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A LITERATURE SURVEY OF THEORIES AND METHODS OF
PREDICTING CHARACTERISTICS OF MATERIALS

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FOREWORD

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ABSTRACT

A literature survey of theories and methods relating to strength and plastic deformation of materials has yielded almost 1800 abstracted references from various publications appearing between 1930 and 1957-1958. Primary emphasis was given to dislocation theories; absolute reaction rate theories; thermodynamic theories of fracture strength; relationships based on equations of state; and empirical relationships and parameters. The evaluation of the most promising theories and methods indicates that dislocation-type theories, or the parameter-type expressions, offer the greatest opportunity for ultimately predicting strength properties.

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LITERATURE SURVEY OF THEORIES AND METHODS
OF PREDICTING CHARACTERISTICS
OF MATERIALS

INTRODUCTION

The problem of describing the characteristics of materials is a long-standing one. When the additional goal is set of predicting material characteristics, almost insuperable difficulties are encountered. Many different lines of attack have been tried, to solve the problems encountered in describing or predicting material characteristics. The current approach has reached a degree of sophistication that leads to the conclusion that the basic mechanisms, the detailed atomic movements, the various interactions of elementary particles - all must be scrutinized in more detail in order to understand what is happening. This microscopic approach is necessary in order to understand the gross, macroscopically observed behavior, and embodies the scientific, long-range view.

On the other hand, the exigencies of the daily demands on engineers for practical and immediate solutions to his problems leave no alternative but to use empirical relationships, rule-of-thumb reasoning, or just plain horse sense. The two points of view on this general problem thus represent the two extremes that exist today in seeking to arrive at a solution to the problem of predicting material characteristics. The urgency under which one must work, then, will dictate the line of approach employed. This literature survey has attempted to plead both sides of the case - the plaintiff may receive the verdict applicable to himself alone. Therefore, for the purposes of a literature review in which the goal is to ascertain the potentially most useful theories and methods for predicting material properties, the guiding principle has been to re-examine all available work pertinent to the general problem. Then, on the basis of current developments in theory and methods and the opinions of experts in the field, and from the long-range perspective afforded by this literature review, an evaluation of the most promising theories and methods has been made.

SCOPE OF THE LITERATURE SURVEY

Obviously, complete coverage cannot be afforded a subject as prolific as characteristics of materials. It is recognized that such factors as heat resistance, corrosion resistance, strength at low or high temperatures, heat conductivity, etc., are all integral components of the over-all problem of material behavior. However, in view of such practical

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considerations as time, which must be faced in a 6-month literature survey, and in view of the vast amount of material already printed on the general subject, it is deemed advisable to limit the scope to the most fruitful areas. One of the most important areas would include the mechanical, or strength, properties; also, the selection should be directed primarily toward metallic materials. This latter choice is not as restrictive as it may seem at first glance, since the crystalline nature of metals is found duplicated in many nonmetallic substances, and the basic laws should be applicable equally to both. Furthermore, the term "strength", as used here, would be applied in the broad sense, in that the yield stress, the critical resolved shear stress, creep strength, the hardness, etc. - in fact, almost any index of a material's ability to resist plastic deformation - would be considered.

Some items have been excluded, rather arbitrarily, perhaps, but from the sheer necessity to draw the line somewhere. Included in a list of factors not covered specifically would be such items as fatigue, brittle-ductile transition behavior, age-hardening phenomena, recovery and recrystallization processes, and crack initiation and propagation. However, important articles on these subjects have been included in the main appendix. There is a good reason for the emphasis given here to strength properties. That reason is, if a material cannot pass the basic requirements of adequate strength under the specified conditions, then there is no great need to know the other properties.

As to the references themselves, each item deemed worthy of inclusion in this report has been entered in the main appendix, along with a brief abstract of its contents. The entries are listed alphabetically by the first author and are numbered consecutively. Here, again, the emphasis in selection has been on the broader aspects of the problem. Another guiding principle has been to document the experimental side, as well as the theoretical, as thoroughly as time and space would permit. This action was taken because of the great debt owed by theory to experiment, and because of the great importance such references would have in an experimental continuation of this program. It goes without saying that many references may have been left out - either by chance or design - that might be considered important. Be this as it may, there is no doubt that the references given in the articles covered here will lead to all additional references desired and many more. So, it should be a relatively minor task to locate a particular reference from the other quoted sources.

To facilitate the search for references on any particular subject, the main appendix of some 1800 entries has been broken down into four subsidiary categories. In addition, there is an author index in which are listed the references, by number, where the author's name appears. It is believed that the bibliography contained in the appendix will constitute an invaluable aid to the research worker in this field, and that the widest possible dissemination of this report should be made to interested parties.

BACKGROUND DISCUSSION

Early theories of the strength of metals were restricted mostly to simple substances, and to a relatively narrow range of temperatures. Fairly recently, some thought has been given to the case of more complex materials, as well as to a wider range of temperatures. In spite of the numerous attempts to develop a comprehensive theory, little progress was attained until the introduction of the concept of "dislocations" in the early 1930's. The flexibility of the dislocation theories, and the imaginative and fertile work of the many mathematicians and physicists who became interested in the possibilities of this concept, led to explanations of many metallurgical phenomena previously only vaguely understood. Important as this concept has proved, there still have been many alternative lines of attack on the basic problem of strength, such as the chemical, thermodynamic, electronic, atomistic, and mechanical. It can be seen that these various approaches embody the same goals, but that the points of view are somewhat different. Thus, all available theories have been reviewed so that no possible line of attack has been overlooked that may lead to a solution of the present problem.

In addition to the theoretical attempts to understand the basic factors affecting the strength of material, empirical methods have been developed to describe relationships between significant variables, such as temperature and stress. Although such ad hoc methods are not completely satisfying, they do have the advantages of relating the desired property to readily measurable experimental data, and, more important, they can be applied to the complex materials actually used in engineering applications. The outstanding development in this direction is the parameter involving time or strain rate and temperature, which correlates the strength properties rather successfully. However, it cannot be said that such parameters are completely empirical, because of their direct connection with the Boltzmann, or Arrhenius, rate equation, which connects a rate to an activation energy and temperature exponentially.

In the following paragraphs, those theories and empirical relationships that may be useful in describing material behavior at various temperatures will be discussed briefly. Then, areas that have been neglected or that need further consideration will be specified to some extent.

The outstanding importance of creep in metals stressed at high temperatures has led to a preponderance of theoretical work in this area. Schoeck(1396)*, Dorn(377), and Weertman(1672) have offered high-temperature dislocation theories of creep, based on the dislocation climb

*Reference numbers in parentheses refer to the bibliography in Appendix A.

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mechanism suggested by Mott(1081). Parker has claimed that Weertman's theory is the first to adequately take into account the important experimental facts. Seeger's ideas on the dislocation mechanisms of plastic deformation have stimulated those of Wiedersich(1697), as well as others. Older theories that have influenced ideas on creep are those due Orowan(1182), Mott(1082), and Nabarro(1110).

Bleakney(127) and Parker(1217) have examined the creep process in terms of intercrystalline cohesion, whereas Bochvar(146) theorized about intergranular shears. The absolute reaction rate theory has been applied to creep deformation by Kauzman(357), Nowick and Machlin(1137), and Dekhtyar(357), among others. A statistical formulation for creep of metals has been published recently by Bates, Ree, and Eyring*. Other approaches have been attempted, also. For example, Osipov and Fedotov(1203) have described creep in terms of self-diffusion coefficients and melting temperatures.

It can be seen that considerable latitude exists in the various approaches to a theoretical description of deformation at high temperatures. Theories that treat deformation from a more generalized standpoint than creep alone are also very numerous, with the emphasis at lower temperatures where thermal energy is not an appreciable factor. Such theories are important in any assessment of the literature on theories of strength, because it is possible that the basic ideas can be applied, without too many modifications, to other temperatures of interest. General theories that have had far-reaching influence in more modern formulations are due to Becker(89), Orowan(1174), Bragg(173), and Mott and Nabarro(1101), to quote a few. The dislocation concept in plastic deformation was explored thoroughly up to 1941 by Seitz and Read(1444), and the principles of plasticity theory were invoked by Hollomon and Lubahn(714). Jaswon(758) has considered the problem of cohesion on an atomic scale. Other, rather extensive, treatments of the theory of metals have been given in books by Wilson and by Mott and Jones, primarily from the physicists' point of view.

A general review by Matthes(1054) considered the relationships that exist among the various physical and mechanical properties of metals and alloys during plastic deformation. Numerous other authors have suggested alternative approaches to this problem. The rheological approach, embodied in the expression by Nutting(1140), appears to have extremely broad applicability. Examples are given by Dekhtyar(356), who established a relationship between bond energies and energies for diffusion; by Fastov(418) and Fürth(502), who utilized the methods of thermodynamics; by Gulyaev(617), who showed the periodicity of the strengthening influence of solute elements as related to valency; by Il'ina and Kritskaya(733), who relied upon X-ray measurements of bond strengths to describe the characteristic temperature of metals and alloys; and by Rovinskii(1360), Osipov(1195), and Dekhtyar(355), who expressed behavior in terms of electron-density configurations.

*Tech. Rep. 56, ONR (NR-032-168), June 15, 1956.

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Factors that have definite influence on the realizable strength of metals have been systematized by many. Kornilov(854) considered strength and solubility relationships, whereas Andrews(39) classified properties according to a thermodynamic scheme. Ball(60) showed clearly the surprisingly important effects of subgrain size, and Biggs and Broom(107) considered the influence of ordering on strength properties. The hardness of pure metals was expressed by Westbrook(1690) as a function of temperature, crystal structure, specific heat, and the heats of fusion and transformation.

It may be noticed that the theories mentioned above depend, to some degree, on empirical laws - for example, the Hume-Rothery rules. Unfortunately, the science of metallurgy has not yet advanced to the stage where alloys can be designed on the drawing board, or with a computer. Thus, it is inescapable that the art of metallurgy today is still dependent on the rule of thumb, or empirical correlations, which are not based on fundamental metallurgical theory. Examples of empirical correlations relating tensile strength, temperature, and strain rate are due to Kanter(782) and to Clark, White, and Guarnieri(275). Underwood(1620) has correlated hardness, creep, and tensile data to one straight line.

Zener and Hollomon(1777) and Hollomon and Jaffe(712) have proposed parameters involving strain rate or time and temperature, respectively, to correlate the flow stress and hardnesses of alloys. Larson and Miller(903) and Robinson, Tietz, and Dorn(1341) demonstrated that the time-temperature parameter could be applied just as well to stress-rupture data as to tensile data. The "velocity modified" temperature of MacGregor and Fisher(990) is akin to the parameter of Zener and Hollomon, and Rabotnov's parameter(1300) is useful in the case of isochronous stress-strain curves. The expressions involving strain rate describe the type of temperature- and rate-sensitive deformational behavior that is usually designated as viscosity, relaxation, or, more generally, thermal inelasticity(477). The interrelationship of many of these parameters is obvious, which helps to emphasize the common origin of such expressions. The range of validity of the time-temperature parameter has been shown⁸ to extend over rupture times as short as a fraction of a minute to more than a year and over a 700°F temperature range, for the Alloy S-590. This is indeed an impressive accomplishment for an expression involving only one constant.

Manson and Haferd(1043) have advocated their empirical expression that defines stress as a function of time and temperature. Since their parameter does not stem from the basic Arrhenius rate expression, it does not appear to have the significance of the other parameters listed above. Stowell(1527) attempted to lump together, in one equation, factors dependent on stress and strain, heating rate, and the time-temperature type of deformation. Under specified conditions, the expression can be simplified to a parameter similar to some mentioned above. It may be useful for rapid-heating rate tests.

⁸Underwood, E. E., unpublished research at Battelle Memorial Institute.

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The preceding discussion was designed to give a brief survey of various kinds of theories and methods that have been advanced to describe plastic deformation. Conspicuous gaps in the coverage afforded by these theories are evident. For example, the marked influence of very small additions of a solute is not explained, nor is the existence of solution softening generally recognized. When several variables, such as strain, temperature, and aging, all change simultaneously, the problem of expressing such behavior analytically becomes hopelessly complex. No present theory can account for a creep rate that is governed by the instantaneous arrangement of dislocations, impurity atoms, and vacant lattice sites(227). Even N. F. Mott, who has done so much to advance dislocation theories of creep, says that they are "extremely tentative and may well have to be revised or abandoned(32)."

In spite of such shortcomings, progress in the theory of plastic deformation and strength has increased greatly during the past years, and further advances can be expected in the ensuing years.

DETAILED PLAN OF THE LITERATURE SEARCH

In order to get the most significant coverage of the literature, it was decided to start with articles appearing between 1930 and 1957. Most of the references of value today would fall in this period, and, when exceptional cases were noted, these could be included in the survey. Also, special volumes on meetings, reports, symposia, etc., and textbooks and specialized treatises dealing with strength of materials were included in the literature search, to insure that no important papers were missed.

The following sources were consulted:

- (1) Chemical Abstracts
- (2) Metallurgical Abstracts
- (3) Abstracts of the Journal of the Iron and Steel Institute
- (4) ASM Review of Metal Literature
- (5) Metals Review
- (6) Abstracts of Metallurgy of the USSR
- (7) Transaction of the AIME
- (8) Transactions of the ASM

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- (9) Acta Metallurgica
- (10) Applied Mechanics Reviews
- (11) NACA Bulletins, General Electric Company Bulletins, ASTM Bulletins, etc.
- (12) Science Abstracts
- (13) Proceedings from conferences on deformation, strength, creep, high-temperature behavior, etc.
- (14) Textbooks and treatises on creep and strength
- (15) Personal files already available at Battelle Memorial Institute.

Items (1), (2), (5), (7), (8), and (9) were checked as far into 1958 as possible, also. Other sources of information were consulted during the search period, including translations from Battelle Memorial Institute, National Research Foundation, Henry Bratcher, etc.

In addition to the above list, reports of special value to this investigation should be mentioned:

- Report of a Conference on the Strength of Solids (1948)
- A Symposium on the Plastic Deformation of Crystalline Solids (1950)
- Imperfections in Nearly Perfect Crystals (1952)
- Dislocations and Plastic Flow in Crystals (1953)
- Creep and Fracture of Metals at High Temperatures (1956)
- Dislocations and Mechanical Properties of Crystals (1957).

Collecting titles to references of possible value is a relatively easy and minor part of this task. More time-consuming is the next step - that of obtaining a suitable abstract for the reference. Depending on its importance, either a routine annotation was prepared for the record; a more thorough abstract was obtained from any of the abstract sources listed above; or the original article was read and evaluated, and an abstract prepared therefrom. The most time-consuming process of all is, of course, the full analysis given those articles of outstanding importance. All entries selected, regardless of importance, were then assembled in the main appendix, alphabetically by first author, and numbered consecutively. Evaluation of the important theories and methods is covered elsewhere in the report.

DISCUSSION OF IMPORTANT THEORIES AND
METHODS RELATING TO STRENGTH PROPERTIES

Before plunging into detailed discussions of the theories and methods that are considered to be important to this literature survey, a brief outline of the main subdivisions will be given:

- (1) Dislocation Theories. These are the results of the most modern theoretical developments, and are being exploited to an increasingly greater extent by scientists all over the world. They deal with detailed mechanisms, are very flexible, and are applied to a great diversity of physical phenomena. Quantitative predictions are now becoming possible in simple cases.
- (2) Absolute Reaction Rate Theories. These more generalized theories do not depend so much on a detailed mechanism as do the dislocation theories. A "unit of flow" is postulated that conforms to thermodynamic criteria, and, depending on the detailed interpretation given, this "unit of flow" can be applied to the phenomenon of plastic flow.
- (3) Thermodynamic Theories of Fracture Strength. These are based on the idea that the breaking of atomic bonds by fracture is analogous to the melting process. Great generality is to be expected from an approach along such lines, but the very fact that such generality is achieved makes it impossible to account for effects due to variations in microstructure, crystalline defects, etc.
- (4) Relationships Based on Equations of State. Equations of state for solids are better known for the case where the selected variables are volume, temperature, and hydrostatic pressure. When variables such as stress, strain, strain rate, and temperature have been chosen, their functional relationship is known as a "mechanical equation of state". These equations are particularly attractive because they offer the possibility of predicting the mechanical properties of materials. However, the main stumbling block to the acceptance of such functions has been their dependence on the past history of the material.
- (5) Empirical Relationships and Parameters. These parameters usually express a functional relationship between variables, such as strain, stress, strain rate, temperature, and/or time. Their greatest usefulness lies in the ability to predict behavior for the complex materials used

for engineering purposes. However, their range of applicability is unknown, and calculated values extrapolated too far are uncertain.

Dislocation Theories of Plastic Deformation and Strength

Relatively speaking, the dislocation concept is new to the fields of plastic deformation and strength. However, the facility with which hitherto poorly explained observations could be rationalized; the extreme versatility with which the properties of dislocations could be applied to detailed mechanisms; the amenability of dislocations to mathematical analysis; and the experimental detection of dislocations have all helped in making this line of attack very popular nowadays. Unfortunately, the values of yield stress, for example, given by equations derived from dislocation models are indicated only to within orders of magnitude. The engineer desires numbers he can apply to the actual problems of everyday life. Furthermore, there are no all-encompassing dislocation theories involving strength properties, but mostly fragmentary explanations of mechanisms applicable only to isolated processes. Different types of failure (yielding, brittle fracture, shear fracture, fibrous fracture, fatigue fracture, etc.) have different underlying mechanisms, so that an "all-encompassing" theory is inherently impossible. However, at the present expanding rate of effort in this field, major breakthroughs can be anticipated in the next 10 years or so.

Modern dislocation theories of plastic flow stem from the papers of Orowan^(1174,1175), Taylor⁽¹⁵⁷⁵⁾, and Polanyi⁽¹²⁷²⁾ in 1934. They described what is now known as an edge dislocation, which is characterized by the fact that its dislocation line, which separates the slipped portion of the crystal from the unslipped, is normal to the direction of slip. Depending on the orientation of the edge dislocation, they may be called either positive or negative. Another type of dislocation, known as the Burgers or screw dislocation, has the feature that its dislocation line is parallel to the direction of slip. Excellent review articles are available on the nonmathematical aspects of dislocations (see Appendix C), numerous papers have been published with a mathematical approach to the problem (see Appendix C), and many symposia held by specialists in the field of dislocations have been printed (see the six reports listed in "Detailed Plan of the Literature Search"). Earlier contributors to this field include Orowan, Mott, Nabarro, Frank, W. T. Read, Jr., and Cottrell. More recent workers are Seeger, Schoeck, Friedel, Leibfried, Hirsch, and Eshelby, among others.

For the purposes of this literature survey, only the most important theories, in the light of present-day knowledge, will be reviewed here. For convenience, they are considered under the headings of theories that pertain primarily to strain hardening, alloy hardening, precipitation hardening, and creep. Although this may seem to be a rather arbitrary classification, it is not intended as a hard-and-fast separation of distinct theories. Rather,

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it is found that these theories overlap and duplicate one another in varying degrees. The basic features or mechanisms, such as intersection of dislocations, jog formation, pile-up at barriers or obstacles, dislocation climb, and stacking faults, may appear in a few or all of the theories in the above-listed categories.

Strain Hardening

With increasing amounts of slip, further deformation becomes more and more difficult (i. e., the yield stress rises); this is strain hardening. The earliest quantitative dislocation theory that applied to strain-hardening phenomena was proposed by G. I. Taylor(1575). The Taylor theory is discussed here in some detail because it has introduced into the theory of plasticity several concepts and mathematical methods that are of great importance, independent of the particular model of strain hardening to which they were first applied. Also, Taylor's model, although not giving a realistic picture of strain hardening, does contain the basic elements that are responsible for the additional hardening due to obstacles such as grain boundaries and inclusions. His idea was that the yield stress depends on the internal stresses opposing the movement of dislocations and that the dislocations create the stresses during plastic deformation. Taylor suggested that the dislocations do not pass completely through a crystal but interact elastically with one another and with obstructions such as mosaic boundaries, which prevent further motion. These immobile dislocations cause the internal stresses that raise the yield strength. Since plastic flow results from the movement of dislocations, any mechanism that causes a decrease in the mobility of dislocations causes work hardening. An expression relating stress and strain was derived for the case where slip begins at random points throughout the crystal and occurs by the separation of one positive and one negative dislocation at each of these points. (However, no separation occurs if the dislocation can arise at a surface or even an interface.) If the average length along the slip plane through which the dislocations move apart is L , and if the yield stress is assumed to be the same as the highest internal stress acting upon a dislocation when it is set in motion, then

$$\sigma = \alpha G \left(\frac{\gamma b}{L} \right)^{1/2}, \quad (1)$$

where σ is the tensile stress; α is a constant; G is the shear modulus; γ is the plastic strain; and b is a vector (called the Burgers vector) that specifies the direction and distance by which atoms above the slip plane have moved relative to those below. This parabolic relation between stress and plastic strain was confirmed experimentally for metals crystallizing in the cubic system. L was hypothesized to be of the order of 10^{-4} cm, in agreement with the order of magnitude of faults found in metals and rock salt. The crystallographic nature of the faults is immaterial from the point of view of the theory. However, in Taylor's theory, no provision is made for

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crystalline deterioration or the development of imperfections. It is a pure barrier theory; thus, if the strain is reversed, the dislocations should go back to their source, and there should be no strain hardening. This is contrary to observation. Further detailed analyses and criticism of this theory have been presented by Orowan(1189) and Cottrell(293).

Although Taylor's theory is no longer accepted, some of the general ideas are basic to later theories. Mott(1085) suggested a theory based on piling up of edge dislocations against obstacles in their slip plane. These obstacles were thought to consist primarily of sessile dislocations (a type of fixed dislocation that can move only by the transport of atoms to or from the perimeter of the fault by diffusion) randomly distributed in the crystal. At each obstacle, a group of n dislocations of the same sign is piled up and anchored by combining with a few dislocations on an intersecting slip system. The stress field of each group acts through large distances, n times farther than that of a single dislocation. An expression for the internal stress, σ_i , on each group of dislocations is derived, which, when combined with that for the plastic strain, gives a parabolic hardening law

$$\sigma_i = (G/2\pi) (n\gamma b/L)^{1/2}, \quad (2)$$

where the terms are as before. A value for L , the spacing of the obstacles, can be obtained by postulating a dynamic generation (later discarded) of dislocation loops, from a source of length ℓ , which move a distance L . This gives

$$\sigma_i = G(\gamma b/2\pi\ell)^{1/2}. \quad (3)$$

The following characteristics of this result may be seen. When ℓ is constant, a parabolic stress-strain curve is obtained; with a reasonable value of ℓ (about 10^{-4} cm), the resulting coefficient of work hardening is of the right order of magnitude; and the stress-strain relation is independent of L , which is one of the more serious deficiencies of the theory. Even though the intensity of strain hardening is roughly the same in many crystals of different orientations, strain hardening is probably mainly due to the decrease of the spacing between obstacles.

Mott's theory resembles that of Taylor, but differs in several respects: the newer theory pictures the dislocations as being locked; the strength of each group of dislocations is n times larger; and the spacing between them is correspondingly larger.

Other theories have contained alternative explanations of work hardening(173,218,815,911), but they either have been unable to stand the test of time, or the number of assumptions introduced has prevented their acceptance. However, two rather comprehensive reports have emerged lately, which attempt to give a more unified picture of the present status of experiment and theory. These are the papers by Orowan(1189) in 1954 and by Seeger(1425) in 1957. Orowan points out the generality of the phenomenon

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of strain hardening, and the attendant uncertainty as to its cause. He points out that a number of factors can contribute to strain hardening, and that the pure barrier pile-up theories cannot account for more than a small fraction of the hardening. In the case of polycrystalline metals, strain hardening can arise from the mutual interference of neighboring grains. However, the mechanism for intracrystalline hardening, e.g., in single crystals, is by no means clear.

A mechanism of strain hardening was first outlined by Taylor, and this has been treated above. Another possibility of strain hardening, discussed by Orowan, is that arising from the removal or inactivation of lattice defects that make the crystal soft. This possibility is not too probable. Without the presence of a multiplication mechanism, a crystal would harden extremely rapidly as the dislocations present initially were used up by slip. However, the number of dislocations needed for producing large amounts of plastic deformation is far too high to be present initially in the crystal. An alternative scheme embodies the idea of an initial stock of Frank-Read sources (dislocation double mills) with different widths. As deformation proceeds, the double mills with widest spacing (and correspondingly lowest operating stresses) are used up first, and the mills with smallest spacings would go last. Although this mechanism for the origin of strain hardening cannot be ruled out completely, it is not entirely satisfactory.

More probable is the creation of lattice "injuries" acting as obstacles to slip in the course of deformation. One way of producing lattice imperfections other than dislocations during slip is the generation of vacancies; similarly, excess (interstitial) atoms may come into the lattice. Twin and kink (1180) lamellae may, and in general will, arise locally, particularly in a polycrystalline material. Other mechanisms of hardening are the cutting of dislocations by slip taking place in a plane pierced by them, and the intersection of stacking faults by crossing slip planes. These latter two mechanisms may play a more significant role in the hardening process than the others, so they will be described in more detail later.

The lack of satisfactory explanations for multiplication mechanisms of dislocations was one of the major problems in the theory of plasticity. Either new dislocations must be created during slip, or a dislocation must be able to produce large amounts of slip. This difficulty was circumvented when it was realized that a dislocation loop need not lie entirely in one plane. Whenever a dislocation loop does not lie wholly in one slip plane, any part of it that lies in a certain slip plane may sweep over the plane many times without disappearing. Sources that can supply many dislocations have been called dislocation mills. Various types of dislocation mills are described by Orowan, including the slip-deflection mechanism and the "Z-mill", a dislocation sheared through the middle, which resembles the letter Z. The present status of the problem may be summed up in the following way: Most crystals of moderate size contain flaws from which slip can start at a low stress. Once slip has started, there are numerous ways, topological or dynamical, in which new dislocations or dislocation mills can arise.

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The principle of strain hardening due to dislocations cut across by slip may be illustrated in a simple way. Consider two blocks sliding upon one another. The surface of contact is the slip plane. Now, an elastic thread (dislocation) is imagined to pierce both blocks perpendicular to the slip plane, and, if slip occurs, the upper and lower halves of the thread will be displaced correspondingly. The connecting portion of the thread which lies in the slip plane represents the connecting dislocation between the ends of the two segments. The tension of this connecting dislocation increases the shear stress required for further slip. If the number of immobile dislocations traversing a slip plane is n per unit of its area, their intersection gives rise to an additional shear stress n times greater than the force needed with one. Since the number of dislocations traversing any slip plane increases in the course of plastic deformation, the yield stress must also rise, i. e., strain hardening must occur.

If the mechanism by which n increases with increasing deformation were known, and a relationship between n and the plastic strain could be established, the rate of strain hardening due to the intersection mechanism and the corresponding stress-strain curve could be calculated. However, at present, any such calculation would require a number of highly arbitrary assumptions that could hardly be justified by any agreement of the result with observed stress-strain curves.

The intersection mechanism can explain the difficult problem of why latent slip planes, intersecting the operative slip zones, harden before they would be expected to. Another phenomenon explicable on the above basis is the Bauschinger effect in single crystals, although it now appears to be due to other causes. Another mechanism of hardening, pointed out first by Seitz⁽¹⁴⁴³⁾ and also by Nabarro⁽¹¹¹³⁾, deals with the mechanism of intersection of screw dislocations, which produces strings of vacancies or of interstitial atoms.

A newer mechanism of strain hardening, which may be of considerable importance in heavily deformed face-centered-cubic crystals, involves a type of defect known as a stacking fault*. The contribution of stacking faults to the general theory of slip, and in particular to that of strain hardening, is believed to be of great importance. A stacking fault, as its name implies, is merely an irregularity in the sequence of stacking of octahedral planes in a close-packed-cubic crystal. Calculations show that the extensive development of stacking faults can occur only at fairly high applied stresses, in a strongly distorted state of the crystal. The effect of intersecting slip upon a stacking fault is to generate two mixed edge-screw dislocations, which move apart as the intersected edges of the fault move apart by slip. No slip across the fault can occur until the shear stress is high enough to produce these two dislocations and move them apart. This process probably requires the piling up of dislocations at the stacking fault before it can be broken through.

*W. T. Read, Jr., Dislocations in Crystals, McGraw-Hill Book Company, Inc., New York (1953), 110-113.

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If a strongly cold-worked face-centered-cubic crystal contains several intersecting sets of stacking faults, it will be strain hardened in a way that resembles Taylor's theory of hardening. The difference is that the obstacle walls are not pre-existent, but are generated by slip, and that they are not impermeable to slip, but can be penetrated at a sufficiently high stress. Furthermore, it is not necessary to assume the piling up of dislocations in the cells between the fault walls, as in the Taylor theory; intersecting walls of stacking faults could produce internal stresses high enough to explain the observed yield stress. It should be repeated, however, that hardening by the intersection of stacking faults is likely to be important only in strongly deformed face-centered-cubic metals. Under these conditions it may be the dominant factor in hardening.

An ambitious attempt to explain theoretically the dislocation processes governing the plastic properties of close-packed metals was undertaken by Seeger⁽¹⁴²⁵⁾ in 1957. He stated that the present state of the theory would permit only a semiquantitative interpretation of the experimental facts. Furthermore, there would be no attempt to derive the stress-strain curve of a crystal from first principles because of the complexity of dislocation patterns and behavior. Rather, the goal of devising a theory of cold work and work hardening would be directed toward finding the fundamental processes hidden behind the individual behavior of crystals.

The first step in a theory of work hardening is to develop a theory of flow stress, i. e., to determine the resolved shear stress, τ , under which extensive plastic flow in an unstrained crystal begins. The next step is to determine how the dislocation arrangement changes with strain, and, in some cases, with time. Combining this with the theory of flow stress gives the slope $\theta = d\tau/d\epsilon$ of the stress-strain curve as a function of strain, ϵ , and strain rate, $\dot{\epsilon}$; i. e.,

$$d\tau/d\epsilon = \theta(\epsilon, \dot{\epsilon}) \quad (4)$$

The equation of the stress-strain curve, $\tau = \tau(\epsilon)$, for a given strain rate is obtained by integration. Equation (4) is considered to be the fundamental relation of the theory of work hardening. It should be noted here, however, that Equation (4) is incorrect because the slope of the stress-strain curve is not determined by the instantaneous values of strain and strain rate. Also, integration of Equation (4) cannot give the equation of the stress-strain curve.

The program outlined above by Seeger cannot be carried through completely because of insufficient knowledge. However, the individual features of the dislocations in various metals, even though different, can be rationalized, at least for the face-centered-cubic metals. This is done in terms of the magnitude of a single quantity, namely, the stacking-fault energy, γ . The dislocations with which we are mostly concerned are "extended" ones, and the degree of extension is determined by a quantity containing γ . The stacking-fault energy, γ , is defined as the surplus free energy of a stacking fault of unit area. Theoretical arguments based on the increase in energy

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of the conduction electrons and measurements of the energy of coherent twin boundaries give order-of-magnitude estimates of the stacking-fault energy and show rather good agreement.

The "surface tension" of the stacking-fault energy opposes the elastic repulsion between the partial dislocations and binds them together at a finite equilibrium distance. The dimensionless parameter that determines the equilibrium extension is $\gamma c/Gb^2$, where G is the shear modulus, c is the separation between neighboring glide planes, and b is the distance between neighboring atoms in the glide plane. If the parameter is larger than 10^{-2} , the metal is considered to have a high stacking-fault energy (e. g., aluminum) and the partials are close together; if less than 10^{-2} , the stacking-fault energy is considered to be low (e. g., copper), and the partials are well separated.

Next, Seeger turns to an account of the principal experimental results on stress-strain curves of face-centered-cubic single crystals. The results can be summarized in terms of three separate regions of the stress-strain curve. There may, or may not, be a region of easy glide (Stage I), depending on the crystal orientation and the impurities present. Most characteristic for these crystals is the stage of rapid work hardening (Stage II), which follows the easy-glide region. In this region, the ratio of the work-hardening coefficient to the shear modulus is practically independent of the applied stress and temperature, not very dependent on the crystal orientation, not sensitive to the impurity content, and of the same order of magnitude for all face-centered-cubic metals. The understanding of the rapid work hardening in this stage seems basic to an understanding of the plastic deformation of face-centered-cubic metals. At larger strains (Stage III), the slope of the stress-strain curve diminishes with increasing strain. The stress, τ_3 , at which this stage begins depends markedly on temperature and on a kind of "dynamic recovery" - a term coined by Diehl to emphasize the effects of temperature during deformation.

The explanation of the easy glide observed in Stage I is that no Lomer-Cottrell dislocations, a particular form of immobile dislocation, are formed in some crystal orientations, permitting unperturbed easy glide. Easy glide is assumed to take place primarily in only one glide system, but there may be some dislocation movement in other glide systems. Most dislocations during easy glide slip out of the crystal and only a small fraction is held to contribute to work hardening. The Lomer-Cottrell dislocations act as obstacles to the glide of screw dislocations. In other orientations of the crystal, the resolved shear stress in certain secondary glide systems is large enough to result in some Lomer-Cottrell dislocations being formed, and, with increasing plastic deformation, the slip distance in all directions is limited by Lomer-Cottrell dislocations. Stage II, rapid work hardening, is fully developed if Lomer-Cottrell dislocations of all (three) types possible in the primary glide system are formed in significant numbers. The linearity of Stage II is explained as a result of continued formation of

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Lomer-Cottrell barriers. This gives rise to a decrease of the slip distance with increasing strain and to small dislocation groups of essentially constant size, piled up against the barriers and distributed randomly. The geometrical arrangement of the groups is thought to be more or less statistical, in a pattern such that groups of opposite sign stabilize each other to some extent. As a consequence, the flow stress is proportional to the density of dislocations intersecting the glide plane. It should be noted here that the very fact that stacking-fault formation does not occur in this picture shows how very special the assumed mechanism is. In all probability, Lomer-Cottrell dislocations are only one of many types of obstacle produced by deformation.

The general picture of the dynamical recovery occurring in Stage III starts with the dislocation arrangement built up in Stage II (which is essentially independent of temperature and strain rate). At a sufficiently high stress and temperature, the dislocations can undergo processes that had been suppressed at lower stresses and temperatures. For example, they may allow the dislocations to climb around obstacles that held them up in Stage II; another possibility is that these processes enable some dislocations of opposite sign to annihilate each other and to reduce the internal stress fields. This results in a reduction of the work hardening.

Although the work-hardening coefficient decreases, this effect is merely one of superposition on the continuing hardening process from Stage II. The flow stress is found to be composed of the temperature-dependent contribution, τ_s , of the dislocation forest and the temperature-independent contribution of the stress fields of the dislocations lying in the primary slip plane, τ_G . The increase in the flow stress, i. e., the hardening of the primary slip systems, is mainly due to the increase in τ_G , rather than in τ_s .

This general discussion of the stress-strain curve, although couched primarily in terms of face-centered-cubic metals, is applicable to hexagonal close-packed metals and alloyed single crystals, when their specific characteristics are considered. Although instances of discrepancies from this general treatment may arise, they can be accounted for, except when the data are as yet too limited to permit any clear-cut explanations. Seeger's picture drawn for the hardening mechanism still lacks certain details. They can best be filled in by theoretical and experimental studies of additional properties of the deformed crystals.

Alloy Hardening

So far, the most promising approach to an understanding of hardening in alloys is one employing dislocation models. The "hardening" considered in this section will include that due to alloying in single-phase solid solutions and not that due to particle effects in polyphase alloys. Actually,

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depending upon the degree of dispersion, these two cases can be treated from a common point of view, and this will be done whenever applicable.

There is at this time no theory that will permit, a priori, the prediction of mechanical properties of an alloy; the available theories are actually rather primitive, since direct observation of dislocations is still rather limited. Theories cannot predict, nor explain fully, the effects of temperature, stress, or chemical species on strength properties. However, there are certain general trends, confirmed experimentally, available to guide theoretical developments. These behavior patterns may be listed as: (1) the addition of a second element to a pure material almost always increases its strength; (2) the strength increases with increasing amount of the added element, then may decrease later; and (3) the scale of dispersion of a second phase has an effect on the strength of an alloy.

The more important dislocation theories of alloy hardening may be considered on the following basis:

- (1) Those theories that assume that solute atoms cause internal stress in the matrix, and that hardening is due to the resistance that these stresses offer the movement of dislocations
- (2) Theories that are based on interactions between solute atoms and dislocations
- (3) Theories in which the passage of dislocations is hindered by discrete aggregations of atoms, inclusions, or particles.

The basic treatment upon which theories assigned to Section (1) above are based is that due to Mott and Nabarro⁽¹¹⁰⁰⁾, as modified later by Mott⁽¹⁰⁸²⁾. The case considered is that for which the wavelength, Λ , of the internal stress field, σ_i , is small compared with the limiting radius of curvature of the dislocation. The local stresses around dissolved atoms have a "wavelength" $\Lambda \approx \frac{d}{c^{1/3}}$, where d is the interatomic spacing and c is the solute concentration. In this case, the dislocation is hardly bent by these local stresses, so that the appropriate average value for the internal stress turns out to be

$$\sigma_i \approx G\epsilon c \log(1/c), \quad (5)$$

where ϵ is the strain around the dissolved atoms, and the other terms are as before. The length of the dislocation line is estimated from the relative magnitudes of the amplitude of n^2 loops of the dislocation line and the wavelength of the stress field. The positions of equilibrium of the dislocation line occur at intervals of about Λ in the solid solution. From statistical

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considerations of the force on single loops of the dislocation line, an equivalent uniform stress, σ_i/n , is derived for the dislocation line. This stress should be the zero-point yield strength, σ , of the material. Substituting for σ_i and n , the approximate expression is obtained:

$$\sigma \approx 2.5 Gc^{4/3} c \quad (6)$$

for solutions with solute concentrations varying from 0.001 to 0.01.

The equation predicts a stronger solution-hardening effect than is observed experimentally, and this may be due to an underestimation of the length of the coherent piece of dislocation. In their earlier treatment, Mott and Nabarro assumed a much greater length, which leads to a smaller yield strength

$$\sigma = Gc^2 c \quad (7)$$

There is some evidence that the hardness of polycrystalline solid solutions changes as the square of the change of lattice spacing, but this relationship is not always clearly defined. Some of the disagreement between theory and experiment can be explained on the basis that a valency effect exists in addition to the size-factor effect. Thus, it has been shown that solute atoms whose valencies differ from that of the solvent have a greater hardening effect, for the same size factor, the greater the difference in valencies.

Theories pertaining to Section (2) above are based on interactions between solute atoms and dislocations. There are at least four important types of interactions that are found between solute atoms and dislocations. They are called, after Cottrell(295), elastic interaction, electrical interaction, chemical interaction, and geometrical interaction. When a solute atom replaces a solvent atom in a substitutional solution, or enters a vacant site in an interstitial solution, the hole it enters may be the wrong size or shape. Work must be done to alter the dimensions of both the hole and the atom; and, if a stress field alters the dimensions of the hole, the work done in inserting the atom may also be altered. Calculations of this interaction for the case where the dislocation provides the stress field have been made for several cases(110,933).

Mobile solute atoms will drift, in the presence of an inhomogeneous field such as the stress field of a dislocation, toward those places where they have lowest energy. The segregation produced in this way is an equilibrium state of distribution for the solute atoms, since its formation involves a lowering of the free energy of the system. One of the more important theories stemming from the segregation of solute atoms around dislocations is the theory of the sharp yield point due to Cottrell(286).

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Under an external force a dislocation surrounded by an atmosphere of solute atoms starts to move and leave the latter behind. A force is then exerted, pulling the dislocation back to its original position at the center of the atmosphere. If the applied force is less than this anchoring force, the dislocation cannot move. The dislocation can move, however, if the atmosphere moves with it, but only at a speed equal to the speed of migration of the solute atoms in the atmosphere.

In many cases the rate of straining is too high or the temperature is too low for the atoms to keep up with the dislocation. However, to produce plastic flow, the dislocations must first be pulled away from their atmospheres, and to do this the applied force must exceed the anchoring force. Because of the strong affinity between a dislocation and its atmosphere, this applied force will be larger, in many cases, than the force needed to keep the dislocations in motion once they have escaped from their atmospheres. The material can then exist in either of two conditions - the strain-aged condition or the overstrained condition. In the former case, the dislocations are anchored and the deformation is purely elastic, whereas in the latter case, the dislocations are free to move. The conversion from the first to the second condition coincides with the beginning of plastic deformation in the material. When the dislocations escape from their atmospheres, the force needed for movement is smaller, so the material suddenly becomes softer and yields under a decreasing stress at the beginning of plastic deformation. This is the explanation of the phenomenon of the sharp yield point observed in body-centered-cubic metals with certain impurities, notably carbon or nitrogen.

The theory has been applied quantitatively to the yielding of iron containing carbon or nitrogen(302), and has stimulated the investigation of yielding in other metals. In spite of several modifications to the theory(289), some discrepancies are apparent, as Orowan has pointed out(1189), and some experimental contradictions have arisen (see discussion to Reference 289). However, the basic ideas appear to be widely accepted and applied to many diverse phenomena. Schoeck and Seeger, in a paper presented at the Fall Meeting of the Metallurgical Society of the AIME, in October, 1958, proposed an alternate mechanism of interaction based on the Snoek effect, which had been applied to the yield phenomenon previously by Nabarro(1109) and Crussard*. Here, the interstitial atoms jump to neighboring sites that are now preferred because of the stress field of the dislocation. These jumps can take place in times that are orders of magnitudes smaller than it would take to form Cottrell atmospheres. Excellent experimental verification is claimed for the magnitude, temperature dependence, and concentration dependence of the flow stress calculated from this model.

*C. Crussard, Métaux et Corrosion, 25 (1950), 203.

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Electrical interactions, between a solute atom and a dislocation, are known to play a strengthening role in metals, and calculations have been made of the interaction effects(306). A comparison of electrical and elastic interactions shows, in alloys of copper, that the latter are 3 to 7 times larger than the former. So, unless the effective charges on solute atoms are substantially larger than the values used in the calculation, the electrical interaction is relatively unimportant, except possibly at the center of a dislocation.

Chemical interaction is the name of the mechanism suggested by Suzuki(1546) to account for the heterogeneous distribution of solute in faulted and unfaulted regions. The heterogeneous distribution of the solute atoms results in a hardening atmosphere, similar to the Cottrell atmosphere in body-centered-cubic metals. In a face-centered-cubic solid solution, thermodynamic equilibrium will in general require the concentration of solute to differ from that in the close-packed hexagonal structure of the faulted layer. From consideration of the free-energy curves of the matrix and the faulted material, and assuming that the proportion of the phases remains fixed, the equilibrium concentrations can be found. Cottrell has extended Suzuki's theory by removing the constraint on the proportions of the phases. Further experimental verification of Suzuki's theory has been obtained by Hibbard(683) and Flinn(451). His theory appears to be an important extension of the ideas on interactions of dislocations.

The fourth type of interaction with dislocations is called "geometrical interaction", and is associated with the presence of a dislocation in an ordered alloy. The interaction is a result solely of the slip displacement caused by the dislocation. In a crystal with long-range order, a unit perfect dislocation in the lattice of atomic sites is only a half-dislocation in the superlattice. It must therefore always be attached to a stacking fault in the superlattice, i.e., to an antiphase domain boundary. The fault has surface tension due to the energy of its "wrong" bonds and it exerts a force on the dislocation line at its boundary. Quantitative aspects of the hardening expected from this source have been discussed by Ardley and Cottrell(43). For the β -brass superlattice, the stress to move a dislocation would have to be about 3×10^9 dynes/cm².

The motion of dislocations through short-range ordered solutions has been discussed by Fisher(435). Since there is no superlattice in these, unit dislocations in the lattice of atomic sites are perfect and there are no long-range faults to pull these dislocations in pairs. However, because the distribution of neighboring atoms is not random, the passage of a dislocation along a slip plane will destroy the short-range order between the atoms across the plane. As in the case for long-range order, the stress, τ , to move the dislocation is given by

$$\tau = \gamma/b \quad (8)$$

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where γ refers to the energy, per unit area of the plane, associated with the degree of order across it, and b is the length of the Burgers vector. Although γ is smaller for short-range than for long-range order, in an alloy with intense short-range order the stress to move dislocations can approach the magnitude of 10^8 dynes/cm². Both types of ordering should play a definite role in the development of a theory of hardening, but the magnitude of their effects is not expected to be too important.

Precipitation Hardening

The third major subdivision of dislocation theories pertaining to alloy hardening deals with precipitation hardening, or the hardening associated with hard, discrete particles. Two papers by Mott and Nabarro(1100,1101) have provided a detailed treatment of solid-solution hardening and precipitation hardening, i.e., of cases where the solute atoms are dispersed at random, either singly in solution or as clusters in precipitates. Later, these authors emphasized that the dislocation line passing through the alloy is flexible(1074,1107); it is akin to a stretched string, which vibrates and radiates elastic energy as it moves and is "plucked" by the solute atoms as it passes. The amount of energy dissipated by the plucking process depends on the distribution of the solute atoms and increases when they are clustered together, as in precipitates. Orowan pointed out* that, when the distance between clusters increases beyond a certain range, it becomes possible for sections of the dislocation line to bulge between neighboring clusters and then expand into the slip plane on the other side, thus bypassing the clusters. For a fixed composition, there is thus a critical distance between clusters at which the hardening is greatest, as is observed in precipitation-hardening alloys. Theory gives the distance as typically about 50-atom spacings, which is reasonable.

The approach adopted by Mott and Nabarro in their theory of dispersion hardening was based on residual stresses. The stresses are considered to arise from the misfit of the precipitate in the matrix and the resultant elastic accommodation. The dislocations producing slip must be pushed through those regions in the slip plane where the stress is adverse to their motion. They estimate the average magnitude of the stress and identify this with the yield stress due to the precipitate.

The value of the stress, σ , is

$$\sigma = Gcf \quad (9)$$

*E. Orowan, Discussion in Symposium on Internal Stresses in Metals and Alloys, Institute of Metals, London (1948), 451-455.

where G is the rigidity modulus, ϵ is the resultant strain in the precipitate, and f is the volume fraction of the solute atoms in the alloy. The implication in their original theory is that the dislocations may pass completely through the precipitate particles, but later work favors the idea of flexible dislocations, mentioned above.

For the case where the radius of curvature of the flexible dislocation, ρ , is approximately equal to the mean spacing of the precipitate particles, Λ , the argument is that each segment of the dislocation of length Λ must be separately forced through the local adverse stress regions between the precipitate particles. At this stage of hardness, the relation describing the critical dispersion is given as

$$\Lambda \approx b/\epsilon f \quad (10)$$

Several criticisms can be directed at this theory in its present state⁽⁶⁴⁵⁾. In the first place, this method would require that the strength remain high at the value $G\epsilon f$, even when the spacing exceeded the critical spacing. This is contrary to the customary behavior. Furthermore, this residual-stress theory is too qualitative, since it is rather difficult to assign values to the parameters. Also, Equation (9) must be judged deficient from the value of ϵ which is necessary for a sufficiently large yield stress at maximum hardness.

Orowan* proposed a particularly simple and straightforward method for computing the yield stress due to precipitates in terms only of the spacing of the particles. He considered that dislocations would be held up by internal stresses at precipitate particles and that it would be necessary to force them between the particles. Loops of dislocations would then be left encircling the precipitate particles as the dislocation line moved past them. The yield stress estimated from this model is

$$\sigma = 2Gb/\lambda \quad (11)$$

where λ is the spacing between two particles (or obstacles) and the other terms have the same meanings as before. Orowan concluded that, since λ increases with increased aging time, this might explain the decrease in yield stress of overaged alloys. Equation (11) is the same in form as that developed by Mott and Nabarro; however, the assumptions and interpretations are distinctly different. One important distinction is that the Λ of Equation (10) represents the length of an independently mobile dislocation segment, and belongs essentially to a two-dimensional picture, whereas the λ of Equation (11) is the spacing between particles in three dimensions. Orowan's treatment implicitly denies the validity either of Equation (9) or of its interpretation as the yield stress and replaces Equation (9) with

*E. Orowan, loc. cit.

Equation (11) entirely. However, the applicability of the Mott-Nabarro criterion of a dislocation being forced across a region of adverse internal stress (which is really G. I. Taylor's original idea) is not denied. At sufficiently high internal stresses, the Taylor-Mott-Nabarro criterion (yield stress = adverse internal stress) would apply, although not in the form of Equation (9).

A minor extension to Orowan's theory was suggested by Geisler to the effect that coherency strains around particles make the effective spacing smaller. Orowan's theory can then be applied over the entire hardening range, instead of only in the overaging range. The drop in yield stress at early aging times is explained on the basis that λ is larger because of the smaller amount of precipitate available. The calculated yield stress at maximum hardness agrees in order of magnitude with that observed. Also, the yield stress in the overaged region is of the same order as in the solid solution, as would be expected.

Another theory of dispersion hardening was advanced by Fisher, Hart, and Pry⁽⁴⁴³⁾. However, in this case, they are concerned with incremental strain hardening, and not the yield strength, as in the previous two theories. They show that an appreciable hardening increment is obtained, as a result of strain, due to the stresses from trapped dislocation loops around particles, as originally described by Orowan.

The loops encircling the precipitates are shown to exert a shear stress on the rest of the surrounding slip plane, which stress is of opposite sign to that which caused the slip. By certain simplifications, the final expression for the maximum value of the stress increment is obtained,

$$\tau_h = K\tau_c f^{3/2} \quad (12)$$

where K is a constant, τ_c is the limiting shear strength of either the precipitate or the matrix, whichever is weaker, and f is the volume fraction of the precipitate. Some agreement with experimental results was claimed, but actually the data used, for particle radii and volume fraction, were calculated and not measured. Under its present state of development, this theory seems in need of further clarification.

Creep

Creep may be defined as the plastic deformation that can occur under a constant applied stress. It is an important part of any study of plastic deformation, and is not, as sometimes thought, confined only to high temperatures. In discussing theories of creep, we will be concerned primarily with dislocation theories that explain macroscopic behavior in terms of the structural processes on an atomic scale. There are two main processes to consider: transient creep and viscous creep. The former is a

decelerating component, the rate of which depends on the applied stress and disappears with time; the latter is a constant-rate process that depends primarily on the applied stress. This important distinction was made clear by Andrade(22) in 1914. The term "steady-state creep", however, is ambiguous in that either viscous or transient creep may appear to be a steady-state creep. Normally, the term "steady-state creep" is meant to apply to viscous creep.

The basis upon which all formal theories of creep have been built was laid down by Becker(89), starting in 1925. Becker's purpose was to use thermal stresses for explaining the discrepancy between the high theoretical value and the low observed value of the yield stress. The contributions of Orowan(1182) led to the present activation theory of transient creep, and the main ideas embodied in this treatment are:

- (1) At the beginning of creep, the applied stress is equal to the yield stress, so the activation energy is vanishingly small. This is the reason for an infinitely high initial creep rate, even at the lowest temperatures.
- (2) The flow rate during creep is limited because thermal fluctuations are needed to supply the difference between the applied stress and the yield stress.
- (3) As the creep strain increases, the yield stress also increases, rising progressively farther above the applied stress, and the activation energy increases accordingly. The increasingly large thermal fluctuations that are thus needed cannot be accomplished as frequently as the small ones that were sufficient earlier, and the rate of flow slows down. If a stage is reached where the yield stress no longer rises, the activation energy becomes constant and steady-state creep is observed.

Becker proposed the following formula to relate the creep rate, $\dot{\epsilon}$, with the stress, σ , and temperature, T :

$$\dot{\epsilon} = C \exp \left[- \frac{V(\sigma_0 - \sigma)^2}{2GkT} \right], \quad (13)$$

where C is a constant, σ_0 represents the theoretical yield stress of the crystal, and V is the volume in which a stress fluctuation occurs. Equation (13) does not represent viscous creep; Becker emphasized very sharply that this is an entirely different process of atomic rearrangements ("amorphous plasticity"). For this reason, it cannot explain the transient component of creep, the rate of which falls from infinitely large to zero in the course of time at constant stress and temperature. The deceleration occurs because of strain hardening or some other progressive change of the material during flow.

Orowan(1182) introduced strain hardening into Equation (13) by assuming that σ_0 increases during deformation by an amount $\phi(\epsilon)$, which is a function of the strain, ϵ ; the revised formula gives

$$\dot{\epsilon} = C \exp \left[- \frac{V(\sigma_0 + \phi(\epsilon) - q\sigma)^2}{2GkT} \right], \quad (14)$$

where q is a stress-concentration factor. Equation (14) was subsequently found to be unsatisfactory, and this was attributed to the failure of the "mechanical equation of state", of which Equation (14) is a special case.

At the present time(1191), the mechanism of creep is held to be as follows. Although the details of the mechanism are not yet clear, there is no doubt that transient creep is a consequence of thermal vibrations, superimposed on a sufficiently high applied stress, which result in slip. During further creep, the material hardens and thermal vibrations are then less and less frequently able to produce local slip; this is the cause of the gradual disappearance of transient creep. The applied stress must always be high enough to cause at least a small amount of sudden plastic strain before transient creep can be observed - and this is why transient creep occurs even at the lowest temperatures. Then, if the applied stress is sufficient to cause slip without any thermal contribution, additional local slip can occur, at points where the applied stress is not quite high enough, by means of very slight thermal fluctuations.

Viscous creep is believed to be produced by at least two different mechanisms, and often the two act simultaneously. The first type of viscous creep is called recovery creep. After the load is applied, the rapid plastic deformation produces strain hardening, which raises the yield stress to the level of the applied stress and thus resists the load. However, at a high enough temperature, thermal recovery gradually reduces the strain hardening. In order to carry the applied load, therefore, the material must strain harden further until the amount of strain hardening lost by recovery is replaced. This means that additional plastic strain is continually required to make up for the strain hardening removed by recovery.

The second important type of viscous creep is due to sliding between the grains of a polycrystalline metal when a stress acts at a sufficiently high temperature. At low temperatures, the grain boundary is a strong part of the structure; it resists the slip in the grains. At high temperatures, however, the boundary becomes soft and viscous and is an element of weakness. Of course, this aspect of the creep process is bypassed when single crystals are dealt with, which may be necessary for purposes of simplifying the experimental and theoretical problems.

Mott and Nabarro(1101) used the elastic properties of dislocations to develop a theory of creep exhaustion - that is, creep in which the slowing down of the extension is due to the exhaustion of easily moved dislocations. They point out that dislocations move in a potential field that changes during

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work hardening and stress application, and that the internal stresses that must be overcome for plastic flow are primarily determined by the energy a dislocation must acquire to pass a precipitate particle. They thought that the potential field should undergo less change with strain in age-hardened materials, which should be simpler to work with, providing, of course, that no metallurgical changes occur during the creep test.

Their analysis indicates that the average distance between precipitated particles is of prime importance. The dislocations will be retarded by the particles but will advance beyond the particles in the regions between them, giving rise to a wavy dislocation. The wavelength of the dislocation line would be equal to the distance between particles. An approximate calculation of the energy, $E(\sigma)$, required to activate one loop of the dislocation, so that it could escape from the particle that anchors it and thus move freely forward until another particle is encountered, is given by

$$E(\sigma) = C (\sigma_i - \sigma)^{3/2}, \quad (15)$$

where σ_i is the internal stress. The exponent $3/2$ arises from the assumption that the internal stress field is sinusoidal rather than constant, as was assumed in the Becker-Orowan theory. The creep rate works out to be

$$\dot{\epsilon} = Na\Delta p\nu \exp\left[-\frac{C(\sigma_i - \sigma)^{3/2}}{kT}\right], \quad (16)$$

where N is the dislocation density; a is the elongation per unit slip process; Δ is the distance between precipitated particles; p is a multiplicity factor to account for an avalanche of dislocations; and ν is the frequency of oscillation of a dislocation loop. It was found that experimental values of yield strength were not in accord with predictions based on Equation (16). Mott and Nabarro concluded that the internal stress must be dependent on temperature.

Since σ_i is not necessarily constant, but may represent a range of values, the initial part of the creep curve could be accounted for by the theory, because regions requiring low stresses to activate dislocations would gradually be exhausted as the strain proceeded. The exhaustion theory of transient creep based on this concept gives

$$\dot{\epsilon} = C T^{2/3} (\ln \nu t)^{2/3}, \quad (17)$$

where ϵ is the strain and t is the time.

The exhaustion theory was further developed by Mott(1082) and compared with the results of Davis and Thompson(339) on precipitation-hardened polycrystals of copper with silver. The data conformed closely with the time law expressed in Equation (17), but a serious discrepancy was noted in the value of ν , the frequency of vibration of a loop of dislocation against its obstacle. Orowan(1188) pointed out the theoretical insufficiency

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of the exhaustion type of theory, which was later recognized by Mott(1086), who said, "...following Orowan, we consider that exhaustion creep, though it may occur, will mainly be included in the instantaneous extension: the phenomena observed... by Davis and Thompson occur because creep is slowed down due to work hardening".

With the further development of the dislocation theory, more and more details of plastic deformation could be explained. It now seems possible(1396) to give a detailed structural interpretation of the different processes that are rate controlling during creep in simple structures and in the early stages of creep. Since creep is thermally activated, those deformation processes will be considered in which thermal activation takes place and which may be rate controlling. With respect to dislocation mechanisms, there are three possibilities conceivable in which this could be the case. The rate-controlling process can be

- (1) The formation of dislocations, or
- (2) Their movement through the lattice, or
- (3) Their rearrangement or annihilation in a recovery process.

The formation of dislocations has been a major problem in dislocation theory of plastic deformation. Now, it is generally believed that dislocations are always present and that they form three-dimensional nets in annealed metals. The dislocation segments between the nodes of the net are potential Frank-Read sources, which can produce a large number of dislocation loops under a critical stress. Since thermal fluctuations over the distances the dislocation loop has to move are extremely unlikely to occur, only those sources can operate for which the applied stress is practically equal to the critical stress. Therefore, the production of dislocations will generally be an athermal process, although there are certain cases where secondary processes, which are thermally activated, may make the formation of dislocations possible from Frank-Read sources(293, 1546). Early theories based on the generation of dislocations were proposed by Kochendörfer(817) and Laurent(911), but did not obtain popular acceptance because other mechanisms appear more likely to be rate controlling. Their theories have the merit that most of the important variables were considered, whereas other theories tend to be oversimplified.

The movement of dislocations through the lattice can be impeded by a wide variety of obstacles, and many explanations are available to explain different experimental observations. Some of these have been discussed previously, so will not be dealt with again.

A dislocation encounters a frictional resistance to movement, even in a perfect lattice. This Peierls force(1250) is relatively slight in soft metals and is usually neglected, although it has been tentatively identified

with the low activation energy for creep in aluminum single crystals below 400 K(379). In harder crystals, however, it is in many cases the high value of this frictional stress that makes a hard crystalline material hard. There are essentially three other types of obstructions that are important in hindering dislocation movement: the stress fields of other dislocations in parallel glide planes; the forest of other dislocations that the moving dislocation has to cut and the jogs formed thereby; and the impurity atoms that are dragged along by the dislocation.

The stress fields in the first type above interact with one another at fairly long range, whereas in the second type the characteristic feature is that they exert no long-ranged force on the moving dislocation. Thermal fluctuations in the first type of obstruction generally do not help to overcome the internal stresses, whereas, in the second type, thermal activation can contribute considerably toward the intersection process. Also, the activation energy to intersect obstacles should decrease linearly with the applied stress. The third possibility of impeding moving dislocations by interaction with impurity atoms or point defects has been discussed previously. Movement by this process is helped by thermal fluctuations.

The discussion of rate-controlling processes during plastic deformation leads next to a consideration of the recovery process(216). In the preceding paragraphs, the movement of dislocations in their glide planes was described. During deformation, the crystal work hardens and finally all of the dislocations may get stopped at some obstacles. If the back stress of the piled-up groups on the Frank-Read sources is high enough to prevent further formation of dislocations, deformation will stop, unless the applied stress is increased or unless recovery takes place. This recovery can be due to a rearrangement of dislocations whereby a reduction of the internal stresses may be obtained or to an actual annihilation of dislocations by the combination of two of opposite signs. For this to happen, the dislocations must leave their glide planes, and this is done differently by edge and screw dislocations. The edges can leave their glide planes by climb(1081) and the screws by cross slip(1085).

The movement of an edge dislocation perpendicular to its glide plane is called climb. To move in one direction, the dislocation absorbs vacancies, and to move in the other, it gives off vacancies (or absorbs interstitial atoms). Since these defects must diffuse away, climb can be observed only at temperatures where self-diffusion occurs with reasonable speed. On the other hand, no diffusion is necessary for a screw dislocation to escape from its glide plane, since it can escape by cross slip (i. e., slip from one slip plane to another). The dislocation-climb hypothesis of recovery seems very far from certainty. The climb process is very likely to be a factor, but it may well be a relatively secondary factor.

Another recovery process has been proposed as a possible explanation of "work softening"(308) in face-centered-cubic metals. The sessile

dislocations described by Lomer and Cottrell(288) cannot move and therefore form obstacles for the glide movement of other dislocations in the same glide planes. There exists the possibility that these sessile dislocations, which stop piled-up groups of dislocations, may break down under the combined action of stress and thermal fluctuations, having the same effect as a recovery process.

In the preceding sections, possible rate-controlling processes during creep were examined. There are thermally activated deformation processes that can be rate controlling during creep; on the other hand, the movement of a dislocation itself can be thermally activated; furthermore, recovery processes may be rate controlling. At high temperatures, viscous creep is controlled by self-diffusion-type processes; at low temperatures, it does not exist. At low temperatures, only transient creep exists, and its mechanism is some kind of slip activation, without diffusion being essentially involved. In the following paragraphs, some of these processes will be examined in terms of their application to actual theories of creep, or to specific mechanisms in the cases where theories do not exist.

The primary structural change observed during creep of pure metals at high temperatures consists of subgrain formation. With increasing deformation, the angle between the subgrains increases, whereas the dislocation density in the grains stays constant. In viscous creep, the subgrains obtain an equilibrium size and no work hardening occurs. Another feature of viscous creep is the equality of activation energies for creep and self-diffusion.

Dorn(376) has proposed an expression to describe the observed stress and temperature dependence of the creep rate;

$$\dot{\epsilon} = C_{\text{exp}} \left[-\frac{\Delta H_d}{kT} \right] \phi(\sigma) \quad (18)$$

where $\phi(\sigma) = C' e^{\beta \sigma}$ at high stresses, and $= C'' \sigma^\alpha$ at low stresses, and ΔH_d is the activation energy for self-diffusion. Polygonization is explained as the climb of dislocations out of their slip planes and the formation of small-angle boundaries. If this takes place during viscous creep, the rate-controlling process is expected to be climb, which, in turn, is dependent on the rate of self-diffusion.

Theoretically, the jog energy, ΔH_j , should be included with ΔH_d , giving the activation energy for creep $\Delta H_c = \Delta H_d + \Delta H_j$. However, if ΔH_j is small compared with ΔH_d , it can be neglected, and this is generally found to be the case. Climb under creep conditions in face-centered-cubic metals is then thought to occur in the following manner: Vacancies given off by jogs will diffuse to other dislocation lines, where they become elastically attached(1415) to a half dislocation. There they will diffuse along the dislocation line with considerably higher speed until they are annihilated at a jog. If the distance between intersection jogs is comparable to the distance

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over which the vacancies have to diffuse to the dislocation line, the latter time will be long compared with the time to find a jog. The rate-controlling process will then be only volume diffusion, and hence we find that $\Delta H_c = \Delta H_d$.

Dorn's work at lower temperatures revealed the existence of discrete plateaus in the activation energies for creep in aluminum single crystals (379). Over the entire temperature range of 78 to 800 K, three plateaus of activation energy were found, which were constant over a range of temperatures, stresses, and strains. These plateaus are thought to correspond to three unique processes, which have been ascribed tentatively to three rate-controlling mechanisms: (1) the 35,500-cal/mole activation energy, obtained at the highest temperatures, is identified with a dislocation climb process; (2) the 28,000-cal/mole activation-energy process, occurring over the intermediate temperature range, is attributed to a cross-slip mechanism; and (3) the 3400-cal/mole process observed below 400 K may be identified with the Peierls energy. Similar values of activation energies were found for polycrystalline samples of aluminum, but displaced to lower temperatures. This suggests that turbulent slip in polycrystals can block the easier creep processes, forcing creep to continue by the more difficult higher activation-energy processes. Undoubtedly, this is why the more difficult creep processes are found to occur over lower ranges of temperatures in polycrystalline aluminum than in single-crystal aluminum.

The most complete analysis of viscous creep based on dislocation climb has been made by Weertman (1672, 1677, 1679). The first paper (1672) uses Mott's mechanism of dislocation climb, and makes the assumption that the rate-controlling process is the diffusion of vacancies between dislocations that are creating vacancies and those that are destroying them. The obstacles are assumed to be created by the Lomer-Cottrell mechanism. In the second paper (1677), Weertman considers the case where dislocation climb does not require the production of immobile dislocations. Instead, the pile-up is assumed to occur between dislocations in the same slip system, in the manner suggested by Mott (1093). Climb by the leading dislocation of each group will lead to their annihilation; viscous creep will occur through their continual replacement. In the third paper (1679), two processes other than dislocation climb are assumed to be rate controlling. In the first, the dislocations are considered to move in a viscous manner, with their velocity of motion proportional to the force exerted on them. The second mechanism makes use of the Peierls stress, where the motion of dislocation lines over Peierls stress hills is the rate-controlling process.

The equations developed for these particular cases have some features in common, with the creep rate being proportional to stress at a power of about 3:

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Case 1 (Dislocation climb):

$$\dot{\epsilon} = C(\sigma^\alpha/kT) \exp(-\Delta H_d/kT), \quad (19)$$

where C is a constant, $\alpha = 3$ to 4, and the other terms are as before.

Case 2 (No immobile dislocations produced):

$$\dot{\epsilon} = A\sigma^3 \sinh(B\sigma^{1.5}/kT) \exp(-\Delta H_d/kT). \quad (20)$$

Case 3a (Viscous motion):

$$\dot{\epsilon} = \sigma^3 b^2 / \mu A B, \quad (21)$$

where b is the length of the Burgers vector, μ is the shear modulus, A is a temperature-dependent constant, and B is a constant.

Case 3b (Peierls stress):

$$\dot{\epsilon} \approx D \sigma^{2.5} \exp(-\Delta H_d/kT) \exp(\pi\sigma \Delta H_d / 2\tau kT), \quad (22)$$

where τ is the Peierls stress.

Equation (19) applies particularly to face-centered-cubic metals, Equation (20) to hexagonal crystals, Equation (21) to metal alloys at low stresses, where a microcreep mechanism may be rate controlling, and Equation (22) to brittle materials having a large Peierls stress (such as in nonmetallic crystals). The results agree fairly well with the appropriate material, especially at lower stress; for example, in Equation (19) the relationship between $\dot{\epsilon}$ and σ is obeyed over about 3 orders of magnitude of the stress out of 4, whereupon $\dot{\epsilon}$ increases more steeply at higher stresses. Possible explanations for this behavior are that at higher stresses the sessile dislocations may break down or that piled-up screw dislocations may escape by cross-slip.

The comparison of Equation (22) with experiments on high-purity zinc single crystals shows good qualitative agreement at all stresses; at higher stresses the experimentally observed increase of $\dot{\epsilon}$ with σ is also seen in the theoretical curve, because of the increased importance of the exponential σ term at higher stresses.

Weertman's analyses are deficient in several respects, but these shortcomings are not necessarily permanently fatal to the theory. Such factors as primary creep are disregarded; the necessity for mechanical jogs is overlooked; node formation is neglected; and the assumption of constant Frank-Read sources is unrealistic - it does not give the observed stress dependence. More serious, perhaps, is that the currently fashionable dislocation-climb process is far from having been proved, and that theories

based on this mechanism are yet on shaky ground. Although his models need more detailed analyses, some agreement can be said to have been attained with experiment. As more pertinent experimental observations are made of the actual dislocation mechanisms, more realistic assumptions can be made in theoretical treatments.

Absolute Reaction Rate Theories

A number of creep theories have been proposed that are based on the rate theory developed by Eyring⁽⁴¹⁵⁾ and his associates. The theory of rate processes utilizes the methods of statistical mechanics and involves the concept of "activated" complexes or units, and has been successfully applied to a wide variety of chemical and physical rate processes.

Kauzmann⁽⁷⁸⁷⁾ and Dushman, Dunbar, and Huthsteiner⁽³⁹²⁾, working independently, were the first to apply rate theory to the flow of metals. In their theories, which are essentially identical, flow of metals is considered to take place by the movement of flow units in a periodic potential field. The "units of flow" are regarded as generalized elementary structures within a solid, whose motions constitute the shear process. It is assumed that, in order for two units of flow to pass one another, an energy barrier must be overcome, so that the unit shear process cannot take place unless the units of flow become activated. These theories are quite similar in final form, the logarithm of the strain rate being proportional to the stress. The difference lies mostly in the description of the flow units and other details of the postulated mechanism. Only a few representative theories will be discussed here because of their similarity.

When an external shear stress is applied, Kauzmann assumes that the activation energy for motion of units of flow in the direction of shear is lowered by an amount proportional to the applied stress, and that in the opposite direction is raised by an equal amount. The theory predicts a viscous creep rate

$$\dot{\epsilon} = CT \exp \left[\frac{-\Delta F}{kT} \right] \sinh [qA\ell \sigma / kT] , \quad (23)$$

where ΔF is the free energy of activation, q is a stress-concentration factor, A is the area of the projection of a flow unit in the slip plane, and ℓ is half the distance between two potential minima. The term $qA\ell$ must vary with temperature and stress in order to provide agreement between theory and experiments. The Kauzmann theory goes no further than the Becker theory in elucidating the mechanism of plastic flow in metals. It is worthy of note, insofar as it presents another approach to the subject, but the interpretation of various terms involved (e. g., the entropy term contained in ΔF , and $qA\ell$) is vague.

Saibe⁽¹³⁸³⁾ applied reaction-rate principles to such phenomena as creep and fracture. He obtained expressions for the creep rate, as well as for the rate of propagation of fracture cracks in metals. Seitz and Read⁽¹⁴⁴⁴⁾, Machlin and Nowick^(1137, 1138), and Feltham⁽⁴²⁸⁾ applied the Kauzmann theory to the motion of dislocations, which they specified as the units of flow. Using theoretical reasoning similar to that used by Kauzmann, Seitz and Read derived an equation for transient flow and obtained

$$\dot{\epsilon} = N\lambda^2/t \exp \left(\frac{-\Delta H}{kT} \right) \sinh (qA\ell \sigma / kT) , \quad (24)$$

where N is the density of dislocations cutting across a plane that is normal to the slip plane and extends in the slip direction; λ is the slip distance associated with the passage of a dislocation; t is the time required for the transition of an activated dislocation to pass from one equilibrium position to the next; and ΔH is the change in energy required for the unit process. The viscous flow is given by

$$\dot{\epsilon} = A \exp \left(\frac{-\Delta H}{kT} \right) , \quad (25)$$

where A is a constant. They consider the creep curve to be resolved into these two component curves—a transient and a viscous part. However, they believed at that time that there was good evidence against this type of resolution being generally applicable. Their modification of the Kauzmann theory does not lead to a satisfactory expression for the creep rate; also, values cannot be assigned to some of the terms, nor can they be determined experimentally.

The expression developed by Nowick and Machlin⁽¹¹³⁸⁾ takes into account the work hardening of the lattice that has already occurred before the steady-state stage of creep. The internal stress fields resulting from such hardening are assumed to reduce both the effective shear stress and the rate of generation of dislocations. The reduced form of their equation (as well as Feltham's) for the creep rate, under reasonably large values of stress, is

$$\ln \dot{\epsilon} = C + \ln T - A/T + B\sigma/T , \quad (26)$$

and has the same form as that derived by Kauzmann.

A theory of fracture in creep-rupture tests, proposed by Machlin and Nowick⁽¹⁰²⁶⁾, is also based on the application of the general reaction-rate theory. They assume that creep to rupture is a rate process governed by the maximum shear stress, but do not speculate as to the nature of the unit process or physical mechanism involved. An expression relating the time to rupture to the applied stress and temperature is derived and gives

$$\log t_r = \frac{A + BT - D\sigma}{T} , \quad (27)$$

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where t_r is the time to rupture, T is the absolute temperature, σ is the applied stress, and A and E are material constants. D is defined as $\log D = E + FT$, where E and F are material constants. The evaluation of the numerous material constants requires that many tests be made. The authors report that a given material may have three different sets of constants, depending on the temperature and stress and the occurrence of microstructural changes during tests. This would appear to be a severe limitation to the practical application of the derived expression.

Eyring and his school are still working in this area and have come out recently with a statistical mechanical theory of plasticity involving the virial theorem and absolute reaction rates.* Their statistical formulation for plastic deformation is based on the relative displacement of a "system of atoms". These domains or patches are displaced along a shear surface as a series of relaxations obeying a generalized absolute reaction rate equation. The interpretation of the exact nature of these domains, the cause of their creation, and the manner in which they slip are matters for conjecture, but, to conform to current concepts, they are called "dislocation domains". These dislocation domains involve the dislocation and the atoms that are associated with it in its movement from one relaxation site to another occurring during the deformation process.

The equation resulting from the application of their theory gives, at higher stresses,

$$\dot{\epsilon} = (\beta/2) \exp(\sigma/2g\sigma_m) \quad (28)$$

where $\dot{\epsilon}$ is the secondary creep rate and σ is the applied stress, β is proportional to the relaxation time and is essentially constant, σ_m is the local microstress that is influencing the dislocation domain movement, and g is related to the velocity of sound. $2g\sigma_m$ is the important variable, and its variation with tensile strength, hardness, alloying, and cold working, as well as with annealing and recovery, is claimed to conform to expected behavior. However, the objections raised with regard to the theories discussed previously still seem directly applicable to this later theory.

Thermodynamical Theories of Fracture Strength

These types of theory are based on the idea that the breaking of atomic bonds by fracture is analogous to the loosening that occurs during melting. Born(159,161) and Fürth(502,505) suggested an approach to the problem of fracture in terms of melting that is closely dependent on thermodynamic quantities. Assuming the maximum normal-stress criterion of fracture, and

*Bates, J. L., Ree, T., and Eyring, H., "A Statistical Formulation for Creep of Metals", Tech. Rep. 56, ONR, June 15, 1956.

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no plastic deformation, Fürth(502,503) developed a relation between breaking strength and the energy of melting that yields values of strength in fair agreement with those observed experimentally. His equation for the tensile strength, F , of an isotropic body at low temperatures is

$$F = Q\rho \frac{1-2\mu}{3-5\mu} \quad (29)$$

where Q is heat of melting per unit mass, ρ is the density, and μ is Poisson's ratio. Experimental data for ten metals showed agreement with theory within 7 per cent. Later, Fürth attempted to relate his theory with that proposed by Bragg(173), by assuming that the block structure in an intrinsic feature of the crystal lattice. This idea was attacked by Patterson(1232) on X-ray grounds, but defended by Wood(1717), who stated that Patterson's objections were not conclusive. Aroesta(46) points out that Fürth's results have been criticized because rupture strengths are associated with surface phenomena. By assuming that melting is dependent not only on block size, but also on the degree of atomic misfit between the blocks, Aroesta relates the theory to yield strength, which is less surface dependent. Suzuki(1545) applied a thermodynamic model to the tensile breaking strength of an internal-stress-free polycrystalline specimen at 0 K. The formula derived is the same as Fürth's.

Saibel(1379,1380,1381) has formulated a thermodynamic theory of fracture, assuming a relation between fracture and the latent heat and volume change of melting. The criterion of fracture was that of a critical strain energy per unit volume. His theory is based on the assumptions that all of the strain energy is available for the abolition of cohesive strength, the heat of fusion is uniformly partitioned throughout the material, and the energy required is that part of the energy of fusion associated with the change in volume on passing from the solid to the liquid state. Thus, the criterion for fracture can be expressed in the form

$$U = JQ \Delta V/V \quad (30)$$

where U is the strain energy per unit volume, J is the mechanical equivalent of heat, Q is the latent heat of fusion, and $\Delta V/V$ is the change in volume per mole on passing from the solid to the liquid phase. Saibel's calculations indicated that, if no plastic deformation occurs prior to fracture, the breaking strength will correspond to the value obtained from the theoretical calculations. If plastic deformation occurs, the fracture stress is reduced to the magnitude experimentally observed, and fair agreement is obtained between his calculations and the experimental values. Consequently, it was concluded that plastic flow precedes all fractures.

In a recent paper by Osipov and Fedotov(1203), it is shown that several mechanical properties of metals are related to the energy required to melt them. This quantity, ΔW , differs from that used by Fürth, and others, in that to the heat of melting is added the additional energy required to bring

the specimen from the test temperature to the melting point. Apparently, this additional energy is responsible for the good linearity demonstrated between hardness at higher temperatures and ΔW . Although this paper is not on as theoretical a level as the papers by Fürth, for example, they are close enough in principle that a suitable theory should be readily developed. Further work along this line should be instigated, since the results appear quite promising.

Whether such theories can correctly embrace the influence of metallurgical structure, by which means the strength of some alloys can be varied widely, is not apparent. It is also not clear whether the thermodynamic approach can account for the surface effects noted by Griffith(593) and others. Zener(1771) has criticized the thermodynamic criterion for fracture of metals on the grounds that the strain energy absorbed prior to fracture is dependent on test conditions and is also structure sensitive. The thermodynamic quantities are not dependent on these factors. Therefore, he believes that these theories contradict the established principles regarding fracture. The interesting findings of Osipov and Fedotov may alter these conclusions somewhat, if further experimental or theoretical justification for their results is found.

Relationships Based on Equations of State

From the engineering standpoint, the equation of state probably represents the most desirable solution to the problem of predicting material behavior. If an expression were valid that related the instantaneous values of the variables strain, strain rate, temperature, and stress, for example, then new data could be calculated for any other set of conditions or type of test. Expressions relating this particular set of variables have been called "mechanical equations of state" by Hollomon(708), in obvious analogy with the equations of state for gases or solids(391,549), examples of which are, respectively,

$$PV = nRT, \quad (31)$$

where P is the pressure, V is the volume, n is the number of moles, R is the gas constant, and T is the absolute temperature; and(1488)

$$P = P_0(T) + P_1(T) \left(\frac{V_0 - V}{V_0} \right) + P_2(T) \left(\frac{V_0 - V}{V_0} \right)^2 + \dots, \quad (32)$$

where P is the hydrostatic pressure on the solid, with V and T as before, and P_0 is the pressure that must be applied to a solid to reduce its volume to V_0 , the volume at absolute zero under no pressure. For the more complicated case where a solid undergoes stresses other than simple pressure, or strains other than a mere change in volume, the equation of state is a set

of relations giving the stress at every point of the solid as a function of the strains and the temperature.

The existence of a mechanical equation of state means that the flow stress depends only on the instantaneous strain, strain rate, and temperature, and not on their past history. The range of validity of a mechanical equation of state yet remains to be established, although data already reported cast considerable doubt that it will be very widely applicable. However, the influence of the changes on the flow properties may be sufficiently slight in some cases that the concept of a mechanical equation of state will be of some practical utility.

One of the more comprehensive critical reviews of the literature pertaining to the mechanical equation of state was written by Zener and Hollomon(1779) in 1946. Their conclusions on the pros and cons of this subject were hampered by the lack of suitable experimental evidence, and this situation has not improved materially in the intervening years.

Hollomon and Lubahn(714,715) attempted to derive a general relation for the combined effects of strain, ϵ , strain rate, $\dot{\epsilon}$, and temperature, T, on the stress, σ , required for plastic flow. They deal, in turn, with the relationships between ϵ and σ ; ϵ , $\dot{\epsilon}$, and σ ; and ϵ , $\dot{\epsilon}$, T, and σ . They then suggest that all these variables are related in the following way:

$$\sigma = CGT (\dot{\epsilon}/\dot{\epsilon}_0)DT \exp(E - FT \ln \dot{\epsilon}/\dot{\epsilon}_0), \quad (33)$$

in which the constants, C, D, E, F, G, and $\dot{\epsilon}_0$ are independent of all the variables concerned, and the strain rate and temperature are constant in arriving at that strain at which the stress is determined. At constant strain rate and strain, Equation (33) predicts that the logarithm of the stress should vary linearly with the temperature, and this behavior appears to be followed very generally. Also, the available data indicate that there are two distinct ranges of temperature in which the material constants in Equation(33) are different - i.e., a low-temperature range and a high-temperature range. This behavior suggests that there are two different mechanisms of deformation - at low temperatures, deformation occurs primarily by slip, and at high temperatures, the deformation occurs primarily by rotation at the grain boundaries.

For the case where the strain rate and temperature are not held constant during the test, the validity of the empirical relationships obtaining under variable conditions was investigated. Hollomon and Lubahn conclude that their general relation should be an equation of state in which the stress at a given strain should not depend on the past history of the temperature or the strain rate. However, they did not expect an equation of state to be valid whenever structural changes such as phase transformation and recrystallization occur, as is pointed out also by Sylwestrowicz(1561).

Many other proposals have been advanced for relating the important variables in plastic deformation. Andersen(20) introduced the time variable explicitly in his general relation denoting stress as a function of strain, time, and strain rate. He attempted to show that the phenomena of various mechanical tests conform to the laws of dynamics, and that all equations describing special testing operations are derivable from one equation. Wyatt(1735) showed that transient creep at low temperature and stresses obeyed an equation of state and confirmed this by experiment; and Graham(563) gave an expression that is a special case of the equation due to Hollomon and Lubahn. Further, he obtains an alternative expression relating stress, time, strain, and temperature that is akin to the Nutting equation(1140), generalized to include temperature,

$$\sigma/\sigma_s = \epsilon^m (t_s/t)^{nT} \quad (34)$$

where σ_s , m , t_s , and n are constants. The results of Carreker(232) with platinum were described satisfactorily by Equation (34). Equations of state for zinc single crystals in creep were reported by Thompson(1558) and Gilman(542), and Wiedersich(1697) showed that a modified form of Seeger's equation relating strain rate to temperature and stress described the data obtained by Dorn, et al., with high-purity aluminum(1603).

Many such examples as above are available in the literature. In spite of the well-known arguments against the existence of a general equation of state for solids(380, 1182), it appears that there is good experimental evidence for the validity of more limited relationships. Further work with the Boltzmann superposition theory(771) and with incremental - rather than total-strain equations may extend the validity of these equations to a point where they are of real practical use in forecasting the results of any given experiment.

Equations of state have been confirmed either at low temperatures, where recovery is not appreciable, or at high temperatures (in the absence of phase changes, etc.), where recovery proceeds rapidly along with hardening. Perhaps this line of demarcation between the high- and low-temperature regions of plastic deformation has not been drawn too clearly in formulating equations of state for solids. In any event, it appears that a mechanical equation of state represents a possibility of great theoretical and practical importance. Although the basic postulates are extremely attractive in principle, the verification has lagged in practice. The frequent reports in the literature of cases where an equation of state is obeyed over restricted ranges of variables lends credence to the idea that such an expression may exist for the more general case, could we but see it and formulate it correctly.

Empirical Relationships and Parameters

A generally valid equation of state and its experimental verification has not been obtained; however, relationships have been found in many cases over a more limited range of the variables stress, strain, time, strain rate, and/or temperature. Frequently, two variables are involved in such a way that they appear in the form of a combined function or parameter. Thus, for example, Zener and Hollomon(1778) proposed that the stress-strain relation $\sigma(\epsilon)$ in steels at low temperatures depends upon strain rate and temperature only through a single parameter P , such that

$$\sigma = \sigma(P, \epsilon) \quad (35)$$

and that this parameter has the form:

$$P = \dot{\epsilon} e^{Q/RT} \quad (36)$$

where Q is the heat of activation for the deformation process.

Other parameters can be systemized in functional notation according to the following scheme, which emphasizes the interrelationship of these expressions.

Zener-Hollomon parameter(1778)	$Z = Z(\dot{\epsilon}, T)$	Tensile tests
Hollomon-Jaffe parameter(712)	$P = P(t, T)$	Hardness tests
Larson-Miller parameters(903)	$P_1 = P_1(\dot{\epsilon}, T)$ $P_2 = P_2(t, T)$	Creep and tensile tests
Dorn θ -parameter(1341)	$\theta = \theta(t, T)$	Creep and tensile tests
MacGregor-Fisher velocity-modified temperature(990)	$T_m = T_m(\dot{\epsilon}, T)$	Tensile and creep tests
Rabotnov parameter(1300)	$P_c = P_c(\sigma, t)$	Creep and tensile tests

The Hollomon-Jaffe parameter(712) and Dorn's θ -parameter(1341) both have the form

$$P = t e^{-Q/RT} \quad (37)$$

Equation (37) was applied by Hollomon and Jaffe to the room-temperature hardnesses of steels tempered for different times and temperatures, and by Dorn to the creep strain obtained under constant stress for various combinations of time and temperature. Larson and Miller(903) proposed parameters of the form

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$$\text{and } P_1 = T (C - \log \dot{\epsilon}) \quad (38)$$

$$P_2 = T (C + \log t) , \quad (39)$$

which were derived simply from the extremely general Arrhenius rate expression,

$$\text{Rate} = \text{Constant} \exp(-Q/RT) . \quad (40)$$

MacGregor and Fisher(989,990) developed an expression, similar to that by Zener and Hollomon, in terms of a parameter T_m , termed the "velocity-modified temperature". Their derivation was based on the Kauzmann(787) analysis of the dependence of creep rate on stress and temperature. MacGregor and Fisher proposed that in general the flow stress is a function of the strain and the strain-rate-modified temperature of flow:

$$\sigma = \sigma(T_m, \epsilon) , \quad (41)$$

where T_m has the form

$$T_m = T(1 - K \ln \dot{\epsilon}/\dot{\epsilon}_0) , \quad (42)$$

where K and $\dot{\epsilon}_0$ are constants. This relation also holds for either tension tests or creep tests and over a wide range of temperatures. The similarity of Equation (42) to Equation (38) is apparent, and is also seen when Equation (36) is rearranged.

Rabotnov's parameter(1300) relates creep data to the tensile test in the form of isochronous stress-strain curves. In essence, he postulates that the tensile stress is a function of the tensile strain and a creep function P_c , such that

$$\sigma = \sigma(\epsilon, P_c) \quad (43)$$

and

$$P_c = \sigma_c(1 + at^{1/3}) , \quad (44)$$

where σ_c is the (constant) creep stress, t is the time to a selected creep strain, and a is a material constant.

These parametric relationships have been applied in many cases to creep, creep-rupture, tensile, and hardness data, and very satisfactory results have been obtained (see, for example, the discussion to Reference 510 by J. Miller). Those cases where unfavorable results were obtained(510, 869) can usually be traced to an inapplicable constant, for example, a blanket use for all materials of $C = 20$ in Equations (38) and (39). Other expressions and parameters have been proposed(1043, 1527) that appear to have only empirical significance. It is believed that the

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parametric expressions listed above offer the greatest probability of successful application to practical problems; and furthermore, through the close interconnection with the Arrhenius rate expression, they may possibly achieve a more respectable theoretical status at a later date.

Empirical expressions devised to account for material behavior under various combinations of stress, strain, strain rate, temperature, and time are extremely numerous (see Appendix C). One of the more recent empirical attempts to correlate high-temperature creep and rupture data is that due to Conrad*. For the rupture time, t_r , and the minimum creep rate, $\dot{\epsilon}_s$, he gives

$$\dot{\epsilon}_s \approx \frac{K}{t_r} \approx A \exp(-\Delta H_D/RT) \sinh[\sigma/\sigma_0(T)]^n , \quad (45)$$

where K , A , $\sigma_0(T)$, and n are constants, and ΔH_D is an activation energy for diffusion. Better fit of this expression with experimental data is claimed than with the Larson-Miller parameter, but four adjustable constants are employed versus one in the Larson-Miller expression, and in addition an arbitrary value of 20 is assumed for their constant. Under these circumstances, it is not surprising that Equation (45) should appear in the better light. Kanter(782) proposed a relation between high-temperature tensile tests such that

$$(\dot{\epsilon}/\dot{\epsilon}_0)^n = \sigma/\sigma_0 , \quad (46)$$

where n is a function of temperature, and $\dot{\epsilon}_0$ and σ_0 are constants determined at the convergence of the curves for different temperatures. Interestingly enough, he found that activation energies found by his approach are of the magnitude of the heat of melting, rather than of the heat of vaporization.

Correlations between different mechanical properties are also quite numerous (see Appendix C). Examples of these include direct, experimentally observed relationships between, for example, hardness and tensile strength or rupture strength and tensile strength. Periodic variations of strength with atomic number of solute also appear to be useful(617). However, cognizance of these relationships in the present report stems primarily from their potential practical applications, in the event the theoretical approach is not followed in any subsequent research problem. To illustrate what can be done with the variables hardness, tensile strength, and rupture strengths, attention is called to the correlation proposed by Underwood(1620). By comparing tensile and rupture strengths with hot hardnesses, at the same parameter value [Equation (39)], a straight-line

*H. Conrad, Westinghouse Research Laboratories, Scientific Paper 6-94701-1-P9, March 26, 1958.

relation is obtained between hardness and strength, which accounts also for the effects of time and temperature of test. Such correlations may ultimately be shown to have theoretical justification, but, until then, they may be used for engineering purposes. A very definite role of these various property interrelationships is to guide theoretical developments, since, in the last analysis, theory must conform to experimental observations.

EVALUATION OF THEORIES AND METHODS

From the detailed discussion given in the preceding text, it can be seen that there have been many theoretical attempts to describe the strength of metals. These theoretical attempts may be considered as falling into the following broad classifications: dislocation theories, absolute reaction rate theories, and thermodynamic theories. Because of their inability to account for specific effects, theories based on thermodynamic criteria and on absolute reaction rates are rejected as being too general to afford a basic understanding of the underlying processes occurring during plastic deformation. Therefore, dislocation-type theories are held to represent the most promising avenue for further theoretical and experimental research in this general area. However, this does not imply that early results can be expected in the prediction of material properties. A general description of the present situation is that dislocations are recognized as representing the most important element in the mechanism of plastic deformation; their properties, and the way of interaction between different dislocations, are well known, but the arrangements and interplay of dislocations in different processes are largely unknown as yet.

Having selected those theories based on the dislocation concept as the most promising, a preference rating of specific theories will be made. It is extremely difficult to subdivide theories in an arbitrary manner and then consider their parts as separate entities. However, an attempt will be made to indicate the best portions of those theories according to the organizational scheme adopted in the text.

The G. I. Taylor theory, as modified by Mott and Orowan, is believed to be the fundamental theory at the present time for explaining strain hardening. Details and interpretations have changed, but Taylor's basic ideas are still valid. Seeger, Friedel, and others have suggested improvements and have stressed new mechanisms (some of which are unproved), but these are still within the basic framework.

The theories of Mott and Nabarro, the Cottrell-Suzuki interactions, and Fisher's short-range ordering effect appear to be the most applicable to those various aspects of alloy hardening covered by their theories. There is no all-inclusive theory that is applicable to the entire subject.

Precipitation hardening is closely linked with the preceding categories, but the treatment afforded by Orowan of precipitation hardening seems to be the most realistic. The modifications and extensions contained in the Mott and Nabarro treatments, and the Fisher, Hart, and Pry theory should also be considered.

In the field of creep theories, the 1947 paper by Orowan on the thermal activation of transient creep and his 1956 paper appear to give the basic treatment. The theories of Weertman for viscous creep need modification, but follow experimental observations most closely. Numerous other contributions of merit are found in papers by Mott, Nabarro, Schoeck, and Dorn, but these also include items not applicable today, or else not firmly established.

Of the methods available for predicting strength properties, the most promising appear to be those expressions employing parameters. The Larson-Miller parameters are equivalent to the others listed in the text that relate either strain rate and temperature or time and temperature. Rabotnov's relation using a parameter for stress and time should also prove useful.

Also very promising is the periodicity, first investigated systematically by Gulyaev, of the strengthening due to solute elements as a function of their atomic numbers. Closely related to the periodic behavior are the relationships demonstrated by Osipov and Fedotov. Since both mechanical properties and latent heats in general vary with atomic number, perhaps some relationship between the two should not be unexpected.

A final recommendation of a prediction method is based on the idea of a mechanical equation of state. The success enjoyed by the parameter-type expression gives reason to hope that a more inclusive relationship may be found. The equation developed by Hollomon and Lubahn seems the most general, but may need overhauling when sufficient experimental data are obtained. The general rheological approach contained in the Graham-modified Nutting equation should also prove worthy of more extensive testing.

SUMMARY OF CONFERENCES WITH CONSULTANT, PROFESSOR E. OROWAN

In three full-day conferences with Dr. Underwood in Pasadena, in La Jolla, and in Columbus at Battelle Memorial Institute, the present status of the physical understanding of the phenomena of plasticity and strength was reviewed and separation of the comparatively secure fundamental lines from hypotheses in the workshop stage was attempted. As a side line,

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Professor Orowan read a large number of Russian papers supplied in translation by Dr. Underwood and gave written or oral comments on them. The main points that emerged from the conferences are as follows:

(1) Plasticity

The usual reason for the great discrepancy between the high molecule cohesion and the low observed yield stress of crystalline materials is the presence of dislocations. These represent the most important element of the structure of real crystals as far as their plastic behavior is concerned. The structure and interaction of dislocations are fairly well known; to understand the plastic properties of materials, however, the arrangement of the dislocations and their interplay during the process considered must be known.

The yield stress (stress required for plastic deformation after a certain preceding deformation) may be determined either by the stress required for moving dislocations in the absence of obstacles (frictional stress driving stress, Peierls-Nabarro force) or by the obstacles in the way of the dislocations. Foreign atoms in interstitial solution may be adsorbed at dislocations and anchor them to the lattice (Cottrell locking), or one type of atoms in a substitutional solid solution may be concentrated in certain parts of a dislocation, with similar effects. Such adsorption phenomena seem to be the cause of most, but hardly all, yield phenomena. The obstacles hindering the movement of dislocations may be hard precipitated particles, stress fields around them, dislocations piercing through the slip plane, sessile dislocations, stacking faults, etc. They may be overcome by the dislocation cutting through them, or by dislocation bulges being extruded between obstacles.

Strain hardening is due in general to the increase in the number of obstacles produced by plastic deformation and the increasing difficulty of driving slip across them. Its quantitative treatment will be possible only if the rate of increase of the number of obstacles during slip, as well as the exact nature of the obstacles, is known. A special type of hardening is that upon which the hypothesis of G. I. Taylor was based; it is due to the piling up of slip at relatively impenetrable barriers. Such a component is present probably in most cases of strain hardening, but its relative significance is usually small.

Solution hardening seems to have two main causes: first, the internal stresses around larger or smaller atoms that do not fit between their neighbors; second, valency or ionic types of bonding forces between neighboring atoms, which also increase the driving stress of dislocations. Precipitation hardening is due to the resistance of the precipitated particles to being cut or sheared by dislocations, and to the internal stresses in the lattice around them. Overaging is a consequence either of easier dislocation-bulge extrusion with increasing spacing of the particles or of the

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reduction of internal stresses by the breaking away of particles from the matrix. The adsorption of atoms at dislocations has been mentioned already; similar adsorption may take place at stacking faults also ("Suzuki effect").

Transient creep is due to thermal-stress fluctuations superposed on the applied stress; its slowing down with time is a consequence of increasing strain hardening. Viscous or hot creep is due to atomic-rearrangement processes of the self-diffusion type. These processes may lead to thermal softening and, under stress, to recovery creep; or to viscous flow at the grain boundaries; or to the movement of interstitial atoms or vacancies or of atoms from or into grain boundaries, all of which may give rise to viscous creep when taking place under stress.

(2) Fracture

Brittle fracture in fully brittle materials is a crack-propagation process by cleavage; it is usually governed by the Griffith equation, which is an expression of the second law of thermodynamics. If the material has some ductility, internal stresses developed by plastic deformation (e.g., where dislocations pile up) may be superposed on the applied stress and may cause cleavage fracture. Finally, fracture-like separation of bodies into fragments may take place exclusively by plastic deformation, as when a wire of pure gold or indium necks and separates at sharp needlepoints in the center of the neck.

(3) Russian Work on Mechanical Properties of Materials

Perhaps the only interesting work found was that concerned with empirical relationships between the thermal and mechanical properties of materials. Most of the other papers were second or third rate; in general, the present level of Russian work in this field is incomparably lower than was that in the 'twenties and 'thirties. Dislocation theory is practically nonexistent; it seems to have been scorned for political reasons until a few years ago, and the recent publications are mostly either unimpressive second-hand reviews or amateurish concoctions. Many papers are published on hot creep testing, mostly without serious substance. It seems that the good workers have been drafted into industrial production, and scientific work has come to a near standstill.

EEU:MFA:REM:GKM/all

APPENDIX A

ANNOTATED BIBLIOGRAPHY OF THEORIES AND
PROPERTIES OF MATERIALS

$\epsilon = \frac{1}{2} [\epsilon_{xx} + \epsilon_{yy} + \epsilon_{zz}] + \frac{1}{2} [\epsilon_{xx} - \epsilon_{yy}] \cos 2\psi + \epsilon_{xy} \sin 2\psi$
 where ϵ_{xx} , ϵ_{yy} , and ϵ_{zz} are the normal strains in the x , y , and z directions, respectively. ϵ_{xy} is the shear strain in the xy plane. ψ is the angle between the x and z axes. The distribution of stress in the plastic zone is assumed to be uniform and is determined by the dimensionless creep rate, $\dot{\epsilon}$, and the material constants, n and k , which are assumed to be independent of the creep rate.

159) Riley, R. W.
 A Critical Examination of Procedures Used in Britain and the United States to Determine Creep Strains for the Design of Power Plant Components at High Temperatures.
 J Appl Mech 21 (1954) 30-32

160) Huddlestone, D. L., and Howard, H.
 Recent Observations on the Motion of Small-Angle Dislocation Boundaries. Acta Met 2 (1954) 322-333

The motion of small-angle dislocation boundaries in zinc crystals was investigated in the temperature range 110 to 400°K. Boundary migration was observed by the application of a shear stress using the dislocation technique. The character of this motion was found to vary markedly with temperature. Motion proceeds at a constant rate under a constant stress at elevated temperatures. At 140°K movement was characterized by boundary motion through an appreciable distance during each jump, continuously for many hours. At 20 and 110°K a constant rate of motion was associated with creep. At high temperatures, the magnitude of the angle decreased, and the results indicate that the angle between the dislocations and the dislocation line is small. Small-angle boundaries of the zig-zag type were also observed during short-time annealing treatments at 400°K. It was made up of any temperature. Clearly apparent boundaries of the zig-zag type could be distinguished by the application of a stress, since they are accompanied by the formation of a substructure in the regions of their strain-induced motion and the angle of the resultant substructure of the zig-zag type is small. The results of boundary motion experiments were compared with the results of simple shear experiments on the same material. The latter results suggested that motion of dislocations through the structural barrier of the crystal lattice than generation of new dislocations was the factor which determines the yield strength.

161) Bakker, P., and Mathewson, C. G.
 Slip and Twinning in Magnesium Single Crystals at Elevated Temperatures. Trans. AIME 212 (1954) 226-254

The mechanism of plastic deformation in high-purity magnesium up to 300°C was investigated in a series of experiments. The creep rate was measured at various temperatures and the creep rate was found to increase with temperature. The results indicate that slip is the principal deformation mechanism and that the deformation at the leading edge of the plastic zone is controlled by the rate of advance of the plastic zone from the zone of complex deformation at the leading edge of the crack.

162) Okada, H., and Robertson, W. D.
 Structure-Dependent Chemical Reaction and Nucleation of Fracture in Graphite Single Crystals.
 Acta Met 2 (1954) 142-151

Creep experiments were carried out on single crystals of graphite under various conditions of temperature and stress. The results indicate that the rate of creep is controlled by the rate of advance of the plastic zone from the zone of complex deformation at the leading edge of the crack.

163) Eshelby, J. D.
 A Study of Work Hardening and Strain Rate Sensitivity of Iron

J Iron Steel Inst 191 (1954) 221F

A study of work hardening and strain rate sensitivity of iron. The effect of work hardening on the rate of strain rate sensitivity is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

164) Hull, C. J.
 Surface Distributions of Dislocations in Metals. II
 Phil Mag 1 (1952) 927-981

The analysis described in (I) has been extended to the case of a dislocation network. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

165) Hull, C. J.
 The Flow Stress of Polycrystalline Alloys.
 Phil Mag 2 (1953) 1041

A theory is proposed for the flow stress of polycrystalline alloys. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

166) Hull, C. J.
 Nature and Effect of Substructure in Polycrystalline Alloys.
 Paper from Dislocation and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953), 93-98

The effect of substructure on the flow stress of polycrystalline alloys is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

167) Hull, C. J., and Frank, R. H.
 Surface Distributions of Dislocations in Metals. I
 Phil Mag 48 (1954) 1161-1162

The distribution of dislocations on the surface of a metal is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

168) Balluffi, R. W., Row, F. D., and Segle, L. L.
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The growth of voids in metals during creep and creep. The rate of void growth is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

171) Barrer, R. S.
 The Climb of Edge Dislocations in Face-Centered Cubic Crystals.
 Acta Met 1 (1953) 380-385

The climb of edge dislocations in face-centered cubic crystals. The rate of climb is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

172) Barrer, R. S., and Hill, R.
 Strain Rate Curves of Some Metals and Alloys at Low Temperatures and High Rates of Strain.
 J. Iron Steel Inst 182 (1954) 354-365

Strain rate curves of some metals and alloys at low temperatures and high rates of strain. The effect of strain rate on the flow stress is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

173) Barrer, R. S., V. V., and Sivkiny, E. M.
 The Influence of Temperature Upon the Strength of Brittle Metallic Materials (in Russian)
 Doklady Akad. Nauk S.S.S.R. 52 (1954) 460-472

The influence of temperature upon the strength of brittle metallic materials. The effect of temperature on the flow stress is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

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175) Barrer, R. S.
 Imperfections From Transformation and Deformation.
 Paper from Imperfections in Metals, John Wiley and Sons, Inc., New York (1953), 1-105

Imperfections from transformation and deformation. The effect of imperfections on the flow stress is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

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The effects of temperature on the deformation of body-centered cubic crystals. The effect of temperature on the flow stress is discussed. It is shown that the rate of work hardening is proportional to the square of the strain rate. The effect of work hardening on the rate of strain rate sensitivity is also discussed.

177) Barrer, R. S.
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(102) Bueche, R.
Quantity of Work Hardening in Metals
Acta Met. 5 (1957) 701-702

(103) Bueche, R.
Cross-Slip in Copper (in German)
Z. Metall. 48 (1957) 190-192

(104) Bueche, R. and Hultinsky, B.
Prevalent Strain Rate Relations of a Strain-Hardening Metal
J. Appl. Mechanics 21 (1954) 321-326

(94) Bergman, G.
The Elastic Properties of Metals and the Remanent Volume-Point Theory
Acta Met. 11 (1963) 110-115

The elastic properties of metals with for and top structure are derived on the basis of the remaining volume-point theory of metals developed by (94) Bergman. It is found that reasonable agreement between calculated and observed elastic moduli cannot be obtained on the basis of the Point Theory in its simplest form. In this form the theory requires that the lengths of the bonds formed by a given atom are in a definite relationship to each other. It is found, however, that quite good agreement can be obtained if the theory is supplemented by the reasonable assumption that the individual bonds are subject to unidirectional deformations that are not necessarily the same. The supplementary assumption in effect allows the atoms bond-interactions in the Point Theory to be weakened.

(95) Dershan, M. L.
Strain and Alloy for Service at High Temperature (In Russian)
Metallurgich. Moscow, U. S. S. R. (1956) 219

Theory of local resistance: data on the progressive and treatment of heat-treated ferritic, pearlitic and austenitic steels and heat-treated Cu, Cr, Cr-Ni, and Ni alloys. Results of the study of the structure of heat-treated steels and alloys.

(100) Rehner, D. N.
On the Distribution of Impurity Atoms in the Stress Field of Dislocation
Acta Met. 6 (1958) 521-523

It is shown that impurity atoms distributed in the stress field of a dislocation obey Fermi-Dirac statistics. This result is applied to experimental situations, and the binding energy of an impurity to a dislocation is determined.

(101) Breveling, J. F.
A Theory of Plastic Flow for Anisotropic Hardening in Plastic Deformation of an Initially Isotropic Material
Ntt. Insthearts, Amsterdam, Rep. (5510) (1953) 30

A theory of plastic deformation based upon the conception of a material as being composed of various portions, necessarily taking part in plastic yielding. It describes the anisotropic behavior of the material in hardening in uniform loading. It gives a stress-strain relation which is equivalent to the relation of a deformation theory, based upon the second invariant of the deviator of the stress tensor. Immediately after uniform loading the stress-strain relation is in accordance with the isotropic flow theory, derived from the same stress theory. The predictions of the theory concerning the anisotropy introduced by the plastic deformation of a hardening material are in close agreement with the Bauschinger effect, measured in some low-alloy steels. Some of the consequences of the theory in cases of non-uniform loading are discussed, and the superiority of the new theory with respect to existing flow theories is demonstrated.

(102) Detzinger, W.
Tertiary Creep of Ni-Niobium
Proc. N. P. L. Symp. on Creep and Fracture of Metals at High Temp. (1956) 375-377

Short-pulse low-stress tension creep tests were carried out at intermediate temperatures on Ni-Niobium alloy. The results were compared with those obtained in the steady-state creep experiments on the same alloy. The results indicate that the tertiary stage of creep, the second of the primary stage of creep, is characterized by a decrease in the rate of creep. The results also suggest that the number of dislocations promoting creep increases linearly with time in strain.

(103) Detzinger, W.
The Extrapolation of the Stress-Strain Properties of the Ni-Niobium Alloy
J. Inst. Metals 86 (1957-1958) 232-237

Four methods proposed for the extrapolation of the stress-strain properties of high-temperature alloy have been examined and are compared with regard to their application to the Ni-Niobium alloy. Ni-Niobium alloy was chosen because of the wide range of temperatures over which it remains ductile and because of its unique property of having a minimum creep rate. Values of the constants n and $\log A$ were obtained. Values of the constants n and $\log A$ were also obtained from the low stress region and from the Ni-Niobium alloy. The master curves of stress against the above parameters are plotted.

(104) Detzinger, W., and Franklin, A. W.
An Investigation of the Structural Changes Accompanying Creep in a Tin-Antimony Alloy
J. Inst. Metals 88 (1959) 147-150

A Sn-45.5Sb alloy was used for a microscopic study of phenomena occurring during creep at room temperature. In addition to general slip within the grains and line at the grain boundaries it is shown that localized

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"It is shown that the grains stress in directions associated with boundaries between adjacent grains. It is also suggested from the work and from an examination of a pure Al sample strained in creep at 200°C that the "cell structure" observed by X ray examination is a result of the breaking of the grain by slip bands and by dislocations.

(105) Hertz, M. B., and Eckman, L. B.
A Method for Determining the Energy Stored During Cold Working of Metals
J. Appl. Phys. 22 (1951) 1297-1298

New calorimetric method employs the fact that heat of solution are small in minor metallic oxides, especially compared to heat of solution of metals in aqueous media. Initial work was carried out with Sn as metal and addition of Ag and Au-Ag alloy in the annealed and cold-worked states.

(106) Dhattacharya, S., Congreve, W. K. A., and Thompson, F. C.
The Creep-Time Relationship Under Constant Tension
J. Inst. Metals 81 (1952) 81-82

Constant stress tests on Cu, Zn, Sn, Cd, Pb, Al, and the Ni-Fe alloys. All the results are consistent with the equation $\dot{\epsilon} = \frac{A}{t} \sigma^n$, where $\dot{\epsilon}$ and σ are, respectively, the total and initial strain, t is the time, and A and n are constants. Once the primary stage is completed, the creep strain $\epsilon_c = \sigma^n t^n$ relationship which is not affected by the crystal lattice, temperature, applied stress or pressure. The result is in agreement with the constant-temperature relationship $\dot{\epsilon} = \frac{A}{t} \sigma^n$, where σ is the stress and t and n are constants. Combining the two relationships, it would appear that metals obey the following Scott-Hill equation: $\dot{\epsilon} = \frac{A}{t} \sigma^n$, which also describes the time of many nonmetallic substances. If $\dot{\epsilon} = \frac{A}{t} \sigma^n$, then the product of creep rate and time, $t \dot{\epsilon} = \frac{A}{t} \sigma^n t^n = A \sigma^n t^{n-1}$, gives, when plotted against time in a double-log scale, a straight line parallel to that obtained for the creep-time relation itself when similarly plotted. The prediction of the power law equation is confirmed. The technique is important, in fact it enables the severity of deforming.

(107) Riggs, W. D., and Brown, T.
The Yield Strength of Partially Ordered Copper Wires
Phil. Mag. 13 (1954) 248

The dependence of yield strength on the size of ordered domains has been investigated by plastic deformation of polycrystalline wires of Cu₅₀. In agreement with a prediction by Cottrell, it was found that the yield stress was greatest when the ordered domains were about 50 Å.

(108) Hirth, G. L.
Impurities in Plasticity by the Phenomena of Metal Fracture (In French)
Rev. scienc. Instr. (1954) 25-30

Theories of fracture, dislocations, mechanism of cold hardening, and their influence on the brittleness of metals are discussed. Selection of sites for welded structures is based on these considerations.

(109) Hirth, G. L.
The Theory of the Discontinuous Yield Point
Steel Met. Ind. 27 (1956) 707-718

When a metal is subjected to tension and a load extension graph is obtained, the graph may either curve smoothly away from the initial linear portion of the curve or may show a sharp discontinuity. The latter case, continuing for a time at loads lower than that required to start it. The latter type of curve, where the yielding is discontinuous, is discussed on the basis of the dislocation theory of plasticity.

(110) Hirth, G. L.
On the Interaction of Dislocations and Solute Atoms
Proc. Phys. Soc. (London) 63 (1950) 191-200

An extension of the reciprocal theorem of Cosserat is given and it is shown that a dislocation in a crystal lattice containing solute atoms is subject to external forces. The expression is used to estimate approximately the interaction energy between parallel edge dislocations with arbitrary slip vectors, between parallel screw dislocations, and between an edge dislocation and a solute atom causing a spherical dilatation of the lattice.



(111) Hirth, G. L.
Type of Dislocation Source
Rep. Conf. Defects in Crystalline Solids, Phys. Soc. (1955) E2-133

The nature of dislocation sources on a three-dimensional "Johnson source" model of dislocation lines is analyzed. Inside plane stress, the total length of dislocation lines is also analyzed. Inside plane stress, the total length of dislocation lines is also analyzed. The dislocation lines are also analyzed. The dislocation lines are also analyzed.

(112) Hirth, G. L., and Smith, E.
Continuous Distributions of Dislocations: A New Application of the Methods of Non-Newtonian Mechanics, Part II
Proc. Roy. Soc. (London) 231A (1955) 263

When drawing a crystal containing an arbitrary distribution of dislocation lines it is often convenient to treat the dislocation as a continuum, and to specify the state of dislocation as a function of position. Previously, there is then an "ignorable" parameter, and dislocation state may be defined precisely by relating the total length at each point to that of the reference lattice. The dislocation density may be defined, as in this paper, to be the length of dislocation lines per unit volume of the lattice.

(113) Hirth, G. L., and Swindler, A. R.
The Formation of Mechanical Twins
Acta Met. 2 (1954) 13-19

It is suggested that the nucleation of mechanical twins is controlled by large local stresses which are set up in a crystal around dislocations of various kinds. An examination is made of the stress fields around two types of dislocations arising during plastic deformation, the bounded slip band and the kink band. It is shown that in hexagonal metals, both meet the plane containing the slip direction of the dislocation in the hexagonal or orthorhombic slip plane. The theory is compared with available data on these metals, and critical experiments are suggested to distinguish between this hypothesis and that which proposes a macroscopic critical resolved tension stress.

(114) Hirth, G. L., and Swindler, A. R.
Dislocation Arrays and Flow of Dislocations
Acta Met. 2 (1954) 237-251

Arrangement of slip lines in a brass was found to be consistent with the assumption that each dislocation in a dislocation pile-up is correlated with the predicted linear growth of dislocations pile-up under stress.

(115) Hirth, G. L., Gardner, J. R. T., and Smith, E.
The Relation Between Dislocation and Stress
Acta Met. 2 (1954) 25-33

It has been verified that the applied case of simple bending a relation between the linear curvature and stress gradient is in an excellent agreement. It is shown that this relation is a special case of a more general relation in the theory of continuous distributions of dislocations. As a further example the relation between the stress gradient, dislocation density, and lattice curvature in bcc of cylindrical bars are given. It is also shown that the prediction of linear dislocation stress in simple bending differs from the general expression for the dislocation tension of a surface.

(116) Hirth, G. L., and Smith, E.
Continuous Distributions of Dislocations, Part III
Proc. Roy. Soc. (London) 231A (1955) 481-505

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the theory of the continuously distributed dislocation is retained. It is shown that the general equations of the theory of this theory are applicable to all cases where the lattice is continuous (and also the dislocation density is small). The correct solutions for large materials are obtained. The relation between the fundamental mode theories of dislocation theory and certain theories of the theory of generalized space is considered in some detail. It is shown that when the lattice plane of the dislocated crystal are treated as a system of independent segments of stress, the stress state (due to the local dislocation density) may be expressed in terms of certain functions related with the system of congruence. For the solution case, a relation between the dislocation density and the σ coefficients of relation is derived.

(117) Hirth, G. L.
The Atomic Lattice Strength of Crystals and Metals as a Derivative of the Minimum of Elasticity (In German)
Arch. Metallurg. 1 (1955) 395-401

The strength of the ideal atomic lattice of a crystal was calculated by Madelen's lattice potential and Born's lattice potential methods as a derivative of the modulus of elasticity. The method is shown to be valid for metals, especially Cu.

(118) Hirth, G. L.
A New Aspect of the Theory of Work-Hardening of Metals (In German)
Z. Metall. 42 (1951) 309-315

Current theories of the strain hardening of metals are based on slip processes. It is suggested that all the phenomena can be satisfactorily interpreted on the basis of the stress-state theory of the dislocation theory, which relates the hardening to the stress state. General equations of this form are developed and within the metal crystals. General equations of this form are developed and within the metal crystals. General equations of this form are developed and within the metal crystals.

(119) Hirth, G. L.
A Theoretical Examination of the Plastic Deformation of Crystals by Glide
Phil. Mag. 6 (1955) 51-64

Proofs are given of theorems stated in Hirth's (1953) theory of crystal deformation. Mathematical relations are established for determination of glide by simultaneous shear, and possibly of glide by an arbitrary stress-strain and strain rate. It is concluded that the results are in good agreement with the experimental observations on the work-hardening of crystals at various stages. It is concluded that the results are in good agreement with the experimental observations on the work-hardening of crystals at various stages. It is concluded that the results are in good agreement with the experimental observations on the work-hardening of crystals at various stages.

(120) Hirth, G. L.
A Theory of the Tensile and Compressive Tensures of Face-Centered Cubic Metals
J. Mech. and Phys. Solids 3 (1955) 110-112

A review of tensile and compressive tensures for metals shows that previous theories did not account for the different tensure developed by the two types of lattice structure. Although it is apparent that every grain in a polycrystalline specimen does not undergo the maximum strain and that maximum strain will be a small fraction of the maximum strain, this is neglected in the present theory and the macroscopic strain is taken as a good first approximation for each grain. From the maximum work principle (Hirth and Phil. Mag., 2 (1954) 414), the stress-strain and slip direction relations for each grain are determined. The relations determine the relation of the lattice relative to the specimen axis. Lattice relations are determined for each grain. From the maximum work principle, the stress-strain and slip direction relations for each grain are determined. The relations determine the relation of the lattice relative to the specimen axis. Lattice relations are determined for each grain.

[123] Bishop, J. F. W., and Hill, R. A general relationship between stress and plastic deformation in single crystals is derived for any metal in which dislocations multiply. It is shown that a plastic potential exists which is identical with the yield function. Upper and lower bounds are obtained for approximation of this function for any applied stress in a cylindrical specimen.

[124] Bishop, J. F. W., and Hill, R. A theoretical derivation of the Plastic Properties of Polycrystalline Face-Centered Metals. Phil Mag 42: 7 (1951) 1208-1210. It is concluded that the work done in plastically deforming a polycrystal is approximately equal to that which would be done if the grains were free to deform equally. In conjunction with the principle of maximum plastic work, this enables the yield function of an aggregate to be calculated. This is done for the isotropic aggregate of an aggregate in the case of the nature of the stress tensor in particular multiple.

[125] Blakmore, M. On the Relation of Helmholtz Theory and the Lattice Theory of Specific Heats. Proc Roy Soc (London) 32A (1941) 58-67. In the theory theory of the specific heat of solids the value of ρ calculated from elastic constants, namely, ρ (elastic), should be the same as value for crystal lattice is calculated from a temperature. T slip the value of lattice theory. It is shown that the value for ρ calculated from the lattice theory of the NACI type provided the crystals are not very isotropic, the value of ρ is only slightly below the calculated value.

[126] Blaud, D. R. Associated Flow Rule of Plasticity. J Mech, and Phys Solids 4 (1957) 71-78. The flow rule at singular points on a yield surface is found by considering the associated flow rule at the limit of a sequence of regular surfaces. Confirms the work hardening and linearity of hypothesis of Drucker.

[127] Blawie, H. J. Transient Creep in Face Centered Cubic Metal Crystals (In German). Z Metall 42 (1952) 27-30. Transient creep in single crystals of Al, Cu, and Ni studied at and above room temperature, using method of load increments. Creep behavior during rapidly to a maximum value $\dot{\epsilon}_m$ during a time interval t_m , after loading and decreasing thereafter according to the law $\dot{\epsilon} = \dot{\epsilon}_m e^{-t/t_m}$. The creep curves (hyperbolic, logarithmic, parabolic) are connected with the different parts of the stress-strain curve for the crystals. There are no differences in the temperature dependence of creep behavior between Al, Cu, and Ni. A formula connects the slope of the stress-strain curve with certain quantities derived from the experimental parameters describing creep rate as a function of time. Transient creep obeys the equation $\dot{\epsilon} = C \frac{\sigma}{E} e^{-t/t_m}$. t_m is given hyperbolic law if $m < 1$, parabolic; and for $m > 1$, designated hyperbolic.

[128] Blawie, H. J. Theory of Transient Creep in Metal Crystals (In German). Arch Eisenhüttenw., 22 (1958) 301-308. Attempts to deduce the formulas for transient creep from a dislocation model. A certain relation exists between the model and the hardening properties of the crystals. Creep occurs in dependence on a parameter and results in parabolic, hyperbolic, or logarithmic velocity laws. Starting conditions for creep are developed mathematically. At higher temperatures plastic influence produce superhyperbolic curves.

[129] Blawie, H. J. Creep in Polycrystalline Metals. A theoretical derivation of the Plastic Properties of Polycrystalline Face-Centered Metals. Phil Mag 42: 7 (1951) 1208-1210. It is concluded that the work done in plastically deforming a polycrystal is approximately equal to that which would be done if the grains were free to deform equally. In conjunction with the principle of maximum plastic work, this enables the yield function of an aggregate to be calculated. This is done for the isotropic aggregate of an aggregate in the case of the nature of the stress tensor in particular multiple.

[130] Blawie, H. J. The Theory of Helmholtz Theory and the Lattice Theory of Specific Heats. Proc Roy Soc (London) 32A (1941) 58-67. In the theory theory of the specific heat of solids the value of ρ calculated from elastic constants, namely, ρ (elastic), should be the same as value for crystal lattice is calculated from a temperature. T slip the value of lattice theory. It is shown that the value for ρ calculated from the lattice theory of the NACI type provided the crystals are not very isotropic, the value of ρ is only slightly below the calculated value.

[131] Blawie, H. J. Associated Flow Rule of Plasticity. J Mech, and Phys Solids 4 (1957) 71-78. The flow rule at singular points on a yield surface is found by considering the associated flow rule at the limit of a sequence of regular surfaces. Confirms the work hardening and linearity of hypothesis of Drucker.

[132] Blawie, H. J. Transient Creep in Face Centered Cubic Metal Crystals (In German). Z Metall 42 (1952) 27-30. Transient creep in single crystals of Al, Cu, and Ni studied at and above room temperature, using method of load increments. Creep behavior during rapidly to a maximum value $\dot{\epsilon}_m$ during a time interval t_m , after loading and decreasing thereafter according to the law $\dot{\epsilon} = \dot{\epsilon}_m e^{-t/t_m}$. The creep curves (hyperbolic, logarithmic, parabolic) are connected with the different parts of the stress-strain curve for the crystals. There are no differences in the temperature dependence of creep behavior between Al, Cu, and Ni. A formula connects the slope of the stress-strain curve with certain quantities derived from the experimental parameters describing creep rate as a function of time. Transient creep obeys the equation $\dot{\epsilon} = C \frac{\sigma}{E} e^{-t/t_m}$. t_m is given hyperbolic law if $m < 1$, parabolic; and for $m > 1$, designated hyperbolic.

[133] Blawie, H. J. Theory of Transient Creep in Metal Crystals (In German). Arch Eisenhüttenw., 22 (1958) 301-308. Attempts to deduce the formulas for transient creep from a dislocation model. A certain relation exists between the model and the hardening properties of the crystals. Creep occurs in dependence on a parameter and results in parabolic, hyperbolic, or logarithmic velocity laws. Starting conditions for creep are developed mathematically. At higher temperatures plastic influence produce superhyperbolic curves.

[134] Blawie, H. J. Creep in Polycrystalline Metals. A theoretical derivation of the Plastic Properties of Polycrystalline Face-Centered Metals. Phil Mag 42: 7 (1951) 1208-1210. It is concluded that the work done in plastically deforming a polycrystal is approximately equal to that which would be done if the grains were free to deform equally. In conjunction with the principle of maximum plastic work, this enables the yield function of an aggregate to be calculated. This is done for the isotropic aggregate of an aggregate in the case of the nature of the stress tensor in particular multiple.

[145] Pines, W., and Schmidt, E.
Plastic Flow Temperature and Plasticity of Aluminum Crystals (In German)
Zellb. Physik 22 (1936) 264-274
Tensile tests on Al crystals in the temperature range 180 to 600 °C show that the behavior of the crystal varies in a marked manner at about 400 °C. Up to this point the metal is relatively ductile and the deformation is of the slip type. Above 400 °C the deformation is of the brittle type and the slip planes are not clearly defined. The yield point and the plastic flow temperature are independent of the grain size and the grain orientation. The yield point and the plastic flow temperature are independent of the grain size and the grain orientation. The yield point and the plastic flow temperature are independent of the grain size and the grain orientation.

[146] Becker, A. A.
Dependence of Mechanical Properties of Alloys on the Composition and Structure (In Russian)
Dokl. Akad. Nauk S.S.S.R. 1943 163-172
Properties composition diagrams of binary alloys are subject to rapid change at higher temperatures. The increased resistance to shear change of shape at higher temperatures. The increased resistance to shear change of shape at higher temperatures. The increased resistance to shear change of shape at higher temperatures.

[147] Becker, A. A.
Dependence of High-Temperature Properties of Aluminum Alloys on Their Composition and Structure (In Russian)
Dokl. Akad. Nauk S.S.S.R. 1943 173-181
Time-dependent hardness of Al alloys studied with the load varying from 10 seconds to 1 hour. The diameter of indentation d as a function of time t followed the equation: $d \propto t^{1/2}$. These tests placed alloys in the same order with respect to mechanical properties at elevated temperature as long-time creep tests. Results were considered relative to a simple and rapid test-temperature substitute for creep testing in the study of new alloys.

[148] Becker, A. A.
Different Mechanisms of Plasticity in Metallic Alloys (In Russian)
Dokl. Akad. Nauk S.S.S.R. 1943 182-185
A new approach for the explanation of the mechanism of plasticity of alloys at high temperatures, emphasizing the predominant influence of the character of the interaction of the existing phases of the heterogeneity.

[149] Becker, A. A.
Creep Resistance of Alloys as a Function of Their Composition (In Russian)
Dokl. Akad. Nauk S.S.S.R. 1943 186-193
Discusses two principal theories of creep resistance—the one, attributing it to the formation of multicomponent solid solutions (Eshelby, Cottrell, and Nabarro) and the other, to the formation of multibeam structure (Bilby, Cottrell, and Nabarro). Development of author's theory, that creep resistance is improved by a heterogeneous structure, is described and an attempt is made to unite the two viewpoints given above.

[150] DeFalanho, M. A.
Work-Hardening and Recovery as Plastic Flow in Plastic Deformation (In Russian)
Izv. Akad. Nauk S.S.S.R. 1943 194-201
The work hardening and recovery as plastic flow in plastic deformation is investigated. The work hardening and recovery as plastic flow in plastic deformation is investigated.

[151] Bolshakov, H. P., and Zhurav, P.
Some Properties of a Mechanical Model of Plasticity
Zh. Prikl. Mekhanika 19 (1943) 222-226
An analysis of a mechanical model leading to the computation of the change in potential energy of a metal due to work hardening.

[152] Bolshakov, H. P., and Zhurav, P.
Measurement of Latent Deformation Energy of Drawn Copper Wire (In German)
Z. Metall. 32 (1943) 765-770
Determination of latent deformation energy by a differential method. The highest latent deformation occurred with a decrease in the yield point and the electrical resistance, and was associated with recrystallization.

[153] Bilby, R.
The Relationship Between the Derived Hardness and the Tensile Strength of Metallic Materials
Z. Metall. 32 (1943) 312-314
By the use of suitable conversion factors, which are peculiar to the type and condition of the metal or alloy under investigation, approximate values can be obtained for the tensile strength from the measured flow stress (Hollomon) as used in place of the Brinell hardness. It is shown that the approximation to the tensile strength is almost constant, and independent of the degree of cold-work and thermal treatment of the material. As H_{100} hardness values, since $n = 1/2$ (Hollomon) $= 1/2 H_{100}$, $n = 1/2$, some 180 examples from published literature are quoted to support this theory, among them are steel, copper, and Duralumin after various heat treatments.

[154] Bilby, R.
The Relationship of Cylinder Impression in a Material and the Stress/Strain Curve (In German)
Metall. 32 (1943) 1074-1076
When a flat circular punch of diameter D , just under a load P , penetrates a metal surface, the mean pressure P_0 for plastic penetration is not necessarily different from the value $P_0 = \frac{2}{\pi} \sigma_y$, where σ_y is the yield strength of the metal. Experimentally it was found that the yield strength of the metal is not necessarily different from the value $P_0 = \frac{2}{\pi} \sigma_y$. Experimentally it was found that the yield strength of the metal is not necessarily different from the value $P_0 = \frac{2}{\pi} \sigma_y$.

[155] Hollomon, J. W., and Tremp, R.
Correlation Between Stress and Deformation Gradient Part 2, Influence of Shape and Size (In German)
Arch. Eisenhüttenw. 22 (1951) 327-334
Theoretically investigate and diagram a new method for delimitating the influence of irregular stress and deformation distribution upon the hardening of plastic deformation. The terms used are defined. Practical applications suggested.

[156] DeFalanho, M. A.
Work-Hardening and Recovery as Plastic Flow in Plastic Deformation (In Russian)
Izv. Akad. Nauk S.S.S.R. 1943 194-201
The work hardening and recovery as plastic flow in plastic deformation is investigated. The work hardening and recovery as plastic flow in plastic deformation is investigated.

[157] Bolshakov, H. P., and Zhurav, P.
Observation of Dislocation Motion Lines in a Single Crystal
Phys. Mag. 2 (1953) 94-96
After a thermal treatment of synthetic silicon crystals at 1800 °C in a reducing atmosphere with no creep, dislocation lines were observed. A mechanism for the production of such dislocation lines is suggested, based on the theory of dislocation of mixed edge and screw character. Closed loops were also found, being attributed to the interaction of dislocation of the same character.

[158] Bolshakov, H. P.
Ultra-rare Investigation on Solid State at High Temperature (In Russian)
Izv. Akad. Nauk S.S.S.R. 1943 194-201
Elastic and anelastic behavior of metals near their melting point. The designation of elastic energy, when it is not affected by any relaxation phenomenon, increases with temperature, and a close connection was found between this increase and creep.

[159] Born, M.
Thermodynamics of Crystals and Melting
J. Chem. Phys. 2 (1933) 591-603
The Helmholtz free energy, A , of a rigid body is a function of temperature, and of the six homogeneous strain components. If the crystal is to be rigid, three inequalities must be satisfied for the derivatives of A with respect to the six strain components, for a regular (cubic) lattice. The cubic case is limited to the P-T range for which the crystal is stable. The violation of the condition $\partial^2 A / \partial \epsilon^2 > 0$, that the crystal exist stably, is interpreted as leading to melting. It is expected that this method, properly improved, will be capable of accounting for the properties of strength, sliding and breaking of crystals. We have only to treat another strain component in the same way as we have done here with the pressure on base to calculate the limit of stability with increasing temperature for a finite strain. X (breaking) or X_g (melting).

[160] Born, M.
The Thermodynamics of Crystal Lattice. 1. Discussion of the Methods of Calculation
Proc. Cambridge Phil. Soc. 22 (1933) 100-103
A brief general discussion of the difficulties and assumptions involved in the mathematical procedure for calculating the temperature dependence of the elastic constants for a crystalline solid.

[161] Born, M., and Fürtch, R.
An Attempt to Calculate the Tensile Strength of a Cubic Lattice by Purely Static Consideration
Proc. Cambridge Phil. Soc. 22 (1934) 454-465
The stability of a cubic lattice, homogeneously deformed by a force acting in the direction of one axis, with respect to additional small forces acting in any other arbitrary direction is investigated, and numerical calculations are made for the f.c.c. lattice. The tensile strength of the lattice is determined from the stability conditions. In common with other theoretical treatments, the lattice at the origin thus calculated are approximately one hundredfold larger than the experimental values. The discrepancy is thought to arise from the fact that the theory neglects to take into account the local motion of the atoms.

[162] Born, M., and Huang, K.
Dynamic Theory of Crystal Lattice
International Series of Monographs on Physics, Oxford University Press, New York 1954 430 pp
Atomic forces, lattice vibrations, elasticity, and piezoelectric properties of lattices, free energy, optical effects, dielectrics, and thermodynamic properties are treated.

[163] Deza, J. K.
Study of Kikuchi Lines During the Plastic Deformation of Aluminum Single Crystals (In German)
Z. Metall. 45 (1955) 191-209
The occurrence of Kikuchi lines on the surface of annealed single crystals of pure Al and their extinction by strain and dependent loading were studied. The lines formed on the initial crystals seem to be extinguished by dynamic loading without any change in orientation of complete multiple slip appearing on the surface of the crystals, and they do not necessarily disappear when there is a slip line or a line in the direction from the initial state. The lines may disappear, but not reappear when some of the surface material is removed. This does not occur when dynamic loading is employed. The results are discussed in relation to the difference in dislocation density near the surface and in the interior.

[164] Bolshakov, H. P.
The Effect of Alloy Elements on High Temperature Creep Strength of Metals (In Russian)
Izv. Akad. Nauk S.S.S.R. 1943 194-201
Creep resistance was determined at 1000 and 700 °C for a series of alloys within the composition range: 15-25% Cr, 10-25% Ni, and 0-60% Al. The addition of Ni has no beneficial effect on the creep resistance in the austenitic range, while the creep resistance increases with the percentage of Cr. The results are explained in terms of lattice stresses produced by alloying.

[165] Bolshakov, H. P.
Character of Creep of Composites on Properties of Metallurgical Solids (In Russian)
Dokl. Akad. Nauk S.S.S.R. 1943 194-201
Increase of creep, hardness, and electrical resistance obtained between 1000 °C for the Fe-Ni and Fe-Co-Ni systems. Results indicate that the "classical" scheme for the variation of the properties of solid solutions with composition is valid only in the range from room up to moderately high temperatures. At elevated temperatures, the curves tend to flatten out.

[166] Bolshakov, H. P.
Evaluating the Long-Term Plasticity of Steel and Other Alloy at High Temperature (In Russian)
Zvenyevskiy Lab. 22 (1946) 235-239
Considers the quantitative characterization of plastic properties of steel and other alloys under tension, long time, and high temperature. Special reference to V. S. Lomonosov's theory of "steady-state" creep. This theory is based on the theory of dislocation motion. It is concluded that the true increase of plasticity is best characterized by the total elongation during the first and second stages of creep, since it is the moment of transition from the second to the third stage that predetermines subsequent fracture.

[167] Bolshakov, H. P.
On a Relation Subsisting Between the Atomic Weights, Specific Gravities, and Hardness of the Metallic Elements
Chem. News 22 (May 2, 1873) 234-236
Mohr's scale of hardness found to be unreliable, as other methods for determining relative hardness were described. (1) Pressure required to force a plunger 1 cm into a "cake of metal"; (2) for brittle materials, the time required for a revolving mill to cut the material in a constant depth. Observed a "catastrophic" hardness by dividing specific gravity by atomic weight, and compared with the formalized hardness values. Very close agreement noted for 21 materials (common metal plus diamond). Another test noted with satisfactory results which a "more exact" measure of impurity has in rating or lowering the hardness.

[168] Dunlapper, Ch.
Mechanism Responsible for the Plateau Observed in the Tensile Curves of Annealed Steels (In French)
Compt. rend. 221 (1954) 1812-1814
This phenomenon is discussed in the light of the theory of dislocation. Annealed steels are connected with the general case of cold-worked and aged alloys by involving a mechanical effect determined by the change in specific volume which accompanies the passage to alpha transformation, followed by aging during cooling.

[169] Dunlapper, Ch.
Contributions to the Study of Plastic Deformation of Iron and Soft Steels (In French)
Rev. met. 42 (1954) 547-556
Tensile test data obtained at different temperatures using small wire specimens. In this manner, very slight changes in metallic structure are revealed. In the case of iron, because of a very thorough purification, it was possible to eliminate all lattice characteristics of steels and thus to make this behavior regular by constant loading N , N , N . Results and the mechanism of plastic deformation.

[170] Boulanger, Ch., and Crosswell, F. Mechanical Hysteresis of Metals at High Temperature (In French) *Mécanique et Corrosion* 11 (1954) 201-214

Investigate influence of polygeneration on the modulus of elasticity and on internal friction, heat of activation, critical temperatures, and the form of stress-deformation cycle.

[171] Boulanger, Ch., and Crosswell, F. Study of Mechanical Properties of Very High Temperature (In French) *Rev. mét.* 52 (1954) 715-727

Findings: (1) that the mechanical properties of high temperature result from the superposition of two factors: (2) the phenomenon of cold work leading to the creation of defects (dislocations, etc.) in the crystal lattice and at the same time in their partial elimination by diffusion or recrystallization, and (3) the free effect of existing defects in the given state. This theory was based on the results obtained from stress-deformation tests at light alloys from room temperature to 1500°C. Creep measurements and free slumping at 100 psi were also made. The results showed the existence even at high temperature of an elastic modulus and internal friction independent of the amplitude of the deformation, but a function of the state of the metal before the application of the stress and of the deformation for the crystal. The structure itself differs very much, and the deformation for the crystal. It is probable that this secondary process is due to the migration of the dislocations. The results obtained are valid only for a metal in the stable state; if the metal is in the process of evolution under the effect of the temperature, the capacity for viscous deformation under the effect mostly. The influence of polygeneration is considerable and greatly increases the deformability of the metal at small amplitudes.

[172] Boulanger, Ch., Debert, G., and Bavyry, M. Relation Between Internal Friction and Resistance in Creep of Steel as a Function of Microstructure (In French) *Compt. rend.* 231 (1951) 794-796

Internal friction and modulus of elasticity were measured at different temperatures between 200 and 1000°C for Cr-Ni steel of four different microstructures: (1) ferrite-perlite, (2) martensite, (3) ferrite-grained habitus, and the same order as those obtained for creep tests. The results show that the slumping time takes place at the grain boundaries.

[173] Bragg, W. L. A Theory of the Strength of Metals *Nature* 125 (1932) 511-513

Propose a criterion for the onset of slip in a metal. The effect of plastic deformation by cold working is to break down each of the crystalline grains into "blocks" (fragments). Variations in the elastic limit are ascribed to differences in size of the fragments and increasing resistance to stress is ascribed to a decreasing fragmentation size. Derives an expression for the slumping of the same general type as given by G. Taylor.

[174] Bragg, W. L. Some Problems of the Metallic State *Iron and Steel* (London) 18 (1953) 531-535 and *Engineering* 169 (1954) 431-435

A general lecture, dealing with the nature of metals and the mechanism of deformation, with particular reference to the approximate theory of the elastic limit of polycrystalline metals.

[175] Bragg, W. L. Cobination of Metals (In French) *Rev. mét.* 42 (1954) 181-193

Discusses the origins of the cohesion of metals. Deformation produced by cold work increases the resistance to fragmentation. Dislocation concentrations produced by means of a subgrain.

[176] Bragg, W. L. Effects Associated With Stresses on a Microscopic Scale *Paper From Symposium on Internal Stresses*, Inst. Metals (1948) 221, Discussion 432-462

A formula for the limit at which a metal when sheared ceases to behave elastically and begins to undergo plastic deformation is established. It is based on the consideration that a slip process confined to a limited volume of the metal amounts on the whole to a local release of energy. The formula predicts estimates of the elastic limit which are of the same magnitude as those actually observed in cold worked pure metals.

[177] Bragg, W. L. The Yield Point of a Metal *Paper from Report of a Conference on Strength of Solids*, Phys. Soc. (London) (1949) 26-36

Theoretical analysis of the fact that slip starts at the elastic limit as if plastic deformation were to occur. The effect of the region limited to itself as the process of slip in the region is not yet reached. Slip starts at the yield point in multiple or in other atoms, and that it occurs as a localized process in each crystal domain, the surrounding matrix remains elastic. The process of slip is continuous of movement by crystal in stages. If the stress is increased the energy is reduced by the slip of each individual element, a "discharge" of slip will proceed as soon as the elastic limit is reached.

[178] Bragg, W. L. The Strength of Metals *Proc. Cambridge Phil. Soc.* 45 (1949) 174-191

A derivation of expression for the yield stress of a cold-worked metal in terms of its structure and elastic constants, using the Bragg-Williams model of dislocation. The motion of a dislocation which has been in the region of internal stress at the onset of a dislocation. The value of the surface free energy in this region is derived from a consideration of the point where the energy for the stress energy corresponds to complete dislocation, or the latent heat energy, and is found to be slightly more than 2 atomic diameters for all metals. On the basis of X-ray line-broadening experiments, estimates of the ultimate shear strength for several metals can be made.

[179] Bragg, W. L. Slip in Metals *Physica* 15 (1949) 81-83

A quantitative investigation of the "mechanical properties" of a two-dimensional lattice structure is reported. On the basis of a calculation of the attractive and repulsive forces between dislocations, Taylor's rule for the strength can be calculated and compared with experimental results on an annealed or compressed cold-worked metal. Taylor's rule can also be calculated, experimentally verified to within 9%. The discussion law stress on the elastic limit, and concrete experiments on the critical stress on the case where a dislocation starts at a free edge and runs right across the specimen. Results are shown graphically, the critical stress being plotted against lattice strain assumptions. The observed critical stress lies within limits calculated by reasonable theoretical treatments.

[180] Bragg, W. L., and Lamer, W. M. A Dynamical Model of a Crystal Structure-II *Proc. Roy. Soc. (London)* 126 (1949) 171-181

A quantitative study of the mechanical properties of two-dimensional lattice structure attempts to relate their plastic properties to those of metals. The model is applied to the case of a dislocation which, in perfect the edge. The observed shear stress can be explained in terms of the forces of attraction of dislocations. It is shown, therefore, that the very low shear stress limit must be a consequence of the initial presence of dislocations in crystals. It is shown that the critical stress of the crystal is slip by creating dislocations in an initially perfect structure. Although the model does not represent the dynamic behavior of a real lattice, the "theoretical strength" limit is far in excess of what is observed.

[181] Bragg, W. L. The Relationship Between Hardness and Tensile Tests (In German) *Schweizer Ansh. angew. Wiss., u. Tech.* 25 (1954) 56-58

Discussing hardness increase, and intertemporally factors most responsible for load dependence in hardness testing. Correlation between hardness and tensile tests is difficult to comprehend for reasons because the relation between load and hardness value in terms of elasticity, cold work, and structural heterogeneity. It is concluded that dislocation hardness test measures properties which cannot be revealed in tensile tests.

[182] Brown, A. Rheological Aspects of Hardness (In French) *Rev. mét.* 52 (1954) 410-434

Three categories of the properties of solids are distinguished: (1) elasticity, (2) plasticity, and (3) viscosity. Analyses of the behavior of the solids are set up to determine which the solids offer a resistance to both the designated hardness tests. The one result of the hardness measurements related to three categories mentioned above. Their significance flows from the yield limit with the respective constants of elastic, plastic, or viscous nature in relation which the author calls "the hardness function" and which shows whether the hardness is represented by a linear or a non-linear relation. The concept of specific hardness allows one to making a more detailed analysis of the various rheological properties of a metal, in terms of appropriate hardness measurements and by making use of rheological models of creep.

[183] Brown, J. E., and Westcott, J. Creep of Polycrystalline Metals *Trans. AIME* 202 (1954) 1230-1244

Creep rate studied as a function of temperature and stress in constant stress experiments. Temperature was varied from room temperature to almost the melting point of the metal. Two activation energies for creep of the order of 20,000 cal/mole at high temperatures and 11,000 cal/mole at low temperatures. It is suggested that the low temperature low creep activation energies and those of self-diffusion can be accounted for if self-diffusion takes place predominantly by Zener's site mechanism rather than through vacancy or interstitial movements.

[184] Brenner, S. S. Plastic Deformation of Copper and Silver Whiskers *J. Appl. Phys.* 28 (1957) 1023-1026

Studied by rapidly cooling wires after stretching. Whiskers exhibit extremely sharp yield points and extensive "yield" regions due to propagation of Lillier's bands. It is unlikely that sharp yield points are caused by dislocation pinning. Propagation of Lillier's bands occurs after stretching, giving rise to repeated yielding in plastic region. Nature of these observations and mechanism of Lillier's band propagation are not clear.

[185] Brich, R. M., Martin, D. L., and Angler, R. P. Effects of Various Solute Elements on the Hardness and Rolling Behavior of Copper *Trans. ASM* 31 (1943) 675-698

Added Ni, Zn, Al, Mn, Si, As, Mg, Cu, Sn, Sb, to Cu. Straight line relationship found between solution-hardening and work-hardening characteristics of Lillier's bands. The different solutes produce hardening effects which depend primarily on the difference in atomic volume of solute and solvent or, relatively, upon the parameter change of the solvent or the extent of solute solubility.

[186] Bridgman, P. W. The Stress Distribution at the Neck of a Tension Specimen *Trans. ASM* 32 (1944) 375-378

By approximating the contour of a tension specimen at the neck by a circle and by using a circle to approximate the lines of principal stress in the neighborhood of the neck, the distribution of plasticity in the neck has been found which agrees reasonably well with the conditions of plasticity in the case of uniaxial tension of von Mises. The same solution also applies with an error of only a few % when stress hardening occurs of the amount found under actual conditions. The solution differs qualitatively from the stress distribution in an elastically strained specimen. In the plastic specimen, the tension is greatest on the axis and least on the periphery; the stress varies constantly in elastically strained specimens, uniform as to the axis of the neck, plus a hydrostatic tension, which is zero on the periphery and increases to its maximum value on the axis. There appears to be a close connection between the "cup and cone" fracture which is observed on the stress distribution at the neck. The brittle fracture on the axis is associated with the hydrostatic tension prevailing there, while the shearing fracture occurs on the outer surface in connection with the shearing stresses which become important near the outer surface.

[187] Bridgman, P. W. Flow and Fracture *Trans. AIME* 162 (1945) 359-383

Flow and fracture are admittedly complicated phenomena of which we are yet only partially masters. There is not even universal agreement as to the details of the tongue used to describe the phenomena, to say nothing of any theory. Certain points of view, however, are widely held, and there are certain general expectations as to what sort of phenomena will prove permissible. The importance of stress history in connection with fracture is emphasized; a hydrostatic pressure, for example, will produce no flow, but very different results may follow by increasing or decreasing the three components of stress into which the hydrostatic compression may be resolved. Results obtained where stress is applied in a specimen under hydrostatic pressure are described.

[188] Bridgman, P. W. The Rheology of Properties of Matter Under High Pressure *J. Geophys. Res.* (1957) 62-76

A study of rheological properties of matter, whereby are understood those properties which play a role when a body ceases to remain elastic and undergoes a permanent deformation. Such permanent alterations of shape follow the application of shearing stresses. In the case of solids, permanent deformation does not occur until the shearing stress rises above some threshold value, the relevant property of the solid being strength, not generally as plasticity. The study of hydrostatic pressure effects is of considerable significance as to the underlying mechanisms.

[189] Bridgman, P. W. Fracture and Hydrostatic Pressure *Paper from Symposium on Internal Stresses*, Am. Soc. Metals, Cleveland (1948) 244-263

Results of experiments show remarkable increases in ductility for mild steel at high hydrostatic pressure and a progressive change in the character of the fracture. Plasticity imparted to completely brittle materials such as copper containing 8% phosphorus, and minerals such as limestone and rock salt. Glass does not acquire ductility, but it is extremely sensitive to surface conditions. Fundamental implications of these results.

[190] Bridgman, P. W. The Thermodynamics of Plastic Deformation and Generalized Entropy *Rev. Modern Phys.* 22 (1950) 58-63

The previous extension of the methods and definitions of classical thermodynamics to irreversible phenomena is further extended to the case of metals showing hysteresis between stress and strain. The analysis confirms the earlier conclusion that it is possible to generalize the entropy concept in order to apply to an intrinsically irreversible process, provided that the latter are simple enough to be characterized in terms of a small number of macroscopic measurements.

[191] Brock, P. A Note on the Influence of Grain-Boundary Flow in the Creep of Lead-5 *Proc. Inst. Phys.* 12 (1955) 91

The effect of grain size on creep rate and the effect of stress and grain size on grain-boundary sliding have been demonstrated on two similar specimens. One specimen, tested at a stress of 100, creep 516 in 25,000 hours; whereas another specimen, tested at 500 psi, creep only 28% in the same time, as a result of recrystallization occurring during the test.

[192] Brock, G. D., and Sully, A. H. Some Observations on the Internal Friction of Polycrystalline Aluminum During the Early Stages of Creep *Acta Met.* 3 (1955) 460-469

A torsional-pendulum apparatus was constructed to allow internal friction measurements to be taken during the early creep at constant load of water-quenched commercial-purity Al wires. Measurements were made at room temperature, 250, and 100°C. It is believed that only partial recovery of the internal friction due to dislocation occurred in each specimen, the slow decrease being attributable to a decrease in grain-boundary internal friction. The results are discussed in terms of dislocation theory. The fall in internal friction during creep was ascribed to polygeneration, and X-ray evidence is reported which confirms this conclusion.

[193] Brown, T. Some Observations of Deformation on the Electrical Resistivity of Cold-Worked Metals and Alloys *Proc. Phys. Soc. (London)* 55 (1952) 871-881

Apparatus used to draw wires of Al, Cu, Ni, Fe, 50-50 Ag-Au, 75-25 Bi-W, and Ag-Pb at temperatures between -183 and 100°C, and to measure their resistances at the temperature of drawing. Results suggest that a uniform theory of effect of deformation on electrical resistivity of pure metals and alloys can be based on stacking faults.

1950 Brown, T. M., Masza, J. A., and Whittaker, V. H. Structural Changes Caused by Plastic Strain and by Fatigue in Aluminum-Zinc-Magnesium-Copper Alloys Corresponding to D, T, and R. *J. Inst. Metals* 88 no. 1 (1959-1960) 17-21

High-purity Al alloys containing 4% Zn, 14 Mg, and 5% Cu were used for metallographic investigations of tensile and fatigue phenomena. Fatigue striations on certain planes were observed in the later stages of both tensile and fatigue tests. This behavior is associated with microstructural changes that the planes can be revealed by etching techniques. Fatigue striations are observed on certain planes. The planes are identified as those upon which extensive slip has occurred. Various factors such as grain size, slip direction, and dislocation density are discussed.

1951 Brophy, G. R. The Characteristics of Strain of Steel Under Constant Load at Elevated Temperatures. *Trans. Am. Soc. Steel Treatment* 20 (1953) 58-64

The idea is proposed that creep is a rate process which may be mathematically predicted for long periods from tests conducted for a few hours.

1952 Brown, A. F. Fine Structure of Slip Zones. *Nature* 133 (1954) 761-762

Slip lines in Al single crystals have been shown by electron microscopy to consist of fine lines which have developed from dislocations gliding parallel to the slip plane. The lines have slipped over each other about 1000 Å. Variation of temperature, type, and rate of deformation showed that the slip unit is approximately the same, the difference being in the degree of the elementary line clusters (slip zones). Also, necked regions in Al show a curved surface of the same order as the observed lamellar structure.

1953 Brown, A. F. Slip Bands and Hardening Processes in Aluminum. *J. Inst. Metals* 82 (1953) 115-124

Slip bands in Al increase in number during plastic deformation and, at the same time, further slip occurs within each band. At higher temperatures and lower rates of deformation, as well as with increasing strain, under all conditions, the latter process becomes increasingly predominant. This is interpreted on the basis of the fine structure of slip bands revealed by the electron microscope. Differences in density and inner structure of slip bands formed under different conditions are compared with differences between strain curves.

1954 Brown, A. F. Surface Effects in the Plastic Deformation of Metals. *Advances in Physics* 1 (1952) 427-473

Evidence as to the nature of slip in metals, revealed by examination with the optical and electron microscopes, and by x-ray diffraction is reviewed. The appearance of slip bands on the surface of a plastically deformed metal is evidence that deformation is not homogeneous, but is concentrated on a relatively few atomic planes. This condition is considered valid only in the later stages of deformation, and the first stages of strain in metals are much more nearly homogeneous. Surface finish affects not only the appearance of internal processes but also the processes themselves. In cases of nonhomogeneous deformation, this is probably also not continuous in time, slip on an active slip plane needs a time which is reached either gradually or suddenly. The processes which stop slip on active planes produce hardening of the metal. Slip can restart on or near former slip planes owing to mechanisms activated by temperature and stress, and can continue until fracture. Slip bands, the sources of hardening, are also places of weakness.

1955 Brown, A. F. Deformation of Metals Without Apparent Slip Bands (in French). *Compt. Rend. 1^{er} Congr. Intern. Microscopie Electronique*, Paris (1953) 280-283

The dislocation theory has not yet been able to explain one of the most remarkable facts of metal deformation - that of the appearance of the electron microscope and other techniques in the bulk of slip bands. It means study the conditions for the formation and disappearance of these bands, and the results may help in choosing between the various mechanisms advanced and proposed for the formation of dislocation networks. In general, the results support dynamic mechanisms in preference to static mechanisms.

1956 Brown, H., Washburn, J., and Fisher, L. R. Relations Between Initial Crystal Size and Reduced Strain Rates in Zinc Single Crystals. *Trans. AIME* 157 (1945) 1227-1230

Investigation to establish some reproducible relation between initial crystal size and reduced strain rates in zinc single crystals. The initial crystal size is not limited. The crystal size is varied from 10 to 1000 microns. The reduced strain rate is varied from 10⁻⁴ to 10⁻² per second. The relation between initial crystal size and reduced strain rate is shown to be a function of the initial crystal size. The relation is expressed by the equation: $\log \dot{\epsilon} = -0.15 \log d + C$, where $\dot{\epsilon}$ is the initial strain rate, d is the initial crystal size, and C is a constant. The value of C is found to be 1.5. The relation is shown to be independent of the initial crystal size.

1957 Bruehl, H. P. Metallographic Observations During Hotward Straining of Polycrystalline Zinc. *Australian Commonwealth Dept. Supply, Aeronaut. Research Lab., Rept. SM 218 (1953) 14 pp.*

Considerable slip specimens of annealed Zn were tested by electron-microscopic examination. Deformation of the low-angle strain amplitude and (about) 0.1% to 0.2% of grain boundary, and appears as a boundary moving progressively with increasing number of cycles. A substructure which became evident at the later stages of testing was found to have originated from the hot-working treatment stage in preparing the specimens. Grain-boundary migration becomes marked, and there is evidence of intergranular fracture. Increasing strain amplitude increases deformation by slip and twinning in the grains, but boundary migration is restricted. Little relative displacement between the grains is produced. An explanation is advanced in terms of the occurrence of localized strain at grain boundaries by cyclic grain-boundary slip in order to relax stresses introduced by anisotropy of elastic strain of adjacent grains.

1958 Bulgin, J. P., and Laibin, N. F. On the Theory of Metals in the Process of Plastic Deformation. I - Recovery of a Pure Metal (Aluminum). II - Recovery of an Ageed Aluminum Alloy (In Russian). *Zhur. Tekh. Fiz.* 23 no. 2 (1953) 231-240, 241-249

(I) The process of "block formation" which Laibin proposed [see e.g., *Ibid.*, 22 (1950) 1025] as part of the mechanism of hardening of metals during creep is compared with the process of fragmentation due to twinning and polygonization. All are recognized to be phenomenologically the same. X-ray Laue photographs from single grains show the development of extinction axes on 1/2 slip. An strain increases the extinction axes in size, number, and pattern of sharp spots develops, showing that the original grain has broken up into a large number of almost perfect crystallites with orientations scattered over a range of several degrees. Experiments at higher speeds of deformation and other temperatures give similar qualitative results. The dimensions of the blocks, however, increase with increasing temperature of deformation and decrease with increasing speed of deformation. (II) The amounts of pure Al are summed up as follows: recovery takes place in creep by compression of the grain boundaries, the boundaries of which are either former slip bands or former twins. In other cases some process of diffusion is necessary. Thus, the process of recovery in alloys where diffusion may proceed faster or more slowly than in pure metals is studied. In particular, it is interesting to see what happens in supercooled solid solutions where the diffusion process is impeded by precipitation. In general, raising the temperature of deformation speeded up the change from slip to block deformation. A qualitative comparison is made between the change from slip to block deformation in Al-pure metal and in Al-pure metal with the intervention of a grain boundary. The "block formation" range shows that such deformation is not, as has been suggested, a diffusion process. The absence of extinction axes in crystals in the "high-angle flow" range shows that such deformation is not, as has been suggested, a diffusion process. (2) Some of the fine slip lines grow to be resolved by the microscope. (3) Some of the fine slip lines will grow to be resolved by the microscope. (4) The amount of slip which is resolved by the microscope is a function of the temperature. These slip lines will be visible only if the specimen is deformed by increasing the strain rate of the slip lines. (5) The transition from deformation by increasing the strain rate of slip lines to block formation requires diffusion (10⁻¹⁰ sec, e.g., or less in Al-deformation at 200°C.) (6) This is not a feature of deformation of the Al-deformation at 200°C.

1959 Bulgin, J. P., and Laibin, N. F. Deformation Anisotropy of Oriented Solid Solutions (In German). *Z. Metallk.* 22 (1950) 40-42

Alloys of the long-range order parameter by plastic deformation are considered. If there exists any kind of order (positive or negative short-range order, long-range order) in a solid solution, the symmetry properties are altered after deformation. This is also true for polycrystalline materials.

1960 Bulgin, J. P., and Laibin, N. F. Deformation Anisotropy of Oriented Solid Solutions (In German). *Z. Metallk.* 22 (1950) 40-42

Alloys of the long-range order parameter by plastic deformation are considered. If there exists any kind of order (positive or negative short-range order, long-range order) in a solid solution, the symmetry properties are altered after deformation. This is also true for polycrystalline materials.

1961 Bulgin, J. P., and Laibin, N. F. Deformation Anisotropy of Oriented Solid Solutions (In German). *Z. Metallk.* 22 (1950) 40-42

Alloys of the long-range order parameter by plastic deformation are considered. If there exists any kind of order (positive or negative short-range order, long-range order) in a solid solution, the symmetry properties are altered after deformation. This is also true for polycrystalline materials.

1962 Bulgin, J. P., and Laibin, N. F. Deformation Anisotropy of Oriented Solid Solutions (In German). *Z. Metallk.* 22 (1950) 40-42

Alloys of the long-range order parameter by plastic deformation are considered. If there exists any kind of order (positive or negative short-range order, long-range order) in a solid solution, the symmetry properties are altered after deformation. This is also true for polycrystalline materials.

(439) Chalmers, B. Precision Extremity Measurements on Tin. *J. Inst. Metals* 61 (1953) 10-118.

Creep experiments on single crystals, bicrystals, and polycrystalline materials in which strains of 10⁷ were measured. The results show that the change of orientation across a crystal boundary after the mechanism of propagation of the boundary. The relation between creep and creep and the forms of the creep curve are discussed. A rather sharp transition from microcreep to macrocreep occurs at a critical stress level.

(440) Chalmers, B. The Influence of Differences of Orientation of Two Crystals on the Mechanical Effect of Their Boundary. *Proc Roy Soc (London)* 136 (1932) 140-147.

Cylindrical specimens of tin were prepared, consisting of two crystals with a longitudinal boundary in the direction of the axis of the first piece. The 90° axis was perpendicular, and the 181° axis at 45° to the axis of the specimen. This symmetry about the axis means that the resolved shear stress is the same on corresponding planes in different cases but leaves the tension required to produce a small arbitrarily defined extension varied regularly with the angle α being a minimum for $\alpha = 0^\circ$ or 90° , a single maximum for $\alpha = 45^\circ$. It is concluded that the boundary has a transitional lattice. The evidence is against the existence of an amorphous layer at intercrystalline contact.

(441) Chalmers, B. The Plasticity of Polycrystalline Solids. *Article from a Symposium on the Plastic Deformation of Crystalline Solids*, OTS, U. S. Dept. Commerce (1952) 193-195.

Many investigators believe that the best approach to the understanding of plasticity is to study first the behavior of single crystals and then to use aggregate. Progress that has been made from this point of view and the difficulties that arise when an attempt is made to interpret polycrystalline plasticity in terms of single-crystal data.

(442) Chalmers, B. The Properties and Effects of Grain Boundaries. *Chapter from Introduction to Metallography*, John Wiley and Sons, Inc., New York (1954) 441-455.

A distinction is made between properties and the effects of grain boundaries on the plastic deformation of polycrystalline materials. The mechanical and electrical effects of grain boundaries on plastic deformation, strength (static and dynamic) and diffusivity are discussed.

(443) Chalmers, B. and Davis, R. S. Experimental Indications of Surface Sources. *Paper from Diffusion and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1952) 232-237.

The behavior of the Schottky picture obtained from a slightly stretched Al single crystal supports the proposal that during the early stages of deformation the origin of the dislocations are Frank's edge dislocations and not in fact in the crystal surface. The behavior at the crystal boundary is a bivalent suggestion that stresses of a different type may be important in polycrystalline materials.

(444) Chalmers, B. and Mathias, U. M. Slip Planes and the Energy of Dislocation. *Proc Roy Soc (London)* 233A (1956) 175-185.

The characteristic slip directions and planes in metal crystals can be explained and predicted by taking into account the dependence of the energy of dislocation on the slip system, particularly at high temperatures. It is shown that the slip direction is a function of the parameter B , which is defined as the ratio of the Burgers vector to the interplanar spacing d , and is a function of the slip system. The slip direction is defined as the slip direction which has the lowest possible value of B in all the crystal types that have been studied.

(445) Chang, H. C., and Grant, N. J. Observations of Creep in Grain Boundary in High Purity Aluminum. *Trans AIME* 202 (1956) 619-625.

The essential features of creep at elevated temperature are: (1) grain-boundary sliding and migration, which take place in successive steps as a function of time, and (2) the resultant deformation in the grains. A creep curve obtained between two reference marks across a grain boundary shows that the period during which active boundary sliding takes place is characterized by the creep rate increasing to rather high values before the period of grain-boundary migration occurs, the latter resulting in a decreasing creep rate. Grain pits, particles, and surface indentations on the grain surface exert a strong inhibiting factor in the course of boundary migration, mainly as an attracting effect, and surface energy around the irregularity is suggested as a very important factor in this phenomenon. The effect of grain-boundary sliding is not restricted to a thin layer of several interatomic distances thick, but extends to a rather large volume along both sides of the heavily etched boundary. Boundary sliding ceases two types of deformation within the grains, viz., (1) fairly straight "folds" or bands, caused by sliding the opposite grain boundary, and (2) "sluggish" deformation, particularly at the triple point of three grain boundaries; latter tending to be favored in play an important role in both phenomena.

(446) Chang, H. C., and Grant, N. J. Inhomogeneity in Creep Deformation of Coarse Grained High Purity Aluminum. *Trans AIME* 202 (1956) 1175-1180.

Total strain measurements were made across the grain boundaries and in different regions of various grains during creep. The following observations were made: (1) a cyclic behavior is exhibited both across grain boundaries and in the grains, the periodicity of the former appears to be 400 F boundary sliding becomes noticeable only in the latter stage of creep; (2) at the higher temperature it is very significant from the start of the creep; (3) it is unlikely that a single activation process can be considered for the creep; and (4) any equation intended to define a conventional creep curve must be considered to be a statistical summation of equations describing the various component processes of creep.

(447) Chang, H. C., and Grant, N. J. Grain Boundary Sliding and Migration and Interfacial Failure Under Creep Conditions. *Trans AIME* 197 (1953) 304-312.

The process of boundary sliding and migration were studied microscopically in high-purity Al. The direction of boundary sliding is boundary sliding, in the direction of the shearing stress acting on the boundary surface. The driving force which controls the direction of the sliding is a combination of strain energy and surface energy of the grain-boundary. The most important at high temperatures. The movement of grain-boundary sliding appears to be dependent on the presence of particles in the amount of migration. A theory is presented regarding the failure of commercial alloys and leads to the conclusion that an optimum grain size should exist for good high-temperature properties of high-purity materials.

(448) Chang, H. C., and Grant, N. J. Mechanism of Creep Deformation in High-Purity Aluminum at High Temperatures. *J. Inst. Metals* 62 (1956) 229-235.

Creep of very coarse-grained high-purity Al was studied up to 955 C over a stress range from 50 to 1200 psi. Simultaneous observations and measurements of localized strains on polished specimen surfaces were made by means of a high-temperature microscope. The response of this and subsequent, was followed. Slip in the direction of the shearing stress of deformation for both single-crystal and polycrystalline materials occurs in clearly slip markings, obtained across grain-boundary-affected slip bands show a periodic behavior, the significance of which is discussed. Sluggishness is shown to be formed under conditions where slip development is restricted. Two types of sluggishness, one caused by deformation bands and the other by blocking bands, are observed and discussed.

(449) Chang, H. C., and Grant, N. J. Some Observations on the Structure of Grain-Boundary Fracture-Defects. *Trans AIME* 202 (1956) 1241-1247.

Metallographic and X-ray studies were made of the fracture surfaces of annealed Al-2% Cu alloy after creep testing at 500 F at 2300 psi. The form of various deformation bands, which are produced in the vicinity of the fracture surface, is discussed. The fracture surfaces are heavily deformed layers or a recrystallized layer, or both, depending on the grain-boundary orientation and the history of the crack process.

(450) Chang, H. C., and Grant, N. J. Mechanism of Inter-crystalline Fracture. *Trans AIME* 202 (1956) 544-554.

On the basis of microscopical observations during creep in tin and knowledge of inter-crystalline fracture and propagation of the latter, a mechanism of inter-crystalline fracture and propagation of the latter is proposed.

(451) Chang, H. C., and Grant, N. J. Mechanism of Grain Boundary Sliding. *Trans AIME* 202 (1956) 1619-170.

An Al-20% Zn solid solution alloy was subjected to creep at 500 F at stresses of 2000 to 7000 psi. All specimens showed appreciable grain-boundary sliding accompanied by "fold" formation and offset of the triple point - as shown by high-purity Al. Grain-boundary sliding is accompanied by fold formation in the grain in which the new boundary surface is created. This is the process whereby the grain is deformed during boundary sliding. Thus, there is both movement of two grains along a mutual boundary, as is likely that one grain of the two involved in the sliding process is extended more favorably for slip to occur in it, and this suggestion is supported by evidence of the greater amount of deformation in one grain as compared to the other in the sliding couple.

(452) Chang, T. S., and Koehler, C. E. Correlation of Sonic Properties of Concrete with Creep and Relaxation. *Proc ASTM* 56 (1956) 1251-1272.

This paper presents a method of relating the properties of concrete that can be obtained from sonic testing to the creep behavior in compression and failure and relaxation behavior in compression. Valid nonlinear mechanical models are presented to explain concrete creep and relaxation and their coefficients are statistically related to the sonic properties. A simple procedure is also developed to relate the creep of one concrete beam to another under different loading. The results presented provide a means of predicting creep and relaxation behavior of concrete from a relatively simple sonic test.

(453) Chaudhuri, A. R., Chang, H. C., and Grant, N. J. Creep Deformation of Magnesium at Elevated Temperature by Nonaxial Slip. *Trans AIME* 202 (1956) 682-688.

Tests were run at 500 and 700 F at stresses of 168 to 789 psi. Based on the measurements and theoretical calculations, the crystallographic elements for nonaxial slip were determined. Deformation resulted in a nonaxial type of slip appearing as wavy traces which were dependent on the angle between the surface of observation and the plane containing both the axis of tension and the slip direction. The observed slip plane did not coincide with any low-index plane and was nearly perpendicular to the plane of maximum resolved shear stress. This cooperative form of slip between at least two planes indicates that the slip plane was a conjugated surface formed by suitable amounts of glide occurring in a consecutive manner.

(454) Chocholski, B. D. On the Statistical Theory of Brittle Strength (in Russian). *Zhur Tekh Fiz*, 25 no. (1955) 492-498.

Theories of the brittle strength of solids due to Weibull [Proc Roy Swedish Inst. Eng. Research no. 151 (1939)] and to Freudenthal and Kromm [Zur. Tech. Fiz. 11 (1951) 173] are reviewed. It is assumed that brittle failure is due to the distribution throughout the solid of defects which result in its disruption on loading. It is shown that the fundamental of these theories is the lack of a theoretically well-founded random distribution function for the defects. Using a Poisson distribution function of the third kind, Chocholski solves the equation of Freudenthal and Kromm and obtains a more accurate solution. Weibull's solution is shown to be a special case accurate when the number of defects is large.

(455) Chocholski, B. D. Study of Microscopic Nonuniformity of the Plastic Deformation of Steel (in Russian). *Fig. Metal Metallizatsion Abn. S.S.S.R., Usil' Fizikal' no. 2 (1955) 251-260.*

Character of plastic deformation of metals as contrasted with deformation of small brittle bodies. Distribution of deformations of real polycrystalline metals, position of grain axes during plastic flow or creep.

(456) Choe, C. W., and Mathias, E. S. On the Mechanism of Inter-crystalline Cracking. *Acta Met* 4 (1956) 655-656.

Experiments on bicrystals of pure Cu have shown that grain-boundary sliding is necessary for the production of boundary voids. A mechanism is proposed in which tensile stresses are developed in gaps in the boundary during slip.

(457) Choe, C. W., and Mathias, E. S. The Mechanism of High Temperature Inter-crystalline Cracking. *Trans AIME* 202 (1956) 829-845.

Formation of voids at grain boundaries is considered to be primarily responsible for brittle failure of metals at elevated temperatures. Voids occur in the grain walls by way of embrittlement of plastic sliding or both.

(458) Choe, N. K., and Mathias, E. S. Plasticity of Multigrain Single-Crystal. *Trans AIME* 192 (1951) 937.

In the extension of the single-crystal at room temperature, the slip planes were found to be of the type {110} and the slip direction $\langle 111 \rangle$. Therefore, of plasticity of two metals are examined, and an explanation based upon plane of highest atomic density seems to explain the plastic behavior observed here.

(459) Choe, N. K., and Mathias, E. S. Slip Planes and the Energy of Dislocation in a Body-Centered Cubic Structure. *Acta Met* 4 (1956) 49-51.

It is assumed that the experimentally observed slip on {112} and {143} planes of a bcc structure is the result of slip movements on alternating segments of two nonaxial {110} planes. Revised values of the parameter B are calculated on this basis, and compare the former discrepancies between observed and theoretical slip planes of bcc materials. The model provides an explanation for the possible occurrence of slip on "high-index" planes.

(460) Choe, N. K., and Prod, R. B. Dynamic Formation of Slip Bands in Aluminum. *Trans AIME* 181 (1952) 1085-1092.

Experimental apparatus by which progressive formation of slip bands can be recorded while specimens is undergoing deformation. Qualitative and quantitative data on dynamic formation of slip bands are presented concerning propagation of slip bands, spacing of slip bands, and their relation to strain hardening. Views on formation of slip bands. A mechanism of the rate process involved in formation of a slip band is proposed.

(461) Chorea, P. F. Stress Calculations for Design for Creep Conditions. *Paper from Utilization of Heat Resistant Alloys*, Am. Soc. Metals, Cleveland (1954).

Factors affecting a workable theory include equations of motion or equilibrium, kinematics of the deformation, and equations of state and constitutive relations. For creep in metals, the simplest case is made from the standpoint of theory is that which results in a linear differential equation between the stress and the strain rate.

(462) Chrolyng, J., and Gyre, R. Creep of Aluminum Alloy (in French). *Rev. mét.* 51 (1954) 682-686.

A study of the fundamental characteristics. Method of investigation and data.

(463) Chikara, A. A. Training of Metals for Relaxation at High Temperatures (in Czech). *Metallurg* 1 (1952) 456-455.

Two theories for reconciling relation between creep and relaxation; differences between measured relaxation values and those calculated from creep curves; Czech methods of measuring relaxation according to Beer and Bergstedt.

(240) Christman, J. W., and Spryell, J. J. **Sliding Paths in Cold-Worked Cobalt-Nickel Alloys**
Phil Mag 22 (1974) 1009-1025
 X-ray diffraction experiments were made on the powdered alloy on taking 50 to 100% Co, and a strain rate profile measurement was made using Co radiation. These measurements were also made after annealing at various temperatures, and the stacking fault parameters were obtained from the shifts of the slip peaks. The results are compared with values for work on alpha-brass (Warren and Washburn, *Acta Met* [1958] 22) both showing that non-shear stacking faults are formed preferentially at annealing temperature in pure Co. A possible correlation between production of faults and both the large work-hardening region and the abnormally large increase in critical resolved shear stress with annealing is discussed.

(241) Christman, J. W., and Spryell, J. J. **Sliding Paths and Dislocations in Copper-Aluminum and Cobalt-Nickel Alloys**
Proc Phys Soc (London) 70B (1955) 1151-1164
 Sliding fault structure in heavily cold-worked Cu-Al and Co-Ni alloys has been investigated from the peak shifts using Patterson's theory. Fourier coefficients of the bounding functions due to dislocations are calculated for the slip and 100% line, assuming equal density of faults on all {111} planes, measured coefficients.

(242) Chubb, W. **Creep of Silver Bromide at High Temperature**
Acta Met 22 (1974) 284-295
 Transient and steady-state creep rate of single crystal and polycrystalline specimens of silver bromide was investigated with emphasis on steady-state creep of single crystals. Conclude that Mehl's mechanism for the limitation of steady-state creep at high temperatures mechanism (plastic deformation without slip by diffusion of lattice defects) apparently does not contribute significantly to creep under these experimental conditions.

(243) Chubb, W. **Contribution of Crystal Structure to the Hardness of Metals**
Trans. AIME 221 (1955) 189-192
 A hot-hardness testing machine is described and illustrated. The experiments show that the hardness changes caused by allotropic transformation are related to the type of transformation. The relative magnitude of the property change appears to be a characteristic of the crystal-structure change. The face-centered structure is always the stronger when it is involved in a transformation with the fcc and bcc lattices, which have approximately the same structural strength. Highly complex lattices, although less dense, contribute even more to the strength of the metal. However, several other factors, such as melting point, are involved in the strength of a metal, so that it does not follow that fcc metal must always be stronger than a bcc metal.

(244) Churchman, A. T. **The Yield Phenomena, Kink Bands and Chromatic Softening in Titanium Crystals**
Acta Met 23 (1975) 22-29
 Single crystals of titanium grown by a modification of the strain-anneal technique show dislocations in the matrix relatively when containing 1 wt. % oxygen and nitrogen. The dislocations are explained as a manifestation of the yield phenomenon modified by general slip line formation during the formation of kink bands. An explanation of fragmentation is suggested for matrix which form kink bands.

(245) Churchman, A. T., and Cottrell, A. H. **Yield Phenomena and Twinning in a Iron**
Nature 182 (1951) 943-945
 The question of whether single crystals of Fe show the yield phenomenon required by the dislocation theory has been investigated for many years. Recently, however, the yield point has been observed at room temperature, in highly carburized Anneal Fe single crystals. Lowering the test temperature to 100°C, the yield point in the single crystals became more marked. By lowering the testing temperature to -100°C, the yield phenomenon is replaced by deformation twinning. Twinning is also produced in single crystals, by impact loading at room temperature, but the yield point of Fe can be removed permanently by chromating C and N, and is completely replaced by plastic deformation twinning at the same time. The stress needed to produce twinning or the yield phenomenon is independent of strain rate. Some of the direct observations can be explained on the basis of the steady dependence of the upper yield stress on temperature which also supports Dworkin's theory of brittle fracture.

(246) Clark, R. L. **Other Defects and Plastic Deformation**
J. Australian Inst. Metals 11 (1964) 58-110
 This review is a general survey of the types of defects occurring in metals and alloys, and the way in which they affect the mechanical properties. It deals with the following types of defects: point defects, dislocations, grain boundaries, and phase boundaries. The review is intended to provide a general survey of the types of defects occurring in metals and alloys, and the way in which they affect the mechanical properties.

(247) Clark, R. L., M. Hargreaves, M. E., and West, G. W. **The Role of the Energy Stored in Deformed Nickel**
Phil Mag 11 ser 7 (1958) 911-915
 Certain possibilities suggested by previous work on Fe have now been tested by measuring the energy released in Ni as the temperature increases, together with the changes in resistivity and hardness. About 85% of the energy stored in hot-worked metal is released between 200 and 300°C and is associated with the major decrease in resistivity. No hardness change occurs in this range. There is a gradual release of a further 20% up to about 500°C, when another major release occurs associated with a rapid decrease in the hardness. The lower temperature release is attributed to the disappearance of vacancies and the higher temperature release to recrystallization.

(248) Clark, R. L., M. Hargreaves, M. E., and West, G. W. **The Release of Energy During the Annealing of Deformed Metals**
Proc Roy Soc (London) 232 (1956) 242-250
 Using apparatus and techniques previously described, measurements have been made of the release, during annealing, of the energy stored in cold-worked specimens of pure and annealed Cu and Ni. Hardness, electrical resistivity, and density measurements were also carried out. For all the materials, for all types of deformation (compression, tension, and torsion) and for all heating rates, a sudden release of energy corresponding to recrystallization is observed. It is concluded that for all materials the value of energy associated with recrystallization is probably due to the disappearance of the dislocations created by deformation and not pure Cu. This is the only mechanism involved. However, for annealed Cu and for Ni additional mechanisms are responsible for the liberation of a large proportion of the stored energy before recrystallization. In regard to the latter, more and more and annihilation of dislocations is probably responsible for the first stage of the release of energy. It is suggested that the difference in behavior between this material and pure Cu is due to "cutting" of the dislocations by an atom. In Ni the disappearance of an atom created by deformation is responsible for the release of energy in the first stage. The second stage is probably associated with the rearrangement and annihilation of dislocations.

(249) Clark, R. L., M. Hargreaves, M. E., and West, G. W. **Density Changes During the Annealing of Deformed Nickel**
Phil Mag 1 ser 8 (1959) 523-530
 Changes were measured by a differential method and not corrected with earlier measurements of stored energy, electrical resistivity, and hardness. There are no sudden increases in density. The first is attributed to the rearrangement of dislocations and the second to recrystallization. There are no measurable increases in density in steady-state recrystallization. There is a considerable discrepancy between the densities of dislocations calculated from the stored energy measurements and from the density measurements.

(250) Clark, R. L., M. Hargreaves, M. E., and West, G. W. **The Density of Dislocations in Compressed Copper**
Acta Met 5 (1957) 734-740
 The changes in stored energy, maximum elongation, and electrical resistivity associated with the annealing of deformed copper have been measured. Three independent estimates of the density of dislocations in the deformed material are obtained by combining these results with the best available theoretical values for the energy, density, and resistivity change associated with dislocations. The estimates from the energy and density measurements are in good agreement, but those from the resistivity measurements are approximately fifty times greater. This discrepancy may be due to the presence of existing faults in the deformed copper.

(251) Clark, R. L., White, A. E., and Guarnieri, G. J. **A New Application for the Short-Time High Temperature Tensile Test**
Trans. AIME 21 (1936) 1031-1050
 Five steels tested between 50 and 1300°F at rates of elongation of 0.002 to 0.010/in. Computed tensile strength versus strain rate (strain rate on log-log plot), as well as tensile strength versus time for fracture (on log-log plot). A critical temperature was found by plotting tensile strength versus log temperature. Above this maximum, tensile strength was obtained. The magnitude of T_c given an indication of the creep character of the material. This method may be used as an accurate test in deciding whether or not steel will be the same general type and composition possess the same creep strength.

(252) Clark, D. S., and Threlk, P. E. **The Influence of Strain Rate on Some Tensile Properties of Steel**
Proc. ASTM 50 (1950) 565-576
 Influence of impact tests to reveal the true influence of strain rate on tensile properties is demonstrated. Fundamental requirements of a device by which strain-rate effects can be studied and details of apparatus constructed. Results of static and strain-rate tests for three different steels.

(253) Clark, R., and Chalmers, R. **Mechanical Deformation of Aluminum Microalloy**
Acta Met 22 (1974) 80-86
 Specimens were composed of two symmetrically oriented crystals having a longitudinal common axis. The stress-strain relation in the initial region of plastic deformation was linear, this part of the curve was extrapolated back to zero strain to define a yield stress. The yield stress and the rate of work hardening increased with increasing dislocation density between the crystals and the linear region of the stress-strain curve became shorter.

(254) Cochran, A. W. **Nickel-Chromium Base Alloys Hardened With Refractory Oxide Additions**
 Paper presented at AIME Fall Meeting, Chicago (November 1957)
 Niobium powder was mixed with the powders of aluminum, titanium, or silica, the oxide content ranging from 0.5 to 5 per cent. Stress-strain properties at 1200°F and hardness values were determined. It was found that, in all cases, addition of an oxide decreased the time to rupture. This observation appears to be due to the formation of void layers around the oxide particles. A mechanism is suggested, according to which an intermetallic particle does not strengthen the metal alloy if the surface energy between particle and matrix is greater than the surface energy of the matrix itself.

(255) Cochran, A. W., Sobott, G., and Wiederlich, H. **Interaction Between Dislocation and Interstitial Atoms in Body-Centered Cubic Metals**
Acta Met 1 (1953) 533-537
 Theory of Cottrell and Bilby on the locking of dislocations is extended. It is shown that carbon atoms on an edge dislocation are spread out over slip plane rather than at positions just below the dislocation. A method is given for calculating the interaction between the relaxed atoms in the lattice and edge and screw dislocations. The saturated concentration of interstitials is shown to be $\frac{1}{2}$ for both types of dislocations. The presence of the atmosphere reduces the elastic energy by about 20% for a screw and 10% for an edge dislocation.

(256) Cottrell, A. H., and Melman, A. L. **Surface Effects and the Creep of Zinc Single Crystals. I. Creep Characteristic of Zinc and Cadmium Single Crystals**
J. Appl. Phys. 21 (1950) 482-489
 The rate of creep rates after and before acid addition was much greater for oxidized samples than for clean ones and greater at small extensions than at large ones. The results suggest that the strengthening effect of oxide is due to its exerting a part of the load unless the film is cracked. The high strength of the film which this implies is attributed to absence of defects. The rate increase for clean crystals is attributed to chemically produced bonds. A new empirical creep equation is reported.

(257) Cottrell, A. H. **Elasticity Equilibrium as a Function of Time (in French)**
Compt. rend. 233 (1951) 717-718
 Calculate the theory of elastoplastic deformation, varying with time, of homogeneous bodies of isotropic bodies, which are, by definition, characterized by the coexistence of elements with different coefficients of creep.

(258) Cottrell, A. H. **The Formation of Immobile Dislocations During Slip**
Phil Mag 23 ser 7 (1952) 845-847
 A new mechanism whereby dislocation on intersecting slip planes in a fcc lattice can react to form immobile dislocations is proposed, which is more effective than that suggested by Lomer [ibid., 22 (1951) 1327].

(259) Conrad, H. **An Investigation of the Rate Controlling Mechanism for Plastic Flow of Copper Crystals at 50° and 120°C**
Acta Met 6 (1958) 134-140
 The plastic flow characteristics of Cu single crystals at 90 and 120°C were investigated by means of incremental loading creep tests and charge-discharge rate transition tests for the purpose of determining whether the interaction of dislocations is the rate controlling process in low temperature deformation. The present results indicate that although the nature of the stress function is similar to that predicted by the interacting mechanism, i.e., $\dot{\epsilon} \propto \sigma^n$, $\dot{\epsilon} \propto \sigma^{1/2}$, the constant n is independent of the temperature or strain rate. This represents a serious objection to the theory. An analysis of the present data along with the data of previous investigators indicates some agreement with a rate controlling mechanism based on the formation of thermal links in dislocations lying in close-packed directions. Several dislocations associated with the application of the mechanism to plastic flow are discussed.

(260) Conrad, H., and Robertson, W. D. **Effects of Temperature on the Flow Stress and Strain-Hardening Coefficient of Magnesium Single Crystals**
Trans. AIME 225 (1975) 653-652
 Dislocation stress-strain curves for magnesium single crystals by incremental tensile creep test in temperature range of 78 to 364°K. Empirical expressions derived for strain rate $\dot{\epsilon}$ in terms of strain-hardening coefficient, $\frac{d\sigma}{d\epsilon}$, $\dot{\epsilon} \propto \sigma^{1/2}$, $\dot{\epsilon} \propto \sigma^{1/2}$, $\dot{\epsilon} \propto \sigma^{1/2}$, where C and D are constants.
 The limiting stress for macrocreep of magnesium single crystals in the initial yield stress was found to increase linearly with reciprocal of absolute temperature from 78 to 364°K. The strain-hardening coefficient is constant from 78 to 293°K and is independent of prior strain history.

(261) Conradi, A., and DeBarth, G. **Basic Principles of a Creep-Resistant Alloy**
 Paper from *Creep and Fracture of Metals at High Temperatures*, Her Majesty's Stationery Office, London (1955) 171-214
 Essential part lies in the resistance to creep by the precipitation of additional phases, and the importance has been treated with the nature, size, and distribution of these precipitates can be controlled, with special reference to Cr-Mo-V alloys.

(262) Cook, M., and Richards, T. L. **Fundamental Aspects of the Cold Working of Metals**
J. Inst. Metals 22 (1951) 463-482
 Nature of the metallic state and metallic cohesion in terms of the electron theory of metals. The various mechanisms involved in plastic deformation include crystallographic slip, twinning, and kinking, and a short mechanism in which particular attention is drawn because of its importance in many metal fabrication processes. Influence of plastic deformation on structure with special reference to the development of preferred orientation. The effect of deformation on fine structure as revealed by X-ray diffraction and the relation of work hardening and plasticity to structural changes brought about by cold working.

(263) Cottrell, A. H. **Effects of Solute Atoms on the Behaviour of Dislocations**
 Chapter 2 from *Reports of a Conference on Strength of Solids*, Phys. Soc., London (1948) 37-45
 Solute atoms offering a site from those of the solvent can relieve hydrostatic stress in a crystal and will thus migrate to regions where they can relieve the most serious stress. As a result slip dislocations are formed, forming "atmospheres" similar to the ionic atmospheres of the Debye-Hückel theory. The conditions of formation and properties of these atmospheres are explained mathematically; the theory is applied to problems of precipitation, creep, and yield point.

(264) Cottrell, A. H. **Theory of Dislocations**
 Chapter 2 from *Progress in Metal Physics*, 1, Edited by B. Chalmers, Interscience Publishers, Inc., New York (1949) 77-126
 Dislocation theory, elementary properties, and their interactions with one another. Derivation of stress fields around dislocations and slip-band formation are also treated. Structural strain hardening, aging and annealing of worked metals, and precipitation hardening are accounted for on the basis of the dislocation theory. Creep and the origin of dislocations are touched upon briefly.

(265) Cottrell, A. H. **The Formation of Immobile Dislocations During Slip**
Phil Mag 23 ser 7 (1952) 845-847
 A new mechanism whereby dislocation on intersecting slip planes in a fcc lattice can react to form immobile dislocations is proposed, which is more effective than that suggested by Lomer [ibid., 22 (1951) 1327].

1295 Cottrell, A. H. **The Yield Point in Single Crystal and Polycrystalline Metals**. Paper from *Discussions on Properties of Metals*, Am. Soc. Mech. Engrs. (1954) 131-162.

The elastic, anelastic, thermal, and geometric interactions between dislocations and solute atoms are discussed. The effects of such interactions on secondary dislocations and moving dislocations, on the stress-strain curve, and on the yield point phenomenon are analyzed in relation to experimental evidence.

1296 Cottrell, A. H. **Creep and Aging Effects in Solid Solutions**. Paper from *Creep and Fracture of Metals at High Temperatures*, Her Majesty's Stationery Office, London (1954) 147-162.

The effects of atomic migration during creep in causing recovery of strain are reviewed. If recovery occurs during creep, the creep rate is reduced, the activation energy is increased. Aging is analyzed in relation to the calculation of the maximum temperature for aging during creep, and the theory is used to analyze data on the creep and aging of Al-rich solid solutions. Precipitation during creep is shown to be more effective in reducing the rate of secondary creep than the precipitation before creep.

1297 Cottrell, A. H. **The Interaction of Gliding Screw Dislocations**. Paper from *Dislocations and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1957) 505-512.

When two systems of moving dislocations meet and interact each other, screw-screw interactions usually produce interstitials, whereas edge-edge interactions usually produce vacancies. These interstitials and vacancies, in turn, may lead to the formation of point defects by slip.

1298 Cottrell, A. H. **On Radiation- and Quench-Hardening in Metals**. Paper from *Dislocations and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1957) 513-519.

A disagreement with Friedel is discussed. Cottrell suggests that point defects become incorporated into the dislocations rather than form cavities on the surface. The hardening is attributed to the jogs formed on the dislocations by slip.

1299 Cottrell, A. H. **The Theory of Brittle Fracture in Steel and Similar Metals**. Trans. AIME 212 (1958) 154-203.

The following theory is treated: fracture and plastic deformation, theory of the yield point, the mechanism of cracks by slip, the ductile-brittle transition in uniaxially tensile specimens, notch brittleness, line cracks and the theory of the creep experiment.

1300 Cottrell, A. H., and Appleby, V. **The Flow of Zinc Under Constant Stress**. J. Inst. Metals 27 (1959) 394-412.

A general theory of the flow of single crystals of pure Zn, under constant stress and of polycrystalline specimens, under constant stress, is presented. It is shown that the flow of single crystals is controlled by slip, while that of polycrystalline specimens is controlled by grain boundaries. The nature of steady-state flow in creep is analyzed. Application of the theory to the solution of the recovery theory during annealing experiments leads to the conclusion that the yield strength should decrease according to a logarithmic time relation. Agreement with the recovery of Zn crystals has given results consistent with this relation. The values of the parameters in the recovery equation agreed with those found from the creep experiment.

1301 Cottrell, A. H., and Appleby, V. **Andrade's Creep Law and the Flow of Zinc Crystals**. Nature 122 (1959) 321-325.

Several predictions were made in Andrade's law in order to extend the results to single crystals. Single crystal stress of zinc was extended in order to obtain constant reduced stress. Stress-strain on the glide plane in the glide direction is plotted against time of loading, and it is shown that the results fit the equation of the form $\sigma = \sigma_0 + k_1 t^{1/3} + k_2 t^{1/2}$, where σ_0 is the shear stress of time $t=0$, k_1 is the instantaneous shear stress, and k_2 is the constant for the equation of the form $\sigma = \sigma_0 + k_1 t^{1/3} + k_2 t^{1/2}$. It is shown that the law in which $k_2 \propto \sigma_0^{-1}$ of the plot of $\sigma_0^{-1} k_2$ is constant by factor as reported by the equation.

1302 Cottrell, A. H., and Ribby, D. A. **Dislocation Theory of Yielding and Strain Aging of Iron**. Proc. Phys. Soc. (London) 62A (1949) 41-62.

A theory of yielding and strain aging of Fe, based on the migration of C atoms from interstitial sites to dislocations, is developed. The theory is presented for the case of a single crystal and for the case of a polycrystalline metal. The theory is shown to be in agreement with experimental data on the yield point phenomenon and on the strain aging of iron. The theory is shown to be in agreement with experimental data on the yield point phenomenon and on the strain aging of iron.

1303 Cottrell, A. H., and Ribby, D. A. **A Mechanism for the Growth of Deformation Twins in Crystals**. Phil. Mag. 24 ser. 7 (1955) 573-581.

By extending the recent theory of slip bands, proposed by Frank and Read, it is shown that a dislocation can move steadily from plane to plane in a crystal. A theory of mechanical twinning, which is formally analogous to Frank's theory of crystal growth, is developed.

1304 Cottrell, A. H., and Chermant, A. T. **Change of Electrical Resistance During the Strain Aging of Iron**. J. Iron Steel Inst. (London) 116 (1949) 271-276.

On aging the change in hardness starts more slowly than the change in resistance. Otherwise, the two changes are similar and are attributed to the same structural change in the Fe for which the activation energy is 16.52 cal/mole. The activation energy for the diffusion of C and N in alpha-Fe is about 20 kcal/mole. The results are consistent with the theory that the yield point and strain aging of alpha-Fe are due to the migration of C and N atoms to dislocations.

1305 Cottrell, A. H., and Gibbons, D. F. **Thermal Hardening of Cadmium Crystals**. Nature 152 (1943) 498-499.

The yield point was detected prior to plastic deformation in Cd single crystals grown in an atmosphere of Ar. Contrary to the experience of other workers, the yield point of Fe is decreased in relation to Cottrell's explanation of the latter in terms of the force required to lead a dislocation away from a cloud of solute atoms which has been proposed to relieve the stress around a dislocation.

1306 Cottrell, A. H., Ilmore, S. C., and Nabarro, F. R. N. **Electrical Interaction of a Dislocation and a Solute Atom**. Phil. Mag. 24 ser. 7 (1955) 1064-1067.

The electrical interaction, E_d , is regarded between an edge dislocation and a charged solute atom is deduced from the Superlattice approximation for the energy of an electron in an unstrained lattice. For the alloy of Cu with Zn, Cu, and Au, E_d is 1.5 e.v. in the corresponding plastic interaction.

1307 Cottrell, A. H., and Zavanon, M. A. **Distribution of Solute Atoms Around a Screw Dislocation**. Proc. Roy. Soc. (London) 192A (1949) 104-114.

The factors determining the average velocities of solute atoms attracted to a dislocation are discussed, and an equation is set up for the concentration of solute around the dislocation. This leads to a symmetrical distribution of solute around the dislocation. The distribution of solute around the dislocation is shown to be in agreement with experimental data on the yield point phenomenon and on the strain aging of iron.

(131) Cresswell, C.
Influence of the Grain Size of a Metal on the Creep Rate (in French)
Compt. rend. 21 (1941) 841-843
Some contributions to behavior registered above the equilibrium curve from preliminary are discussed, viz., that in some cases specimens with large grain size creep faster, or faster, than a specimen with a fine grain size. Experiments prove, contrary to the classical ideas, that above the upper limit temperature the minimum creep rate passes through a maximum.

(132) Cresswell, C.
A Study of Slip in Aluminum Crystals (in French)
Rev. met. 42 (1946) 261-274
The influence of the speed and temperature of deformation on slip is reported. Shock loading in tension has been used to study plastic deformation at high rates of strain. Distinction is drawn between two types of plastic deformation, one slow and progressive, and the other rapid and intermittent. This distinction is justified from observations on the appearance of slip lines, irregularities on the stress-strain curves, roughening on the specimen during elongation, and the study of chemical reactions. Work hardening and anisotropy mechanical and thermal history of a specimen before the work-hardening capacity can be predicted. The location of the dislocations at the boundary was examined, and distinction is drawn between the various slip which occurs at the boundary and the plastic flow due to slip. It is possible to explain the form of stress-strain curves for polycrystalline specimens.

(133) Cresswell, C.
The Role of Intergranular Boundaries and the Deformation of Metals: Application to Creep and Fatigue (in French)
Rev. met. 42 (1946) 307-316
Grain boundaries constitute an obstacle to the deformation of crystals, but at high temperatures they become a weakness. The transition temperature can be called the temperature of equalization. This was investigated in the case of Al, Zn, and Mg. The different types of creep were classified according to the value of the heat of activation. The following general conclusions were drawn: (1) In the annealed state there is an amorphous film at the grain boundaries; (2) In small crystals there is a type of microflow pure ordinary flow with work hardening; (3) beyond the limit of microflow, transcrystalline slip occurs, which has both intergranular and intragranular origins. In the discussion, it is pointed out that the mechanism of the intergranular slip is not a mere logical consequence of the intercrystalline slip of low origin. He stated that experimental observations on the external manifestation of the heterogeneity of intergranular slip do not cast for conclusions on pure slip and deformation on some of Cresswell's conclusions on pure slip.

(134) Cresswell, C.
Creep and Fatigue as Affected by Grain Boundaries
Metal Treatment 14 (1947) 144-146
Dislocation multiplication, study and classification of small deformations, and fatigue. The classical method of defining the equalization temperature of metal is to compare the minimum creep rates in constant and non-constant test pieces. When a creep test is carried out above the equalization temperature, the creep rate is greater for the fine-grained specimen. In the case of the appearance of cold-worked metal, the X-ray diagram from a single crystal, each grain gives rise to a number of fragments formed by blocks or crystallites of perfect structure. For very small loads, deformation known as microcreep gives rise to a peculiar type of internal friction creep in excess of the results in strain hardening.

(135) Cresswell, C.
The Creep of Glass at High Temperatures
Sheet Metal Ind. 25 (1948) 2471-2474, 2488
Creep curves for glass are compared with those for metals. Creep recovery is less pronounced in the case of metals, while for glasses the deformation is almost irreversible. The constant rate increases proportionally with the load, whereas for metals the increase is exponential. Since the same form of curve is found for metals, glasses, and polymers, the reason for creep cannot be existence of a particular structure.

(136) Cresswell, C.
A Method of Exact Analysis of the Shape of Stress-Strain Curves. Application of the Rule of Intergranular Boundaries (in French)
Article from Some Recent Developments in Rheology, Oliver Trade Press, Ltd., London (1950) 53-62
By a method of differential analysis, similar to that employed by Lacombe for the creep curve, the stress-strain curve can be characterized by the expression $\sigma = \sigma_0 + A \cdot \epsilon^m$, where σ_0 is the stress at $\epsilon = 0$ and A and m are constants.

(137) Cresswell, C.
Relationship Between the Exact Shape of the Elastic Curve of Metals and the Amount and Distribution of Their Intergranular Boundaries
Rev. met. 42 (1946) 147-150
Observations are made on polycrystals and single crystals of various metals. Conclusions are developed for predicting the elongation at which work hardening occurs. An exact analysis of the stress-strain curve is necessary to obtain precise information on work hardening and the structural modifications that accompany it. These curves are periodic and are here considered in the form $\sigma = \sigma_0 + A \cdot \epsilon^m$, where σ_0 is the initial stress, ϵ the true strain, and A and m are constants. New hypotheses on deformation bands are presented.

(138) Cresswell, C.
New Rheological Model of Creep (in French)
Rev. met. 42 (1946) 374-382
The creep curve for various materials, mainly metals, are made up of a decreasing "transient" part, which decreases progressively to be replaced by a stationary regime. A correct mathematical analysis shows that the curve of transient creep can be represented by a function of time which forms $2 \cdot \ln(1 + \frac{t}{\tau})$ for the early part, with an exponent varying "rheologically" model is proposed comprising various "centers of creep," which causes the appearance of a transient regime and a stationary regime. The calculations worked out in this paper show that the transient regime is parabolic law provides a very close approximation.

(139) Cresswell, C., and Frenkel, J.
Theory of Anelastic Creep and Rupture
Paper from Creep and Fatigue of Metals at High Temperatures, Her Majesty's Stationery Office, London (1950) 28-32
The data concerning the phenomena observed during creep are discussed with respect to the form of creep rupture diagrams and to the nature of the slip formation of intergranular boundaries. Rupture occurs through the slip formation of intergranular microcracks resulting from the production of migration as assisted by microvoids, but in most cases where a crack is formed, the mechanism of the growth of microvoids is discussed in detail, and the interaction between voids and a crack and the effect of surface energy are considered. A new theory is proposed for the recovery process in metals whose creep resistance is due to the presence of a precipitate.

(140) Cresswell, C., and Gunders, A.
Symposium on the Metal Structure of Metals (in French)
Rev. met. 42 (1946) 61-73
The existence of mosaic structure has been investigated by means of X-rays, microscopy, diffraction, and a study of the mechanical and electrical properties. The study shows that an unformed mosaic grain is not dimensionally at least 1000 Å. The mosaic structure is very similar with deformation of thin glassy fibers are divided into distinct little blocks, and by microscopy can be explained, not by the internal structure of the metal but by a periodicity of surface conditions. It is shown that mosaic structure is a lamellar periodic distribution of defects, and it is pointed out that the mosaic structure is nonuniformly oriented. The interparticle limit with most of the small. The mosaic grain size is not more than a few percent of the degree of perfection increasing from 1 μm to 100 μm for a crystallized metal. Thus, the origin of mosaic structure is not the mosaic grain and lamellar periodicity alone, but depends on the conditions of growth, time, or a certain complex, and a number of theories are not put forward. There are, however, examined, but are conclusions as to the deforming force can yet be given.

(141) Cresswell, C., Plateau, J., and Maréchal, Y.
The Mechanisms of Rupture in Metals (in French)
Paper from Deformation and Flow of Solids, Edited by R. Gnanoum, Springer-Verlag, Berlin (1954) 117-124
The question of whether the plastic deformation observed in the rupture of metals in the case of its counterpart, is the usual. Experimental facts and the results of low-temperature rupture tests are described in terms of 4 stages.

(142) Gull F. D., Jr., and Grant, N. J.
The Effect of Cold Work on the Creep-Rupture Properties of α -Iron at Simple Stress Conditions
J. Iron Inst. 196 (1957) 188



(143) Gull F. D., Jr., and Grant, N. J.
Six stainless steels were tested at 1100 and 1200 F., with cold work varying from 0 to 35%. A relationship was found among composition, M tempering, recrystallization temperature, and rupture life.

(144) Gull F. D., Jr., and Chalmers, R.
A Study of the Plastic Deformation of Copper Single Crystals
Acta Met. 2 (1954) 80-89
The crystals were tested in tension, using a "soft" machine, and the stress was increased stepwise in increments. A delay time, found between the beginning of each stress increment and the resumption of plastic strain, was dependent on the period of constant stress before the stress was increased. The effect of stress on a type of grain point phenomenon. Grains annealed first to a higher critical resolved shear stress than those of the crystals which were annealed only to yield. It shows in solution may thus affect the slip mechanism. Slips formed on slip regions were found for crystals oriented for single slip, but very little, resolved before multiple slip would have been reported.

(145) Dainoff, V. N.
Problem of the Nature of the Hardening and Softening of Plastically Deformed Metals. I (in Russian)
Zhur. Tekh. Fiz. 25 (1955) 916-921
The effect of deformation was measured by application of a thermoelectric force whose coefficient bears a direct relationship to metal strength, and by measuring microhardness.

(146) Dainoff, V. N.
Softening of Metals Subjected to Plastic Deformation (in Russian)
Metallurg. i Obrabotka Metal. no. 6 (1957) 15-16
The effect of deformation was measured by application of a thermoelectric force whose coefficient bears a direct relationship to metal strength, and by measuring microhardness.

(147) Dash, W. C.
Observation of Dislocations in Silicon
Paper from Dislocation and Mechanical Properties of Crystals, John Wiley Sons, Inc., New York (1957) 57-58
A technique has been developed to locate dislocations in Si so they are readily observable with infrared image tube in conjunction with a microscope. Single crystals were grown by drawing from the melt several hours or overnight in a mixture of nitric, hydrofluoric, and acetic acids to produce deep pits at the points of emergence of the dislocations.

(148) Dash, W. C.
Evidence of Dislocation Jogs in Deformed Silicon
J. Appl. Phys. 22 (1950) 705-709
Trails extending from dislocations in plastically deformed Si have been observed by decoration and also by a etching technique which develops contrast on a (111) plane. The trails extending from stress tend to follow parallel (110) directions, those from mixed edge and screw dislocations are generally not crystalline. Causa occur where the trails are joined to the dislocations. A type of work hardening is found wherein trails from one type of a Frank-Bowen spiral extend the motion of subsequent force. Trails are sometimes registered or slip and appear to be composed of small discrete sections. Reversal of the direction of motion of a dislocation when the applied stress is reversed is indicated by overstrain of creep. The main feature of these trails can be accounted for on the basis of nonconservative motion of slip which originates on interstitial atoms onto their paths.

(149) Davert, G. C.
Correlation of Creep and Relaxation Properties of Copper
J. Appl. Mech. 15 (1948) 453-459
Creep tests and relaxation tests were carried out in tension on copper wires, which permit a verification of the various theories proposed for a reduction of the relaxation characteristics from creep tests alone. It was found that the relaxation time actually observed lies between the two values calculated on the basis of the theory of strain hardening and the time hardening theory.

(150) Davert, G. C.
Resistance to Breaking and Galling
Instent, Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk (May 1953) 751-758
Author's reply to discussion by G. V. Usukh (ibid., November 1950) Various questions of strength and plasticity are discussed.

(151) Davis, E. A.
Creep and Recovery of Zinc Crystals
Adv. Dislocation Theory (London, Mo., 1954) 195-242 209
The transient component of the creep of Zn single crystals, after rapid straining, was found to obey a modified $t^{1/2}$ law. Recovery measurements were made by successive straining of a strain-hardened crystal to just beyond its yield point, the recovery varied linearly with the initial hardening and obeyed a log time law, in agreement with the theory of Robinson, Manning, and Hatherly [Z. Metall. 42 (1952) 241]. Recovery was extremely rapid in the initial stage and was followed by a dispersive stage. Recovery rate is uniform only at the previous stress history of the crystal. A recovery theory of creep, analogous to that of reversible creep, associated with the Boltzmann superposition hypothesis, is developed. Transient creep of Zn crystals at room temperature can be interpreted as a recovery flow.

(152) Davis, E. A.
Fracture in Creep
Brit. J. Appl. Phys. 1 (1952) 24-25
Brittle fracture, analogous to that of metals, for the stress to fracture at the transition between triple-point cracking and that to cavity formation.

(153) Davis, E. A.
Creep of Metals at High Temperature in Beating
J. Appl. Mech. 15 (1948) 427-31
A theory for plastic bending and equations for the creep due to bending are developed. Results of test on a Cu-Ni alloy are given to show the agreement between experimental and theoretical results.

(154) Davis, E. A.
Creep and Relaxation of Oxygen-Free Copper
Trans. ASME 72 (1950) A-101 - A-105
This paper contains results of creep and relaxation tests on OFHC Cu at temperatures up to 225°C. The effect of stress and temperature upon the strain rate has been noted and an effort has been made to correlate the results of the two different types of tests by using various theories of plastic deformation.

(155) Davis, E. A.
A Generalized Deformation Law
J. Appl. Mech. 15 (1948) 237-240
According to Hooke's law, the magnitude of infinitesimal elastic strains depends upon two independent constants. Equations are developed which express the magnitude and the distribution of the strains in terms of two independent functions of the stresses. The equations are easily adaptable to the relation between the strain rates and the stresses in combined stress-creep tests. The author believes that two independent functions are necessary and that behavior under a state of combined stress cannot be predicted from data obtained in pure-tension tests.

(156) Davis, M., and Thompson, H.
Creep in a Precipitation-Hardened Alloy
Proc. Phys. Soc. (London) B61 (1950) 847-860
Measurements were made of the creep shown by polycrystalline wires of a hardened alloy (Cu + 3% Ag) both at room temperature and 90°C. Results are interpreted in terms of the theory of dislocation climb. The results are in agreement between theory and experiment in a qualitatively satisfactory manner.

(157) Davis, R. S., Fleischer, R. L., Livingston, J. D., and Chalmers, R.
Effect on Orientation on the Plastic Deformation of Aluminum Zinc Crystals and Bicyrals
Trans. ASME 72 (1950) 136-140
Tensile stress-strain curves reported. Internal bicyrals specimens were used with one crystal rotated 45° about the stress axis with respect to the other. The axial orientations were the same in both cases, but the 45° did not raise the stress-strain curve of the bicyrals above that of the crystals favoring slip crystals if the or more slip planes were initially equally favored.

(141) Dayal, D., and Parashakti, C.
Equation of State of Solids

J. Chem. Phys. 22 (1956) 1257 (Letter)

The equation proposed is

$$PV = \frac{3}{2} \frac{A}{V} \left[1 + \frac{1}{2} \left(\frac{B}{V} \right)^2 + \frac{1}{3} \left(\frac{C}{V} \right)^3 \right]$$

where A is the heat of sublimation, B and C are expansion coefficients, and V is the average Crummett's constant.

P and V are the pressure and volume, respectively.

(142) de Bruyne, N.
Metals at High Temperature

Aluminum Eng. 11 (1948) 223-226

Published data on the strength of metals at high temperatures are summarized in relation to expressions used by Andrade and by Gaskell for flow and fracture at high temperatures. Where the stress energy becomes appreciable, a correction term is necessary to allow for interaction between strain energy and activation energy. A relationship of the type suggested by Braker and previously used by the author is described which shows that the yield strength of metals at high temperatures is related to the yield strength of the metal at room temperature by a factor of 1.5 to 2.0.

(143) de Groot, M.
Creep (in French)

Met. Constr. 32 (1951) 417-419, 451-452

Brief studies of the phenomenon of creep in single crystals and polycrystalline metals, giving results of tests on pure aluminum, copper, and lead.

(144) de Lacombe, M. J.
A Method of Representing Creep Curves (in French)

Rev. Met. 33 (1938) 178-188

Discusses previously proposed analytical expressions for representing creep curves. The equation offered by the author is $\epsilon = \epsilon_0 + \epsilon_1 t^m + \epsilon_2 t^n$, where ϵ is total elongation, t time, and $\epsilon_0, \epsilon_1, \epsilon_2, m, n$, and ϵ_0 are constants. This wide variety of creep curves, since one term represents decelerating creep, another accelerating creep.

(145) Dean, W. R., and Wilson, A. H.
A Note on the Theory of Dislocation in Metals

Proc. Cambridge Phil. Soc. 42 (1946) 205-212

A mathematical contribution to dislocation theory using a simple model of the dislocation. An expression is derived for the energy of a pair of dislocations in terms of the distance between them. On simplification, this energy is 10^8 erg/cm , where μ is the appropriate elastic constant, b is the slip distance, l is the distance apart of the dislocations, R is the atomic radius of the interaction region at the center of axis dislocation, which leads to the dislocation stress energy being 10^8 erg/cm . It is derived on the basis of Burgers' work. By equating the total energy of dislocations to the maximum energy density that Taylor and Quinby found dislocations per unit length on a surface between two mobile dislocations of $9 \times 10^7 \text{ erg/cm}$ Burgers' estimate from a two-dimensional model is shown to be in excess of 1.7×10^8 .

(146) Dehlinger, U.
On the Theory of the Recrystallization of Pure Metals (in German)

Ann. Physik 2 (1939) 745-771

The theory of a metal to recrystallize is attributed to internal stresses in the boundary layers between slip planes caused by deformation. The sub-grain boundaries in polycrystalline materials are assumed to be similar to those of Frankel, as is the nature of the forces which a crystal lattice exerts on the slip planes. It is shown that the necessary amount of energy required to form a new grain is a function of the temperature. These calculations show that below a certain temperature the heat of activation is almost infinitely large. At a certain temperature, however, all lattice planes are equally active. According to the definition the temperature is the temperature at which the number of deformed lattices, temperature of recrystallization. However, it is assumed that the number of interlocking lattices is not a function of the degree of deformation. Further explanation appears to be required as to the part played by these interlocking lattices in deformation and recrystallization.

(147) Dohring, E. H.
Plastic Properties of Materials (in German)

Z. Tech. Physik 21 no. 5 (1946) 140-143

The mechanism of plastic deformation of a metal single crystal is discussed, and it is shown how this is affected by lattice discontinuities, such as a dislocation, by speed of straining, and by temperature. A comparison is made between single crystals made from the melt and by recrystallization. A review is made of research on these lines on polycrystalline material. Metals having f.c.c. and b.c.c. lattices are considered.

(148) Dohring, U.
The Strain in the Flow of Polycrystalline Materials (in German)

Z. Tech. Physik 21 no. 5 (1946) 140-143

The strain in a metal strain (observed by X-ray methods in a steel rod) after the yield point in loading has been reached is explained quantitatively in terms of a slow after-flow occurring at constant extension. The relationship between the after-flow and lateral elastic stresses produced during the primary flow, the behavior of the grain boundaries involved, and the effects of the grain boundaries are discussed in detail.

(149) Dohring, U.
Glide in Metallic Single Crystals (in German)

Z. Metallk. 33 (1948) 11-17

The atomic mechanism of glide in single crystals and the interaction of slip and elastic deformation in polycrystalline plasticity.

(150) Dohring, U.
Contribution to the Theory of Dislocation (in German)

Paper from 1946, Leipzig, 1946

The variation of energy of a dislocation approaching a metal wall (boundary of edge dislocation) is derived as a function of the distance and position relative to the individual dislocations constituting the wall. One dislocation region acts as an attractive force if the dislocation area is attractive. A. H. Cottrell suggested that a reasonably low activation energy is attainable at the crossing dislocation line as indicated in a large angle consisting of a 2-dimensional dislocation network was suggested by recent American data on X-ray line broadening.

(151) Dohring, U.
On A Theory of the Upper Yield Point (in German)

Z. Metallk. 32 (1947) 416-418

A mathematical analysis of the distribution of plastic deformation over a sample shows that, for the ideal plastic medium, this distribution is not simply determined by the external load. Plastic deformation is rather irregularly distributed from small initial mechanical fluctuations at the initial dislocation, i.e., from nuclei of plastic deformation. The behavior of these nuclei and the origin of a lower and an upper yield point are discussed.

(152) Dohring, U., Dohring, J., and Krüger, J.
Creep Law of Polycrystalline Metals (in German)

Z. Naturforsch. 11a (1956) 37-41

Generalized law of the speed of plastic deformation and relationship between stress and elongation. Experimental results for iron-iron-titanium alloys with arbitrary carbon content at the stress tensor.

(153) Dohring, U., and Kuchelwieser, A.
The Flow of Polycrystalline Metals (in German)

Z. Naturforsch. 10 (1955) 428-433

The flow of a liquid is compared with that of a solid, and the influence of crystalline arrangement discussed in detail. It is shown that the effect of the slip plane boundaries in polycrystalline materials is to impose on each grain independent forces, leading to increased resistance to glide. Grains with dislocations which extend far beyond the grain boundaries, and the dislocation stress energy, are also considered. The general problem of plastic deformation is considered in detail.

(154) Dohring, J.
Factors Entering on the Creep of Metals and Alloys (in Dutch)

Ingénieur 12 (1952) 72 0 101

A critical review is given of the effect of internal and external structural factors on the creep of metals, with an effect of grain boundaries.

(155) Dohring, J. Ya.
Problems of the Heat Treatment of Alloys (in Russian)

Doklady Akad. Nauk S.S.S.R. No. 5, 71 (1949) 101-105

Analysis of the above on the basis of electronic theory. Investigation of diffusion in alloys indicates that its probable mechanism is filling of vacancy centers in the lattice by the following shows. If this is the case, it is of fundamental importance to the mechanism of creep.

(156) Dohring, J. Ya.
Diffusion and Bonding in Metallic Alloys (in Russian)

Zhur. Tekh. Fiz. 22 (1952) 1015-1024

Survey of data of the activation energy E of self-diffusion and of the bond energy W (identified with the heat of sublimation for pure metals) as a proportionality $E = kW$. Within the limits of uncertainty, $k = 2/3$ for f.c.c. metals, and for the single example of α -Fe, $k = 0.85$ for a b.c.c. metal. The constancy of k for the same type of crystal indicates a common mechanism of self-diffusion through lattice vacancies. It was estimated for binary alloys from diffusion data and theoretical calculations and found to be close to 1/2.

(157) Dohring, J. Ya.
Some Relationships Between Diffusion and Mechanical Properties of Metals (in Russian)

Doklady Akad. Nauk S.S.S.R. 55 (1951) 875-878

An expression is derived on the basis of rate theory for the activation energy of creep, $E = E_0 + (1-\nu)E_1$ (with $\nu = E_1/E_0$), in which E_0 is the activation energy in the absence of stress, ν is the effective internal stress analogous to the mobile dislocations, and ν is the volume fraction of the dislocations. The data obtained by Vilmann, Zlatina, and Shavitskiy (Zhur. Tekh. Fiz. 21 (1951) 211) for Pb, Sn, Al, Cu, and Fe. When ν is small, E_0 is approximately equal to the activation energy of the self-diffusion process. Using the expression derived by Dohring and the data obtained by Vilmann, et al., values of ν for various alloy systems (with elements on diffusion processes) are calculated. The binary alloy can be explained by the presence of an effective stress (compressive or tensile) ν , with which is associated an additional energy $(1-\nu)E_1$, so that $E = E_0 + (1-\nu)E_1 + \nu E_1 = E_0 + E_1 = E_0 + E_1$. On plotting logarithm of ν against E_1 ($\nu = E_1/E_0$) for the diffusion of Zn in Cu and Ag-Zn in the presence of various impurities, a linear relation was obtained.

(158) Dohring, J. Ya.
Interatomic Interaction in Alloys Based on Elements of Period IV of the Mendeleev Periodic System (in Russian)

Doklady Akad. Nauk S.S.S.R. 55 (1951) 585-588

The interaction between a d electron in transition metal and the alloy of the transition metal the bond energy from $W = 5.756 \times 10^8 \text{ erg/cm}$ for f.c.c. lattices, while the compressibility $k = 1.4 \times 10^{11} \text{ dyne/cm}^2$, where n is the number of electrons forming a bond and R is the least distance between atoms. Calculated values of k for Cu, Ni, Co, Fe, and Ni-Co, Ni-Cu, Fe-Co, Fe-Ni, Fe-Pb, and Ni-Al alloys are compared with values obtained experimentally. The differences that occur in some cases are attributed to the approximate method of calculation and to the treatment adopted neglecting some type of energy. However, some relation of the type $W = kR^3$ must hold. In these alloys specific bonds of the metal are considered.

(159) Dohring, J. Ya.
Role of the Defects of the Crystal Structure During Certain Processes in Metals (in Russian)

Problema in the Physics of Metals and Metal Science, 10, 164 (1951) 164-176

Some properties of the metal are determined by the location of the distribution of atoms in the crystal lattice. Treats diffusion of vacancies under creep conditions.

(160) Dohring, J. Ya.
The Stress-Strain Relation

ASTM Bulletin No. 215 (July 1956) 71-75

A theoretical and experimental study of the stress-strain relation is treated in this paper. The theoretical study is based essentially on the Frankel theory, and it is assumed that yielding occurred when the shear stress reached a maximum. Some important results were derived from this theoretical consideration. Special instruments were designed and built for investigating the stress-strain relation. The experimental results show that stress and strain are as defined in this paper have a linear relationship, and the possibility of using this method for determining the stress-strain relation structure are indicated.

(161) Dohring, J. Ya.
The Role of Defects of Crystal Structure on the Failure of Metals (in Russian)

Problema in Metallurg. Akad. Nauk S.S.S.R. (1956) 27-35

The role of equations previously derived and experimentally confirmed are analyzed in support of the concept that the process of slip and ultimate rupture of metals is as much a function of crystallization defects as other properties such as change in electrical resistance, diffusion, etc. By taking into account defects of various sizes, by ignoring the nature of their origin, the equation $\sigma = \sigma_0 + \sigma_1 \exp(-\sigma_2/\sigma)$ derived for the initial stage of deformation, intermediately preceding rupture, when the rate of vacancy formation is greater than that of their removal, was confirmed experimentally. σ_0 and σ_1 are the initial stress and the number of vacancies, respectively, and σ_2 is related to the energy of activation of a vacancy E_v , the product or considered atoms at the formation of a vacancy ν , and the latent heat of fusion Q , and the temperature T at rupture. One of the coefficients of this equation indicates that σ_2 increases 1/2 to 1 times up to 5.6 to 5.7 $\times 10^8$ erg/cm². The value of σ_0 is approximately equal to the energy of activation of self-diffusion E_d , can be experimentally obtained from the linear section of the curve and σ_1 calculated from the parameter $\sigma_2 = \nu E_v + Q$, where ν is the energy of activation of the process of slip, T from $\sigma = \sigma_0 + \sigma_1 \exp(-\sigma_2/\sigma)$, and $\sigma_2 = 0.94 E_d + \nu$ energy of sublimation.

(162) Dohring, J. Ya., and Osipov, K. A.
Failure of Metals at High Temperature (in Russian)

Doklady Akad. Nauk S.S.S.R. 102 (1955) 428-432

The ideas stated previously by the authors are extended with the following assumptions: (1) the fracture zone in the region in which the crystal lattice loses its stability most quickly and approximates to the liquid phase at the melting point; (2) fracture of the metal is connected with the formation in the zone of a certain critical number of nuclei of the liquid phase; and (3) for fracture in some regions it is sufficient to bring this region into a state analogous to fusion. These conditions will be most significant at high temperatures, where there is increased movement of atoms and holes. The concentration of nuclei can increase either by migration and coagulation or by the formation and growth of new nuclei. Mathematical analysis shows that the first process can be neglected. The rate of accumulation of nuclei in the fracture zone under the action of stress and the normal medium is analyzed to give the time to failure. At large stresses the time to failure is expressed by

$$t = t_0 \exp(Q/RT) \exp(-\sigma/\sigma_0)$$

where Q is the activation energy for slip $(Q = 1.35 E_d)$, where E_d is the activation energy for self-diffusion, and σ_0 and σ are essentially constant.

(163) Dohring, J. Ya., and Fedorenko, V. N.
The Rupture Parameters of Metals at High Temperature (in Russian)

Izv. Akad. Nauk S.S.S.R. no. 5 (1950) 146-147

Formulas are given which describe the rupture of metals. The relationship between the basic parameters of the yield process, the energy of hole formation and of activation of constant creep, and the condition $\sigma/\sigma_0 = \text{const}$, where σ is energy necessary for recrystallization, number of dislocated atoms during the formation of a hole, and σ_0 is latent heat of fusion.

(164) Dohring, J. Ya., and Gromovskiy, G. B.
Creep Fracture of Zinc Single Crystals

Nature 122 (1953) 170-171

In order to test the criterion for cleavage, Zn single crystals were broken at 195°C in a tensile testing machine. The applied tensile stress (σ) and the resolved component of the stress perpendicular to the cleavage plane (σ_n) at fracture, in each case plotted against the angle between the direction of applied stress and the cleavage plane. It is not constant, and this is unlikely to be due to nonuniform loading. It is possible that it is affected by the plastic deformation which occurs before fracture, but the results make it clear that the criterion for cleavage fracture is not always one of a critical normal stress.

(165) Dohring, J. Ya.
The Stress-Strain Relation

ASTM Bulletin No. 215 (July 1956) 71-75

A theoretical and experimental study of the stress-strain relation is treated in this paper. The theoretical study is based essentially on the Frankel theory, and it is assumed that yielding occurred when the shear stress reached a maximum. Some important results were derived from this theoretical consideration. Special instruments were designed and built for investigating the stress-strain relation. The experimental results show that stress and strain are as defined in this paper have a linear relationship, and the possibility of using this method for determining the stress-strain relation structure are indicated.

187) Dugdale, D. S.
Work-hardening and Compressive Strength
J. Mech. and Phys. Solids 11 (1958) 85-91

188) Dumbarton, M. J., and Hockett, R. W.
Yield Points in Bending Experiments on Zinc Crystals
Proc. Phys. Soc. (London) 65B (1952) 882-886

189) Dunn, C. G., and Averb, K. T.
Dislocation Energy as a Driving Force for Boundary Migration
Acta Met. 5 (1957) 108-120

190) Dunn, C. G., and Koch, E. F.
Comparison of Dislocation Densities of Primary and Secondary Recrystallization Grains of Si-Cu
Acta Met. 5 (1957) 148-154

191) Durnham, S.
Calculation of Atomic Structure
Proc. ASTM 25 (1929) 7-16

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Creep of Metals
J. Appl. Phys. 33 (1962) 108-124

193) Eshelby, J. D.
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Trans. ASM 26 (1956) 512-515

194) Eshelby, J. D., and Peierls, R.
The Dislocation Theory of Plasticity
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195) Eshelby, J. D., and Peierls, R.
The Dislocation Theory of Plasticity
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Philos. Mag. 1 (1952) 25-35

197) Eshelby, J. D., and Peierls, R.
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Philos. Mag. 1 (1952) 25-35

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201) Eshelby, J. D., and Peierls, R.
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Philos. Mag. 1 (1952) 25-35

202) Eshelby, J. D., and Peierls, R.
The Dislocation Theory of Plasticity
Philos. Mag. 1 (1952) 25-35

203) Eshelby, J. D., and Peierls, R.
The Dislocation Theory of Plasticity
Philos. Mag. 1 (1952) 25-35

204) Eshelby, J. D., and Peierls, R.
The Dislocation Theory of Plasticity
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The Dislocation Theory of Plasticity
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The Dislocation Theory of Plasticity
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The Dislocation Theory of Plasticity
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The Dislocation Theory of Plasticity
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The Dislocation Theory of Plasticity
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The Dislocation Theory of Plasticity
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Philos. Mag. 1 (1952) 25-35

218) Eshelby, J. D., and Peierls, R.
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Philos. Mag. 1 (1952) 25-35

219) Eshelby, J. D., and Peierls, R.
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Philos. Mag. 1 (1952) 25-35

220) Eshelby, J. D., and Peierls, R.
The Dislocation Theory of Plasticity
Philos. Mag. 1 (1952) 25-35

440) Fisher, J. C.
Elastic Interaction of Interstitial Atoms in Body-Centered Crystal
Acta Met. 1 (1954) 11-18

The elastic distortions near interstitial atoms in b.c.c. crystals are treated as an elastic interaction problem. Through knowledge of the local and its field to agree satisfactorily with the experimental values of about 2 eV/atom. In the appendix, the magnitude of the local strains produced by an interstitial atom is determined from the equilibrium of the elastic energy of the atom, and it is shown that the influence of the same compression is largely accounted for by elastic stresses.

442) Fisher, J. C., Hart, E. W., and Pry, R. H.
Theory of Slip-Band Formation
Phys. Rev. 82 (1952) 594-601

Summary of current state of knowledge regarding the structure of slip bands and the relationship between slip bands and work hardening. The theory developed by Hollomon and Shockley and by Frank and Read is explained in terms of the model of dislocation generation proposed by Frank and Read. The number of slip bands is shown to be proportional to the square root of the amount of slip. Slip, therefore, occurs in a stochastic manner, with successive slip bands separated in time. Analysis from other authors concerning slip bands containing an active source lead to the observed stepped surface markings with successive nucleations from the same source displaced relative to each other.

443) Fisher, J. C., Hart, E. W., and Pry, R. H.
The Hardening of Metal Crystals by Precipitation Particles
Acta Met. 1 (1953) 336-339

Dependence of the hardening effect is compared in terms of a model in which the precipitate particles cause the dislocations from an activated Frank-Read source to be in agreement with the relevant experimental data.

444) Fisher, J. C., and Hollomon, J. H.
Wanted: Experimental Support for Theories of Plastic Flow
Paper from Symposium on Plastic Deformation of Crystalline Solids, OTS, U. S. Dept. Commerce (1953) 192-208

Survey various theories of the time-dependent deformation of metals under the relation to available constant stress creep data and low temperature stress-strain-temperature rate data. The work of the dislocation theory is compared with the "quantum" of deformation in metals.

445) Fisher, J. C., and Hollomon, J. H.
A Statistical Theory of Fracture
Trans. AIME 212 (1957) 146-164

According to Zener and Hollomon (Trans. AIME 53 (1944) 161), in a two-phase alloy fracture is controlled by the interaction of a second phase or inclusion particles. It is shown that the number of particles that slip bands have to pass during deformation and that the number of particles, other included particles, and slip bands, the number concerned are proportional to the square of the amount of slip. The number of particles, other included particles, and slip bands, the number concerned are proportional to the square of the amount of slip. The number of particles, other included particles, and slip bands, the number concerned are proportional to the square of the amount of slip.

446) Fisher, J. C., and MacGregor, C. W.
Temperature Effects and the Local Anisotropy of State
Trans. AIME 212 (1957) 302-312

The mechanical equation of state, which postulates that the stress in a metal undergoing plastic flow depends only upon the instantaneous value of the temperature, strain, and strain rate, is only applicable to materials in which there is no phase change or other process which alters the composition or structure as a function of time. It is recently being shown that the hardness of

447) Fisher, J. C.
The Strength of Substitution Alloys
Acta Met. 2 (1954) 94-101

The existence of short-range order in a solid solution, where a random arrangement of atoms in a strengthening effect, is shown to be an important factor in the derivation of the theoretical strength of a solid solution. It is shown that the strength of a solid solution is a function of the number of atoms in the short-range order, and that the strength of a solid solution is a function of the number of atoms in the short-range order.

448) Fisher, J. C.
Approximate Study-State Configuration of a Dislocation Loop
Acta Met. 1 (1954) 411-111

The shape of a dislocation loop (single-ended Frank-Read source) is approximately calculated, neglecting energy dissipation. It is found for an edge dislocation, with slip on the surface of the dislocation, that the radius of curvature at the center of the spiral is proportional to the square root of the number of atoms in the dislocation loop. It is pointed out that a previous estimate of the number of atoms in the dislocation loop is a factor of 10 too low.

449) Fisher, J. C.
Application of Cottrell's Theory of Yielding to Delayed Yield in Steel
Trans. AIME 212 (1955) 451-462

According to Cottrell, dislocations in iron are pinned by adsorbed C, N, and other interstitial atoms. Yielding occurs when dislocations are freed from their adsorbed atoms with the aid of thermal energy. The time for the yielding of steel is calculated and compared with experiment. The temperature dependence of the yield stress is calculated and compared with experiment over a wide temperature range.

450) Fisher, J. C.
A Dislocation Model for the Origin of Fracture Cracks in Metal Crystals
Acta Met. 2 (1955) 169-170

Combined movements of atoms and slip dislocations may start a crack in a metal crystal. The crack is shown to be a function of the number of atoms in the dislocation loop, and that the number of atoms in the dislocation loop is a function of the number of atoms in the dislocation loop.

451) Fisher, J. C.
Premiary Loops as Frank-Read Sources
Paper from Dislocations and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1955) 171-174

It is shown that the number of atoms in the dislocation loop is a function of the number of atoms in the dislocation loop, and that the number of atoms in the dislocation loop is a function of the number of atoms in the dislocation loop.

452) Fisher, J. C.
Theory of the High Temperature Strength of Alloys
Paper from High Temperature Materials, Their Strength Potentials and Limitations, Fourth Symposium on High Temperature Materials Research (1957) 27-29

High-temperature behavior is relatively. It begins to be important at temperatures more or less proportional to the melting temperature. It is characterized by time-dependent phenomena such as diffusion and recovery. The high-temperature behavior is characterized by time-dependent phenomena such as diffusion and recovery. The high-temperature behavior is characterized by time-dependent phenomena such as diffusion and recovery.

453) Fisher, J. C., and MacGregor, C. W.
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Trans. AIME 212 (1957) 302-312

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454) Fisher, J. C., and Pry, R. H.
The Energy of a Dislocation Loop
Acta Met. 1 (1954) 11-18

The energy of a dislocation loop is calculated, neglecting energy dissipation. It is found for an edge dislocation, with slip on the surface of the dislocation, that the radius of curvature at the center of the spiral is proportional to the square root of the number of atoms in the dislocation loop. It is pointed out that a previous estimate of the number of atoms in the dislocation loop is a factor of 10 too low.

455) Fisher, J. C., and Pry, R. H.
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(442) Frank, F. C.

The Origin of Dislocations
Paper from Symposium on Plastic Deformation of Crystalline Solids, IIT, U. S. Dept. Commerce (1956) 49-59

The following outline of the dislocation process is suggested. Some dislocations are present in every crystal under stress and under age-dependent multiplication which, therefore, is an accumulation of dislocations which are produced by motion and multiplication of dislocations already present. The dislocation process is a function of dislocation density, strain rate, and temperature. The dislocation process is a function of dislocation density, strain rate, and temperature. The dislocation process is a function of dislocation density, strain rate, and temperature.

(443) Frank, F. C.

Crystal Dislocation: Elementary Concepts and Definitions
Phil Mag Ser 2 (1954) 409-419

The elementary concepts of crystal dislocation theory, in particular, the Burger's vector, perfect and imperfect dislocations, screw dislocations, mixed dislocations, partial dislocations, and dislocation loops, are defined in terms of the geometry of dislocations in crystals and the nature of their interaction.

(444) Frank, F. C.

The Nature of the Real Crystal
J. Inst. Metals 82 (1954) 191-197

The importance of real crystals has been known since 1912. In 1934 a published symposium summarized the then-existing knowledge about the subject. The same year saw the introduction of the idea of crystal dislocation theory, which proved to be the essential concept for a more precise description of the processes of plastic deformation. The present lecture traces the way in which dislocation theory, as that now in some form or other, has been developed. It discusses the "linear structure" theory. Dislocation has to be made between impurity-segregation substructures and dislocation dislocations. The nature of such a line is now understood. In the presence of the former, but that from a pure metal.

(445) Frank, F. C. and Nicholas, J. F.

Stable Dislocations in the Common Crystal Lattices
Phil Mag Ser 2 (1955) 1213-1215

The stability of dislocations in simple cubic, fcc, diamond, hcp, and bcc lattices is discussed on the assumption that the energy of a dislocation line is proportional to the square of the Burger's vector, and that the energy of a dislocation loop is proportional to the square of the Burger's vector, and that the energy of a dislocation loop is proportional to the square of the Burger's vector.

(446) Frank, F. C. and Read, W. T. Jr.

Multiplication Processes for Slow-Moving Dislocations
J. Appl. Phys. 32 (1961) 722-723

Plastically deformed specimens of various metals show a very large amount of dislocation multiplication during the course of a subsequent slow-moving dislocation. This phenomenon is attributed to the interaction of dislocations which have acquired velocities approaching that of sound during the initial plastic deformation. A theoretical model is proposed which accounts for the observed multiplication of dislocations during the course of a subsequent slow-moving dislocation.

(447) Frank, F. C. and Read, W. T. Jr.

Multiplication Processes for Slow-Moving Dislocations
Paper from Symposium on Plastic Deformation of Crystalline Solids, IIT, U. S. Dept. Commerce (1956) 41-47

Describe the Frank-Read source. Slip bands observed in plastically deformed crystals indicate that a typical dislocation line is 1000 times longer than that which would result from the passage of a single dislocation across the slip plane. This phenomenon is attributed to the interaction of dislocations which have acquired velocities approaching that of sound during the initial plastic deformation. A theoretical model is proposed which accounts for the observed multiplication of dislocations during the course of a subsequent slow-moving dislocation.

A 10

Polymers in Creep
Phil Mag Ser 2 (1954) 102-107

A theory of the deformation of polymeric materials during creep at 400°C is presented. It is assumed that the process is rate-controlled. A temperature effect is introduced by assuming that the process is rate-controlled. A temperature effect is introduced by assuming that the process is rate-controlled.

(448) Frank, F. C.

Statistical Rate Theory of Metals: I. Mechanism of Flow and Application to Intrinsic Properties
Trans. AIME 180 (1950) 182-184

A theory of the deformation of metals in tension is presented in terms of the general statistical rate theory of chemical and physical processes. It shows that molecular processes involving an activation energy are governed by the Boltzmann factor $e^{-E/kT}$. The rate of motion of a dislocation is proportional to the rate of motion of a dislocation. The rate of motion of a dislocation is proportional to the rate of motion of a dislocation.

(449) Frank, F. C. and Hillard, W. R. Jr.

Effect of Solute Elements on the Tensile Deformation of Copper
Trans. AIME 188 (1950) 51-56

Flow stress-strain data for Cu and Cu-alloys are presented. The yield strength, ultimate strength, and elongation are shown. The yield strength, ultimate strength, and elongation are shown. The yield strength, ultimate strength, and elongation are shown.

(450) Frank, F. C., Sherry, O. D. and Derry, J. E.

Effect of Cold Work on the High Temperature Creep Properties of Aluminum Alloy
Trans. AIME 182 (1950) 432-440

A study has been made of the effect of prior cold work on the creep behavior of aluminum alloy. The creep rate is shown to be a function of the amount of cold work. The creep rate is shown to be a function of the amount of cold work.

(451) Frank, F. C., Sherry, O. D. and Derry, J. E.

Activation Energies for Creep of Gold, Inconel, and Tin
Acta Met 1 (1953) 470-472

Creep tests at constant load were made on specimens of Cu, In, and Sn. The data are presented in terms of the Arrhenius plot. The data are presented in terms of the Arrhenius plot.

(452) Frank, F. C.

On the Temperature Dependence of Plastic Deformation and Creep
In English

J. Phys. Chem. 64 (1960) 49-54

A 11

The Debye-Hückel Theory of Plastic Slip
Phil Mag Ser 2 (1954) 102-107

A function of temperature is presented, and an alternative theory is based on the assumption that the limit of elasticity of an ionic crystal lattice is a function of temperature. A function of temperature is presented, and an alternative theory is based on the assumption that the limit of elasticity of an ionic crystal lattice is a function of temperature.

(453) Frank, F. C.

Viscous Flow of Crystalline Polymers Under the Action of Solvent
J. Phys. Chem. 64 (1960) 108-114

It is suggested that the viscous flow normally attributed to amorphous polymers, which is based on the motion of a small number of holes or cavities, may also be due to the motion of dislocations. A function of temperature is presented, and an alternative theory is based on the assumption that the limit of elasticity of an ionic crystal lattice is a function of temperature.

(454) Frank, F. C.

Statistical Rate Theory of Metals: II
Trans. AIME 180 (1950) 182-184

A theory of the deformation of metals in tension is presented in terms of the general statistical rate theory of chemical and physical processes. It shows that molecular processes involving an activation energy are governed by the Boltzmann factor $e^{-E/kT}$. The rate of motion of a dislocation is proportional to the rate of motion of a dislocation.

(455) Frank, F. C.

The Griffith Theory of Cracks in Solids as Revised and Criticized
New expressions for crack behavior are derived, taking into consideration the shape of the crack and the total energy of the system

J. Phys. Chem. 64 (1960) 108-114

(456) Frank, F. C.

Theory of Plastic Deformation and Twinning
J. Phys. Chem. 64 (1960) 108-114

The process of twinning and of plastic deformation in a crystal is assumed to be propagated in the corresponding direction by a screw dislocation. This mechanism is applied to a one-dimensional model consisting of a chain of dislocations. The mechanism is applied to a one-dimensional model consisting of a chain of dislocations.

(457) Frank, F. C.

Work-Hardening of Metals: A General Theory
J. Appl. Phys. 32 (1961) 722-723

Reviews the mechanism of the structural changes which take place when a metal is work hardened by deformation and suggests that current theories lead to a relationship between "hardness" of the material and some function of the dislocation density. A general equation for the form is developed and discussed in terms of experimental observations.

(458) Frank, F. C.

The Intrinsic Behavior of Engineering Materials and Structures
John Wiley and Sons, Inc. New York (1956) 587 pp

A fundamental approach to material research based on analysis of the underlying physical processes. Includes problems of mechanical properties and behavior of materials; problems of material testing and evaluation of engineering materials; and problems of design of structures and the theory of technological processes.

A 11

Fracture of Metals
J. Appl. Phys. 32 (1961) 722-723

An outline of the mechanical properties of metals is presented. The mechanical properties of metals are presented. The mechanical properties of metals are presented.

(459) Frank, F. C.

Elementary Effects of Aging on Creep Properties of Solution-Treated Aluminum Alloy
Met. A. 1 (1961) 108-114

Method for investigating fundamental mechanisms by which preexisting, local treatment, and thermal compression control the properties of alloys at high temperatures. This method uses metallographic examination, both optical and electron, a number of X-ray diffraction line width, dilatometry, and lattice parameter and hardness curves. Microstructural changes at high temperatures are then measured and correlated with structural conditions.

(460) Frank, F. C.

Two Diagrams of the Deformation and Mechanical Properties of Metals
Zhur. Tekh. Fiz. 11 (1941) 902-917

A full picture of the mechanical properties of metals can be obtained by studying a complete stress-strain diagram from the region of elastic deformation up to the breaking point. High values of deformation are best expressed in terms of the true stress-strain diagram. If the true stress-strain diagram is available, a number of relationships can be determined which are characteristic of the plastic state. The strength of metals and polycrystalline materials can be compared and the true value of the mechanical work of deformation can be determined. Graphs necessary for the calculations are given.

(461) Frank, F. C.

On the Mechanism of the Fracture of Metals
Zhur. Tekh. Fiz. 11 (1941) 902-917

The views of N. Davidson on the two types of fracture of metals—brittle and ductile—are discussed and confirmed, and various cases of fracture under single loading are considered from a general point of view.

(462) Frank, F. C.

A Unified Theory of the Strength of Materials and a Diagram of Mechanical State
Zhur. Tekh. Fiz. 11 (1941) 902-917

Suggests a general theory of the strength of materials, based on the theories of maximum deformation and maximum shear stress. The mechanical properties of metals are presented. The mechanical properties of metals are presented.

(463) Frank, F. C.

Brittle Fracture of Ductile Metal (Letter)
Met. Prog. 52 (1963) 1204-1209

The laws of fracture are considerably simpler than is generally supposed; instead of a single cohesive strength one assumes the existence of two cohesive strengths, namely a tensile and a shearing cohesion, at any particular temperature and rate of loading. This view is entirely supported by our three examples.

(464) Frank, F. C.

Influence of Structure and Composition of Alloys on Their Mechanical Properties
Met. Prog. 52 (1963) 1204-1209

Analysis of influence of such factors as grain size, distribution of solid solutions, orientation of dislocations and impurities, and temperature on the mechanical properties of metals under varying conditions, including extreme low-temperature.

(485) Friedman, Ya. B.

On the Development and Contribution of Elements of the Strength of Metals (in Russian)
Akademiya Nauk, 15 (1959) 224-31

It is impossible to make a theory of the strength of materials on the basis of strength of atoms. A more comprehensive theory... (text continues)

(486) Friedman, Ya. B., and Zil'ber, F. K.

The Fracture Process in Metals (in Russian)
Doklady Akad. Nauk S.S.S.R., 12 (1958) 497-700

Study of the fracture process from its initial stage to the point of fracture using a micrograph method. A much-discussed... (text continues)

(487) Friedl, J.

Analysis of the Rigidity Modulus of Copper Alloys for Small Concentrations
Phil. Mag., Ser. 7, 42 (1955) 443-448

Hardness theory of work-hardening [ibid., 42 (1955) 155] is extended to solid solutions by assuming the dislocations to be... (text continues)

(488) Friedl, J.

On the Linear Work-Hardening Rate of Face-Centered Cubic Single Crystals
Phil. Mag., Ser. 7, 42 (1955) 1169-1184

A sufficiently low temperature the stress-strain curves of face... (text continues)

(489) Friedl, J.

The Mechanism of Work-Hardening and Slip-Band Formation
Proc. Roy. Soc. (London) 225A (1955) 141-159

A summary of current theories on the mechanism of work hardening... (text continues)

(490) Friedl, J.

Regarding Seeger's Paper on Work-Hardening
Paper from Discussions and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1957) 305-323

Seeger's treatment of the covering of a crystal of dislocations... (text continues)

(491) Friedl, J., and Suo, C. P.

Factors Affecting Rate of Work-Hardening in Primary Slip-Bands
Trans. AIME, 194 (1954) 111-116

One of the factors controlling the hardness of solid solutions is the... (text continues)

(492) Friedl, J.

Dislocations in Crystals and Internal Stresses
Figs. 1 from Symposium on Internal Stresses and Fatigue in Metals, 1954
1 - 2nd ed., H. K. Frost, Ed., Butterworths (London) 1954

Microstructure of a pure metal is studied in relation to... (text continues)

(493) Friedl, J., Jr., Conn, J. W., and Trell, R. M.

Hardness and Latent Strain in Single Solution
Trans. AIME, 152 (1943) 43-53

The increase in the ultimate Meyer hardness produced by the... (text continues)

(494) Friedl, J., Jr., and Thomas-Robey, W.

The Hardness of Primary Slip Bands with Special Reference to Alloys of Zinc
Proc. Roy. Soc. (London) 195 (1947) 1-14

Activate Meyer hardness has been made on annealed bars of Ag... (text continues)

(495) Friedl, J., Jr., and Suo, C. P.

Factors Affecting Rate of Work-Hardening in Primary Slip-Bands
Trans. AIME, 194 (1954) 111-116

One of the factors controlling the hardness of solid solutions is the... (text continues)

(503) Fürth, R.

A Thermodynamic Theory of Tensile Strength of Isotropic Metals
Proc. Roy. Soc. (London) 132A, (1931) 237-257

According to the theory of stress, the tensile strength of a crystal... (text continues)

(504) Fürth, R.

Experimental Evidence on the Final Stages of the Equilibrium State and the Melting of Solids
Proc. Cambridge Phil. Soc., 22 no. 1 (1931) 31-54

A short survey of Fürth's theory of the thermodynamic melting... (text continues)

(505) Fürth, R.

On the Theory of Finite Deformations of Elastic Crystals
Proc. Roy. Soc. (London) 192 (1945) 235-238

The general theory of finite deformation of cubic crystals... (text continues)

(506) Fürth, R.

On the Equation of State for Solids
Proc. Roy. Soc. (London) 132A, (1931) 47-61

The problem of the equation of state of a solid is discussed... (text continues)

(507) Fürth, R.

On the Theory of Strength of Quasi-Tetragonal Solids
Phil. Mag., Ser. 7, 42 (1955) 1227-1233

It is shown that the theory of strength of metals, based on... (text continues)

(508) Fürth, R.

New Interpretation of the Power Law in Plastic Deformation
J. Appl. Phys., 20 (1955) 1052-1055

Shows that the power law describing a flow stress-strain curve... (text continues)

(509) Fürth, R.

On the Mechanism for the Fracture of Metals
J. Appl. Phys., Ser. 2, 26 (1955) 1201

It is generally accepted that pre-existing large stress... (text continues)

(510) Fürth, R.

On the Fracture of Crystals
Acta Met., 3 (1955) 541-551

A dislocation theory of fracture of crystalline materials is... (text continues)

(511) Fujita, H., and Nishiyama, Z.

Subgrains in Cold-Worked Aluminum (in Japanese)
Nippon Kasei Kagakuishi, 11 (1957) 607-611

Kinetic-microscopy observation showed subgrains bounded by slip... (text continues)

(512) Fukui, M., Ito, S., and Ushiro, H.

A Radiographic Study of Phenomena Accompanying Creep of Steel Over Extended Periods at Higher Temperatures (in Russian)
Proc. Metall. Ind. Akad. Nauk S.S.S.R., Ser. 1 (1953) 23-33

A quantitative X-ray evaluation of the degree of dislocation... (text continues)

(513) Fukui, M., Ito, S., and Ushiro, H.

Relation of Dislocation of Mass Blocks and Microstructures to the... (text continues)

(514) Fukui, M., and Nishiyama, Z.

Subgrains in Cold-Worked Aluminum (in Japanese)
Metall. Sci. and Ind., Research, Osaka Univ. 14 (1957) 91-95

Mechanism of formation, size, and shape of subgrains and... (text continues)

(515) Fürth, R.

Relation Between Breaking and Melting
Nature, 152 (1943) 741

Relation between low-temperature brittle fracture, based on... (text continues)

(509) Garofalo, F., Malvern, L. E., and Smith, G. V.
 Diffusion of Various Metals at Elevated Temperatures.
 Trans. ASM 22 (1954) 972-984.

A study has been made of the steady-state type of diffusion in various metals at elevated temperatures. The results indicate that the diffusion rate is independent of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(510) Garofalo, F., Smith, G. V., and Reedy, R. W.
 The Effect of Grain Size on the Temperature Dependence of Creep and Grain Boundary Sliding.
 Trans. ASM 28 (1956) 1424-1429.

It has been proposed that relationships exist between grain size, creep rate, and grain boundary sliding rate. The relationships, which are all expressed as simple power laws, are given by the following equations:

$$\dot{\epsilon} = k_1 \frac{1}{d^2} \exp\left\{-\frac{Q}{RT}\right\}$$

$$\dot{\epsilon}_g = k_2 \frac{1}{d} \exp\left\{-\frac{Q_g}{RT}\right\}$$
 where $\dot{\epsilon}$ is the creep rate, d is the grain diameter, and Q and Q_g are the activation energies for creep and grain boundary sliding, respectively. The activation energies are assumed to be the same for creep and grain boundary sliding. The relationships are shown to be valid for a wide range of temperatures and grain sizes.

(511) Garofalo, F., Sinter, J. W., and Wood, W. A.
 An Electron-Microscope Study of the Effect of Temperature and Strain Rate on the Mechanism of Deformation of Aluminum.
 Phil. Mag. 53 Ser. 2 (1956) 677-689.

Electron-microscope observations show that there are three basic stages in the mechanism of deformation of metals. These are the formation of dislocations, the multiplication of dislocations, and the interaction of dislocations. The first stage is the formation of dislocations, which occurs at a low strain rate and low temperature. The second stage is the multiplication of dislocations, which occurs at a higher strain rate and higher temperature. The third stage is the interaction of dislocations, which occurs at a still higher strain rate and higher temperature.

(512) Garofalo, F., and Hasegawa, R. W. K.
 Deformation of Alloy Single Crystals.
 Paper from Symposium on Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1955) 391-405.

With Al-1%Zn crystals, easy glide only occurs in the superplastic region and takes place during the deformation. If the crystals are deformed at higher strain rates and higher temperatures, the deformation is controlled by dislocation climb and occurs at normal parabolic hardening.

(513) Garofalo, F., Hasegawa, R. W. K., and Greenbaum, G.
 Easy Glide of Cubic Metal Crystals.
 Acta Met. 5 (1956) 485-488.

The structural features associated with easy glide in biphase systems are studied, and the temperature dependence of the critical strain rate is investigated. The influence of specimen length on the critical strain rate is also studied. The results show that the length of the crystal has a marked influence on the critical strain rate, and that the critical strain rate increases with the length of the crystal.

(514) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. I. Diffusion Creep of Face-Centered Cubic Metals.
 J. Metall. 1 (1954) 141-145.

Deformation of crystalline bodies caused by differential displacement of atoms and produced by extension loads, the yield point, has been studied. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(515) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. II. Diffusion Creep of Body-Centered Cubic Metals.
 J. Metall. 1 (1954) 146-150.

The results of a study of diffusion creep in body-centered cubic metals are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(516) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. III. Diffusion Creep of Hexagonal Metals.
 J. Metall. 1 (1954) 151-155.

The results of a study of diffusion creep in hexagonal metals are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(517) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. IV. Diffusion Creep of Intermetallic Compounds.
 J. Metall. 1 (1954) 156-160.

The results of a study of diffusion creep in intermetallic compounds are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(518) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. V. Diffusion Creep of Polymers.
 J. Metall. 1 (1954) 161-165.

The results of a study of diffusion creep in polymers are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(519) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. VI. Diffusion Creep of Glasses.
 J. Metall. 1 (1954) 166-170.

The results of a study of diffusion creep in glasses are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(520) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. VII. Diffusion Creep of Composites.
 J. Metall. 1 (1954) 171-175.

The results of a study of diffusion creep in composites are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(521) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. VIII. Diffusion Creep of Nanomaterials.
 J. Metall. 1 (1954) 176-180.

The results of a study of diffusion creep in nanomaterials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(522) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. IX. Diffusion Creep of Quantum Materials.
 J. Metall. 1 (1954) 181-185.

The results of a study of diffusion creep in quantum materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(523) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. X. Diffusion Creep of Biomaterials.
 J. Metall. 1 (1954) 186-190.

The results of a study of diffusion creep in biomaterials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(524) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XI. Diffusion Creep of Smart Materials.
 J. Metall. 1 (1954) 191-195.

The results of a study of diffusion creep in smart materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(525) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XII. Diffusion Creep of Nanoscale Materials.
 J. Metall. 1 (1954) 196-200.

The results of a study of diffusion creep in nanoscale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(526) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XIII. Diffusion Creep of Microscale Materials.
 J. Metall. 1 (1954) 201-205.

The results of a study of diffusion creep in microscale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(527) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XIV. Diffusion Creep of Mesoscale Materials.
 J. Metall. 1 (1954) 206-210.

The results of a study of diffusion creep in mesoscale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(528) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XV. Diffusion Creep of Macroscale Materials.
 J. Metall. 1 (1954) 211-215.

The results of a study of diffusion creep in macroscale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(529) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XVI. Diffusion Creep of Gigascale Materials.
 J. Metall. 1 (1954) 216-220.

The results of a study of diffusion creep in gigascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(530) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XVII. Diffusion Creep of Petascale Materials.
 J. Metall. 1 (1954) 221-225.

The results of a study of diffusion creep in petascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(531) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XVIII. Diffusion Creep of Exascale Materials.
 J. Metall. 1 (1954) 226-230.

The results of a study of diffusion creep in exascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(532) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XIX. Diffusion Creep of Zettascale Materials.
 J. Metall. 1 (1954) 231-235.

The results of a study of diffusion creep in zettascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(533) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XX. Diffusion Creep of Yottascale Materials.
 J. Metall. 1 (1954) 236-240.

The results of a study of diffusion creep in yottascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(534) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXI. Diffusion Creep of Nonascale Materials.
 J. Metall. 1 (1954) 241-245.

The results of a study of diffusion creep in nonascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(535) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXII. Diffusion Creep of Decascale Materials.
 J. Metall. 1 (1954) 246-250.

The results of a study of diffusion creep in decascale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(536) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXIII. Diffusion Creep of Centoscale Materials.
 J. Metall. 1 (1954) 251-255.

The results of a study of diffusion creep in centoscale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(537) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXIV. Diffusion Creep of Kiloscale Materials.
 J. Metall. 1 (1954) 256-260.

The results of a study of diffusion creep in kiloscale materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(538) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXV. Diffusion Creep of Megascal Materials.
 J. Metall. 1 (1954) 261-265.

The results of a study of diffusion creep in megascal materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(539) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXVI. Diffusion Creep of Gigascal Materials.
 J. Metall. 1 (1954) 266-270.

The results of a study of diffusion creep in gigascal materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(540) Green, W. E., and Brown, V. Z.
 Study of Diffusion Creep of Metals and Alloys. XXVII. Diffusion Creep of Terascal Materials.
 J. Metall. 1 (1954) 271-275.

The results of a study of diffusion creep in terascal materials are presented. It is shown that the yield point is a function of the grain size and the grain boundary width, and is proportional to the square of the grain diameter. A similar relation has been observed between the grain boundary width and the grain diameter.

(535) Gilman, J. J.
Deformation of Symmetric Zinc Crystals
Acta Met. 1 (1953) 426-427

Stress-strain data for a symmetric Zn bicrystal with a longitudinal boundary. Shows that the horizontal distance of a 90° twin zone is proportional to the amount of dislocation formed in terms of dislocation theory.

(536) Gilman, J. J.
Plastic Deformation of Beryllium Zinc Monocrystals
Trans. AIME 192 (1953) 1211-1222

Thirty-five pairs of rectangular Zn single crystals were used, in which both members of the respective pair had the same orientation with respect to the longitudinal axis, but each had different orientations with respect to the strain direction. It is indicated that critical shear stress and strain-hardening rate depend on the orientation of the slip direction with respect to the crystal boundaries. The interpretation of all the known size or shape effects is difficult because they may either be bulk effects, or surface effects which depend on some surface parameter, and as they are almost linearly proportional to one another, it is not yet possible to make an unambiguous distinction. It is suggested that surface-effect studies like those of Plesterer and Masing (7) might help to resolve the dilemma.

(537) Gilman, J. J.
The Role of Thin Surface Films in the Deformation of Metal Monocrystals
Paper from Symposium on Plastic Effects of Environment on the Strength, Fatigue, and Embrittlement of Metals at High Temperatures, Spec. Tech. Publ. No. 171, ASTM, Philadelphia (1953) 3-13

The literature on the strengthening effect of surface films on metal dislocations (termed the "Rice effect") has been reviewed. Available data show that the effect cannot be explained in terms of the strength of the film itself, rather, an interaction between the film and the crystal surface dislocation measurements of the dislocations at the surface of Zn crystals were made. New data confirming this viewpoint are presented. X-ray measurements showed that a Cu film caused a marked increase in the surface dislocation that occurs when a crystal is pulled to fracture. It is concluded that the Rice effect is caused by the inhibiting effect that a surface film has on the exit of a slip from a crystal. The effect that a film might have on the generation of a slip on the surface is not believed to be an important factor.

(538) Gilman, J. J.
Cleavage Steps on Zinc Monocrystals: Their Origin and Pattern
Trans. AIME 202 (1953) 1252-1255

Characteristic cleavage step patterns are observed on the cleavage surface of undeformed, aligned, bent, twisted, compressed, and indented Zn crystals; the effect of temperature is discussed. Diagrams were used to produce cleavage steps in a brittle pattern in otherwise undeformed crystals. The steps seem to originate when cracks intersect surface dislocations.

(539) Gilman, J. J.
Study of a New Mode of Plastic Deformation in Zinc Crystals
Trans. AIME 202 (1953) 1256-1258

Characteristic "no-bands" formed during compression of zinc single crystals. A dislocation model for this phenomenon. Diagrams, graphs, photographs, micrographs. Single crystals of various orientations were deformed in compression at temperatures of -100 to +100°C, after which their structures were examined. Compression nearly parallel to their basal planes within 2 g produced a new mode of deformation, a characteristic of which is the formation of deformation markings denoted "ribbands". It is concluded that the ribbands are the result of subcell slip but are caused by a micro-buckling mechanism. A dislocation model that is consistent with some of the features of the ribbands is described.

(540) Gilman, J. J.
Zinc Pits and Dislocations in Zinc Monocrystals
Trans. AIME 206 (1954) 998-1004

A technique is described for producing zinc pits at the sites of edge dislocations in zinc monocrystals. A survey was made of the width/pit patterns that appear in zinc crystals as well as crystals that were deformed in various ways, including bent, glide, twisting, kinking, pyramidal glide, and bending.

(541) Gilman, J. J.
Propagation of Cleavage Cracks in Crystals
J Appl. Phys. 22 (1951) 1262-1269

Data on crack propagation in plastic media are summarized, showing that this phenomenon is absolutely present for plastic deformation. It is postulated that two critical velocity conditions must be satisfied in order for a crack to propagate through a plastic medium. The first is that the velocity of propagation through a plastic medium is not believed to be an important factor.

(542) Gilman, J. J.
Plastic Anisotropy of Zinc Single Crystals
Trans. AIME 206 (1954) 1126-1136

A study was made of basal and prismatic glide, in tension and in bending, of single crystals of Zn with and without addition of 0.1% Cd, within the temperature range 200 to 400°C. Basal glide is the dominant glide system, Schmid's law of the resolved shear stress in a high degree of accuracy, and the slip direction of the basal glide system is in a high degree of accuracy, and the slip direction of the basal glide system is in a high degree of accuracy, and the slip direction of the basal glide system is in a high degree of accuracy.

(543) Gilman, J. J.
Decrease in Paper by Hibbard and Dunn on "Dislocation Theory"
Cryol and Electrolytic Anal. Ser. Article, Cleveland (1953) 70-83

The movement of dislocations in LFP crystals during recovery was studied, and four processes which accompany recovery and lead to poly-dislocation were observed. They are: a reduction in the number of dislocations by annihilation with glide, anneal, and by motion out of the crystal; surface migration of screw dislocations to grain boundaries; glide of edge dislocations under internal stress; and climb of edge dislocations.

(544) Gilman, J. J.
Fracture of Zinc Monocrystals and Bicrystals
Paper presented at AIME Fall Meeting, Chicago (November 1953)

Fracture of zinc monocrystals has shown that the fracture stress of zinc is reduced by as much as 100% by small amounts of grain plastic glide. Twinning of zinc bicrystals has shown that the effect of a grain boundary on fracture depends markedly on the type of boundary. Symmetrical boundaries have no effect on other plasticity or fracture. Asymmetric boundaries raise the plastic resistance but do not reduce the fracture stress. Anisymmetric boundaries cause marked embrittlement. It is shown that fracture begins along the grain plates of a group of twisted dislocations, not ahead of the group and not below it. This is consistent with the behavior of kinked pairs. A simple, quantitatively consistent with the experimental results.

(545) Gilman, J. J., and Johnston, W. G.
Observations of Dislocation Climb and Glide in Lithium Fluoride Crystals
J Appl. Phys. 22 (1951) 1018-1022

Pyramidal slip pits were produced on cleavage surface of LiF crystals by twisting. It was shown that the slip pits correspond to dislocations and not to dislocations, the latter being edge dislocations. Dislocation glide and bending and climb during annealing were observed by etching before and after these operations.

(546) Gilman, J. J., and Johnston, W. G.
The Origin and Growth of Glide Bands in Lithium Fluoride Crystals
Paper from Publications and Reports of the Division of Physical Chemistry, John Wiley and Sons, Inc., New York (1953) 116-117

Endnote concerning the origin of glide dislocations in LiF crystals is given. It is pointed out that dislocation loops can be nucleated at the tips of the basal slip planes and glide bands in LiF crystals. These dislocations are described by a model in which dislocation motion occurs as a low angle subcell slip, rather than as a large angle slip. The expansion of dislocation loops into contract with LiF crystals, (b) by means of thermal activation, and (c) by means of applied stress. It is shown that a single half loop can be nucleated on cleavage surface. After formation of new dislocation loops by the motion of 1000 or more dislocations of 1100 planes into 1100 planes. It is demonstrated that dislocations in LiF are not immobile, and that they can move rapidly and with low energy. This latter resistance depends strongly on temperature.

(547) Gilman, J. J., and Johnston, W. G.
Verne Dislocation Motion in LiF
Paper presented at AIME Fall Meeting, Chicago (November 1953)

Direct observations of dislocation motion in LiF crystals show that these dislocations do not involve dislocation interactions, but occur as dislocations moving in dislocation-free regions of the lattice. The dislocations normally come, with uniform bombardment, and with decreasing temperature the velocity of dislocation increases exponentially with stress for stresses greater than a critical stress.

(548) Gilman, J. J., and Reed, T. A.
Surface Effects in the Slip and Twisting of Metal Monocrystals
Trans. AIME 192 (1953) 991-993

Experiments were carried out in LiF crystals with and without addition of 0.1% Cd, within the temperature range 200 to 400°C. Basal glide is the dominant glide system, Schmid's law of the resolved shear stress in a high degree of accuracy, and the slip direction of the basal glide system is in a high degree of accuracy, and the slip direction of the basal glide system is in a high degree of accuracy.

(549) Gilman, J. J.
Temperature-Dependent Equations of State of Solids
J Appl. Phys. 24 (1953) 150-151

There is an empirical equation of state which reduces to Birch's, Murnaghan's, and to special equations of Birch, Birch, Birch, and Birch. The equation is accurate in arbitrary temperature range, four fundamental constants are determined by measurements of the temperature dependence of the equation of state. The equation is given as an explicit function of volume and temperature for a solid whose heat capacity obeys the Debye law. This equation shows good agreement with experimental pressure-volume data.

(550) Gilman, J. J.
Determination of Rigidity and Resilience Properties of Soft Copper Wire (in German)
Metall 2 (1953) 972-978

Relation between resilience properties and rigidity, direct measurement of resilience, bending tests.

(551) Gilman, J. J.
A New Approach to the Problem of Creep
J Iron Steel Inst. 128 (1950) 333-343

A number of stress-ageing-hardening phenomena were observed in high-temperature tensile tests, each being associated with the presence of a particular alloying element. Related effects can be detected in the creep curves of various steels and other alloys. These take the form of a sudden decrease of creep rate over an interval of time and have been called transitions in creep rate. Several transitions usually occur in the creep curves of commercial alloys. To show up these transitions in creep rate in their perspective, the creep data were plotted in the form of log strain versus log creep rate curves (static-rate curves). A family of such curves which all contain a stress at a constant temperature forms a regular pattern so that the static-rate curves of steels of like steels or temperatures can be obtained. By integration the ordinary static-time creep curves are obtained. It is shown that this way correlation of creep or rupture tests is obtained.

(552) Gilman, J. J.
The Creep of Cadmium Crystals at Liquid-Helium Temperatures
Phil. Mag. Ser. 8 (1956) 400-408

Theories of creep assume that flow is due to thermal fluctuations assisting the applied stress to force dislocations past obstacles, and therefore creep might be expected to vanish as the temperature approaches 0° K. However, one report states of stable transient creep in liquid helium at 0° K. To investigate this, single crystals of Cd were tested in tension at 2° K and 4° K. Measurable transient creep was found, the amount of which did not vary rapidly with temperature. Calculations show that this transient creep is 1 to 10 times faster than would be expected from the behavior of liquid helium at this temperature. It is suggested that this creep is due to the quantum-mechanical tunnel effect, which allows dislocations to penetrate barriers in their motion that cannot be overcome by the action of stress alone. Evidence of the creep current agrees qualitatively with this suggestion, though theoretical calculation of the qualitative effect expected is not attempted, owing to uncertainties about the exact nature of the barriers.

(553) Gilman, J. J.
Some General Laws of the Process of Elastic-Plastic Deformation (in Russian)
Doklady Akad. Nauk S.S.S.R. 1

Theoretical investigation. Proposes a new generalized formula, which is interpreted for different values of the variables.

(554) Gilman, J. J.
Comparison of Parameter Methods for Extrapolating High-Temperature Data to Materials and Processes Law
Rep. (May 20, 1953)

It is shown that prediction of long-time working stresses using parameter methods will generally give better results than can be obtained from long extrapolations on double logarithmic plots.

(555) Gilman, J. J., and Johnston, W. G.
Theory of Metallic Bonding: Part I
Z. Physik 99 (1936) 732-742

A mathematical theory of interatomic forces in metals, employing Hester's vector law, is developed and applied to derive values of the physical constants of the K. form. The following values of the respective constants are derived for comparison with experimental values are given: lattice constant, 3.57 x 10⁻⁸ A, lattice energy, 1.11 x 10¹⁰ erg/cm³, heat of sublimation, 1.1 x 10¹⁰ erg/cm³, compressibility, 1.1 x 10¹⁰ erg/cm³.

(556) Gilman, J. J., and Johnston, W. G.
Theory of Metallic Bonding: Part II
Z. Physik 99 (1936) 743-748

Formulas derived are applied to the calculation of the lattice constants, the lattice energy, and the heat of sublimation of K, Pb, and Cu. The results are in satisfactory agreement with the experimental values.

(557) Gilman, J. J., and Johnston, W. G.
Theory of Metallic Bonding: Part III
Z. Physik 99 (1936) 81-82

It is shown that in the case of the alkali metals, a sufficiently close approximation of the lattice energy is obtained by taking into account only the interaction of metal electrons and ions. The respective lattice energies are inversely proportional to the lattice constant ³, while the compressibilities are proportional to ³. These results are in agreement with experimental values. The lattice constant and energy of sublimation of K calculated by means of the simplified theory are likewise in agreement with experimental values.

(558) Gilman, J. J., and Johnston, W. G.
Theory of Metallic Bonding: Part IV
Z. Physik 99 (1936) 592-601

The theory of metallic linkage is investigated by a simplified statistical method. The lattice energy, U, of the alkaline earth metals is found to be proportional to U₀ and their compressibilities, K₀, proportional to U₀³, U₀ denoting the equilibrium value of the radius of the sphere containing each individual ion. Satisfactory agreement is found between experimental and theoretical values of U and K in the case of the alkaline earth metals. The theory requires modification before it can be applied to the discussion of the metals Co, Ag, Au, Zn, Cd, and Hg. The significance of this is briefly discussed.

(559) Gilman, J. J.
A Study of the Deformation of Polycrystalline Zinc: Twisting, Substructure, and Phenomena at the Crystal Boundaries (in Italian)
Met. Ital. 45 (1954) 15-31

To evaluate the separate contributions of the tensile behavior of slip, twinning, and work hardening, Twisting is detected below 100°C by jumps in the tensile curve. With three jumps subtracted, the tensile curve shows the effect of work hardening. The temperature variation of this hardening is explained in terms of substructure. Below 100°C there is little hardening of the substructure, and above this temperature, the hardening becomes pronounced above 100°C, the most active then active to maintain cohesion.

(560) Gilman, J. J., Bannister, D., Harton, D. L., Blocher, T. A., Johnston, E. L., Gilman, J. J., and Landers, S. A.
Dynamic Determination of the Compressibility of Metals
J Appl. Phys. 22 (1951) 1021-1029

Theory presented which allows comparison with data obtained by other experimenters, and which yields the relationship between pressure and compression either at constant volume or constant temperature.

(561) Gilman, J. J., and Nowlin, A. S.
The Growth of Dislocations by X-Irradiation of Alkali Halide Crystals
Acta Met. 1 (1953) 514-527

A study is made of the effect of X-irradiation on the room-temperature plastic modulus (μ_{11}) of NaCl crystals. The modulus is observed to be unchanged by irradiation for ordinary crystals, but may increase by as much as 7% when cold-worked crystals are irradiated. It is demonstrated that the modulus decrease due to X-irradiation dislocation loops through the creation of positive point defects. This theory assumes that the dislocation, mobile to dislocation and contribute to the formation of plastic motion, instead of dislocation and contribute to the formation of plastic motion. The theory appears to be in good agreement with experiment and makes possible a calculation of the density of dislocations and the mean square of the dislocation loop cross-section in radiation.

1540 Green, W. S.
Theory of Elastic After-Effect in Inhomogeneous Bodies (Elastic After-Effect of the Second Class) (In German)
Physik Z. Supplement 8 (1935) 411-126

1541 Green, W. S.
Present theories of the elastic after-effect, which includes the phenomenon of minimum plastic deformation, are examined and it is shown that a satisfactory theory of the effect in which volume and sliding are in an association of different order of magnitude is not possible. The theory of solid solutions in the presence of diffusing solute atoms is examined in some detail mathematically, and it is shown that the volume after-effect may amount to as much as 50% of the plastic deformation. In the case of single crystal alloys an elastic after-effect is shown by which the thickness of the crystal increases 10 to 20% after an attempt to interpret the phenomenon in poly-crystalline metals and alloys in general.

1542 Green, N. D.
Grain Displacement in Metal Strained Below Elastic Limit
Metall Progr. (May, 1952) 87-91

1543 Green, N. D.
A study by X-ray diffraction methods of movements within the mosaic substructure of annealed grain metal under moderate stress. Materials were 95% steel and high purity aluminum.

1544 Green, J.
The Structural Theory of Elastic and Plastic Phenomena in Metals (In French)
Publ. Assoc. Ingeg. Ind. Politecn. Roma 22 No. 2 (1949) 13-29

1545 Green, J.
Born's theory of the elasticity and plasticity of single crystals, and Taylor's theory of the elasticity and plasticity of polycrystals have been derived. Attempts are made to overcome these defects by extending to plasticity a simplified theory which has adopted the best results of elasticity of metals. Essentially, the theory proposed is based upon the hypothesis of dislocation and Schmid (Proc. Roy. Soc. (1934) 142) that under tensile stress all the grains of an aggregate experience the same dilatation in all three directions. It is concluded that this theory is applicable to a variety of mechanical processes, e.g., rolling and stamping, and to the phenomena of mechanical hysteresis.

1546 Graham, A.
Phenomenological Theories of Creep
Engineer 52 (1952) 198-201; 234-236

1547 Graham, A.
The Phenomenological Method in Rheology
Research 6 (1953) 92-97

1548 Graham, A., and Wallis, K. A.
Relationships Between Long- and Short-Time Creep and Transient Properties of a Commercial Alloy
J. Iron Steel Inst. 172 (1955) 105-108; Discussion, ibid. 182 (1956) 185-194

1549 Graham, A.
Experimental results are given for short-time creep tests, two forms of constant stress, and creep recovery tests. Satisfactory relationships are established among the various results and the long-time data. A theory of deformation is developed, based upon the Boltzmann equation and the Boltzmann memory principle, which meets a variety of requirements.

1550 Graham, A., and Wallis, K. A.
Creep of Polymers and Composites
Proc. Roy. Soc. (London) 236A (1956) 40-59

1551 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1552 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1553 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1554 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1555 Graham, A., and Wallis, K. A.
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1556 Graham, A., and Wallis, K. A.
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1557 Graham, A., and Wallis, K. A.
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1558 Graham, A., and Wallis, K. A.
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1559 Graham, A., and Wallis, K. A.
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1560 Graham, A., and Wallis, K. A.
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1561 Graham, A., and Wallis, K. A.
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1562 Graham, A., and Wallis, K. A.
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1563 Graham, A., and Wallis, K. A.
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1564 Graham, A., and Wallis, K. A.
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1565 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
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1566 Graham, A., and Wallis, K. A.
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Proc. Roy. Soc. (London) 236A (1956) 40-59

1567 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1568 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1569 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1570 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1571 Graham, A., and Wallis, K. A.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1572 Green, N. J., and Green, H. G.
Effects of Solid Solution Alloying on Creep in Formation of Aluminum
Trans. ASME 77 (1955) 417-424

1573 Green, N. J., and Green, H. G.
Dispersed Hard Particles Strengthening of Metals
Trans. ASME 77 (1955) 417-424

1574 Green, N. J., and Green, H. G.
Slip and Grain Boundary Sliding in Alloys of the Iron-Steel Group
Trans. ASME 77 (1955) 417-424

1575 Green, N. J., and Green, H. G.
Hypo-Elasticity and Plasticity
Proc. Roy. Soc. (London) 236A (1956) 40-59

1576 Green, N. J., and Green, H. G.
Some Aspects of Theoretical Plasticity
Metall. Trans. 2 (1952) 534-540

1577 Green, N. J., and Green, H. G.
Correlation of Creep Properties by a Diffusion Analogy
Trans. ASME 74 (1952) 120-126 (In J. Appl. Mechanics section)

1578 Green, N. J., and Green, H. G.
The interaction of any dilatation produced with a stationary dislocation has a Burgers vector component perpendicular to the slip plane in the case of a dislocation in a crystal lattice. The application of this equation to the creep of metals leads to a creep equation which shows that the apparent activation energies observed for creep and self-diffusion have a similar temperature dependence. The qualitative effects of impurities, grain size, cold working, and surface conditions upon creep as predicted by a diffusion analogy are found to agree with experimental results. The analogy does not hold if the creep deformation is a result of slip.

1579 Green, R. B.
Interaction-Faulting Mechanism Theory of Flow and Fracture of Face-Centered Cubic Metals
Phys. Rev. 155 (1955) 376-380

1580 Greenwood, G. W., and Quarrel, A. G.
The Crevice Fracture of Polycrystalline Zinc in Tension
J. Inst. Metals 82 (1954) 551-560

1581 Greenwood, G. W., and Quarrel, A. G.
A study has been made of some of the fracture properties of zinc: the effects of grain size, temperature, strain rate, and plastic deformation on the type of fracture and the time for fracture. It has been observed that the time for fracture has been shown to be inversely proportional to the square root of the mean grain diameter in tests at 175°C. This relationship was found to be valid at higher temperatures if a correction was made for the effect of deformation before fracture. The constant of proportionality increased with increasing temperature. An activation energy for the effect of fracture was determined from the observed effects of temperature and strain rate. It is concluded that a dislocation theory can be developed to account for the behavior of large internal stresses from which cracks leading to fracture can be formed.

1582 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1583 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1584 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1585 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1586 Greenwood, G. W., and Quarrel, A. G.
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Proc. Roy. Soc. (London) 236A (1956) 40-59

1587 Greenwood, G. W., and Quarrel, A. G.
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1588 Greenwood, G. W., and Quarrel, A. G.
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Proc. Roy. Soc. (London) 236A (1956) 40-59

1589 Greenwood, G. W., and Quarrel, A. G.
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Proc. Roy. Soc. (London) 236A (1956) 40-59

1590 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1591 Greenwood, G. W., and Quarrel, A. G.
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1592 Greenwood, G. W., and Quarrel, A. G.
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Proc. Roy. Soc. (London) 236A (1956) 40-59

1593 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1594 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1595 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1596 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1597 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1598 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1599 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

1600 Greenwood, G. W., and Quarrel, A. G.
The Mechanism of Creep in Polymers
Proc. Roy. Soc. (London) 236A (1956) 40-59

(584) Greenwood, J. N. **The Creep Phenomena in Metals**
Australasian Engineer (December 1948) 28-31
 Earlier work in this field is reviewed, and creep is discussed under the following headings: characteristics of deformation below the creep limit of temperature; the influence of temperature on cold worked metal; characteristics of deformation in the creep limit of temperature; crystalline cracking; Po as an experimental method for the study of creep; and mechanism of creep.

(585) Greenwood, J. N. **Recrystallization of Metals Under Stress**
Nature 163 (1949) 448-450
 The creep rates employed are lower than those of Andrade, and it is found that increased stress or recrystallization in the case of the transition from constant to accelerating creep rates in uniform load tests has a fundamental effect on the mechanism of creep. It is not, however, due to an increase in the rate of creep.

(586) Greenwood, J. N. **Intergranular Cracking of Metals (Letter)**
J Iron Steel Inst 112 (1952) 180
 Suggests that cracks are caused by the aggregation of vacant lattice sites. When a sufficient number of vacant sites have accumulated in any one area, i.e., an intergranular crack will have formed, which would then open up under the continued stress. The conditions for intergranular cracking would then appear to be (1) increased temperature, and (2) decreased rate of strain.

(587) Greenwood, J. N. **Intergranular Cracking of Metals**
Brit Inst Metals 1 (1952) 104-105
 Suggests that cracks in metals are initiated by the aggregation of vacant lattice sites. The postulated process is illustrated by photographs of a "ball model". Points out that aggregation of the vacant sites in a lattice containing the vacant sites in every 100,000 would separate by two atomic distances an area of boundary surface 0.1 mm square.

(588) Greenwood, J. N. **Intergranular Cracking of Metals**
Brit Inst Metals 1 (1952) 120-121
 Observations were made at the distribution of cavitation and cracking in 70-30 brass strained at 400°C. It is suggested that the cracks are formed by vacant lattice sites (formed or formed during deformation) which migrate to grain boundaries and aggregate to form cavities. These cavities eventually form a crack which opens up as a result of stress concentration at the edges. (See comments by Frey, D. N., *Brit Inst Metals* 1 (1952) 124.)

(589) Greenwood, J. N. and Warren, H. K. **Types of Creep Curves Obtained With Lead and the Dilute Alloys**
J Inst Metals 41 (1933) 139-167
 Four types of creep curves are shown: strain hardening, and after increasing creep rate and moving strain hardening back. Creep is partly "viscous" movement and partly crystalline slip. Creep is limited on the creep rate and critical stress and strain necessary for recrystallization. Vibration increases the creep rate and causes recrystallization owing to stress.

(590) Greiner, E. S., and Zilli, W. C. **Dilatations and Plastic Flow in Germanium**
Brit Inst Metals 31 (1954) 403-406
 Conductivity studies demonstrate the introduction of other imperfections in plastic flow, and provide means for identifying the types of these imperfections and estimates of their concentrations.

(591) Griffith, A. A. **The Phenomena of Equilibrium and Flow in Solids**
Phil Trans Roy Soc (London) 263A (1921) 161-198
 It is rather in case locally the maximum stress and the pressure limit of the material material. Thus, the ordinary hypothesis of rupture is not valid. It is proposed to predict the safe range of alternating stresses for a wide class of materials. Rupture will occur where a crack is present of a size which is a function of the applied stress. Rupture and of 180 psi. This high value of rupture is probably as a result of the formation of cracks. A theory is developed for explaining these phenomena, it is possible to raise the yield point and tensile strength almost to the ultimate strength and to increase the yield point and tensile strength almost to the ultimate strength of the material.

(592) Griffith, A. A. **The Equilibrium of Fracture in Metals**
J Inst Metals 3 (August 1946) 15-23
 The fracture energy in a material is made up of two parts, one arising from the breaking of interatomic bonds, and the other from the formation of new surface area. The former is a function of the atomic structure of the material, and the latter is assumed to vary roughly as the square of the length of the crack.

(593) Gross, B. **On Creep and Relaxation**
Phys Rev 72 (1947) 164
 When the principle of superposition is valid, the range of creep and of relaxation is extended to include the distribution functions for non-linear creep and for relaxation. This results in a general relation, suitable for numerical computation, for the conversion of one distribution into another.

(594) Gross, B. **On Creep and Relaxation**
J Appl Phys 18 (1947) 212-221
 The creep and the relaxation functions of linear systems, for which the principle of superposition is valid, are mutually convertible in a simple manner. This makes it possible to calculate the distribution function of strain when the relaxation function or the creep function is given. It also allows a transformation formula to be established for the conversion of one distribution function into another. The results of the theory are applied to a detailed discussion of the relaxation process in a particular case.

(595) Gross, B. **On Creep and Relaxation II**
J Appl Phys 19 (1948) 257-264
 A phenomenological theory of the plastic aftereffect can be formulated with the aid of the principle of superposition. In a previous paper the theory of the transient aftereffect, caused by the sudden application of a constant load or stress, has been developed. In the present paper the theory of the steady-state behavior under alternating load and deformation is given. Relations are established between the loss factor, the storage factor, the distribution functions, and the Laplace transforms of the creep and relaxation function.

(596) Gross, B. **The Flow of Solids**
Phys Today 3 (August 1952) 1-11
 Fundamental behavior of solid materials under stress, principles of measuring creep, rate of primary function in deformation of solids, problems of rupture which affect deformation of loaded systems.

(597) Gross, B. **Rheological Distribution Functions (in German)**
Kolloid-Z 111 (June 1953) 161-166
 Creep and relaxation curves which describe viscoelastic processes are shown to be inadequately represented by the simple exponential functions of the elementary theory. Viscoelastic phenomena are analyzed mathematically in terms of two functions, the relaxation time and the retardation time. The relaxation time is considered in terms of the retardation time and the elasticity model, and the retardation time is in terms of retardation time functions. Some are given later.

(598) Gross, R., and Ingers, H. **On Creep and Relaxation III**
J Appl Phys 22 (1951) 1015-1019
 The general theory of reversible linear creep, developed by Gross [1947] [2] (1948) [27] is extended to cover creep with a plastic component. It is to be assumed that the creep rate is linear and that, after a fixed period of creep, the strain is proportional to stress. A distribution function of stress relaxation times is introduced in the theory, and the type of distribution function is considered in detail.

(599) Guard, R. W. **Stable at Elevated Temperature**
Prod. Eng. 27 (October 1956) 144-144
 Hot and cold behavior of metals compared using homologous temperature scale, fatigue versus rupture stress as design criterion, predicting long-term properties from short term tests.

(600) Guard, R. W. **The Relation of Microstructure and High Temperature Strength**
Papers from High Temperature Materials, Their Strength Potential and Limitations, Fourth Symposium Ordnance Research Research Conference (1957) 90-105
 The application of metallurgical principles to the solution of the problem of increasing operating temperatures of Fe-Cu-Ni base alloys are discussed. The principles could be applied to alloys of any base if the necessary information is available. One surprising fact in this investigation is that the effect of alloying additions prevails to quite high homologous temperatures. This observation is not easily explained by any existing theory of strengthening. The results are even more striking if they are examined on a relative basis. The effect of a given alloy addition to increase the strength by a given percentage is much less dependent on temperature than is the actual strength. It should be recognized here that the results are for temperatures at or above the recrystallization temperature. Another observation that does not fit existing concepts is the marked upper and lower yield point in the alloys above 1000°F. This yielding behavior was at first thought to be caused by recrystallization. Metallurgical examination failed to show this to be the case. Examination of the results indicates that the following structural processes are valid for dispersion strengthened alloys: 1. The best strength is obtained for the alloys having the finest dispersion of compound. 2. Large amounts of excess compound are detrimental to rupture ductility. 3. A slight excess (15-18 per cent) of compound in solution in the highest solution temperature gives the best upper strength. 4. The matrix composition should be as high as is consistent with stability of particles size is important in promoting high rupture strength.

(601) Guard, R. W. **Rate of Polymerization in Creep**
 Paper presented at AIME Fall Meeting, Chicago (November 1957)
 Dilatation creep-pit patterns in a number of specimens of Ni subjected to creep deformation at elevated temperatures have been examined. Each pit pattern shows two distinct morphologies as follows: (1) broad bands of high density of pits (upper random pits) between the bands and (2) sharp submicroscopic (low number random pits) between the bands. The direction of the bands is generally normal to the bands. The change in the overall pattern of the specimens with time (and strain) during a creep test show that the broad bands form on initial loading, or early in the creep test, and the sharp bands increase in number and density during the creep plateau. Three effects have been examined as a function of stress and temperature for creep strains from 0.02 to 0.05. A model is proposed for creep deformation in which the rate of creep is dependent on the rate of generation and the mobility of dislocations in the dislocation structure. The rates of generation and mobility are dependent on the magnitude of the long range stress fields of the dislocations. The model of strain hardening is used although its specific details are not necessary for the hypothesis. The predictions of the model with respect to the effects of temperature, stress and prior dislocation structure are discussed and the observed morphologies of the dislocation structures substantiated.

(602) Guard, R. W., Hubbard, W. R., Jr., and Hoffman, R. E. **A Review of Some Recent Literature on the Theories of Strength and Its Temperature Dependence**
C. E. Research Lab Memo M-67 (1958) 15 pp
 Manuscripts and rough translations of 82 recent (1956-1957) Russian papers listed in the bibliography were evaluated in relation to the status of American literature in a comparable period.

(603) Guard, R. W., Koster, J. H., and Heller, S. F. **Observations on Elevated Temperature Tensile Deformation**
Trans. AIME 209 (1954) 226-227
 In tensile tests at elevated temperatures on ferr, ferr, and ferr-matrix (Fe, Fe₃C, and ferr) alloys the creep rate and the load versus elongation curve revealed a maximum load at relatively small amounts of strain, and a large amount of elongation occurs subsequently with a continuously decreasing load, until finally the stress drops and fracture takes place. This early maximum load behavior occurs without localized necking or creep necking. The detailed characteristics are dependent on the prior strain (cold work), strain rate, test temperature, and crystal structure of the material, but the general features of the behavior are similar in all materials as far investigated.

(604) Guard, R. W., and Westbrook, J. H. **Alloying Behavior of Ni-Al (Fe³⁺-Fe)**
 Paper presented at AIME Fall Meeting, Chicago (November 1957)
 In many superior nickel-base high-temperature alloys the elevated temperature strength is attributable to the presence of a dispersion of Ni₃Al (γ') in solid solution matrix. In order to improve our understanding of these materials the effects of alloying additions on the properties and equilibrium relationships of Ni₃Al have been considered. Several tests were made to establish whether there is any transformation present in Ni₃Al at high temperatures as has been proposed by several workers. The evidence obtained in support of any crystalline change between room temperature and 1000°C. A survey of phase diagrams was made to determine the nature of the γ' phase for various systems of Ni-Al_x where x is Fe, Co, Cu, Mn, Ni, Cr, Si, Ti, Zr, and Nb. Extensive studies in Ni-Al systems for Fe, Co, Cu, Ti, Cr, and Si. In several of these cases the effect of alloying on the lattice parameter and hardness at room and elevated temperatures was investigated. The effect of deviations from stoichiometry in the binary Ni₃Al phase was also examined. In general alloying additions and variations from stoichiometry increase the lattice parameter in a manner which is to be expected from the known radii of solid solution effects. The change in lattice parameter is dependent on the relative size of the alloying atom and its position in the peroxide lattice. The rates prepared for lattice thermal solid solutions are derived satisfactorily. A discussion is presented of the stability of Ni₃Al with respect to neighboring phases and the extent of solubility.

(605) Gubanov, S. I. **Methods of Determination of Deformability (in Russian)**
Izv. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk (September 1949) 1493-1497
 Critically analyzes existing mathematical and physical theories of deformation of solid bodies. Proposes a theory using dimensional numbers for deformation bodies I and II. On the basis of this assumption, equations are proposed and graphically interpreted.

(606) Gubanov, S. I. **Schematic Diagrams for the Mechanical State (in Russian)**
Izv. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk (August 1955) 1153-1182
 Two types of diagrams which form a firm basis for classification of mechanical states, mechanisms of plasticity, and basic methods of stress analysis of bodies. Special features of each type of diagram. Theoretical derivations are based on tensor analysis.

(607) Gubanov, S. I., and Bogdanov, Y. S. **The Path of the Deformation Process in a Plastic Body (in Russian)**
Doklady Akad. Nauk S.S.S.R. 92 (1953) 970-972 (NSF Translation 135)
 It is suggested that, in order to define the state of a deformed body, not only the strain of the deformation, but also the path of the deformation process must be considered. The mechanical state of the deformation can be described by a series of vectors, the origin of each one being the end of the preceding one, and the resultant vector closing the path in the parameter space of the steps and represents the simple deformation which is equivalent to the compound one. The arithmetic sum of the lengths of the vectors represents the physical intensity of the deformation. It is concluded that the physical intensity is proportional to the work done and to the change in physical state, and that the dependence of the state of stress on the physical intensity of the deformation is the sole characteristic of the plastic behavior of metal.

(608) Gubanov, S. I., and Rappoport, L. A. **History of Fracture During Plastic Deformation of Metals (in Russian)**
Doklady Akad. Nauk S.S.S.R. 126 (1958) 485-488
 Formation of tensile stress, structural changes induced by recrystallization and formation of new phase.

(270) Hahn, T.
 Creep of Metal Crystals (In English)
 Paper from Proceedings International Symposium on the Strength of Solids, Garmisch, Germany (1952) 301-311
 Creep appears to be a boundary process in regions of reduced crystal order involving dislocations or the movement of structural elements.

(271) Homan, G. A., and Gosson, J.
 Contribution to the Study of the Mechanism of the Fracture of Metals (In French)
 Rev. met. 41 (1952) 671-682
 It is of little significance to call a metal ductile or brittle unless the nature of the fracture is specified. An investigation in simple fracture by tensile rupture in Zn and mild steel showed that even cleavage, (1) always accompanied by slanting, and (2) slipping by transverse dislocation in Zn (1) occurs with mild steel and hot-rolled Zn. Preliminary in cold-rolled Zn (1) occurs with mild steel and hot-rolled Zn. Preliminary slip only a secondary part in the mechanism of fracture. In Zn, as in mild steel, a considerable intergranular fracture was observed with either Zn or mild steel, and none of the fracture was complete intercrystalline. In mild steel, where the possibility of slipping by translation is much more than in Zn, cold drawing alone causes slanting, which ends by a movement in the body of the grain after appreciable work hardening.

(272) Honeycomb, R. W. K.
 Inhomogeneity of Deformation in Metal Single Crystals (Letter)
 Proc. Phys. Soc. (London) 61 (1950) 632-633
 Results of an investigation of local orientation changes in deformed Al crystals by means of the Burg method.

(273) Hupkin, L. M. T.
 A Note on the Mathematical Analysis of Creep Curves
 J. Inst. Metals 41 (1953) 463-468
 The Andrade equation $\epsilon = \epsilon_0 (1 + \beta t^m)^{1/m}$ and an equation containing a logarithmic term have been found to give good fits of creep curves on high-purity Pb and a Pb-1% Sn alloy. The Andrade equation was the better for longer times up to 5000 hr. An attempt to correlate the values of the constants in the Andrade equation with the effects of grain size and stress was not possible for Pb. For the Pb-1% Sn alloy, however, it was found that ϵ_0 was linearly related to stress and relative grain-size boundary area, although a simple relationship related between these variables and the β constant.

(274) Hu, L. W.
 Studies on Plastic Flow of Anticrystalline Metals
 J. Appl. Mechanics 22 (1956) 444-450
 Based on Hill's theory of plasticity for anisotropic metals, the plastic stress-strain relationships are derived for materials with the plastic hardening. The influence of anisotropy on the plastic behavior of metals in a state of plane stress or plane strain is discussed.

(275) Hu, L. W.
 Determination of the Plastic Stress-Strain Relations in Tension of Nitinol
 J. Res. Natl. Bur. Stand. (1956) 611-616
 ASTA, Bulletin No. U-558-1 (August 1, 1956) 153
 A testing method to determine the plastic stress-strain relation of metal under high pressure with continuous loading was developed. Basically a constant for various pressures, but the strength coefficient increases with the increase of the pressure to which the material is exposed. The average true stress and the reduction in cross-section area at rupture were found to increase with pressure. Fracture surfaces changed from brittle to ductile as the hydrostatic pressure increases.

A-10
 (276) Huang, H. T., Sherby, O. D., and Dorn, J. E.
 Activation Energy for High-Temperature Creep of High-Purity Aluminum
 Trans. AIME 201 (1956) 1395-1398
 The activation energy for the high-temperature creep of high-purity aluminum was evaluated by a new technique involving rapid changes in temperature, and was found to be 32,400 cal/mole irrespective of stress and strain. Concludes that both Prager-Treanor and Absolute-Rate Theories are inconsistent with experiment, and that high-temperature creep starts from dislocation climb.

(277) Hour-Bathery, W.
 On the Bond Lengths and Interatomic Distances in Crystalline Molecules and Crystals
 Proc. Roy. Soc. (London) 232A (1956) 17-27
 Interatomic distances in crystals of some elements at absolute zero were calculated, and the values are compared with those in some squares of bond lengths and atomic numbers.

(278) Huid, F.
 Theory of Bonding in Non-Polar Crystal Lattices (In German)
 Z. Elektrochem. 61 (1957) 891-895
 A short, clear survey of cohesion in crystals of various lattice types, and the properties of the crystals.

(279) Huid, F.
 Plasticity
 Metallurgie 22 (1956) 109-118
 Fundamental bases of theory of plasticity as basis for understanding more special parts of theory.

(280) Huid, F.
 The Strain-Age Hardening of Mild Steel
 Metallurgie 22 (1956) 203-211
 Effects of strain aging on mechanical properties: a modification of the dislocation theory of strain aging to cover the change in strength and ductility during aging.

(281) Hueston, H. D.
 Modification of the Peierls-Nabarro Model for Edge Dislocation Core
 Proc. Phys. Soc. (London) 68 (1955) 1044-1046
 Critical review of various assumptions implicit in the Peierls-Nabarro treatment of the core of an edge dislocation.

(282) Hutcheon, M. M., and Loual, N.
 The Effect of Preloading on the Yield Point in Iron
 Acta Met. 5 (1958) 8-12
 Measurements of the increase in yield stress in Fe caused by preloading below the yield point have been carried out with view to distinguishing between current theories of the yield point in Cottrell locked systems. The results obtained tend to favor a theory based on a model in which prior work hardening has a more significant effect on the yield stress than the dislocations more significantly carrying their atmosphere.

(283) Huta, V. A., and Krivakova, V. K.
 X-Ray Determination of the Characteristic Temperature of Chromium, Nickel, and Molybdenum (In Russian)
 Problema Metallurgii i Fizika Metallov, no. 4, Moscow (1955) 389-401
 Characteristic temperature, T_c , of annealed and deformed Mg at 600°C in the same (same) study observed previously with Fe, Cr has habit metal with large data and other characteristics, such as melting point, coefficients of diffusion, self-diffusion, etc., applied.

(284) Huta, V. A., and Krivakova, V. K.
 Interatomic Bond Strength and Static Dislocations in Crystals of Alloyed Ferrites (In Russian)
 Doklady Akad. Nauk S. S. R. 120 (1955) 79-72 (Doklady Translation No. 351)
 Investigation of effect of V, Mn, Co, Cr, and Mg upon bond strength and distribution of slip systems in ferrites, based on measurements of the temperature of the thermal factor of the intensity of X-ray diffraction lines. The strength of interatomic bonds in the crystals of the component

phases is believed to be one of the main factors determining the temperature of softening of the alloy. Observed that all elements (Fe, Co, Cr, Mn, except V) increased the bond strength in ferrite which agrees with effect of alloying on the temperature dependence of the alloy modulus. No direct correlation was found between the static dislocation of the solid solution and the difference in dimension of the atoms of the solvent and the alloying elements.

(285) Huta, V. A., and Krivakova, V. K., Rudomova, F. V., and Sviridovskaya, T. I.
 The Influence of Hot and Mechanical Working on the Thermal Softening of X-Ray Beams with Solid Solution (In Russian)
 Izvest. Akad. Nauk S. S. R., Ser. Fiz., 20 (1954) 723-728
 Allowing found to influence strength of interatomic bond in alpha-Fe. In some solid solutions, strength may be changed only by thermal and mechanical working (the composition change).

(286) Ilyushin, A. A.
 Theory of Elastic-Plastic Deformation and Its Applications (In Russian)
 Izvest. Akad. Nauk S. S. R., Ser. Fiz. (June 1948) 769-768
 On the basis of theoretical analysis, a very general mathematical expression covering all known and several not yet fully investigated theories of solid bodies under deformation is proposed. Practical application to various states of stress.

(287) Ilyushin, A. A.
 Contemporary Problems of the Theory of Plasticity (In Russian)
 Vsesoyuz. Nauch. Univ. Ser. Fiz. Mat. i Estestv. Nauk (April-May, 1955) 101-113
 Theories of small elasto-plastic deformation, plastic flow, creep of metals, strength of structural materials and concrete, etc.

(288) Iverson, V. S.
 A Criticism of Ductility in Creep (In Russian)
 Zhurnal Fiz. Khim. 29 (1955) 212-215
 Suggests the use of a new material characteristic to estimate the properties of heat-treated alloys, called the plasticity parameter, $\sigma_p = \sigma_0 / \dot{\epsilon} t$, where σ_0 is the creep rate and t_{cr} is the time to failure.

(289) Iverson, V. S.
 Nature of Fracture of Metals During Creep (In Russian)
 Metallurgii (Obshchaya Met.) (1955) 19-26 (See Metal Progress (March 1955) 156, 162)
 Theories regarding include that of the intensity of vacancy formation during creep. Discrepancy relation between stress and time up to fracture in steels with low-creep resistance and of the deformation resistance and cohesive strength to service life of a metal.

(290) Iverson, V. S.
 The Role of Dislocation in Creep Processes (In Russian)
 Prikladnaya Metallurgiya (1955) 16-26 (See Metallurg 1956)
 The theory of dislocations explains (a) local plastic deformation, (b) the thermomechanical strengthening of metals. The distribution of over the length of steel specimens was determined after deformation at 335°C. With an overall deformation of 0.058, the value of ϵ_c of 12 out of 18 sections was 0.1% and zero in the other 6 sections. All sections retained residual deformation, and the difference of ϵ_c of the different sections decreased. Dislocation accounting for plastic deformation require different stresses to become mobile. This is a function of their configuration and of the atmosphere of dissolved atoms surrounding them. Repeated cycles of stress at high temperature, and rest, with load removed, at room temperature, did not affect the creep curve. But when the specimen at rest was maintained at the testing temperature the metal was strengthened. However, to gain this strengthening effect, the value of stress must exceed the critical deformation stress of a given metal at a given temperature. During prolonged resting periods or separate cycles sufficient blocking effects are accumulated to arrest the migration of dislocations when the stress is applied.

A-11
 (291) Iverson, V. S.
 Dislocation of Crystal Lattice in Solid Solution
 Acta Cryst. 10 (1957) 82
 Areas square static displacement measured and compared with the degree of short-range order. The dependence of the Debye temperature for Ni-Fe alloys is deduced. For Cu-Fe and Ni-Fe, the dependence of Debye temperature on long-range order data for ordered solid solutions is less than for disordered.

(292) Iverson, V. S., and Katsenelenka, A. A.
 On the Atomic Structure of Crystals in Polycrystalline Metals (In Russian)
 Zhurnal Fiz. Khim. 25 (1951) 69-69
 X-ray reduction is shown to be a measure of the extent to which mosaic blocks in deformed polycrystalline aggregates have grown as a function of various temperatures and times of annealing. Specimens studied were an Fe-Ni alloy and Fe-Cr alloys containing 15, 20, 30, or 50 at. % Cr. It is shown that the temperature at which block growth begins to lighten the boundaries of mosaic blocks is a function of the degree of short-range order. In the Fe-50 at. % Cr alloy, an annealing temperature of 1000°C is required to produce a mosaic block in the alloy, which disturbs the coherence of the individual parts of the crystalline lattice.

(293) Jackson, K. A., and Chalmers, D.
 Influence of Strain on the Plastic Deformation of Single Crystals of Tin
 Can. J. Phys. 31 (1953) 1017-1018
 Effect of existing substructure on a substructure subsequently formed by deformation. Micrograph, micrograph, their reference. Single crystals of tin contained striations running parallel to their axis. After deformation in tension a band structure was observed on the free surface about the $\{110\}$ planes. The boundaries of the bands coincide with striation boundaries wherever possible. Deformation bands in regions of striation-free crystals had quite irregular boundaries. The results are discussed in terms of the characteristics of deformation bands and of striations.

(294) Jaffe, L. D., Reed, E. L., and Mann, H. C.
 Dislocation Crack Propagation
 Trans. AIME 185 (1949) 524
 It has been generally believed that fracture originates at a point and, if the stress is sufficient, propagates across the material from this point. Evidence to the contrary is illustrated for a low-alloy steel. An explanation is offered.

(295) Jameson, H. E., and Sherrill, F. A.
 The Critical Shear Stress in α -Brass as a Function of Zinc Concentration and Temperature
 Acta Met. 4 (1956) 177-200
 Single-crystal tensile specimens of α -brass of various compositions up to 30 at. % Zn were pulled at temperatures below 297°K to measure the critical shear stress. The values of the critical shear stress at each of the lower temperatures in that of 27°K show a sharp increase from only for 5% Zn to 25% Zn (at previous work) to a plateau at about 1% and then another rise starting at about 20% Zn. A significant result is that for small percentages of Zn the critical shear stress at 2°K is actually lower than that at 78°K. An explanation of this anomaly is offered in terms of dislocation formation in the dislocations during their movement prior to yielding of the specimens.

(296) Jansz, B.
 Contribution to the Study of Plastic Deformation (In French)
 Publ. Sci. et Tech. Miniere et (France) 220 (1954) 6
 Analysis of stress-strain curves for Al and a number of its alloys shows that they may be treated into three parts: (1) a range of proportionality, (2) a range of non-linear elastic (or polycrystalline) deformation, (3) a final region of plasticity, where the tensile strength, σ_t , is related to the elongation, ϵ , by the equation $\sigma_t = \sigma_0 + \sigma_1 \epsilon^n$, where σ_0 is the limit of proportionality and σ_1 is a constant, n is a function of the degree of plasticity, and σ_0 and σ_1 are a function of the degree of plasticity. The transition point corresponds to the degree of cold working at which the metal begins to creep appreciably; (2) the elongation at which the metal begins to crystallize on annealing; and (3) the point at which crystallization

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(172) Jaulin, B.
Plastic Deformation Behavior of 14% Cr-15% Ni Stainless Steel Alloys
Unpublished Report of Research at Ecole Nationale Supérieure des Mines, Paris (1954)

(173) Jaulin, B., and Biret, J.
Plastic Deformation of Aluminum and Aluminum Alloy Single Crystals (In French)
Compt. rend. 243 (1955) 2532-2534

Tests were carried out on binary alloys of Al containing Si, Cu, or Zn. The values of the shear in the elastic limit and up to the point of inflection were determined for the same metal. The influence of impurities on the strength of single crystals is comparable to that in polycrystalline materials. From these results, E. Schmitt's law [Schmitt and Thues Kristallplastizität (1935, Berlin)] can be generalized as follows: The shear corresponding to comparable states of deformation is independent of the orientation. But, as has been observed with pure Al, specimens with an orientation near (111) are an exception to the law relative to the other orientations in which greater in impure metals. Micrographic observations show that the presence of impurities diminishes the importance of the second system of slip. For the same orientation, the slip at the point of inflection is greater in impure metals.

(174) Jaulin, B.
Variation in the Slope of Stress/Strain Curves of Metals (In French)
Compt. rend. 242 (1956) 6-9

The transition point of stress/strain curves marks a stage beyond which further deformation is due solely to intracrystalline effects. The reversibility or "pseudoelastic" part of the curve has a steeper slope than the elastic part if the metal is well recrystallized, and the slope increases with progressive deformation. In the first or "relaxation-plastic" part of the deformation, the slope decreases, and experiments with pure Al of various grain sizes show that, up to the transition point, the slope is always $6G/3E$. This is confirmed for other metals, such as Cu, Fe, Zn, and even Fe-Ni and Al-Mg alloys. In the completely plastic region beyond the transition point, the slope decreased more rapidly owing to stress relief due to the removal of the piled-up dislocations; but if the dislocations are not removed, the curve does not show the above transition point as in the case of single crystals at very low temperatures. An example of this is the case of 18-25 stainless steel.

(175) Jaulin, B.
Influence of Grain Boundaries on the Cold Work of Metals (In French)
Paper from Deformation and Flow of Solids, Edited by R. Grammel, Springer-Verlag, Berlin (1955) 13-24

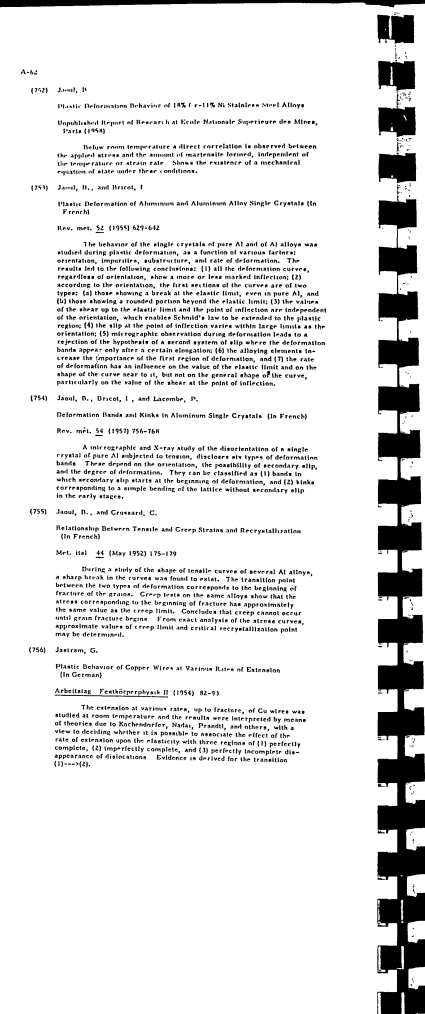
The forms of the tensile curves for single crystals and polycrystals are described, and the two compared.

(176) Jaulin, B.
Plastic Deformation of Aluminum Single Crystals at Low Temperatures
Compt. rend. 242 (1956) 3029-3032

Investigation of the characteristic change with orientation at temperatures below 20 degrees. The curves show the usual characteristics well-defined elastic limit, first part concave upward and then parallel slightly affected by the crystal orientation, and at 15°C the curves have the same general shape. The rate of hardening increases linearly up to the point where the curve inflects the value of the slope at the origin suggests that there are a considerable number of barriers slightly affected by the crystal orientation, and that these barriers formed round each Frank-Read source, when the slope (1/3) is attained, where G is the shear modulus.

(177) Jaulin, B.
A Study of the Form of Plastic-Deformation Curves (In French)
J. Mech. and Phys. Solids 3 (1955) 95-114

The stress-strain curves in tension for single crystals and polycrystalline materials can be defined by a series of successive phenomena: the main body of the work is on Al, though additional information was obtained on Ni, Cu, Pb, Fe, Zn, and low-C steel. Four stages were identified: (I) Initial elastic stage; (II) plastic deformation accompanied by rapid strain hardening; (III) linear increase in strain hardening giving a value for the modulus of plasticity; (IV) rapid deformation with a decrease in strain hardening, considered to be due to the blocked dislocations leaving themselves. Fragmentation occurred in the final stage before fracture. In polycrystalline materials, a strain-hardening component was identified with grain-boundary effects.



(178) Jaulin, B. A.
Dislocation. A Review of Some Recent Books
Research 2 (1954) 457-464

Theory, strain energy, edge and screw dislocations and stress boundaries are discussed.

(179) Jaulin, B. A.
The Theory of Coblation
Progress Science Series. Metall Physics and Physical Metallurgy Vol. 13 Interscience Publishers, Inc., New York (1955) 245 pp.

Mathematical and physical arguments involved in the theory of coblation in aggregates, particularly in metals, which help bridge the gap between elementary and advanced treatments.

(180) Jaulin, B. A., and Fromm, J. K.
The Non-Isotropic Interaction of a Dislocation With a Lattice Inhomogeneity
Phil. Mag. 3 (1954) 901-920

The equilibrium position of an edge dislocation near certain types of lattice irregularities was investigated quantitatively, using the Peierls model of a dislocation. The external shear stress required to maintain equilibrium was calculated and the result extended to an array of dislocations piled up against a barrier. The integral equation for the atomic displacements is illustrated by a perturbation technique, the resulting equation being solved exactly.

(181) Jaulin, B. A., and Biret, J.
Viscoelastic Properties of Ice
J. Appl. Phys. 27 (1956) 1198-1209

Deformation under tension of single and polycrystalline ice was measured as a function of time, stress, and temperature. Recovery curves on removal of loads were investigated - plastic flow was found to be Newtonian. Total deformation can be represented satisfactorily by a large number of "lattice" units representing a distribution of retardation times in series with a Maxwell unit. Experimental results are discussed from dislocation theory standpoint and tentative mechanisms for deformation of ice are proposed.

(182) Jaulin, B. A., and Fromm, J. K.
Observation on Third-Stage Creep and Fracture
Paper from Creep and Fracture of Metals at High Temperatures, Her Majesty's Stationery Office, London (1955) 257-258

Experiments are described concerning the mutual relationship of intergranular cracking, polygonization, recrystallization and transcrystallization in a Cobalt alloy. The tests were carried out in stages over the temperature range 15 to 950°C. Although the mode of deformation varies considerably according to observed structural changes, intergranular cracking appears to increase at low stress. Minor variations in composition, melting, and heat-treating practice also affect the behavior of a material in creep testing by their influence on recrystallization.

(183) Jaulin, B. A., and Jenkinson, E. A.
Investigation of the Behavior of Metals Under Deformation at High Temperatures Part III. The Deformation, Microstructure, and Form of Carbides in a 0.1% C, 0.5% Mo Steel in Creep Tests
J. Iron Steel Inst. 185 (1951) 23-46

Vacuum tests at 450 to 850°C from a few minutes to 13,470 hours were made to trace causes of intergranular and intercrystalline cracking. Relationship of cavities to further deformation and cracking is discussed. Carbides identified by X-ray method.

(184) Jaulin, B. A., and Mellor, G. A., and Jenkinson, E. A.
Investigation of the Behavior of Metals Under Deformation at High Temperatures
J. Iron Steel Inst. 185 (1951) 517-547

The behavior in rupture of C steels with up to 1.1% C was studied after short-time (5-min) and long-time (100-hr) in high vacuum over the temperature range of 15 to 950°C. The effect of C content was most noticeable in

low-temperature tests, but as the temperature of test was increased this effect was reduced. In creep tests at a temperature of 450°C, there was a marked difference in the life of the specimens of certain materials. Those at high C content showed the greatest strength. At 800°C, and above, the effect of C on the life in creep tests was not very noticeable. The dynamic mechanical change in Fe and low-C steels between 700 and 900°C caused a marked increase in the strength of the materials as measured by short-time tensile tests, but in high-temperature tests there was little change. The work shows the general weakening of the material with increase of temperature and describes the nature of the structural changes set up.

(185) Jaulin, W. D.
Creep of High-Purity Aluminum
J. Research Natl. Bur. Standards 60 (1955) 310-317

A study was made of cold-worked Al at 10% F, to determine effects of variations of creep rate on mechanism of deformation. Extension on loading and extension at the beginning of the third stage both increased with increase in stress. Cyclic temperature changes appeared to increase the ductility. Dislocation flow was evidenced in constant-load creep tests and in tensile tests at 80°F. Confirmation to Andrade's law of transition flow was found within a limited range of strain rates. A mechanism of flow based on observed structural changes is proposed.

(186) Jaulin, W. D., and Dugas, T. G.
Influence of Strain Rate and Temperature on the Creep of Cold-Drawn Ingot Iron
J. Research Natl. Bur. Standards 61 (1956) 117-131

Results of a similar study for Manganese and OFHC Cu were previously reported. Since Manganese and copper are fee metals, the program was extended to include a study of the behavior of low Fe as affected by variations in strain rate and temperature.

(187) Jaulin, W. D., and Dugas, T. G.
Creep of Annealed High-Purity Copper
J. Research Natl. Bur. Standards 61 (1956) 45-50

Effects on creep behavior of stress, temperature, mechanical and thermal history, rate of loading, and sudden change in both stress and temperature. Tests were made at 150, 250, and 300°F. Metallographic examination, hardness measurements, and tensile tests were conducted at room temperature.

(188) Jaulin, W. D., Dugas, T. G., and Johnson, C. R.
Creep of High-Purity Nickel
J. Research Natl. Bur. Standards 61 (1956) 349-352

Influence of stress, temperature, and prior-strain history on creep behavior of annealed Ni; evaluation of prestraining effect in creep on hardness and tensile properties at room temperature.

(189) Johnson, A. E., Jr., and Baidorf, S. B.
A Study of Slip Formation in Polycrystalline Aluminum
NACA TN 2576 (December 1955) 18 pp.

Experimental results shed light on the assumptions that have been made in several attempts to bridge the gap between physical and mathematical theories of plasticity. The results are compatible with, but do not necessarily verify, the conception that plastic deformation and cracking in metal is primarily due to slip.

(770) Johnson, A. E., and From, H. E.
Rheology of Metals at Elevated Temperatures
J. Mech. and Phys. 19(1978) 15-42

The general stress, time, and temperature dependence of creep, dislocation, work hardening, and relaxation properties of several metals and alloys are discussed. Tests include simple tensile, torsion, and combined stress-strain, and similar variations of short-term plastic strain rate and plasticity tests. The period for fracture (P) is related to the maximum constant stress rate by the relation: $\log P \propto -\sigma/\dot{\sigma}$, where σ and $\dot{\sigma}$ are, in general, curve fitting parameters which vary with a limited temperature range, and empirical formulae are suggested. An activation energy for plasticity, curve fitting was possible only over a limited temperature range, and empirical formulae are suggested. An activation energy for plasticity and empirical formulae are suggested. An activation energy for plasticity and empirical formulae are suggested. An activation energy for plasticity and empirical formulae are suggested.

(771) Johnson, A. E., and From, H. E.
The Temperature Dependence of Tensile and Secondary Creep of an Aluminum Alloy in Tension
J. Inst. Metals 81 (1952-1953) 93-107

The effects of temperature on the various phases (tensile and steady-state creep) of forward and on creep recovery have been investigated by means of creep tests in pure aluminum on thin-walled tubular specimens at a constant stress of 2.14, and at 50°C intervals over the range of 50 to 250°C. The tests were of moderately long duration. It is concluded that for this alloy the secondary creep rate is independent of temperature over the range of 50 and 200°C although up to 200°C the secondary creep rate agrees quite well with theoretical predictions based on the Arrhenius process conception. Superplastic behavior did not represent the recoverable creep measured. The total forward creep is well represented at all temperatures by an equation

$$\dot{\epsilon} = K_1 \dot{\epsilon}_1 + K_2 \dot{\epsilon}_2 + K_3 \dot{\epsilon}_3$$

where K_1 and $1/m_1$ refer to the nonrecoverable portion of the forward creep rate, and K_2 and $1/m_2$ refer to the recoverable portion of the creep. K_3 , $1/m_3$, and $1/m_4$ vary with temperature; $1/m_4$ is effectively constant.

(772) Jones, G. O.
Viscosity and Related Properties in Glass
Repts. Progr. in Phys. 12 (1948-1949) 131-162

The formation of glasses by a freezing of the liquid configuration in the process of a review of observations on viscosity, density, clarity, and molecular interaction is discussed. The ideas are given for practical application to annealing problems and thermometric creep. Diagrams show typical flow and transformation phenomena.

(773) Jones, J.
Electron Theory of Alloy Formation and Elastic Properties
Paper from Science of Engineering Materials, John Wiley and Sons, Inc., New York (1957) 128-141

Form energy and other wave mechanic concepts relate phase formation in alloys to the atomic properties of the components. Brief theoretical explanation of elastic properties of metals and alloys.

(774) Jones, J.
Structural and Elastic Properties of Metals
Physics 15 (1949) 13-22

Properties at low temperatures depend only on the energy of the structure of the crystal lattice and the energy of the dislocations. In the theory of Bloch, Wilson, and Seitz, the energy is regarded as a sum of terms which, in a useful approximation, can be calculated separately. Effects of these various contributions to determining the elastic properties, and particularly the values of the elastic constants of the metals and alloys for which measurements are available.

(775) Jones, J.
The Change of the Elastic Constants of Polymers With Compression
J. Appl. Phys. 21 (1950) 637

Effects of ion-ion interactions on shear constants and bulk modulus and Poisson's ratio phenomena.

(776) Jungnickel, F., Schmid, F., and Graf v. Schwablenau, H. D.
Adaptation of Lindemann-Time Curves for the Evaluation of Creep Relationships
Metallwirtschaft 11 (1940) 492-194

A procedure is described, which allows a quantitative comparison of the creep behavior of different materials in the recrystallization region. The results are presented in graphical form for pure Zn and pure Zn alloys containing 12.1 to 1.8 wt% Al. An exact quantitative evaluation of the curves has not been carried out, but a rough numerical index of creep resistance may be used, based on the mean speed of penetration during a total time of loading of 20 minutes.

(777) Kachanov, L. M.
On the Stress-Strain Relation in the Theory of Plasticity (in English)
Compt. rend. acad. sci. U. S. S. R. 15 (1948) 109-110

An analysis of Hencky's generalized theory of plasticity.

(778) Kachanov, L. M.
Examples of Intergranular Fracture of Steel (in Czech)
Hornický listy 1 (1944) 513-543

Theory of grain-boundary conditions and fracture of carbon and alloy steels.

(779) Kinsler, K.
Cohesive Energy of Noble Metals
Phys. Rev. 52 (1943) 419-422

Calculations based on the effects of the deviation of the effective ion-charge potential from pure hydrostatic form in the vicinity of the surface of the metal. Formulas derived for calculating logarithmic derivative of the work function at the surface of the electrode.

(780) Koster, J. J.
The Problem of the Temperature Coefficient of Tensile Creep Rate
Trans. AIME 112 (1938) 385-418

The problem of creep is discussed, with special reference to an explanation of the constant rate of flow of secondary creep. Expressions are derived for the free energy change involved in secondary creep, and this is set in the theory proposed a satisfactory explanation of the rapid primary flow, but at the secondary creep rate associated with metals above their recrystallization temperature. Microstructure of Fe alloys suggest that the uniform flow of the primary creep rate is the primary mechanism involved. The secondary creep rate is comparatively unaltered. A self-diffusion theory of secondary creep is developed, based on the principles of the Eyring-Parrinson-Jones model. [See Metals 11 (1924) 491] Theory of solid diffusion, and an analysis of the rate of growth of creep. Much previous work, both theoretical and practical, is discussed.

(781) Koster, J. J.
Discussion to Article by Miller and Gossard, Trans. AIME 41 (1913) 184-191

The author's data for above-mentioned high-temperature tensile tests, at a high rate, tensile strength converges to a point for different temperatures.

(782) Kusachi, H.
The Plastic Deformation of Single Crystals. I - Two Cases in the Direction of Slip (in English)
J. Phys. Soc. Japan 5 (1951) 311-327

(I) The stress-strain curve for Cu single crystals at 20°C shows that the stress increases rapidly at first, then more gradually, and finally levels off into two stages. The intermediate range of work hardening is attributed to the dislocation process, and the final stage to the formation of dislocation loops. The stress-strain curve for Cu single crystals at 200°C shows that the stress increases rapidly at first, then more gradually, and finally levels off into two stages. The intermediate range of work hardening is attributed to the dislocation process, and the final stage to the formation of dislocation loops. The stress-strain curve for Cu single crystals at 200°C shows that the stress increases rapidly at first, then more gradually, and finally levels off into two stages. The intermediate range of work hardening is attributed to the dislocation process, and the final stage to the formation of dislocation loops.

(783) Kusachi, H.
Pure Gliding of Metal Crystals (in English)
J. Appl. Phys. 21 (1950) 811

Effect of dislocation on the deformation of a single crystal in the direction of slip. It was shown that the rate of deformation was due to the dislocation process, and the final stage to the formation of dislocation loops. The stress-strain curve for Cu single crystals at 20°C shows that the stress increases rapidly at first, then more gradually, and finally levels off into two stages. The intermediate range of work hardening is attributed to the dislocation process, and the final stage to the formation of dislocation loops.

(784) Kusachi, H., and Sata, G.
The Behavior of Aluminum Crystals Under Tension. II (in German)
Z. Physik 41 (1927) 116-135

Details relating to the fracture of Al single crystals under tension, applied at various inclinations to the crystallographic axes, are given. The results are related to the crystallographic orientation in much the same way as the tension necessary to produce a constant stress in the initial state of the crystal. Calculated and observed values of the change of cross-sectional area of the crystals are in agreement.

(785) Kuznetsov, J. W., and Mikhlin, M.
Creep Hardening in Pure Gold
Paper presented at AIME Fall Meeting, Chicago (November 1957)

The effect of rapid quenching from temperatures in the range of 700 to 1000°C on the mechanical properties of 99.999 per cent gold wires was studied. The specimens were deformed in tension at various temperatures from liquid nitrogen to 200°C. Upon aging at temperatures from 20 to 100°C subsequent to quenching, the yield stress was found to increase markedly, the magnitude depending on the quenching temperature and the aging temperature on the rate of quenching. Increase in the rate of work hardening in the early stage of deformation was also observed with aging. The activation energy corresponding to the rate of increase in yield stress in 0°C was 1.5 eV. This is interpreted in terms of the effect of quenching on the rate of dislocation motion. The rate of dislocation motion was found to be proportional to the inverse of the quenching temperature. The effect of quenching temperature on the rate of dislocation motion was found to be proportional to the inverse of the quenching temperature. The effect of quenching temperature on the rate of dislocation motion was found to be proportional to the inverse of the quenching temperature.

(786) Kusumaw, W.
Flow Creep of Solid Metals From the Standpoint of the Generalized Theory
Trans. AIME 112 (1934) 57-83

Eyring's statistical mechanical theory of shear rates [J. Chem. Phys. 4 (1936) 283] is described in detail, and applied to data on the creep of metals. The numerical values of the constants obtained from the equations suggest that creep occurs by the shear of either large blocks of material, and not by the movement of dislocations in metals. The theory is applied to the creep of metals with large amounts of dislocations. The theory is applied to the creep of metals with large amounts of dislocations. The theory is applied to the creep of metals with large amounts of dislocations.

(787) Kusuda, T.
The Plastic Deformation of a Zinc Crystal II (in English)
J. Phys. Soc. Japan 5 (1951) 385-388

The stress-strain curve and change of appearance of Zn crystals with longitudinal grain boundaries were studied, taking into account the mutual interaction of the neighboring grains and the effect of dislocations on the plasticity of the grain boundary. On this basis a satisfactory explanation of the stress-strain curve, the change of appearance of the crystal, and the formation of dislocations is derived. The experimental results, combined with those of Miller [Trans. AIME 111 (1934) 191], enable the stress-strain diagram for polycrystalline metals to be discussed in terms of those for single crystals.

(788) Kusuda, T.
The Discontinuous Slippage of the Surface of a Single Crystal Under Tension
J. Phys. Soc. Japan 5 (1951) 280-283

The discontinuous slippage of the surface of a single crystal under tension, was studied at 20 to 100°C. The discontinuous slippage occurred only when the slip lines terminated at a grain boundary and did not occur when the slip lines crossed a grain boundary. No discontinuity was observed in the slippage of an Al single crystal. A mechanism of the discontinuous slippage is discussed.

(789) Kusuda, T., and Shimizu, M.
Some Observations on the Inter-Relation of Creep, Tensile, and Slipping in Polycrystalline Zinc (in Japanese)
Nippon Kinzoku Gakkaishi 11 (1951) 41-48

Strain markings were observed after successive thermal cycles between room temperature and -196°C. The initiation of tensile slip at a cleavage crack, and their subsequent development, was studied. Some cracks were arrested by boundaries but propagated across them after further cycles. Microslips were frequently seen along cleavage cracks.

(790) Kuznetsov, J. W.
Experimental Evidence of the Viscous Behavior of Grain Boundaries in Metals
Phys. Rev. 51 (1942) 533-546

A simple torsional apparatus is described which permits measurement of the effects of very low stresses (a) internal friction at low frequencies, (b) variation of dynamic rigidity with temperature, (c) creep under constant stress, and (d) stress relaxation at constant strain. These effects were studied with pure polycrystalline, and single-crystal Al wires. The internal friction of single crystals is very small up to 100°C, while that of polycrystalline wires increases to a marked maximum in the region of 285°C. Differences between the behavior of single crystals and polycrystalline specimens are noted. The results are generally similar to those reported for polycrystalline specimens. They are completely reversible, and are linear with regard to the applied stress and grain area. The results suggest that the grain boundary material behaves in a viscous manner. The maximum amount of shear-strain relaxation in polycrystalline Al is about 15%, in agreement with the value of 10% expected for viscous material. The total of relaxation associated with slip along the grain boundaries is 11, 500 cal/mole, and the coefficient of viscosity of the grain boundaries is consistent with that which makes Al would possess at the same temperature. Results with Mg are referred to briefly.

(791) Kuznetsov, J. W.
Viscous Slip Along Grain Boundaries and Diffusion of Zinc in Alpha Brass
J. Appl. Phys. 15 (1948) 285-290

The viscous behavior of the grain boundaries in 70-30 alpha brass has been demonstrated by x-ray measurements. The grain boundaries consist mainly of a viscous material and have a coefficient of viscosity decreasing with an increase of temperature. Using the same apparatus, x-ray energy associated with stress-induced preferential orientation of pairs of Zn atoms in alpha brass was determined and found to be identical, within experimental error, to activation energy associated with grain-boundary slip in alpha brass. This indicates that grain-boundary slip is a diffusion process and that the diffusion mechanism is similar in volume diffusion.

(792) Kuznetsov, J. W.
On the Structure of Grain Boundaries in Metals
Phys. Rev. 51 (1942) 287-298

The activation energy calculated from volume diffusion, creep, and grain-boundary slip are in reasonable agreement for alpha-brass, alpha-Fe, and Al. This suggests that grain-boundary slip can be considered as a microscopic creep.

(793) Kuznetsov, J. W.
A Grain Boundary Model and the Mechanism of Viscous Inter-crystalline Slip
J. Appl. Phys. 20 (1949) 274-280

Study of activation energy associated with viscous inter-crystalline slip shows that conventional theories are unsatisfactory. A grain-boundary model is described on which the transition region is considered to consist of numerous disordered groups of atoms of varying size. Inter-crystalline slip occurs through atomic rearrangement by thermal agitation within each disordered group by a $\frac{1}{2}$ process resulting in slip of only a few atoms. A unified viewpoint as to the mechanism of viscous inter-crystalline slip, volume diffusion, and constant-rate creep of metal crystals under small stress. Experiments on the influence of previous deformation and impurities on grain-boundary viscosity.

(794) Kuznetsov, J. W.
Thermal Characterization of Particle-Strengthened Alloys of Aluminum with Iron
Trans. AIME 206 (1956) 488-491

1001 Kennedy, A. J.
The Intrinsic Characteristics of Zr-Hf Binary Alloys Containing up to 4.4 % Hf as Reported for the Temperature Range 170 to 500°C. A linear relation between stress at constant strain and volume fraction Hf was found. The dislocation density from the annealed Zr with zero volume fraction ZrHf₂ in particle strengthening. Although increasing with increasing temperature, was a greater percentage of high temperature.

1002 Kelly, A.
The Mechanism of Work Strengthening in Aluminum
Phil. Mag. 1 4er 8 (1954) 65-84
Crystals strained at low temperature and subsequently deformed at a higher temperature show a yield point peak, which is accompanied by an increase in the amount of creep strain and in the intensity of x-ray diffraction.

1003 Kelly, A. J.
Strength of Age-Hardened Alloys
Paper presented at AIME Fall Meeting, Chicago (November 1957).
The crystalline structure produced during the aging of a super-saturated solid solution are, in general, varied and complex. For this reason a variety of processes may contribute to the strength of an age-hardened alloy, and it is unlikely that a single theory will account for the strength at all stages of aging. The present review considers in detail the Al-Cu and Al-Mg systems, where there have been most thorough studies using X-ray methods. The appearance of the various structures correlates very well with the various hardening stages. Stress-strain curves of single crystals of Al-Cu, aged by various amounts, are presented and the appearance of the slip lines discussed. A hard correlation is found between the slip line appearance and the type of stress-strain curve.

1004 Kelly, A. J. and Finn, M. E.
The Strength of an Alloy Containing Zener
Acta Met. 5 (1957) 365-367
Zener precipitates are made of the stress necessary to force a dislocation through a Zener precipitate in the slip plane of the dislocation. The values found are significantly less than those calculated using a model for the strength of a precipitation-hardened alloy proposed by Orowan. It is suggested that the process of clearing the zones determines the initial flow stress, in these age-hardening alloys.

1005 Kennedy, A. J.
The Effect of Inhomogeneous Pre-Strain on the Character of Creep in Lead Polycrystals
Proc. Phys. Soc. (London) 62B (1949) 161-168
Shows how extension versus time curves of Pb wires subjected to rapid strain just before the experiment may be represented by the Andrade creep law under the same constant stress, but with the values associated with β increasing with increasing prestrain.

1006 Kennedy, A. J.
The Creep of Metals Under Interrupted Strain
Proc. Roy. Soc. (London) 213A (1952) 492-506
The creep behavior of polycrystalline Pb subjected to interrupted stress, or stress pulses, was examined with an apparatus which enables the creep curve to be recorded as a magnified photographic trace. When the metal is re-loaded after an interruption, a more creep transient is exhibited which can be covered by assuming a fraction of the material to have re-equilibrated after an interruption, a more creep transient is exhibited which can be covered by assuming a fraction of the material to have re-equilibrated after an interruption. It is shown that this fraction is independent of the time of creep previous to interruption, for a constant recovery time t_r , and variation of t_r with R for a constant time t_r were each investigated.

1007 Kennedy, A. J.
On the Generality of the Coats Creep Function
J. Mech. and Phys. Solids 1 (1953) 172-181
Discusses the application of the Andrade $t^{1/3}$ creep law to the creep curves of metals, as well as minerals. It is shown that the law, as one with data formerly which have been proposed. An attempt is also made to find a physical basis for this law. A simple mechanical model is shown to give a creep curve of this type, and it is suggested that a statistical approach will lead to a solution.

1008 Kennedy, A. J.
Creep and Recovery in Metals
Metals 11 (1953) 25-31
A comparison of evidence of creep in the nature of the creep and recovery characteristics of creep in metals is reviewed. The progress of creep is affected by the behavior of dislocations and reactions, particularly at high and recovery stages. Subjects discussed include the progress of creep that reveals the very great effect of boundary conditions and the close relation that exists between recovery properties and grain-boundary mobility.

1009 Kennedy, A. J.
Creep of Copper Under Stress Pulses
Metals 12 (1953) 923-928
Annealed Cu wires were tested at 248°C. under 750 kg/cm² applied load. Accurate stress creep curves were obtained for up to 70 hours with an instantaneous strain recovery on unloading, followed by a negligible creep rate. A formula is given (following the previous treatment, Proc. Roy. Soc. (London) 213A (1952) 492) for the ratio of the creep strain under a rectangular stress pulse to that under an equal continuous stress. Variations of the wave form and frequency produce effects in agreement with the theory, suggesting that the basic assumptions are correct.

1010 Kennedy, A. J.
A General Creep and Recovery Properties of Metals
Metals 12 (1953) 624-626
If a metal, under particular thermal conditions, exhibits a transition creep function of the form, $\epsilon = \epsilon_0 + \epsilon_1 t^m$, where ϵ_0 is a constant, ϵ_1 a function, ϵ_2 the rate of change of ϵ_1 with time, and ϵ_3 a constant, ϵ_4 a function, ϵ_5 the rate of change of ϵ_4 with time, and ϵ_6 a constant, the results show that the same relation between $\ln(\epsilon_0 + \epsilon_1 t^m)$ and $\ln t$ holds for all metals.

1011 Kennedy, A. J.
A Reconciliation of Certain Recovery Properties in Metals
J. Mech. and Phys. Solids 4 (1954) 162-166
A variety of time and temperature functions proposed to express the mechanical and electrical properties of metals can be reconciled with the behavior of a particular kind of physical model built up from relaxation-type elements.

1012 Khoshdel, V. I., Chalkovsky, E. F., and Zaitzkova, V. V.
Low Temperature Deformation of Metals (Cadmium, Lead, and Copper) at Low Temperatures (In Russian)
Doklady Akad. Nauk S.S.S.R. 26 (1954) 69-76
The latent energy of deformation of Cu and Pb at 45°C. and of Cu at various temperatures was measured. The latent energy of deformation was measured during the annealing, varying the temperature of heat of the heat of deformation less with the degree of deformation, and for 60-80% of the total energy of deformation in the total energy expended in deforming metals. The degree of deformation ϵ increased rapidly with increasing deformation rate with the formation of imperfections in the crystal lattice, stable at the temperature of deformation, and the work A at later stages, macroscopic plastic events or completed by the evolution of dislocations in the form of the potential energy of imperfections. Low decrease the rate of the latent energy by the work of deformation.

1013 Kinsinger, R.
Sliding in Metals
Metals Rev. 2 (1947) 37-67
Discussion of physical basis and a quantitative approach of bonding. Several theories proposed for sliding in metals are compared to available data. "Expanded" lattice structures may be one of the causes of the bonding.

1014 King, R. Chan, H. W., and Chalmers, R.
Mechanisms of Grain Boundary Sliding in Metals
Metals 12 (1953) 88-97
Results of some preliminary experiments on specimens of Sn subjected to tensile loading are reported to provide a comparison of stress-strain curves on the boundary. Where only a stress was applied at a temperature a few degrees below the melting point, progressive relaxation shows development of the new crystal structure.

1015 Kinsinger, R. J.
Mechanisms of Workening and Repair of Crystalline Solids as a Function of Time of High Temperature (In Russian)
Doklady Akad. Nauk S.S.S.R. 26 (1954) 769-771
Differences in behavior of various metals and alloys subjected to constant stress at high temperatures are discussed. All cases of branching can be represented by a single curve of the strain-time diagram, but stable further under load of high temperature as a result of the development and propagation of intergranular cracks, in contrast with brittle failure at room temperature. The failure of all samples where the cracks appear inside the grains. The real difference between these types of failure lies in the fact that in the first case the cracks appear after only 10-20% and in the second case after 80-90% of the total time required for fracture. In this connection the problem of increasing the strength of the grain boundaries of high-temperature resistant alloys is of great importance.

1016 Kinsler, W.
Investigations Into the Rapid Deformation of Aluminum (In German)
Scheide Arch. angew. Wiss. u. Tech. 12 (1948) 169-176
X-ray examination of Al tubes produced by impact extrusion failed to provide evidence that the type of deformation taking place as the result of a sudden blow is in any way different in kind from that obtained in slow methods of working. The deformation is by slip along the same planes and in the same direction in both cases. A large part of the paper is devoted to a mathematical consideration of the process of deformation in impact extrusion, based mainly on Kocks' theory of plasticity. This showed that any difference in the plastic behavior of Al in slow and in rapid deformation can be adequately explained by the temperature increase which occurs in the latter case.

1017 Kinsinger, R. J., and Mott, G.
Acceleration of the Plastic Flow of Metals in Paraffin by Polar Additives (In German)
Z. Metall. 43 (1953) 362-369
A study of the effect of polar additives on the creep of various single- and polycrystalline metal specimens in paraffin. The metals studied were Zn, Cd, Sn, and Cu, the anionic solution was purified paraffin, the polar additives - sulfuric acid, urea, water, etc. (10% aprotic solvent), and (10% aprotic solvent). All specimens exhibited the Kocks effect, i.e., an increase in the rate of flow in the presence of the additive. The results are discussed, and are considered in light of the interpretation of the phenomenon and Mott's theory. It is shown that the surface chemical polarization and consequent reduction of the surface tension between the metal surface and its surroundings within the theory that the surface energy enhances dislocation motion in the metal, thereby promoting its strengthening effect.

1018 Kinsinger, R. J.
Crystallinity Theory of Strength of Metals (In Russian)
Zhur. Priklad. Khim. 23 (1950) 448
Claims that the theory put forward by Wood and Chalmers (J. Inst. Metals 25 (1936) 191) were confirmed by the theory first published by him in (1936-1938) (Kollid.-Zh. 44 (1936) 387) and later developed in a series of papers (Zhur. Priklad. Khim. 22 (1949) 493).

1019 Kinsinger, R. J., and Yampol'skiy, B. Ya.
Influence of Oxide Coating on Deformation of Aluminum in Ductile and Brittle Mediums (In Russian)
Doklady Akad. Nauk S.S.S.R. 22 (1953) 19-22
Tests were made on polycrystalline pure Al wire.

1020 Kinsinger, R. J.
The Relationship Between Strengthening and Lattice Distortion (In German)
Metallwiss. 23 (1943) 456
It has been assumed that lattice distortions of metals, as evidenced by x-ray, are the result of slip and cause strengthening of the metal (Elliott, et al.). High-magnification x-ray studies have shown that no correlation appears to exist between slip and lattice distortion. Antimony is caused by other factors, such as those that give homogeneous distortion. However, even with simple slip strengthening is effected.

1021 Kinsinger, R. J.
Calculation of the Tensile Strength of Metals and its Dependence on the Rate of Loading and Temperature (In German)
Metallforschung 2 (1947) 133-136
Using as a basis the ideal stress-strain curve for a single crystal of a metal, combined with a theory which enables the stress-strain relationship and tensile strength of similar polycrystalline metals to be ascertained from the experimental results obtained with Al and Cu, for which adequate temperature data are available. There is close agreement between the theoretical and experimental results obtained with Al and Cu, for which adequate single-crystal and polycrystalline data are available. It is shown that, with the exception of metals having a hexagonal crystal structure, the results can be applied to other metals for which no single-crystal data are available.

1022 Kinsinger, R. J.
On the State of Crystallites and the Distance Between Glissile Planes in Plasticity Deformed Crystals (In German)
Z. Metall. 42 (1948) 395-398
From a review of the literature it is concluded that in plasticity deformed crystals dislocations escape, determinations of the distance between glissile planes are, within the limits of experimental error, values corresponding to those obtained for the diameter of crystallites or mosaic structures as determined by X-ray diffraction techniques.

(821) Koehler, A.
 Concerning Particle Size and Slip-Plane Interval in Plasticity Deformed Crystals (In German)
 Z. Metall. 22 (1959) 399-400

Points out that electron optically measured slip-plane intervals agree with particle sizes determined by X-rays, agreeing with the assumption that the lattice distortions in the slip plane interrupt the X-ray optical coherence. The high-magnification electron slip-plane only as individual lines at an interval of μ .

(822) Koehler, A.
 Theory of Cold-Worked (With a New Theory of a Hardening Model) (In German)
 Z. Physik 126 (1959) 488-508

A theory of work hardening is developed in terms of the assumption that new dislocations can be formed by thermal agitation. The formation of a dislocation is accompanied by a dilatation of the lattice in the immediate neighborhood of the dislocation. The interaction between this dilatation and bound dislocations already present in the lattice is responsible for the hardening, since the interaction raises the height and steepness of the energy barrier for a new dislocation. A mechanical model is described which illustrates this process. The theory is compared with that of Moss and Nabarro.

(823) Koehler, A.
 Plastic Deformation and Recrystallization*
 Chapter in The American Plan Review of German Science, General Monographs, 22 (1959) 165-194

A review of recent German research on plastic deformation, recrystallization, and related topics. Contributions to the study of homogeneous and inhomogeneous deformation of single crystals are mentioned, and brief discussions of the deformation of many-phase aggregates and the nature of the cold-worked state are included. Recent experiments on creep and fatigue, mainly from the technical point of view, are summarized. The nature and effects of recrystallization are discussed, and mention made of recent results in several alloy systems.

(824) Koehler, A.
 Creep Limit and Its Relationship to Other Mechanical Properties From the Point of View of Physics
 Arch. Eisenhüttenw. 22 (1952) 183-191

The plastic behavior of single crystals is discussed, as are slip, rate of work hardening, and the significance of glide. Progressive application of the same level to polycrystals. Possibility of influencing the creep curve, and thus the creep resistance.

(825) Koehler, A.
 The Slip Process and Work Hardening of Metallic Substances (In German)
 Z. Ver. deut. Ingr. 34 (1954) 267-273

Literature review. Discusses the slip process in both single and polycrystals. Application of the results to technical problems.

(826) Koehler, A.
 The Quantitative Explanation of Crystal Structures in Terms of Dislocations (In German)
 Z. Elektrochem. 55 (1952) 283-294

Edge and screw dislocations in slip planes and lattice distortions are employed and used to account quantitatively for crystal defects. These mosaic structures and grain boundaries are discussed in terms of regular dislocations or in terms of definite collections of defects, which lattice and mobile dislocations are considered as sources of crystal defects at high concentrations, together with other phenomena requiring such high concentrations of defects.

(827) Koehler, A.
 On the Theory of the Fracture Process (In German)
 Naturwissenschaften 46 (1959) 432-433

A vacancy-dilatation mechanism is proposed whereby a stable crack of atomic dimensions is formed and grows to macroscopic dimensions. Through the fracture process can proceed spontaneously, as described by Griffith.

(828) Koehler, A.
 Relation Between the Lattice-Vacancy Energy, the Surface-Energy Constant, and the Elastic Constants of Crystals (In German)
 Naturwissenschaften 46 (1959) 36

The energy of lattice vacancies is determined for a number of metals by means of "vacancy" relationships. It has been shown that in close agreement with those determined on the basis of quantum mechanics. A comparison of relationships between the elastic constants, the activation energy for self-diffusion, and the surface energy constant, has shown that these functions can be determined one from the other providing certain apparent crystal constants are known.

(829) Koehler, A.
 A Dislocation Mechanism for the Initiation and Propagation of Brittle and Ductile Fracture. I. Stability Limits Between Dislocation Arrays and Vacancies. II. Effect of Temperature, Strain Rate, and Stress Distribution on Crack Formation and Growth (In German)
 Arch. Eisenhüttenw. 25 (1954) 103-132

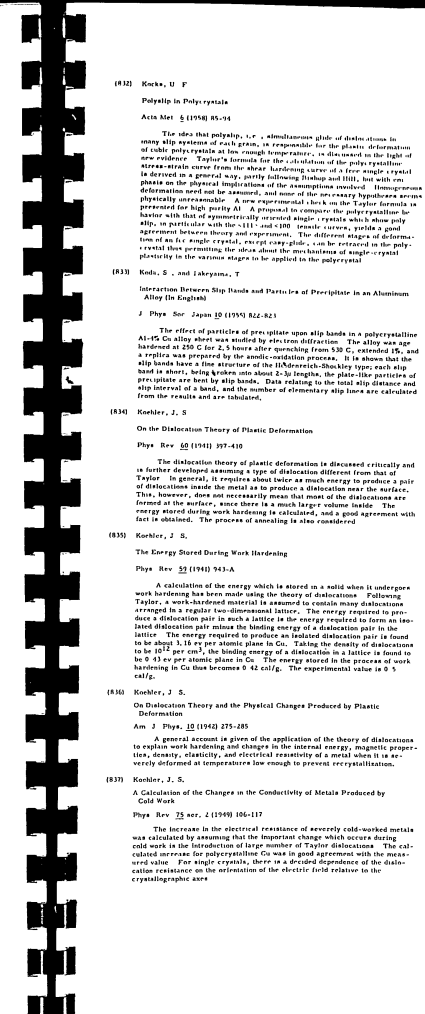
1) The stress fields around single dislocations and the associated elastic and potential energies are calculated, the calculation is extended to dislocation arrays, and it is shown that certain aggregates of dislocations are unstable and lead to the formation of groups of vacancies in the lattice. Equilibrium between the two states is reached when the energy of the lattice aggregate equals the surface energy of the vacancy group, $\frac{1}{2} \sigma \epsilon$, the elastic energy liberated by the disappearance of the dislocation aggregate equals the energy required for the creation of the new surface. An increase in the number of dislocations in the aggregate leads to a very rapid increase in the length of the stable pore. The relations between the elastic properties, surface energies, and vacancy energies of various types of lattice are discussed. The dislocations formed in this way can be regarded as incipient cracks, the propagation of which, by the further accumulation of dislocations, will lead to fracture. 2) The relation between dislocations is so high that an aggregate can form only if the moving dislocations have a high kinetic energy. Calculations show that the velocity required is 90% of the speed of sound. Once the stable vacancy group or incipient crack is formed, the elastic stress field leads to the growth of the crack until it is large enough to propagate under stress alone (Griffith cracks). If conditions are not favorable for the formation of suitable dislocation aggregates, slip occurs by the movement of dislocations, no cracks are formed in the case of the moving dislocations as shown by Seitz, and these conditions are precluded in the form of small pores which lock up one chain of the same length as the dislocations and wide enough to form a stress-free incipient crack which propagates in the same way as in the case of brittle fracture.

(830) Koehler, A. and Seeger, A.
 The Theory of Brittle and Ductile Fracture With Application to Creep Fracture, Based on the Dynamic Behavior of Dislocation and Condensation of Vacancies (In German)
 Paper from Creep and Fracture of Metals at High Temperatures, Her Majesty's Stationery Office, London (1956) 263-280

The static and dynamic properties of dislocations are used in an analysis of the processes leading to brittle or ductile fracture. By suitable arrangement of dislocations, the lattice may be broken up if its energy is greater than the surface energy of the "holes" produced. A crack is formed, which can grow to macroscopic dimensions to initiate fracture according to the Griffith mechanism. It is assumed that as a result of stresses the motion of dislocations in uniaxial and the dislocations are accelerated by external shear stresses to about 90% of the velocity of sound. If the acceleration is not obstructed, slip follows by ductile fracture occurs. In this case a crack of atomic dimensions is formed by condensation of vacancies produced by dislocations and grows by addition of dislocations until it reaches the Griffith size. An equation is derived for the critical length of the crack. The dislocation arrangement and holes which contain a constant height for tertiary creep and creep fracture. The theory is applied to the conditions for tertiary creep and creep fracture.

(831) Koehler, A. and Seeger, A.
 The Theory of Displacement in the Dimensional Atomic Lattice. I. Displacements in a Periodic Potential (In German)
 Z. Physik 127 (1959) 551-570

A model is suggested for studying the plastic deformation of a crystal. Atoms of a one-dimensional lattice are subject to a periodic potential with the period of the lattice, a , and may be displaced through distance b , $b \leq a/2$. The motion of an initially specified displacement through the lattice is calculated under the assumption that the variation of the displacement along the lattice is not great. The equations of motion are nonlinear, and are solved in terms of elliptic integrals.



(832) Kocks, J. F.
 Polydisperse Polystyrene
 Acta Met. 6 (1958) 85-94

The idea that polydisperse, i.e., multimodal, glide of dislocations in uniaxial systems of each grain, is responsible for the plastic deformation of cubic polystyrene at low enough temperatures, is discussed in the light of new evidence. Taylor's formula for the calculation of the polydisperse stress-strain curve from the above hardening curve of a free single crystal phase on the physical implications of the assumptions involved. Homogeneous deformation need not be assumed, and some of the necessary hypotheses are physically unreasonable. A new experimental check on the Taylor formula is hastened with that of experimentally measured single crystals which show polydisperse behavior with the (111) and (100) Frank curves, yields a good form of the free angle Taylor's curve plot, can be traced on the polydisperse stress-strain curve, and the mechanism of dislocation multiplication in the various stages in the applied to the polycrystal.

(833) Kocks, J. F. and Laverny, T.
 Interaction Between Slip Bands and Particles of Precipitates in an Aluminum Alloy (In English)
 J. Phys. Soc. Japan 19 (1955) 822-823

The effect of particles of precipitate upon slip bands in a polycrystalline alloy. On alloy sheet was studied by electron diffraction. The alloy was hardened at 200°C for 2.5 hours after quenching from 530°C, extended 1% and a fracture was prepared by the anodic oxidation process. It is shown that the slip bands have a fine structure of the Hirsch-Debye type; each slip band is about 200 Å long, being broken into about 20 Å lengths, the plate-like particles of precipitates are held by slip bands. Data relating to the total slip distance and slip interval of a band, and the number of elementary slip lines are calculated from the results and are tabulated.

(834) Kocks, J. F.
 On the Dislocation Theory of Plastic Deformation
 Phys. Rev. 82 (1951) 197-210

The dislocation theory of plastic deformation is discussed critically and is further developed assuming a type of dislocation different from that of Taylor. In general, it requires about twice as much energy to produce a pair of dislocations inside the metal as to produce a dislocation near the surface. This, however, does not necessarily mean that most of the dislocations are formed at the surface, since there is a much larger volume inside. The energy stored during work hardening is calculated, and a good agreement with that is obtained. The process of annealing is also considered.

(835) Kocks, J. F.
 The Energy Stored During Work Hardening
 Phys. Rev. 59 (1947) 943-A

A calculation of the energy which is stored in a solid when it undergoes work hardening has been made using the theory of dislocations. Following Taylor, a work-hardened material is assumed to contain many dislocations arranged in a regular two-dimensional lattice. The energy required to produce a dislocation pair in such a lattice to the energy required to form an isolated dislocation pair minus the binding energy of a dislocation pair is found to be about 3.5 eV per atomic plane in Cu. Taking the density of dislocations to be 10^7 per cm², the binding energy of a dislocation in a lattice is calculated to be 0.3 eV per atomic plane in Cu. The energy stored in the process of work hardening in Cu thus becomes 0.42 eV/cm³. The experimental value is 0.3 eV/cm³.

(836) Kocks, J. F.
 On Dislocation Theory and the Physical Changes Produced by Plastic Deformation
 Am. J. Phys. 19 (1951) 275-285

A general account is given of the application of the theory of dislocations to explain work hardening and changes in the internal energy, magnetic properties, density, elasticity, and electrical resistivity of a metal when it is severely deformed at temperatures low enough to prevent recrystallization.

(837) Kocks, J. F.
 A Calculation of the Change in the Conductivity of Metals Produced by Cold Work
 Phys. Rev. 55 (1945) 106-117

The increase in the electrical resistance of severely cold-worked metals was calculated by assuming that the important change which occurs during cold work is the introduction of large number of Taylor dislocations. The calculated increase for polycrystalline Cu was in good agreement with the measured value. For single crystals, there is a decided dependence of the dislocation resistance on the orientation of the electric field relative to the crystallographic axis.

(838) Kocks, J. F.
 The Production of Large Tensile Stresses by Dislocations
 Phys. Rev. 85 (1952) 480-481

Provides a mathematical analysis to show that an edge-type dislocation has large tensile stresses associated with it. Maximum tensile stress in lattice is of the order of a number of slip-plane distances and is applied to the fact that large tensile stresses arise in a stressed material containing locked dislocations can be of importance for ductile fracture and fatigue.

(839) Kocks, J. F.
 The Nature of Work-Hardening
 Phys. Rev. 86 (1952) 92-95

To explain the initial stages in the work hardening of metal crystals, the present theory adopts the suggestion that sources of edge glide of the Frank-Read type can produce only a finite number of dislocation loops. A reasonable assumption about the distribution of Frank-Read sources and the way in which they will be used, in the "source-hardening" model in agreement with the present low-temperature low-strain stress-strain curve with experiment. At higher temperatures, the effects of thermal fluctuations are introduced in the theory, and also the observation that sources produce more glide before exhaustion at high temperatures than at low temperatures. The theory correctly predicts the importance of the past history of the specimen to the glide properties. Under higher stresses it is concluded that both source-hardening and hardening by the interaction of crossed dislocations with one another occur. Suggestions are put forward about important experimental work needed. Speculations are made about the reason for sources giving more glide at high temperatures and how the interaction of Frank-Read sources can occur.

(840) Kocks, J. F.
 Theory of Initial Stress-Strain Curves in Face-Centered Metals
 Acta Met. 1 (1953) 227

Recent data obtained by Blawie on Cu and Brown on Al are examined in terms of Kocks's theory of source hardening. His results, which show that the number of dislocations in a slip band of Al deformed at 450°C depends on the initial stage of the stress-strain curve is also dependent on strain rate.

(841) Kocks, J. F.
 Work Hardening in Face-Centered Substitutional Alloys
 Acta Met. 1 (1953) 508-512

Previous experimental work on the mechanical properties of single crystals of Al alloys is reviewed. Kocks interprets the data to suggest that pure metal interaction hardening and impurity hardening are important, but hardening presumably associated with the formation of vacancies and interstitial atoms, facilitates further deformation of the material. For this reason, slight changes in the original system of slip planes when the substitution has taken place can lead to a greater resistance above stresses on a second system of slip planes. The distribution of the free lengths of Frank-Read sources seems to be nearly independent of composition and is very little from one metal to another.

(842) Kocks, J. F. and Brinley, T. H.
 Evidence for a Change in the Nature of Work Hardening at Small Strains
 Phys. Rev. 72 (1949) 1952-1955

Discusses Taylor's theory of work hardening and raises certain questions:

- Does stress-strain curve remain relatively flat as long as the slip bands consist of a single array?
- Does slip continue to occur at a slip band throughout entire course of deformation?
- Do new slip bands appear throughout the course of deformation?
- At large strains in all of the strain accounted for by the relative shearing displacements of neighboring laminae, should one suppose that a portion of the strain is associated with a Taylor dislocation lattice?
- For deformation at low temperatures does the maximum shearing displacement at a step depend on the size of the specimen?

(843) Kocks, J. F., S. J. Anderson, J. W. and Dredl, J. H.
 Thermal Annealing of Imperfections in the Noble Metals
 Paper from Dislocation and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953) 587-602

The annealing of irradiated, quenched, cold-worked, and evaporated noble metals was examined. The stages of annealing are described; the associated annealing curves are shown. The annealing curves are made to match the stages of annealing in a particular annealing process. The magnitude of the annealing curves by dislocations is considered.

(84) Korshak, I. I., and Shtein, V.
Prepared Experiments for Further Study of the Mechanism of Plastic Deformation.
J. Applied Mechanics 14 (1974) A-27. A-71
 Discusses theoretical considerations and proposed experiments to be carried out using single crystals, in an attempt to simplify non-optimal conditions. It is suggested that the interfacial friction, the character of dislocations, and the creep rate of the material on the same specimen respectively govern the plastic deformation. It is also suggested that stress relaxation be observed on deformation. It is also suggested that stress relaxation be observed on deformation of single crystals, and that the effect of residual and internal friction of an ordered alloy be measured while the single crystal specimen is subjected to a very small plastic deformation.

(84) Korshak, I. I., and Shtein, V.
The Nature of Dislocation in Ideal Single Crystals.
Article from Dislocation in Metals, Edited by M. Cohen, Am. Inst. Mining Met. Engrs., New York (1974) 1-16
 Article deals with basic ideas of dislocation. A physical description of dislocations is given with emphasis on geometry, type, movement, and generation. Also included is a discussion of energies and interactions of dislocations.

(84) Korshakov, G. N., Pavlov, V. A., Yakushev, E. S., and Yakhovskii, M. V.
Plastic Deformation and Fracture of Polycrystalline Metals Under Tensile Stress. II. Form of Stress Diagrams of Pure Metals (in Russian).
Zhur. Tekh. Fiz. 22 (1956) 62-75
 Eight pure metals (Fe, Co, Zn, Mg, Pb, Al, Cu, and alpha-Fe) were tested at different temperatures below the melting point at temperature of phase transformation. Stress diagrams of pure metals may be divided into two basic types: "high temperature" and "low temperature".

(84) Korshakov, G. N., Yakushev, E. S., and Yakhovskii, M. V.
Mechanical Properties of a Silver-Copper Alloy Under Tensile Stress (in Russian).
Zhur. Tekh. Fiz. 22 (1956) 347-354
 Tensile-strength diagrams from 20 to 100°C were obtained in the hardening and aged conditions and the existence of "low-temperature" and "high-temperature" types was shown. Tensile-strength diagrams for the hardened condition have "two-peak" shape at temperatures of 150°C and above. The dependence of resistance to deformation, yield strength, and elongation on temperature are indicated.

(84) Konevskii, S. T.
Physical Basis of the Strength of Materials (in Russian).
Vestnik Akad. Nauk S.S.S.R. 22 (1959) 15-22
 Theoretical background and present concepts of dislocations in single metallic crystals; elastic and plastic deformation of different kinds; diffusion mechanism of plasticity.

(84) Konovalov, T. I.
The Conditions of Inter-crystalline Fracture (in Russian).
Zhur. Tekh. Fiz. 22 (1956) 118-126
 On the basis of the fracture of polycrystalline substances, two critical temperatures are considered: T_{11} ("equilibrium temperature") and T_{12} ("critical temperature of brittleness"), characterizing the transformation of crystal grains into brittle in the plastic state. The character of fracture is determined qualitatively by the speed of deformation and by three periods (I, II, and III) of deformation: (I) at $T < T_{11}$, brittle fracture along the crystal grain; (II) at $T < T_{12}$, fracture along grain with prior plastic deformation; and (III) at $T > T_{12}$, inter-crystalline fracture. For a given temperature there are: (1) at high speed of deformation brittle fracture in the region of crystal grain; (2) at certain mean speed plastic flow with subsequent fracture along the grain; and (3) at slow deformation fracture in the inter-crystalline layer.

(84) Konovalov, T. I.
On the Relation of the Strength of Materials to the Straining Time (in English).
Comp. rend. acad. sci. U.R.S.S. 12 (1948) 23-26
 The problem of deformation and failure of materials subjected to tensile stress is treated mathematically, and a function is developed relating the value of the strength of material in the time of duration of stress.

(84) Korshak, I. I., and Khabibov, A.
The Principles of Plastic Deformation (in Russian).
Uchenye Zapiski Kazanskogo Universiteta 46 (1954) 262-287
 The mechanism of deformation is thoroughly investigated mathematically. As a starting point, Newton's expression for the internal friction of viscous substances is taken, then the effects of straining single crystals, and homogeneous and heterogeneous crystal aggregates are considered. Expressions are obtained for the effect on viscosity to deform small solid elements of solid bodies when strained in various ways, e.g., tension, compression, and shear, up to and past the elastic limit. The various deformations are shown quantitatively, and are made of Mohr's diagrams. Viscous substances are shown to be strained to plastically deformed solids as regards their tendency to deformation. The expressions obtained in the theoretical analysis are considered in connection with practical applications.

(84) Korshak, I. I.
Classification of the Solubility of Elements in Iron (in Russian).
Izvest. Akad. Nauk S.S.S.R., Otdel Khim. Nauk, no. 2 (1948) 104-112
 Reviews previous work on the solubility of the above solubilities to mention in the periodic table, atomic size and structure, etc. This is followed by a thorough discussion of the solubility of the various elements classified according to groups and subgroups in the periodic table. A definite relationship is shown between solubility in iron and atomic diameter, which permits prediction of approximate values for individual elements.

(84) Korshak, I. I.
Solid Solutions (in Russian).
Izvest. Akad. Nauk S.S.S.R., Otdel Khim. Nauk, no. 2 (1948) 104
 Solubilities of elements in Fe in the solid state from the point of view of Hume-Rothery's rules-ferrous theory. The size factor alone is adequate to account for the experimental results except in the case of Co and certain elements of the B subgroup of the fourth and fifth periods of the periodic system.

(84) Korshak, I. I.
Theory of the High-Temperature Strength of Metallic Solid Solutions (in Russian).
Doklady Akad. Nauk S.S.S.R. 62 (1959) 1037-1040
 A suggested measure of high-temperature strength is the time required for a specimen to creep to a predetermined amount in a constant loading machine. By this means data were obtained for alloys of several binary systems. The high-temperature strength of a solid solution is higher than that of a pure metal and increases with increasing solute content. The high-temperature strength decreases when a second phase is produced by further addition of the solute. The concept "chemical hardening" by a solute atom is suggested in analogy with work hardening.

(84) Korshak, I. I.
Continuous Solid Solutions of Metals of the Transition Group of Mendeleev's Periodic System of the Elements.
Doklady Akad. Nauk S.S.S.R. 21 (1950) 495-497
 Discusses possibility of predicting solid solubility ranges of binary combinations of various elements of the eighth group of the periodic table, on basis of atomic diameters of different solutions with Fe and values for atomic diameter of different elements.

(84) Korshak, I. I.
Creep of Solid Solutions and Compounds in Metallic Systems.
*Paper from Creep and Fracture of Metals at High Temperatures, Inter-Military Scientific Office, London (1952) 27-37
 Short survey of creep of creep test results on solid solutions and compounds in metallic systems and conclusions drawn as a result of this work.*

(84) Korshak, I. I.
Hardening of Solid Solutions of Nickel at High Temperatures (in Russian).
Izvest. Akad. Nauk S.S.S.R. 1 (1956) 119-125
 Relation to yield strength of Ni and its alloys and the hardening multiple temperature. Effect of chemical composition and number of components. Hardening is related to distribution of crystal lattice of solvent metal. Hardening is also preservation of high temperature depends on the degree of the solid solution.

(84) Korshak, I. I.
The Strengthening of Solid Solutions of Nickel at High Temperatures (in Russian).
Izvest. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk 1 (1954) 119-125
 Shows the exceptionally strong influence of chemical composition of solid solution on the strength of the solution. Illustrates important role of chemical bonds between different atoms in a solid solution of complicated structure in maintaining the strengthened condition at high temperatures.

(84) Korshak, I. I., and Konovalov, S. V.
Relationship Between Composition, Temperature, and High Temperature Strength of Alloys of the Ternary System Nickel-Chromium-Iron (in Russian).
Izvest. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk 2 (1956) 90-92
 Results on alloys of Ni containing 20% Cr and 10% Fe, as compared with an alloy of 80% Ni, 20% Cr, and 0% Fe, at temperatures of 500 and 1000°C, show a maximum (2) composition of 60% Ni, 30% Cr, 10% Fe, and a minimum (1) composition of 80% Ni, 10% Cr, 10% Fe. It is shown that the mechanism of hardening by ferrite in alloys of nickel and iron, degree of superplasticity, and high-temperature strength, from 200 to 1000°C, of the strength of alloys containing finely divided precipitates exceeds the strength of homogeneous solid solutions. High-temperature strength is higher in alloys with compositions close to the solubility limit (80% Ni composition) above 1000°C, alloys of maximum (2) high-temperature strength are superplastic at lower temperatures. Alloys with homogeneous solid solutions are to be considered greater hardeners. (5) At 1200 to 1250°C, changes in the composition corresponding to maximum strength are very rapid. (6) The alloys will give a sensitive test of hardness at high-temperature strength of alloys of solid solutions. [Doklady Akad. Nauk S.S.S.R. 12 (1955) 1037]

(84) Korshak, I. I.
Effect of Plastic Deformation on the Modulus of Elasticity of Low-Carbon Steel (in Russian).
Izvest. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk 1 (1956) 105-107
 Effect of cold plastic deformation and heat treatment on Young's modulus and shear modulus of physically deformed steel.

(84) Kovalev, V. I.
The Strength of Metals as an Atomic-Physical Phenomenon (in Russian).
Z. Ver. Stah. Ing. 22 (1955) 516-518
 Effect of crystal growth and lattice structure on the mechanical properties of metals.

(84) Kötter, W.
Analysis of the Modulus of Elasticity of Metals and Alloys (in German).
Z. Metallk. 43 (1952) 145-154
 Relation of the modulus of elasticity to the atomic number, the shear and compressive moduli, and to the atomic volume and melting temperature. The temperature dependence of the moduli is examined, as well as the influence of polymorphic transformations, impurities, ferromagnetic state, and ordered lattice structure. The variation of the moduli is shown for different types of and intermetallic phases.

(84) Kötter, W.
On the Influence of Elements on the Polymorphic Transformations of Cobalt (in German).
Z. Metallk. 43 (1952) 297-303
 Clarifies the influence of alloy additions on the γ transformation of cobalt. There is a periodic change of the type of effect with the atomic number of the element. A comparison is made with the systematization of the moduli in the alloys.

(84) Kötter, W., and Bauscher, W.
Relations Between the Modulus of Elasticity of Binary Alloys and Their Structure (in German).
Z. Metallk. 35 (1948) 111-120 (Translation by NACA TN 1321)
 A comprehensive survey of the elastic modulus of binary alloys as a function of their composition is presented. Alloys that form continuous solid solutions, limited solid solution metallic alloys, and alloys with intermetallic phases are investigated. Special having the most important structures have been examined to obtain criteria for the relation between lattice structure, type of bonding, and elastic behavior.

(84) Koonin, H.
The Mathematics of the Tensile Test.
Arch. Eisenhüttenwes. 27 (1951) 317-324
 The true stress/true strain curve for polycrystalline metals is taken to follow the equation $\sigma = A \epsilon^n$, where σ is the stress, ϵ the elongation, A a measure of the resistance to deformation, while n indicates the work-hardening capacity. With the aid of this equation it is possible to determine the true ultimate tensile strength, and the true stress under maximum load capacity, can be stated in terms of A and n , the ratio of true stress and true strain, and the percent of the yield point to the ultimate tensile strength, as well as the stress corresponding to the ultimate tensile strength, i.e., the strain at which work hardening and reduction of cross section are in balance, can be expressed in terms of A and n . Thus, the mutual interrelations between the various factors can be expressed in terms which have general validity.

(84) Kopylov, M. I.
The Formation of the Iron-Heterostructure (in English).
Journal of Applied Mechanics 14 (1974) 80-81
 The experiments made that "heterostructure" is defined as a structure of the metal. It is a body with a high degree of heterogeneity in deformation under the action of mechanical stress, consisting of a limited area of the metal body to which "heterostructure" is limited in the rest of the metal body.

(84) Krasov, I. B., and Mal'nev, B.
Study from the Institute of Ship in Metal Single Crystals.
*Frans. ANIM 194 (1954) 197-201
 Single crystals of aluminum, Al and brass have been studied. A study from ship was found in brass crystals when the specimens were tested below room temperature. However, one was not found for aluminum metal. A general theory of the structure of the brittle fracture temperature is proposed.*

(84) Krasov, A. I., Shtol'man, I. I., and Orlov, I. G.
Distribution of the Deep Energy Layers of Iron Atoms During Cold Deformation of Metal (in Russian).
Doklady Akad. Nauk S.S.S.R. 102 (1955) 941-945
 Levels of 45,000 and 80,000 kg/cm^2 were used, effect of alloying elements, relation between levels and volume, depth distances calculated.

(84) Krasov, A. I., and Wegerer, W.
Conversion of Biquaternary to Other Temperatures (in German).
Arch. Eisenhüttenwes. 28 (1954) 339-344
 Creep curves were obtained experimentally from 19 ferritic and 19 austenitic steels for at least two temperatures. Experimental temperatures were compared with results obtained from the Lakeuschli's procedure. The correlation was unsatisfactory and no master curves could be established. There was a 10% variation of estimates for 10,000 hr extension from a creep curve of 100 hr and 1000 hr at a 50°C higher temperature. However, errors up to 45% occurred in some materials.

(84) Krasov, A. A., and Gerasimov, J.
Inter-crystalline Coarsening of Metals (in Russian).
J. Iron Steel Inst. 128 (1956) 242-249
 Evidence suggests that the phenomena of such formation and propagation may be explained by combining Greenwood's hypothesis (1944, 1945) (1952) that cracks are formed by the aggregation of void inclusions, with the ideas of Smith concerning interfacial energy in two-phase alloys. Greenwood is in general agreement but thinks that the application of the Smith concept of the interfacial angle to a cluster of lattice sites appears more realistic. Although the interfacial angle concept is not considered applicable to the formation of inter-crystalline cracks from vacancy centers, there is strong evidence to suggest its importance when lattice cracks occur under stress in contact with liquid metal.

(84) Krasov, V. K., Koryunov, G. V., and Tikhonov, L. V.
The Effect of Working on the Bond Strength of Crystals of Solid Solutions of Iron-Nickel Alloys (in Russian).
Doklady Akad. Nauk S.S.S.R. 122 (1955) 271-274
 A Fe-Ni alloy was annealed and examined by X-ray technique for elongation, deformation, and quenching after working at different strain rates.

(84) Krasov, M. I.
Plastic Deformation of Single Crystals of Sapphire.
Bull. Acad. Sci. USSR Div. Chem. Phys. 1957:524
 A single crystal was tested based on a framework of solid ions in hexagonal lattice packing, with all ions in identical positions. Dislocation concepts are used for interpreting the significance of the crystallographic elements of slip and compression are made with the structurally related hexagonal metals. The Burgers vector of a total dislocation is observed in terms of the structure of the crystal, and means are given for questioning whether slip is caused by a total dislocation mechanism. The energy of partial glide involving symmetrical systems of both kinds of dislocations is calculated, and shown to be in order of magnitude greater than in crystals in general.

(84) Krasov, E.
Plasticity Relationship Between Deformation Density and Stress.
J. Appl. Mech. 14 (1954) 63-65
 Mathematical analysis of random motion of nonperiodic plastic flow in an elastic body containing a distribution of dislocations is given by a tensor theory. The stresses are characterized by a tensor σ_{ij} of order n , but the strains ϵ_{ij} contain an anisotropic component. The compatibility condition of plastic theory is replaced by a relation between σ_{ij} and the antisymmetric part of ϵ_{ij} . The formal relations between the quantities and the tensor stress function are derived.

(874) Köster, E., and Rieder, G.
 Continuum Theory of Dislocations (In German)
 Z. Physik **145** (1956) 424-429

A short review of the basic ideas of this new approach to dislocation theory, which was developed independently by Kröner and by the author (Report of the Conference on Dislocations in Crystals, London, 1955). The theory is based on the idea of a continuous distribution of dislocations. It is shown that this approach will help to bridge the gap between microscopic and statistical plasticity theory.

(875) Kröner, E., and Bielski, M.
 The Physical and Mechanical Properties of Cold-Worked Copper
 Ann. Acad. Sci. Fenn. **21** (1956) 99-122

Experiments on Cu wires of uniform diameter subjected to varied degrees of cold working, it was shown that there is a clear analogy between the variation of the physical and the mechanical properties of copper with the degree of cold working. The yield strength, the elongation to fracture, and the thermal-expansion power were determined as a function of the degree of cold working. From a comparison between the variations with the degree of cold working, of the thermoelectric power and the constants of the thermal stress in the metal, it is concluded that the phenomenon of recrystallization may be explained by a theory of activation.

(876) Kobachewski, O.
 The Change of Entropy, Volume, and Binding State of the Elements on Melting
 Trans. Faraday Soc. **52** (1956) 931-940

Molar heat capacity at the melting point (C_p), absolute temperature of fusion (T_m), cubic coefficient of expansion at the melting point (α), molar volume of the liquid, and the molar volume of the solid are measured as a function of the bonding mechanism (α), and is nearly constant for free metal and metal-metal, as is $(\frac{C_p}{T_m})$.

(877) Koblmann, D.
 On the Theory of Plastic Deformation
 Proc. Phys. Soc. (London) **66A** (1955) 140-155

A model for plastic deformation in soft metals is based on the assumption that in real crystals there is always a number of regions present, each of which, by an unknown process, acts as a source of dislocations. It is also assumed that in soft metals dislocations are very mobile except in a region a number of atoms connected with plastic deformation.

(878) Koblmann, D., and Masig, G.
 Investigations on the Plastic Deformation of Copper Wires (In German)
 Z. Metallk. **45** (1956) 341-355

A study was made of the deformation of loaded spirals of annealed and cold-worked pure Cu wires, under stress increases up to 25 kg/mm² and at temperatures between 15 and 45°C. The results are described in detail, and an equation is derived which shows the relationship between the deformation, the load, and the temperature.

(879) Koblmann, D., Masig, G., and Raffelsberger, J.
 The Theory of Strain (In German)
 Z. Metallk. **45** (1956) 341-346

Plastic deformation is considered as a movement of dislocations, only secondary considerations being given to the dislocation theory. It is shown that a recovery from strain occurs as a result of the migration of dislocations, and that it can be expressed by the equation of the type: $\epsilon = B \cdot A \cdot \exp(-\frac{U}{RT})$, where ϵ and B are constants which are proportional to the absolute strain rate and to the strain rate, respectively. It is shown that this equation is in satisfactory agreement with those derived from the theory.

(880) Koblmann-Wildefer, D.
 Elementary Structure and Slip Band Formation in Aluminum
 Phil. Mag. **42** (1952) 432-444

From electron micrographs of deformed high-purity Al, numerous estimates for the spacing, length, and amount of glide of the individual elementary lines have been obtained. It is found that the latter two quantities are compatible with the conception that each line is formed by dislocations emitted from one freely acting source of dislocations. The existing experimental evidence relating to the problem whether or not slip starts at the crystal surface is discussed. The evidence suggests that the source of dislocation might well lie at the surface, and, therefore, it is considered possible that the elementary structure is confined to the surface well as the slip bands, in comparison with the theoretical structure. A distance below which zones of dislocations cannot pass each other is indicated; that there are many more possible sources than become active during the development of slip bands out of the elementary structure is proposed. This mechanism entails the accumulation of all dislocations in the immediate neighborhood of an expanding slip line.

(881) Koblmann-Wildefer, D., and Wildner, H.
 The Surface Structure of Deformed Aluminum, Copper, Silver, and Alpha-Iron, and the Theory of Dislocation
 Acta Met. **1** (1953) 394-411

The surface structure of deformed Al, Cu, Ag, and alpha-iron are investigated by means of a scanning electron microscope. The three pure metals examined show distinct surface structures. On deformed alpha-iron, an elementary structure of slip bands is visible, but, instead, single slip lines appear at regular intervals.

(882) Koblmann-Wildefer, D., and Van der Merwe, J. H.
 Elementary Structure and Slip Band Formation in Aluminum
 Phil. Mag. **42** (1952) 432-444

From electron micrographs of deformed high-purity Al, numerous estimates for the spacing, length, and amount of glide of the individual elementary lines have been obtained. It is found that the latter two quantities are compatible with the conception that each line is formed by dislocations emitted from one freely acting source of dislocations. The existing experimental evidence relating to the problem whether or not slip starts at the crystal surface is discussed. The evidence suggests that the source of dislocation might well lie at the surface, and, therefore, it is considered possible that the elementary structure is confined to the surface well as the slip bands, in comparison with the theoretical structure. A distance below which zones of dislocations cannot pass each other is indicated; that there are many more possible sources than become active during the development of slip bands out of the elementary structure is proposed. This mechanism entails the accumulation of all dislocations in the immediate neighborhood of an expanding slip line.

(883) Kolesnik, P. I.
 Order of Tails in the Torsion of Metal Crystals (In Russian)
 Doklady Akad. Nauk S.S.S.R. **92** (1954) 1015-1018

The torsion of crystals with f.c.c., b.c.c., and h.c.p. lattices is considered by the method of dislocations. Curves showing the dependence of yield point on the orientation of the slip system are calculated. It is shown that the yield point is in good agreement with the values obtained from calculated data and is compared with experimental values for Al-Si-Cu alloy obtained by Kröner and Scott [J. Phys. **52** (1952) 681]. In general, there is agreement.

(884) Koolen, N. F.
 The Change of Thermal Electromotive Force of Metals Due to Plastic Deformation (In Russian)
 Fiz. Metal. i Metalloved. Akad. Nauk S.S.S.R., Ural' Filial' **1** (1956) 231-243

Relation between the plastic deformation characteristics and the induced thermoelectric force. Induction of thermo-electromotive force versus absolute energy.

(885) Koon, H. J., and Farnand, L. Z.
 Variation in Thermo-Electromotive Force of Metals in the Copper Subgroup Subjected to Plastic Deformation at Various Temperatures (In Russian)
 Fiz. Metal. i Metalloved. Akad. Nauk S.S.S.R., Ural' Filial' **1** (1956) 421-427

An attempt to verify the applicability of the relationship between the change in thermo-electromotive force and the relative deformation in cold-worked metals of the same subgroup of the periodic table. The theoretical relation is proposed to be additive.

(886) Kooze, J. D.
 Remarks on the Temperature-Dependence of Hardness (In Dutch)
 Metallk. **45** (1956) 24

Slows that within the range from 143 to 500°C the graph of log hardness vs. a function of temperature shows a more or less uniform slope of decrease at about halfway from the absolute melting point. This "knee" in the graph may be due to creep, which shows a certain temperature range in how many instances.

(887) Koster, E.
 Continuum Theory of Plastic Deformation in Metals and Steel (In German)
 Stahlbau **42** (1952) 159-164

Suggests that the transition from the elastic to the plastic range requires a certain amount of time (relaxation time), which is characteristic

of the metal. If the rate of deformation is greater than the rate of stress relaxation, then the metal is brittle. If the rate of deformation is less than the rate of stress relaxation, the metal is ductile. The plastic behavior in steel, cast Fe, and light alloys is discussed in terms of this hypothesis.

(888) Koshino, Y.
 Nature of Crystals I: Interatomic Cohesion of Metallic Crystals (In Russian)
 Zhur. Obshch. Estestv. **20** (1956) 915-921

On the basis of theoretical considerations, a formula is derived for the calculation of energy of interatomic cohesion in metallic crystals. The relation between this energy and hardness, yield strength, and yield point of the particular metal in the process, systems is indicated. Shows that the cohesion of a solid crystal is the same as the mechanical properties of metal.

(889) Koshino, G. V., Ushakov, V. A., and Zakharenko, I. I.
 X-Ray Investigation of the Interatomic Bond Strength in the Crystal Lattice of Metals and Alloys
 Izvest. Akad. Nauk S.S.S.R. **5** (1954) 297-316

Measurement of X-ray diffraction line widths and interatomic bond lengths in the lattice structure of metals and alloys. Shows areas of coherent scattering domains for X-rays, magnitude of elastic deformation in crystals, magnitude of interatomic distances and elastic deformation of dislocations of atoms in the lattice. Based on theoretical analysis of results of measurements of hardening and yielding of metals and alloys.

(890) Koshynov, G. V., Kuznetsov, E. Z., and Pevzner, V. M.
 Effect of the Internal Structure of Austenite Grains on the Solid-Solution Strength at High Temperature (In Russian)
 Doklady Akad. Nauk S.S.S.R. **102** (1956) 85-87

Relation between strength, temperature, level of treatment, and stress magnitude of a solid solution of Fe with 20% Ni and 1%.

(891) Koshynov, G. V., and Trautman, N. T.
 X-Ray Investigation of Interatomic Interaction in Solid Solutions Based on Nickel (In Russian)
 Doklady Akad. Nauk S.S.S.R. **92** (1954) 72-80

The states at which nickel and alloy possess a high strength are metastable and can exist for a long time only when the mobility of atoms is small. The latter is determined (in crystalline lattice) by strength of interatomic bonds, and increased bonding strength, a decreased mobility of atoms. The qualitative evaluation of properties characterizing the interatomic bonds is obtained by studying heat of sublimation, energy of atomic self-diffusion, characteristic temperature, elastic moduli, coefficients of expansion, etc. Here, bond strength was measured through thermal scattering of X-rays, then calculated characteristic temperature from mass quadratic doublet results of atoms from lattice equilibrium positions during thermal variations.

(892) Koshynov, G. V., Trautman, N. T., and Yabluchnik, M. V.
 Distribution of Dislocations in Metallic Crystals During Deformation of Slip (In Russian)
 Zhur. Trak. Fiz. **12** (1956) 197-206

The distribution of plastic deformation by slip was experimentally determined in 2x crystals by studying the topography of the surface of a microsection of deformed single- and polycrystalline samples. For a single crystal specimen, plastic deformation is localized only to a negligible extent in the slip planes, most of it is distributed through the crystal with low deformation. The volume of the crystal is involved in deformation from the beginning, and this accounts for the hardening of all the crystal without assuming the presence of a sharply defined structure irregularity of the formation of separate slip systems.

(893) Korte, A. D., and Solina, S. A.
 The Interaction of Impurity Atoms with Dislocations in Germanium
 Acta Met. **1** (1953) 352-354

Existence of dislocations in Ge gives rise to certain typical distributions of solute atoms. Approximate calculation and model is suggested.

(894) Koster, E.
 Works on the Physics of Solids in the U.S.S.R. (In English)
 J. Phys. **15** (S. 5) **1** (1949) 299-317

A general review of recent work carried out in the U.S.S.R. The plasticity and strength of ionic crystals and the influence of bonding on dislocation theory, plastic deformation of polycrystalline metals from the point of view of dislocation theory, the physics of compression, and the interrelation of various forms of deformation in the high-temperature range are discussed briefly, and the dependence of the yield strength on $(\sigma - \epsilon)$ on temperature and impact velocity is dealt with. Recent work on the mechanical properties of single crystals and polycrystalline metals is described, and the importance of twinning is stressed.

(895) Landau, P. I., Bogdanov, I., and Yanagisaki, N.
 Sub-Boundary and Boundary Structure in High Purity Aluminum
 A. Sub-Boundary Structure; B. Boundary Structure

Paper from Report of a Conference on Strength of Solids, Phys. Soc., London (1956) 91-92.

"Sub-boundary structure" has not generally been thought of as a dislocation structure. It is shown that large-angle single crystals are prepared by a method of slightly different orientation. The behavior of the grain boundaries of high-purity Al on stress by HCl supports the hypothesis of formation structure.

(896) Lang, J. E., and Grossman, M.
 The Elastic Properties of Aligned Polymers
 Trans. ASME **77** (1955) 110-119

The results of a systematic study of the effects of alignment of fibers in solid solutions on the strength and rate of strain hardening of metals of substantially constant grain size, as revealed by four stress-strain curves. The strengthening effect of an aligning element as a function of concentration may be represented by a single coefficient, and the strengthening effect of several elements in solution together are simply additive.

(897) Lark, H., Wasserman, C. D., Sherry, O. D., and Stern, J. E.
 Effect of Stress on High Temperature
 J. Appl. Mech. **24** (1955) 209-211

Experimental investigation on pure Al and its dilute alloys revealed that the high-temperature creep rate is related to the stress. According to a preliminary dislocation climb model for high-temperature creep, the activation energy for creep is the sum of the energy for climb and the energy for the rate of climb depends on the structure as determined by the pattern of climbing dislocations. A rate equation is developed for constant structure.

(898) Lambell, H. J.
 Sub-Structure Formation in Slightly Deformed Aluminum Single Crystals
 J. Inst. Metals **55** (1955-56) 473-474

A high-resolution X-ray method was used in the study of both single crystals of high-purity Al having the cubic orientation. The recovery process observed appears to consist of three stages: (1) below 500°C, the polydislocation mechanism described by Cahn transforms locally curved regions into new, perfect subgrains; (2) above 500°C, growth of some individual subgrains is the main phenomenon; (3) within 10-20°C of the melting point, a decrease in the perfection of the remaining subgrains is detected, which may be correlated with Grossman's "recrystallization in situ".

(899) Landauer, R.
 A Theory of Conductivity of Cold-Worked Copper
 NACA TN 249 (September, 1955) 23 pp

The increase in the resistivity of Cu under cold working is calculated. The increase is assumed to be caused by dislocations as revealed by a long-range electrostatic field that acts as the conduction electron. From the calculated increase in resistance and the known increase of resistivity of heavily cold-worked copper, the number of dislocations was found to be in agreement with the number estimated on the basis of stored-energy measurements.

(900) Landau, P. I., Ipatov, J. L., Shepov, L. A., and Dorn, J. E.
 The Activation Energy for Creep of Polycrystalline Copper and Nickel
 Trans. ASME (Strength) **77** (1955) 20 pp

The effect of an abrupt change in temperature on creep rate was used to determine the activation energy for creep which increased with increasing temperature from 1.5 kcal/mole at 78°C to 4.6 kcal/mole at 200°C for self-diffusion in copper. Creep rate, stress, and strain rate, and climb mechanisms for creep.

(901) Lange, H., and Lacke, K.
 Slip Dislocations in Aluminum Single Crystals. II: Microscopical Observation of Slip Band Formation and Discussion of the Mechanism of Deformation (In German)
 Z. Metallk. **45** (1956) 514-547

Single crystals wires of super-purity Al were elongated up to 20.8% at 20°C, and slip bands were observed. Creep variations in the lattice were principally determined by the slip pattern, i.e., the occurrence of link bands, and the formation of secondary slip bands. With increasing deformation, the slip bands increase in number, further slip occurs within each band, and new systems of slip are formed. Link bands are observed in the wires, and their formation is discussed. It is shown that slip bands are gradually formed from slip systems other than the principal system, and, probably, in a slight random order, from link-band formation.

(92) Larson, F. R., and Koh, E. B.
The Room Temperature Strain Rate Sensitivity of Annealed Titanium and Titanium Alloys
Waterloo Annual Lab. TR 481/25 (April, 1958) 13 pp.
The strain rate sensitivity of 6 heats of commercially pure Ti and 6 heats of alpha-beta Ti alloys in wire form has been determined at room temperature over a range of strain rates from 0.002 to 1.0/min. An analysis of the results shows that the strain rate sensitivity varies with the logarithm of the strain, and the strain rate sensitivity exponent with the logarithm of the strain rate. Moreover, the strain rate sensitivity and strain hardening exponent are shown to vary linearly with the stress on log-log coordinates. The importance of stress level in controlling these variables is supported by other results from published literature.

(93) Larson, F. R., and Miller, J.
A Time-Temperature Relationship for Rupture and Creep Strains
Trans. ASME 72 (1950) 355-374
Published creep data for a wide range of alloys have been examined, and it has been found that these combinations of time and temperature that give the same value of the parameter $\log t + \log \dot{\epsilon}$ in the absolute temperature C as a material constant, and that these give equal stresses. The results for each alloy when plotted against the parameter give a master curve on which lie all the points within the limits of experimental error. Similar master curves are obtained for the creep results with the parameter $\log t + \log \dot{\epsilon}$, where $\dot{\epsilon}$ is the creep rate. Although the constant C has been taken as 20 for each material, it may vary from alloy to alloy. It has been shown that the value of C given above is 21. The significance of the relationships that have been established is that the master curves may be obtained from a single test at different temperatures and can then be used to predict the results of long-time tests.

(94) Larson, H., and Klier, E. P.
Strain Hardening of Mild Steel in the Torsion Test as a Function of Temperature
Trans. ASME 72 (1950) 1031-1039
Stress-strain data in torsion show extensive ductility at temperatures as low as 188 C. Torsion data were treated, using the generalized plastic flow concept, to convert experimental torque-twist results to effective stresses and effective strains. An equation for expressing results shows that values of the work coefficient and strain-hardening exponent compare favorably with results from tension tests.

(95) Laubko, N. P.
The Correspondence Principle in the Theory of Plastic Deformation (In Russian)
Zhur. Tekh. Fiz. 25 (1949) 880-883
A theory of plastic deformation of solids is based on investigations of anisotropic single crystals and isotropic (or quasi-isotropic) bodies. For each of these two fields of investigation relationships of plastic deformation have been established. For single crystals these relationships are expressed in terms of the elementary deformation phenomena taking the form of crystallographic displacements and inclusions. For the quasi-isotropic bodies the relationships concern distributions of stresses and deformations, not considering the character of the plastic deformation in individual crystal grains. The plastic deformation in the individual crystals of the quasi-isotropic body proceeds by the same elementary processes of displacement and twisting as in isolated single crystals.

(96) Laubko, P.
Tensile Stress - Part I.
J. Iron Steel Inst. 147 (1948) 173P-199P
Analysis of the single crystals of most materials and the differences between the bulk physical properties of the components of compound solids which cause internal self-compensated stress systems to develop around respectively. These self-compensated stress systems are called "residual stresses". It is shown how to determine the order of magnitude of stresses due to crystal anisotropy. These caused by differences in bulk properties are investigated by the statistical application of the theory of elasticity. A discussion is given of their influence on stress and strain, and some problems connected with other solids are mentioned.

(97) Laubko, P.
Tensile Stress - Part II.
J. Iron Steel Inst. 148 (1948) 137P-159P
Results of recent investigations of structural tensile stresses in materials consisting of components with different elastic constants are discussed, with special reference to cast and modified iron. The question of strain energy due to tensile stresses is studied, with particular regard to phase transformation. Tensile stresses in the free surface are analyzed, and their possible role in connection with damping and surface efficiency in fatigue is pointed out.

(98) Laubko, P.
Tensile Stress - Part III.
J. Iron Steel Inst. 150 (1946) 183P-209P
The characteristic component system of tensile stresses due to crystal anisotropy is analyzed by means of index, hexagonal, or tetragonal lattices. The effect of tensile stresses on normal constants is studied. Irreversibility and hysteresis may be involved. The question of modification, i.e., reduction, of tensile stresses and their influence on ductility is discussed.

(99) Laubko, P.
Tensile Stress
J. Iron Steel Inst. 152 (1945) 287-298
Further aspects of the mathematical treatment of tensile stresses are discussed. The relation for work of structural transformation to self-compensated stress is shown to be the same as that of the work of transformation in a polycrystal. Among the matters considered are: tensile yield for similar and spherical structures; the influence of tensile stresses and yield on the change in shape of components on annealing; and the application of the theory of tensile stresses to the problems of precipitation hardening, impregnation, and internal friction.

(100) Laubko, P.
Flow Deformation of Metals (In French)
Compt. rend. 22 (1941) 545-547
The so-called flow deformation of metals is explained by the inhomogeneous tension of the surface compared with the interior of the crystals and by the anisotropy of the polycrystalline substance.

(101) Laubko, P.
Contribution to the Theory of the Plasticity of Metals and Alloys (In French)
Rev. met. 22 (1945) 75-92
A. Curves of tensile strength depend on crystal orientation. If, however, the relation of angle of slip to the direction of movement in the crystal lattice is plotted as a function of the value of the angle of consolidation, and this is a physical constant, but is more usually parabolic. It is shown that the mechanism of crystal plasticity and critically summarizes the various theories already put forward to account for the phenomenon, particularly those of Burgers and of Kocks and others. Starting from these last two theories, he proposes a new theory, based on a consideration of the "consolidation of tension", and works out the theory mathematically. In the course of developing the theory, he discusses critical consolidation, strain consolidation, deformation at constant speed (based on Kocks and others' equation and introducing the coefficient of consolidation), flow at constant load, reversion to normal at constant temperature, dynamic consolidation and equilibrium in alloys; rupture of single crystals by slip; polycrystalline deformation; the determination of consolidation; its application; and its relation to relaxation, and sub-permanent (slow return to equilibrium).

(102) Laubko, P.
State of Strain in the Neighborhood of the Kinks Characterizing the Theory of the Plasticity of Metals (In French)
J. Phys. radium 5 (1948) 207-211
Plastic deformation of single crystals may be effected by one or more of three processes, viz: (1) translation; (2) mechanical twinning; and (3) the formation of "kinks" or "kink bands". Of these three processes, the first is very general and for the most important, the second occurs only in certain types of crystals, while the third process appears to be exceptional. These theories have been studied to account for the experimental values of the resistance of crystals to plastic deformation compared with the calculated values due to them, viz: (1) Smith's theory which postulates the relation of microtension in crystals; (2) Taylor's theory which postulates the existence of dislocations; 3) a theory which depends upon a theory of the production, propagation, and disappearance of kinks as defects of the crystal lattice, and (4) Becker's theory which depends upon a theory of the production, propagation, and disappearance of kinks as defects of the crystal lattice. The author's theory will be compared with experimental results. It is shown that the Smith hypothesis conforms to the conditions of elastic equilibrium.

(103) Laubko, P.
Synthesis of Modern Theories on the Plasticity of Metals (In French)
Rev. universelle sci. 1 (1946) 221-230
In addition to recent well known theories, the author's own theory is described, which depends on a special kind of fault (dislocation) called "accruals" formed at dislocations. These faults accumulate at dislocations during slide and produce internal stresses which oppose the applied stress and reduce the rate of formation of new faults. This theory is applied to curves of the mechanical properties of single and polycrystalline metals.

(104) Laubko, P.
Theoretical Study of the Plasticity of Crystals (In French)
Mém. (Commun. Indus.) 22 (1942) 292-305
Classical theories of dislocation are reviewed, and a new theory ("flow due to dislocations") is compared with classical theories in relation to experimental data on effect of temperature on critical shear stress in relation to hardening curves, creep of single crystals, and plastic propagation of solid solutions. Concludes that while the new theory readily explains the plastic properties of crystals, the physical nature of the lattice defect proposed is not clearly defined; whereas, the more coherent dislocation theory is more closely related to experimental evidence.

(105) Laurent, P.
Theorie de Deformation de Polycristaux (In French)
Mém. (Commun. Indus.) 16 (1934) 111-113
Various theories concerning stress, yield, working, etc., have been given for crystals, influence of rate of deformation, and temperature, creep, and relaxation. The question of the formation of such crystals, the effects of interaction between crystals and of grain boundary slip is a part. Data of various investigations on a wide variety of ferrous and nonferrous metals are reviewed.

(106) Laurent, P.
Theorie de la Fracture de Metaux (In French)
Mém. (Commun. Indus.) 17 (1942) 180-200
Stress and strain curves theories of fatigue, shear, and ductile fracture, and supporting experimental evidence obtained with single crystals and polycrystalline metals. The effects of test piece size and temperature and the transition from brittle to ductile fracture are dealt with and finally theories of fatigue failure are discussed.

(107) Laurent, P.
Physic. Principles of Creep (In French)
Mém. (Commun. Indus.) 17 (1942) 205-231
Creep is a thermally activated process of deformation by creep, behavior of metal during creep, and rupture by creep and their properties. Data from the literature are reviewed. Methods of testing intended to permit rapid solution of results in long-time tests are discussed.

(108) Laurent, P., and Eudier, M.
Creep and Relaxation (In French)
Rev. met. 22 (1945) 414-418
In creep a constant force is applied in the specimen and the variation of the deformation with time is observed in relation to a constant load. This is imposed on the specimen and the variation of the force varied is observed. A number of determinations of creep properties with an Al-7% Cu alloy. A mathematical analysis of the relation between them was made. The comparison of the theoretical and experimental curves was found to be satisfactory only at low temperatures and it is proposed to describe a more satisfactory method in a later contribution.

(109) Laurent, P., and Eudier, M.
Comparative of Creep and Relaxation (In French)
Compt. rend. 22 (1948) 259-261
A new experimental method, applied at room temperature, for the creep of an Al alloy containing 7 per cent Cu. Comparison of results with theoretical ones based on the Boltzmann theory showed satisfactory agreement.

(110) Laurent, P., and Eudier, M.
Theorie and Experimental Data on Creep and Relaxation of Polycrystals (In French)
Rev. met. 22 (1945) 91-92
Creep and relaxation were studied in a Mg and an Al alloy and the experimental results were interpreted by means of plasticity, partly Taylor's theory and partly the theory of the "consolidation of dislocation".

(111) Laurent, P., and Eudier, M.
Crystal Interaction and the Brittleness of Metals (In French)
Rev. met. 22 (1945) 582-588
Method of calculation of crystalline interaction and application of plasticity of polycrystalline polycrystals discussed in the light of the theory of paracrystalline media. Results particularly in their application to study of brittleness of metals.

(112) Laurent, P., and Laurent-Lambert, R.
Plastic Deformation and Fracture of Metals (In French)
Rev. met. 25 (1948) 515-520
The plastic deformation of single crystals, twinned crystals, and polycrystals. Factors involved in fracture after plastic deformation are analyzed for single and polycrystals. The role of plastic phenomena, particularly in fatigue and stress corrosion are discussed. Of the various hypotheses of fracture, the author's theory is shown to be the most probable. The force necessary to produce a given deformation is shown to be independent of the number of dislocations, and the force due to the interaction of the different crystals. This is called the "consolidation of interaction".

(113) Laurent, P., and Vaher, I.
The Slip of Plastic Deformation of Single Crystals (In French)
Compt. rend. 214 (1942) 40-43
Experiments are detailed for the propagation of a dislocation through a single crystal under the influence of a shearing stress.

(114) Laurent, P., Vaher, J., and Bourdell, S.
The Role of Mechanical Strength in Metals and Alloys (In French)
Revue, Paris (1947) 286 pp.
Treats the general aspects of the subject, such as metal crystals, ductility, and the mechanical properties of crystals. The plasticity of single crystals and of industrial alloys. The chapter on the theory of crystalline plasticity discusses the contributions of Burgers, Zener, Taylor, Becker, and others, among others.

(115) Laurent, M., and Poud, R. H.
Effect of Grain Imperfections on the Strength of Aluminum Single Crystals
J. Appl. Phys. 47 (1946) 940-944
Stress-strain characteristics of Al single crystals were measured very accurately and observations of the plastic medium made. Crystals containing growth imperfections and others grown by the same method were compared. The relation of crystal perfection, by which slip inclusions, were correlated with grain structure, stress, which was inversely proportional to the growth imperfections.

(116) Larson, H. J.
Mechanism of Primary Propagation at High Temperatures
Paper from High Temperature Properties of Materials, Dept. Engr. Mech. Pennsylvania State Univ. (1945) 21-50
Reviews properties under the action of simple external forces which normally result in a simple stress system, and factors governing the flow and failure of metals during their service life.

(117) Ledermann, H.
Elastic and Creep Properties of Filamentary, Matrix and Other High Polymers
The Textile Foundation, Inc., Washington, D. C. (1944) 278 pp.
Theoretical discussion of primary creep and the superposition principle of Boltzmann, as well as experimental tests of the superposition principle, is followed by a review of the mechanical models applicable to primary creep.

(118) Lee, H. T., and Frank, R. M.
Slip and Twisting in Single Crystals of Beryllium
J. Metals 2 (1952) 147-148
The basal slip and shear stress for basal slip in the single crystals under compression was measured at different temperatures in the range from room temperature to 300 C. In these studies, the basal plane was 20-70° from the stress axis.

(119) Ledermann, H.
The Kinematic Representation of the Fracture Phenomenon (In Dutch)
Mém. (Indus.) 1 (1955) 446-429
The fracture phenomenon in various materials studied through stress called first and second yielding fronts. Fracture mechanism was depicted through diagrams and microphotographs.

(120) Ledermann, H.
A Kinematic Picture of Fracture (In Dutch)
Mém. (Indus.) 1 (1955) 446-450
Mechanism of fracture with ultrasonic wave waves, while traces were formed by transparent waves in polyethylene, nylon, glass, and quartz.

(121) Legat, A.
Contribution to the Problem of the Toughness of Metallic Materials (In German)
Rev. universelle sci. 1 (1946) 91-99
The characteristics of metallic materials in relation to their mechanical strength, deformability, toughness, and brittleness, as temperatures between 200 and 1000 F. Mechanical strength is characterized by resistance to slip and molecular slip, but not a determination of the values of these two values, alone relationship to one another affords a measure of the ductility, as perceived by structural alterations and other influences.

results obtained from tensile tests do not adequately represent true values. One of the most important factors which affect the magnitude of actual stresses in the material, and alterations to changes, i.e., anisotropy, at high temperatures the process of fracture and, therefore, modulus of strength is dependent to a great extent on anisotropy, caused by the small stresses, in the conditions of the test.

(33) Lehn, P.
The Occurrence of Plastic Deformation of Iron in the Course of a Tensile Formation. (In French)
Compt. rend. 244 (1957) 71-80
The occurrence of deformation was confirmed photoelasticity. The characteristics are those of high-temperature creep.

(34) Leibfried, G.
The Force Acting on a Dislocation. (In German)
Z. Physik 122 (1954) 781-789
The negative gradient of the potential energy of a dislocation may be determined as a force acting on the dislocation. For externally applied stresses, centers of the dislocation and the Burgers vector of the dislocation. Only dislocations lying in a single glide plane are considered. The more complex relations between dislocations and between an edge dislocation and a screw axis.

(35) Leibfried, G.
The Effect of Thermally Induced Sonic Waves on Plastic Deformation. (In German)
Z. Physik 122 (1954) 144-156
Theoretical, mathematical analysis develops relationship between average shear stresses produced by sonic waves and moving points of metal. Values for Al, Fe, Cu, Ag, Au, and Pb are tabulated. Estimates of the energy dissipated by a typical moving dislocation indicate that its terminal velocity is less than 1/10 the velocity of sound.

(36) Leibfried, G.
Distributions of Dislocations in Static Equilibrium. (In German)
Z. Physik 122 (1954) 214-226
The distribution of dislocations in a glide plane under an external shear stress is considered. If the number of dislocations is large, all problems reduce to a type of integral equation for which the general solution is known. Dislocations of like sign confined to a fixed region of the glide plane (anchored end) are first considered, and solutions given for the problems previously treated. Solutions are also obtained for distributions of positive and negative dislocations in two separated regions and for a periodic arrangement of an edge dislocation.

(37) Leibfried, G.
The Lattice Theory of the Mechanical and Thermal Properties of Crystals. (In German)
Handbuch der Physik, Vol. 7, Part 1, Kristallphysik I, Springer-Verlag, Berlin (1955) 184-224
Theoretical treatment, includes a section on the connection between lattice theory and elasticity theory.

(38) Leibfried, G.
Dislocations and Lattice Theory. (In German)
Paper from Dislocation and Flow of Solids, Edited by R. Grammel, Springer-Verlag, Berlin (1955) 25-32
For many problems in which dislocations play a role, the lattice structure and thereby the lattice theory rate in different ways. Some simple examples of these kinds of connections are qualitatively discussed.

(39) Leibfried, G.
The Thermal Motion of Dislocation Lines
Paper from Dislocations and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1957) 495-500
A mathematical treatment, based on statistical mechanics, is given of the thermal behavior of dislocations. Considered to detail the thermal forces an anchoring points and the thermal amplitudes in a region where the dislocation is held by an internal shear stress.

(40) Leibfried, G., and Hirth, J. P.
The Theory of the Stress Distribution. (In German)
Z. Physik 126 (1949) 700-808
The stress field of a screw dislocation in an infinite solid and in a plate is calculated by the elastic theory and the Poisson-Boltzmann method. The structure of work dislocation in the center of a thin plate is almost identical with that of a dislocation in an infinite solid. The dynamic properties of screw dislocations are examined, and a "relativistic" formula is derived. It is concluded that in the absence of damping effects, dislocations will accelerate under the action of external forces, almost to the speed of sound. See however L. Holt, p. 127 (1950) 144.

(41) Leibfried, G., and Hirth, J. P.
Dislocation Structures in Face-Centered Cubic Crystals. (In German)
Z. Physik 131 (1951-52) 113-129
The Peierls method is extended and applied to face-centered cubic (fcc) dislocations lying in (100) and (111) planes, and a 1/2(112) half-dislocation lying in (111) planes are considered. Expressions for the dislocations and the dislocation "widths" are given for edge and screw dislocations in (100) planes, for half-dislocations at 0 and 100 to the Burgers vector in (111) planes, and for perfect dislocations at 90 and 30 to the Burgers vector in (111) planes.

(42) Leibfried, G., and Haasen, P.
Mechanism of Plastic Deformation. (In German)
Z. Physik 122 (1954) 67-88
Plastic deformation is discussed in terms of dislocation theory, emphasis being laid on the interpretation of various stages. The dislocation distribution in undeformed crystals, homogeneous slip at low stresses, the formation of slip bands by large amounts of slip on a single plane, irreversible processes which stabilize the glide and prevent continuous deformation under constant stress, the formation of further slip bands and their interaction for large deformations and the hardening curve and the influence of temperature. The probable effects are described for both fcc and bcc metals. "Dynamic" Frank-Read sources, as proposed by Holt (1951, Mag. 2) (1952) (1953) are thus not required, and all dislocations are believed to move much slower than the speed of sound. It is concluded that in face structures, hardened planes are characterized by an array of edge dislocations, and, in bcc structures, by an array of screw dislocations.

(43) Leibfried, G., and Lücke, K.
The Grain Field of a Dislocation. (In German)
Z. Physik 126 (1949) 450-464
The components of the strain tensor of an edge dislocation lying along the z axis are obtained (1) by treating the material as an elastic continuum and (2) by the Peierls-Nabarro method. The results are in agreement with each other and with the solution given by Koehler (Phys. Rev. 122 (1941) 197). The reasons for the differences between the two methods are discussed, and the Taylor dislocation is compared with the more recent (Dirge) concept of an edge dislocation.

(44) Leibfried, K. N.
Properties of Materials at High Rates of Strain
Metallurgy 36 (1957) 239-241
Propagation of stress waves, elastic and plastic strains, and the effect of high strain rate on yield and fracture are discussed. The greater the loading rate, the greater the rate of dynamic to static yield strength. The greater the static yield, the less the strength is enhanced by rapid loading. Stress greater than static yield strength, multiply applied and held constant, will give enhanced strength and delay time before slip yielding sets in. The delay time depends on the material as well as the load.

(45) Leibfried, K. N.
Relationship of Bardeen Measurements to the Tensile and Compression Flow Curves
U. S. G. O. S., U. S. Dept. Commerce, PB 121144, G. B. Research Lab. to NADCO, Inc., 1955 pp 14
Correlation of hardness and tensile tests and compression of one material to the other was found possible. Results with Al, Cu, and steel hardness measurements is possible by using the empirical flow curve from tensile. May be an exception because of twinning at low stress levels.

(46) Leonard-Jones, J. E.
Some Theoretical Problems Concerning the Solid State
Proc. Phys. Soc. (London) 52 (1940) 18-53
The discrepancy between the properties observed in actual crystals and those calculated for ideal crystals can be attributed to the presence of imperfections in the lattice; examples are given for describing such imperfections in the conditions of growth from the melt. It is pointed out that the Taylor dislocation theory of slip involves certain difficulties and that a theory of the conditions on the mechanism of deformation. The boundary between two crystallites with slightly different orientations will have a negligible strain rate, with a maximum shear stress only at "points of contact". The energy necessary for complete rupture and for shear along such a surface of misfit

are calculated. Last melting may occur in crystals moving to slip and to a factor in producing strain hardening. A method is given of calculating the relation between stress and strain under the usual elastic limits and at temperatures approaching the melting temperature.

(47) Leph, G. P.
A Statistical Theory of Creep and Relaxation. (In Russian)
Izv. Akad. Nauk S. S. R., Otdel. Tekh. Nauk, no. 4 (1957) 144-161
An attempt is made using statistical laws on the basis of the theory to find a general equation of deformation and a particular equation of creep and relaxation. Conclusions are based on assumptions by Boltzmann and Osawa.

(48) Legerre, H. A., and Labadie, J. D.
Some Transient Effects During Creep and Tensile Tests of an Aluminum Alloy
Trans. ASME 79 (1956) 497-501
A specially devised test which the nature of the previous steady-state conditions, where a sudden change in stress rate dislocates in one of the factors affecting transient behavior.

(49) Legerre, H. A., and Labadie, J. D.
Certain Features of Plastic Deformation at Small Strains
Trans. ASME 79 (1957) 97-110
Room temperature creep and transient loading tests were carried out on OFHC Cu to determine whether at low strains the plastic deformation behavior depends only on current conditions and not on the prior history. They conclude that there are four kinds of departure from plastic ideality: (1) the Bauschinger effect, (2) the change in rate due to a change in load, (3) the effect found by Davis (Trans. ASME 78 (1956) 183) where the stress at a particular strain rate depends on the rate at which the prior strain was introduced.

(50) Leffland, P.
Mechanical Properties of Solids as a Function of Temperature. (Plasticity, Viscosity, and Internal Friction) (In French)
Mém. (Corrosion-Ind.) 22 (1952) 216-232
Discussed on the basis of the literature. Treats in particular the perfect crystal at absolute zero, thermal agitation, the imperfect crystal, the migration of atoms, hardening, and the role of internal stresses.

(51) Leitch, J. G., Carraker, R. P., and Hollomon, J. H.
Nucleation of Slip Bands
Trans. ASME 80 (1958) 131-138
It is suggested that the propagation of slip bands may be considered in terms of a "shock" shaped region of slip which first appears as a limited region of a crystal, changes its rate of growth, and which must be allowed to order in nature and appropriate. The results of a series of experiments on aluminum and copper are developed mathematically sufficiently to allow certain qualitative conclusions to be drawn. The rate of nucleation at the surface of a specimen is proportional to the surface area, and the interior rate proportional to the volume. The total rate of nucleation may be derived, and shown to depend on specimen size similarly to that experimentally observed. The theory also allows an interpretation of the incubation period before appreciable slip takes place in low stresses; the incubation period necessary for the low stress alone in an unstrained specimen to grow to a size characteristic of the stable nucleus for a given stress. The effects of sudden change of stress and of temperature are considered, and it is shown that the theory indicates that nucleation will be expected to change sharply on increasing the stress, in the case of rate, since, on change of stress, the nuclei must adjust themselves to the new equilibrium. The phenomena to be expected under various conditions of changing stress and temperature are described.

(52) Lewis, J. C.
Strain Aging - A Survey of the Literature
Australia, Commonwealth Dept. Supply, Aeronaut. Research Council, Comm. Rep. 341-187 (January, 1952) pp 96
Critical review of all aspects of the strain aging of steel including effect on mechanical and physical properties, influence of composition, relationship between strain aging and quench aging, yield point and blue brittleness, and current theories.

(53) Lewis, J. C.
The Deformation of Lead. (In French)
Inst. Tech. Nat. Sup. Publ. - Elec. Ser. G, no. 4 (1942) pp 18
The tensile and tensile strength of rods of pure Pb were measured for various extension rates at temperatures between -20 and 100 C. Creep under constant load was measured as a function of time and was in part discontinuous. The effects of rate and temperature on strain, on the compressional and tensile strength, and on the creep of Pb specimens tested in various ways are discussed with reference to crystal structure and particle size, and an extended theory of the deformation of lead is given.

(54) L'Herminier, R.
The Variation of the Resistance to Tension of Solids with the Rate of Elongation. (In French)
Compt. rend. 216 (1943) 871-872
The stress of a factor F_n , when plotted against the log of the rate of elongation v , increases linearly according to the equation $F_n = a \log v + b$. If this law is applicable in metals at high temperatures, it should be possible to explain $\sigma = \sigma_0 + k \dot{\epsilon}$ by means of the theory.

(55) Li, C. H., Kinsdale, K. H., Washburn, J., and Parker, E. R.
Stress-Induced Movement of Crystal Boundaries
Acta Met. 1 (1953) 221-229
The stress induced movement of small angle boundaries in Zn crystals was investigated in the temperature range of 35 to 400 C. The dynamic behavior of the boundaries appeared to require that they consist of an array of edge dislocations of the sign that had most or less uniformly over the plane of the boundary. The activation energy for the movement of the boundaries in the temperature range of 300 to 400 C was determined to be about 21,100 cal/mole. Attention was drawn to the close agreement between the rate and those of the activation energies for self-diffusion, creep, and recovery in Zn crystals. A mechanism was suggested for the formation of a substructure in crystals plastically deformed at low temperatures which depended only on the stress-induced movement of small angle boundaries.

(56) Li, C. H., Washburn, J., and Parker, E. R.
Variation of Plastic Properties With Annealing Procedure in Zinc Single Crystals
Acta Met. 192 (1951) 1223-1225
Yield stress in Zn single crystals is dependent on prior annealing temperature and rate of cooling after annealing. Tentative mechanism for the effect is suggested.

(57) Lifer, M.
Some Problems of the Dynamic Theory of Non-Ideal Crystal Lattices. (In English)
Nouv. chim. (Soviet) 3 (1956) 716-734
Influor of a local irregularity on the oscillation of lattice atoms and on the crystal free energy. Other applications of the method.

(58) Likhin, V. I.
The Law of the Creep of Metals. (In Russian)
Doklady Akad. Nauk S. S. R. 22 (1950) 1079-1082
Creep was theoretically investigated over a range of temperatures and applied loads. Formulas are proposed which describe the dependence of internal relaxation of metal during creep. An equation for determination of the minimum rate of creep is derived and interpreted for different values of the variables.

(59) Likhin, V. I.
Physical-Chemical Phenomena in the Deformation of Metals. (In Russian)
Usp. Khim. Nauk 32 (1954) 587-616
Creep of single crystals, electrocapillary effect, influence of surrounding medium on mechanical properties of polycrystalline metals.

(60) Lind, J. O., and Eshelby, J.
Investigation of the Critical Shear Stress for Single Crystals of Metallic Solid Solutions. II
Arkiv Fysik (1954) 511-519
Critical shear stress increases linearly with solute concentration for dilute binary solutions of light Cu-base alloys, and the increase per cent of solute, varies as the square of corresponding change in lattice parameter.

(61) Lippmann, H.
Contributions to a Theory of Plastic Strain in Iron. (In German)
Acta Met. 1 (1953) 268-305
Different factors have been proposed to represent the probability of production of slip steps in a metal an application of stress. This probability, however, varies in different parts of the lattice. A theory based on the fundamental conceptions that the extension of wires is proportional to the number of newly formed dislocations, and that the probability of the occurrence of a slip step can be represented by a continuous function of the stress, is developed. Essential features of the theory are the derivation of equations representing the spontaneous elongation and the creep behavior. The results are compared with those obtained by means of Taylor's theory of work hardening. (Z. Metall. 47 (1956) 376)

(184) Lipson, H., and Shyne, A. R. Strength of Metals. Nature 183 (1959) 821. Referring to experimental results of Wood and Backinger in which the yield strength of a metal is independent of grain size, the authors conclude that the yield strength is an expression derived by Frank, which is most reliable also from the theory that the broadening of X-ray reflection peaks, such as they occur, are necessary to distinguish between the two equations concerned.

(185) Liu, T. S., Kramer, J. H., and Strohrieger, M. S. The Delay-Time Phenomenon in Metal Single Crystals. Acta Met 4 (1956) 164-170. The effect of strain duration on the critical resolved shear stress of Cu, Zn, and Pb-Bi single crystals was studied by impact tests which produce short duration compressions. These tests were carried out at 25°C and 100°C. It was found that Zn and Pb-Bi crystals exhibit a definite increase of critical resolved shear stress at temperatures below room temperature, when the stress duration is less than 10⁻³ sec. This phenomenon was not observed on Cu single crystals. It was shown that the delay time for the initiation of slip was not affected by the orientation of the stress axis with respect to the slip plane. Activation energies for slip of Zn and Pb-Bi single crystals were derived from the data obtained.

(186) Livingston, J. D., and Chalmers, R. Multiple Slip in Bicycristal Deformation. Acta Met 4 (1956) 322-327. Experimental observation of slip lines on Al bicycristal deformed in tension. Doublets were on the multiple slip associated with the interaction between two crystals at the boundary. Model representing slip on of dislocation systems will operate in a given crystal.

(187) Livshits, I. M., and Rosenzweig, L. N. On the Theory of the Elastic Properties of Polycrystalline Aggregates (in Russian). Zhur. Exp. i Teor. Fiz. 15 (1946) 947-980. It is shown that in certain limited cases a connection between the elastic properties of a polycrystalline aggregate, regarded as a whole, and the properties of the crystallites constituting it, may be established in a general way.

(188) Logie, H. J. The Yield Strength of Partially Ordered F.C.C. Structures. Acta Met 4 (1956) 106-109. Partially ordered face alloys show a dependence of yield strength on the size of the ordered domains. By considering the increase in disorder as the domain size, a value for the yield strength is obtained which agrees with the data which is in good agreement with experimental values.

(189) Lübbag, K. The Creep Behavior of Some Nonferrous Metals and Their Alloys (in German). Metall 4 (1952) 446-450. A general discussion of the dependence of creep behavior of metals on melting temperature, crystal structure, grain size, alloying additions, etc. Results of experiments on Pb, Cu, Al, Mg, Zn, and their alloys are charted.

(190) Lübbag, K., and Weibull, F. Hardness-Creep Experiments on Zinc Alloys (in German). Z Metall 41 (1950) 419-424. The penetration of a 2.5-mm ball under a constant load of 31.25 kg was measured as a function of the time for a minimum over a period of 20 cent Al and Cu, 20 per cent Cu. In general, the depth of penetration decreases to a minimum corresponding to the maximum solid solubility. A definite correlation existed between the phase diagram and the creep behavior.

(191) Lühdi, J. Extension of Dislocations in a Plastic Deformation of Zinc Single Crystals (in German). Z Physik 145 (1956) 101-107. Effect of mechanical finishing of sheet metal on the extension of dislocations.

(192) Lomer, W. M. A Dynamical Model of a Crystal Structure. III. Proc Roy Soc (London) 196A (1954) 162-174. Using the lattice raft previously described, experiments and calculations were made on the maximum shear stress under which a general dislocation plane is able to move in terms of the force between the lattice components. The analogy with metals is discussed. It is concluded that although the lattice raft structure which are supposed to exist in metals and simulates metallic effects, since the lattice components have no mass and no thermal components, dislocations have no kinetic energy, and energy dissipation against viscous forces replaces friction of elastic waves.

(193) Lomer, W. M. The Yield Phenomenon in Polycrystalline Mild Steel. J Mech. and Phys. Solids 4 (1956) 44-51. Considers the variables involved in studies of Lüder's bands in mild steel. The grain-size effect is reviewed, as well as the importance of the size of the specimen has a large influence on the form taken by the Lüder's bands. It is concluded that the boundary of the band is characterized by stress on grain size is evidence for the grain boundaries acting as locking mechanism of Cottrell and Bilby, which is more applicable to single crystals.

(194) Louat, N. The Effect of Temperature on Control Atmosphere. Australia Commonwealth Dept. Supply. Aeronaut. Research Councils Comm. Rep. 524 (1955) pp 13. The variation with temperature of solution-atom density close to an edge dislocation is discussed thermodynamically. Expressions are derived and for the effect of temperature on a predetermined Cottrell atmosphere. The atmosphere density has a particular equilibrium value determined by the density of the solute and the ambient temperature. All not be reached. Hence, mechanical properties dependent on atmosphere effect of temperature on the yield point in polycrystalline metal being obtained with three apparently dissimilar experimental results.

(195) Low, J. R., Jr. The Relation of Microstructure to Brittle Fracture. Paper from Division of Progress in Metallurgy, Am. Soc. Metals, Cleveland (1955) 131-139. Modes of brittle fracture, origin of flaws, crack propagation, and intergranular cleavage fracture.

(196) Low, J. R., Jr. Dislocations and Brittle Fracture in Metals. Paper from Information and Flow of Solids, Edited by R. Gomer, Springer-Verlag, Berlin (1955) 60-72. A review of the knowledge of brittle fracture and crack formation in ductile and compared with experimental facts. The role of dislocations in influencing the propagation of cracks are, they have been found in also treated.

(197) Low, J. R., Jr., and Frost, H. G. Inter-Crystalline Fracture and Twisting of Iron at Low Temperature. Acta Met 4 (1956) 185-192. It has been found that small amounts of C may strongly influence the ductility and the mode of fracture of Fe at low temperatures. Fe contains by intergranular cleavage which occurs in tension. After deformation in model. If the same materials are completely brittle at -195°C and fracture occurs by intergranular cleavage, recrystallization restores the original properties and mode of fracture. In recrystallization

(198) Lubbe, J. D. Three results it is suggested that the grain boundaries in polycrystalline Fe are sources of low cleavage strength, and that the resistance to cleavage of these crystals is due to dislocations created by the addition of small amounts of C.

(199) Lubbe, J. D. Mechanical Properties of Iron-Carbon Compounds of 1.5 to 2.0 per cent Carbon. Trans. AIME 176 (1954) 1094-1100. Nine intermetallic compounds were treated in terms of a lattice deformation and were subjected to various plastic deformations. The results of tensile strength and elongation were interpreted with reference to the computational temperature, lattice strain configurations, of the compound elements, mode of formation, crystal structure, density and volume of expansion accompanying compound formation. Without success.

(200) Lubbe, J. D. On the Distribution of Dislocations in Iron-Carbon and Models of Normal Sliding of Pure Metals at High Strain Rates (in Russian). Izv. Akad. Nauk S.S.S.R. 1960. Izd. Nauk (March 1954) 59-67. Experimental data on hot hardness of 13 pure metals are compared to give that the main part of the resistance to plastic deformation at higher temperatures is played by the strength of dislocation bands, local character created by the mobility of dislocations rather than melting point.

(201) Lubbe, J. D. Deformation of Steels, Steels, Temperature, Strain Rate Deformation for Plastic Deformation. Trans. AIME 182 (1951) A201-A210. This paper covers on the derivation and correction of an equation previously presented (Lubbe and Lubbe, Phys. Rev. 119 (1950) 775), relating stress for plastic flow (plastic stress), strain rate, $\dot{\epsilon}$, and temperature T. The corrected equation is $\sigma = C \dot{\epsilon}^m \exp(-E/RT)$ where C, D, E, G, $\dot{\epsilon}_0$, and m are material constants.

(202) Lubbe, J. D. Creep of Metals. Paper in Cold Working of Metals Am. Soc. Metals, Cleveland (1949) 211-241. The possible mechanism of creep is discussed. It is first emphasized that the view that the creep during the secondary stage of creep is constant is, fundamentally, not justified. Reference is made to the conception of a "steady-state" equilibrium of stress. It is suggested that under constant stress the over all deformation is the sum of a plastic and elastic component and the slope of a strain-rate curve should continuously decrease, as a result only after the initial stage of strain hardening. At low temperature, the stress required for continuing flow is primarily a function of strain, but at high temperature it depends markedly on the rate and much less on the strain.

(203) Lubbe, J. D. Creep-Tension Relations at Low Temperature of Metals. Trans. AIME 176 (1954) 905-931. The least precise action of how to determine creep behavior from the results of tension tests was to create slip tension curves determined at various constant rates. This procedure will not yield the creep curves for constant rate or 10⁻³ s. At low to room temperature, however, the stress-strain curves at different rates differ by less than the variations in deformation rate resistance among the specimens. A new procedure is suggested, based upon a logarithmic relationship resulting from the hypothesis that mechanical behavior is independent of past history.

(204) Lubbe, J. D. The Role of Dislocation in Creep, Tension, and Relaxation Behavior. Trans. AIME 181 (1953) 747-748. Experiments using 1.5 to 2.0 per cent iron which show that creep recovery is possible under certain conditions in a certain lattice deformation.

(205) Lubbe, J. D. The Role of Dislocation in the Calculation of Creep Behavior. Rep. No. 10-104, Rep. No. 10-104, Rep. No. 10-104, 1954 (1954).

(206) Lubbe, J. D. Effects of Dislocation on Straining. Paper from Proceedings of the 1955 Symposium, Research Conference on Strength Limitations of Metals, ASTM, U. S. Dept. Commerce, PH 11108 and PH 11109, 1955, 145-164. Stress effect on yield level has to do with the mode of crack propagation in large specimens, sudden cleavage fracture was in after a smaller amount of gradual strain than in smaller specimens. There is a size effect on strength and ductility, in addition to the effect on mode of crack propagation, in certain heat treated steels and high-strength Al alloys. The size effect is more pronounced for sharper notches or for harder metal.

(207) Lubbe, J. D. Effect of Temperature on the Straining Behavior of Mild Steel. Strength, energy-absorbing capacity, ductility and mode of gradual yielding preceding brittle crack propagation by cleavage are among the fracture properties observed at various temperatures.

(208) Lurie, G., and Lurie, R. The Theory of the Hardening of Metals During Creep (in German). Z Angew. Physik 4 (1954) 40-70. The creep of metals is discussed from the standpoint of the formal "activation" theory, and it is shown inadequately that an exponential distribution of the activation energy, a factor that is neglected, leads to the frequently observed parabolic law of creep, in the form of $\dot{\epsilon} \propto t^{-1/2}$, by dividing the creep extension of time, first not followed by Andrade. The effects of temperature and stress are discussed. Good agreement is found between experimental and theoretical results relating to creep. Physical constants of creep are discussed.

(209) Lurie, G., and Lurie, R. Creep of Aluminum Wire Cold Springs (in German). Z Metall 41 (1950) 341-349. Results of the parabolic law for hard-drawn specimens. Proposed new logarithmic law for well annealed and for hard-drawn specimens at liquid-nitrogen temperature. The energy of activation, E, shows a considerable increase, much greater than would be anticipated from considerations based on work-hardening. Some of the small dislocations E is disabled. In contrast, the small dislocations of low velocity with elongation indices λ creep slow in rate in the number of lattice units. E is found to be proportional in the log of the elongation. This new effect is attributed to the presence of activation centers with various E's before deformation begins, such that centers of lower values of E are more quickly exhausted since they can more readily give rise to a slip band.

(210) Lurie, G., and Lurie, R. Effect of Type of Bonds on Mechanical Properties of Crystalline Substances (in German). Z Metall 41 (1950) 286-293. The behavior of intergranular, intermetallic, and metallic bonds toward lattice translation was investigated. Lattice translation is explained as a stepwise process of distribution of stress, and movement of these lattice planes followed by their dislocation. Effects on lattice structures.

(211) Lyons, W. J. Statistics of Theory of the Elementary Process of Plastic Deformation. Phys. Rev. 71 (1948) 43-44.

(1017) Manjolie, M. J.
Effect of Rate of Strain on the Flow Stress of Face-Centered Cubic Alloys at 1000 and 1500 F.
Proc ASTM 53 (1953) 911-916
The factors which influence the flow stress of a metal are discussed and a general flow-stress curve is proposed. The short-time method of comparing alloys and the limitations of this method are reviewed.

(1018) Manjolie, M. J.
Mechanical Properties of Metals at High Temperature - Non-Periodic Loading.
Paper from High Temperature Properties of Materials, Dept. Reg. Mech. Proc. Stan Univ (1954) 9-20
Factors affecting elasticity, plasticity, and failure of metals during their service life.

(1019) Manjolie, M. J.
Influence of Rate of Strain and Temperature on Yield Stress of Mild Steel.
J Appl Mech 12 (1945) 4-211 - A-218
The paper describes the influence of rate of strain and temperature on the yield stress of mild steel. Tensile tests are reported for rates of 100, 1000, and 10000 in./in. at 100, 200, 400, and 800 C. at strain rates which were from 100 in./in. to 10000 in./in. The results of the tensile tests are plotted to show the effect of strain rate at various strain rates. The comparison of the yield stress at various strain rates presents an analysis of the influence of strain rate. The conditions necessary for discontinuous yielding are described and compared with test experience.

(1020) Mann, E. H.
An Elastic Theory of Dislocation.
Proc Roy Soc (London) 192 (1945) 176-179
Theory for the internal stresses caused by slip in crystalline materials is based on the concept of dislocations as they occur in the mathematical theory of elasticity, and on the work of Volterra. General formulas are derived for calculating stresses corresponding to given dislocations. Four examples involving plane and screw dislocations are given, and relations given between mathematical dislocations and some simple types of slip in crystals.

(1021) Mann, S. B., and Hafford, A. M.
A Linear Time-Temperature Relation for Extrapolation of Creep and Stress-Relaxation Data.
NACA TN 2890 (March, 1953) 49 pp
Suggest a new parameter called the "linear time/temperature parameter" $T - T_0 \ln t$, where T is the temperature in $^{\circ}F$, t is the exposure time in hr, T_0 and t_0 are constants of the material determined from one set of data for a given material in a single curve. The linear time-temperature parameter $T - T_0 \ln t$ and extrapolation of creep data using a parameter $T - T_0 \ln t$, where T is the minimum creep rate, T_0 and t_0 are constants of the material.

(1022) Mann, S. B., and Secoy, G.
Stress-Relaxation Properties of Inconel 700 and Correlation on the Basis of Several Time-Temperature Parameters.
Paper from Symposium on Metallic Materials for Service at Temperatures Above 1000 F., Philadelphia (1955) 40-46
Creep data for stress of 100, 1000, and 10000 psi at temperatures of 1100, 1200, and 1300 F. and times of 1-1000 hr. The results are suitable for use above parameters $T - T_0 \ln t$.

(1023) March, R. H.
Collection of the Abell-Isidori in the Thomas-Fermi-Dirac Theory.
Phil Mag 45 5th ser (1952) 125-130
Thomas-Fermi-Dirac method affords some explanation of metallic bonding. Results predicted by theory.

(1024) Marshall, E. R., and Shaw, M. C.
The Determination of Flow Stress from a Tensile Specimen.
Trans ASM 44 (1952) 705-725
An experimental study was made of the influence of the neck profile radius on the true stress-true strain tensile test. An increase in this radius results in a greater elongation to a given strain. The results obtained are in good quantitative agreement with those predicted by an equation derived from the empirical relationship that Bridgman has proposed. The flow stress correction factor and the true stress. The effect of results discussed in terms of several strength theories.

(1025) Martin, J. A., Herman, M., and Brown, N.
Grain-Boundary Displacement of Vacancies in Aluminum as the Rate of Strain Increases.
Trans ASM 44 (1952) 78-81
In the light of the results of grain boundary displacements was increased on a copper specimen of the face-centered cubic structure. A normal distribution of vacancies was observed in a specimen of metal and was independent of temperature from 600 to 800 C. The strength of the grain, and the character of the boundary, was found to be the determining factor in the rate of vacancy flow.

(1026) Martin, J. J.
Contribution to the Study of Hardness and Strength of Metals (In Spanish).
Tesis a univ. Z (1951) 100-121
Application of Meyer's law for the relationship between hardness and strength properties of metals was tested theoretically. Results are given for copper, alpha-brass, Al, and steel.

(1027) Masag, G.
Influence of Surrounding Medium on Plastic Deformation of Metals (In Russian).
Metal 12 (1951) 467-470
Conclusions of problems and observations are considered, except for effect on electrical resistance. Theoretical analysis of the observations.

(1028) Masag, G., and Schöler, K.
Microscopic Observation of the Elimination of Zinc Single Crystals (In German).
Z. Metall 42 (1952) 460-466
Photomicrographs show the progress of basal slip during the elongation of cylindrical single crystals of pure Zn. When two slip systems operate, various slip processes take place. The trace section of the slip systems changes from elliptical to elliptical or, when "basal-slip" occurs, from "wedge-shaped" to "rod-shaped" on that necking surface. Single dislocations with "rod-shaped" ends have been observed for which the mechanism of their formation and development on that larger zone from the crystal.

(1029) Matsumura, K. H.
Structural Features of Strain Hardening and Recrystallization.
Trans ASM 42 (1950) 38-37
An account of investigations which sought to clarify the macroscopic aspects of plastic deformation but failed to reveal the microscopic processes which generally acceptable cause for strain hardening. The most important requirement of strain hardening is the presence of dislocations. The mathematical-geometrical basis, as proposed by G. J. Taylor on a set of copper single crystals of strain of order surfaces of fragments or than dislocations, and that on observed slip directions is merely the result of dislocation movement, and that on observed slip directions is merely the result of dislocation movement, and that on observed slip directions is merely the result of dislocation movement.

(1030) Matsumura, K., Hamaguchi, Y., and Sato, S.
On the Formation of Small Grains (Precipitation) Zones During the Plastic Deformation of an Aluminum-Copper Alloy.
J Phys Soc Japn 12 (1957) 1424
The increase in volume resistivity of polycrystalline wires of Al-4% Cu alloy with increasing plastic deformation was measured at room temperature and -196 C, and related to the creation of point defects.

(1031) Mathias, K.
Observations on the Theory of the Strength of Materials, I, II (In German).
Z Metall 42 (1952) 11-19, 90-95
Revising and discussing relationships which exist among the various physical properties of metals and alloys and their mechanical properties during elastic and plastic deformation in tensile, impact, creep, fatigue, stress corrosion testing, and during hardening.

(1032) Mathias, K.
Theory of Strength of Materials, I (In German).
Metal 12 (1951) 99-104
The mathematics of the (macroscopic) physical (or statistical) and chemical (or molecular) theories of strength of materials are reviewed. Various properties are discussed in relationship to heat content, work, solid transformation, and multiaxial stressing.

(1033) Mathias, K.
Theory of Strength of Materials, II (In German).
Metal 12 (1951) 191-201
Concludes with a discussion of the flow behavior and the fracture state of materials. The results are summarized by a graph showing the variation of the necessary observations that result from the combination of "superimposed" and "independent" effects. The results are summarized by a graph showing the variation of the necessary observations that result from the combination of "superimposed" and "independent" effects. The results are summarized by a graph showing the variation of the necessary observations that result from the combination of "superimposed" and "independent" effects.

(1034) Maw, H. D., and Sikora, A. H.
Kinetics of X-Ray Diffraction Lines and Mechanism of Properties of Some Cold-Worked Metals.
J Appl Phys 21 (1950) 479-489
The kinetics of X-ray diffraction lines from cold-worked Fe, Ni, Cu, Ag, Al, and Pb have been measured, and are shown to be in satisfactory agreement with those calculated from the work of the present author on the assumption that the crystals are oriented up to the degree of the line. Observations have been made on the self-recovery of fcc and bcc metals.

(1035) Maw, J.
Thermodynamic Extension of the Theory of Alloy-Electrolyte (In German).
Z Physik 12 (1951) 10-11
Generalized matrix theory of electro-elasticity for bodies subjected to a generalized stress system. Theory takes account of temperature changes associated with the electro-elasticity. Analogies to the properties of electrical networks are pointed out. No application to observation is attempted.

(1036) Meehan, P.
Mechanics of Elasticity and Yield Point of Copper and Copper Alloy Spring Sheet (In German).
Metal 12 (1951) 850-852
Correlation between tensile strength, modulus of elasticity and yield point.

(1037) Merz, K. R.
Developments Necessary for General Theory of Creep Useful in Stress Analysis.
Paper presented at Pacific N.W. Metals and Minerals Conf., AIME (1954) Portland, Oregon, 14 pp
The theory of creep are derived from the theory of plastic deformation and theory of plastic flow. The modifications given show the need of an integral criterion for the effect of stress, time, and temperature on strain. This criterion is a single function which is able to distinguish between the processes of loading and unloading. Experimental and theoretical work is also necessary to clarify the process of unloading during creep.

(1038) Metcalf, A. G.
Factors Affecting the Strength of Metals at High Temperature.
Metal Treatment and Drop Forging 16 (1950-1951) 235-246
A scheme for classification, by adopting a simplified picture of the mechanism, three groups of metals are obtained. First, those which react with the softening temperature, second, those by which resistance to slip may be raised, third, those which decrease the chance of failure in a grain boundary. Attempts to assess the relative importance of each factor.

(1039) Meyer, M. A.
The Structure of Primary Substitutional Nickel Alloy.
Bull Inst. Metals 1 (1952) 121-123
The hardness of Ni-18% C, room temperature, and 100 C increases linearly with addition up to 5% of Cu, Co, Fe, Cr, Al, Mn, Mo, and W, and a nonlinear increase with Bi, Sn, and Sb, with which no increase in yield stress occurs. The hardness increase due to alloying is independent of temperature and the increase of yield stress is approximately linearly with the lattice strain. An expression is given for the stress-strain curves of Ni alloys.

(1040) Michard, R.
Contribution to the Study of Mutual Interactions of Crystals in the Deformation of Polycrystalline Metals (In French).
Publ Scient. Tech. du Ministère de l'Air, Paris (1953) pp 98
An investigation of the plastic deformation of polycrystalline metals. Experiments were performed on specimens of Al consisting of single crystals, bicrystals, and coarse polycrystals, and modes of deformation within the crystals and near the crystal boundaries were studied by means of X-rays, using both the Laue method and a divergent-beam method developed by Guinier. The main conclusion is that the boundary between adjoining crystals does not exert a stress influence of its own upon mode of deformation, it is regarded instead as a frontier across which the crystals interact with each other.

(1041) Miller, J.
Aid for the High-Temperature Designer.
Gen. Elec. Rev 55 (November, 1952) 51-53
The rupture characteristics of a metal can be graphically represented in a single curve, for both long and short times and at different temperatures. By use of the parameter $T(t)C$ (Fig. 1) the constant C depends upon the material, but is close to 1/20 for many iron-base alloys.

(1042) Miller, J., and Guzman, G.
Short-Time High Temperature Information Characteristics of Several Short Alloys.
Trans. ASM 44 (1952) 162-191
From short-time constant-rate tensile tests at elevated temperatures, true stress-strain characteristics were determined for five different types of alloys over a range of temperatures and strain rates. The alloys included SAC 1020 steel as a reference material, regular leaded 2024-T3 aluminum, 7075-T6 aluminum, 6061-T6 aluminum, and 304 stainless steel. The results are presented as a single curve for each alloy, and the curves are plotted to show the effect of strain rate at various strain rates. The comparison of the yield stress at various strain rates presents an analysis of the influence of strain rate. The conditions necessary for discontinuous yielding are described and compared with test experience.

(1043) Mikhlin, I. L.
Contemporary Ideas About the Structure of Alloys in Connection with the Problem of Strength (In Russian).
Metalloved. i Obrabotka Metal. (July, 1953) 11-18
Atomic structure and properties of metals, imperfections in crystals and precipitates of the basic lattice; types of heat treatment and alloying elements in steels, Al, and other metals.

(1044) Mikhlin, I. L., and Lavshina, D. E.
Hardness Testing at High Temperature (In Russian).
Zavodskaya Lab. 13 (1949) 1080-1087 (Bruchov. No. 197)
Correlation between hardness and stress-rupture strength is demonstrated on a number of alloys. The change in hardness with time of indentation gives quick information on rupture strength and other characteristics.

(1045) Mikhlin, I. L., and Trushin, I. I.
Investigation of Creep and Failure of Steel in Areas of Stress Concentration (In Russian).
Paper from Strength of Metals, Ind.-vo Akad. Nauk S S R, Moscow (1954) 117-132
Details with the analysis of stresses, deformation, and failure of metals under creep in areas of stress concentration. The article concludes that the maximum stress occurs in the area of stress raisers and that the failure of metal under creep is characterized by formation and propagation of a crack within the crystalline structure of metal.

(1046) Mikhlin, I. L., and Trushin, I. I.
Study of Zone of Failure on Steel (In Russian).
Metalloved. i Obrabotka Metal. No. 6 (1957) 2-7 (Bruchov. Transl. 3776)
Microhardness was reduced near the fissure developed by creeping. This may be explained by fine cracks in the material which have grown out of an accumulation of voids in the crystal lattice along the line of failure.

(1047) Mikhlin, I. L., and Trushin, I. I.
A Statistical Method of Studying the Rupture Zone of Metals by Measuring Microhardness (In Russian).
Zavodskaya Lab. 22 (1957) 229-235
Following steps in mechanism of rupture: (1) development of cracks; (2) growth from concentration stresses in microregions; (3) at a triple point; (4) initiation; in a heterogeneous field of stresses under action of diffusion processes, vacancies accumulated in parts of metal.

(1048) Mitchell, J. W.
Dislocations in Crystals of Silver Halides.
Paper from Dislocations and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1955) 65-90
Methods for preparing pure Ag halide crystals and for making the dislocations visible are described. Structures were produced by annealing above 250 and 410 C. Dislocations in plastically deformed crystals were observed, and the conditions under which dislocation lines may be made visible in crystals of Ag halides are considered.

(1049) Monkman, F. C., and Grant, N. J.
An Empirical Relationship Between Rupture Life and Minimum Creep Rate in Creep-Rupture Tests.
Proc. ASTM 54 (1954) 591-605

Such variables as stress, temperature, composition, and total dislocation density are investigated for their effects on the creep rate. A straight line was generally obtained when the log time to rupture was plotted against the log minimum creep rate.

(1972) Moore, H.
The Fracture of Solids II. The Fracture of Glass
Metallurgia 32 (1952) 129-141
From a consideration of the structure of glass, its properties may be deduced and are outlined. Microcracks, the structure is regular, but on a larger scale, irregular, resulting in a somewhat type of fracture. This theory, for a short time, are much stronger than massive glass, but exposure to moisture for even a few seconds reduces the strength considerably. Glass shows no evidence of fatigue, and when subjected to successive reversals of stress, although it weakens like a metal, shows no evidence of work-hardening.

(1973) Morrison, A. L. M., and Shephard, W. M.
An Experimental Investigation of Plastic Strain-Induced Relaxation
Proc Inst Mech Eng 121 (1955) 1-17
Treats on a low-alloy steel and on an Al alloy made under conditions to disintegrate between and evaluate the merits of the "incremental" and "total" plastic-strain theories in the region where plastic and elastic strains are of comparable magnitude. The tests appear to establish that for these two materials the "total" type of theory is incorrect and, in some instances, may lead to large errors. The experimental results give strong support to the "incremental" theory.

(1974) Most, N. F.
Atomic Physics and the Strength of Metals
J Inst Metals 22 (1954) 167-180
An account is given of the main contributions of the quantum mechanics to the physics of metals. The methods of theoretical physics are illustrated by some remarks about the dislocation theory of slip, in particular, a hypothesis is put forward for the high ductility of metals, and theoretical grounds for the theory of precipitation hardening. It is suggested on effect, the distance between the precipitates must not be too small. It is also shown that the relation of yield stress to temperature at low temperatures ought to depend on this distance.

(1975) Most, N. F.
Mechanical Properties of Metals
Nature 182 (1957) 694-698
A summary report of a conference held at the University of Bristol during the topics discussed were oxidation hardening, the ordered state in alloys, mechanical properties at low temperatures, the creep of metals, slip, diffusion theory, crystal boundaries, recovery and recrystallization, diffusion theory by thermodynamic methods, precipitation, elastic after-effects in Fe, internal friction, and the properties of stressed composites.

(1976) Most, N. F.
Fracture of Metals: Some Theoretical Considerations
Engineering 152 (Jan. 20, 1948) 16-18
Outline of present state of theory for brittle substances and application to ductile materials such as metals. A mathematical analysis is made of the stresses at the base of a crack, showing how a crack of atomic dimensions, moving with the velocity of sound, can be propagated in a single crystal. Analysis is extended to polycrystalline metals.

(1977) Most, N. F.
Slip at Grain Boundaries and Grain Growth in Metals
Proc Phys Soc, London 22 (1948) 281-284
A theory of the slip process is advanced, based on some experimental results by the Frenkel. Treats the case of one dislocation per grain boundary and one dislocation per grain. The theory is based on the fact that the elementary act which allows slip to occur is the shearing of a volume around each grain which allows slip to occur in the shearing of a volume of a crystalline material to a larger extent. The rate of recrystallization is shown to depend on the velocity of the dislocation, which then takes on the structure of the growing crystal.

(1978) Most, N. F.
Mechanical Properties of Metals
Physics 12 (1949) 119-134
A brief account of the dislocation theory of the properties of metals: slip, work hardening, impurities, recrystallization, and recovery and grain-boundary effects are considered.

(1979) Most, N. F.
Theories of the Mechanism of Properties of Metals
Reviews of Modern Physics 29 (1957) 167-169
Discusses mechanisms by which deformation can take place in terms of dislocations. Treats dislocation theory of dislocations, yield point and plastic work hardening, and the origin of age hardening, theories of rapid growth and recovery, creep.

(1980) Most, N. F.
Some Considerations of the Effect of Imperfections of Structure on the Physical Properties of Metals
New Scientist 20 (1956) 291-296
Discusses the effects of imperfections on the deformation of metals in creep (a) where the grain structure is uniform, (b) where there is movement or slip in a direction perpendicular to the boundary, as in grain growth. The theories are found in all metals. A mathematical treatment is presented for the case of a grain boundary, and it is shown that the rate of grain growth is proportional to the square of the grain diameter. It is shown that the rate of grain growth is proportional to the square of the grain diameter. It is shown that the rate of grain growth is proportional to the square of the grain diameter.

(1981) Most, N. F.
The Mechanical Properties of Metals
Proc Phys Soc, London 22 (1951) 129-134
A review of recent theoretical work, some of it unpublished, on the dislocation theory of creep, diffusion, hardening, recovery, steady-state creep, and the generation and motion of vacancies (particularly as a consequence of the interaction of two screw dislocations).

(1982) Most, N. F.
Mechanical Strength and Creep in Metals
Paper from Imperfections in Nearly Perfect Crystals, John Wiley and Sons, New York (1952) 17-31
Effects responsible for mechanical strength in metals include disordered impurities, which may lock dislocations without diffusing in them, as well as ideas on the strength of pure metals, which depend on the distance between the dislocations of a Frank-Read source, are reviewed. Finally, a theory of elastic creep is compared with experiments of Davis and Thompson.

(1983) Most, N. F.
Dislocation, Work-Hardening, Recovery, and Creep
Paper from L'Etat Solide, Reun 9th Solvay Conf., Edited by N. Steing, Brussels (1952) 515-531
The possibility of dislocations acting as sources or sinks for vacancies is considered, and on the basis of data on the Kirschall effect in diffusion and boundaries are more important in this respect. Evidence is reported from the motion of highly ionized atoms in dislocations in impurities in metals. It is suggested that the rate of diffusion in dislocations is proportional to the square of the grain diameter. It is shown that the rate of grain growth is proportional to the square of the grain diameter.

(1984) Most, N. F.
Mechanism of Work-Hardening of Metals
Engineering 152 (November 21, 1952) 676-677
Recent investigations suggest that, when formed a low temperature, dislocations are the result of a displacement of the material along a single plane, there is much evidence that about a thousand atomic diameters. More slip lines, which they all lie in a small region of the surface, though their rate of strain, the slip bands appear as clusters of lines about a hundred atomic diameters apart. The origin of slip lines, the reason for the clustering of the dislocations are discussed. The two conclusions used in the dislocation are the dislocation line and the second lattice site.

(1985) Most, N. F.
A Theory of Work-Hardening of Metal Crystals I
Phil Mag ser 7 2 (1952) 1151-1178
A theory of the work hardening of metal crystals, based on the properties of dislocations, is developed. There are two types of hardening, (1) the normal yield hardening of cubic metal crystals, and (2) the slower hardening of hexagonal and other crystals under conditions of easy glide. Rapid hardening



does not occur unless dislocations are retained in the slip planes. The retained dislocations are supposed to occur in groups of about 100 at the leading edge, in a Taylor's theory. The dislocations which are responsible for hardening, and the formation of slip lines, are assumed to be dislocations which are formed by the shearing of a volume around each grain which allows slip to occur in the shearing of a volume of a crystalline material to a larger extent. The rate of recrystallization is shown to depend on the velocity of the dislocation, which then takes on the structure of the growing crystal.

(1986) Most, N. F.
A Theory of Work-Hardening of Metal Crystals II. The Work Without Slip Lines, Recovery, and Creep
Phil Mag ser 7 2 (1952) 712-765
A theory of work hardening [this (1) (1952) 1151] is extended to account for the slip lines and work hardening. It is assumed that the dislocations are formed by the shearing of a volume around each grain which allows slip to occur in the shearing of a volume of a crystalline material to a larger extent. The rate of recrystallization is shown to depend on the velocity of the dislocation, which then takes on the structure of the growing crystal.

(1987) Most, N. F.
Dislocation and the Theory of Solids
Nature 121 (1953) 214-217
Outlines the evidence for the presence of dislocations in crystals and the application of dislocation theory to plastic deformation, work hardening, creep, grain growth, and recovery.

(1988) Most, N. F.
Dislocation, Plastic Flow, and Creep
Proc Roy Soc, London 22 (1952) 1-14
A review of (1) the experimental evidence that in crystalline metals dislocations are formed during crystal growth, that they can move under the action of stress, that the number of dislocations can be formed, and that the rate of dislocation of high strength can be stable; (2) the Frank-Read hypothesis, and recent modifications thereof, of the dislocation mechanism of both screw and edge slip - in which the major unexplained problem is concerned with the effect of dislocations on the rate of recovery and creep; and (3) the theory of dislocations in the theory of creep, and the theory of dislocations in the theory of creep, and the theory of dislocations in the theory of creep.

(1989) Most, N. F.
Difficulties in the Theory of Dislocations (in English)
Paper from Proc. Intern. Conf. Theoret. Phys. Kyoto and Tokyo, Japan, 1955, (1956) 265-269
Several difficulties pointed out, such as (1) how many dislocations are generated by a stress, (2) what is the true step-height of a slip line, (3) the effect of temperature, and (4) the frequency of occurrence of slip elements. Consider three mechanisms that explain why a source should generate a fairly large number of dislocations. Consider the one mechanism presented by him to be the most probable.

(1990) Most, N. F.
Dislocation, Lattice, and Fracture
Proc Roy Soc, London 22 (1952) 644-648
A review of recent results of the application of the concept of dislocations to the theory of fracture. The work of dislocations in metals is considered to be associated with the existence of high tensile stresses at the extremities of slip planes. Experiments on the fatigue of polycrystalline Cu, removal of surface slip lines by electropolishing has revealed that some of the lines are not parallel, but more difficult to orient along than it is first formed parallel to a slip line. It is tentatively suggested, on the basis of recent experimental evidence of the complexity of slip lines, that small cracks form at the ends of each of the elementary lines of which the slip line is composed. These are cracks in the material along the line that eventually visible cracks form. This hypothesis agrees with the observed fact that frequent annealing during fatigue testing, which might be expected to remove stable but not cracks, does not increase fatigue life.

(1991) Most, N. F.
A Theory of Fracture and Fatigue (in English)
J Phys Soc Japan 12 (1953) 640-644
It is suggested that a sufficiently large stress can induce fracture in a slip-line group of dislocations, and a large number of small cracks, as proposed, can unite to produce a ductile or fatigue fracture. It is assumed that since a large number of dislocations, all at once, up to 1000 or so, but the dislocation does not involve the nature of this mechanism.

(1992) Most, N. F.
Dislocation, Work-Hardening, and Creep
Nature 121 (1953) 465-467
The presence of a dislocation network in an annealed metal explains the low yield stress and the localization of slip on a few planes. The dislocation network, which is the result of a displacement of the material along a single plane, there is much evidence that about a thousand atomic diameters. More slip lines, which they all lie in a small region of the surface, though their rate of strain, the slip bands appear as clusters of lines about a hundred atomic diameters apart. The origin of slip lines, the reason for the clustering of the dislocations are discussed. The two conclusions used in the dislocation are the dislocation line and the second lattice site.

(1993) Most, N. F.
Dislocation in Crystalline Solids
Paper from Surveys in Mechanics, University Press, Cambridge (1953) 12-43
Attempts a broad, general survey of what has been achieved by the study of dislocations. Treats origin of slip lines, recovery, generation of dislocations and source boundaries, and stress required to move a dislocation. The strength of materials is discussed in terms of latest theoretical findings.

(1994) Most, N. F.
Discussion of Some Models of the Rate-Determining Process in Creep
Paper from Creep and Fracture of Metals at High Temperatures, Her Majesty's Stationery Office, London (1953) 17-21
Attempts to account for some of the facts of creep in terms of the movement of dislocations. Maintains that there are great difficulties in accepting the hypothesis of "climb" of dislocations, and that cell formation (impedimental) may occur through slip alone. In this case, the rate-determining process must be the slip, and it is suggested that the barrier of greatest importance is slip in screw dislocations. A stress-dependent activation energy for creep, which approaches that for self-diffusion at low stresses, results from this model.

(1995) Most, N. F.
Fracture in Metals
J Iron Steel Inst 123 (1954) 232-241
Discusses three types of fracture in metals, ductile, brittle, and fatigue, from the standpoint of the dislocation theory.

(1996) Most, N. F.
Theories of Fracture in Metals
Paper from Dislocation and Flow of Solids, Edited by R. G. Gamble, Springer-Verlag, Berlin (1954) 154-161
A brief discussion of fracture theories based on dislocations. A review of ductile and brittle fracture is included with a new theory of fatigue in polycrystalline metals. The formation of cracks is proposed to be due to the backward and forward movement of dislocations in a coarse slip line.

(1977) Mott, N. F. **Effect of Impurities on Dislocation Motion.** Paper from *Dislocation and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1975) 664-672. A mechanism by which impurities can impede dislocation motion, based on the assumption that stress concentrations will be strongly bound to precipitates, is proposed. It is shown that these are bound to the ends of the dislocation.

(1978) Mott, N. F. **Behavior of Metals Under Reversed Stresses.** Paper from *Dislocation and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1975) 684-692. A theoretical study of work hardening of metals, especially with reference to their behavior under cyclic stresses. A model is proposed which accounts for the Frank-Read sources responsible for slip flow, dislocation generation, dislocation of the opposite sign with consequent work softening when the stress is reversed. Model also gives explanation of the existence of dislocation climb and cross-slip. Frank-Read model of work hardening is extended to explain the formation of multiple slip bands. A theory for the formation of fatigue cracks is proposed.

(1979) Mott, N. F. **A Theory of the Origin of Fatigue Cracks.** *Acta Met.* 27 (1959) 194-197. A model based on the concept of a cross slip is given to explain how a slip band can develop into a crack in dislocations in the band are free to move backwards and forwards.

(1980) Mott, N. F., and Nabarro, F. R. N. **An Attempt to Estimate the Degree of Precipitation-Hardening, With a Simple Model.** *Proc. Phys. Soc. (London)* 75 (1980) 86-89. The internal strain resulting from the precipitation of spherical particles in an isotropic matrix is estimated. If the process of diffusion is assumed to result in a direct intergrowth of atoms, the strain depends only on the change in lattice volume and on the elastic properties of particles and matrix. The particle size and directly proportional to the precipitated volume.

(1981) Mott, N. F., and Nabarro, F. R. N. **Dislocation Theory and Transient Creep.** Paper from *Report of a Conference on Strength of Solids*, Phys. Soc., London (1981) 1-7. An explanation of yield and creep phenomena is developed in terms of the stresses required to set in motion a small number of dislocations which are constrained to move by not more than one atomic distance, in frames a smooth curve rather than a straight line. In developing the theory of creep, the new assumption is made that the early parts of the hardening curve are determined solely primarily at low temperatures and low stresses, as with Pb at -180 and -78°C. Slip in solid solutions is also briefly considered.

(1982) Mott, N. F., Averbach, B. L., and Cohen, M. **The Elastic Limit and Yield Behavior of Hardened Steels.** *Trans. ASM* 52 (1959) 280-299. A method of high strain sensitivity was used in investigating the elastic limit and initial yielding of heat-treated steels. It is possible to define the elastic limit as a significant property of the material by this method. Considerable plastic deformation is observed in previous yield point tests which displayed sharp yield points. Creep which initiates factors occur, the yield, tensile, and fracture strengths generally decrease with decreasing hardness as the tempering temperature is raised.

(1983) Mott, N. F. **The Stress-Dependence of the Spontaneous Initial Deformation of Face-Centered Cubic Metals (in German).** *Ann. Physik* 22 (1956) 141-145. The instantaneous deformation accompanying the application of load at the beginning of a creep test was studied as a function of applied stress for Ag and Au. When stress formed into initial yield and the maximum shear stress component from the applied load. The curve of spontaneous initial deformation strength for Ag and Au are approximately the same as with Au and Ag. The corresponding data for Cu and single crystal Al (see Nabarro and Mott, *J. Metall.*, 22 (1956) 161) and for Fe-Ni alloy (Phys. J., *Supplement* 10 (1956) 683) were closely agreeable to the master curve for Ag and Au. Data with adjustment of scales. Some data on creep rates of Ag and Au were also obtained.

(1984) Mott, N. F., and Nabarro, F. R. N. **The Mechanism of Spontaneous Initial Deformation (in German).** *Ann. Physik* 27 (1959) 197-202. Study of plastic deformation of Cu wire in the range of low shear stresses. The onset of spontaneous elongation is assumed to be functionally related to the temperature.

(1985) Nabarro, F. R. N. **Fundamental Concepts of Motion in the Solid State.** Paper from *Journal of Engineering Practice*, II (Academic Press, New York (1968) 1-17. Shows how the variations of the mechanical properties of solids, both in degree and kind, are closely related to the fundamental crystal structure.

(1986) Nabarro, F. R. N. **Grains Produced by Precipitation in Alloys.** *Proc. Roy. Soc. (London)* 276A (1964) 519-538. The process of precipitation in alloys is discussed with special reference to the strain produced. The strain energy is large, and if the lattice of the precipitate remains continuous with that of the matrix, the energy can be reduced by a factor of the order of 1/2 by change in the shape of the precipitated particles. If the lattice of the precipitate breaks away from that of the matrix, so that the stress in the precipitate takes the form of thin sheets, the strain energy tends to zero if the precipitate takes the form of thin sheets. The dynamics of the precipitation, and the surface energy of the precipitate encourage the formation of spherical particles, and by considering these effects a formula is deduced which represents the shape of the particles at any stage in their growth.

(1987) Nabarro, F. R. N. **The Mechanical Properties of Metallic Solid Solutions.** *Proc. Phys. Soc. (London)* 58 (1946) 649-676. The theoretical relation between lattice strains produced by precipitation in a metal and the corresponding increase in hardness is extended to lattice strains in metallic solid solutions. The elastic limit of a single crystal of a solid solution is calculated on the assumption that the crystal will slip when the applied external stress is equal to the mean value of the lattice strain solutions. The theory is extended to cases in which the increase of hardness is produced by alloying in a large combination with the hardness of the pure solvent.

(1988) Nabarro, F. R. N. **Dislocation in a Simple Cubic Lattice.** *Proc. Phys. Soc. (London)* 55 (1947) 256-272. Using a method of approximation due to Peierls, the properties of dislocations in a simple cubic lattice are calculated. The width of a dislocation is found to be small, and the shear stress required to move a dislocation in an otherwise perfect lattice (Peierls-Nabarro force) is shown to be of the order of the theoretical shear strength. Further properties, such as the energy of a dislocation, are also considered, and the results discussed in detail, particularly with reference to the relationship between the theoretical model and the actual crystal.

(1989) Nabarro, F. R. N. **Deformation of Crystals by the Motion of Single Lines.** Paper from *Report of a Conference on Strength of Solids*, Phys. Soc., London (1981) 75-95. A homogeneous stress exerts no force on a vacant lattice site or interstitial ion, and previous estimates of the rate of deformation of a solid due to the migration of lattice defects under stress must be rejected. Surface forces along the interface leads to a rate of creep dependent on the area of the specimen. The assumption of a matrix structure removes many of the difficulties, but interferences in the cannot be thus explained. Mechanisms of creep under simultaneous stress and their order of magnitude. Creep phenomena to be expected under neutron bombardment.

(1990) Nabarro, F. R. N. **Mechanical Effects of Carbon in Iron.** Paper from *Report of a Conference on Strength of Solids*, Phys. Soc., London (1981) 95-117. By combining the theories of Sinker and Cottrell with the usual theory of edge hardening it is possible to explain several mechanical effects as consequences of the presence of carbon in iron. The three mechanisms of dislocation precipitation hardening, the release of hydrostatic stresses around dislocations by local variations of C concentration, and the release of shear stresses by an interstitial with the phenomenon of quench aging, strain aging and delayed yielding, are discussed in agreement with experimental. The need for further experiments is emphasized.

(1991) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(1992) Nabarro, F. R. N. **Influence of Grain Boundaries on the Plastic Properties of Metals.** Article from *Some Recent Developments in Physical Metallurgy*, Butterworths, London (1960) 13-22. The various possible types of dislocation are defined and theoretical predictions made, including their interaction and behavior in motion. The importance of the mechanism for the generation of large numbers of dislocation loops proposed by Frank and Read to the theory of slip band formation is pointed out. The various dislocation models of a grain boundary are included in the discussion of the properties of large dislocations. The dependence of the thermal activation energy necessary for a crystal to creep, upon the applied stress, is considered for various types of dislocation models of the creep process. The theory of the properties of elastic dislocations is compared with that of dislocations in crystal lattices, and important differences are pointed out. Also discussed is the comparison of the theory of slip proposed by Frank and Read with the theory of dislocation theory of slip proposed by Peierls and Nabarro (Phys. J., *Supplement* 11 (1956) 11) and in relaxation. Finally, some aspects of dislocation theory which depend upon the particular crystal lattice are reviewed, including those phenomena which have been explained on the basis of dislocation theories.

(1993) Nabarro, F. R. N. **Deformation of Sodium Chloride Crystals.** Paper from *Dislocation and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1975) 214-237. The crystals were strained by compression and by the Bauschinger-type apparatus to see if the rate of shear hardening could be reduced by introducing slip on a single system. In order of increasing rate of shear hardening the deformation mechanisms were: Basal deformation and kinking, single slip, double slip, and quadruple slip.

(1994) Nabarro, F. R. N. **Theory of Dislocation Deforming.** Paper from *Dislocation and Mechanical Properties of Crystals*, John Wiley and Sons, Inc., New York (1975) 241-256. Several different mechanisms for the straightening of an annealing of a single crystal which has been plastically deformed. Analysis shows that the only mechanism of straightening which will explain the high and roughly uniform rate of the process of straightening is that of the motion of dislocations at interstitial line. The rate of evolution of vacant lattice sites from jog lines is estimated to be only a small fraction of the rate of dislocation climb. The dislocations are densely packed with jogs. Dislocation glide may account for the rapid initial recovery.

(1995) Nield, A. **The Influence of Time Upon Recovery - The Hyperbolic-Sine Creep Law.** Paper from *Contributions to the Mechanics of Solids* (S. Timoshenko, 6th Anniversary Volume) The Macmillan Company, New York (1938) 155-170. Discusses the mechanical theory of plastic deformation at low temperatures and the creep of metals at elevated temperatures. Gives examples of "equation of state" or work-hardening equation. The hyperbolic sine creep law is examined and agreement with experiment is shown.

(1996) Nield, A. **The Flow of Metals Under Various Stress Conditions.** *Proc. Inst. Mech. Eng.* (London) 122 (1917) 121-140. A mathematical treatment of the phenomena associated with the permanent deformation of metals. Engineering methods for dealing with finite strains are reviewed and certain new types of strains that offer possibilities for increasing the stress-strain relation required for the work are introduced. The creep of metals at elevated temperatures is mentioned. Experimental work carried out on the flow of Cu is described.

(1997) Nield, A. **Theory of Flow Fracture of Solids.** U. S. 1, 2nd Ed. McGraw-Hill Book Co., New York (1950) 572 pp. New chapters discuss the theories of simple and composite substances based on the types of strains - elastic, permanent, or a combination of both - based on the types of laws of dislocation production. Treatment includes metals

(1998) Nield, A. **Mathematical Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(1999) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2000) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2001) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2002) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2003) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2004) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2005) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2006) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2007) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2008) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2009) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2010) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2011) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2012) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2013) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2014) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2015) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2016) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2017) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2018) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2019) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2020) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2021) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2022) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2023) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2024) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

(2025) Nabarro, F. R. N. **The Dislocation Theory of Slip: Recent Developments in Britain.** *Metallography* 22 (1979) 205-206. Movement of dislocations, transient creep, multiple slip of dislocations, solid solutions and precipitation hardening, the dislocation climb, and stress relaxation, dislocations and dislocation systems.

[1120] Nichols, R. W.
The Hardness of Some Carbon and Low-Alloy Steels at Low Temperatures
J. Iron Steel Inst. 182 (1956) 348-351

In order to determine the effects of the temperature on various proposed relationships between hardness and tensile properties, tests were made of 118, 170, and 196 C. The CPT number was approximately proportional to the tensile stress at 95% strain throughout these tests. At all temperatures, stress-strain curves calculated from the ball hardness results showed good agreement over the range 4 to 80 strain with comparable curves obtained directly in tension tests.

[1121] Nield, D. J., and Quarrati, A. G.
Intergranular Cracking in Creep of Some Aluminum Alloys
J. Inst. Metals 25 (1957) 100-108

Two high-purity Al alloys containing 1 and 5.5 wt % Mn were studied. Constant-strain-rate method of deformation was employed. General theory of intergranular cracking is proposed.

[1122] Nikhara, T. P.
Determination of Creep Limit Accounting for the Plastic Properties of Materials (In Russian)
Tekhn. Nauch. Informatsion. Inst. Tekhnol. i Mashinostroen. 22 (1957) 181-197

Structurally acceptable deformation is based on introducing into calculations the characteristics of the first two periods of creep. The method permits a better utilization of materials and prevents failure caused by the relaxation of their plasticity.

[1123] Nixson, L. P.
Relation Between Deformation and Time During the Second Period of Creep (In Russian)
Tekhn. Nauch. Informatsion. Inst. Tekhnol. i Mashinostroen. 22 (1957) 175-184

Analysis of the properties of the 2nd period of creep for different materials gave the relation in the first approximation as $\dot{\epsilon} = (k_1/\sigma)^{n_2} \exp(-Q/RT)$, where $\dot{\epsilon}$ is the rate of creep, σ is the stress, Q is the activation energy, R is the gas constant, and T is the absolute temperature. The Q characterizes the stability of the plastic state. The relation permits the determination of the amount of available plasticity and the permissible useful life at a given creep rate.

[1124] Nikhara, T. M., and Imasaka, I. S.
Determination of Characteristic Temperatures and Distortions of the Lattice in Several High-Melting Metallic Compounds and Their Solid Solutions (In Russian)
Izvest. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 22 (1956) 431-435

Strength of interatomic bond in crystal lattice of TiC. Relation of crystal-lattice distortions, diffusion and microhardness to composition of Co-Al and Ni-Al.

[1125] Nikhara, T., Taira, S., and Tanaka, K.
Creep of Mild Steel
Tech. Rep. No. 32, Eng. Research Lab., Kyoto Univ. 2 (August 1954) 99-125

Creep behavior was studied under constant tensile stress. By the rheological analysis of the creep strain, a formula which represents stress-strain-time relation is introduced. By using the formula, tension test results, relaxation curve, and creep test results under combined stress are interpreted with the data of tension creep test. In the case of creep under constant stress, the experimental results obtained concerning the relation of $\ln(\sigma/\sigma_0)$ to $\ln(t/t_0)$, where σ_0 is σ_0 , t_0 is t_0 , and σ and t are constant.

[1126] Nikhara, T., Taira, S., Tanaka, K., and Koterayama, R.
Investigation on the Dynamic Creep Rupture of Materials (In English)
Proc. Sixth Japan. Natl. Congr. Appl. Mech. (1957) 221-224

Analysis of stress-strain diagram of dynamic creep rupture on basis of plasticity theory and fracture of low-stress at elevated temperature under alternating stress.

[1127] Nikhara, T., Taira, S., Tanaka, K., and Onami, M.
Primary Creep of Mild Steel (In Japanese)
Trans. Japan Soc. Mech. Engrs. 22 (1957) 154-159

An empirical formula is introduced concerning the relation between transient creep rate, stress, and temperature.

[1110] Nishimura, H., and Takemura, J. J.
Role of Dislocation Bands in the Plastic Deformation of Metallic Single Crystals (In English)
Tech. Rep. Eng. Res. Inst. Kyoto Univ. 2 (1954) 139-149

The tensile deformation of single crystals of Al and Cu was studied experimentally, and the results are used in discussion: (1) the part played by crystallographic orientation in the development of deformation bands, (2) the origin of dislocation bands, (3) the plastic deformation of inhomogeneous crystal within a deformed single crystal, (4) the correlation between the development of deformation bands and crystal twisting during plastic extension, and (5) the stress-strain curve of oriented single crystals in various stages of deformation.

[1111] Nagai, T. S., and Koehler, J. S.
Electron Microscopy of Aluminum Crystals Deformed at Various Temperatures
J. Appl. Phys. 28 (1957) 53-62

Al single crystals grown from the melt, and by strain and anneal, were deformed in tension at 4, 78, and 295 K. Information at 4, 2 K, observed by electron microscopy, produced fine slip and gave rise to a linear stress-strain curve. At 78 K, deformation resulted in a very slow development of slip-band structure, but the majority of the strain was produced by fine slip, deformation produced a prominent slip-band structure, and a uniformly distributed dislocation structure, and gave rise to a parabolic stress-strain curve. The stress-strain curve was orientation dependent at all temperatures.

[1112] Nagai, T. S., and Koehler, J. S.
Observation on Slip in Aluminum
Paper from Dislocations and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1957) 708-714

Deformation of pure Al was performed at 4, 78, and 295 K. At 4 K, the curve above 0.1 shear strain is approximately straight; at 78 K, the curve begins to show stage III; at 295 K, the entire region seems to be in stage III of work hardening.

[1113] Nowicki, A. S., and Machin, E. S.
Quantitative Treatment of the Creep of Metals by Dislocation and Rate-Process Theories
NACA Rep. No. 845 (1946) 10 pp.

An equation for the steady-state rate of creep is derived by applying the theory of rate processes and dislocations to the creep of pure metals. The form of this equation is in agreement with empirical equations describing creep rates. The theory was also used to predict the dependence of steady-state rate of creep on the physical constants. Good agreement with data in the literature for pure annealed metal was obtained.

[1114] Nowicki, A. S., and Machin, E. S.
Dislocation Theory as Applied to the Creep of Metals
J. Appl. Phys. 18 (1947) 79-87

An equation for steady-state creep rate in terms of a specific dislocation mechanism in which the generation of dislocations is assumed to be a rate process. The theory provides a specific process for the formation of a dislocation and a simple law for the rate of generation of dislocations for a single generating source, which is assumed to be a single mosaic block. The tensile creep rate is taken as approximately equal to $\dot{\epsilon}$, and the rate of generation of positive and negative dislocations (\dot{N}_+ and \dot{N}_-) is calculated in terms of the formation process, regarding the "rate process" in which an activated complex, produced by thermal fluctuations, surmounts an energy barrier to produce the dislocation. Subject to several assumptions, an equation for the steady creep rate is calculated, and compared with the experimental results.

[1115] Nowinski, H., and Reichel, H.
Contribution to the Problem of Bonding in Solids
Powder Met. Bull. 2 (1954) 130-133

Effect of chemical bonding on X-ray spectra was used to determine the bonding character in different alloys. X-ray emission as well as absorption spectra can serve for this purpose.

[1116] Nuding, P. G.
A Study of Elastic Viscous Deformation
Proc. ASTM 21 (1921) 1141-1151

A new relation between stress, σ , strain, ϵ , and time, t , is obtained: $\sigma = a \exp(-bt)$, where a , b , and m are constants. This is of such generality as to include as special cases the relations ordinarily assumed to hold for elastic solids ($b = 0$ and $m = 1$) and for viscous fluids ($b = 1$ and $m = 1$).

[1117] Nuding, P. G.
Deformation in Relation to Time, Pressure, and Temperature
J. Franklin Inst. 241 (1946) 449-458

Linear logarithmic relations between deformation, temperature, and pressure have been derived from the following equations: for creep, $\dot{\epsilon} = A \exp(-Q/RT) \exp(-\sigma/\sigma_0)$, where $\dot{\epsilon}$ is the rate of creep, Q is the activation energy, R is the gas constant, T is the absolute temperature, σ is the stress, and σ_0 is a constant. For plastic deformation, $\sigma = B \exp(-\sigma_0/\sigma) \exp(-Q/RT)$, where σ is the stress, B is a constant, Q is the activation energy, R is the gas constant, T is the absolute temperature, and σ_0 is a constant. The derived equations are in agreement with experimental data on the creep of metals and alloys.

[1118] Ohng, I. A.
The Creep of Metals (In Russian)
Zhurn. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 12 (1954) 182-201

Literature survey regarding the creep of metals.

[1119] Ohng, I. A.
Interpretation of the Coefficient of Strength of Metals (In Russian)
Izvest. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 22 (1956) 171-179

It is assumed to be a composite value composed of modulus of elasticity and coefficient of plasticity.

[1120] Ohng, I. A.
The Role of "Dislocations" in the Process of Creep (In Russian)
Izvest. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 22 (1956) 179-182

Analysis of plastic deformation by means of dislocation theory. Application of this theory to the study of creep. Creep curves are explained on the basis of the theory of dislocations. Description of an additional mechanism of work hardening caused by "dislocation" of the strength of metals.

[1121] Ohng, I. A.
Relaxation and Creep of Metals Considering Non-uniform Distribution of Stress (In Russian)
Izvest. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 22 (1956) 156-159

Investigation assumed that plastic deformation proceeds by means of diffusion plasticity in the initial sections of the curves of creep and relaxation, and the endurance for metals between 300-700°C are given. The values of the coefficients for various types of metals were within wide limits. The plasticity increases according to Equation (2) characterizes both the capacity of the metal to resist deformation and the duration of its life. Therefore, it is expedient to choose the amount of strength for machine parts under creep conditions according to the value σ_0 . For steel, authors consider the best combination of characteristics of creep and endurance one in which the value of σ_0 exceeds the value of the permissible deformation ϵ or ϵ_{lim} .

[1122] Ohng, I. A., and Svanova, V. S.
Biphenomenon of the First Relaxation (In Russian)
Tekhn. Nauch. Informatsion. Inst. Tekhnol. i Mashinostroen. 22 (1957) 21-22

Biphenomenon of creep limit, rupture strength, and plasticity reserve. Discusses Larson-Miller parameter and offers a new equation for extrapolation of stress-time dependence in long-time creep tests. The main task of the first relaxation theory is to establish a relationship between the above criteria and to determine the interdependence of these criteria.

[1123] Ohng, I. A., and Svanova, V. S.
Process of Metal Deformation During Creep (In Russian)
Doklady Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 122 (1957) 166-169

A new interpretation of the process which begins from diffusion of vacancies into "nodules" of microvoids, transformation of microvoids into microcracks and continuous growth of microvoids resulting in creep.

[1124] Ohng, I. A., and Svanova, V. S.
Generalized Diagram of Creep Criteria Plotted in the Light of the New Relations Among Stress, Creep Rate, and Life of the Metal (In Russian)
Izv. Vsesoyuz. Nauch. Issled. Inst. Mashinostroen. 12 (1957) 25-29

Long-time creep behavior is better expressed by the equation $\dot{\epsilon} = B \exp(-Q/RT) \exp(-\sigma/\sigma_0)$, where $\dot{\epsilon}$ is the rate of creep, Q is the activation energy, R is the gas constant, T is the absolute temperature, σ is the stress, and σ_0 is a constant. This is of such generality as to include as special cases the relations ordinarily assumed to hold for elastic solids ($b = 0$ and $m = 1$) and for viscous fluids ($b = 1$ and $m = 1$).

[1125] Ohng, I. A., and Svanova, V. S.
The Process of Deformation in Metals During Creep (In German)
Verlag der Deutschen Physikalischen Gesellschaft, Berlin (1956) 208-213

The concept of defects in the crystal lattice and the role of dislocations are treated in problems of its strength. Expressions are derived, based on comparison of vacancies into microvoids that agree with experimental results.

[1131] Ohng, I. A., and Svanova, V. S.
The Third Period of Stress Relaxation Curve
Zhurn. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 12 (1954) 81-84

General discussion of relaxation of a third period of stress relaxation under a well-established third period of creep.

[1132] Ohng, I. A., and Svanova, V. S.
Investigation of Local Plastic Deformation Under Tension (In Russian)
Izvest. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 22 (1956) 94-105

Distribution of plastic deformation along a tensile specimen was investigated by X-ray. Local deformation increased with an increase of total deformation.

[1133] Ohng, I. A., and Svanova, V. S.
Some Characteristics of Influence Plasticity on the Relaxation of Stress in Metals (In Russian)
Izvest. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 22 (1956) 81-90

The relaxation of stresses in metals takes place as a result of diffusion processes for various elements at stress grain boundaries within the first few hours of life. From the moment of application of stress and mechanical processes, relaxation and tearing of metal which contribute to the relaxation of stresses for a very long time from the moment of their application. The experimentally determined relations between the coefficient of intergranular stability and temperature for various metals is in agreement with the equation derived by assuming the diffusive character of plastic deformation in the first stage of relaxation. This relation can easily be observed by phase changes, $\sigma = \sigma_0 \exp(-\sigma/\sigma_0)$.

[1134] Ohng, I. A., and Svanova, V. S.
Analysis and Application of Certain Creep Criteria (In Russian)
Dokl. Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 122 (1957) 162-166

Starting from the known approximate relationships $\dot{\epsilon} = A \exp(-Q/RT) \exp(-\sigma/\sigma_0)$, where $\dot{\epsilon}$ is the rate of creep, Q is the activation energy, R is the gas constant, T is the absolute temperature, σ is the stress, and σ_0 is a constant. The main task of the first relaxation theory is to establish a relationship between the above criteria and to determine the interdependence of these criteria.

[1135] Ohng, I. A., and Svanova, V. S.
Process of Metal Deformation During Creep (In Russian)
Doklady Akad. Nauk S.S.S.R. Ser. Fiz. Khim. 122 (1957) 166-169

A new interpretation of the process which begins from diffusion of vacancies into "nodules" of microvoids, transformation of microvoids into microcracks and continuous growth of microvoids resulting in creep.

[1136] Ohng, I. A., and Svanova, V. S.
Generalized Diagram of Creep Criteria Plotted in the Light of the New Relations Among Stress, Creep Rate, and Life of the Metal (In Russian)
Izv. Vsesoyuz. Nauch. Issled. Inst. Mashinostroen. 12 (1957) 25-29

Long-time creep behavior is better expressed by the equation $\dot{\epsilon} = B \exp(-Q/RT) \exp(-\sigma/\sigma_0)$, where $\dot{\epsilon}$ is the rate of creep, Q is the activation energy, R is the gas constant, T is the absolute temperature, σ is the stress, and σ_0 is a constant. This is of such generality as to include as special cases the relations ordinarily assumed to hold for elastic solids ($b = 0$ and $m = 1$) and for viscous fluids ($b = 1$ and $m = 1$).

[1137] Ohng, I. A., and Svanova, V. S.
The Process of Deformation in Metals During Creep (In German)
Verlag der Deutschen Physikalischen Gesellschaft, Berlin (1956) 208-213

The concept of defects in the crystal lattice and the role of dislocations are treated in problems of its strength. Expressions are derived, based on comparison of vacancies into microvoids that agree with experimental results.

(1149) Oling, I. A., Sorokh, O. V., and Saranov, N. B.
Relation Between Phenomena of Creep and Stress Relaxation in Metals (in Russian)
Doklady Akad. Nauk S.S.S.R. 22 (1958) 548-550
Tests for creep and relaxation of austenitic-chromic-nickel steel after three separate heat treatments.

(1150) Odqvist, F. G. G.
Recent Advances in Theories of Creep in Engineering Materials.
Appl. Mechanics Revs 2 (1958) 512-519
References to theoretical treatment of primary, secondary, and tertiary creep in terms of engineering mechanics. Analytical expressions are derived for the creep curve. Secondary creep is given by equation $\dot{\epsilon} = \dot{\epsilon}_0 \exp(-\dot{\epsilon} t / \epsilon_0)$ where $\dot{\epsilon}_0$ is a function of temperature, ϵ_0 is a function of temperature and strain rate, and ϵ_0 is a function of temperature and strain rate.

(1151) Odqvist, F. G. G.
Engineering Theory of Hot-Short Creep
Paper in Symposium on Plasticity and Creep (London, 1958)
References to the theoretical treatment of primary, secondary, and tertiary creep in terms of engineering mechanics. Analytical expressions are derived for the creep curve. Secondary creep is given by equation $\dot{\epsilon} = \dot{\epsilon}_0 \exp(-\dot{\epsilon} t / \epsilon_0)$ where $\dot{\epsilon}_0$ is a function of temperature, ϵ_0 is a function of temperature and strain rate, and ϵ_0 is a function of temperature and strain rate.

(1152) Okada, J.
Creep of Oxygen-Free High-Conductivity Copper. I. Experimental Results and Microstructural Aspect. II. Mechanical Properties of Creep (in English)
Nippon Kinzoku Gakkaishi 22 (1958) 106-108
I. Creep properties of OFHC Cu and six dilute Cu-Al alloys were studied in a creep apparatus at constant tensile stress in the temperature range 150-300°C. Secondary crystallized specimens had a higher creep rate than primary crystallized specimens. Recrystallized specimens had a higher initial extension and a lower creep rate after secondary recrystallization, a specimen showed a high creep rate. The presence of Al increases the resistance of Cu to creep. Secondary crystallized and cold-worked samples had higher creep rates than primary crystallized samples. Microstructure of the specimens used are shown. II. The data obtained are analyzed by using the equation $\dot{\epsilon} = \dot{\epsilon}_0 \exp(-\dot{\epsilon} t / \epsilon_0)$ being temperature and strain rate, and ϵ_0 is a function of temperature and strain rate.

(1153) Okada, M., and Fujita, H.
On the Fracture of Aluminum Polycrystals (in English)
Osaka Univ. Tech. Rep. 5 (1958) 329-341
Mechanism of fracture studied in terms of the stress rate (loading speed) and the structure in each slip band. The rate of strain hardening, the number of strain hardening, the heterogeneity of deformation in shear zone, the rate of strain hardening, the rate of fragmentation, the necking stress and the homogeneity of deformation all over the specimen are investigated.

(1154) Olderidge, J. G.
On the Formulation of Rheological Equations of State
Proc. Roy. Soc. (London) 232 (1956) 523-541
The invariant forms of rheological equations of state for a homogeneous continuum, suitable for application to all conditions of motion and strain, are derived. The "right" invariant forms are those which are invariant under the frame of reference in a corotational system connected with the material, and it is necessary to transform to a fixed frame of reference in order to derive the equations of state simultaneously with the equations of motion to solve motion. An illustration is given of the process of formulating equations of state suitable for universal application, based on non-invariant equations of state and materials whose properties depend on previous rheological history, are included within the scope of the paper.

(1155) Olds, G. E.
Creep Curve for a Precipitation-Hardened Alloy
Nature 125 (1955) 999
Creep at various temperatures of a polycrystalline precipitation hardened Cu-35 Ag alloy has been used to give a wide-spread structure of maximum hardness and stability. Three mechanisms of creep are distinguished, depending on the test temperature.

(1156) Olds, G. E.
Mechanisms of Creep in a Precipitation-Hardened Alloy
Proc. Phys. Soc. (London) 72 (1958) 832-842
The transient creep of a Cu-15 Ag alloy was measured over the temperature range 100-300°C. Under constant stress and $\dot{\epsilon}$ of 10⁻⁶ sec⁻¹, the alloy which possessed a high dislocation density, a wide-spread structure, obeyed the law $\dot{\epsilon} = \dot{\epsilon}_0 \exp(-\dot{\epsilon} t / \epsilon_0)$ but at higher temperatures (200 and 300°C), a new component appeared, giving $\dot{\epsilon} = \dot{\epsilon}_0 \exp(-\dot{\epsilon} t / \epsilon_0) + \dot{\epsilon}_1 \exp(-\dot{\epsilon}_1 t / \epsilon_1)$ at higher temperatures, the $\dot{\epsilon}_1$ term is dominant and the $\dot{\epsilon}_0$ term negligible. The values of the transient creep constants $\dot{\epsilon}_0$ and $\dot{\epsilon}_1$ and the corresponding form variables, termed the results are compared with those of Yip (1957). Olds (1958) 409, and Olds, A., and Yip, J. terms related to possible deformation processes.

(1157) Olds, J. H.
The Hardness of Metals in Relation to Atomic Structure
Metallurgie 27 (1938) 214-227
The hardness of metals is related to their atomic structure, particularly to the distribution of dislocations. The hardness of metals is related to their atomic structure, particularly to the distribution of dislocations. The hardness of metals is related to their atomic structure, particularly to the distribution of dislocations.

(1158) Olds, J. H.
Mechanism of Deformation in Face-Centered Cubic Crystals
J. Phys. Soc. Japan 12 (1957) 828
A mechanism is suggested to explain the apparent non-linear (111) as a function of strain, observed in Cu at low temperatures. This is referred to as the Griffith-Lomer process.

(1159) Olds, J. H.
A Quantitative Analysis of the Griffith-Lomer Transition in Body-Centered Cubic Single Crystals
Trans. AIME 197 (1958) 1458-1464
The law of critical normal stress for cleavage and critical shear stress for slip are applied to explain the formation and temperature dependence of the ductile-brittle transition in bcc metals. It is found that while a certain pressure range, single crystals (even twinning) will cleave or slip, depending on their orientation. Some data recently appearing in the literature are analyzed from this standpoint.

(1160) Olds, J. H., and Simonschewski, R.
Observing Phenomena in Solid Solution
Phys. Rev. 127 (1956) 313
The fundamental principles of the phenomena, especially as applied to metallic solid solutions, and particularly to Ag-Cu alloys. Observed stress-strain curves are analyzed on a theoretical basis, and it is stated that other metallic solutions of Ag in the mechanism of deformation of alpha-Fe, and the presence of alpha-Fe in alpha-Fe.

(1161) Olds, J. H., and Simonschewski, R.
The Crystallographic Aspect of Slip in Body-Centered Cubic Single Crystals
I. Theoretical Considerations
J. Appl. Phys. 27 (1956) 1380-1388
The mechanism of slip in bcc lattices is considered in terms of the relation between the orientation of the tensile axis and the active slip system. An expression is derived for the resolved shear stress for a crystal with a tensile axis in a particular position to the unit slip system. This is applied to the observed systems of bcc metals. The results of varying the ratios of critical resolved shear stresses to the shear stresses are discussed, and it is shown how these ratios may be simply derived by using the tension, a series of critical slip orientations at different points along the [111] - [111] line and finding where the change-over from one slip plane to another occurs.

(1162) Olds, J. H., and Simonschewski, R.
The Crystallographic Aspect of Slip in Body-Centered Cubic Single Crystals
II. Interpretation of Experiment
J. Appl. Phys. 27 (1956) 1484-1492
A new method for determining the ratio of critical shear stresses was applied to data taken from the tension to yield results. Measurements of yield strength were found to be not too satisfactory for the investigation of the slip behavior of bcc materials. On the other hand, any method which determines the slip plane and the orientation of the tensile axis gave results.

(1163) Olds, E.
On Crystal Plasticity. I. Low-Temperature Plasticity and Becker's Formula for Creep
Z. Physik 82 (1930) 605-613
The formula by R. Becker for the flow rate of single crystals yields a temperature-dependence of the yield point, which is in quantitative agreement with the theory of Griffith for the low-temperature shear strength due to the effect of small material defects, and Becker's thermal activation theory of plastic flow, mutually supplement each other. Crystal plasticity occurs essentially through the cooperation of material defects and thermal stress fluctuations.

(1164) Orvasik, E.
On Crystal Plasticity. II. The Dynamic Conception of Crystal Plasticity (in German)
Z. Physik 82 (1930) 614-633
The usual "static" conception of crystal plasticity which - proceeding from the mechanical tension curve - regards the shear stress as a definite function of the shear, is unable to describe without contradiction the flow phenomena and other time effects of plastic deformation. In order to explain flow as a "recovery flow", recovery rates, $\dot{\epsilon}$, were necessary which are related to the shear rate by the equation $\dot{\epsilon} = \dot{\epsilon}_0 \exp(-\dot{\epsilon} t / \epsilon_0)$, which views the glide rate as a definite function of the shear stress, and which belongs to Becker's theory, allows a satisfactory description of the available facts. Also, it shows without further assumptions, that the steep part of the initial portion of the stress-strain curve can be an apparent strengthening, just as the observable lowering of the yield point after a short-time strengthening of the test can be an apparent recovery, which is attained through the kind of test method employed.

(1165) Orvasik, E.
On Crystal Plasticity. III. About the Mechanism of the Glide Process (in German)
Z. Physik 82 (1930) 634-650
Through suitable preparations of Zn crystals, their tension curve can be converted into one of irregular shape, thereby it often occurs that a tension curve obtained after a short anneal recovery is contrary to the previous ideas on strengthening and recovery - begins at higher stress or also proceeds to a higher stress than the highest stress of the previous tension curve. This phenomenon, like the irregular elongation in general, depends on the difficulty of formation of the first "local glide". It resembles the difficulty of nucleus formation in phase transition, since the introduction of the highest glide process as an avalanche-type accelerated glide. In one case the well-reproduced yield point, without the trace of observable strengthening on the formation and propagation of the glide process as well as on the relation of the macroscopic glide to the physically uniform "elementary" glide processes. Finally, a summary of the new conception of crystal plasticity is given.

(1166) Orvasik, E.
Discussion on Plastic Flow in Metals
Proc. Roy. Soc. (London) 128 (1930) 397
Discusses the rate of plastic flow as a function of temperature and of the energy barrier. He concludes that on applying a load, gliding starts at gliding with a high local stress (primary creep), becomes increasingly checked by the mutual hindrance of the crystal grains, by the interference of different sets of active glide planes, and in a smaller extent by the dislocation of the lattice in the glide zone. Finally, plastic deformation can only proceed according to the rate at which these obstacles are removed by atomic rearrangement (secondary creep).

(1167) Orvasik, E.
Discussion on Plastic Flow in Metals
Proc. Roy. Soc. (London) 128 (1930) 397
Discusses the rate of plastic flow as a function of temperature and of the energy barrier. He concludes that on applying a load, gliding starts at gliding with a high local stress (primary creep), becomes increasingly checked by the mutual hindrance of the crystal grains, by the interference of different sets of active glide planes, and in a smaller extent by the dislocation of the lattice in the glide zone. Finally, plastic deformation can only proceed according to the rate at which these obstacles are removed by atomic rearrangement (secondary creep).

(1168) Orvasik, E.
Discussion on Plastic Flow in Metals
Proc. Roy. Soc. (London) 128 (1930) 397
Discusses the rate of plastic flow as a function of temperature and of the energy barrier. He concludes that on applying a load, gliding starts at gliding with a high local stress (primary creep), becomes increasingly checked by the mutual hindrance of the crystal grains, by the interference of different sets of active glide planes, and in a smaller extent by the dislocation of the lattice in the glide zone. Finally, plastic deformation can only proceed according to the rate at which these obstacles are removed by atomic rearrangement (secondary creep).

(1169) Orvasik, E.
Discussion on Plastic Flow in Metals
Proc. Roy. Soc. (London) 128 (1930) 397
Discusses the rate of plastic flow as a function of temperature and of the energy barrier. He concludes that on applying a load, gliding starts at gliding with a high local stress (primary creep), becomes increasingly checked by the mutual hindrance of the crystal grains, by the interference of different sets of active glide planes, and in a smaller extent by the dislocation of the lattice in the glide zone. Finally, plastic deformation can only proceed according to the rate at which these obstacles are removed by atomic rearrangement (secondary creep).

(1170) Orvasik, E.
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(1171) Orvasik, E.
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(1174) Orvasik, E.
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(1175) Orvasik, E.
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(1176) Orvasik, E.
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(1177) Orvasik, E.
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(1182) Orvasik, E.
Discussion on Plastic Flow in Metals
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(1183) Orvasik, E.
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(1184) Orvasik, E.
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(1185) Orvasik, E.
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(1188) Orvasik, E.
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(1189) Orvasik, E.
Discussion on Plastic Flow in Metals
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(1190) Orvasik, E.
Discussion on Plastic Flow in Metals
Proc. Roy. Soc. (London) 128 (1930) 397
Discusses the rate of plastic flow as a function of temperature and of the energy barrier. He concludes that on applying a load, gliding starts at gliding with a high local stress (primary creep), becomes increasingly checked by the mutual hindrance of the crystal grains, by the interference of different sets of active glide planes, and in a smaller extent by the dislocation of the lattice in the glide zone. Finally, plastic deformation can only proceed according to the rate at which these obstacles are removed by atomic rearrangement (secondary creep).

(1188) Orowan, E.
 Creep in Metallic and Non-Metallic Materials
 Paper from Proceedings of the First U.S. National Congress of Applied Mechanics 1950 95-112
 Survey of creep phenomena. Viscous, elastic, and plastic creep are covered as well as the calculation of stress and strain fields in bodies under creep conditions. Discusses the validity of the mechanical equation of state and points out the limitations of the relaxation theory of transient creep.

(1189) Orowan, E.
 Fundamentals of Brittle Behavior in Metals
 Paper from Fatigue and Fracture of Metals, Mass. Inst. Technol., Cambridge, Massachusetts 1954 139-162
 After review of the classical theory of notch brittleness, it is suggested that brittle fracture with spontaneous crack propagation can be derived from the Griffith fracture condition by replacing surface energy by the plastic work of work area of fracture surface localized in a surface layer. The critical crack stress during the test is a function of the notch tip. Brittle fracture occurs at a much lower stress, if the notch tip is rounded a longer sharp crack. If the crack is many times longer, the brittle fracture may need no plastic constraint, and can occur without substantial plastic deformation. The transition temperature of a structure may be lower than that of a Charpy specimen or higher than that of a wide-plait specimen, according to the notch and crack present.

(1190) Orowan, E.
 Discussion of "Mechanical Strength and Creep in Metals" by N. F. Motz
 Paper from Imperfections in Metals, Perfect Crystals, John Wiley and Sons, Inc., New York 1954 101-116
 Refers Motz's "relaxation theory" of creep. Quotes the experimental results of Dusek and Thompson [Proc. Phys. Soc. B69 (1958) 442] which show a deviation of 10^4 to 10^5 times the theoretical result using "relaxation" experiments. Presents a model of transient creep that conforms to experiment.

(1191) Orowan, E.
 Dislocations and Mechanical Properties
 Paper from Dislocations in Metals, Edited by M. Cohen, Am. Inst. Mining and Metall. Eng., New York 1954 65-95
 The historical development of dislocation theory is presented, including attempts to relate mechanical properties to other than dislocation theories. Discussed in detail are (1) the mechanism of dislocation movement, (2) effects of dislocations, (3) multiplication processes, and (4) mechanical properties of metals which can be treated by dislocation theory.

(1192) Orowan, E.
 Energy Criteria of Fracture
 Welding J., Welding Research Suppl. 26 (1959) 157a - 162a
 It is shown that, for fully brittle materials, the Griffith equation represents a necessary and sufficient condition of tensile fracture. The surface fast crack propagation in low- T_c steels in order to initiate and accelerate a cleavage crack under static loads, however, is an additional condition (i.e., one demanding a certain initial plastic deformation must be fulfilled). The Griffith energy principle from which the Griffith equation is derived cannot be applied to ductile fracture, except when the plastic deformation is confined to a thin layer of material at the surface of fracture.

(1193) Orowan, E.
 Strength and Failure of Materials
 Chapter 1, of Design of Pipe Systems, 2nd Edition, M. W. Kellogg Company, John Wiley and Sons, Inc., New York 1954 1-29
 A thorough review and analysis of ductile and unstable deformation and plastic deformation, creep, fracture, and fatigue are treated.

(1194) Orowan, E.
 Origin of Internal Stresses
 Paper from Symposium on Internal Stresses and Fatigue in Metals, GM Research Lab., Detroit (September 1958)
 Internal stresses are present in a body if some part of it is constrained by its surroundings into a shape from which it was separated from the rest of the body. Internal stresses arise (1) by a nonuniform expansion or contraction, (2) after distribution of mechanical, chemical, or thermal energy or (3) by "welding" into a gap or cavity an object that is too large or small for it, or by displacing the walls of the gap or

cavity irregularly before welding them to the inner or to each other ("distortion"). It is well to distinguish local stresses from microstresses. The former would arise even in a body of perfectly homogeneous material by a given mechanical, thermal, or chemical treatment; the latter result from microstructural inhomogeneities (grain structure of metals, heterogeneity, inhomogeneity or slip, etc.). Some typical mechanisms by which internal stresses may arise were discussed.

(1195) Orowan, E., and Parker, E. H.
 Notes from Research Outline, Report of Sub-Panel on Basic Research, August 21, 1954, Inst. for Study of Metals, Chicago
 III Mechanical Properties
 The principles underlying the deformability, strength, and fracture of metals at elevated temperatures do not basically differ at high temperatures from those at low temperatures. Diffusion processes become relatively more important as temperatures near the melting point of a given material are approached. Despite the enormous amount of work that has been done on creep, no basic laws can be considered. Work is badly needed on all of the following topics, carried out on a wide range of simple metallic materials with the only point of view that they should be made likely to reveal the selected facts.
 A Strength
 1. Brittle fracture, including notch brittleness, stresses and fracture due to thermal shock and transformation.
 2. Ductile fracture, including fibrous, ductile cleavage, and intergranular creep fracture.
 3. Fatigue (static and cyclic) with and without chemical action. At high temperatures one assumes cyclic fatigue exists (i.e., fracture dependent on number of cycles only) or is static fatigue dominant (i.e., depends on duration of load independent of time/temperature)?
 B Deformation
 1. Elastic deformation and inelastic phenomena, and based on plastic or viscous deformation.
 2. Viscous deformation and creep. Studies of creep rate on pure materials and simple solid solutions, particularly aimed at showing relative significance and interrelation of yield stress, strain rate, surface distribution, loading, precipitation hardening. Primary, secondary, and tertiary creep rates. The rate of second phase and concentration gradients, for pure metals and for alloys, the temperature limit, if stable crystals of average orientation creep faster than the strain and age-hardening distribution. Relationship between grain boundary creep rate and the time to creep fracture within the viscous creep, solution and precipitation hardening. Influence of grain slip and twinning on deformation of high-melting materials, work hardening and annealing.
 (1196) Orr, R. L., Sherby, O. D., and Dorn, J. E.
 Correlation of Rupture Data for Metals at Elevated Temperatures
 Trans. ASM 82 (1954) 113-128
 A correlation between time to rupture, applied stress, and testing temperature in terms of the fundamental properties of a number of metals. The time to rupture, t_r , in the time to rupture, and $\dot{\epsilon}$, the activation energy for metal high-temperature alloys. It is shown for a given metal and independent of stress, temperature, and deformation rate. For relatively pure metals, t_r is believed to equal the activation energy for creep and self-diffusion.

(1197) Orowan, K. A.
 Basic Principles for Development of Heat-Resistant Alloys (In Russian)
 Doklady Akad. Nauk S.S.S.R. 61 no. 1 (1948) 135-138 (Battelle Translation No. 48528)
 Describes a new method for prediction of heat resistance of alloys. Data obtained from curves of density of electronic state and characteristic stress of each component give clues for such predictions. The explanation of the NBE curve.

(1198) Orowan, K. A.
 The Relation Between the Melting Temperature and the High-Temperature Strength of Alloys (In Russian)
 Doklady Akad. Nauk S.S.S.R. 61 no. 1 (1948) 71-74 (Battelle Translation No. 48517)
 Series of specimens were made up from Fe-Cr, Fe-Ni, Cu-Ni, and Ni-Ni alloys and were centrifuged to a stress level of 1000 kg/cm². The amount of creep for deformation of the specimen shows an increased creep strength in alloys with the higher melting point, except for a sharp break in the curve near Fe-Cr. It is held that the same binding forces are responsible for both the mechanical strength and for the resistance of the alloy to melting.



(1197) Orowan, K. A.
 Factors in the High-Temperature Strength of Heterogeneous Metallic Alloys (In Russian)
 Doklady Akad. Nauk S.S.S.R. 62 no. 1 (1948) 411-414 (Battelle Translation No. 48514)
 The high-temperature strength of heterogeneous alloys is sometimes less, or sometimes more, than that of the single-phase alloys. Consider these factors which promote stresses in the transition zone at the grain boundary and tend to increase the plasticity of alloys. At temperatures of marked diffusion ($0.4 - 0.6 T_m$), the heterogeneity of alloys in a cyclic system should reduce the high-temperature strength in a system with a plasticity, heterogeneous alloys should have greater high-temperature strength than the phase with lower melting point and less than the phase with higher melting point.

(1198) Orowan, K. A.
 Mechanism of Plasticity of Homogeneous Metallic Alloys at High Temperatures (In Russian)
 Izvest. Akad. Nauk S.S.S.R. (September 1949) 1172-1177
 From theoretical considerations and experimental results, concludes that the cause of inhomogeneity of distribution of alloying elements in solid solution of metals is one of the most significant factors in plastic deformation. This inhomogeneity is produced by the diffusion of dissolved atoms into preferred planes and in the direction of the applied stress. In the extreme case a new phase may result. It is to be expected that those alloys in which the solubility of the alloying element changes little with rate of temperature will be most resistant to plastic deformation. The resistance to plastic deformation is proportional to the specific energy required for the formation of a new phase which is not at a given temperature according to the phase diagram.

(1199) Orowan, K. A.
 An Analytical Expression Relating the Melting Point of Alloys to Their High-Temperature Strength (In Russian)
 Doklady Akad. Nauk S.S.S.R. 62 (1948) 81-82
 Experiment has verified that equation analogous to that developed by Motz [Proc. Phys. Soc. London 62 (1948) 191] for the velocity of slip at grain boundaries of pure metals can be applied to solid solutions. An equation is developed, assuming that the velocity coefficients of the solid are the same in the liquid and solid phases. It is deduced that high-temperature strength will increase with melting temperature and with solution temperature and with solidification range, but other factors must be considered.

(1200) Orowan, K. A.
 Grain Boundary Slipping in Metals at High Temperatures (In Russian)
 Izvestiya Vsesoyuznogo Nauchnogo Tsentra Akad. Nauk S.S.S.R. 6 (1954) 48-51
 Coefficient of sliding determined by the most equation differs widely from the experimentally obtained results. By making different assumptions as to the potential energy barrier which a group of atoms overcomes in its approach to the liquid state of absolute zero and at the melting point, the Motz equation can be modified so that better results are obtained.

(1201) Orowan, K. A.
 Activation Heat of Self-Diffusion in Solid Alloys (In Russian)
 Paper from Research on Heat Resistant Alloys | Moscow 1954 151-158
 Activation energy of self-diffusion must have a direct connection with values which characterize strength of the interatomic bond, and must be greater, the greater the relative motion of the bond. Comparison of values of Q of various self-diffusion with the heat of evaporation, Young's modulus, the coefficient of thermal expansion, and the activation energy of metal in its melting point. Straight-line relationships are obtained.

(1202) Orowan, K. A.
 Mechanism of Plastic Deformation and Failure of Metals (In Russian)
 Paper from Strength of Metals, 1st-4th Akad. Nauk S.S.S.R., Moscow (1954) 35-57
 The mechanism of plastic deformation and failure of metals is one of the major problems in the study of metal resistance to heat. Various theories of plastic deformation and failure of metals are discussed.

(1203) Orowan, K. A., and Fedotov, S. G.
 Heat Capacity and the Mechanical Properties of Metals
 Izvest. Akad. Nauk S.S.S.R. (1954) no. 2 (1954) 78-80-84
 Many mechanical properties of metals, including elastic moduli, yield strength, and hardness number (H) can be estimated from the amount of energy required to raise their temperature from the temperature of mechanical testing to the melting point (T_m) and then to melt them: $1.6 \times 10^4 \text{ W} / \text{W} \cdot \text{W} / \text{W}$. A linear relationship between H and T_m is shown for Fe, Al, Ag, Cu, Ni, and Co over a wide range of temperatures greater than 500°C. A linear relationship is also shown between W and T_m . The activation energy for high-temperature creep which holds for Fe, Ni, Cu, Al, Zn, Pb, Sn, Pb, and Cd. Data taken from wide variety of sources include activation energies from self-diffusion data. Time- $\dot{\epsilon}$ relationship is established between the processes of creep, self-diffusion, and melting.

(1204) Orowan, K. A., and Strohkihn, D. P.
 Thermodynamic Considerations in the Resistance to Plastic Deformation of Two-Phase Metallic Alloys (In Russian)
 Doklady Akad. Nauk S.S.S.R. 63 (1949) 439-442
 In stressed two-phase alloys, the free energy is lowered mainly through decomposition of the phases that are represented by the stressed state. Consideration of the free energy relations of an alloy of alpha and gamma phases, in stress and unstressed state as a function of the composition, reveal the role of the grain size of the interacting phase under stress. A second phase can have a hardening effect only if it is finely dispersed and its crystal size does not exceed a critical dimension otherwise, diffusion to the boundaries of the grains of the second phase involves a decrease of the free energy and of the resistance to plastic deformation.

(1205) Owen, E. A., Liu, T. H., and Morris, D. P.
 Behavior of Stressed Aluminum at Room Temperature
 Phil. Mag. 27 (1948) 831-845
 The lattice spacing of a pure Al plate which has been relatively heavily compressed during its annealing at room temperature, a steady state which is achieved but that for the fully annealed metal. This effect was investigated, using an X-ray beam normal to the surface. The rate of recovery of the lattice spacing as a function of the degree of cold work. A small fraction of the energy of deformation appears to be retained, according to the expected theory, and can only be released if energy is supplied. The main contribution to the residual lattice spacing is due to the plastic deformation of the lattice which is relieved on the removal of stress, but that the plastically deformed layers then support tangential stresses of some magnitude.

(1206) Paganelli, M.
 Example of Slip on a Crystalline Plane of Low Atomic Density (In Italian)
 Aluminio 12 (1957) 154-156
 In an essentially aged, moderately deformed Al-5% Cu alloy, conditions caused by increasing grain and substrate growth by previous deformation can promote slipping.

(1207) Palm, J. J.
 Stress-Strain Relations for Uni-Axial Loading
 Appl. Sci. Research 1 (1949) 194-214
 Criticizes the stress-strain equation of Ludwig and of Hollomon because, among other things, they predict infinite stress at infinite strain. Proposes the symmetrical form of Hollomon's equation: $\sigma = \sigma_0 (1 + \epsilon)^n$, where σ_0 and n are the instantaneous values of stress and nominal strain, while σ_m and ϵ_m are the values at the maximum load.

(1208) Palm, J. J.
 The Relation Between Indentation Hardness and Strain for Metals
 Trans. AIME 165 (1949) 944-946
 The formula $S = S_0 + (S_1 - S_0) \cdot \epsilon^n$ appears very well the relation between the true stress, S , and the true strain, ϵ , for monotonic deformation of plastic metal in single tension and compression. A similar

formula, $\sigma = \sigma_0 + k \epsilon^n$, might be valid for the relation between the hardness and the strain. For Al, Cu, and several Cu alloys the equation does agree very well with the experimental Vickers hardness-strain relation. From zero strain on up to the strain at fracture. Since k is, for several metals, fairly equal to the H_0 of Cu, where H_0 and C_0 are constants during uniform uniaxial tension. This last equation has also been obtained for Cu by using Eshelby's treatment (15) (1959) 54. Thus, according to theory, the ratio of the initial or Vickers hardness and the yield stress (in $kbar$) of a non-strain-hardening metal is about 2.8. Therefore, if the equation given above are correct, the ratio H_0/σ_0 must accordingly be the same for all plastic metals and equal to 2.8. Experiments show that this ratio varies between 2.3 and 3.1, with a mean of 2.7. Considering that H_0 and σ_0 can be obtained only by extrapolation from the yield stress, the agreement with the theory is very satisfactory.

(1211) Palm, J. H.
Relationship Between Stress and Strain in Plastic Metals (In English)
Metals 4 (1950) 9-14
Recently, an equation has been derived by Palm (Appl. Sci. Research Series, 2, in terms of stress, σ , in the form $\sigma = \sigma_0 + k \epsilon^n$, where σ_0 , k , and n are constants, respectively, the initial stress, the strain-hardening coefficient, and the strain-hardening exponent. It is shown that this equation can be derived theoretically from a simplified three-dimensional model of the strain-hardening mechanism of dislocation with respect to three stress directions, and for partially anisotropic metals stressed in one of the directions of equal properties.

(1212) Pashovska, Fern, B.
Dislocation in Metal Crystals and Their Influence on Mechanical Properties
Rev. gfs sci appl (Drouze) 2 (1955) 19 pp
The concept of dislocation, evidence in support of their existence, their method of movement, and their place in theories of deformation, hardening, and aging are reviewed.

(1213) Pao, Y. H., and Marin, J.
Prediction of Creep Curves From Stress-Strain Data
Proc ASTM 52 (1952) 951-961
Develops a method for predicting tension creep-time relations for constant stresses from tensile stress-strain relations at various strain rates. The method was applied to test data obtained using Flexigrip, and agreement between actual and predicted creep-time curves was found to be good at the lower stresses. The proposed procedure gives in this paper data from other "typical" stress-strain curves in considering the creep strain and creep rate and not the total strain and total strain rate when using the stress-strain relation for predicting the creep-time curves. This is equivalent to suggesting that a mechanical equation of state exists for creep strain and creep rate alone.

(1214) Pao, Y. H., and Marin, J.
An Analytical Theory of the Creep Deformation of Materials
J Appl Mechanics 21 (1953) 245-252
An analytical theory of creep is proposed for an idealized material, and takes into account the history of the material. It is capable of representing the simultaneous action of creep and creep recovery and may be used for the design of creep as well as constant stresses. The new theory applies to various high temperature creep test periods of time made the initial short-time creep rates alone.

(1215) Papanicolaou, V. G.
Theories of Fracture
Trans Roy Inst (India) 2 (July, 1954) 144-152
Various types of fracture, divergence between theoretical and observed strength, theories of brittle and ductile fracture, brittle fracture in structurally ductile materials, failure and intercrystalline fracture, effect of anisotropy heterogeneity on initiation and propagation of fracture.

(1216) Parker, E. R.
The Development of Alloys for Use at Temperatures Above 1000 Degrees Faby
Trans ASM 28 (1949) 297-310
Methods for increasing the resistance of a metal to deformation at elevated temperatures are also effective at high temperatures, but the influence of temperature on the various factors must be considered in an analysis of high temperature strength. A critically observed precipitate offers the maximum resistance to deformation at both low and high temperatures. At low temperatures, the precipitates remain in the critical dispersion, and high strength is maintained for long periods of time. High temperature strength is maintained for long periods of time, but certain intermetallic compounds (e.g., Fe₃C₂) are more stable, higher temperature and longer times are necessary for precipitation. An alloy containing a critically dispersed stable compound should possess the greatest high-temperature strength. High temperature strength tests were made at 1500 F. The test results indicate that alloys having greater high-temperature strength than alloys which depend upon carbide for strength.

(1217) Parker, E. R.
Inter-crystalline Corrosion of Metals
Trans ASM 33 (1944) 150-162
The investigations and theories concerning high-temperature inter-crystalline corrosion are reviewed. New data are given which illustrate the corrosion types of high-temperature fractures. The theories of the structure of crystal boundaries are discussed and their limitations cited. A new suggestion is made concerning the mechanism of intercrystalline corrosion, i.e., that they are due to discontinuities at the boundaries as a consequence of stress concentrations.

(1218) Parker, E. R.
Creep of Metals
Paper from High Temperature Properties of Metals, Am Soc Metals, Cleveland (1951) 1-10
Mechanism of deformation, creep theories, metallurgical factors, creep properties of various metals and alloys, effect of environment, and trends in the development of creep-resistant materials.

(1219) Parker, E. R.
Effects of Grain Size, Solid Solution and Other Metallurgical Factors on Creep
Paper from Proceedings of the 1955 Symposium Research Conference on Strength Limitations of Metals, OHS, U.S. Dept. Commerce, PB 131280 and PB 131281 (1955) 31-33
To obtain a metal it is necessary to introduce many barriers which are either impermeable to dislocations or through which dislocations can pass only at high stress levels. There are several very effective barriers, and pits of tangled dislocations. Effect of each of these:

(1220) Parker, E. R.
Experimental Evidence for Behavior of Dislocations
Paper from Science of Engineering Materials, John Wiley and Sons, Inc., New York (1957) 139-155
Dislocation theories related to mechanism involved in work hardening in creep and in strain aging of metals.

(1221) Parker, E. R.
Role of Grain Boundaries in Creep
Paper presented at ASME Fall Meeting, Chicago (November 1957)
Creep tests were made on polycrystalline Cu having a variety of grain sizes and contained amounts of preferred orientation. The boundary effects and boundary grain plays a controlling role in creep. Grain size clearly shows the importance of boundary angle (i.e., degree and kind of preferred orientation).

(1222) Parker, E. R., and Hlavaty, T. H.
Creep of Alloys
Progress Report, USACG Publ. CO-64 (1952) 20 pp
The ultimate tensile strength and lattice parameter of Ni are relatively unaffected by addition of Cu up to about 9 at. Ni. Both are increased regularly by Fe addition. Results to date indicate that the dislocation interaction have very little influence on the plastic properties. The shape of the creep curve for solid solution alloys of Ni is given by $\dot{\epsilon} = A \sigma^n \exp(-Q/RT)$, where n is 10.5 for pure Ni, and 1.0 for Ni-Fe alloys. The values of Q increase linearly with at. % alloy for an alloy with 1 to 5 at. % Fe given by $Q = 10,000 + 1000x$ cal/mole Cu, where x is the at. % of Cu in the alloy.

(1223) Parker, E. R., and Hlavaty, T. H.
Principles of Strain Hardening
Paper from Evolution of Progress in Microstructure, ASM, Cleveland (1954) 10-19



Solid solutions are inevitably stronger than pure metals and the yield point always increases with alloying content. The slope of the stress-strain curve is usually, but not always, increased by the addition of a solute element. In dilute binary alloys, each solute atom by itself contributes the same increment of strength that it did in the binary alloy. The difference in strength between the solute and solvent is an important factor in explaining the strain hardening, while the difference in the number of free electrons in the two components is also important. Soliton hardening cannot be explained by the interaction of dislocations and the stress fields surrounding randomly dispersed solute atoms, and is almost certainly the result of the interaction of dislocations and groups of solute atoms. The Cottrell mechanism of hardening seems to be confirmed experimentally, while the Suzuki mechanism, based on chemical interaction of solute and solvent, also appears to be a possible mechanism. The Frank mechanism, involving the energy required to disperse short-range order regions, undoubtedly contributes to the hardening of certain alloys, especially in non-ordered solutions. Creep rate may also contribute to hardening, but to a lesser degree than short range order. Creep rate and short range order contribute to hardening even more by separating regions of high line density in the lattice to disperse such that dislocation lines are less effective in contributing to hardening. The solute atom type of substitutional alloy strengthens the alloy to a greater degree than solute hardening. The increase of strength under stress by a given number of solute atoms is not fixed, but varies with temperature and is a complex function of structure and solute. Strain hardening effects are largely additive. Some solute atoms are always present in a weight alloy and to a degree different from that in the pure solvent. It is necessary to differentiate between these two effects when considering the degree of solute hardening.

(1224) Parker, E. R., and Smith, E. A.
High-Speed Tensile Impact Tests on Single Crystal and Polycrystalline Bars of Copper
Trans ASTM 25 (1944) 142-147
Published reports have shown that the tensile strength, yield strength, and elongation generally increase with increasing strain rate. The findings here reported herein are in agreement with these trends for the increase in strength and elongation.

(1225) Parker, E. R., and W. H. Murray, J.
Deformation of Single Crystals
Paper from Modern Research Techniques in Physical Metallurgy, Am Soc Metals, Cleveland (1953) 180-204
Several new techniques are discussed. Acid machine 20 angle crystals tested in shear give excellent reproducibility. Creep, recovery, annealing of stress hardening, solid solution hardening, diffusion annealing, plastic flow, surface coatings, transparent crystals, and formation and motion of dislocation boundaries discussed primarily with respect to shear tests on 20 angle crystals.

(1226) Parker, E. R., and Washburn, J.
Effects of Imperfections and Imperfections on Mechanical Properties (In Russian)
Paper from Imperfections and Imperfections, Am Soc Metals, Cleveland (1954) 145-161
Concepts were used earlier to better understand work hardening, creep, and the yield point phenomenon. The main causes of work hardening are lack of strain hardening by dislocations both at barriers in flow, interaction of dislocations moving on different slip systems, and formation of small-angle boundaries by plastic deformation. The rate process seems to be governed by the dislocation "climb" mechanism, which is then controlled by the rate of self-diffusion. A major factor in the yield point phenomenon is the interference to dislocation motion by anchored dislocation boundaries.

(1227) Parker, E. R., and Washburn, J.
Role of the Boundary in Creep Phenomena
Paper from Creep and Relaxation, Am Soc Metals, Cleveland (1957) 227-249
The effects of external surface, grain boundaries, substructure boundaries, grain boundary dislocations, imperfections, and second phases are reviewed in relation to the dislocation climb mechanism in high-temperature creep.

(1228) Pashkov, P. D.
Resistance to Deformation During Plastic Flow of Polycrystalline Metals (In Russian)
Zhur. Tekh. Fiz. 11 (1949) 251-270
The possibility of formulating a single criterion for strength of polycrystalline metals under marked plastic deformation. Usable data and the author's experiments confirming the acceptability of the proposed criterion.

(1229) Patel, J. R.
Yield Point of Plastic Flow in Germanium
Phys Rev 122 (1956) 1436-1437
The effects of delay time upon the compressive stress-strain graphs of Ge subjected to plastic deformation under compression at 400-500 C were studied. Much longer delay times than those found by Gallagher were observed. Plastic deformation occurred only at temperatures where thermal fluctuations are large enough to null the applied stress to force the locked sites the values of the activation energy at 0.25-0.60 eV/mole. The limiting time, T_0 , for the initiation of plastic flow ($\dot{\epsilon} = 10^{-5}$ sec⁻¹) predicted by Seitz's theory, agrees closely, but probably fortuitously, with the experimental value, 1.5×10^{-5} sec.

(1230) Patel, J. R.
Arrangements of Dislocations in Plastically Bent Alkali Crystals
J Appl Phys 49 (1954) 132-135
Single crystals of Si were plastically bent at an elevated temperature. The average slip plane density after deformation is approximately two to three times higher than the calculated dislocation density. Prolonged annealing (due to the too-long-pulse results in polymerization or the alignment of three slip planes) in the active slip plane perpendicular to the active slip plane. Satisfactory agreement between the densities of each slip plane in the annealed and polymerized specimens and the predicted dislocation densities.

(1231) Patel, J. R., and Anderson, R. H.
Plastic Deformation of Germanium in Compression
Acta Met 4 (1956) 643-655
The effect of temperature, orientation, impurity content, and annealing on the compressive stress-strain characteristics of free single crystals was investigated. The deformation characteristics resemble the plastic behavior of metals. The strain hardening decreases very rapidly as the temperature is increased, but does not fall to zero as the melting point is approached. An increase in impurity content from 1×10^{-3} to 1×10^{-2} does not affect the stress-strain characteristics at elevated temperature.

(1232) Peterson, M. S.
The Nature of Block Structure and the Strength of Metals
Met Mag 21 ser 7 (1950) 410
Concrete recent paper "On the Strength of Quasi-Isotropic Solids" [ibid. 45 (1949) 223] by R. Firth, which discusses the idea of a "metallic block structure", shows whether mechanical properties of a metal are influenced by the structure proposed by Firth. Fundamental difference between Firth's and Patel's theories. The theory by Firth would predict a decrease of σ with increasing grain size and with decrease of temperature, which is contrary to experiment.

(1233) Peterson, M. S.
Mechanism of Single-Crystal
J Australian Inst Metals 1 (October 1954) 112-124
Literature review includes discussion of ductility of crystals and nature of slip and twinning. Section on crystallography and geometry of slip covers observations on nature of slip bands and deformation of metals. Part on slip mechanism discusses sharp yield points, easy glide, effect of surface conditions, time, temperature, and the application of dislocation theory to yielding and strain hardening.

(1234) Pilling, L.
The Nature of the Bonds in Metals and Intermetallic Compounds
Paper from Proceedings With International Congress of Pure and Applied Chemistry, 1 (1947) 457-457
Concepts formulated mainly on empirical arguments. Magnetic properties of transition metals, interatomic distances, and structure.

(1235) Pilling, L.
The Metallic State
Hourly 12 (1948) 101-1020
Recommending valence-bond theory of the electronic structure of metals.

(1236) Pilling, L.
The Electronic Structure of Metals and Alloys
Paper from Theory of Alloys, Am Soc Metals, Cleveland (1954) 220-240
The properties of metals indicate that the metallic valence increases steadily from 1 to 8 in the sequence from K to Cu, remains constant at 8 from Cu to Zn, and then decreases to 10 for Zn to Au. The magnetic properties of the ferromagnetic transition metals support this conclusion, which is given additional support by the combination of interatomic distances and the electron-atom ratio in certain phases.

(1237) Pilling, L.
Formation of Microscopic Cracks in Aluminum During Plastic Deformation (In Russian)
Doklady Akad. Nauk S.S.S.R. 28 (1951) 677-679
The formation of microscopic cracks in Al was applied in specimens of Al was observed through a microscope. Micro cracks were formed along the slip planes after plastic deformation had reduced the tensile strength of the metal. These cracks were oriented perpendicular to the direction of applied stress. The orientation was changed by continued deformation, and the presence of the cracks resulted in localized stresses which formed a new set of microcracks oriented parallel to the slip planes.

(1238) Pilling, L.
On the Nature of Surface Destruction of Metals (In Russian)
Doklady Akad. Nauk S.S.S.R. 31 (1953) 635-635
In order to study the occurrence of a vacuum fracture of regions of disordered crystal lattice and of cracks, the impact strength of a model of metals was studied as a function of potential energy. The potential energy, T_p , for the initiation of plastic flow ($\dot{\epsilon} = 10^{-5}$ sec⁻¹) predicted by Seitz's theory, agrees closely, but probably fortuitously, with the experimental value, 1.5×10^{-5} sec.

Impact strength with prior deformation with a region of unstable strength in the curve, which is interpreted as corresponding to the formation of slightly distorted regions in which crack formation is facilitated.

(1219) Pavlov, V. A.
 Problems of the Nature of the Fracture Strength of Metals (In Russian)
 Doklady Akad. Nauk S.S.S.R. 19 (1953) 251-255
 Studies were made of change of metal properties during plastic deformation by measuring rate of impact strength in dependence of plastic deformation.

(1220) Pavlov, V. A.
 Influence of Deformation of Superplastically Deformed Metals on the Plastic Deformation Mechanism (In Russian)
 Doklady Akad. Nauk S.S.S.R. 19 (1953) 1201-1204
 Temperature dependence of mechanism of properties of pure Al and Al-Cu alloys. The behavior of the Cu alloy was attributed to diffusion processes occurring during the formation and precipitation of the new phase in the nonuniformly strained lattice. The presence of nonuniform stresses is known to facilitate diffusion at low temperatures.

(1241) Pavlov, V. A., Gaidukov, M. G., Ginz', A. V., and Evreinova, I. A.
 The Effect of Static Deformation of the Crystal Lattice on the Mechanical Properties of Alloys of the Solid Solution of Aluminum with Magnesium (In Russian)
 Paper from Research on Heat Resistant Alloys (Moscow) 2 (1952) 257-265
 Mechanism of plastic deformation affecting strength of alloys depends on character, amount, and distribution of dislocations, and on the amount and type of deformation. Increase with growth of amount of small dislocations through volume of the crystal, and the increase of the effectiveness of the role of the dislocation factor.

(1242) Pavlov, V. A., Evreinova, I. A., and Fedotkin, I. D.
 The Temperature Dependence of the Modulus of Elasticity of Alloys of Alpha Solid Solution of Magnesium in Aluminum (In Russian)
 Fiz. Metal. i Metalloved. Abad. Nauk S.S.S.R., Ural' Filial, (1956) 155-157
 A dynamic method is described for measuring Young's modulus (E) in the temperature range 77 to 400 K. Experiments on pure Al and on Al precipitates and that (E) is independent of the composition of the alloy.

(1243) Pavlov, V. A., and Yeliseyeva, K. A.
 Some Regularities of Plastic Deformation and Fracture of Metals Under Tension (In Russian)
 Fiz. Metal. i Metalloved. Abad. Nauk S.S.S.R., Ural' Filial, (1955) 251-252
 Experimental data on temperature relation of complete and uniform elongations, and on variation in the character of fracture during tensile stretching of metals.

(1244) Pavlov, V. A., and Yakovlevich, M. V.
 Nature of "Viscous" Fracture (In Russian)
 Doklady Akad. Nauk S.S.S.R. 22 (1951) 45-50
 An investigation was made into the influence of plastic deformation on the formation and growth of microcracks in Plexiglas, in which such cracks are more easily observed than they are in metals. Short specimens were treated in tension, nonuniform stress distribution being produced by notches where the plastic deformation is most intense, and were always precipitated in the region of action of the normal tensile stress. Microcracks can be considered as regions of elastic deformation, and in these they show up as plastic deformation increases the probability of their formation, even in non-elastic specimens. Microcracks form only at the surface.

(1245) Paoisson, H. W.
 Dislocation Theories of Mechanical Properties
 Paper from Science of Engineering Materials, John Wiley and Sons, Inc., New York (1957) 181-178
 Relationship of dislocation theories to yield strength as influenced by work hardening, precipitation hardening, recrystallization, and purity.

(1246) Paoisson, H. W., and Chermant, A. T.
 The Effect of Temperature and Composition on the Deformation of Single Crystals of Iron
 Acta Met. 1 (1953) 473-479
 Single crystals of Fe containing 0.005 and 0.0015% C were prepared by the strain-anneal method, followed by decarburization and carburization, respectively. Tensile tests were made at temperatures from -180 to +125°C. The specimens with 0.005% C showed a sharp yield drop, sharp yield point, repeated yielding, and completely smooth stress-strain curves at room and very high temperatures. The low-C specimens gave similar results, but

yield point was not observed, and the magnitude of yield point drop results in an effect on the amount of strain before fracture was much less. These results lead to the assumption that the amount of C in solution above the upper solubility limit of the metal plays a role in the formation of dislocations with a dislocation core. A good agreement was obtained with theoretical relations. Yield strength and the amount of strain before fracture are a function of the amount of C in solution and the amount of strain before fracture.

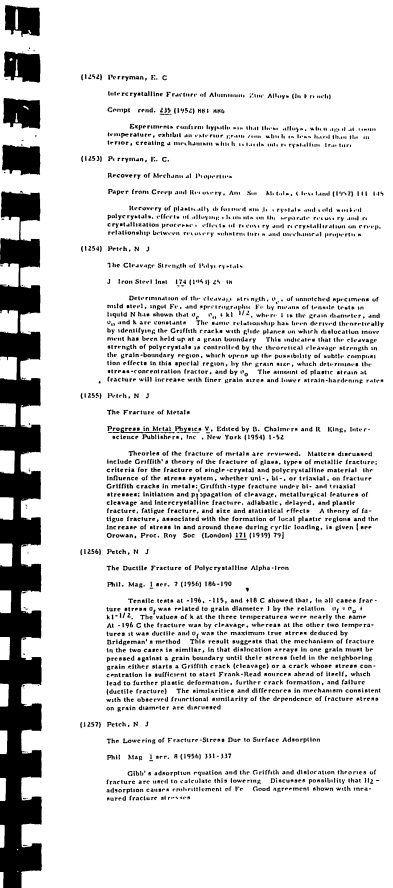
(1247) Paoisson, H. W., and Cutler, H. A.
 Work Hardening in Strained and Twinned Aluminum Crystals
 Acta Met. 2 (1954) 1-10
 The effect of plastic strain on the tensile deformation of Al crystals was examined. After such a level the tensile stress needed to continue plastic straining is sharply increased, and, on some cases, this is followed by a period of secondary work hardening. These effects are most pronounced when the tensile is applied during the period of "easy glide" as crystals are strained by single slip systems, but they also appear in crystals which undergo multiple slip and which become severely strained during tensile straining. An explanation of the results is proposed in terms of the difficulty of intersecting dislocations introduced during the heating. The observed magnitude of the stress increase following a plastic test can be predicted reasonably well by means of a formula derived from theory, and the work hardening.

(1248) Paveson, G. L., Read, W. J., and Feldman, W. L.
 Deformation and Fracture of Small Silicon Crystals
 Acta Met. 1 (1953) 181-191
 Both whiskers grown from the upper and lower cut from both Si wires. The diameter of the whiskers was about 10 microns. The whiskers were heated in air. The fracture strength of the whiskers increased as the diameter was equal to that of whiskers of the same cross-sectional area. Intra-granular dislocations were formed at high temperatures had little or no effect on the ductility of the whiskers. Above about 600°C, both whiskers deformed plastically with a sharp yield point, which could be ascribed to the formation of dislocations. The behavior is similar to Fe remaining C, except that tensile strength decreases more rapidly with increasing temperature. The dislocations which are locked by impurities. Fracture is apparently due to the dislocations, rather than dislocations, that are not present in the smallest samples.

(1249) Pavlov, S. B.
 Lattice Distortion in Ternary Solid Solutions of the First Long Period Transition Metals and Copper
 Can. J. Phys. 35 (1957) 356-362
 The correlation was found between ionic solubility and lattice distortion for the metals with one another or with Cu.

(1250) Pfeiffer, R.
 The Size of a Dislocation
 Proc. Phys. Soc. (London) 52 (1940) 31-37
 Calculations are made of the size of a simple dislocation in an imperfect crystal lattice, and of the critical shear stress for its motion. The calculations of dislocation size in the metal which contains all atoms whose diameter is smaller than the width of the dislocation core, and in the metal whose critical shear stress is smaller than the diameter of the dislocation core. The critical shear stress is smaller than the diameter of the dislocation core, and the critical shear stress is smaller than the diameter of the dislocation core.

(1251) Phil, Walden, W. T.
 The Effect of Grain Size on the Tensile Strength of Tin and Tin Alloys
 J. Inst. Metals 52 (1943) 131-140
 The tensile strength of tin and certain of its alloys is shown to be largely controlled by grain size. The tensile strength of tin is shown to be found as the grain size decreases from the 20-30 micron to the 1-2 micron range. The grain size effect is constant. Further reduction in grain size produces only a slight increase in tensile strength, but always grain size remains a factor in determining the tensile strength of tin. The tensile strength increases continuously with reduction of grain size, but only slightly. The tensile strength of rolled material is shown to increase continuously with the whole range of grain size. A theory based on noncrystallization has been put forward to explain these results.



(1252) Pryor, E. C.
 Interfacial Fracture of Aluminum-Zinc Alloy (In French)
 Compt. rend. 23 (1952) 881-886
 Experiments confirm hypothesis that this alloy, when aged at room temperature, exhibit an interface grain growth, which is less hard than the matrix, creating a mechanism which is critical on crystallization, but not on fracture.

(1253) Pryor, E. C.
 Recovery of Mechanical Properties
 Paper from Creep and Recovery, Am. Soc. Metals, Cleveland (1952) 111-115
 Recovery of plasticity by formation of crystals and cold work of polycrystals, effects of alloying, homotopy, homotopy, and recovery and recrystallization processes. Effects of recovery and recrystallization on creep, relationship between recovery substructure and mechanical properties.

(1254) Petch, N. J.
 The Creep Strength of Polycrystals
 J. Iron Steel Inst. 174 (1948) 29-34
 Determination of the creep strength of a specimen of unannealed specimen of mild steel, single Fe, and specimens of Fe by means of fracture tests. The results show that the creep strength of a specimen of mild steel is a function of the grain diameter, and the creep strength is a function of the grain diameter. The creep strength of a specimen of mild steel is a function of the grain diameter, and the creep strength is a function of the grain diameter.

(1255) Petch, N. J.
 The Fracture of Metals
 Progress in Metal Physics, edited by D. Chalmers and R. King, Interscience Publishers, Inc., New York (1956) 1-52
 Theories of the fracture of metals are reviewed. Matter discussed include Griffith's theory of the fracture of glass, type of metallic fracture criteria for the fracture of single-crystal and polycrystalline material; the influence of the stress system, whether uni-, bi-, or tri-axial, on fracture; Griffith cracks in metals; Griffith-type fracture under bi- and tri-axial stresses; initiation and propagation of fracture; metallurgical features of fracture and inter-crystalline fracture; adiabatic fracture; and plastic fracture; fatigue fracture, and site and statistical effects. A theory of fatigue fracture, associated with the formation of plastic regions and the increase of stress in and around these during cyclic loading, is given (see Deacon, Proc. Roy. Soc. [London] 22 (1955) 79).

(1256) Petch, N. J.
 The Ductile Fracture of Polycrystalline Alpha-Iron
 Phil. Mag. 1 ser. 7 (1956) 186-190
 Tensile tests at -196, -119, and +10°C showed that, in all cases, fracture stress was related to grain diameter d by the relation $\sigma_f = \sigma_0 + k d^{-1/2}$. The values of k at the three temperatures were nearly the same. At +10°C the fracture was by cleavage, whereas at the other two temperatures it was ductile and only the maximum true stress deduced by Bridgman's method. This result suggests that the mechanism of fracture in the two cases is similar, in that dislocation arrays in one grain must be forced against a grain boundary until their stress field in the neighboring grain either starts a Griffith crack (cleavage) or a crack whose stress concentration is sufficient to start Frank-Read sources ahead of itself, which lead to further plastic deformation, further crack formation, and failure (ductile fracture). The similarities and differences in mechanism consistent with the observed functional similarity of the dependence of fracture stress on grain diameter are discussed.

(1257) Petch, N. J.
 The Lowering of Fracture Stress Due to Surface Adsorption
 Phil. Mag. 1 ser. 8 (1956) 331-337
 Grain adsorption equalizes the Griffith and dislocation theories of fracture as dependent on this lowering. Discussion possibility that H₂ adsorption causes embrittlement of Fe. Good agreement shown with measured fracture stresses.

(1258) Petch, N. J., and Thompson, N.
 Surface Effects in Creep of Calcium Crystals
 Proc. Phys. Soc. (London) 52 (1940) 493-497
 The change in creep rate is recorded where the chemical environment of a stressed Ca crystal is altered. Experiments were made with aqueous solutions of a number of inorganic acids of Ca. The observations are applicable in terms of variations in the thickness of a surface film of Ca(OH)₂ the presence of which has the effect of reducing the creep rate by an amount depending on its thickness. Measurements were also made on the effect of very thin films, formed by immersion in distilled water. When the films were removed with dilute sulphuric acid a sudden small strain increase was observed, the magnitude of which depended on the film thickness. Possible explanations are discussed.

(1259) Petch, N. J., and Parker, E. R.
 Creep Behavior of Zinc Modified by Copper on the Surface Layer
 Trans. AIME 181 (1951) 274-276
 Creep tests on single crystals and polycrystalline Zn with and without a Cu coating. Results with single crystals showed creep rate decreased in the presence of a thin Cu layer. When the Cu was removed the creep rate increased to the value obtained for the uncoated specimen. The effect of Cu plating on polycrystalline material was in slight, within the limits of experimental accuracy. The differences in behavior are linked to the fact that dislocations can be generated more easily at the surface than in the interior of the metal.

(1260) Petch, N. J., and Parker, E. R.
 Creep at a Surface-Dependent Phenomenon
 Paper from Symposium on Creep of Materials at Elevated Temperatures, Spec. Tech. Publ. No. 107, ASTM, Philadelphia (1953) 25-33
 Fracture and other Physical Properties of Metals in Relation to Creep
 Metallurg. Rev. (1957) 231-236
 Most of the information on the "grain size range" used to explain the behavior of metals on creep is related to the behavior of pure metals. A simple correlation between grain size and creep properties is shown for a variety of metals. The correlation between the behavior, creep strength, and creep rate, is shown by the present work. Trans. AIME 181 (1951) 401-403
 It is probably the most general case that of correlation in rate.

(1261) Petch, N. J.
 Physical and Metallurgical Aspects of Creep. I. Physical Considerations II. Metallurgical Considerations
 Metall. Trans. 2 (1956) 311-314, 349-352
 Various theories of the mechanism of creep in metals are discussed. Mechanism of deformation as considered in terms of volume dilatation theory.

(1262) Petch, N. J.
 Dilatation and Plastic Properties of a Solid (In French)
 Mécan. Écoulement 3 (1956) 153-166
 Theoretical plastic limits, whiskers, brittle fracture, movement of dilatation, strain aging, and formation of Cottrell atmospheres.

(1263) Petch, N. J., and Thompson, N.
 Surface Effects in Creep of Calcium Crystals
 Proc. Phys. Soc. (London) 52 (1940) 493-497
 The change in creep rate is recorded where the chemical environment of a stressed Ca crystal is altered. Experiments were made with aqueous solutions of a number of inorganic acids of Ca. The observations are applicable in terms of variations in the thickness of a surface film of Ca(OH)₂ the presence of which has the effect of reducing the creep rate by an amount depending on its thickness. Measurements were also made on the effect of very thin films, formed by immersion in distilled water. When the films were removed with dilute sulphuric acid a sudden small strain increase was observed, the magnitude of which depended on the film thickness. Possible explanations are discussed.

(1292) Prokopyan, A. A.
The Effect of Plastic Deformation on the Rate of Diffusion (In Russian)
Zhur. Tekh. Fiz. 27 (1959) 496-506
No. of common real points was called by various means - from 2 to 100. The experiments were the result of 2000 h of work by metallographic observation of the metal. Diffusion of Zn into Cu was used. After 45 minutes of heating time. The thickness of the metal is slightly with deformation. It was found that the rate of diffusion is similar results, though the results are not identical with the deformation. It was found that the rate of diffusion is similar results, though the results are not identical with the deformation. It was found that the rate of diffusion is similar results, though the results are not identical with the deformation.

(1293) Przhivana, N. N.
Interaxial Strength of Metals (In Russian)
Vysok. Tekh. Nauk. Ser. 11 (1959) 31-39
Relation between deformation rate and plasticity of metals. Stage of fracture of metals in relation to temperature.

(1294) Przhivana, N. N.
Theories of Grain Growth and a Mechanism of Precipitation (In Russian)
Vysok. Tekh. Nauk. Ser. 11 (1959) 42-47
Theoretical discussion of plasticity and creep.

(1295) Pry, R. H., and Hoang, R. V.
On the Use of Electrical Resistivity as a Measure of Plastic Deformation in Copper
Acta Met. 2 (1954) 316-321
Local time curves of Cu wires were recorded at constant strain rate. The electrical resistance of the wires was also measured before straining, and after annealing. This curve was repeated for each additional 10% of plastic strain. The results showed that although the temperature curves at 30 K were appreciably altered by the annealing, the temperature curves at 30 K were appreciably altered by the annealing. The results showed that although the temperature curves at 30 K were appreciably altered by the annealing, the temperature curves at 30 K were appreciably altered by the annealing.

(1296) Pugh, S. F.
Relations Between the Elastic Moduli and the Plastic Properties of Polycrystalline Pure Metals
Phil. Mag. 45 (1954) 223-243
Correlations between plastic properties and elastic moduli of a pure metal are proposed on elementary theoretical grounds. For metals with lower melting point metals, at a function of melting point ratio. (See above formula.) It is the shear modulus, G , the high modulus, and the Burgers vector.

(1297) Pugh, S. F.
Plasticity of Hexagonal Metals and its Variation with Temperature (In French)
Rev. met. 51 (1954) 483-492
Although the plastic properties of the hexagonal metals differ greatly from the metal to another and even in a given metal with variation of temperature, their fundamental behavior in the same or several degrees of common to all hexagonal metals, and certain differences in the behavior of their high temperature to the appearance of phenomena. The results of the experiments were as follows: (1) The relative ductility of the metal can be deduced from the plastic properties. (2) The character of the slip planes is dependent upon the relative amounts of the single crystal having regard to the energy of the dislocation centers in various directions of the crystal.

(1298) Puthi, K. E., and King, R.
Boundary Slip in Beryllium at Two
J. Inst. Metals 80 (1952) 537-544
Specimens of the existing of two crystals meeting in a straight boundary were strained in shear to cause relative movement of the crystals at the boundary. Relation between relative movement of the crystals, stress was examined in a number of stresses and temperatures, in a standard type of specimen in which the angle of the crystals were at right angles to one another and at 45 degrees to the boundary.

(1299) Puthi, K. E., and Theng, M. W.
The Dynamic Theory of Yield
Proc. Roy. Soc. (London) 235 (1956) 156-159
The effect of temperature and hydrostatic pressure on the yield point of a metal is discussed in terms of the dynamic theory of plasticity. The yield point is shown to be a function of the rate of strain and the hydrostatic pressure. The yield point is shown to be a function of the rate of strain and the hydrostatic pressure. The yield point is shown to be a function of the rate of strain and the hydrostatic pressure.

(1300) Rabotnov, Y. N.
Some Problems of the Theory of Creep (In Russian)
Vysok. Tekh. Nauk. Ser. 11 (1959) 31-39
The differential equations proposed for an analysis of creep of a metal may be divided into two groups: $p = 5$ (1951) and $p = 1$ (1952), where p is a plastic creep strain. Rabotnov suggests the formula $\dot{\epsilon} = A \sigma^n \exp(-Q/RT)$, where $\dot{\epsilon}$ is the rate of creep strain under constant stress and Q is the activation energy of the process. The theory is applied to the analysis of the creep of metals. The theory is applied to the analysis of the creep of metals. The theory is applied to the analysis of the creep of metals.

(1301) Rabotnov, Y. N.
The Effect of Changing Loads During Creep
Paper from Group and Fracture of Metals at High Temperature, Her Majesty's Stationery Office, London (1958) 221-225
A formula is developed for the creep strain in a metal under constant stress and constant rate. The theory is applied to the analysis of the creep of metals. The theory is applied to the analysis of the creep of metals. The theory is applied to the analysis of the creep of metals.

(1302) Rabotnov, Y. N.
Relative Grain Transitions in the Plastic Flow of Aluminum
J. Inst. Metals 81 (1952) 33-41
The respective contributions of grain elongation and relative condition of temperature and strain rate. At higher temperatures and the aggregate, but level to remain constant, the internal deformation plastic flow at the surface is found to be quite different from that in the bulk.

(1303) Rabotnov, Y. N.
Dislocation Sub-Structures in Aluminum
Bull. Inst. Metals 1 (1952) 125
The existing experimental observations on, and explanations of, the formation of crystal dislocations or other plasticity phenomena are rate and temperature of deformation, can be explained by the theory of the grain size of the material, resulting in the formation of a substructure, rate and temperature of deformation, can be explained by the theory of the grain size of the material, resulting in the formation of a substructure.

(1304) Rabotnov, Y. N.
The Effect of Friction on the Structural Changes Produced in Aluminum by Slow Deformation
J. Inst. Metals 80 (1952) 415-418
X-ray diffraction and metallographic methods were used to study the structural changes of Al polycrystals of various grain sizes after slow deformation at elevated temperatures. The present work indicates that for a given temperature and rate of straining, the effect of an increase in grain size is to produce a more pronounced effect of an increase in grain size on the rate of strain. Further evidence is given in terms of an increase in grain size of a deformation-controlled substructure within the grains.

(1305) Rabotnov, Y. N.
Glide on Lead (1954)
Acta Met. 2 (1954) 64-69
The occurrence of "0001" slip in lead has been verified by means of x-ray diffraction. Results, which are the same crystal structure, are given for the movement of slip planes in terms of the bending of the slip planes. In some cases, however, the slip planes are not parallel to the slip plane. In some cases, however, the slip planes are not parallel to the slip plane.

(1306) Rainey, S.
Plasma Oscillations and the Kinetic Theory of Metals
Research 3 (1954) 374-380
A model of electron interactions and their effect on metal properties, theories for calculating energy and the improvement of the plasma oscillation concept.

(1307) Rainey, J. S.
Structure of a Deformed Metal-Grain Grain
Nature 167 (1950) 80-81
Experiments on silver foil indicate that upon deformation the grain break down into a number of fragments, the degree of perfection, and probably the size, of the fragments increase with increasing temperature of deformation.

(1308) Rainey, J. S.
Some Observations on the Deformation of Polycrystalline Zinc
J. Inst. Metals 80 (1951) 167-171
Polycrystalline Zn, when deformed, behaves in a similar way to that of a single crystal. It is shown that, at low strain rates, it tends to form a subgrain or cell structure within the grains. Evidence is presented in support of the view that the cell structure is produced directly by deformation and cannot be adequately explained by the same mechanism as that suggested for polycrystallization.

(1309) Rainey, J. S.
The Sub-Grain Structure in Aluminum Deformed at Elevated Temperatures
J. Inst. Metals 82 (1952) 215-216
Sub grain structure in cross-grained Al deformed at elevated temperatures are shown by metallographic and X-ray examination to be associated with bands similar to twin bands.

(1310) Rainey, S. L.
The Theory of Plasticity (In Russian)
Izv. Akad. Nauk SSSR, Otdel. Tekh. Nauk (March 1950) 493-495
Critical review and correlated discussion of recent literature (including non-Russian works) tabular data for various common metals and alloys subjected to various treatments.

(1311) Rainey, S. L., and Zlatkevich, A. B.
The First Stage in the Deformation of Polycrystalline Metals and the Influence of Grain Size. I. Aluminum. (In Russian)
Izv. Akad. Nauk SSSR, Otdel. Tekh. Nauk (March 1950) 493-495
The first stage of deformation of polycrystalline Al is by grain boundary movement of whole grains over each other. The next stage is by deformation of individual grains by slip. The limiting strain at which grain boundary movement gives way to slip depends on the conditions of the deformation, composition of the grain-boundary layer, and grain size. It is shown that, at low strain rates, and smaller grains move the limit to higher strain rates and larger grains move the limit to lower strain rates. The mechanism of the first stage of deformation is discussed. There must be an optimum grain size for which the limiting strain is a maximum. The limiting strain is the limiting grain size at which grain-boundary deformation gives way to slip. It is shown that the same method for Fe, but the situation is much more complex than in Al. There is a limiting deformation at which slip does not appear, and this depends on grain size. The effect of grain size on plasticity (strain rate for given stress) is assumed up by the rate; any factor which reduces the mobility of the Fe to deform by grain-boundary movement reduces plasticity.

(1312) Read, W. T., Jr.
Experimental Results on Slip Lines
Paper from Impurities in Nearly Perfect Crystals, John Wiley and Sons, Inc., New York (1952) 172-191
A brief review of experimental information, an attempt being made to interpret, for the most part, the results refer only to metal single crystals, the various results are considered one after another. Investigations reported were on slip direction and slip plane, form of the slip line, spacing of the various classes of slip lines, and amount of slip line. Techniques for study of influence of experimental conditions on slip lines.

(1313) Read, W. T., Jr.
Dislocations and Plastic Deformation
Phys. Today 6 (November 1953) 10-11
Recent developments in concepts concerning the above in certain ductile materials. Reports that small and exceedingly rare defects in structure of solids are "weak links" that determine strength of materials.

(1314) Read, W. T., Jr.
Dislocation Theory of Plastic Flowing
Acta Met. 5 (1957) 81-88
The maximum stress (average stress) in a volume containing many dislocations is a uniformly bent crystal is related to the dislocation density by a simple differential equation analogous to Poisson's equation. Influence of factors like work hardening and strain rate on dislocation theory of plastic flow is discussed. A model is presented that shows that the dislocation may be a source of deformation. A model is presented that shows that the dislocation may be a source of deformation. A model is presented that shows that the dislocation may be a source of deformation.

(1315) Read, W. T., Jr., and Pruzan, G. L.
Deformation and Fracture of Solids
Paper from Dislocations and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953) 519-544
Purpose of the investigation was to study the stress-strain behavior of perfect crystals in the plastic range. The maximum plastic deformation is related to the dislocation density of the parent slip plane. The behavior is strikingly similar to that of a constant σ . There is a pronounced yield point at the beginning of plastic flow, the theory predicts that the yield point should be the upper yield stress.

(1316) Read, W. T., Jr., and Shokley, W.
Dislocation Models of Crystal Grain Boundaries
Phys. Rev. 22 (1956) 239-249
The manner in which grain boundaries can be built up out of dislocations is considered in detail. Relationships are derived for the dependence of energy upon the relative angle between grains, and these are to be compared with experimental. Grain boundaries of the type discussed can permit intercrystalline slip and may act as stress raisers for the generation of dislocations.

(1317) Read, W. T., Jr., and Shokley, W.
On the Geometry of Dislocations
Paper from Impurities in Nearly Perfect Crystals, John Wiley and Sons, Inc., New York (1952) 172-191
Dislocations are one of the few types of defects which naturally occur in crystalline substances. All dislocation types are classified according to a simple scheme which makes use of the Burgers circuit and the Burgers vector. Both complete and partial dislocations are illustrated, and a discussion theory of straight versus wavy slip bands is presented. The interaction of dislocations is shown to result in links or jogs in the dislocation lines which impede the slipping motion and may even cause vacancies and interstitial atoms. The Frank-Read mechanism of dislocation multiplication is reviewed.

(1318) Read, W. T., Jr., and Shokley, W.
Role of Dislocations in Crystal Growth and Grain Boundary Phenomena
Paper from Dislocations in Metals, Edited by G. Cohen, Am. Inst. Mining Met. Engrs., New York (1954) 37-60
The dislocation theory is applied to crystal growth and grain boundary phenomena. Frank's theory of the growth of an imperfect crystal is given and evidence for the theory is presented and discussed. Also included is a discussion model of a simple grain boundary, the derivation of an equation for the energy of a grain boundary, and the description of motion of small-angle grain boundaries.

(1319) Reeder
Mechanism of Creep
Met. Ind. 32 (1958) 89-96
Studies of theoretically possible creep mechanisms demonstrated that no one theory fully covers the data available, but two theories have not yet been shown to be erroneous. One suggests that concentration gradients of various lattice sites are set up in a creep specimen under the influence of the applied stress. Vacancies move in accordance with the gradients, setting up a net flow of concrete causing elongation in the direction of the applied stress. The second theory suggests that the generation and movement of dislocations give rise to an observed strain.

(1320) Reeder II
Interparticle Failure During Creep. II
Met. Ind. 32 (1954) 554
Factors which influence grain boundary movement during creep are temperature, rate of straining, and grain boundary precipitation. Decreases the theory of precipitation of vacancies at the boundaries as a mechanism of interparticle cracking.

(1321) Reed-Hill, R. E., and Robertson, W. D.
Deformation of Magnesium Single Crystals by Non-Slip Slip
Trans. AIME 209 (1957) 496-502
High-purity Mg single crystals, oriented to suppress (0002) basal slip and (10-10) prismatic, were strained parallel to the basal plane and in a $\{10\bar{1}0\}$ direction, between -190 and 240 C. X-ray analysis and the lattice structure, the transmission electron microscope, and the slip bands which are visible on surface nearly parallel to the basal plane all indicate that plastic deformation in Mg polycrystals is accomplished primarily by conjugate slip along $\{11\bar{2}0\}$ slip directions.

[1443] Sella, P.
On the Generation of Vacancies by Sliding Dislocations
Advances in Physics 1 (1952) 4-59
New experiments tend to confirm the view that vacant lattice sites, and possibly interstitial atoms, are generated during plastic flow in ductile metals, particularly in metals. The average temperature was a lattice site or interstitial atom as a result of thermal effects alone means during the slipping of dislocations about appropriate obstacles, or in stable state room temperature and may diffuse more rapidly than a single vacancy. Vacancies retained during quenching of Al-Cu alloys and those generated by cold work play an important role in the precipitation process. The origin of work hardening in high crystals, the importance of primary energy and decrease in density in processes such as creep and the having of lattice slip planes are discussed. Experiments are proposed which could prove decisive in isolating the influence of vacancies.

[1444] Sella, P., and Read, T. A.
Theory of the Plastic Properties of Solids
J Appl Phys 12 (1941) 100-118; 170-181; 470-481; 518-551
The plastic properties of solids are classified as those of slip, creep, rupture, and fatigue. The theories of lattice imperfections are applied to single-crystal phenomena. The properties of single crystals are discussed with reference to work-hardening, reannealing, effect of impurities, precipitation-hardening, and annealing in line photographs. The creep, rupture, and fatigue of single crystals are considered. The mechanical properties of polycrystalline solids are discussed with reference to the preceding theory.

[1445] Semmler, J. W. Jr., and Muehler, E. S.
The Driving Force for Recrystallization in Best Single Crystals of Silver
Acta Met 1 (1953) 582-596
The major source of the driving force for recrystallization is associated with dislocations but with the exception of defects produced by bond deformation, the defects are considered to be vacancies. Two recrystallization stages were found during which the driving force for recrystallization decreased to a value below that necessary to achieve the process was called "regeneration." Specimens heated to 128°C were polished that the vacancy sites are inhibited and that the longer dislocations to the specimen surface.

[1446] Servi, I. S., and Grant, N. J.
Creep and Stress Rupture as Rate Processes
J Inst Metals 85 (1951) 21-27
Creep data for a Fe-Co-Cr-Ni alloy are analyzed according to the rate-process theory of plastic flow. The data indicate that the theory can be applied over only a limited range of creep rates. An empirical equation is suggested for analysis of creep data. This equation is valid only in the absence of structural instabilities.

[1447] Servi, I. S., and Grant, N. J.
Structure Observations of Aluminum Deformed in Creep at Elevated Temperatures
Trans AIME 171 (1951) 917-922
Creep tests on three grades of Al were performed and gave the following results: (1) The conditions of creep testing at which a change in slope occurs in the log-log plot of creep rate vs. time. (2) The average stress rupture time corresponds to the beginning of grain boundary slip (rupture), but are not directly related to the absence of slip bands temperature conditions. (3) Grain boundary migration occurs in high-purity Al alloys, as in the case of annealing after cold working. (4) As a first approximation, for deformed specimens, the spacing of the slip of slip bands is inversely proportional to the applied stress. (5) Above the average slip spacing observed in a coarse-grained specimen heated to the higher temperature, or the slower the grain size is smaller than under the same applied stress. (6) The deformation of Al is less localized above three subgrains are of the same order of magnitude as the average slip spacing. (7) The dimensions, shape, and regularity of the subgrain slip process in other than slow deformation processes such as a kissing deformation.

[1448] Servi, I. S., and Grant, N. J.
Creep and Stress Rupture Behavior of Aluminum as a Function of Purity
Trans AIME 172 (1951) 909-916
Minimum creep rate and rupture times for high-purity and commercial Al conditions in the temperature range from low temperature type to vegetable thickness of deformation of metals.

[1449] Servi, I. S., Nixom, J. T., and Grant, N. J.
Some Observations of Subgrain Formation During Creep in High Purity Aluminum
Trans AIME 171 (1951) 965-971
Creep-stained high-purity Al was tested in creep at temperatures of 300-1200°F to develop subgrain structures. Measurements of subgrain size, distribution, and rotation were made from X-ray diffraction patterns.

[1450] Dabolin, P., and Achter, M. R.
Comparison of the Creep-Rupture Properties of Nickel in Air and Vacuum
Paper presented at AIME Fall Meeting, Chicago (November 1951)
In a comparison of the creep-rupture properties of Ni in air and vacuum at 1200 and 1500°F, there is a reversal in relative strength with variation in stress level for stress rates. At low stresses the creep and rupture strengths are better in air, while at high stresses they are better in vacuum. The reversal point, at which the specimens tested in air become more creep resistant than in vacuum, is moved to a shorter time at the test temperature is raised from 1000 to 1500°F. At very low stresses, an extensive oxidation and partial oxidation of creep. At high stresses the relative creep strength of vacuum and air-strengthened specimens may be vacuum has the higher creep rate but the one in air is creeping faster. It is considered that qualitatively explains three observations. One process, reduction of strength due to lowering of creep rate while the other, creep rate. The atmosphere strengthening involves internal oxidation, which is a slow diffusion process and, therefore, in high creep rate tests the reaction in air compared to vacuum for internal crack propagation, and, also, at a faster rate than the one in vacuum.

[1451] Sharma, R. S.
The Equilibrium State of Solids
Proc Phys Soc (London) 52 (1956) 438-450
The suggested equation of state of solids (Dyas and Sharma, 1954; 1955) [1955] is applied to calculate the static pressure, P^* , the agreement is found for Li, agreement is not good in the case of Ni at low temperatures, but very good up to 300°C.

[1452] A Yield Criterion for Bcc Metals Based Upon Atomic Structure
J Franklin Inst 254 (August 1951) 109-116
A strength theory for ductile metals is presented that takes into account short range interpenetration present in all commercial metals and distortion energy theories that result from stress of these theories requires the submicroscopic nature of metals. Shows why a size effect in the size effect in fatigue testing and stress testing by means of a size effect theory of fracture for brittle materials.

[1453] Shickman, N. N.
Pure Bending in Bars During Creep of the Material (in Russian)
Izv Akad Nauk S.S.S.R., Otdel Tekh Nauk no 8 (1956) 37-41
Bar is stressed by a constantly acting moment, solution of the problem of steady creep is obtained with a linearized equation of the theory of stress bending.

[1454] Shepard, L. S., Starr, C. D., Wiseman, C. D., and Dorn, J. E.
Creep Properties of Metals Under Interimittent Straining and Heating Conditions Part 2. Interimittent Heating
OTS, U. S. Dept. Commerce, PB 131612 (July 1951) 39 pp
Intermittent heating, constant creep tests on all alloys showed that in the absence of solid state reactions, creep under intermittent heating conditions can be predicted from ordinary, constant creep data. Equal creep heating and isothermal creep testing. This intermittent heating creep stress at any time may be estimated by summing the net time at least isothermal creep test.

[1455] Shepard, L. A., and Dorn, J. E.
Delayed Yielding in a Substitutional Solid Solution Alloy
Trans AIME 205 (1956) 1229-1235
Tensile specimens of high-purity Al-base alloy containing Mg were annealed, prestrained in tension, and then aged to produce a secondary yield point peak at each low test temperature. They were then creep tested at 38 and 115 R, at constant stress. The results show that delayed yielding has been induced in air in the strain-ageing individual metal, alloy, and stress in three stages: (1) strain-relaxation creep (2) uniform, spreading and lengthening of lattice bands, and (3) local creep. The delay time for yielding was found to depend on the product of separate stress and temperature time factors, in disagreement with the theory of Smith and Cottrell and Eshelby, and Fisher, for the case of interstitially locked dislocations.

[1456] Shepard, L. A., and Dorn, J. E.
The Role of Subgrains in High-Temperature Creep
WANG TR 56-11 (July 1954) 11 pp
The role of the subgrain structure in the high-temperature creep process is evaluated in the light of recent experimental and theoretical observations on creep theory. The origin of subgrains is discussed, as well as the specific deformation modes which produce the variety of observable substructures. The effect of various variables on the subgrain development, size, and structure is described. Finally, an attempt is made to analyze the manner in which the subgrain structure affects creep rate, energy and grain-boundary sliding. It is concluded that the contribution of the substructure to high-temperature creep resistance is small relative to other factors.

[1457] Shepard, O. C.
Intermetallic Failure of Metals at Elevated Temperatures
J Metals (1952) 151
Stress-rupture tests were made on commercial metals in inert gases and air, and on pure Al in air and vacuum.

[1458] Shepard, O. C., Anderson, A. A., and Dorn, J. E.
Effect of Alloying Elements on the Elevated-Temperature Plastic Properties of Alpha Solid Solutions of Aluminum
Trans AIME 171 (1951) 641-642
Solid-solution alloying increases the plastic properties of Al at elevated temperatures by solid-solution strengthening, by restraining recovery and recrystallization, and by a Cottrell effect. When binary Al alloys are strained and aged at 174 to 300 K they develop a yield point. This is attributed to a migration of dislocations in solute atom atmospheres.

[1459] Shepard, O. C., and Dorn, J. E.
Creep Correlations in Alpha Solid Solutions of Aluminum
Trans AIME 172 (1952) 939-944
Stress-rupture and creep tests were carried out at various temperatures on pure Al and binary solid-solution alloys with Mg, Cu, and Zn. The results show that at temperatures above 400 K stress recovery becomes active, the creep and rupture data can be simply related by the Zener-Bollmann relation [1]. The 0.1% values obtained differ from one series of data to another, dependent upon the annealing conditions preceding creep. When creep curves for a solid creep are plotted on a log-log plot of stress vs. compensated time, $t \exp(-Q/RT)$, where t is the time under stress, a single curve is obtained, independent of the creep temperature. This suggests a simple method for extrapolation of short-time creep data to longer rupture times.

[1460] Shepard, O. C., and Dorn, J. E.
A Recovery Model for the High-Temperature Creep Process
U S Atomic Energy Comm., W-4080 (1953) 12 pp
Our test theories of creep are reviewed, and those not rejected because they do not appear to agree with experimental observations. A new model for creep is presented, wherein the rate-controlling process at high temperature is attributed to the recovery of barriers by a recrystallization process.

[1461] Shepard, O. C., and Dorn, J. E.
Some Observations on Correlations Between the Creep Behavior and the Resulting Structures in Alpha Solid Solutions
Trans AIME 172 (1952) 934-939
The elevated-temperature, constant load creep tests of Al-solid solution alloys, the creep stress is a function of a temperature-compensated time parameter. The activation energy is equal to about 16,000 cal/mole. The substructure created from a given creep test conditions are functions of the creep stress independent of temperature. Each creep test as given, a new unique set of grain substructure, that is, one of the two is responsible for the failure of the mechanical equation of state for creep.

[1462] Sherry, H. H., and Dorn, J. E.
An Analysis of the Creep Behavior of High-Temperature Creep
Proc Soc Exptl Stress Anal 12 (1954) 19-184
A review of the high-temperature creep properties of stable metals and alloys. Creep strain-rate curves are correlated by the activation energy, Q , and the specific deformation mode which produce the variety of observable substructures. The effect of various variables on the subgrain development, size, and structure is described. Finally, an attempt is made to analyze the manner in which the subgrain structure affects creep rate, energy and grain-boundary sliding. It is concluded that the contribution of the substructure to high-temperature creep resistance is small relative to other factors.

[1463] Sherry, O. D., Frenkel, R., Nadeau, J. A., and Dorn, J. E.
Effect of Stress on the Creep Rates of Polycrystalline Aluminum Alloys Under Constant Strain
Trans AIME 205 (1956) 274-279
A method is described for determining the dependence of the creep rate of metals on applied stress under conditions of constant structure for Al and other substitutional alloys with Ag, Cu, Fe, Mg, and Zn. The results show that the log creep rate, $\dot{\epsilon}$, is a function of $\ln \sigma$, where σ is the stress, and $\ln \dot{\epsilon}$ is independent of the creep structure. $\ln \dot{\epsilon}$ is a parameter that depends on structure, and is the true stress. The value of Q increases with the $\ln \sigma$ of solute atoms, and is a function of low-temperature, solid-solution strengthening.

[1464] Sherry, O. D., Goldberg, A., and Dorn, J. E.
Effect of Prestrain History on the Creep and Tensile Properties of Aluminum
Trans AIME 172 (1952) 481-500
Bar-deflection tests were made on which rapid recovery occurs before change occurring during creep of pure Al. Creep and tensile strength increase with degree of polymerization during creep of annealed metal. Al cold worked in a high stress and creep strength, however, initially possesses the true polymerized structure. During creep, the equilibrium structure and strength are approached, which are dependent only on stress.

[1465] Sherry, O. D., Igiton, J. L., and Dorn, J. E.
Activation Energies for Creep of High-Purity Aluminum
Acta Met 1 (1953) 217-227
Activation energies for creep were obtained over temperature ranges from 77 to 889 K by rapidly changing the temperature during creep at constant stress. From data, validity of theories that postulate stress or stress-dependent activation for creep is questioned.

[1466] Sherry, O. D., Orr, L., and Dorn, J. E.
Creep Correlations of Metals at Elevated Temperatures
Trans AIME 205 (1956) 71-80
Creep data reported in the literature are analyzed, and it is shown that at temperatures above those at which rapid recovery occurs (above about 470 melting point) they can be correlated by means of a single equation. The stress dependence of the creep rate is attributed to the rate-controlling process for high-temperature creep. For a given metal, $\dot{\epsilon}$ is a constant function of the stress number, $\sigma \exp(-Q/RT)$, which suggests that the rate-controlling process for self-diffusion, in addition, $\dot{\epsilon}$ appears to be a constant function of the stress number. The equation has been applied, successfully, to data for Al, Au, Cu, Fe, Ni, Pb, Pt, and Zn, as well as for simple alloys. Correlation of present sets of creep data for Al, Pb, Pt, and Zn indicates that the activation energy for creep is insensitive to small differences in alloy content, metallurgical structure, and grain boundary structure.

[1467] Sherry, O. D., Tressler, T. A., and Dorn, J. E.
The Effect of Creep Stress History on High Temperatures on the Creep of Aluminum Alloys
Proc ASTM 52 (1954) 189-206
Structural changes attending creep at high temperatures and high stresses are dependent on the preceding creep stress history. Results on Al solid solution alloys indicate that similar plastic strain upon application of a constant stress increases creep resistance, whereas straining during creep decreases creep resistance. At low stresses, strain hardening imparts no creep resistance. Kinking increases observed upon change of stress, high temperature creep at low stresses observed a mechanism of rupture of void.

[1448] Shrivastava, S. A.
The Single-Variation Principle in the Theory of Creep (In Russian)
Izv. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk no. 2 (1952) 122-124
The principle is worked out by Robinson for any steady-state creep rate process.

[1449] Shestakov, L. M.
On the Calculation of Stress Relaxation in Metals (In Russian)
Zhur. Tekh. Fiz. 28 (1958) 1024-1031
Stress relaxation in metals is a consequence of internal reorganization of the lattice which is not in equilibrium. The mobility of atoms is constant in a certain range of temperatures and increases with increasing temperature. The stress relaxation depends on the degree of the thermodynamic instability of the system, and on the degree of the deformation, or both, the greater the latter, the greater the rate of relaxation. The greater the rate of relaxation, the greater the rate of recovery, i.e., the rate at which the stress falls. Phase changes, recrystallization, etc., which disturb the thermodynamic equilibrium of a system likewise influence the process of stress relaxation.

[1450] Shevchenko, E. M.
Agreement of Mechanisms of Fracture and Unit (Normal Strength of Metals) (In Russian)
Zhur. Tekh. Fiz. 28 (1958) 803-812
Critically analyzes the theories of Davidenko, Fridman, Kuznetsov, and Rehbinder.

[1451] Shiba, Y.
A Theoretical Study of Young's Modulus of Binary Solid Solutions (In Japanese)
Nippon Kinzoku Gakkaishi 20 (1952) 231-238
The relation between Young's modulus and the composition of solid solutions has been investigated. Denoting the interaction energy E_{AB} , E_{AC} , and E_{BC} , respectively, the following results are reported: (1) A linear relation between Young's modulus and composition exists; (2) the E_{AB} and E_{AC} values are related to the mean value of E_{AB} and E_{AC} ; (3) the agreement with these obtained by experiment and (4) using the value of E_{AB} obtained from measured values of lattice constant and the composition, the magnitude of Young's modulus of polycrystalline alloys has been estimated and found to agree within approximately 10% with the measured value. Mo-W, Ag-Pb, and Au-Pb systems have been investigated.

[1452] Shihabov, V. P., Agreva, V. A.
Relationship Between Hardness and Composition of Dilute Solid Solutions (In Russian)
Izv. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk (1954) 176-180
The hardening coefficient K was extended to explain the effect of composition, temperature, and strain rate on hardness. Hardness in dilute solution is determined by lattice distortion. The composition increases the rate of dislocation forces, according to Hume-Rothery, leads to concentration of dislocations, i.e., to reduction of hardness. Increase of strain rate is unfavorable, i.e., to increased hardening, but it will also increase the rate of dislocation forces. Hence, as the concentration of dislocations increases, hardness may increase, decrease, or pass through a maximum. Increase of temperature does not affect relative stress, but more effectively at lower rates of strain. These ideas were applied to solid solutions of Fe in Cu and Sn in Pb. The model was applied to the hardening of the observed hardening behavior.

[1453] Shihabov, V. P., Agreva, V. A., and Yakhovskaya, N. A.
The Effect of Temperature on the Rate-of-Hardening Coefficient (In Russian)
Zhur. Tekh. Fiz. 28 (1958) 891-899
The rate-of-hardening coefficient is defined as the equation $H = K \epsilon^n$, which gives the hardness H as a function of the loading time t . The effect of temperature on the rate-of-hardening coefficient was studied in hardening coefficient increases with increasing temperature, and increasing rate of deformation, particularly for the ferritic alloys. The relation between the temperature T , the rate of hardening $\dot{\epsilon}$, and the time of loading t , is given by the function $T = C_1 \dot{\epsilon}^{\beta} t^{\alpha}$, where C_1 , α , and β are constants.

[1454] Shihabov, V. P., and Shabatova, Y. V.
Influence of the Time of Loading on the Strength of Metals and Their Alloys (In Russian)
Zhur. Tekh. Fiz. 28 (1958) 1611-1626
The diameter of the dislocation produced by a half increase with time t of loading $\dot{\epsilon}$ is $\propto t^{-1/2}$ (the number n is to be treated "the velocity" of movement of the dislocation). It ranges from 0.016 for Al and 0.112 for Sn, increasing in the order Cu, Ag, Sn, Zn, Cd, Pb, and Bi. It increases with load $\dot{\epsilon}$, i.e., for half increase in $\dot{\epsilon}$ for a fixed force on the load. Binary metallic alloys have higher, and ternary metallic alloys higher, n values than the component metals. There are differences between the n values for cast and annealed materials. In the systems Bi-Sb, Bi-Pb, Bi-Ge, and Al-Zn (annealed at 100 to 100°C), n varies almost parallel with the temperature coefficient of the hardness.

[1455] Shihabov, V. P., and Shabatova, Y. V.
Equation of State of Zinc From Thermal Data
Dokl. Akad. Nauk S.S.S.R. 158 (1954) 191-193
A method of deriving the equation of state of solid metals from a knowledge of thermal expansion, specific heat, and elastic constants was developed by an extension of the work of Clausius. The equation was used to determine the effect of pressure on the lengths of Zn crystals in directions both parallel to and perpendicular to the hexagonal axis. The calculated lengths agree closely with those determined experimentally by X-ray methods.

[1456] Shihabov, V. P.
Half-Dislocations
Phys. Rev. 77 (1950) 124
Any dislocation can be resolved into two components for which the net displacement is a vector along the dislocation in (1) perpendicular and (2) parallel to the dislocation axis. The force between two parallel dislocations is equal in magnitude to the force between two parallel dislocations separated by a distance d in the direction of the dislocation axis. The force between two parallel dislocations separated by a distance d in the direction of the dislocation axis is $\propto 1/d$ and $\propto 1/d^2$ which together produce the same net force. In (1) and (2) the dislocation is resolved into two components due to the Taylor-like component of these dislocations over the attraction in the direction of the dislocation axis. It is found that the repulsive force due to the two screw components is that the half-dislocations tend to separate. A consideration of the nature of the "half-slip" plane shows that it will be greatly hardened for slip on planes cutting through it and that this effect may play a major role in the hardening as unpaired slip planes.

[1457] Shihabov, V. P.
Localized Radiation Damage as a Means of Studying Vacancies and Interstitials
Paper from Dislocations and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1955) 581-587
After bombardment with, e.g., α rays, gas loss, if there is unbalance between the rate of recombination of vacancies and interstitials with the material. This will produce observable change in the shape of the dislocation line.

[1458] Shihabov, V. P.
Dislocation Models of Grain Boundaries
Paper from Solid State Physics, 9th Solvay Conference, Brussels, Edited by S. Durrant (1955) 471-485
There is a full presentation of the classic theory involved in the calculation of the energy of low-angle boundaries as a function of dislocation, array of edge dislocations (Elli boundary), but it is not only a simple extension of the theory to a three-dimensional dislocation array at a grain boundary. Comparison with experimental energy data is presented. Agreement is shown to be significantly good.

[1459] Shihabov, V. P., and Brad, W. T.
Quantitative Determination From Dislocation Models of Crystal Grain Boundaries
Phys. Rev. 77 (1950) 692
Dislocation models of grain boundaries have certain quantitative consequences which are directly verifiable in experimental tests, so that theoretical and experimental investigations of grain boundaries may be based on a firm ground. The presence of particularly arrays of dislocations in solids by a small angle rotation about an important crystallographic direction.

[1460] Shihabov, V. P., and Ryzhova, G. I.
Coefficient of Hardening of Metal Single Crystals (In Russian)
Dokl. Akad. Nauk S.S.S.R. 152 (1954) 85-87
For single crystals of Cu, Zn, and Sn, the relation between shear stress, τ , and specific yield strength, σ_y , is approximately linear $\tau = k \sigma_y$, where $k = 0.15$, the coefficient of hardening, is constant above the whole course beyond the yield point.

[1461] Shihabov, V. P., Zakharenko, B. P., and Kozlov, B. V.
Determination of the Mechanical Properties of Steel Without the Use of Tensile Specimens (In Russian)
Zavodskaya Lab. 13 (1949) 1463-1471
Establish relationship with the four basic characteristics of the mechanical strength of steel (yield point, yield strength, relative elongation, and relative contraction) by means of pressure in a cell with a 90-degree angle, or better, 120-degree.

[1462] Siebel, E.
Mechanics of Materials (In German)
Z. Ver. deut. Ing. 92 (1948) 465-471
The mechanical behavior of crystalline materials under tensile stress can be described by the interaction between shear strength and slip, flow, and fracture resistance. Thermal motion of the atoms reduces slip resistance and coherence of the material. Differences of effects of tension and compression under alternating stress.

[1463] Siegfried, W.
Stress Distribution and Fracture During Creep (In German)
Scheiv. Arch. angew. Wiss. u. Tech. 1 (1948) 1-14
Many of the phenomena of creep can be explained by the amorphous intergranular cement hypothesis and by the existence of an equilibrium temperature, but to account for the shape of the load-time curves and the occurrence of "necking" or "grain" fractures, it is necessary to consider the distribution of stresses between the grains and the boundary material, the transfer of material from the surface to the interior of the grain, work hardening, and recrystallization. This, Siegfried proceeds to do. He considers first the stress distribution in a substance in which the boundary material is much harder than the grains, then in a substance in which the reverse is the case, and finally in a substance in which both hold. He goes on to discuss the effect of temperature, of time at constant temperature, hardening, and recrystallization, and shows, by reference to published experimental work on creep, how the shape of the curves and the appearance of the fracture agree with the deductions.

[1464] Siegfried, W.
Failure From Creep as Influenced by the State of Stress
J. Appl. Mechanics 12 (1945) A202-A212
As early as 1912, it was pointed out by Rosenhain and Egle that the behavior of metals at high temperatures could be explained by the combined action of the crystals and the so-called grain boundaries. With the aid of the Bornhauser-Sorenson concept, he attempts to reconcile discrepancies between recent observations on the occurrence of intergranular fracture and experimental work on creep. Now the shape of the curves and the appearance of the fracture agree with the deductions.

[1465] Siegfried, W.
Creep Tests and Extrapolation of Their Results to Long-Time Tests (In French)
Fourth International Congress on Industrial Hygiene, Paris (1952) 19 pp
A detailed study was made of the relation between actual stress and rate of flow in long-time tests. Relationships between theoretical and experimental stress rupture values are discussed.

[1466] Slichter, G. M., and Craig, W. J.
Influence of Grain Size on Work Hardening and Fatigue Characteristics of Alloy Steels
Trans. ASME 64 (1942) 928-940
The relationship between microstructure and the strength properties of metals has long been a problem of practical interest to the metallurgist. In the present paper a relation between metallurgical grain size and the fatigue properties of 10-30 carbon steels has been discussed from the viewpoint of the "dislocation" theory of work hardening. The results of experiments, tensile and fatigue tests performed on the steels appear to be consistent with the concepts of this simple hypothesis.

[1467] Slichter, G. M., and Kishner, R.
The Elastic Interaction Between Point Defects and Clusters of Point Defects in Metals
Acta Met. 5 (1956) 398-408
A model is proposed and calculated for the elastic interaction between two single-point defects, between string-clusters with single-point defects, and between planar clusters with single defects. The analysis of the elastic model shows no interaction between single defects but appreciable interactions between single defects and clusters. The interaction energy is calculated and plotted as a function of the relative position of the two defects. The asymptotic behavior of the interaction potential between a point defect with other type of cluster varies inversely with the third power of the distance separating them.

[1468] Slater, J. C.
The Equations of State of Metals
Lecture XII of *Progress in Theoretical Physics*, McGraw-Hill Book Co., Inc., New York (1957) 197-221
Lays the foundations for a statistical study of the equation of state of metals, without the use of a model, so cannot compute the desired thermodynamic quantities. Considers the propagation in the case of hydrostatic pressure, in which the volume and temperature are the independent variables.

[1469] Slater, J. C.
Band Theory of Bonding in Metals
Paper from *Theory of Alloy Phases*, Am. Soc. Metals, Cleveland (1956) 1-12
First and general methods of calculating the energy bands of atoms or crystals, the approximations involved, and the way in which these atoms and the theory of solids are treated and discussed. It is pointed out that metallurgists should make use of recent developments in the theories of metals which most of them seem to be unaware.

[1470] Slater, J. C.
On the Oscillation of Iron at 4.4 K
Acta Met. 5 (1957) 764-765
In a comparison of results taken carried out in different metals, the effect of the boiling point must be considered. The type of apparatus is important; "soft" machines tend to mask variations in the stress-strain curve and "point-to-point" observations are of little use in this study. Slater's conclusion that the work of Smith and Buehler supports the hypothesis mentioned by Deanski and Smith (ibid., 176).

[1471] Silber, A., and Vinnov, F.
Concerning the Effective Range of Strain Hardening (In German)
Scheiv. Arch. angew. Wiss. u. Tech. 16 (1950) 80-84
Theoretical mathematical analysis of the extent to which crystalline layers surrounding a given grain distort slip at that grain. Effects of orientation and distance from the grain of the layers.

[1472] Slichter, G. M., and Kaufmann, W.
An Unusual Effect in the Creep of Zinc Single Crystals
Phys. Rev. 72 (1950) 631-632
Describes the "rest-hardening" effect in the creep of Zn single crystals. The Zn crystal after softening somewhat at 15°C upon resting, rehardens again upon further resting. This effect bears some similarity to Drowart's thermal-hardening effect, with some differences, τ , the absence here of softening upon further deformation.

[1473] Slichter, G. M., and Garland, C. W.
Lattice Dynamics of Hexagonal Close-Packed Metals
J. Chem. Phys. 26 (1957) 787-793
Assuming that the atoms interact with central forces, the lattice dynamics of hexagonal close-packed metals were examined theoretically. Atomic-chore constants were related to the elastic constants by the method of homogeneous deformation in which the contribution of the electron gas to the elastic constants is neglected. The results are compared with experimental data in the region. Relations are developed for the propagation of acoustic waves in hexagonal crystals which permit calculation of the elastic constant from ultrasonic pulse-velocity measurements.

[1474] Smallman, R. E., and Weintraub, K. H.
Sticking Faults in Face-Centered Cubic Metals and Alloys
Phil. Mag. 2 (1957) 669-693
Sticking faults on {111} planes of several face-centered cubic metals and alloys have been investigated by cold work, and estimates of the sticking fault probability have been obtained from changes produced in the Dwyer-Stearns spectrum. The sticking fault probability increases on slipping, from one plane in 100 in Cu, to one plane in 25 for some high purity central alloys containing Zn, Al, Sn, or Cr. Both screw dislocations and "screwed-in" vacancies have little significant effect on the sticking parameter.

[1475] Smallman, R. E., Williamson, G. K., and Ardley, G.
Yield Points in Aluminum Alloy Single Crystals
Acta Met. 1 (1953) 124-130
Experiments were made to compare tensile behavior of some Al alloy single crystals which contained Cu, Zn, or Fe, with that of unimpure Al crystals.

[1476] Smallman, R. E., and Termonian, S.
X-Ray Study of the Plastic Deformation of Metals During Static and Dynamic Compression (In Russian)
Izv. Akad. Nauk S.S.S.R. Ser. Fiz. 10 (1956) 664-670
Mechanism of distortions of the atomic crystal lattice of metals subjected to compression. Negative role of residual distortions of crystal lattice as far as later fracture of the metal is concerned.

(1177) Smith, A. A.
 Creep and Recrystallization of Lead
 Trans. AIME 143 (1943) 164-174
 Creep rate on high purity Pb does not always proceed uniformly, but sometimes occurs by intermittent steps. Recrystallization occurs at the higher rates of extension, but could not be detected at low rates. When recrystallization is a factor, the creep rate is greater than would be obtained by extrapolation from the linear part of the log rate-log stress curve. Rather prepared an energy analysis of the creep process from which an energy value can be calculated which is on the same order of magnitude as the heat of diffusion of the metal. The value obtained is 10,500 cal/mole and is lower than the heat of self diffusion (24,000 cal/mole).

(1178) Smith, A. D. N.
 A Study of Some Factors Influencing the Young's Modulus of Solid Solutions
 J Inst Metals 80 (1952) 473-482
 The value of Young's modulus for a series of binary solid solutions based on Cu or Ag has been measured experimentally at room temperature. It was found that, in any one system, the modulus decreases approximately linearly with 10% of the solute, although the rate of decrease differs for each system. This rate of decrease depends not only on the difference in atomic radii of the solute and solvent, as suggested by Zener's Lattice Constant Theory, but also on the difference in valency between the two. It appears that the lattice effect may be proportional either to the square of the valency of the solute or to the electron concentration. Close relations are found to exist between the rate of decrease of the modulus and of the solution temperature for any given solution of Cu or Ag.

(1179) Smith, C. S.
 A Theory of Transient Creep in Metals
 Proc Phys Soc (London) 61 (1949) 201-206
 A new approach to the theory of transient creep in metals is described and the relation is derived $\dot{\epsilon} \propto \exp(-U/RT)$ between the creep rate and the absolute temperature T , and the time t_c to a constant strain rate. This relation is compared with experimentally obtained curves. The movement of trapped dislocations released by thermal fluctuations is considered to be the elementary process of flow. The transient character of the creep is ascribed to the progressive exhaustion of dislocations requiring low activation energies for escape.

(1180) Smith, C. S.
 Hardness Changes Accompanying the Ordering of B2 Bravais
 Trans. AIME 152 (1943) 144-151
 In 50/50 brass, ordered compounds at about 450-470°C and in about complex at 100°C. The softest condition assumes that hardening is related to ordering and that a room temperature represents completely ordered structure.

(1181) Smith, D. P.
 Note on the Rate of Rifting in Cold Work and a Possible Measure of Plastic Deformation
 J Appl Phys 22 (1949) 1186-1187
 It is believed that plastic deformation of crystalline materials before is accompanied by opening of lattice structure. Various such evidence of "rifting" attributed by the author to interstitial atoms will be presented between rifting and dislocation.

(1182) Smith, G. S.
 The Mechanism of Brittle Fracture
 Metallurgische 23 (December 1945) 55-58
 Evidence of the actual process of fracture of brittle materials is not yet in obtain. The present study of low-angle has introduced a new conception of fracture which accepts the acceptance of a theory developed 25 years ago. Various aspects of the subject are reviewed and particular attention is directed to recent work. The results which appear to establish, with certain limits of error, the role of residual internal defects during fracture and the actual formation of the parts of the new surface.

(1183) Smith, G. V.
 Strain Hardening Effects of Alloying Elements and Microstructure
 Paper from Cold Working of Metals, Am Soc Metals, Cleveland (1943) 2-10
 The effects of grain size, temperature, alloying in solid solution and heterogeneous microstructure on the rate of strain hardening in metals and alloys are approximately inversely proportional. Special attention is drawn to the largest available evidence, which suggests that no case of temperature may actually increase the rate of strain hardening of some materials, although with others it may decrease it.

(1184) Smith, G. V.
 Properties of Metals at Elevated Temperatures
 Symposium 21 (April 1946) 45-67, (May 1946) 51-63
 Part I. Most strength at elevated temperatures, working stresses that may be applied, characteristics of creep, and the relation between stress and time for rupture. A typical design chart for a standard steel variable, mechanical and surface changes, and aging and corrosion.
 Part II. Effects of microstructural stress and temperature, metallurgical variables, mechanical and surface changes, and aging and corrosion.
 Part III. Effects of microstructural stress and temperature, metallurgical variables, mechanical and surface changes, and aging and corrosion.

(1185) Smith, G. V.
 Properties of Metals at Elevated Temperatures
 Metallurgische 22 (1946) 79-84
 Properties are classified in the broad categories: strength, other physical properties such as thermal expansion or conductivity, phase models, and the like, resistance to aging or other corrosive attack changes in microstructure occurring during service, and effect of these on properties.

(1186) Smith, G. V.
 Metallurgical Aspects of Strength at Elevated Temperatures
 Proc Soc Exppt Stress Anal 12 (1954) 155-162
 Effects of metallurgical variables and change during service on properties.

(1187) Smith, R. L. and Rutherford, J. L.
 Further Considerations on the Ductility of Iron at 4.2 K.
 Acta Met 1 (1953) 761-762
 The effects of purity and grain size are discussed in relation to present in the form of the stress-strain curve.

(1188) Smith, S. L. and Wood, W. A.
 A Stress-Strain Curve for the Atomic Lattice of Mild Steel in Compression
 Proc Roy Soc (London) 181 (1943) 37-42
 A stress-strain curve was obtained for the atomic lattice of mild steel subjected to compression. A set of atomic planes is selected perpendicular to the direction of the stress, and the change in spacing is measured as the applied stress is varied. The lattice curve is compared with the corresponding stress-strain curve for the external dimensions in the compression test, and also with the lattice stress-strain curve previously obtained for the same material when subjected to tensile stress. The results suggest that the mechanism of the plastic lattice involves the principle that after the lattice yield point, in a given direction the lattice systematically assumes a permanent strain in such a sense as to oppose the elastic strain induced by the applied stress.

(1189) Smith, S. L., and Wood, W. A.
 Internal Stresses Created by Plastic Flow in Mild Steel and Stress-Strain Curves for Atomic Lattice for Higher Carbon Steels
 Proc Roy Soc (London) 182 (1944) 404-414
 It is shown that internally applied stress above yield is no longer balanced primarily by simple displacement of atoms but also by new type of lattice deformation.

(1190) Smolchowski, R.
 Theory of Grain Boundary Motion
 Phys Rev 81 (1952) 91-97
 The motion of grain boundaries in metals is considered from a point of view similar to that used by Hirth in the theory of viscosity of grain boundaries. By introducing a fairly dependent on surface free energy of grain boundary and assuming the experimental activation energy, one obtains satisfactory agreement with experiment.

(1191) Smolchowski, R.
 Dislocations in Solids
 Paper from Science of Engineering Materials, John Wiley and Sons, Inc., New York (1952) 152-160
 Nature, source, and movement of dislocations in metals and crystals. Application of dislocation theory in the study of the basic mechanical plastic deformation.

(1192) Smolchowski, R.
 Mechanism of Propagation in Relation to Design Requirements
 Paper from Metallurgical Progress, Inst of Met., London (1956) 21-61

Completely discuss areas of knowledge and ignorance in fields of brittle failure and fracture, Mohr's theory of brittle failure, fatigue, and propagation are treated historically and experimentally.

(1193) Skoblov, L. D.
 Investigation of the Influence of Grain Size on the Relationship Between Compression Rate and Strain Rate in Plastic Deformation (in Russian)
 Zhur Tekh Fiz 13 (1948) 89-92
 Cylindrical specimens of Al of different grain size were compressed at rates between 0.01 and 1 mm/sec. It was found that the "critical strain rate" has a lower value for specimens with smaller grain size. The degree of rate-sensitive behavior in the process of deformation in the case of high- and low-melting metals and alloys.

(1194) Skoblov, L. D.
 Systematic Investigation of the Rate and Temperature Dependence of Strain Rate in Deformation of Single Phase Metals (in Russian)
 Doklady Akad. Nauk S.S.S.R. (1950) 839-841
 Investigation for Fe, Sn, and Cu from room temperature up to their respective melting points and for various rates of deformation.

(1195) Skoblov, L. D.
 Theory of the Influence of Rate on the Resistance of Metals to Plastic Deformation (in Russian)
 Zhur Tekh Fiz 15 (1950) 447-457
 Dynamic analytical expressions of the relation between resistance to plastic deformation and rate of deformation in the case of some modern theories of plasticity. The most suitable relation, and that corresponding most closely to experience, is obtained by comparing internal and thermal plasticity. Dislocation theories based on considerations of microplasticity give correct relations for small deformations. The validity of Zener and Hollomon's formula $\dot{\epsilon} \propto \exp(-U/RT)$ is confined to regions of low homologous temperature. From examination of Zener and Hollomon's [Zhur Tekh Fiz 13 (1948) 107] as well as Skoblov's own formula, it appears that these are suitable and convenient for practical calculations.

(1196) Spill, W.
 On the Concept of Strain Hardening (in German)
 Metall 22 (1952) 772-778
 Work hardening in metals is critically discussed in relation to plastic flow and dislocation theories. The results lead to the conclusion that a better understanding of the phenomenon can be obtained if the properties of an "ideal elastic" body are considered rather than those of an "ideal plastic" body. Thus, real metals can be considered to soften under plastic flow, as compared with an ideal plastic body. In such circumstances, increasing rate of strain does not signify increased work hardening but decreased softening, due to the smaller amount of work available for it to take place. Similarly, with increasing temperature, there is a greater amount of softening rather than a smaller amount of work hardening. Although applicable in the first place to single crystals, the fundamental principles of the new concept govern the behavior of polycrystalline materials, although in the latter case there are many factors which cause complications.

(1197) Spill, W.
 Physics of Permanent Deformations (in German)
 Metall 22 (1952) 679-683
 Certain fundamental phenomena of flow, thermoelectric effects, interstitial damping, equilibrium processes, mechanical microprocesses, and tendency toward brittle fracture by metals.

(1198) Spill, W.
 The Origin of Slip Bands in Plastically Deformed Metal Surfaces (in German)
 Metallurgische 26 (1953) 119-121
 The regular spacing of slip bands in metals is discussed, and it is concluded that the formation of the bands is due to slip taking place preferentially at the sites of lattice defects, then the random nature of the latter would lead to irregularity in the slip-band spacing. These considerations lead to the conclusion that during the flow of plastically deformed metal, dislocations are generated and their reflection at crystal surfaces, grain boundaries, and inhomogeneities within the crystal, which leads to interference phenomena and thermal and electrical effects. Interference results in oscillations of sufficient magnitude to produce preferential slip. The spacing (1/2) of individual slip lines in a slip band therefore can be ascribed to the effects of hyperacoustic vibrations. Conversely, constant rates of slip spacing can be used to calculate the frequency of the vibrations set up during plastic flow.

(1199) Spill, W.
 Flow Phenomena in Single Metals
 Metall 20 (1950) 910-915
 Dislocation and dislocation line theory that during the flow of plastically deformed metals, interaxial vibrations are generated which reflect off of crystal surfaces, grain boundaries, and inhomogeneities within the crystal, which lead to interference phenomena and thermal (local hot spots) and electrical effects.

(1200) Spill, W.
 A Theory of Strength of Metals Based on Their Structure (in Russian)
 Zhur Tekh Fiz 13 (1948) 857-862
 Assumes that the deformation of polycrystals proceeds by deformation of the individual grains. On this basis, a method for averaging of yield points is proposed and validated experimentally for three types of alpha-Fe, for Cu, and for Fe. Influence of structural state of the material.

(1201) Spill, K.
 Predicting Creep Strength of Metals
 Metall Page 31 (March 1947) 441-442
 Stress versus temperature, plotted on arithmic paper, gives nearly straight lines. One known value for Cu was used to predict other values by drawing a line roughly parallel to curves for other metals and alloys.

(1202) Stehr, H., and Dreger, A.
 Electron Theoretical Investigations Concerning Defects in Metals
 Z. Physik 126 (1949) 217-241
 The observed fractional changes in density of metals on heavy cold working cannot be explained by dislocation theory if attention is restricted to linear elasticity theory. If, however, nonlinear terms (ratios related to higher powers of the stresses) are taken into account, both screw and edge dislocations are found to be dilated in comparison with the undistorted lattice. For a screw dislocation, compression gives a dilation of 2/3 atomic volumes/lattice plane/dislocation line. It is estimated that the computed dilation change will be reduced by an amount more than 10% through the influence of nonlinear elastic scattering of dislocations, with a view to calculating resistance changes due to dislocations.

(1203) Strick, R. P., and Rivik, R. M.
 Flow and Fracture of Single Crystals of High-Purity Ferrite
 Trans. AIME 45 (1954) 1406-1418
 Slip behavior of high-purity Fe containing Cu or Ti was investigated by tensile and compression at room and low temperatures. The slip directions being investigated microscopically and by X-ray studies. Slip can occur on planes in the (110) zone, the resistance to slip varying usually between (110) and (112). The critical shear stress for slip was independent of temperature and strain rate. Mechanical testing was observed below 75°C. A theory of slip in high-purity phases in bcc materials is developed from a consideration of a hard sphere model.

(1204) Stronach, A.
 Phenomenon of Cleavage (in Russian)
 Zhur Tekh Fiz 13 (1948) 492-500
 Presents detailed theoretical study, considering that this property is universal and is present in all types of crystals including those of metals, minerals, salts, and even organic compounds. Data of investigation indicate that anisotropy of elastic properties is necessary for cleavage.

(1205) Stronach, A.
 Dislocation Theories of Strength and Plasticity (in Russian)
 Izvest. Akad. Nauk S.S.S.R., (1954) 109-127
 [Translation in Research 3 (1956) 227]
 The fundamental principles underlying existing dislocation theories discussed and revised; an alternative approach to the study of strength and plasticity of crystals proposed.

(1206) Stronach, W. II.
 The Stability of Microstructure and Related Physical Properties at Elevated Temperatures
 Paper from High Temperature Materials, Their Strength Potentials and Limitations, Fourth Symposium Quincentennial Materials Research Conference (1957) 70-80
 The general trend in several fields of engineering, particularly those connected with high speed flight, toward shorter service times and higher temperature calls for a new approach to the strength improvement of metallic materials. While the conventional long-time applications are confined to the moderate strength of stable microstructures, shorter times permit the

1512) Rowell, E. Z.
A Phenomenological Relation Between Strain Rate and Temperature for Metals at High Strain Rates
NACA TN 4000 (1962) 19 pp
The following phenomenological relation is suggested:
$$\dot{\epsilon} = \dot{\epsilon}_0 \exp\left(-\frac{U}{RT}\right) \exp\left(-\frac{Q}{RT}\right) \exp\left(-\frac{K}{\dot{\epsilon}^n}\right)$$

where $\dot{\epsilon}$ is strain rate, U is activation energy, R is gas constant, T is temperature, Q is an energy term, K is a material constant, n is a power-law exponent, and $\dot{\epsilon}_0$ is a constant. This general equation is simplified for steady-state creep, creep rupture, stress relaxation curves, and rapid-fracture curves. The theory is compared with data on 7075-T6 Al alloy steel, and a reasonable agreement is obtained.

1513) Strick, A. N.
A Theoretical Calculation of the Stored Energy in a Work-Hardened Material
Proc. Roy. Soc. (London) 228A (1955) 391-400
An attempt is made to calculate the amount of energy stored in a cold-worked metal, in terms of a theory of work hardening in which dislocations are assumed to pile up against obstacles in the slip planes. The stored energy may be due to (1) pile-up groups of dislocations and (2) residual lattice stress formed by the moving dislocations. The potential energy of (1) is attributed to (a) the energy of dislocations of the same sign, and (b) the energy due to the interaction of different groups of dislocations. It is found to be only a small proportion of the total work done in deformation and to be appreciably proportional to the total strain. For large strains these predictions are in reasonable agreement with experimental results on pure metals deformed in various ways. For small strains much of the stored energy may be due to the formation of vacancies and interstitial atoms, i.e., (3). Thermal softening of recovery may be interpreted as a dispersal of pile-up groups, and the theory shows that much of the stored energy can be released before there is much effect on the hardness or flow stress.

1514) Strick, A. N.
The Mean Shear Stress in an Array of Dislocations and Lateral Hardening
Proc. Phys. Soc. (London) 67 (1952) 1-6
Following work of Taylor and Hirth, the shear stress on a slip plane is taken as a measure of the work hardening on that plane. Shear calculations on the possible work hardening of a lattice glide system in terms of an array of screw or edge dislocations on an operative system. The results are shown to be independent of the dislocation density. Since the rate of work hardening in duplex glide is as high as in simple glide, it concludes from his calculations that edge dislocations account for the greater part of the hardening process.

1515) Strick, A. N.
The Formation of Cracks as a Result of Plastic Flow
Proc. Roy. Soc. (London) 222A (1954) 484-414
Stress around a piled-up group of dislocations investigated with reference to initiation of a crack. A crack would form when group stresses of about 1000 dislocations in a cold-worked metal.

1516) Strick, A. N.
The Formation of Cracks in Plastic Flow - II
Proc. Roy. Soc. (London) 222A (1955) 548-560
In the earlier work on the possibility of a crack being formed on a pile-up of dislocations, the pile-up was treated as a whole, and no attention was paid to the part played by individual dislocations. The mechanism involved in the formation of a crack is now treated, and it is suggested that a crack starts at the head of the pile-up. The rank of the dislocations never exceeds the degree of the shear stress concentration required to force the leading dislocation together. This plays a secondary role in crack formation, and, in principle, is replaced by any other stress concentration. The possibility of relieving the stresses around the pile-up by slip on the perfect lattice (instead of by fracture) is considered. Finally, it is shown that the dislocation are equally effective in producing a stress concentration, and so help in initiating a crack when they are distributed over several slip planes, provided certain conditions are satisfied. In a heavily cold-worked ductile material a number of small cracks can be expected to be formed rather than a single or two when these link up.

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1517) Strick, A. N.
Mechanisms of Creep and Yielding
Brit. J. Appl. Phys. 7 (1956) 968-972
A piled-up group of dislocations, e.g., at a grain boundary, causes a stress concentration in its neighborhood. If the maximum tensile stress at a distance r from the pile-up is equated to the stress provided for a Griffith crack to spread, the theory of brittle fracture is obtained that predicts correctly the relation between stress and grain size, and also the constant of proportionality in $\sigma \propto d^{-1/2}$. At higher temperatures, it is found that the lower yield point also depends on the grain size in Fe. The theory can be used to predict the ductile-brittle transition and the temperature in Fe is calculated as 100 K. A similar temperature is calculated as that at which a crack already moving will stop.

1518) Strick, A. N.
The Strength of Lattice-Controlled Slip Dislocations
Phil. Mag. 1 (1956) 481-502
A Lomer-Cottrell sessile dislocation at the head of a piled-up group of dislocations may give way under the combined action of stress and temperature. Depending on the combined action of the stress, the dislocation may yield either by recombining and slipping on a (100) plane or by dissociation into the dislocations from which it was formed. The temperature required for both these mechanisms is obtained as a function of stress, but the results depend rather sensitively on the structure of the dislocation core.

1519) Strick, A. N.
The Existence of Microcracks After Cold-Work
Phil. Mag. 1 (1956) 1-4
It is suggested that changes in density and electrical resistance on cold work may be due to the formation of microcracks. To this the experimental values of Garofalo, et al., for Fe (cracked) are applied, which yield a 10^{-7} cm in length.

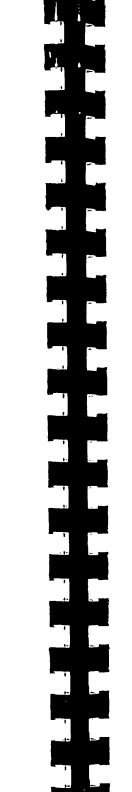
1520) Strick, A. N.
A Theory of the Fracture of Metals
Adv. Phys. 5 (1956) 419-465
A development and discussion of a theory of transcrystalline fracture of polycrystalline materials. The attempt is made to show how the principal features observed follow from a simple model. Included is a discussion of brittle fracture, the lower yield point, the ductile-brittle transition, propagation of cracks, and ductile fracture.

1521) Strick, A. N.
The Cleavage of Metal Single Crystals
Phil. Mag. 1 (1956) 597-606
A model of cleavage applicable to metals reacting on the slip plane is developed in which a crack is initiated at the end of a low-angle slip boundary remaining inside the crystal. The strength of the metal is determined by the efficiency of growth of the crack. Satisfactory agreement is obtained with the experimental results of Zn.

1522) Solter, J. W., and Wood, W. A.
Information of Magnesium at Various Rates and Temperatures
J. Inst. Metals 81 (1952-1953) 181-186
It is shown by X-ray and metallographic studies that polycrystalline Mg, deformed at various rates and temperatures, is in fact, at both high and low temperatures, and slow strain rates, a single or cell structure is formed within the grains. The order of events, from the first fracture to the final fracture, is as follows: (1) formation of a single fracture, (2) formation of a cell structure, (3) formation of a cell structure, (4) formation of a cell structure, (5) formation of a cell structure.

1523) Solter, J. W.
Metallic Creep
Research 1 (October 1947) 19-21
The phenomenon, its measurement, physical significance, and metallurgical aspects, and the development of creep-resistant alloys.

1524) Solter, J. W.
Metallic Creep and Creep-Retention Alloys
Interchange Publishers, New York (1949) 278 pp
Practical and theoretical aspects. Development of the existing theory of the strength of metals with special reference to creep, and certain metallurgical factors affecting creep. Experimental techniques and creep properties of various metals and alloys.



1525) Solter, J. W.
The Creep of Metals and Creep-Retention Alloys
Metals, Ltd. Rev. 1 (1951) 211-218
Analysis of creep in metals. Factors which influence creep, and some effects of engineering design. Historical and physical aspects of creep.

1526) Solter, J. W.
Recent Advances in Knowledge Concerning the Process of Creep in Metals
Paper from Progress in Metal Physics, V.I. Interscience Publishers, Inc., New York (1955) 375-380
The principal contributions to the knowledge of creep behavior published in the last 5 years are considered in detail and interpretations of the phenomena are discussed.

1527) Solter, J. W., Cole, G. H., and Willingham, G.
Creep of Metals Subjected to Compression Stress
Metals 1952 (1951) 411-412
Results of some creep tests under constant compression load on creep-resistant Cr-Ni alloys. Primary, secondary, and tertiary creep were observed, as in the case of ordinary creep testing. Suggests that, in both tension and in compression, tertiary creep is initiated by atomic rearrangement in the most heavily strained corner adjacent to the crystal boundaries, the onset of which may be determined by the amount of strain which the specimen has undergone.

1528) Sumlin, G.
Interaction of Dislocation with Atomic Order in Solid Solutions
Sci. Reps. Research Inst., Tohoku Univ. 10 (1950) 283-219
A mechanism of the interaction between a dislocation and the atomic order, which is due to the coupling of the stress field of the dislocation with lattice distortion accompanied by ordering in superlattice alloys, is proposed. The interaction energy and the locking force against the motion of the dislocation are calculated for the superlattice of the beta-brass type by using the quasi-chemical treatment developed by Bragg. The effect of thermal motion on the locking force is also considered on the basis of H. Suzuki's treatment. The interaction energy and the locking force for an edge dislocation reveal a sharp peak at the Curie point of order-disorder transformation, while such a sharp peak is absent in screw dislocations. The values for a screw dislocation are found to be from 10 to 10 percent of those for an edge dislocation. Furthermore, the shear-stress order hardening is expressed in terms of order parameters for the superlattice of the beta-brass type.

1529) Summerson, J. M.
Theories of Metallic Creep
J. Birmingham Met. Soc. 37 (1957) 537-552
Characteristic creep curves, time laws, and theories of creep. Note on structural changes during creep.

1530) Suzuki, H.
Theory of Breaking Strength - II (Static Friction in Dislocation)
Nippon Kinzoku Gakkaishi 16 (1952) 19-23
By thermodynamic consideration of a model, a formula connecting the breaking strength of a crystal with its thermodynamic function was obtained. In the case of a simple tensile test of an intermetallic alloy polycrystalline specimens at 0 K, the formula agrees with that of Frank. Proc. Roy. Soc. (London) 222 (1954) 217. The formula is successfully applied to tensile tests on a specimen with internal stress or under hydrostatic pressure, but it fails to evaluate the strength in the compression test.

1531) Suzuki, H.
Chemical Interaction of Solute Atoms with Dislocations (In English)
Sci. Reps. Research Inst., Tohoku Univ. 12 (1952) 455-463
A mechanism of interaction between a dislocation and dissolved atoms is outlined. It is shown to account reasonably for the difference in mechanical behavior between Fe and Fe crystals on the basis of the differing locking mechanisms operative in the two types of crystal. In the former case there is a weak but wide interaction range, while in the latter there is a strong, narrow valley of potential energy, the so-called "Cottrell atmosphere". As a result, in Fe crystals there is a low critical shear stress which is almost independent of strain, whereas in Fe crystals, there is a very high critical shear stress at low temperatures which decreases rapidly with rise of temperature.

A-119

1532) Suzuki, H.
A Theory of the Formation of Slip Bands in Face-Centered Cubic Crystals (In English)
J. Phys. Soc. Japan 7 (1954) 431-440
A theory of slip band formation in f.c.c. crystals is based upon the following three concepts: (1) a Frank-Read source multiplying dislocations in one reaction plane, (2) cooperative action of such sources, and (3) the differential distribution of dislocations near the free surface compared with the interior of the crystal. It is shown that about 1000 dislocations are produced from each source by the critical shear stress of the source. Experimental studies of the production and orientation of slip bands by optical and electron microscope, and evidence indicating a definite width of a slip layer are reviewed.

1533) Suzuki, H.
The Slow Motion of a Dislocation in a Face-Centered Cubic Crystal (In English)
Sci. Reps. Research Inst., Tohoku Univ. 24 (1956) 191-203
The slow motion of an extended dislocation accompanied by heterogeneous distribution of solute atoms in a hexagonal layer of an alloy is studied on the basis of the interaction mechanism between solute atoms and dislocations proposed by Suzuki [Metals, Ltd. Rev. (1952) 455]. In the case of a very small stress an expression for the velocity, v , of the dislocation is derived in the form: $v = K D \sigma^2$, where D is the diffusion coefficient of the alloy, K is the strength of the (Frank-Read) dislocation, if the applied shear stress, σ , and the critical shear stress of the alloy in the locking force of solute atoms, σ_c , are both small. The motion may be stable under an applied force less than 0.5×10^{-8} dyne/cm, according to the width of the dislocation. The slow motion is not responsible for the microcreep of Fe crystals at high temperatures.

1534) Suzuki, H.
Thermal Etching of Dislocations
Paper from Dislocation and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953) 172-175
Thermal etching technique can be applied to most metals and alloys, except for some metals having high work hardening at high temperatures, such as Zn, Cu, Mg, and their alloys. Some examples of Fe-Ni alloys which were etched at 1100 C for 30 minutes are shown.

1535) Suzuki, H.
Yield Strength of Binary Alloys
Paper from Dislocation and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953) 361-369
Yield strength depends on the interaction force between sources as well as on the force required to tear a dislocation from its locked site. The yield strength determined in experiments is usually the transition point at which the lagged in a stress-strain curve decreases considerably. The yield strength in theory, therefore, is reasonably determined from the theoretical stress-strain curve.

1536) Suzuki, H., Hirth, J. P., and Takewaki, S.
The Determination of Thin Copper Crystals
J. Phys. Soc. Japan 11 (1956) 382-393
Tensile stress-strain curves were determined for Cu single-crystal wires of various diameters and the dependence of work hardening upon crystal orientation and radius of the wire was studied. Two linear sections of stress and strain corresponded to regions of easy glide and yield hardening. Marked dependence upon crystal orientation is found for 2-mm-diameter wire particularly in the easy glide region. The slope of easy glide increases considerably with decrease of wire radius, depending upon orientation. The hardening rate in the yield-hardening range depends slightly on wire radius, but, in the easy-glide range, shows marked dependence on wire radius. It is shown to discuss the dependence of the "mean free path of dislocations" on the logarithmic range of easy glide is related linearly to the radius of the wire.

1537) Suzuki, H., Hirth, J. P., and Takewaki, S.
Deformation of Thin Metal Crystals
Paper from Dislocation and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953) 548-549
The effect of crystal radius on the determination of single crystals of Cu [J. Phys. Soc. Japan 11 (1956) 382] and alpha-brass, and, in particular, the effect on the range of easy glide, was studied.

1538) Suzuki, T.
Surface Structure and Plastic Flow in Fluorine Chloride Crystals
Paper from Dislocation and Mechanical Properties of Crystals, John Wiley and Sons, Inc., New York (1953) 215-227
Crystals were polished so that interfringe bands corresponding to single and double slip could be observed with polarized light microscopes. The length of surface sources, work-hardening and internal treatment is given. The plastic behavior of polished and annealed crystals is discussed in terms of the slip of surface sources.

[1550] Swank, T. A Theory of Slip Band Formation and Work Hardening in Face-Centered Cubic Metals (in English). Sci. Repts. Research Inst. Tohoku Univ. 63 (1958) pp. 1-13.

The theory of network dislocation in a face lattice, due to temperature and H. Suzuki (read before International Conference, Honolulu, Hawaii, 1957, and Japan, September 1958), is applied to a model for slip bands consisting of dislocation loops for a multistage process. It is shown that the dislocation loops are formed by the interaction of slip bands and dislocation loops. The dislocation loops are formed by the interaction of slip bands and dislocation loops. The dislocation loops are formed by the interaction of slip bands and dislocation loops.

[1551] Swann, W. F. G. Shear Modulus and Viscosity Relations in Plastic Materials. J. Franklin Inst. 252 (1955) 11-16.

The so-called plastic constants, ν_p , the shear and bulk moduli, μ and λ , respectively, derived from stress-strain data relating to the rapid material deformation of plastic materials under periodic alternating stress, are not, in general, their true values, but functions of the test piece, dependent upon the frequency of the applied stress. Mathematical expressions relating to directions in which present theory may be developed to make calculated results fit the experimental facts are discussed.

[1552] Sweetland, E. D., and Parker, E. R. Effect of Surface Condition on Creep of Some Commercial Metals. J. Appl. Mechanics 21 (1953) 30-32.

Some experimental work is described to determine the effect of the oxide surface layer on the creep properties of 20 24 and commercial stress Cu. It was found that the presence of an oxide layer increases the creep rate of these metals. The possible causes for the change in creep rate are briefly discussed.

[1553] Swift, H. W. Plastic Flow in Metals. Metallurgia 21 (1949) 75-76.

Various factors entering into phenomenon of plastic flow. Present state of knowledge, consideration of possible correlation of stress and strain, elastic deformation, and bending, and the nature and effects of plastic flow, metallic theory, dislocation theory, and Biliy theory.

[1554] Swift, H. W. Deformation of Metals. Metallurgia 21 (1949) 51-63.

Problems involved in this subject and of the contribution which can be made to it by the application of mechanical principles.

[1555] Swift, H. W. On the Fracture of the Plastic Range. J. Inst. Metals 21 (1952) 109-120.

Present state of knowledge and the extent research is able to make its contribution to various technological processes involving plastic deformation. Suggests the most profitable directions of inquiry appropriate to mathematicians, metal physicists, and engineers. An appeal is made to the metal physicists for a more realistic model of lattice structure, and to a systematic study of stress-strain relations on a wider front than hitherto.

[1556] Swift, H. W., and Tyndall, E. P. T. Elasticity and Creep of Lead Single Crystals. Phys. Rev. 112 (1954) 395-364.

The rigidity modulus and Young's modulus of single crystals of lead were measured by static methods. The elastic parameters agree with those determined dynamically by Gusev and Wozniak. The elastic limit under longitudinal stress occurred when the resolved shear stress on the most favorably placed slip plane was approximately 2×10^8 dynes/cm².

[1557] Svehlitz, W. H. A Study of the Relationship Between Applied Yield and Strain Rate Dependence of the Yield Stress for Copper and Aluminum. Trans. AIME 232 (1950) 417-624.

A mathematical model of fundamental relation between applied yield and strain rate dependence of the yield stress is presented. In the model, the yield stress is a function of the strain rate, the strain rate, and the strain rate. The yield stress is a function of the strain rate, the strain rate, and the strain rate.

[1558] Taber, D. A Simple Theory of Static and Dynamic Hardness. Proc. Roy. Soc. (London) 132A (1948) 247-274.

When a spherical indenter is pressed into a metal, plastic flow occurs. The permanent indentation is spherical in shape, but its radius of curvature is greater than that of the indenter. This is believed to be due to the release of elastic stresses. The energy involved in elastic recovery is found to account for the energy of rebound of the indenter. This analysis explains a number of empirical relations observed in dynamic hardness measurements. The results also indicate that stress of a material is not a function of time, but a function of strain rate. This is based on the theoretical work of Hertz and Hailbrunn in yielding. It is shown experimentally that for a material incapable of appreciable work hardening, the mean pressure required to produce plastic yielding is related to the elastic limit by an empirical relationship.

[1559] Taber, D. The Hardness of Metals. Oxford University Press, London (1951) 170 pp.

Hardness measurements by spherical indenters, deformation and indentation of ideal plastic metals and of metals which work harden, the practical considerations of "balling" and elastic recovery, use of central and pyramidal indenters, dynamic rebound hardness, and area of contact between indenter and specimen. The significance of work hardening, and the hardness measurements and their conversion factors, the connection between hardness and ultimate tensile strength, and typical hardness values.

[1560] Taber, D. The Hardness and Strength of Metals. J. Inst. Metals 21 (1951) 1-18.

Using a spherical indenter of fixed diameter to make hardness indentations, as in the Brinell test, it was found that the least necessary to produce an indentation of a certain hardness diameter is given by a relationship which depends on degree of work hardening of the metal. Shows that the strain rate curve of the metal may be derived from the hardness measurements. A series of curves shows the variation of the hardness measurements with the rate of work hardening. Materials as diverse as lead, steel, work-hardened Ni, and annealed Cu all lie near the theoretical curves. A similar analysis is given for pyramidal indenters such as used in making Vickers hardness measurements.

[1561] Taber, D. The Hardness and Strength Properties of Metal (in French). Rev. mét. 21 (1952) 208-210.

A brief theoretical discussion of the relation between the elastic limit and the hardness of metal.

[1562] Taber, D. The Hardness of Solids. Endeavour 13 (1951) 27.

Proposes a relationship between Vickers indentation hardness, H, and ultimate tensile strength, T_u , of an ideal plastic material. $T_u = 0.35 H$.

[1563] Taber, D. Hardness of Solids. S. African Mining Jng. 65 (March 13, 1950) 61-65, 67.

Investigation shows indentation hardness of metal if related to the plastic yield stress. Further study shows a simple physical explanation of Brinell's data which establish hardness scale for minerals.

[1564] Takachi, S., and Suzuki, H. Correlation Between Indentation and Plastic Flow in Metals (in Japanese). Hipon Kinoshita Gakkaishi 21 (April 1951) 14-18.

The assumption on the basis of which thermodynamic theory of plastic deformation was developed in a preceding report are discussed from the viewpoint of a dislocation model.

[1565] Takachi, S., and Suzuki, H. Theory of Plasticity. I. Correlation Between Lattice Transformation and Plastic Flow in Metals. I. Critical Shear Stress of Binary Alloys (in English). Sci. Repts. Research Inst. Tohoku Univ. 26 (1950) 45-55, 60-67.

1. Two fundamental relations, which are essential for expressing the resistance to plastic gliding in terms of thermodynamic functions, were derived by considering the structure of dislocations. One relation concerns the free energy difference developed during lattice transformation with the mechanical energy required for plastic gliding. 2. Critical shear stresses against the construction of the alloy and work various forms depending on the thermodynamic function applied.

[1566] Tamhankar, R., Pliam, J., and Crawford, C. Study of the Elevated-Temperature Plastic Deformation of a Salt Iron and of a Noble Nickel-Titanium Alloy (in French). Rev. mét. 55 (1958) 383-400.

The elevated-temperature mechanical properties and structural modifications accompanying deformation have been studied by means of tensile, torsion, creep, and internal-friction tests on two single-phase steels, an austenitic iron alloy, and a nickel-iron alloy, and on a nickel-titanium alloy. The principle was to vary the experimental conditions as regards temperature, rate of deformation, and grain size through a wide range. Study of the Portevin-Le Chatelier effect resulting from irregularities in slip during the course of the test and the influence of the heat of activation by various methods over a wide range of temperature. Slip and intercrystalline decohesion become predominant above the equilibrium temperature, which is easily determined in the case of the austenitic steel, is not apparent with Fe. Interpretation of the foregoing results by means of microemulsion and X-ray makes it possible to establish the part played by intercrystalline slip, by slip and diffusion at grain boundaries, and by polygonization and recrystallization.

[1567] Tappin, H. J., Forrest, P. G., and Tremblay, G. R. Creep Due to Fluctuating Stresses as Elastic Deformation. Engineering 120 (August 25, 1950) 189-193.

A theory regarding the behavior of materials under simultaneous fatigue and creep conditions is discussed, and supporting experimental results are given. The authors assume, as a first approximation, that for any instantaneous value of varying stress, the creep rate will be the same as in a static creep test at that stress, at the same time from the beginning of the test. An expression is proposed and close agreement with experimental results is shown at 255 C and at 400 C to show, when the creep occurs during the initial 2 hr of the test is disregarded. The necessity for this provision is described as experimental difficulties at the beginning of the test.

[1568] Taramond, L. On the Condition of Failure of Metals (in Russian). Zhur. Tekh. Fiz. 21 (1951) 1336-1344.

To combine the generalized stress-strain curves for different methods of loading, Taramond introduces the concept of "equivalent modulus of plastic tensile strength, fracture, etc.", to which he assigns the equivalent points of all curves on a single line through the origin. This by introducing the concept of a coefficient of nonlinearity relating appropriate equivalent yield stresses for each method of loading to the yield stress of the simple tension curve and accepts this coefficient for the plastic part of the curve as constant. In these conditions he assumes the co-linearity of deviator of stress and strain vector and the incompressibility of the metal.

[1569] Taras, H. P., and Erickson, W. Strain-Aging, Work-Hardening, and Inhomogeneous Deformation in Arco Iron-Alloy Steels and Dynamic Deformation. J. Appl. Mechanics 21 (1953) 285-289.

Under compression impact the work hardening produced is less than that produced by the same amount of slowly applied strain. Hardness is not uniform throughout the length of the specimen.

[1570] Tankers, J. Contribution to the Theory of Hardening (in German). Archiv für Eisenhüttenwesen 12 (1955) 45-48.

The following matters are discussed: (1) homogeneity of the deformation of single crystals; (2) Frank-Read sources; (3) theories of hardening; (4) Taylor's, Hollomon's, and Swift's theories; (5) recovery, recrystallization, and rate of hardening; and (6) determination of the contribution of the various factors to the total hardening. It is concluded that the following steps: (1) plastic deformation in the presence of Frank-Read sources which cause the production of stress zones on the lead regions and to hinder the production of further dislocations; (2) an increase in the stress rate leads to a primary deformation in a binary alloy; (3) further hardening takes place by primary deformation; (4) Frank-Read sources in different slip systems; and, in general, the amount of hardening due to the first hardening process, and (5) hardening due to the interaction of dislocations in the same slip system.

[1571] Taylor, G. I. The Mechanism of Plastic Deformation of Crystals. Proc. Roy. Soc. (London) 157 (1937) 362-397, 398-404.

The fact that the macroscopic deformation of metal crystals is a shear parallel to a crystal plane and in a crystal metal, even when the deformation is large, shows that the plastic strain must be due chiefly to the sliding of one plane of atoms over its immediate neighbor. It is shown that this type of plastic strain gives rise to plastic stresses near the two dislocations which occur at the two ends of each slip loop. The assumption that such dislocations will migrate through the crystal, unless, possibly, to temperature equilibrium, then leads to a definite picture of the mechanism of plastic deformation. The theory of strain hardening gives a parabolic relationship between stress and plastic strain which agrees well with results obtained with metals crystallized in the cubic system. It is found to be of the order 10⁻³ cm, agreeing with the order of magnitude of faults found in metals and rock salt. The system of faulting or mosaic structure limits the free motion of centers of dislocations. The actual strain occurs inside the "blocks" of the mosaic structure, and the crystallographic nature of the faults is demonstrated from the point of view of the theory.

[1572] Taylor, G. I. Strength of Rock-Salt. Proc. Roy. Soc. (London) 125 (1930) 405-415.

The theory of the strength of metals is applied to rock salt and shown to lead to a parabolic relationship between tensile stress and plastic strain. This relationship involves L , which is the mean free path between centers of dislocations. For rock salt, good agreement is found, and it is shown to be of order of magnitude 10⁻³ cm. This is the order of magnitude of the distance between faults in the structure of rock salt. It is concluded that the strain in rock salt occurs in the parts where the crystal order is perfect, and that the strength is determined by the mean free path L of the centers of dislocations. L is determined by the distance apart of the faults and by the temperature. The theory therefore assigns a definite function to the faults in determining the strength of crystals irrespective of their actual crystallographic or atomic nature.

[1573] Taylor, G. I. A Theory of the Plasticity of Crystals (in English). Z. Krist. 53 (1924) 375-385.

The experimental facts indicate that plastic distortion usually consists of the sliding of one plane of atoms over its immediate neighbor so that a perfect crystal is reformed after each jump. It is assumed that slipping occurs over limited lengths, l , of the slip plane giving rise to "dislocations" at the ends of these lengths. These dislocations can be assumed to have large forces to account for the displacement of the whole slip plane at once. At sufficiently high temperatures, these dislocations can migrate through the crystal under the smaller shear stress, and in this way, a picture of the mechanism of plastic distortion is obtained. The theory gives a parabolic relation between stress and strain, and this is confirmed experimentally for metals which crystallize in the cubic system. The migration of the dislocation is assumed to be stopped by an internal field of nuclei, and in this way, the theory is connected with those involving mosaic or lattice structures.

[1574] Taylor, G. I. Plastic Strain in Metals. J. Inst. Metals 21 (1951) 307-324.

The work of Taylor and Elam on the straining of metallic single crystals is described and the application of the results to polycrystalline aggregates is discussed. Shows that, for the latter, slip on a few systems is, in general, necessary for a crystal to deform in conformity with the change in shape imposed by the other crystals.

[1575] Taylor, G. I. A Connection Between the Criterion of Yield and the Strain Rate Relationship in Plastic Solids. Proc. Roy. Soc. (London) 157A (1937) 441-446.

16109 Terakita, A. M., and Law, J. R.

Effect of Carbide Dispersions on the Strength of Tempered Martensite

Abstracts of AIME Fall Meeting, Chicago (November 1957)
The carbide dispersion in three essentially plain C martensitic steels (0.44, 0.56, and 0.75 per cent C) have been studied after varying tempering treatments (180 - 1250 F). The purpose of the study was to verify existing quantitative data on the relationship between carbide spacing and tensile properties and to extend this earlier data to finer structures by the use of electron microscopy. In contrast to the earlier data, a linear relationship between the logarithm of the mean interparticle spacing (mean free ferrite path) and the yield strength does not hold for the entire range of tempering temperatures studied. However, linearly is obtained throughout this range of structures if one considers the ferrite grain boundaries in the measurement of the mean free path in the structure containing the very coarse dispersions (highly tempered) where the carbides occur almost entirely as large spheroidal voids at grain boundaries. The method of calculating ferrite grain size is tempered martensite from the carbide particle diameter, as proposed by several investigators, was found to be valid only for the very coarse carbide dispersions and not over the full range of tempering temperatures examined.

16109 Terrell, P. H., and Thompson, K. E.

A Study of the Applicability of Robinson's Creep Parameter for Aluminum Alloy

J. Atmos. Sci. 23 (1956) 1121-1122

Close attention to Robinson's article (Transactions of AIME 1953) which postulates a function, $\theta(t)$, which correlates isochronous stress-strain curves, $\theta(t) = \sigma(t) / \sigma(t_0)$, with temperature constant: a constant characteristic of the metal and temperature, $\sigma(t_0)$ is a stress, t_0 is a time. Thus, for every given value of the stress σ , the equation shows the relation between the stresses σ and the corresponding times t .

16110 Tyndall, E. P. T.

Creep of Zinc Crystals

Paper in Symposium on Plastic Deformation of Crystalline Solids, OTS, U. S. Dept. Commerce (1956) 49-59

The creep rate vs. time (t) relation of the form $\dot{\epsilon} = A t^{-n}$ for Zn crystals with a secondary relationship close to zero. This relation is similar to, and may even be regarded as a special case of, the relation proposed by Andrade. No indication was found of any evidence of slip nor of a Cottrell shear stress for its occurrence. The parameter n of the creep equation depends on the available shear stress, while A appears to have substantially the constant value 1/2. In the discussion, A. H. Cottrell pointed out that Hillman and Fisher, working with single crystals and small stresses, did not confirm the 1/2 law obtained by Andrade, who worked with polycrystals and large stresses, whereas Hillman, working with large stresses and single crystals, confirmed Andrade's 1/2 law. He suggested that Andrade's law holds for large creep stress produced grains.

16111 Tyndall, E. P. T., Arman, R. A., Wert, C. A., and Elmer, R.

Creep of Zinc Crystals

J. Appl. Phys. 28 (1955) 286-294

Studies of plastic deformation in the region just beyond the elastic limit.

16112 Tyte, L. C.

Rate of Viscous Flow of Metals. Part I. Tin

Proc. Phys. Soc. (London) 52 (1938) 155-175; disc. 311-312

A new method of determining the dependence of the rate of viscous flow of metals on the deforming force and its variation with temperature. It has been found that, for very small extensions, the velocity of viscous flow can be considered independent of time, but is connected by exponential relations with the stretching load P for any given temperature and with the absolute temperature T for any given load. The loads for transition from single to double glide and the breaking loads are shown to be connected with the corresponding temperatures by a hyperbolic expression. Finally, the behavior of the Sn wire is shown to be in general agreement with the results obtained from single crystals.

16113 Tyte, L. C.

Rate of Viscous Flow of Metals. Part II. Lead

Proc. Phys. Soc. (London) 52 (1938) 203-221

Experiments previously reported for Sn have been extended to Pb. Relationships of the same form have been obtained for the rate of viscous flow of Pb. Four sets of constants are obtained, which can be attributed to (I) single or double glide in unstrained crystals, (II) single or double glide in strained crystals, (III) single or double glide in unstrained crystals, and (IV) extension when strain hardening is considerably diminished by annealing. The elastic limit, transition, and breaking loads are shown to be connected with the corresponding temperatures by hyperbolic expressions.

16114 Uemura, Y.

Coupled Dislocations Along a Grain Boundary (In English)

J. Phys. Soc. Japan 1 (1956) 479-484

Comprehensions along a grain boundary in Ge crystals were observed by means of X-ray diffraction. The dislocation area of the edge type with Burgers vectors in the $\{110\}$ direction. The arrangement of edge dislocations is such that the small angle of dislocation is the coupled dislocations in one direction and in the regular array. Quantities like the velocity of the law of interaction between edge dislocations is observed. It is concluded that the condition determining separation of dislocations is the equilibrium of forces of interaction of dislocations perpendicular to the boundary.

16115 Umemaki, J., Yoshida, Y., Kagao, A., and Phonoan, L.

X-Ray Investigation of Changes in Microstructure Occurring During Dissolution of Supercooled Solid Solutions

Acta Cryst. 12 (1955) 822

Dissolution of supercooled solid solutions, as shown by means of X-rays, is followed by changes in mosaic structure in SiO₂ and Cu₂O alloys. Minimum dimensions of solid-solution microdomains correspond in both cases to maximum hardness. Completion of the precipitates leads to an increase in size of the blocks with corresponding decrease in hardness. According to the hypothesis suggested by one of the authors, age hardening is caused to a great extent by the decrease in the size of the solid-solution blocks, whereas the decrease of hardness after overaging is due to their coagulation.

16116 Umemitter, H.

Rheological Characterization of Creep of Steel (In German)

Arch. Eisenhüttenw. 23 (1952) 119-126

Relaxation time is a measure of the velocity with which a material can absorb imposed elastic stresses. Time viscosity and relaxation time differ numerically by a factor of 1000-20, they are much more suitable for the characterization of the mechanical behavior than the usual modulus, such as a sliding modulus. The relation between the magnitude used in rheology is expressed by an equation derived from the general Maxwell formula for the behavior of materials.

16117 Umemitter, H.

On Creep and Relaxation (In German)

Schweiz. Arch. angew. Wiss. u. Tech. 19 (1952) 184-191

Chemically related substances may have very different stress-strain diagrams while the stress-strain diagram of chemically different substances may be quite similar.

16118 Utsuki, H. A.

The Influence of Structure on Hardness with Special Reference to Steels

Metallurgia 45 (1952) 115-120

Considered the shearing forces acting to increase layers below the plane of application of the deforming stress. Proposed that the force K necessary for deformation to propagate could be determined by the particle spacing by $K = A \sigma^{1/2} / C$, where C is strength of matrix and A is a constant depending on second phase. The constant B is dependent on the way in which the shear force decreases with distance from a particle.

16119 Utsuki, H. A.

Grain Size Key to Mechanical Properties

Iron Age 120 (December 18, 1952) 148-152

Mechanical properties of metals and alloys show a marked rise or fall with changes in grain size. True stress, yield point, hardness, and reduction of area show varying degrees of change and differences in Al, Cu, and brass due to combined effects of orientation and porosity controlling along crystal boundaries.

16120 Underwood, E. E.

Creep Properties from Short Time Tests

Metallurgia 45 (April 1952) 127-129

A straight-line relationship is shown between ultimate tensile strength or creep rupture stress and hot hardness; time and temperature effects are corrected by means of the Larson-Miller parameter.

16121 Underwood, E. E., Elmer, A. R., and Manning, G. K.

The Principles of Dislocation Hardening Which Promote High-Temperature Strength in Iron-Base Alloys

OTS, U. S. Dept. Commerce, PB 121455 (June, 1956) p. 48

Creep strengths, tensile strengths, and hot hardness were measured at 80 to 1200 P in single-phase ternary alloys with base composition of Fe with 25% Cr. Tensile strengths were 71, 10, or 21. Hardnesses of ternary alloys were correlated by a function of lattice strain and relative volume. A straight-line correlation is proposed for tensile strength or creep strength versus hot hardness, for combinations of time and temperature.

16122 Underwood, E. E., and Marsh, L. J.

Effects of Alloying Elements on Plastic Deformation in Aluminum Single Crystals

Trans. AIME 225 (1956) 477-481

Aluminum alloy single crystals of Al alloyed with Cu or Mg were subjected to constant-stress creep tests, tensile tests, and hot-hardness measurements within a temperature range of 100 to 600 K. The flow stress was correlated by a function of dislocation slip rate and relative volume changes. The activation energy for creep in Al single crystals was found to be about 27,000 cal/mole.

16123 Urie, V. M., and Wain, H. L.

Plastic Deformation of Coarse-Grained Aluminum

J. Inst. Metals 81 (1952-1953) 151-159

A fine grid, photographically reproduced on the specimen surface, was used to measure local elongations in the individual grains of deformed specimens of coarse-grained Al. In agreement with previous workers, it was found that the elongation varied from grain to grain and within the individual grains of the aggregate. The elongation was generally restricted to the vicinity of grain boundaries, and the form of the elongation appeared to depend on the orientation relationship between neighboring grains. The occurrence of deformation bands in the specimens during elongation produced corresponding fluctuations in the elongation curves which increased in magnitude with the over-all elongation of the specimen.

16124 Ushik, G. V.

Uniformity of Conditions of Strength and Plasticity (In Russian)

Doklady Akad. Nauk S.S.S.R. 123 (1957) 471-474

Analyze the above, taking into consideration the resistance of metals to fracture under conditions of elastic deformation, a factor not considered in contemporary theories of strength of materials.

16125 Ushik, G. V.

A New Criterion of Brittleness and Plasticity of Metals (In Russian)

Doklady Akad. Nauk S.S.S.R. 123 (1957) 1037-1039

Progressive evaluation of the above on the basis of ratio of tensile strength and resistance to shear. Mathematical analysis showing validity of this criterion.

16126 Ushik, G. V.

Concerning the Basis of the Theory of Strength and Plasticity (In Russian)

Izv. Akad. Nauk S.S.S.R., Otdel. Tekh. Nauk. 19 (1949) 1433-1455

Analyzes modern theories. Application to solution of problems connected with determination of strength of materials. A presentation of the Lurka-Davidenko scheme of mechanical behavior of ductile metals (elastic-stress condition for plastic deformation, tensile-stress condition for brittle fracture). Ductile fracture, identified with shear fracture, is believed to obey a critical stress-strain condition.

16127 van Buren, H. G.

The Formation of Lattice Defects During Slip

Nature 122 544-545

A theoretical explanation of the elementary structure observed on strain Al crystal surfaces.

16128 van Buren, H. G.

Relation Between Plastic Strain and Increase of Electrical Resistivity of Metals

Acta Met. 1 (1953) 607-609

The increase in electrical resistivity after plastic deformation is attributed to increase in the number of lattice vacancies, interstitial atoms, and dislocations. Assuming that the atomic density is lowered in the wake of "slip" lines directly in proportion to $\epsilon^{1/2}$, while the total length of dislocation line is proportional to $\epsilon^{1/2}$, it is concluded that the resistivity increase is in relation to $\epsilon^{1/2}$, so that the rate resistivity may be attributed almost entirely to diffusion of vacancies and interstitial atoms. The recovery of the electrical properties takes place in two stages, the room-temperature change being attributed to diffusion of vacancies and interstitial atoms to dislocations, and the higher temperature change to the disappearance of the impurity defects adsorbed on the dislocations, rather than to the disappearance of the dislocations themselves.

16129 van Buren, H. G.

Lattice Imperfections and Plastic Deformation in Metals. I. Nature and Characteristics of Lattice Imperfections, Notably Plastic Strain

Philips Tech. Rev. 25 (1954) 246-257

Characteristics of defects and behavior under shear stress

16130 van Buren, H. G.

Lattice Imperfections and Plastic Deformation in Metals. II. Behavior of Lattice Imperfections During Deformation

Philips Tech. Rev. 25 (1954) 284-295

Phenomena of plastic deformation work hardening, aging of alloys, and variations of electrical resistivity

16131 van Buren, H. G.

Theory of the Formation of Lattice Defects During Plastic Strain

Acta Met. 1 (1953) 410-414

Theory of shear relation between plastic strain and concentration of vacancies, dislocations and interstitials; plastic behavior of dislocation segments under a varying applied shear stress. Complete theoretical deduction of the strain dependence of the electrical resistivity of copper

16132 van Buren, H. G.

Electrical Resistance and the Plastic Deformation of Metals (In German)

Z. Metallk. 46 (1955) 212-242

A critical survey is made of current information on the electrical resistance of plastically deformed metals (Fe, Ni, Mn, W, and molybdenum) and an attempt is made to offer a comprehensive interpretation of the results obtained. In both single-crystal and polycrystalline metals, the increase in electrical resistance has a simple relationship to the degree of plastic deformation and, therefore, must be attributed to the formation of lattice defects during deformation, i.e., vacancies, interstitial atoms, and lattice dislocations. Interstitial atoms and dislocations (edge and screw) are the general products of these defects are reasonable well known. It is possible to determine their relative influence on the electrical resistance. Increasing resistance occurs mainly by the formation of dislocations rather than dislocations, these latter having comparatively little effect. The recovery of electrical resistance resulting from heating a metal plastically deformed at lower temperatures can be compared with analogous phenomena in irradiated metals or quenched from high temperatures. The plastic stage of recovery can be defined in interstitial atoms, the decrease in resistance.

16133 van Buren, H. G.

Influence of Lattice Defects on the Electrical Properties of Cold Worked Metals

Philips Research Reports 12 (1955) 1-45; 170-177

Treats the propagation of lattice defects, plastic deformation of metals; electrical resistivity and magnetoresistivity of plastically strained metals, and recovery effects.

16134 van Buren, H. G., and Jöngenberg, P.

Resistivity Changes by Plastic Deformation of Polycrystalline Metals

Nature 122 544-545

Annular polycrystalline wires of Cu and Ag were plastically deformed in extension and in torsion at 20 and 77 K. The strain resistivity depends on extension according to a power law. It is concluded that point defects can be held responsible for nearly all the resistivity increase caused by plastic deformation of polycrystalline metals, and that the direct effect of dislocation plane only a minor part in this respect.

16135 van der Sterre, J. H.

On the Stress and Energy Associated With Inter-crystalline Boundaries

Proc. Phys. Soc. (London) 52A (1956) 416-437

Models based on the assumptions introduced in dealing with a single dislocation are used in calculation on three types of inter-crystalline boundaries: (I) a boundary due to a difference of atomic spacing, (II) a twin boundary, and (III) a symmetrical slip boundary. The outstanding feature of the inter-crystalline energy is that it increases initially very rapidly with the angle of tilt. An application of the results to the theory of dislocation plane only a minor part in this respect. The validity of the assumptions and approximations involved and the advantages of the treatment are discussed.

(1640) Varley, P. G.
The Recovery and Recrystallization of Rolled Aluminums of Commercial Purity
J Inst Metals 22 (1938) 185-202
A study was made, by means of ultimate tensile strength determinations, of the process of recovery and recrystallization of poly-crystalline Al sheet within the temperature range 200 to 525 C. The work-hardening curves, in which ultimate tensile strength is plotted against the log of the time, are continuous curves exhibiting discontinuities corresponding to the onset of recrystallization. X-ray diffraction patterns show that recrystallization commences at the level of 10⁻² sec for all samples of hard-rolled Al examined.

(1641) Vasil'ev, L. I.
On the Dependence of the Velocity and Relaxation Coefficients of Aluminums on the Rate of Plastic Deformation (In Russian)
Zhur. Tekh. Fiz. 23 (1953) 687-690
Defines a velocity coefficient ν , and a relaxation coefficient λ , and λ and ν were measured for Al specimens deformed in various ways. The results indicate that the λ and ν curves are analogous, i.e., at high and low velocities both coefficients increase sharply with $\dot{\epsilon}$. At intermediate velocities, the variation is much more rapid. This confirms previous results.

(1642) Vasil'ev, L. I., Yulina, A. S., and Zagrebennikova, M. P.
On the Effect of Change in Deformation Rate on Plastic Deformation (In Russian)
Doklady Akad. Nauk S.S.S.R. 22 (1953) 767-769
Specimens of polycrystalline Cu and Sn wires were tensile tested at room temperature. The testing speed could be changed in about 1 second. The strain rates were used, and several combinations of these rates were applied. The explanation for the results is that the extension causes both static and dynamic deformations, the latter being discharged on changing the rate, but those of increased stability preventing the gradual coincidence of the curve with that for the low rate. The correct value of the stress in the general case is not a single-valued function of the instantaneous value of the deformation, its speed, and the temperature; thus, the mechanical equation of state is restricted and approximate [cf. Dorn, et al., Trans. AIME 162 (1949) 205].

(1643) Vidal, G.
Conditions for the Occurrence of Fracture During Creep Tests (In French)
Méficus Corrosion - Ind. 22 (1952) 201-215
Causes for acceleration of creep and of fracture; influence of various factors on type of creep fracture and upon the time required for fracture, and for extension of the fracture.

(1644) Vidal, G.
On Periodic Creep of Heat-Resistant Alloys (In French)
Rev. mét. 53 (1956) 485-496
Experiments on Ni-mo alloys to study the distinctive characteristics of a fatigue effect and a periodic creep, and to determine the constant stress equivalent to a given periodic variation of stress. He constructed from theoretical considerations three diagrams relating to stresses varying in time to the shape change of a rectangular specimen. From the moment that a heat-resistant alloy is subjected at elevated temperature to a constant stress and the mean stress, it is susceptible to fracture under two different effects: that of periodic flow and that of true fatigue. The higher the mean stress, the more probable the effect of periodic creep. The phenomena of periodic creep and true fatigue are essentially distinct in their effects. In periodic creep one can consider an effective stress equal to a constant stress.

(1645) Vidal, G., Leacop, P., and Raymondin, L.
Influence of Temperature on the Elastic Constants of Metals and Alloys (In French)
Rev. mét. 53 (1956) 484-474
Brief discussion from the physical, metallurgical, and mechanical points of view.

(1646) Vinogradov, I. N., and Yap, Yu. L.
On the Laws of Plasticity (In Russian)
The application of a theory of plasticity due to Rabinov, et al., to the deformation in tension of pure Fe, Al, bronze, and Cu-Be as described

(1647) Vinogradov, I. N., Zil'ber, A. I., and Infor, B. S. (In Russian)
Restoration of Metals to Deformation Rate of 10⁻⁶ to 10⁻² (In Russian)
Zhur. Tekh. Fiz. 23 (1953) 300-326
Single method and apparatus for investigating the relationship of deformation resistance to deformation rate. Data for Fe, Al, Cu, mild steel, and Inconel. Results indicate the existence of three different regions within the above range of rates of deformation in which the character of the deformation process is fundamentally different from the other two.

(1648) Vinogradov, I.
Effect of Temperature and Rate of Deformation on Critical Shear Stress (In German)
Z. Metallk. 43 (1952) 128-130
It is shown that the Becker-Orowan equation,
$$\sigma = C \exp(-V/D) + \tau_0 + \tau_0^2 / (2G\lambda^2)$$
where D = the velocity of the deformation process, V = the volume subjected to the stress, τ_0 = the value of the critical shear stress for slip at absolute zero, τ_0 = the applied stress, G = the shear modulus, and T = the absolute temperature, must be modified if it is to be applicable to high shear-stress values as well as low. The equation then takes the form
$$\sigma = C \exp(-V/D) + \tau_0 + \tau_0^2 / (2G\lambda^2) + K$$
where K is the activation energy. When this equation is applied to the critical shear stress of Cu and of Zn as a function of the rate of the theoretical values obtained and the experimental results reported by the literature, without the necessity of including the concept of flow acting as stress raisers, i.e., the introduction of a stress-concentration factor.

(1649) Vinogradov, I., and Nowotny, H.
The Theory of Plastic Deformation (In German)
Z. Physik 131 (1951) 41-47
Dependence of critical shear stresses on rate of deformation as defined by R. Becker contains some data. A new equation yields results which agree satisfactorily with most test results. Becker's theory of glide is modified giving a critical shear stress τ_0 (temperature T) dependence of the form $\tau_0 = \tau_0 | 1 - KT |^{1/2}$ where K is a constant depending on the glide velocity.

(1650) Vinogradov, I., and Slinar, A.
Effect of Free Surface on Resistance to Deformation of Polycrystalline Materials (In German)
Schweiz. Arch. angew. Wiss. u. Tech. 16 (1950) 76-80
Theoretical discussion of forces that oppose deformation of polycrystalline materials.

(1651) Vivian, A. C.
The Relationship of Rheology to Strength of Materials
Metallurgia 35 (1948) 237-240
The new study of rheology, which seeks to examine and standardize on a sound basis certain properties of matter and materials appearing to flow or to shape change under stress, is considered in relation to recent conceptions on the strength of materials which deal with the true stress-strain curve characteristics of all material's reaction to force, and applicable to material whose reactions are entirely plastic or viscous.

(1652) Vivian, A. C.
A New Notion of Strength of Materials
Metallurgia 45 (1952) 29-37
The present generally accepted system of "strength of materials" is severely criticized. A new conception of the subject is outlined, and the case for the new system presented.

(1653) Votr, E.
The Relationship Between Stress and Strain for Homogeneous Deformation
J Inst Metals 22 (1938) 517-542, Discussion, 760-771

(1654) Volmer, S. D.
Single Crystal Theory of the Strength of Solid Bodies III (In Russian)
Zhur. Tekh. Fiz. 23 (1953) 2240-2248
A new theory of theories due to Volmer, Dariaukhin, van Minna, Ito, Yabumoto, and others with special reference to the theory of dislocations is discussed. The influence of motion and macrostructure on dislocation is discussed.

(1655) Vovskobler, H.
The Influence of Precipitation Processes Upon the Deformation of Creep Resistance of Light-Metal Alloys (In German)
Met.-U. 2 (1951) 474-479
Time-temperature curves at various temperatures up to 300 C, with and without loading of the specimens, have been obtained for Mg-Al and Al-Zn alloys. If the slip occurs first it is not in the equilibrium condition, structural changes may take place, partly as a result of precipitation which may precede the elongation that occurs from creep alone. Therefore, creep curves may be obtained. Experimental observation of the changes in dislocation due to precipitation are always more general than the theoretical values derived from consideration of the structural changes and the phase diagram of the system. Recommendations are given for testing the specimens at the temperature at which the tests are to be performed, before carrying out the tests themselves.

(1656) Voverat, T. Jr., Wood, D. S., and Clark, D. S.
A Study of the Mechanism of the Delayed Yield Phenomenon
Trans. ASME 75 (1953) 620-627
Experimental investigation of behavior of an annealed low-C steel subjected to a rapidly applied constant stress and to repeated abnormally stress pulses. Effect of time of aging on number of stress pulses in inducing yielding was determined. Effects observed are discussed in terms of the dislocation theory of yielding.

(1657) Voverat, T. Jr., Wood, D. S., and Clark, D. S.
Preliminary Plastic and Anelastic Microstrain in Low-Carbon Steel
Acta Met. 1 (1953) 414-421
An experimental investigation of the behavior of an annealed low-C steel subjected to rapidly applied constant stresses less than the static upper yield stress. Sensitive measurements of plastic and anelastic microstrains were made, and the relationship between stress and equilibrium microstrain was determined. The experimentally observed microstrain is quantitatively explained by a dislocation-generating mechanism. The equilibrium number of dislocation loops produced by a Frank-Read source is estimated as a function of the applied stress and the dislocation source length. Comparison of the experimental data leads to the determination of a characteristic length of dislocation which agrees with previous concepts of a meso-block structure.

(1658) Washburn, J. D., Jr.
Creep of Crystalline Non-Metals
Paper from Creep and Recovery, Am. Soc. Met., Cleveland (1953) 144-160
Creep of high crystal and polycrystalline ceramic oxides. Available data include their creep rates at much higher temperatures in single crystals than in metals and with the same complexity of behavior.

(1659) Washburn, J. D., Jr., and Maxwell, L. H.
Factors Controlling Behavior in Deformation and Mechanical Failure in Polycrystalline (GlaSe-Fee) Ceramic
WADC TR 57-256 (December 1955)
Temperature dependence of creep behavior, modulus of rupture, Young's modulus, and internal friction were studied to determine factors controlling resistance to deformation and failure in polycrystalline Al₂O₃ and SiC.

(1660) Wagner, C. N. J.
X-Ray Study of Low-Temperature Cold Work in Silver and Aluminum
Acta Met. 1 (1953) 477-482
X-ray measurements on cold-worked films were made at -160 C and showed a peak shift and an asymmetric peak broadening due to the presence of dislocations and twin stacking faults on the (111) of Ag. An appreciable part of the small, anisotropic particle-size broadening resulted from non-stacking faults which occurred out of 5 to 100 C. Neither peak shift nor asymmetry were shown by the cold-worked Al, indicating that the stacking-fault density was very low, but a peak broadening peak observed. This indicated an appreciable particle size and strain broadening, both of which were isotropic. The results agree with theory.

(1661) A simple relationship was found to connect stress with strain for a series of homogeneous compression curves. At large deformations each of the curves becomes asymptotic to a definite stress, and the difference between this limit stress and the threshold stress at which plastic deformation begins to become appreciable may be regarded as the total stress capacity of the material. The difference between any applied stress and that which is finally attained as the stress capacity remaining available after the application of that stress - defining the plastic modulus, comparable with the plastic modulus as the rate of change of stress with respect to true (logarithmic) strain, it is shown that the plastic modulus at any instant is proportional to the available stress capacity. The same relationship appears to hold for tension as well as for compression as long as the deformation remains homogeneous.

(1662) The stress-strain relationship for materials which work harden approximately to a single power law form (with indices other than 2) only for limited ranges of plastic deformation. Over extended ranges, doubling the plastic modulus gives elongated, S-shaped curves. An empirical function is derived, relating the yield stress with the original yield stress and the yield stress attained after all deformation sites have been blocked.

(1663) A Practical Stress-Strain Hardening Function
Metallurgia 35 (1952) 219
Outline progress in connection with exponential strain-hardening function (1948), and discusses the advantage over the well-known power function of Ludkov. After considerable strain there is generally a change of regime, consistent with the change in the mechanism of deformation reported by Cook and Richards. The relationship between stress and hardness was analyzed in the light of the exponential function. The presence on the hardening tool becomes directly proportional to the yield stress of the material, as required by elastic theory. For once and for all (as Vickers) the hardness number is a direct measure of the pressure on the indenter. When D is 10 N is plotted directly against the true stress at the same degree of cold work, the result is a straight line which extends at least throughout the first regime of strain-hardening.

(1664) The Two Regimes of Strain-Hardening
Dull Bull. Metals 1 (1950) 50-52
If the strain-hardening of ductile metals, the strain-hardening curve can be expressed by the consecutive regimes of the exponential function, merges smoothly into each other. The present article attempts to explain the derivation of the composite equation, since it is of considerable theoretical importance if the strain-hardening behavior of metals can be explained quantitatively on the basis of two mechanisms occurring simultaneously instead of consecutively.

(1665) Dislocations in Plastically Bred Germanium Crystals
Trans. AIME 225 (1956) 946-949
Densities and distributions of dislocations in plastically bred Ge crystals before and after annealing.

(1666) On the Orientation Effect in the Polyaggregation of Bred Silicon Crystals
Acta Met. 1 (1950) 532-534
Experiments on the breading of Si crystals at elevated temperature show that the ease with which polyaggregation occurs depends on the orientation of the breading crystal. If the crystal is oriented so that only one slip system operates in a given region, homogeneous aggregation (intersection area of dislocations are produced locally, the possibility of forming Lomer-Cottrell barriers is present, climb is inhibited, and polyaggregated areas do not appear).

(1667) Deduces expressions for the limiting conditions for the plastic behavior of metals.

(1645) Weibull, W. L.
Some Observations on the Yield Point in Zinc
Proc. Phys. Soc. (London) 65B (1954) 886-896.
Evidence confirming the fact that yield point is a local phenomenon. Theoretical prediction that a yield point should appear in a non-crystalline material without prior deformation is verified experimentally, and an explanation is given of the appearance of yield point in a specimen even though free dislocations have been introduced although at high yield points in Zn crystals.
(1646) Weibull, W. L., and Cottrell, A. H.
Yield Points in Zn Crystals
Proc. Phys. Soc. (London) 65B (1954) 119-124.
Shear yield point can be produced in crystals of Zn containing Ni. Strain-gage measurements are made to develop the yield point clearly, but more it is developed, it occurs at the same level after each successive reformation at the same temperature. General conditions for producing yield points in metals of common crystal structure.
(1647) Walker, H. L., and Bhattacharya, R. L.
Steady State and Recrystallization
J. Indian Inst. Sci. 32B (July, 1955) 179-183.
Parabolic relation between stored energy and magnitude of the deformation is suggested and a formula relating recrystallized grain size with deformation is derived which agrees with the empirical rate formulated by Walker.
(1648) Warren, D. E., and Warkentin, E. P.
Stairing Faults in Cold Worked Alpha-Brass
Acta Met. 3 (1955) 471-477.
Stacking faults on the {111} planes of a fcc metal produce a broadening and shifting of the X-ray peaks from which the stacking fault probability can be directly determined. Measurements were made from cold-worked alpha brass of composition 70-30, 80-20, 70-30, and 85-15. The stacking fault probability increases with increasing Zn content, reaching alpha = 0.20 for the composition 85-15. Root-mean-square strains and coherent domain sizes were obtained from the peak broadening. An appreciable part of the particle size broadening results directly from stacking faults. The root-mean-square strain size at the order of the yield strength divided by Young's modulus, and the product of strain and domain size is approximately a constant of the order of 10. It is suggested that the interaction of stacking faults on different {111} planes is an important part of the work hardening in alpha-brass.
(1649) Weibull, W. L.
Effect of the Structure of Dislocation Boundaries on Yield Strength
Trans. AIME 201 (1955) 973-981.
A review of a study of the effects of dislocation boundaries on the flow stress in Zn single crystals, under the following conditions: (1) substantially pure alpha deformation and (2) boundaries of controlled angle, orientation, and number. Introduction of a pair of 90 degree straight dislocations caused a 25% increase in yield strength; further increase in boundary angle were accompanied by smaller increases in strengthening effect, until a saturation value of 10% increase in yield strength was approached. The dislocation density had been constant. The results lead to the following conclusions: (1) concentration of dislocations on a macroscopic scale having isolated small-angle boundaries helps to determine the yield strength of a metal crystal; (2) the small linear rate of hardening of hexagonal crystals is due to a process occurring on a submicroscopic scale; (3) the detailed structure of a small-angle boundary, as determined by prior strain and thermal history, determines its effectiveness as a barrier to slip; (4) boundary intersections do not appear to be a necessary condition for the strengthening effect of a substructure; and (5) the climb of dislocations does not occur in Zn crystals when heated to 400 C.
(1650) Weibull, W. L., and Parker, E. R.
Kinking in Zinc Single-Crystal Tension Specimens
Trans. AIME 201 (1955) 1078-1078.
Kinking was observed under conditions of low stress and high temperature. Relationship to other plastic bending phenomena on basis of dislocation theory is shown. Experiments on stress-induced motion of small-angle boundaries.

(1649) Weibull, W. L.
The Interaction of Solutes with Dislocation Walls
Acta Met. 3 (1955) 89-96.
Calculation of the elastic interaction of solute with dislocation walls indicates that dislocations of stress under solute may form in small angle grain boundaries but are subject to annihilation effects if compensated by a dislocation network perpendicular. Comparison is made with some available experimental data. Approximate calculations indicate that using dislocation walls may have little effect on dislocation climb when the dislocation walls are in a critical maximum stress which the dislocation is relatively free to climb.
(1650) Weibull, W. L., Hegedus, R. D., and Ferguson, W. D.
Observations of Dislocations in Whiskers
Acta Cryst. 10 (1955) 821.
The elementary crystallographic strength called "whiskers" are observed dislocations, except possibly for one small case. Dislocation theory has shown that an axial stress dislocation should produce a lattice tilt around the whisker axis that is measurable in sufficiently small whiskers. High resolution X-ray methods were developed sufficiently to detect a lattice tilt one hundredth of that expected in typical whiskers. In some whiskers, no tilt has been detected; in others, quite large lattice tilts were evident.
(1651) Weibull, W. L., and Ferguson, W. D.
Mechanical Behavior of Microcrystals
Acta Met. 3 (1955) 462-469.
Dead tests have been carried out on small crystals chemically extracted from two-phase alloys and on some whiskers and other small crystals grown from liquid or vapor phases. Crystals of Al₂O₃, Mg, Si, Fe, Ni, Fe-Ni, Fe-Cr, Cr₂O₃, Cr₂N, Cr₂S, and Fe₂C were studied. All of these materials could be held in relatively large elastic strains, and the calculated strengths of most of them approach theoretical values. The results are discussed in some detail, and it is concluded that although metal whiskers are unique because of the absence of edge dislocations, the occurrence of other crystals with nearly theoretical strength is not unusual. There is some evidence that dislocations have little effect on the mechanical properties of hard or brittle microcrystals, and it appears that a distinction should be made between these crystals, eventually failing by brittle fracture and those that fail by plastic deformation.
(1652) Weibull, W. L.
Theory of Steady-State Creep Based on Dislocation Climb
A. Appl. Phys. 25 (1955) 1213-1217.
Recent reviews of published creep-rate data have shown that, for pure metals, the activation energy for creep rate is the same as that for self-diffusion. Also, at low stresses, the creep rate depends on the stress according to a simple power law. The present theory leads to these relationships. It is a simple process which allows one to bypass the obstacle under the action of the applied stress (emphasized by other dislocations growing from behind). The rate of climb, and therefore, the rate of creep, is limited by the rate of transfer of atoms between these dislocations creating vacancies during climb and their absorbing them. This is in turn dependent on the coefficient of self-diffusion only for some materials, and on the rate of self-diffusion for others. At higher stresses, the creep rate is higher than predicted by the theory. The expansion of stress in the lower law relating creep rate and stress is calculated to be 3 to 4, which agrees with experimental data for Al and other solid solutions of Mg in Al, and rather less well for other metals. Absolute rates as calculated from the theory than agreed reasonably well with experimental data for Al and other alloys, in metals in which dislocations are decomposed into half-dislocations, climb may be as much impeded that the theory does not apply.
(1653) Weibull, W. L.
Creep of Polycrystalline Aluminum as Determined From Strain Rate Tests
J. Mech. and Phys. Solids 3 (1956) 220-224.
Tests of high-purity Al were at various temperatures ranging from an approximation between maximum stress, strain rate, and temperature, such that strain rate = 10⁻⁴ sec⁻¹. The stress range was 0.5 to 10⁴ lb/in². A constant creep rate equal to 10⁻⁴ sec⁻¹ was used. The results are compared with those of level and strain rate constant stress creep tests and shown to be almost identical.
(1654) Weibull, W. L.
Creep of Aluminum Single Crystals
A. Appl. Phys. 25 (1956) 812-814.
Creep measurements were made on Al specimens, cut from one single crystal, from 150 to 450 C. The stress range was 0.5 to 10⁴ lb/in². A constant creep rate of 10⁻⁴ sec⁻¹ was used. Determination of the active slip systems was made by an optical method, the findings being in complete agreement with the creep rate as proportional to $\sigma^2 \exp(-Q/RT)$, where Q is the activation energy of creep (35,000 cal/mole), and this is compared with the theoretically derived law of high-temperature creep.

(1655) Westman, J., and Shubshin, P.
Creep of Polycrystalline Iron
Trans. AIME 202 (1956) 1223-1225.
90, 150, 200, and 250°C were used constant load creep conditions at 150, 10,000 psi and the range 600 to 1100 C. (Oxidation and grain refinement affected some of the high temperature tests in air. The data obtained on minimum creep rate and the strain region in which this rate occurred and region time are presented and discussed. Below a stress of 7 x 10⁸ dynes/cm² the minimum creep rate is proportional to $\sigma^2 \exp(-Q/RT)$, where Q = 45,000 cal/mole and the value of Q, the activation energy of creep, is close to a reported value of 49,000 cal/mole for the activation energy of self-diffusion in Fe. This stress dependence is about the same as that found for Al at low stresses. Above this stress there is a rapid rise in the creep rate as a function of stress. The results are in qualitative agreement with a theory of steady-state creep which is based on Kott's dislocation-climb mechanism.
(1656) Weibull, W. L., and Park, P. A.
Structure of Grain Boundaries
J. Appl. Phys. 27 (1956) 1508-1518.
The structure of the crystal lattice in various radii, either round needles or by applying a concentrated load in a direction perpendicular to the basal plane, was studied by X-ray diffraction techniques. Subgrates are reported in crystals heated in cold air, the average dislocation between neighboring subgrates being 2^{1/2} x 10⁸ cm. With radii of 10 cm, the subgrates become increasingly less well-defined on heating. When heating is done by a concentrated load, the radius is large, and an substructure is observed. The effect of annealing is also described.
(1657) Weibull, W. L.
A Statistical Theory of Strength of Materials
Proc. Roy. Soc. Lond. Ser. A, Math. Phys. 151 (1935) pp 49.
Part I. The classical theory of strength is incompatible with results of experimental research. This discrepancy may be bridged over by considering an essential element of the problem the weaker elements of the material measuring of the ultimate strength. Viewed from this standpoint, the ultimate strength of a material cannot be expressed by a single numerical value as has been done heretofore, and a statistical distribution function will be required for this purpose. The fundamental formula after consideration of the influence of the volume on the ultimate strength, the relation between tensile, loading, and torsional strength, and an experimental substantiation of the theory is provided by observations obtained from tensile, bending, and torsional tests on rods made of steel, cast iron, and plates of steel. Part II. A description is given of the graphic method used for the statistical treatment of the observations and of some measuring errors relating to strength of materials under the action of mechanical and electrical forces.
(1658) Weibull, W. L., and Masling, G.
The Relationship Between Orientation and Plastic Deformation of Single Crystals of Aluminum Subjected to Small Elongations (in German)
Z. Metallk. 45 (1956) 617-648.
Creep phenomena measured under constant and increasing loads, up to total elongations of 2%, in high-purity Al single crystals of various orientations, produced by a strain-controlled technique. The nature and the interrelation of the flow curves and of the strain-hardening curves are discussed in detail. In general, crystals with orientations forming tensile slip planes showed the most pronounced strain hardening. This was observed in the middle of the standard projection triangles. This was interpreted as the result of additional slip taking place on latent glide planes. Analysis of the flow curves confirms the interpretation of flow curves and of the parabolic (in $\dot{\epsilon}$ - σ) and log (in $\dot{\epsilon}$ - σ) laws for $\dot{\epsilon}$ vs σ . In many instances, the log procedure produced flow curves, and particularly with the S-shaped flow curves of crystals with orientations toward $\langle 110 \rangle$, parabolic flow is absent, while in other cases the two types of flow are clearly superimposed.
(1659) Weibull, W. L.
Grain Boundary Shear in Aluminum
Acta Met. 3 (1955) 889-891.
Creep tests on intermetallic test pieces show alternate shear and grain boundary migration. The observed behavior of the boundaries under grain growth suggests that a mechanism analogous to the "strain-induced boundary migration" described by Deh is operative. Following Deh's mechanism, when the difference in strain of the crystals at the boundary becomes sufficiently large, the boundary will move in such a manner that the less strained crystal will grow at the expense of the more highly strained neighbor, stopping when it has swept through the intermetallic. Further shear would then take place elsewhere. It could not be ascertained whether the process would be repeated. This could then account for the periodicity of the boundary shear and migration process observed. It could also account for the irregular shape of the boundary traces, the orientation of the material swept through by the boundary, and that occasionally no boundary movement occurs as a result of the initial boundary when sheared. The slip lines observed above could be a manifestation of the strain in the vicinity of the boundary produced during shear.

(1659) Westman, J.
Dislocation Climb at High Temperatures
J. Appl. Phys. 27 (1957) 193-196.
Westman extends an unproved dislocation climb model [ibid., 26 (1955) 202; W. and Shubshin, Acta Met. 3 (1955) 1] based on the most rigorous solution of diffusion theory, to explain high-temperature internal friction observed in the half-range for measurements made at very low strain amplitudes. Dislocation climb in dislocation climb is considered.
(1660) Weibull, W. L.
Compressional Creep of Tin Single Crystals
J. Appl. Phys. 27 (1957) 196-197.
Compressional creep tests were run on single crystals oriented so that the direction of compression was along the C axis. Two activation energies of creep were found, approximately 24,500 cal/mole above 100 C and 16,000 cal/mole below this temperature.
(1661) Weibull, W. L.
Steady State Creep Through Dislocation Climb
J. Appl. Phys. 27 (1957) 182-184.
A dislocation climb creep model which does not require the production of immobile dislocations is considered. Creep rate is expressed as a function of stress and activation energy. The creep equation that results from the analysis is $\dot{\epsilon} = \sigma^2 \exp(-Q/RT) \exp(-Q_0/RT)$, where Q and Q₀ are constants, and Q is the stress, Q is the activation energy of creep, and Q₀ has its usual meaning. This equation is very similar to one previously proposed.
(1662) Weibull, W. L.
Creation of Dislocations in Lithium Fluoride at Low Stresses
J. Appl. Phys. 27 (1957) 1068-1083.
Suggests that a suitable existing model may be revised to account for the presence of Sella's vacancy collapse sources in the LiF samples of Gilman and Johnston [ibid., 27 (1956) 1018]. These sources are activated at about 1/1000th and would explain Gilman and Johnston's results of the creation of dislocations apparently without sources.
(1663) Weibull, W. L.
Steady-State Creep of Crystals
J. Appl. Phys. 27 (1957) 1185-1199.
An expression is derived for the high-temperature creep rate of crystals for two rate-controlling processes: (1) process motion of dislocations, and (2) a Peierls stress mechanism. The creep rate is calculated from the average velocity of dislocation climb and the number of dislocation loops that can exist at a given stress level in a given distance the distance that dislocations are created from the Frank Read sources before annihilation by climbing. (1) gives a proportional to σ^2 law which may be important in alloys in the stress range between the critical shear stress of a pure metal and that of an alloy; (2) gives a proportional to σ^2 law for stresses; this mechanism can be used to explain Gilman's [Trans. AIME 202 (1956) 1243] data on the plastic creep of high-purity Zn.
(1664) Weibull, W. L.
Effect of Alloying on the High-Temperature Creep Properties of Metals
Paper presented at AIME Fall Meeting, Chicago (November 1955).
At high temperatures the steady-state creep rate of metals is described by the following equation which is valid for stresses up to 1000 - 10,000 psi:
 $\dot{\epsilon} = C \sigma^2 \exp(-Q/RT) \exp(-Q_0/RT)$
where Q is the stress, Q₀ is an activation energy, C has its usual meaning, and n and C are constants. For pure metals the value of n is about 4.5. By alloying, the value of n can be reduced to values in the range of 2.0 to 3.5. If dislocation climb is the rate-controlling creep process the values of C and Q will change upon alloying, but the value of n will remain constant. Since n can be reduced by alloying it appears that processes other than dislocation climb control the creep rate of alloys. It can be shown that a dislocation climb model which predicts that n = 4.5 when climb is rate controlling will also predict that n = 1.5 if any microscopically controlled rate of motion of dislocations. For a typical substitutional alloy it appears that climb will control the creep rate, and that dislocation climb controls the rate of motion of dislocations. For a typical interstitial alloy it appears that climb will control the creep rate, and that dislocation climb controls the rate of motion of dislocations. In some cases, however, dislocation climb may control the creep rate of high-temperature alloys. However, if the diffusion constant for the alloying element is many orders of magnitude larger than that of the host element, dislocation climb may be the rate-controlling process at high alloy contents.

- (1780) Zhdanov, V. A., and Tikhonova, I.
Concerning Stability of Crystal Lattices (In Russian)
Zhur. Eksp. i Teoret. Fiz. 18 (1949) 552-558
- The stability of monatomic lattices under uniaxial tensile and compressive stresses. The dependence of the lattice on some its properties in different characteristic modes is shown. It is shown that in the presence of its resistance to compression stress is considerably less than to tension.
- (1781) Zhdanov, V. A., and Vishnevskaya, N. I.
Theory of Stability of Binary Lattices (In Russian)
Zhur. Eksp. i Teoret. Fiz. 19 (1949) 241
- Stability of a binary lattice is considered. Shows that, during transformation from a monatomic lattice, unstable because of the absence of very small differences of atomic dimensions.
- (1782) Zharikov, A. N., and Saitova, I. P.
Temperature-Time Dependence of the Strength of Pure Metals (In Russian)
Doklady Akad. Nauk S.S.S.R. 101 (1955) 237-240
- The activation energy for the temperature-time dependence of strength coincides with the activation energy. Thus, the process of rupture is connected with a critical violation of the interatomic bond, leading to the formation of local rupture (cracks) and ending finally by the rupture of the specimen.
- (1783) Zharikov, S. N., and Temashovskiy, E. E.
Investigation of the Strength of Solids. II. Dependence of the Life on Stress (In Russian)
Zhur. Tekh. Fiz. 25 (1955) 64-73
- In (I) [Zharikov and Harseltsev, *ibid.*, 23 (1953) 1877] it was shown that for most materials the life t (the time from the first application of stress) was related to the applied stress σ by the relationship: $t = A\sigma^{-n}$, where A and n were parameters determined by the properties of the material under test, the temperature, and the nature (i.e., chemical) of the surroundings. This relationship had been tested for time varying from a few minutes to several months. In (II) the time scale is extended by means of impact testing and cathode-ray oscillographic recording down to 0.001 second, and the formula still holds for a variety of materials. It is not to be expected that the formula can hold for much shorter times nor for vanishingly small stresses.
- (1784) Zhirinsky, S.
The Temperature Dependence of the Elastic Constants of Gold-Cadmium Alloys
Acta Met. 2 (1956) 164-171
- Temperature dependence of the dynamic elastic constants of hex alloys that undergo diffusional phase change determined as a function of composition variation within the beta phase and heat treatment prior to measurement.

APPENDIX B

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Sherby, O. D.	421, 469, 470, 726, 897, 1194, 1458, 1459, 1460, 1461, 1462, 1463, 1464, 1465, 1466, 1467, 1603, 1711	Smith, C. L.	1499
Sherrill, F. A.	745	Smith, C. S.	1500
Shesterikov, S. A.	1468	Smith, D. P.	1501
Shestopalov, L. M.	1469	Smith, E.	112, 115, 116
Shestopalova, Yu. V.	1474	Smith, E. A.	1224
Shevandin, E. M.	1470	Smith, E. C.	652
Shewmon, P. G.	87, 690	Smith, E. M.	582, 583
Shibuya, Y.	1471	Smith, G. S.	1502
Shishokin, V. P.	1472, 1473, 1474	Smith, G. V.	509, 510, 1503, 1504, 1505, 1506
Shivananda, S.	1475	Smith, R. L.	1507
Shockley, W.	662, 663, 1316, 1317, 1318, 1476, 1477	Smith, S. L.	1508, 1509
Shreiner, L. A.	1480	Smolouchowski, R.	2, 1170, 1171, 1172, 1510, 1511, 1732
Sichikov, M. F.	1481	Soderberg, C. R.	1512
Siebel, E.	1482	Sokolov, L. D.	1513, 1514, 1515
		Sondheimer, E. H.	1029
		Sopwith, D. G.	311
		Sorokin, O. V.	1158, 1159
		Sotnikova, L. T.	868
		Späth, W.	1516, 1517, 1518, 1519
		Spitko, N. K.	1520
		Spreadborough, J.	264, 265
		Spretak, J. W.	555
		Sproule, K.	1521
		Stanton, L. R.	1589

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Starr, C. D.	384, 1454	Tardif, H. P.	1573
Stehle, H.	1433, 1522	Tate, A.E.L.	12, 1017
Steijn, R. P.	1523	Taubert, P.	1574
Steinberg, M. S.	962	Taylor, G. I.	1575, 1576, 1577, 1578, 1579, 1580
Stelletskaya, T. I.	735	Taylor, N. W.	1581, 1582
Stepanov, A. V.	1524, 1525	Terai, S.	1583
Steurer, W. H.	1526	Terminasov, Iu. S.	1496, 1584
Stoiukhin, B. P.	1205, 1206	Thielsch, H.	1585
Stokes, A. R.	1056	Thomas, G.	1586, 1587
Stokes, R. J.	308	Thomassen, L.	1707
Stowell, E. Z.	1527	Thompson, D. O.	1588
Stroh, A. N.	1528, 1529, 1530, 1531, 1532, 1533, 1534, 1535, 1536	Thompson, F. C.	106, 1589
Succop, G.	1044	Thompson, N.	1263, 1590, 1591
Suiter, J. W.	511, 1537, 1726	Thomsen, E. G.	385
Sully, A. H.	192, 1538, 1539, 1540, 1541, 1542	Thomson, R.	1592
Sumino, K.	1543	Thorton, P. R.	1593
Summerton, J. M.	1544	Thring, M. W.	1299
Sun, C. P.	495	Ticknor, L. B.	105
Suzuki, H.	1545, 1546, 1547, 1548, 1549, 1550, 1551, 1552, 1568, 1569	Tietz, T. E.	380, 381, 1341, 1594, 1595
Suzuki, T.	1553, 1554	Tikhonov, L. V.	871
Swann, W.F.G.	1555	Tikhonova, L.	1780
Sweetland, E. D.	1556	Tipper, C. F.	1596
Swift, H. W.	1557, 1558, 1559	Toaz, M. W.	1597
Swift, I. H.	1560	Tomashevsky, E. E.	1783
Sylwestrowicz, W. D.	1561	Tomaszczyk, W.	1598
Syre, R.	262	Tottle, C. R.	1356
Tabor, D.	1562, 1563, 1564, 1565, 1566, 1567	Trapetsnikov, V. A.	1599
Tagunova, T. V.	1365	Travina, N. T.	891
Taira, S.	1131, 1132, 1133	Treco, R. M.	492
Takamura, J.-I.	1134	Tremain, G. R.	1571
Takeuchi, S.	1551, 1552, 1568, 1569	Trifan, D.	1600
Takeyama, T.	833	Trofimov, V. I.	1601
Tamhankar, R.	1570	Tronina, N. M.	892
Tanaka, K.	1131, 1132, 1133	Troost, A.	155
Tapsell, H. J.	1571, 1727	Trotter, J.	1602
Tarasenko, I. I.	1572	Trozera, T. A.	1467, 1603
		Trunin, I. I.	1067, 1068, 1069
		Trusova, E. F.	1601
		Truskowski, W.	1604, 1605
		Tsipuris, J.	1402

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Tsipuris, M.	1402	Wachtman, J. B., Jr.	1660, 1661
Tucker, J., Jr.	1606	Wagner, C.N.J.	1662
Tung, S. K.	1607	Wain, H. L.	1623, 1663, 1664
Turkalo, A. M.	221, 1608	Walker, H. L.	1665
Turner, F. H.	1609	Wallis, K.F.A.	565
Tyndall, E.P.T.	1560, 1610, 1611	Warekoiis, E. R.	1666
Tyte, L. C.	1612, 1613	Warren, B. E.	1666
		Washburn, J.	204, 400, 401, 954, 955, 1225, 1226, 1227, 1667, 1668
Udin, H.	222	Webb, W. W.	1669, 1670, 1671
Uemura, Y.	1614	Weertman, J.	183, 1672, 1673, 1674, 1675, 1676, 1677, 1678, 1679, 1680, 1681
Umanski, Ia. S.	1130	Wei, C. T.	
Umanski, J.	1615	Weibull, W.	1682
Umstätter, H.	1616, 1617	Weik, H.	1683
Unckel, H. A.	1618, 1619	Weinberg, F.	1684
Underwood, E. E.	1620, 1621, 1622	Weiman, A. L.	1685
Urie, V. M.	1623		280
Uyeda, R.	648	Weiner, L. C.	1686
Uzhik, G. V.	1624, 1625, 1626	Weing, S.	1687
		Welch, L. E.	991
		Wepner, W.	869
		Werner, O.	1688
		Wert, C. A.	
		Wessel, E. T.	1611
		West, G. W.	1689
		Westbrook, J. H.	271, 272, 273, 274 606, 1690, 1691, 1692, 1693
		Westmacott, K. H.	1494
		Whelan, M. J.	696, 697, 698, 1694, 1695
		White, A. E.	275, 479
		White, G. N., Jr.	1696
		Whittaker, V. N.	194
		Wiedersich, H. W.	1697
		Wigner, E. P.	1698
		Williams, R. O.	1699, 1700
		Williamson, G. K.	1495, 1701
		Willoughby, G.	1542
		Wilman, H.	1702

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Wilms, C. R.	1703, 1704, 1705, 1728	Zaat, J. H.	1754
Wilsdorf, H.G.F.	881, 1706	Zackay, V. F.	1755
Wilson, A. H.	345	Zagrebnikova, M. P.	1638
Wilson, J. E.	1707	Zaikov, M. A.	1756
Wintemberger, M.	1708	Zaitsev, G. P.	1757, 1758, 1759, 1760, 1761
Winter, J.	1709	Zakharov, B. P.	1481
Wiseman, C. D.	897, 1454, 1707, 1710, 1711	Zakharov, M. V.	1762, 1763, 1764
Wolbank, F.	967	Zakoshchikova, E. P.	1765
Wood, D. S.	667, 668, 669, 1658, 1659, 1712, 1713	Zapffe, C. A.	1766, 1767
Wood, W. A.	511, 1508, 1509, 1537, 1711, 1714, 1715, 1716, 1717, 1718, 1719, 1720, 1721, 1722, 1723, 1724, 1725, 1726, 1727, 1728	Zashkvara, V. V.	806
Woodard, D. H.	997, 1729	Zener, C.	716, 717, 718, 1768, 1769, 1770, 1771, 1772, 1773, 1774, 1775, 1776, 1777, 1778, 1779
Woods, J. W.	494	Zhdanov, V. A.	1780, 1781
Woolley, R. L.	1730	Zheleznyakova, A. R.	1311
Woolsey, C. C., Jr.	1349	Zhurkov, S. N.	1782, 1783
Work, C. E.	1731	Zilova, T. K.	486
Worner, H. K.	591	Zirinsky, S.	1784
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Wyatt, O. H.	1734, 1735		
Wyon, G.	1736, 1737, 1738		
Yagn, Yu. I.	1642, 1739		
Yakovleva, E. S.	846, 847, 1740, 1741		
Yakovovich, M. V.	846, 847, 892, 1244, 1742		
Yamamoto, Y.	1743, 1744		
Yampol'skii, B. Ya.	813, 1745		
Yannaquis, N.	895		
Yelutina, V.	1615		
Yen, M. K.	1746, 1747		
Yokobori, T.	1748, 1749, 1750, 1751, 1752		
Young, A. P.	772		
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CLASSIFICATION OF THE NUMBERED REFERENCES
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APPENDIX C

CLASSIFICATION OF THE NUMBERED REFERENCES
IN APPENDIX A BY NUMBER

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668, 675, 678, 679, 686, 687, 688, 689, 694, 697, 700, 719, 720, 721, 724, 727, 729,
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Experimental Observations of Factors Influencing Strength Properties

1, 2, 3, 4, 6, 7, 8, 11, 12, 14, 17, 19, 28, 31, 33, 34, 35, 36, 39, 41, 42, 44, 47, 48, 50, 51, 55, 56, 58, 60, 61, 62, 63, 64, 65, 67, 69, 71, 72, 76, 77, 78, 79, 81, 82, 83, 84, 85, 86, 87, 88, 92, 93, 97, 99, 104, 105, 107, 114, 128, 129, 130, 131, 133, 134, 135, 136, 137, 138, 140, 141, 142, 143, 144, 145, 146, 147, 150, 152, 157, 158, 163, 164, 166, 170, 171, 182, 183, 184, 186, 187, 188, 189, 191, 192, 193, 194, 195, 196, 197, 198, 199, 200, 201, 202, 208, 209, 210, 212, 219, 220, 221, 222, 223, 224, 225, 226, 227, 228, 229, 231, 235, 236, 237, 238, 239, 240, 243, 244, 245, 246, 247, 248, 249, 250, 251, 253, 255, 257, 258, 259, 260, 263, 264, 265, 266, 267, 271, 272, 273, 274, 276, 277, 278, 280, 282, 284, 285, 304, 305, 308, 309, 311, 312, 314, 315, 316, 317, 319, 320, 321, 324, 325, 326, 327, 329, 330, 331, 333, 337, 339, 340, 342, 348, 353, 355, 360, 363, 365, 366, 368, 373, 374, 378, 380, 381, 383, 388, 389, 390, 395, 399, 400, 401, 402, 404, 405, 408, 413, 416, 421, 422, 423, 424, 429, 430, 431, 450, 453, 456, 457, 466, 468, 469, 470, 479, 481, 483, 484, 486, 494, 495, 498, 499, 500, 501, 509, 511, 512, 513, 514, 516, 517, 519, 521, 522, 524, 525, 526, 528, 529, 531, 533, 534, 535, 536, 538, 539, 540, 541, 542, 543, 544, 545, 546, 547, 548, 551, 552, 555, 557, 559, 561, 568, 570, 572, 574, 579, 580, 581, 582, 584, 585, 587, 590, 591, 592, 602, 603, 605, 606, 610, 611, 615, 616, 617, 618, 619, 624, 625, 626, 629, 630, 632, 634, 635, 637, 640, 641, 642, 643, 648, 649, 650, 651, 653, 654, 655, 656, 661, 662, 663, 667, 669, 671, 672, 673, 674, 677, 680, 681, 683, 684, 689, 690, 694, 695, 696, 697, 698, 699, 701, 702, 703, 704, 705, 706, 707, 716, 717, 718, 721, 722, 725, 726, 730, 732, 733, 734, 735, 741, 742, 743, 744, 745, 747, 748, 749, 750, 751, 752, 753, 754, 755, 756, 760, 761, 762, 763, 764, 765, 766, 767, 768, 769, 770, 772, 779, 785, 786, 788, 789, 790, 791, 792, 794, 795, 797, 799, 800, 801, 802, 803, 804, 805, 806, 808, 809, 810, 811, 813, 814, 816, 818, 820, 821, 828, 833, 835, 837, 843, 844, 846, 847, 849, 852, 853, 854, 855, 857, 858, 859, 860, 861, 862, 863, 864, 865, 866, 867, 871, 875, 878, 881, 882, 883, 884, 885, 886, 887, 889, 890, 891, 892, 895, 896, 897, 898, 899, 900, 901, 902, 904, 906, 907, 908, 909, 910, 918, 919, 920, 922, 925, 926, 927, 928, 929, 930, 931, 932, 940, 943, 944, 947, 949, 950, 952, 953, 954, 955, 958, 959, 961, 962, 963, 965, 966, 967, 968, 970, 971, 972, 974, 975, 976, 978, 979, 980, 981, 983, 984, 993, 994, 995, 996, 997, 1000, 1001, 1002, 1003, 1004, 1005, 1006, 1007, 1008, 1009, 1010, 1011, 1012, 1013, 1015, 1016, 1017, 1018, 1019, 1020, 1021, 1025, 1027, 1028, 1030, 1031, 1032, 1033, 1035, 1036, 1037, 1038, 1039, 1040, 1041, 1046, 1047, 1048, 1049, 1050, 1051, 1052, 1053, 1056, 1058, 1060, 1061, 1062, 1064, 1066, 1067, 1068, 1069, 1070, 1072, 1073, 1102, 1103, 1104, 1106, 1121, 1122, 1123, 1125, 1126, 1127, 1129, 1130, 1131, 1132, 1133, 1034, 1135, 1136, 1139, 1152, 1153, 1158, 1159, 1162, 1163, 1164, 1167, 1168, 1169, 1195, 1196, 1197, 1198, 1201, 1203, 1206, 1207, 1208, 1210, 1211, 1216, 1218, 1219, 1220, 1221, 1224, 1225, 1226, 1228, 1229, 1230, 1231, 1234, 1236, 1237, 1238, 1239, 1240, 1241, 1242, 1243, 1244, 1245, 1246, 1247, 1248, 1249, 1251, 1252, 1253, 1256, 1258, 1259, 1260, 1262, 1263, 1264, 1265, 1266, 1267, 1271, 1274, 1275, 1278, 1279, 1286, 1289, 1291, 1292, 1293, 1295, 1296, 1297, 1298, 1302, 1303, 1304, 1305, 1306, 1307, 1308, 1309, 1311, 1321, 1322, 1326, 1327, 1328, 1329, 1330, 1331, 1334, 1336, 1337, 1338, 1342, 1343, 1344, 1346, 1347, 1348, 1349, 1350, 1352, 1353, 1355, 1357, 1358, 1359, 1360, 1361, 1362, 1363, 1364, 1365, 1366, 1369, 1370, 1371, 1372, 1389, 1390, 1391, 1400,

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