}{m}}{\sec t + \dfrac{y_p}{mf} \sin t}$ Oblique

4a. $F_2(y_p) = F \tan^{-1} \dfrac{(y_p)}{mf}$ Panoramic

4b. $F_2(y_p) = \dfrac{\dfrac{y_p}{m} \cos t}{\sec t + \dfrac{y_p}{mf} \sin t}$ Oblique

3.2   Preliminary Calculation and Subroutines (continued)

5a. $F_2^{-1}(Y_r) = mf \dfrac{\tan(y_r)}{f}$ Panoramic

5b. $F_2^{-1}(y_r) = \dfrac{m\, y_r\, \sec t}{\cos t - \dfrac{y_r}{f}\sin t}$ Oblique

On-Off Command logic must also be programmed into automatic computations. In terms of check block number (n), scan number (s) and tape block row number (p) the logic of these commands is given below.

<u>Machine Command Logic</u>

Command Logic

9A (register)   If $n = 0$ and $p = 9$

9B (Start Scan)   If $n = 1$ and $p = 9$

9C (Stop Scan)   If $n = 21$, and $p = 9$

9D (Stop Program) If $n = 21$, $p = 9$, and $s = S$

9E (Sweep Aspect) If $n = 0$, $p = 9$, and $\dfrac{\Lambda x_r}{X_r}$ is <u>negative</u>

3.3   Computation Sequence

The sequence of program computation and tape punch is described by the machine operating program (section 2.3). This sequence is collected on the following table.

COMPUTATION AND TAPE PUNCH SEQUENCE

Step	Command	Operation	Store
1	Start	Clear s, n, & p counters	
2	$n=0$, $p=0$	Compute δY_{rs}	Register δY_{rs}
3	Reg δY_{rs}	Punch 1st decimal digit	$p + 1$
4	$n=0$, $p=1$	Punch 2nd decimal digit	$p + 1$
5	$n=0$, $p=2$	Punch 3rd decimal digit	$p + 1$
6	$n=0$, $p=3$	Punch 4th decimal digit	$p + 1$
7	$n=0$, $p=4$	Compute ΔY_{rs}	Register ΔY_{rs}
8	Reg. ΔY_{rs}	Punch bits 2^{10} to 2^6	$p + 1$
9	$n=0$, $p=5$	Punch bits 2^5 to 2^1	$p + 1$
10	$n=0$, $p=6$	Punch bits 2^0	$p + 1$
11	$n=0$, $p=7$	Compute $\left[\dfrac{\Delta X_r}{X_r}\right]_s$	Register $\left[\dfrac{\Delta X_r}{X_r}\right]_s$
12	$\text{Reg}\left[\dfrac{\Delta X_r}{X_r}\right]_s$	Punch bits 2^8 to 2^4	$p + 1$
13	$n=0$, $P=8$	Punch bits 2^3 to 2^0	$p + 1$
14	$n=0$, $P=9$	a. Punch reg. command 9A b. Punch sweep ascpect (9E) If $\dfrac{\Delta X_r}{X_r}$ is negative	$p + 1$, $N + 1$
15	$n \neq 0$, $p=0$	Compute X_r (s, n)	Register X_r (s, n)
16	Reg. X_r (s, n)	Punch bits 2^{16} to 2^{12}	$p + 1$
17	$n \neq 0$, $p=0$	Punch bits 2^{11} to 2^7	$p + 1$
18	$n \neq 0$, $p=2$	Punch bits 2^6 to 2^2	$p + 1$
19	$n \neq 0$, $p=3$	Punch bits 2^1 to 2^0	$p + 1$
20	$n \neq 0$, $p=4$	Compute $\left[\dfrac{\overset{o}{X_p}}{\overset{o}{X_r}}\right]_s$	Register $\left[\dfrac{\overset{o}{X_p}}{\overset{o}{X_r}}\right]$
21	$\text{Reg}\left[\dfrac{\overset{o}{X_p}}{\overset{o}{X_r}}\right]$	Punch bits 2^{13} to 2^9	$p + 1$
22	$n \neq 0$, $p=5$	Punch bits 2^8 to 2^4	$p + 1$
23	$n \neq 0$, $p=6$	Punch bits 2^3 to 2^0	$p + 1$
24	$n \neq 0$, $p=7$		$p + 1$
25	$n \neq 0$, $p=8$		$p + 1$
26a	$n=1$, $p=9$	Punch start scan (9B)	$p + 1$, $n + 1$
26b	$1 < n < 21$, $p=9$		$p + 1$, $n + 1$
26c	$n=21$, $p=9$	Punch stop scan (9c)	$p + 1$, $n + 1$, $s + 1$
26d	$n=21$, $s=S$, $p=9$	Punch stop program (9d)	Stop computer

From Step 26c → 2

From Step 26b → 15
From Step 26a → 15

To Step No. 2
To Step No. 15
To Step No. 15

3.3 Computation Sequence (continued)

A general flow diagram for the automatic computation is shown in Figure 3.1. After data for rectification of specific negative is stored, computation is started. Counters n and s are set to zero. Counter n is cyclic.

Preliminary computation is accomplished by interrogating storage for data required and through the proper subroutines. After preliminary calculations, scan program calculation is started. Calculation and tape punch is made for n = 0, 5 = 0. When the first data block has been punched the n counter is stepped and the first check block is computed. After each check block the n counter is stepped and the routine is repeated.

After 21 check blocks have been punched (the n counter is full), the S counter is stepped and the next scan block set computed.

3.4 Sample Programs

Three test program tapes are used to check out the Rectifier; two enlargements (1:1 and 4:1) and a panoramic rectification. Data for these are given below:

1. 4:1 Enlargement

Oblique transformation

f = 6 inches

m = 4

t = 0 degrees of arc

b = 2 inches

k = 2 inches

3.4   Sample Programs   (continued)

2.   1:1   Enlargement

Oblique Transformation

f = 12 inches

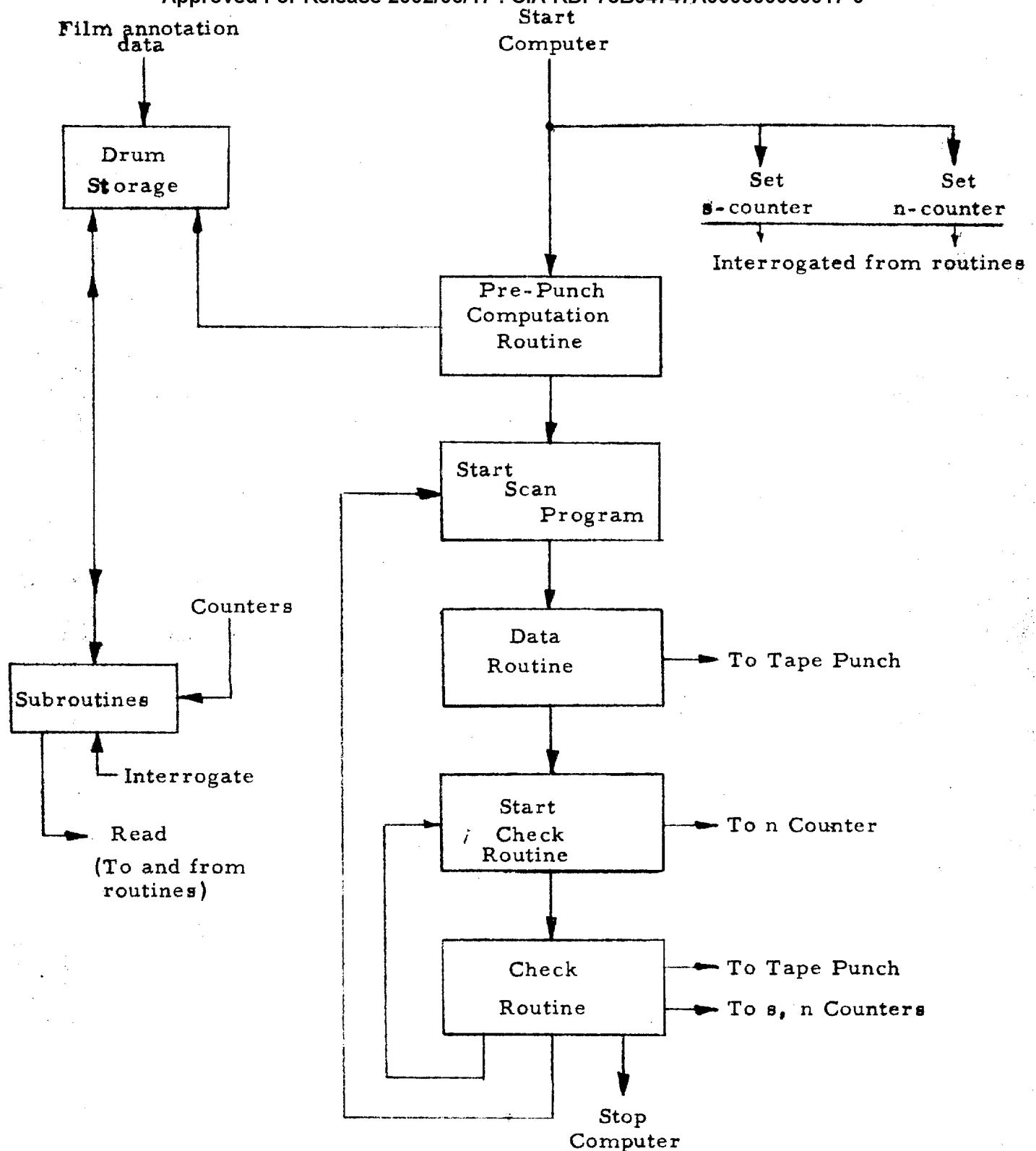m = 1

t = 0 degrees of arc

b = 9 inches

k = 9 inches

3.   Panoramic Rectification

Panoramic Transformation

f = 3 inches

m = 4

b = 3.405

k = 3.405

4.   A desirable Oblique rectification is oblique

transformation.

f = 6 inches

m = 1

t = 21 degrees of arc

b = 4.5 inches

k = 4.5 inches

FLOW DIAGRAM OF H229
TAPE COMPUTATIONS AND PUNCH

Figure 3.1

4.0   Appendix

   4.1   Symbols Used

x_r, y_r natural image coordinates, negative

x_p, y_p natural image coordinates, print

X_r, Y_r Machine platen coordinates, Reader

X_p, Y_p Machine platen, coordinates, Printer

ΔY_p Printing line scan width

ΔY_r Reading line scan, y component

ΔX_r Reading line scan, x component

δY_p Distance between adjacent printing scan centers

δY_r Distance between adjacent reading strip centerlines

δX_p Check point spacing

$\overset{o}{X}_r$, $\overset{o}{X}_p$ Strip scan rates

n   Check point (or tape block) number

s   Scan number

m   Enlargement ratio

f   Camera focal length

t   tilt angle

F_1 & F_2 arbitrary functions

a Y_r and y_r axis separation

b X_r and x_r axis separation

c Y_p and y_p axis separation

d X_p and x_p axis separation

μ X, x scale factor