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and quantity of oxid Oxidizability was she organosulfur compound drocarbons and when p hydrocarbons by decor quantities the organo accelerate oxidation formation of sulfonic the concentration of A parabolic dependence as a result of the ox A formula for calcula verified experimental oxidation and form th	aluated from the isotherms ation products, and the am own to depend primarily up is present. These compound present in small quantitie mosing peroxides formed in osulfur compounds are oxid of the oil. Oxidation of and carboxylic acids. Whit these acids is a linear for the was established between cidation of S-containing of thing the amount of sedimen- ly. Oils containing about the smallest quantity of oxi- gures and 2 formulas.	ount of sediment for on the concentration ds oxidize more real s inhibit the oxida hydrocarton media ized by oxygen as w S-containing oils men S content is su Inction of the tota the amount of sedi- ths and the total S it formed was derive	ormed. on and type of dily than hy- tion of . In larger ell, and thus results in the fficiently high, 1 S content. ment formed content. ed and	
ASSOCIATION: none SUBMITTE: 00 SUB CODE: 00 Cord 2/2	DATE ACQ: 28May63 NO REF SOV: 009	ENCL: 00 OTHER: 002		
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KREYN, S.E.; VIPPER, A.B.; SHEKHTER, Yu.N.

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Solubilization of the contamination products of motor oils by the cleaning action of metal sulfonates. Khim.i tekh.topl.i masel 8 no.11:52.57 N '63. (MIRA 16:12)

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ſ	<u>i. 14574-66</u> EWT(m)/r DJ ACC NRI AP6005236 SOURCE CODE: UR/0413/66/000/001/0074/0074	<i></i>
	INVENTOR: Papok, K. K.; Kreyn, S. E.; Vipper, A. B.; Zuseva, B. S.; Garzanov, G. Ye.; Vinner, G. G.; Dobkin, I. Ye.; Afanas'yev, I. D.; Rogachevskaya, T. A.; Somov, V. A.; Botkin, P. P.; Kuliyev, A. M.; Zeynalova, G. A.	
	ORG: none	
	TITLE: Preparation of motor oil. Class 23, No. 177579	
	SOURCE: Izobreteniya, promyshlennyye obraztsy, tovarnyye znaki, no. 1, 1966, 74	
	TOPIC TAGS: motor oil, antiwear additive, detergent additive	
	ABSTRACT: An Author Certificate has been issued for a preparative method for motor oil, involving addition of a detergent and an <u>antiwear additive</u> to the oil base. The method provides for the use of an alkyl-formaldehyde condensation product and of a dialkyl dithiophosphate based on C_{12} - C_{16} alcohols as the additives. [BO]	
	SUB CODE: 11/ SUBM DATE: 16Apr64/ ATD PRESS: 4/90	
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L 1:5678 66 EWT(m)/T C ACC NR: AP6023624	DJ /JR SOURCE CODE: UR/0318/66/000/004/0021/0024
AUTHOR: <u>Botkin, P. P.;</u> V Somov, V. A.	A. B.; Zuseva, B. S.; Kreyn, S. E.; Papok, K. K.; 52
ORG: none TITLE: New composition c	N B
SOURCE: Neftepererabotk:	a i neftekhimiya, no. 4, 1966, 21-24
TOPIC TAGS: diesel oil,	antioxidant additive, lubricant additive
imported additives in the composition includes the is the barium salt of the and the LANI-317 additive C12-C16 alcohols. In wet practically equivalent to oils of the first series also has advantages over motor on low-sulfur fuel.	of additives to motor fuels was developed in order to match dr effectiveness when taken in similar concentrations. The additives $BFK (4\%)$ and $LANI-317''(0.25\%)$. The BFK additive products of condensation of alkylphenol with formaldehyde, is zine dialkyldithiophosphate in isopropyl alcohol and ting and antioxidation properties, the new composition is foreign additives (those of the Monsanto Co.) designed for of the international classification. The new composition antiwear and wetting agents in the operation of a diesel The use of the new composition of additives increases the issel engines and reduces their oil consumption. Orig. art.
Card 1/2	UDC: 665.4:66.022.3:621.892

L 45578-55 ACC NR: AP6023624	
has: 3 tables.	0
SUB CODE: 11/ SUBM DATE: none/ ORIG REF: 007/ OTH REF: 001	
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Card 2/2 ^{fv}	•

ACC NR: AP6023960 SOURCE CODE: UR/0204/66/006/002/0241/0248
AUTHOR: Kreyn, S. E.; Rubinshteyn, I. A.; Popova, Ye. A.
ORG: none
TITLE: Antioxidant properties of organic sulfur compounds present in petroleum oils, and possible formation of aryl sulfide complexes
SOURCE: Noftekhimiya, v. 6, no. 2, 1966, 241-248
TOPIC TAGS: organic sulfur compound, antioxidant additive
ABSTRACT: The paper discusses the antioxidant properties of organic sulfur compounds contained in narrow chromatographic fractions isolated form the sulfur aromatic con- centrate of the Tuymazy petroleum distillate with $\nu_{100\circ} = 10$ centistokes. The anti- oxidant properties of the compounds were found to increase with the degree of their cyclic character; their inhibiting capacity considerably exceeds that of the hydro- carbons with which they are associated. The various organic sulfur compounds present in the distillate differ in the mechanism of their action and manifest their maximum effectiveness at certain definite concentrations in the oil which are characteristic of each group. The organic sulfur inhibitors may form associates with aromatic hydro- carbons and organic sulfur compounds whose molecules contain aromatic polynuclei. The formation of associates decreases the antioxidant effect of organic sulfur and aromat- ic inhibitors. Orig. art. has: 2 figures and 5 tables.
Cord 1/2 UDC: 665.521.5:665.547.7.094.38

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ACC NR: AP6003433	m)/EWP(j)/EWP(t)/ETI IJP(c) JD/WB/RM (A) SOURCE CODE: UR/0065/66/000/001/0043/0051
AUTHO: Dol'berg, A Poddubnyy, V. N.	L. L.; Vaynshtok, V. V.; Kreyn, S. E.; Shekhter, Yu. N.;
ORG: none	1
FITLE: Production of	f nitrated petrolatum-base corrosion inhibitors
SOURCE: Khimiya i t	ekhnologiya topliv i masel, no.l, 1966, 48-51
A less time-consuming betrolatum. It consis the reaction product ENO ₃ , and dehydration in oil and insoluble 5% solution of nitrat	and petrolatum-base corrosion inhibitors are now made by oxidation in the presence of a catalyst. The preparation takes 10-24 hr. g method was offered for producing a corrosion inhibitor from sted of treating petrolatum with a 62% HNO ₂ solution, neutralizing with a 20% aqueous solution of NaOH without removal of the spent n. The nitrated and neutralized petrolatum was completely soluble in wator. The test on the corrosion-protective properties of the ted petrolatum in transformer oil made with St.45 steel proved that,
etrolatum. The optim	itor, the product was not inferior, if not superior, to the oxidized mal consumption of HNO ₃ was determined as 10%. Nitrating petrolatum f HNO ₃ (\equiv 30%) contributed in some cases to its corresive properties

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0 with respect to the steel. The treatment of exidized petrolatum with small amounts (5-15%)of 62% HNO3with neutralization by NaOH and dehydration yielded an inhibitor soluble both in water and in oils. This permitted it to be used in the form of either oil or water solutions. The most effective corresion inhibitors for the steel was the oxidized petrolatum, having an acid number of 30-45 after treatment with 15% addition of the 62% HNO3 solution. The quality of the inhibitors depended greatly on the purity of the final product. For this purpose the nitrated oxidized petrolatum_was purified of spent HNO3 by settling and treated with NaOH to a neutral reaction. The product of nitration of oxidized petrolatum was tested as a corrosion inhibitor for ferrous and nonferrous metals (Al, duralumin, Cu, Pb, Sn, bronze, Mg alloys, steels, solder, cast iron, and in combinations of metal-wood and metal-rubber). In all cases it provided for long-lasting and reliable protection. The nitration of oxidized petrolatum from the Kazan NPZ was made in a pilot plant installation with 62% HNO3 (consumption 15%) at 70-90C for 4 hr without settling out any of the spent HNO3. The nitrated product had an acid number of 90 mg KOH. The final noutralized inhibitor had an ash content of 7.5% an alkalinity by phenolphthalein of 1.2 mg KOH and by bromophenol blue of 65.7 mg KOH, a water content of 1.6% Dean and Stark, and good protective properties of the 5% solution in transformer oil for St.45 steel: more than 30 days in water before the appearance -a of corrosion nuclei. The nitrated petrolatum and the nitration of oxidized petrolatum can be made in the same simple apparatus which is used for the nitration of mineral . oils. Orig. art. has: 5 tables. SUB CODE:/ SUBM DATE: none/ ORIG REF: 006/ OTH REF: 002 Card 2/2

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,	L 42173-66 EWT(m)/T DJ	
	ACC NR: AR6014532 (A) SOURCE CODE: UR/0081/65/000/019/P018/P018	
	AUTHORS: Badyshtova, K. M.; Vipper, A. B.; Vorozhikhina, V. I.; Denisenko, K. K.; Kroyn, S. E.; Pyatiletova, N. I.; Ryazanov, L. S.; Yastrebov, G. I. 37	
	TITLE: Effect of the extent of refining ¹¹ of the distillate and residual components D of <u>DS-14 oil</u> from sulfurous petroleum upon their operational properties	
	SOURCE: Ref. zh. Khimiya, Abs. 19P129	
	REF SOURCE: Tr. Kuybyshevsk. ni. in-t neft. prom-sti, vyp. 25, 1964, 85-95	
	TOPIC TAGS: lubricating oil, petroleum refining, phenol / DS-14 lubricating oil, MS-20 lubricating oil, DS-11 lubricating oil	
	ABSTRACT: Laboratory study and testing on the engine YaAZ-204 of five samples of DS-14 oil of <u>Novokuybyshev NPZ</u> (differing by the technology of their processing) have been performed. The study shows that the changes in the extent of phenolic refining of distillate and residual components (within the limits of 160-180 and 250-320% of phenol, respectively) have no effect on the detergency, antioxidative, and <u>anti-</u> wear properties of DS-14 oil containing offective additives. Economically, the most convenient method for producing DS-14 oil is to mix the residual and distillate com-	
	ponents of Diesel oil, 60 and 40%, respectively, (i.e., components treated to a less, extensive phenolic refining). This leads to lowering the price of DS-14 oil by 15%, and to increasing its yield by 4%, as compared with the production of DS-14 oil by 4% mixing oils <u>MS-20</u> and <u>DS-11</u> . A. N. (Translation of abstract)	18-18-18-18-18-18-18-18-18-18-18-18-18-1
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KREYN, Selim G.

"On an Inner Characteristic of the Set of All Continuous Functions Defined on a Bicompast Hausdorff Space," Dokl. AN SSSR, 27, No.5, 1940

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Odessa State U., Kiev

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KREYN, S. G.

"Semi-Arranged Rings," Dokl. AN SSSR, 30, No.8, 1941

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KREYN, S.G Krusmozel'skil, M., and Kielo, S. On the center of a general dynamical system. Doklady Akad. Nauk SSSR (N.S.) 58, 9-11 (1947). (Russian) G. D. Bickholf has shown [cf. Lynamical Systems, Amer. Math. Soc. Colloquium Publ., v. 9, New York, 1927, p. 196] that for an ordinary dynamical system [a one-parameter transformation group) the relative sojourn of an arbitrary point of the phase spice in a neighborhood of the center is 1. The present paper extends this result to a more general transformation group. Let G be a connected locally compact multiplicative g(x) eN. Let us be a right invariant Hear measure in G_{i_1} It is pointed out that, if V is an open neighborhood of M_{i_1} topological group with identity ϵ . Suppose also that G is not compact. Let M be a compact metric space and lot 6 act as a transformation group on M; that is to say, then is [r. M-VIG] is bounded uniformly for anM. [CI. to get and well there is assigned g(x)ell such that Birkhaff, loc. cit., p. 193.] Define a transfulte sequence $M \ge M_1 \ge \cdots \ge M_n \ge M_{n+1} \ge \cdots \le ci$ nonvacuous closed in-(1) r(x) ao x (xeM); (2) g'(g(x)) = (g'g)(x) (g', gtG; xeM); variant sets in M as follows: Month is the out of adamandering (1) the function g(x) maps GXM continuously into M; a point well is solid to be nonwandering provided that to points relative to the space Ma: Ma = age Ma in case o is a limit ordinal. The employ ast Z in this sequence is called s is a morphism hood U of s and each compact set Q is Gthere corresponds geG-(? such that Ung(U)=0. Let My the center. The following theorem is proved. If. Y is an he the set of nonwardering points of M. The authors open neighborhood in M of the concer Z and H W is an mark that if V is a neighborhood of M, and if real, then open neighborhood of s in G cuch that If is compact, then there exists a comparet set Q fu G such that g(x) eV for all Hiterie mite, V. S ale (I'v) - 1 - 2 unifornity for zeM. and I of [Cf. Blekhoff, loc, cit., p. 193.] For relf, No Li-and I of the [x, N; II] denote the set of all geff for which: W. H. Galichath (Princeton, N. J.). Source: Mathematical Reviews, Wagh 1948, Nol- S. Re. 3

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"APPROVED FOR RELEASE: Monday, July 31, 2000 CIA-RDP86-00513R000826420 and the second KREYN, S.G. inos Let $|\mathbf{K}(h, x)|$ and S(h, x) be two kernels defined and con-Maturion and q are independent of k, then (*) implies (*). A. Zygnund. downer to |K*(h, x)/K(n, x) [dx 5 9 < 1, $K(\dot{n}, x) f(x) dx$

timuous for $0 < x \le h \le 1$. The authors discuss the problem of conditions under which Krein, E., and Lovin, B. On a nechlam of J. P. Maturian Uspeni Matem. Nauk (N.S.) 3, no. 3(25), 183-136 (1948) where f(x) is integrable over (0, 1). They show that, if the partial derivatives $K_{x}(h, x)$ and $S_{x}(h, x)$ exist and are continuous for $0 \leq x \equiv h \equiv i$. if $K(h, h) = S(h, h) \neq 0$ and if The special case $K(h, x) = 2h/(x^3 + h^3)$, S(h, x) = 1/h was $|S_{\pi}'(h, \pi)/S(\pi, x)| dx < N,$ line $\int_0^{\infty} S(h, \pi) f(\pi) d\pi$, proposed as a problem by Natanson, Ēĵ (Rutsian) • Hathomatical Reviews, where N Sources Vcl 10 No. 2 (i_{i},i_{j})



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REVA, S. G. <u>Berazanshili, Yu. M., and Krein, S. G.</u> Continuous elge- Juas. Doklady Ak.d. Nank SSSR (N.S.) 72, 5-8 (1950), (bursian) Lar une "algebre continue," les auteurs entendent ce qui- suit c'est une algèbre associative et commutative sur le corps complexe, done les élémenta peuvent être identifiés aux fonctions complexes continues définites sur un espace topalogique compact Q (qui jouc le tôle d'une "base" de l'algèbre), et ce de telle sorte que, si l'on nôte feg la multiplication dans l'algèbre, on ait une fornule du type $feg(x) = ffaxof(y)g(z)dC_i(y, z); dans cette formule, Ce dé- signe une mesure de Radon sur QXQ, qui est positive et dépend continûment du point xeQ. En fait, la définition donaée par les auteurs n'est pàs aussi simple que ce qui précède, car ils parlent uniquement de fonctions d'ensemble; mais l'équivalence des deux définitions se voit immédiate- ment. Étant donnée une algèbre continue de base Q, les auteurs appellent mesure multiplicative toute mesure posi- tive m sur Q telle que l'on ait m(feg) = m(f)m(g) poir f, gcontinues sur Q (ici encere la définition fingénieuze d'unthéorème de M. Krein sur les opérateurs conservant unc'me, les auteurs prouvent qu'il existe toujours de tellesmesures (non nulles) (le fait que les mesures Ce sont posi-tives semble essentiel pour la démonstration); en outre, deuxtelles mesures sont toujours absolument continues l'une parrapport à l'autre, au moins si, pour tout xeQ il existe f, gavec feg(x) = 40.$	Soit dx une mesure multiplicative: Li multiplication fei est alors prolongeable par continuité à l'espare L' construit au dr. d'où une algèbre normé compléte et commutative. Une fonction $\chi(x)$, mesurable et hornée pour dx, est dite un caractère si la formule $f \rightarrow ff(x)\chi(x)dx$ définit un homo- plexes; ces caractères sont évidemment en correspondance avec les idéaux maximaux de l'algèbre déduite de L' par adjonction d'un élément unité; il peut du reste arriver qu'il L' peut être identique à son radical). Les auteurs donnent finalement trois exemples d'algèbres continues; le premier est évidemment celui des groupes compacts abéliens; le second est relatif a $Q = (-1, +1)$ et a pour caractères les polynomes de Legendre; le troisième, analogue, conduit aux polynomes de Tchebichsff. Il est à remarquer que, dans ment f_{2} , autrement dit, utilisent la définition que nous avons donnée au début, au lieu de la leur. Bien entendu, et comme les auteurs le font eux-mêmea observer, les notions introduites iri sont en relation étroite avec la théorie des "aystèmes de translations généralisées" de Levitan. Par introduites iri sont en relation étroite avec la théorie dus "aystèmes de translations généralisées" de Levitan. Par introduites iri sont en relation étroite avec la théorie dus "aystèmes de translations généralisées" de Levitan. Par introduites iri sont en relation étroite avec la théorie dus "aystèmes de translations généralisées" de Levitan. Par introduites iri sont en romatis, et de se libérer de l'hypothèse que les C, sont positives; on pourrait alors inclure dans la théorie les "fonctions sphériques" de Gelfand, par exemple.
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The second s KREYN, E.G. and dillion to a Berezanskii, Yu. M., and Krein, S. G. Hypercomplex systems Mathematical Reviews Vol. 14 No. 10 with a compact basis. Ukrain. Mat. Zurnal 3, 184-204 Nov. 1953 (1951). (Russian). Detailed exposition of results already announced [Doklady Akad. Nauk SSSR (N.S.) 72, 5-8, 237-240 (1950); these Rev. 12, 188, 189]. The authors have changed the term Algebra "continuous algebra" to the one given in the title. I. Kaplansky (Chicago, 111.).

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APPROVED FOR RELEASE: Monday, July 31, 2000

"APPROVED FOR RELEASE: Monday, July 31, 2000 CIA-RDP86-00513R000826420 7.9YH, C. C. $\mathbf{x}_{m+1} = A \mathbf{x}_{m} + b$, where A is a matrix. turns out, the max errors are the most probable errors. Considers the recurrent formula ways considerably less then the max errors. As it hypothesis that the most probable errors are al-The purpose of the present note is to refute the "Uspekh Matemat Nauk" Vol VII, No 4 (50), pp 157-161 Solution of a System of Linear Equations by an Iteration Process," M. A. Krasnosel'skiy, S. G. Kreyn "Note on the Distribution of Errors During the USSR/Mathematics = Iteration Process, Approximation Jul/Aug 52 225164 225764

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united in the second KREYH, S. -Krasnosel'skil, M. A., and Krein, S. G. An iteration process with minimal residuals. Mat. Sbornik N.S. 31(73), 315-334 (1952). (Russian) Mathematical Reviews Let B be a real positive definite matrix. The authors introduce the " α -processes," a family of gradient methods for solving a system of linear equations Bx=b, depending Vol 14 No. 7 July - August, 1953 Numerical and Graphical Methods. for solving a system of intear equations Bx = 0, depending on a real parameter α . Let x_0^{α} be arbitrary. For each $b=0, 1, \dots, a$ sequence (x_0^{α}) converging to $x^{\alpha} = B^{-1}b$ is defined by letting $x_{b+1}^{\alpha} = x_b^{\alpha} - c_a \Delta_b^{\alpha}$, where $\Delta_1^{\alpha} = Bx_b^{\alpha} - b$, and where $c_a = (B^{\alpha} \Delta_a^{\alpha}, \Delta_a^{\alpha})/(B^{\alpha+1} \Delta_a^{\alpha}, \Delta_a^{\alpha})$. (In x_b^{α} and Δ_b^{α} , a is a superscript; but B^s is the ath power of B.) For real γ , let $\|s\|_{\gamma}$, the " γ -length" of s, be $(s, B^{\gamma}s)^{\dagger}$. Then the a-process selects x_{i+1}^* among all vectors of the form $x_i^* - \gamma \Delta_i^*$ $(-\infty < \gamma < \infty)$ so as the minimize $\|x_{i+1}^{*} - x^{*}\|_{a+1} = \|\Delta_{a+1}^{*}\|_{a-1}$. By a very simple argument it is shown that all a processes have the same norm, i.e., one always has

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where m, if are the least, greatest eigenvalues of B, and equality is attained for some x.*. (Details are missing on the matter of equality.) In a preliminary theorem it is shown that log (B^*x, x) is a convex function of α . The 0-process is the method of steepest descent of Kantorovich and others, while the 1-process is proposed for practical use and given the name of the title. The choice between the two depends on what measure of the error one is striving to reduce. In addition to the minimizing nature of the 0- and 1-processes inherent in the above, it is shown that the 0-process is the best of the "practically realizable" a-processes (i.e., $\alpha = 0, 1, 2, \cdots$) in the one-step reduction of $||x_b - x^o||_b$. The non-linear transformation L: $x_b \to x^{t}_{b+1}$ is studied in some detail; it is shown that L is commonly n-1 to 1. G. E. Forsythe (Los Angeles, Calif.).

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KKEYM,	Hathonatical Reviews Vol. 14 No. 8 Sept. 1953 Analysis	Krein, S. G. On invariant points in conformal mapping. Uspehi Matem. Nauk (N.S.) 8, no. 1(53), 155–159 (1953). (Russian) VG. N. Položit has shown [Uspehi Matem. Nauk (N.S.) 7, no. 6(52), 203-205 (1952); these Rev. 11, 519] that if a simply-connected region G is mapped and the transformation of its boundary in common with that of G, then there can be at most three fixed points on γ in the correspondence of the boundaries. In the case that there are exactly three such fixed points, the outer two are attractive while the inner one is repellent. In the case of two fixed points, one is repellent, the other attractive, while a single fixed point is repellent. The author extends Položit's result to the case that the boundaries of G and G ₁ have n such arcs in common. It is shown that in each of these arcs, with the possible exception of one of them, there can be at most one fixed point, which is always repellent, while in the exception. arc there can be at most three fixed points, which follow Položit's rule of attraction. If, however, there is an interior point of G ₁ which goes into itself under the mapping, there can be no exceptional arc. A. J. Loheader.	

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"APPROVED FOR RELEASE: Monday, July 31, 2000 CIA-RDP86-00513R000826420 行行导导。中国法国委员会法院管督中国的部分的管督部 NATURAL STREET, AND AND STREET, ST mayanan an ar ar KREYN, S.G. See Krasnosel'skiy, M.A. Remark on the distribution of errors in the solution of a system of linear equations by means of an iterative process. SON IATHEATICAL REVIEW (unclassified) Vol AlV, 10 5, hay 1953, pp 139-522

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KREYN, S. G. $\boldsymbol{\omega}$ Ŵ 00 Krein, S. G. Uniform topology in the space of transformations, Mat. Sbornik N.S. 33(75), 627-638 (1053). (Russian) Denote by M(Q, R) the set of all functions of a set Q into a bicompact Hausdorff space R. Let g be a finite open covering of R. If $\phi_{0,k}$ M(Q, R) define $A_{1}(Q)$ to be the set of all $\phi \in M(Q, R)$ such that, for each $p \in Q$, $\phi(p)$ and $\phi_{i}(p)$ both lie in an element of a. The collection of neighborhoods $A_{\alpha}(\phi_{\theta})$ makes M(Q, R) into a uniform space; it is proved to Mathematical Review be complete in this uniformity. A subjet D of M is defined June 1954 to be equivariant in case for each finite open covering a of Topology R, there exists a subdivision $Q = \bigcup_{i \in E_i} \operatorname{such}$ that for each 10-7- $\phi \in D$ and each j, the closure of $\phi(E_j)$ is contained in an element of a. It is proved that D is equivariant it and only if it has a bicompact closure. In case Q is a topological space, let C(Q, R) denote the set of continuous functions from Qto R. Then C(Q, R) is a closed subset of M(Q, R). If $D \subset C$ and ϕ_0 is a limit point of D in the weat, topology, a criterion is given for continuity of ϕ_{α} . This criterion is a generalization of classical theorems. E. E. Floyd.

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KREYN, S.G. Krein, S. G. On functional properties of operators of vec-tor analysis and hydrodynamics. Dokiady Akad. Nauk 1/2 SSSR (N.S.) 93, 969-972 (1953). (Russian) Soient: G, un domaine borné, étoilé relativement à l'ori-i gine; P la frontière de G; H l'espace de Hilbert de vecteurs V(x, y, z), définis dans G, tels que $fff|V|^2 dr < \infty$, le produit scalaire (V, W) de deux éléments de II étant défini au moyen de la formule: $(\mathbf{V}\cdot\mathbf{W}) = \int \int \int \mathbf{V} \cdot \mathbf{W} d\tau;$ D, un sous espace de II, fermeture de l'ensemble des vecteurs solénoïdaux de H. L'auteur définit des opérateurs convenables, au moyen desquels il construit un élément W e D, solution du système : AW=grad p; div W=0 prenant sur F (le sens de cette locution étant précisé par l'auteur) les mêmes valeurs qu'un vecteur f(x, y, z), donné à prioti, assez régulier, f e D. À noter que la scalaire p(x, y, z). est harmonique et que la solution W est indéfiniment différentiable. De même, l'auteur construit un opérateur. convenable sur un autre sous-espace de II. Il peut alors former une solution du système: (OVER)

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116170142 $\frac{K_{i}reiN}{\Delta V} = grad p = g, p = -\frac{1}{4r} \iint_{g} \int_{r} \frac{g}{r^{2}} dr.$ Ces résultats constituent les généralisations des théorèmes d'existence des solutions pour les équations linéaires de d'existence des solutions pour les equations incaires de l'hydrodynamique des liquides visqueux, dont la première version est du à Odqvist [Math. Z. 52, 329-375 (1930)] Les conclusions ci-dessus comportent divers corollaires; (1) l'existence de petits mouvements du liquide visqueux en-fermé dans un vase autour d'une position d'équilibre; (2) la justification des procédée variationnels nour le calcul (2) la justification des procédés variationnels pour le calcul de ces petits mouvements, etc. Un énoncé concernant les petits mouvements autour d'un régime stationnaire complète ce mémoire. J. Krauchenko (Grenoble). 学性分裂 日子纪科学研究

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Card 1/1		FD-1168 Pub. 118-9/30
· ·		140. 110-9/30
Author	:	Kreyn, S. G.
litle	:	An indeterminate equation in a Hilbert space and its application in the theory of potential
Periodical	:	Usp. mat. nauk, 9, No 3(61), 149-153, Jul-Sep 1954
Abstract	:	In reading the work of H. Weyl ("Kapazitaet von Strahlungsfeldern," [Capacity of radiation fields], Math. Zeistschrift, 55, 2, 1952), which was devoted to demonstrating the theorem of the existence of the solution to the boundary-value problem for the equation $\Delta u + k^2 u = 0$, the author of the present set for himself the methodological goal of distinguishing the general positions held in the theory of operators which are necessary in order to prove the theorem from the specific peculiarities of the concrete problem in question. Three references, 1 German and 2 USSR.
stitution	:	
ubmitted	:	October 3, 1953

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KREYN, S.G. Krasnosel'skii, M. A., and Krein, S. G. On the principle of averaging in nonlinear mechanics. Uspehi Mat. Nauk (N.S.) 10 (1955), no. 3(65), 147-152. (Russian) I'= F/W Given the system MS (1) $\dot{x} = c X(x, t)$ with x, X n-vectors and x varying in a bounded domain D of E^n , suppose that for every x in D $\lim_{T\to+\infty}\frac{1}{T}\int_0^T X(x,t)dt = X_0(x)$ (2)exists. Take now the system (3) $\dot{y} = \epsilon X_0(y)$ and let x(t), y(t) be solutions of (1) and (3) such that $x(0) = y(0) = x_0$. Bogoliubov proved [On some statistical methods in mathematical physics, Akad. Nauk Ukrain. SSR, 1945; MR 8, 37] the following theorem. Let X(t, x) be bounded in D and satisfy there a Lipschitz condition with constant independent of x, t. Let also the limit (2) exist for every x in D. Suppose finally that y(t) is known with constant independent of x, t. Let also the limit (2) exist for every x in D. Suppose finally that y(t) is known for e=1 and $t \in [0-T]$ and together with a certain neighborhood does lie in D. Then, given $\eta > 0$, there exists $e_0 > 0$ such that for $0 < e < e_0, x(t)$ as defined above is in modulus within an η -neighborhood of y(t) on $t \in [0-T/e]$. ୦୦୭ ł 计运行证 经公司 人名法格劳尔

"APPROVED FOR RELEASE: Monday, July 31, 2000 CIA-RDP86-00513R000826420 It was shown by Gikhman [Ukrain, Mat. Z. 4 (1952), 215-218 (unavailable for review)] that the above theorem is a ready consequence of a theorem on the continuous dependence of the solution of a differential equation on a parameter. Gikhman leaned heavily upon the Lipschitz condition. His result is proved here under much more general conditions, and this extends considerably the reach of the theorem of Bogoliubov, S. Lefschetz. S.G. لم ----

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	USSR/MATHEMATICS/Differential equations CARD 1/3 PG - 74 KRASNOSEL'SKIJ M.A., KREJN S.G. Non-local theorems of existence and uniqueness for systems of ordinary differential equations.
PERIODICAL	Doklady Akad. Nauk <u>102</u> , 13-16 (1955) reviewed 6/1956
Let be	
(1) $\frac{1}{6}$	$\frac{x}{t} = f(x,t)$, where $f(x,t)$ ($x \in E$, $-\infty < t < +\infty$) is a continuous
able as the the Lipschif	th range of values in the Banach space E. If $f(x,t)$ is represent- sum of a completely-continuous operator and one which satisfies a condition, then the local existence theorem is valid according $h_0 > 0$ can be given such that (1) has a solution for $t_0 - h_0 \le t \le t_0 + h_0$
which satis	lies the initial condition $x(t_0) = x_0$. The authors ask for con-
	or which all solutions of (1) can be continued on the interval
Let L(n) ≥0	be continuous and $\psi(t) \gg 0$ be integrable on every finite interval.
Let $\{\phi_i(x)\}$	$m_{i=1} \ge 0$ be functionals defined on E the gradients of which are
continuous d	perators on E. $\phi(x) = \max_{i} \phi_i(x) \cdot j(x)$ are those indices i for
which $\Phi_i(x)$	= $\phi(x)$ for given x. Then the following lemma is valid: If $f(x,t)$
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Doklady Akad. Nauk 102, 13-16 (1955) CARD 3/3PG - 74one can obtain several non-local existence theorems. In three cases for different $\Phi(x)$ the concrete condition (2) is given. From the lemma follows still a general theorem of uniqueness: $x = x_1(t)$ and $x = x_{2}(t)$ be two solutions of (1) satisfying the same initial condition. Let be $\phi(0) = 0$ and $(\Gamma_{j(x_1-x_2)}(x_1-x_2), f(x_1,t)-f(x_2,t)) \leq L [\phi(x_1-x_2)] \psi(t),$ where for every $\xi > 0$ $\int \frac{\mathrm{d}u}{\mathrm{L}(\mathrm{u})} = \infty,$ then $x_1(t) \equiv x_2(t)$. The given theorems can be used for the proof of the non-local theorems of existence and uniqueness of theintegro-differential equations. INSTITUTION: Public University Vorone 2.

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Translation from: Referativnyy zhurnal, Mekhanika, 1957, Nr 9, p 69 (USSR) SOV/124-57-9-10375 AUTHOR: Kreyn, S.G. TITLE: Mathematical Aspects of the Theory of the Motion of a Solid Body With Cavities Filled With Fluid (Matematicheskiye voprosy teorii dvizheniya tverdogo tela s polostyami, napolnennymi zhidkosť yu) PERIODICAL: Tr. 3-go Vses. matem. s"yezda.Vol I. Moscow, AN SSSR, 1956, pp 205 ABSTRACT: The paper analyzes aspects of the existence of a motion of a viscous incompressible fluid and of eddy motions of an ideal fluid during a given motion of the body containing it and with given initial conditions. Nonlinear and linearized problems are analyzed. The author studies the problems of the existence of small oscillations of the fluid, of the totality of the system of normal oscillations, and of the characteristics of the frequency spectrum in three cases: The motions of an ideal fluid approximating a state of equilibrium with the presence of a free surface, the motions of an ideal fluid approximating its rotation as a solid body, and the oscillations of a viscous fluid approximating stationary motion. In the latter part of the paper the combined oscilla-Card 1/1 tions of a solid body and a fluid are studied on similar tases. Annot.

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KREYN,S.G. Call Nr: AF 1108825 Transactions of the Third All-union Mathematical Congress (Cont.) Moscow, Jun-Jul '56, Trudy '56, V. 1, Sect. Rpts., Izdatel'stvo AN SSSR, Moscow, 1956, 237 pp. Krasnosel'skiy, M. A. (Voronezh). On the Investigation of Bifurcation Points of Non-linear Equation. 204-205 Kreyn, S. G. (Voronezh). Mathematical Problems in the Theory of Motion of Solid Bodies With Fluidfilled Cavities. 205 Kupradze, V. D. (Tbilisi). On Some New Research at the University of Tbilisi in the Mathematical Theory of Elasticity. 205 Mikhaylov, G. K. (Moscow). Precise Solution of a Problem on Stabilized Motion of Ground Water in Vertical Plane With Free Surface and Feeding Zone. 205-206 Mention is made of Polubarinova-Kochina, P. Ya. Movchan, A. A. (Moscow). Linear Oscillations of a Plate Moving in Gas at High Velocity. Card 68/80 206

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and the second states of the s **Paleckii, Yu. L.; and Krein, S. G.** Integration and differentiation of functions of <u>Hermitian operators</u> and applications to the theory of <u>perturbations</u>. A Volume 1. Gos. Univ. Trudy Sen. Funkcional. Anal. 107, 1 (1956).
81-105. (Russian)
The proof and applications are given of a formula for the differential coefficient of a function *f(H(t))*, where *H(t)* is a bounded Hermitian operator defined and differentiable for the semicator of the semicator of the section for the section. entiable for t in some segment of the real line, and f a function with continuous second derivatives on a segment (a, b) of the real line containing the spectrum of H(t) for all I in the segment of definition. The formula is $\frac{dI(II(t))}{dt} = \int_{0}^{b} \int_{0}^{t} \frac{f(t) - (f(t))}{\lambda - \mu} dE_{\lambda}(t) - \frac{dH(t)}{dt} dE_{\mu}(t).$ 1/2

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THE REPORT OF THE PARTY OF THE Daleckil, Yu. Lit Knoin, S. G. where Ex(4) is the spectral projector of 11(1). 1-F\W The formula is extended to higher order derivatives by iteration, and a Taylor's theorem, with the integral form of the remainder, is proved. The differential coefficients of the operator functions and the integrals are understood to exist in the sense of convergence by operator norms; the properties of the Stieltjes integral with respect to the spectral function are discussed in some detail. By taking f to be a function equal to 1 on an isolated portion of the spectrum and zero elsewhere on the spectrum of H, applications are given to perturbation theory: the for-mulae simplify considerably when H(t) is linear in t. Estimates for the error term in the Taylor's expansion are given. The principal results have appeared without proof in Dokl. Akad Nauk SSSR (N.S.) 76 (1951), 13-16; Dopovidi Akad. Nauk Ukrain. RSR 1951, 234-233 [MR 12, 617; 16, 264]. J. L. B. Cooper (Cardiff). مجيدي الجهنجور ترادور والمجرر

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A DESCRIPTION OF THE PARTY OF 化用运行和可能 RREYN, S, Krasnosel'skil, M. A.; and Krein, S. G. On the theory of ordinary differential equations, in Banach spaces, Voronez. Gos; Univ. Trudy Sem. Funkcional. Anal. no. 2 (1956), 3-23. (Russian) Slight extensions and detailed proofs of results stated by the same authors in Dokl. Akad. Nauk SSSR (N.S.) 102 (1955), 13-16 [MR 17, 151]. F. A. Ficken. 1-F\W ſ Ίŧ C. n. . . .

AUTHORS	Kreyr S.G., Reshotka, Kh.S.
	Analysis of the Field in an Electromagnetic Separator With Allowance for the Mutual Effects of Adjacent Pole Terminals (Raschet poly velektromagnithom separatore suchetom traimrogo livaniya sosednikh polyusnykh nakonechnikov)
PER'OD'CAL	Sh. tr. Kriverozhała gornorudz. 1703, 1956, Nr 5, pp 134-148
	Eacher a study had been made of the two dimensional magnetic field arising between the infinitely thin poles, either wedge shaped or flat. of a magnet (Derkach, V.G., Gornyv zh., 1950, Nr 1). The present work is devoted to an in estigation of the field existing with such a system of pointed poles. Fundamental here, is the cheice of a distance between the pointed poles at which the mutual influence of the respective poles would not lead to any noticeable reduction in the magnetic force exerted on a particle of ore. Equations are put forth for calculation of the mutual effects of like poles of the magnetic force, and of the intensity of the field. It
Gard 1/2	is found that the optimum radius of cur ature is $r = 0.15$ / ,



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nen hendeligen ander der staten ander der staten ander an and the first the second strength KREYN, S.G. Krasnosel'skii, M. A.; and Krein, S. G. On a class of uniqueness: theorems for the equation y'=/(x, y), Uspehi Mat. Nauk (N.S.) 11 (1956), no. 1(67), 209-213. (Russian) (Aussian) Consider the problem $y' \approx /(x, y)$, $y(x_0) \approx y_0$ with $l/(x, y_1) = /(x, y_2)[(x - x_0) \le k]y_1 = y_0]$ on R: $x_0 \le x \le x_0 + a$, $|y - y_2| \le b$. If l(x, y) is continuous on R then an im-provement by Perron [Math. Z. 28 (1928), 216-219] et a theorem of Rosenblatt yields uniqueness of the solution if $k \le 1$. The principal result in the paper under review is that $|x| = x_0 \le l(x, y_0) = l(x, y_0) \le 0$ Also is the principal result in the paper under review is that if also $|f(x, y_1) - f(x, y_2)| \le p|y_1 - y_2|^2$ on R, with p fixed and $0 < \alpha < 1$, then uniqueness follows if in the first condition merely $k(1-\alpha) < 1$. Using appropriate Banach spaces, the authors obtain similar uniqueness theorems for an integro-differential equation, for a system of ordinary differential equations, and for y' = /(x, y) with $y_0 = \lim_{x \to 0} y(x)$ 15 x →∞. F. A. Ficken (Knoxville, Tenn)

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CUBJECTUSSR/MATHEMATICS/Functional analysisCARD1/3PG - 7.1AUTHORKRASNOSEL'SKIJ M.A., KREJN S.G., SOBOLEVSKI P.E.TITLEOn differential equations with bounded operators in Banach spaces.PERIODICALDoklady Akad.Nauk 111, 19-22 (1956)
reviewed 4/1957

The authors consider the equation

(1) $\frac{dx}{dt} = A(t)x + f(t,x),$

where x(t) is the sought function with a range of values in the Banach space $E_{v} = A(t)$ and f(t,x) are operators in E and besides A(t) is unbounded, closed and linear for every t. A solution is sought which satisfies the initial condition

(2) $r(0) = r_{0}$

where x belongs to the region of definition D(A) of the operator A(0). The authors use the theory of semigroups and therefore it is assumed that A(t) is the generating operator of a strongly continuous semigroup of bounded operators $T(\xi)$ ($\xi > 0$) for every t. At first the linear equation

$$\frac{d\mathbf{x}}{d\mathbf{t}} = \mathbf{A}\mathbf{x} + \mathbf{f}(\mathbf{t})$$

is considered, where A is independent of t. Let Q be the linear operator

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Doklady Akad. Nauk 111, 19-22 (1956)

$$Qx(t) = \int_{0}^{t} T(t-x)x(\mathcal{T})d\mathcal{T}.$$

Theorem: a) Q acts and is continuous in the space C_L of functions which satisfy the Lipschitz condition. If for $\xi > 0$ the semigroup $T(\xi)$ is continuous with respect to the norm (condition C_n according to Hill), then Q acts from C_L to C_1 and is continuous. b) if A^{-1} is completely continuous, then Q as an operator from C_L to C is completely continuous too. Theorem: Let $T(\xi)$ satisfy the condition C_n and let f(t) be continuous and have a strongly bounded variation. For $x_0 \in D(A)$ the formula

$$x(t) = T(t)x_0 + Qf(t)$$

yields the solution of (1)-(2). Let be given a homogeneous linear equation $\frac{dx}{dt} = A(t)x$ and let be satisfied the condition α) $C(t) = A(t) \frac{d}{dt} A^{-1}(t)$ bounded and strongly continuous in t. Theorem: If α) is satisfied, then 1) the operators A(t) have a common region

excession and an and a second s

Doklady Akad. Nauk 111, 19-22 (1956) CARD 3/3PG - 711 of definition, 2) the operators $B(t,s) = A(t)A^{-1}(s)$ are continuous with respect to the norm in t and s and 3) the derivative $\frac{\partial B(t,s)}{\partial t}$ is strongly continuous for every s in t. If 1) and 3) are satisfied, then α) is satisfied too. This theorem and a further one are indirect connection with the investigations of Kato (J.Math.Soc.Jap <u>5,</u> no.2, (1953)). Then the non-linear equation (1) is treated. \blacktriangle generalized solution of (1)-(2) means a function x(t) which satisfies the operator equation $\mathbf{x}(t) = Qf \left[t, \mathbf{x}(t)\right] + \mathbf{U}(t, 0)\mathbf{x}_{0} .$ (3)For the proof of the theorems of existence theorems of fixed points are used. For a sufficient smoothness of f(t,x) in some cases it can be shown that the generalized solutions the existence of which was proved, are ordinary solutions of (1). Some examples are considered.

SUBJECTUSSR/MATHEMATICS/AlgebraCARD 1/1PG - 736AUTHORBEREZANSKI Ju.M., KREJN S.G.TITLEHypercomplex systems with an infinite basis.PERIODICALUspechi mat.Nauk 12, 1, 147-52 (1957)reviewed 5/1957

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An ordinary hypercomplex system the elements of which are n-dimensional vectors x, can be understood as a ring of complex-valued functions $x(j) = x_{j}$

which are defined on a basis Q consisting of n points, where the ordinary addition and multiplication with a scalar and the composition

$$(x * y)(1) = \sum_{j,k=1}^{n} x(j)y(k)c_{jk1}$$

 c_{jkl} - structural constants, are valid. The authors extend the notion of the commutative hypercomplex system to the case that Q is a locally compact metric space. The authors restrict themselves to positive structural constants. Then it is shown that by restricting to (in a certain sense) symmetric hypercomplex systems, to these systems the principal results of the harmonic analysis on commutative locally compact groups can be transferred. Numerous examples are given.

MERTH		
SUBJECT	USSR/MATHEMATICS/Differential equations CARD 1/2 FG = 100	
AUTHOR TITLE	KREJN S.G. Differential equations in the Banach space and their	
PERIODICAL	application in hydromechanics. Uspechi mat.Nauk <u>12,</u> 1, 208-211 (1957) reviewed 5/1957	
which carrie equations is derivative p - pressur- introductio	considers the motion of a tenacious fluid in a closed vessel es out a given motion around a fixed point. The system of motion s non-linear and not of the type of Cauchy-Kowalevski since the with respect to the time of one of the wanted functions ($\frac{dp}{dt}$, re) does not appear in the equations. The author shows that by on of a suitable Hilbert space and by decomposition of it into an sum of two subspaces the unknown function p can be eliminated, the other unknown function v (relative velocity) an equation of	
(1)	$\frac{dv}{dt} = Av + g(t, v, B_1 v, \dots, B_n v)$	
is obtained	d. Here A is a negative definite operator in the Hilbert space	
and the ope	erators B_i depend on $(-A)^{1/2}$. With the aid of the operator	
n and the state of		



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KREMM S.	\mathcal{L}	a
AUTHOR: TITLE:	Kreyn, Seffe, Moiseyev, M.N. (Voronezh, Moscow) 400000 government On the Oscillations of a Solid Body in the Interior of Which There is a Fluid With a Free Surface (O kolebaniyakh tverdo- go tela, soderzhashchego zhidkost' so svohodnoy poverkhnost'-	
PERIODICAL	Prikladnaya Matematika i Mokhanika,1957,Vol 21, Nr 2 pp 169-174 (USSR)	
ABSTRACT:	Under the influence of conservative forces a solid body with a cavity partially filled with a fluid carries out small os- cillations which are described by the following equations (due to N.N.Moyseyev, Thesis, Mathematical Institute, Academy of Sciences Moscow 1955): $Y_{i}^{"} + \int_{S} \chi_{i}(P) \zeta "(P,t) dP + \mu_{i}^{2}Y_{i} + \int_{S} v_{i}(P) \zeta (P,t) dP = Q_{i}(t)$ (1) (1) $g \zeta (P,t) + \int_{S} H(P,2) \zeta "(Q,t) dQ + \sum_{n=1}^{6} Y_{n}^{"}\gamma_{n}(P) + \sum_{n=1}^{6} Y_{n} v_{n}(P) = 0$ Here the Y_{i} are the generalized coordinates of the body,	
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On the Oscillations of a Solid Body in the Interior of Which 40-21-2-3/22There is a Fluid With a Free Surface $z = \zeta(P,t)$ is the equation of the free surface; v_i and γ_i are functions of the point which are determined only by the geometrical properties of the cavity; μ_1^2 are constants which determine the conservative reforces; $Q_i(t)$ - outer forces; S - the plane domain corresponding to the free surface in the state of equilibrium; 9-density of the fluid; \mathcal{G} - constant field tension; $\mathcal{H}(\mathcal{P}, \mathcal{Q})$ - the Green's function for the Neumann's problem for the domain occupied by the fluid. The motions for $Q_i \equiv 0$ are said to be free oscilla-With the aid of function-theoretical methods the authors prove: For motions of the considered body around the state of equilibrium there appear normal oscillations, i.e. (1) has solutions of the form $t = i \omega_n t$, $\xi_n = z_n e$ (i= $\sqrt{-1}$, j=1,...,6). $\mathbf{i}\omega_{n}\mathbf{t}$ (2) $Y_{jn} = q_{jn} e$ In order that the state of equilibrium is stable (i.e. (2) remains bounded for all t) it is necessary and sufficient that the matrix Card 2/3

On the Oscillations of a Golid Body in the Interior of Thich 40-21-2-3/22 There is a Fluid With a Pree Surface $\left\| \mu_{j}^{2} \, \delta_{jk} - \frac{1}{3 \, \mathbb{G}} \left(v_{j}(P) \, v_{k}(P) dP \right\| \qquad j, k=1, \dots, 6$ is positive definite $\left(\delta_{jk} - \text{Kroneckor's } \delta \right)$. Then all frequencies ∂_{n} are real and $\omega_{n}^{2} \rightarrow \infty$ as $n \rightarrow \infty$. Besides then in the metric of the L_{2} , (2) is a complete system of solutions. In this case the Cauchy problem has a unique solution defined for all t if the $Q_{j}(t)$ are of bounded variation on every finite interval. There are 8 references, 7 of which are Soviet and 1 America. SUBMITTED: March 9, 1956 AVAILABLE: Library of Congress 1. Selids-Oscillations-Theory Card 3/3

KREYN, S.G.

SUBJECT	USSR/MATHEMATICS/Functional analysis CARD 1/3 PG - 874
AUTHOR	KRASNOSEL'SKIJ M.A., KREJN S.G., SOBOLEVSKIJ P.E.
TITLE	On differential equations with unbounded operators in the
PERIODICAL	Hilbert space. Doklady Akad.Nauk <u>112.</u> 990-993 (1957) reviewed 6/1957

Joining a paper of Kato (J.^Math.Soc.Japan, 5_1 2, (1953)) the authors investigate the equation

(1)
$$\frac{dx}{dt} + \mathbf{A}(t)\mathbf{x} = \mathbf{f}(t)$$

in the Hilbert space H. Kato constructed the solution of (1) in the Banach space in the form

(2)
$$x(t) = v(t,0)x_0 + Qf(t),$$

where the solution of the homogeneous equation has the form

$$\mathbf{x}(t) = \mathbf{U}(t_{\mathbf{q}}\mathbf{s})\mathbf{x}_{\mathbf{n}}$$

with a continuous and bounded operator V(t,s) and with the initial condition

Doklady Akad.^Nauk 112, 990-993 (1957) CARD 2/3 PG - 874

$$x(s) = x_0$$
 and t
 $Qf(t) = \int_0^t U(t,s)f(s)ds.$

In the special case considered by the authors, about U and Q more exact assertions can be made. Here it is assumed that 1) A(t) is selfadjoint and $(A(t)x,x) \ge (x,x)$, 2) for $0 \le \alpha \le 1$, $A^{-\alpha'}(t)$ is differentiable, where $C_{\infty}(t) = A^{\infty'}(t) \frac{d}{dt} A^{-\alpha'}(t)$ are uniformly bounded with respect to α and t. 3) $C_1(t)$ is strongly continuous in t and bounded. It is shown that under certain conditions of 1) and 3) there follows the condition 2). Furthermore: $x(t) = U(t,s)x_0$ satisfies the homogeneous equation for all $x_0 \in H$. For t > s and $0 \le \alpha \le 2$ the operators $A^{\alpha'}(t)U(t,s)$ are bounded, where $|| A^{\alpha'}(t)U(t,s) || \le W(t-s)^{-\alpha'}$. This estimation also holds for $\alpha = 2$ if $|| C(t)-C(s) || \le L |t-s|^{\beta}$. The estimation holds for all α if A is constant. If f(t) satisfies the condition Lip ε with $\varepsilon \le 1$, then (2) is a solution

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of (1) for all $\mathbf{x}_0 \in \mathbb{H}$ and t > 0. If \mathbf{x}_0 lies in the region of definition of \mathbb{A} , then this solution has the property $\|\mathbf{A}^{\alpha}(t) \frac{d\mathbf{x}}{dt}\| \leq \mathbb{M}|\mathbf{t}|^{-\alpha}$ for $\alpha < \varepsilon$. Let C be the space of the functions f(t) being continuous on [0,b] with the values in H and the norm $\|f\|_{C} = \max \|f(t)\|$ and let C' be the space of continuous differentiable functions which vanish for t = 0 and the norm of which is $\|f\|_{C'} = \max \|f'(t)\|$. If $f(t) \in C$, then it holds $\|Qf(t + \Delta t) - Qf(t)\| \leq \mathbb{K}_1 \Delta t |\ln \Delta t| \cdot \|f\|_{C}$,

if $f(t) \in C'_0$, then we have $\left\| \frac{d}{dt} Qf(t + \Delta t) - \frac{d}{dt} Qf(t) \right\| \leq K_2 \Delta t \left| \ln \Delta t \right| \cdot \left\| f \right\|_{C'_0}$.

If $A^{-1}(t)$ is completely continuous, then Q is completely continuous in C and C_0^{\prime} . Furthermore the equation (3) $\frac{dx}{dt} + A(t)x = f(t,x)$ is considered. It is stated that the integral equation (4) $x(t) = U(t,0)x_0 + Qf[t,x(t)]$ has a solution on a certain interval. If $\|f(t+\Delta t,x+\Delta x)-f(t,x)\| \leq K(|\Delta t|^{\alpha} + \|\Delta x\|^{\alpha})$ ($\alpha \leq 1$), then every continuous solution of (4) is also a solution of (3) for t > 0.







THE REPORT OF THE PROPERTY OF

PLANNAK (PRINCHALINATIAN) ENALAREMAN (PARAMATAN)

20-114-6-7/54 Kreyn, S. G. AUTHOR: On Correctness Classes for Certain Boundary Problems TITLE: (O klassakh korrektnosti dlya nekotorykh granichnykh zadach) Doklady Akademii Nauk SSSR, 1957, Vol. 114, Nr 6, pp. 1162-1165(USSR) PERIODICAL: The present paper studies this problem for partial differential ABSTRACT: equations. (Equations of inverse thermal conduction and several elliptic equations). The here investigated boundary conditions are correct in a class of solutions which are uniformly bounded in the metrics of a certain Hilbert space. Reference is made to pertinent preliminary works. The corresponding partial differential equations are here treated as ordinary differential equations in a Hilbert space, whereby the problem of correctness can be solved by elementary means. H here signifies the Hilbert space, and A (t) for every t of the segment $[0, \tau]$ signifies an unlimited operator that acts in this space. The author here examines the differential equation (1) dx/dt + A(t)x = 0 with the initial conditions $x(0) = x_{\mu}$ The proof of the theorems of correctness of the just mentioned problem is based upon the following chief theorem: A(t) is a Card 1/2

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"APPROVED FOR RELEASE: Monday, July 31, 2000

AUTHOR:	Kreyn, 3.G. and Sobolevskiy, P.Ye. 20-118-2-7/60
TITLE:	Differential Equation With Abstract Elliptic Operator in the Hilbert Space (Differentsial'nge uravnenies s abstraktnym ellipticheskim operatorom v gil'bertovom prostranstve)
PERIODICAL	
ABSTRACT:	In the differential equation
	$(1) \qquad \frac{\mathrm{d}\mathbf{v}}{\mathrm{d}\mathbf{t}} + \mathbf{A} \mathbf{v} = 0$
	let A be an unbounded operator in the Hilbert space H with a domain D (A) which is everywhere dense. Let the so- lution $v = v$ (t) satisfy the initial condition
	(2) $v(0) = v_0 \in D(A)$.
	The solution of $(1) - (2)$ is denoted as correct, if it exists for all $v \in D(A)$, if it is unique and depends con-
	tinuously on the initial conditions. Necessary for the correctness of $(1) - (2)$ is the existence of X which must be the generating operator of a strongly continuous semigroup $U(t)$ of bounded operators. The operator B is said to have a frac-
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Differential Equation With Abstract Elliptic Operator in 20-118-2-7/60 the Hilbert Space

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tional order with respect to a positive-definite operator A_s if for each $v \in D$ (A) it holds:

$$\|\mathbf{B}\mathbf{v}\| \leq \mathbf{K}_{\mathbf{Y}} \|\mathbf{A}^{\mathbf{Y}}\mathbf{v}\|, \ \mathbf{0} \leq \mathbf{X} \leq 1, \ \mathbf{K}_{\mathbf{Y}} > \mathbf{0}$$

The lower bound of γ is denoted the order of B. In order that B has the fractional order $\not\sim$ with respect to A, it is necessary (and sufficient for the existence of B) that for all $v \in D(A)$, $\gamma > \not\sim$ and sufficiently small δ it holds:

 $\|\mathbf{B}\mathbf{v}\| \leqslant \int^{1-\delta} \|\mathbf{A}\mathbf{v}\| + \frac{K}{\delta^{\gamma}} \|\mathbf{v}\|$

The operator S is called elliptic, if S = A+B, where A is self-adjoint and positive-definite and B is of fractional order with regard to A. If A is elliptic in (1), then (1) - (2) is correct. Let $U_A(t)$ in this case be the semigroup

generated by (1). For each $v \in H$ and t > 0 the function $U_A(t)v$ satisfies the equation (1). All the solutions $U_A(t)v$ are analytic in larg $t < f_o$ (φ_o does not depend on v). There are 9 references, 3 of which are Soviet.

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ABSTRACT: Let G be a bounded domain of the n-dimensional space $(n \ge 2)$ which is star-shaped with respect to a sphere. In the Hilbert space $L_2(G)$ let a self-adjoint positive-definite operator A be considered which is generated by a differential operator of even order and by a system of homogeneous boundary con- ditions. A is called strongly invertible, if $\ A^{-1}f\ _{W_2} \ll C \ f\ _{L_2} (f \in L_2)$, where W_2^1 is a Sobolev space. Theorem: Let A be strongly invertible, $0 < r < 1$, $r = \gamma 1 - \frac{n}{2}$. The following cases are possible a) r positive, not integer. Then $A^{-\gamma}$ is a completely con-
ABSTRACT: Let G be a bounded domain of the n-dimensional space $(n \ge 2)$ which is star-shaped with respect to a sphere. In the Hilbert space $L_2(G)$ let a self-adjoint positive-definite operator A be considered which is generated by a differential operator of even order and by a system of homogeneous boundary con- ditions. A is called strongly invertible, if $\ A^{-1}f\ _{W_2^1} \leq C \ f\ _{L_2} (f \in L_2)$, where W_2^1 is a Sobolev space. Theorem: Let A be strongly invertible, $0 < r < 1$, $r = \gamma 1 - \frac{n}{2}$. The following cases are possible a) r positive, not integer. Then $A^{-\gamma}$ is a completely con-
which is star-shaped with respect to a sphere. In the Hilbert space $L_2(G)$ let a self-adjoint positive-definite operator A be considered which is generated by a differential operator of even order and by a system of homogeneous boundary con- ditions. A is called strongly invertible, if $\ A^{-1}f\ _{W_2^1} \ll C \ f\ _{L_2}$ ($f \in L_2$), where W_2^1 is a Sobolev space. Theorem: Let A be strongly invertible, $0 < r < 1$, $r = \gamma 1 - \frac{n}{2}$. The following cases are possible a) r positive, not integer. Then $A^{-\gamma}$ is a completely con-
be considered which is generated by a differential operator of even order and by a system of homogeneous boundary con- ditions. A is called strongly invertible, if $\ A^{-1}f\ \ll C \ f\ _{L_2} (f \in L_2)$, where \mathbb{W}_2^1 is a Sobolev space. Theorem: Let A be strongly invertible, $0 < r < 1$, $r = \gamma 1 - \frac{n}{2}$. The following cases are possible
Theorem: Let A be strongly invertible, $0 < \gamma < 1$, $r = \gamma 1 - \frac{\pi}{2}$. The following cases are possible
The following cases are possible
a) r positive, not integer. Then A ° is a completely con-
tinuous operator from L_2 into C_m , (space of the functions
Card 1/4 with m = [r] partial derivatives which satisfy the Hölder
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Fractional Powers of Differential Operators and SOV/20-122-6-2/49Embedding Theorems condition with the exponent V < r - [r]. b) r positive integer. Then A^{-V} is a completely continuous operator from L_2 into $C_{m,V}$, m = r - 1 and V < 1. c) $r \leq 0$. Then A^{-V} is a completely continuous operator from L_2 into L_q , $\frac{1}{q} > -\frac{r}{n} = \frac{1}{2} - \frac{X_1}{n}$. Theorem: Let A be strongly invertible, m positive integer, $\gamma 1 - \frac{n}{2} \leq m < \gamma 1$. Then $D^m A^{-V}$, where D^m denotes a partial derivative of order m, is a completely continuous operator from L_2 into L_q , where $\frac{1}{q} > \frac{1}{2} - \frac{X'1-m}{n}$. Let M be a point of \overline{G} and $D_h^m f(P) = \frac{1}{|M-P|} D^m f(P)$ ($h \geq 0$). As the order \ll of the operator D_h^m with respect to the operator A the lower bound of the numbers V is denoted, for which Card 2/4

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Fractional Powers of Differential Operators and SOV/20-122-6-2/49 $D_{h}^{m} A^{-V} \text{ is bounded in } L_{2}.$ Theorem: For $0 \leqslant m < 1$, $0 \leqslant h < \min \left\{ 1 - m, \frac{n}{2} \right\} D_{h}^{m}$ is an operator, the order of which with respect to A is not higher than $\frac{m+h}{1}$. For $\frac{m+h}{1} < V < 1$ it is $\begin{aligned} \left\| \frac{1}{|M-P|^{h}} D^{m} A^{-V} \varphi \right\|_{L_{2}} \leqslant K \|\varphi\|_{L_{2}} \end{aligned}$ where K does not depend on M $\in G$. The proofs of the theorems are based on the somewhat improved results of [Ref 7]. There are 11 references, 8 of which are Soviet, 1 is Italian, 1 German, and 1 American. PRESENTED: Card 3/4



THE REPORT FRANK FRANK 67902 sov/20-130-3-2/65 <u>ر</u>ه An Interpolation Theorem in the Theory of Operators PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol 130, Nr 3, PF 491-494(USSR) Let E be a Banach space; M a linear set on which there are de-fined linear operators T(z) (from M into E) depending on the complex parameter z. Let the following conditions he satisfied 16(1) 16.4600 fined linear operators T(z) (from M into E) depending on the satisfied: complex parameter z. Let the following conditions be satisfied: A. For all $x \in M$ T(z)x is an entire analytic function of z A. For all $x \in M$ $T(z)x \neq 0$. B. $||T(z)x||_E$ is bounded on each with values in E, $T(z)x \neq 0$. B. $||T(z)x||_E$ for real $x \neq 0$. AUTHORS TITLE: straight line parallel with the imaginary axis. For real & let ABSTRACT: Let the resulted normed space be completed to a Banach space and the family of the E $(-\infty < \alpha < \infty)$ is denoted as an (1) 11×11 x = 00×5×00 (2) $\|\mathbf{x}\|_{B} \leq \|\mathbf{x}\|_{\mathcal{X}}^{2-\frac{B}{2-\alpha}} \|\mathbf{x}\|_{\mathcal{Y}}^{\frac{B-\lambda}{2-\alpha}} (\boldsymbol{x} = B \leq \mathcal{Y}, \mathbf{x} \in \mathbf{M}) \|\mathcal{X}\|_{\mathcal{X}}$ E \checkmark . The family of the E \checkmark analytic scale of spaces. From card 1/4 1200 APPROVED

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An Interpolation Theorem in the Theory of Operators SOV/20-130-3-2/65 it follows

(3)
$$\|\mathbf{x}\|_{B} \leq \frac{Y-B}{Y-\alpha} \varepsilon^{-(Y-B)} \|\mathbf{x}\|_{\mathcal{L}} + \frac{B-\alpha}{Y-\alpha} \varepsilon^{B-\alpha} \|\mathbf{x}\|_{Y}$$
 (6 > 0)

Conversely : If (3) is satisfied for all t > 0, then from this it follows (2). Then the author gives some examples and discusses the possibilities of a generalization of the notion "analytic scale". He formulates a further condition: C. Let the set MCE be invariant with respect to the operators T(z). T(0) is unit operator. For every $x \in M$ T(z)x is analytic in every E_{d} and it is

(4)
$$\||T(B + i 6)||_{a} \leq \|x\|_{a}$$
.

Definition : Let the scales $\{E_{\alpha}\}$ and $\{E'_{\alpha}\}$ be constructed with the sets M and M' - $\{E'_{\alpha}\}$ is called conjugate to $\{E_{\omega}\}$, if there exist a bilinear functional (x,u), $x \in \mathbb{M}$ and $u \in \mathbb{M}^{\prime}$, and a linear relation $\alpha \iff \alpha^{\prime}$, such that

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An Interpolation Theorem in the Theory of Operators SOV/20-130-3-2/65

(5)
$$\|x\|_{E_{\mathcal{A}}} = \sup_{u \in \mathbb{N}^{+}} \frac{|(x,u)|}{\|u\|_{E_{\mathcal{A}}^{+}}}$$

Interpolation theorem 1 : Let $\{E_{\mathcal{A}}\}$ and $\{E_{\overline{\mathcal{A}}}\}$ be two analytic scales; let the scale $\{E'_{\overline{\mathcal{A}}}\}$ conjugate to $\{E_{\overline{\mathcal{A}}}\}$ exist. $\{E_{\mathcal{A}}\}$ and $\{E'_{\overline{\mathcal{A}}}\}$ satisfy C. On the set M corresponding to $\{E_{\mathcal{A}}\}$ an operator Q is assumed to be defined, such that for certain \mathcal{A} , \mathcal{B} and $\overline{\mathcal{A}},\overline{\mathcal{B}}$ it holds : (6) $\|\|Qx\|\|_{\overline{\mathcal{A}}} \leq K_1 \|\|x\|\|_{\mathcal{A}}$, $\|\|Qx\|\|_{\overline{\mathcal{B}}} \leq K_2 \|\|x\|\|_{\mathcal{B}}$ $(x \in \mathbb{M})$ Let denote $\mathcal{A}(\mu) = \mu \mathcal{B} + (1 - \mu)\mathcal{A}, \overline{\mathcal{A}}(\mu) = \mu \mathcal{B} + (1 - \mu)\overline{\mathcal{A}}$. Then it is

(7)
$$\|Qx\|_{\tilde{\mathcal{L}}(\mu)} \leq \kappa_1^{1-\mu} \kappa_2^{\mu} \|x\|_{\mathcal{L}}(\mu)$$
.

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THE REPORT OF THE PROPERTY OF

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An Interpol. PRESENTED: SUBMITTED: Card 4/4	ation Theorem in the Theory of Operators The author gives several conclusions and Theorem 3 : If, under the assumptions of pletely continuous as an operator from E, it is also completely continuous as operator into E, , where g is an arbitrary number $\alpha(\mu)$. Theorem 4 : Let F and G be Banach spaces. analytic scale $\{E_{\alpha}, \}$, the conjugate so property C, and if $E_0 = F$ and $E_1 = G$, ly determined on $[0,1]$. The author mentions : V.P. Glushko, M.A. Sobolev and Slobodetskiy There are 9 r are Soviet, 2 German, 1 English, and 1 Am October 10,1959, by A.N. Kolmogorov, Acad October 9,1959	theorem 1, Q is calculated into $E_{\overline{z}}$, then notor from $E_{\overline{z}}$ (μ) or between \overline{z} and and If it exists an cale of which has t then $\{E_{\overline{z}}\}$ is un Krasnosel'skiy, S.	om- ihe iique-





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and a second second 1201 On the Notion of Normal Space Scale ~/020/60/132/03/06/066 scale for F_0 , F_1 ; let E_{∞} be an arbitrary scale on [0,1] which satisfies (8). Let the linear operator A be defined on F_1 and let it satisfy the condition $\|Ax\|_{E_0} \leq C_0 \|x\|_{F_0} , \|Ax\|_{E_1} \leq C_1 \|x\|_{F_1} \quad (x \in F_1)$ Then for $0 \leq \alpha \leq 1$ it holds : $\|Ax\|_{E_{\alpha}} \leq C_{0}^{1-\alpha} C_{1}^{\alpha} \|x\|_{G_{\alpha}} \quad (x \in F_{1}) ,$ (9) Some further similar results are given. There are 4 theorems. There are 2 references : 1 Soviet and 1 American. PREDENTED: January 28, 1960, by N.N. Bogolyubov, Academician SUBMITTED: January 27, 1960 IX Card 3/3

CIA-RDP86-00513R000826420 "APPROVED FOR RELEASE: Monday, July 31, 2000

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HENRY CONTRACTOR STREET PORCE PORCE KREYK, S.C. 81856 \$/020/60/133/02/07/068 c_{111}/c_{222} 16.4600 AUTHOR: Kreyn, S.G., and Prozorovskaya, O.I. TITLE: Analytic Semigroups and Incorrect Problems for Evolutionary Equations PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol 133, No. 2, pp. 277-280 TEXT: Let A be a closed unbounded operator which is the generating operator of a strongly continuous semigroup of bounded operators U(t) in the Banach space E. As the solution of $\frac{\mathrm{d}\mathbf{x}}{\mathrm{d}\mathbf{t}} = -\mathbf{A}\mathbf{x}$ (1)on [0,T] the authors denote a function x(t) which is continuous with respect to the norm of E, which on [0,T] has a strong derivative and which satisfies (1). The problem (1), $\mathbf{x}(0) = \mathbf{x}_0$ (2)is called correct in the class of bounded solutions on [0,T]if to all M, E, $\tilde{\tau} \in (0,T)$ there exists a $S(M, \mathcal{E}, \mathcal{T})$ so that from Card 1/4

"APPROVED FOR RELEASE: Monday, July 31, 2000 管理规程的规模和是一个问题的非正式的 81856 Analytic Semigroups and Incorrect Problems S/020/60/133/02/07/068 for Evolutionary Equations C111/C222 $||x(t)|| \leq u$, $t \in [0,T]$, $||x(0)|| \leq \delta$ (3) there follows (4) $\|\mathbf{x}(\tau)\| \leq \epsilon$ According to the formula y(t) = x(T - t) every solution x(t) of (1) - (2)generates a solution of $\frac{dy}{dt} = Ay , y(0) = x(T) .$ (5)In order to prove the correctness of (1) - (2) the authors estimate the solutions $y(t) = U(t)y_0$ of (5) by their values for t = T and by the maximum of their norm on [0,T]. Theorem 1 : Let U(t) be a strongly continuous semigroup of bounded operators which admits an analytic continuation in a certain conic semimodulus K of the z-plane. Let \overline{G} lie in K. Let $N = \max_{z \in G} ||U(z)||$. Then for all $z_0, z_1 \in G$ $z \in \overline{G}$ Card 2/A

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"APPROVED FOR RELEASE: Monday, July 31, 2000 CIA-RDP86-00513R000826420 1991年1月1日日本市民国际省等部署中国的公司的 **资料和股票股份有利用。**2012年1月 · 和学行。在1997年日日日本的1999年19 81856 Analytic Semigroups and Incorrect Problems S/020/60/133/02/07/068 for Evolutionary Equations C111/C222and $y \in E$ it holds $\| \mathbf{U}(\mathbf{z}_1) \mathbf{y} \| \leq \mathbf{N}^{1-\omega} \mathbf{C}^{\omega} \| \mathbf{U}(\mathbf{z}_0) \mathbf{y} \|^{\omega} \| \mathbf{y} \|^{1-\omega}$ (6)where $C(z_0)$ and $\omega(z_0, z_1)$ are non-negative and do not depend on y in E. Theorem 2 : Let A be a generating operator of a semigroup of bounded operators which is strongly continuous on $[0,\infty]$ and which is analytic on a certain conic semimodulus. Then (1) - (2) is correct in the class of bounded solutions on every [0,T]. The theorems 3 and 4 give estimations for || U(t)y || and || y(t) || under more special assumptions. Herefrom it follows Theorem 5 : Let S2 be a bounded domain of the n-dimensional space with a sufficiently smooth boundary Γ . Let L be a strongly elliptic differential expression of 2m-th order with sufficiently smooth coefficients. The problem $\frac{\partial u}{\partial t} = -Lu$, (12)Card 3/4 าวสารที่หลายหลายสา



CIA-RDP86-00513R000826420

S/763/61/000/000/00B/013 AUTHOR: Kreyn, S. G. Incorrect problems and evaluation of the solutions of parabolic equations. TITLE: SOURCE: Nekotoryye problemy matematiki i mekhaniki. Novosibirsk, Izdyvo Sib. otd. AN SSSR, 1961, 84-86. TEXT: The present brief communication deals with a number of problems (investigated with Aspirant O. I. Prazorovska) related with the incorrect problems for equations of the type of the equation of the reverse heat conductivity, = $-\Delta u$. The study of these problems is performed with the aid of the theory of the functions of a complex variable and the theory of analytical half-groups of bounded operators in a Banach space. As a matter of general principle it is found that once the correctness of a problem in one direction (with respect to t) and its analyticity are established, there follows the correctness in the reverse direction in a class of bounded solutions. Examples are set forth. At the present time the author and his associate are studying the problem of the correctness of reverse problems for certain classes of parabolic equations with nonlinearities. Card 1/1

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Boundary value problems for an...

are reduced to the integral equation

$$\mathbf{y}(t) = \lambda \int_{\Omega}^{\tau} B^{1/2}(t) R(t,\tau) B^{1/2}(\tau) \mathbf{y}(\tau) d\tau$$

where $y(t) = B^{1/2}(t)u(t)$, and $R(t,\tau)$ is a function of the operator A. Thereupon the following theorem is proved: if the boundary conditions are self-adjoint and λ is no eigenvalue, then the boundary value problem under consideration can be reduced to the eigenvalue problem of a completely continuous self-adjoint operator in the Hilbert space $L_2(H, [0,T])$. This theorem is applied to the problem

$$\frac{\partial^2 u}{\partial x_1^2} + \dots + \frac{\partial^2 u}{\partial x_n^2} + \omega^2 / c^2 (x_1, \dots, x_n) u = 0$$

$$u(T, x_2, \dots, x_n) = \varrho u(0, x_2, \dots, x_n),$$

$$u_{x_1}^i (T, x_2, \dots, x_n) = \varrho u_{x_1}^i (0, x_2, \dots, x_n)$$

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"APPROVED FOR RELEASE: Monday, July 31, 2000 CIA-RDP86-00513R000826420 III FEET THE REPORT OF THE PARTY AND THE PARTY s/020/62/146/003/002/019 Boundary value problems for an ... B172/B186 which occurs in the theory of cylindrical waveguides. Hence it follows that if this problem has a solution for a definite q at a real λ , then it also has a solution for $1/\bar{q}$ at the same λ . Up to now this statement has been only hypothetical. ASSOCIATION: Voronezhskiy gosudarstvennyy universitet (Voronezh State University) April 13, 1962, by I. G. Petrovskiy, Academician PRESENTED: SUBMITTED: April 9, 1962 Card 3/3

"APPROVED FOR RELEASE: Monday, July 31, 2000



Î Approximation methods for solving ... S/208/63/003/001/006/013 B112/B102 uniformly towards uniformly bounded solutions of (1.1). (2) The uniformly bounded solutions of the equations $(u_{k}^{N} - u_{k-1}^{N})/\Delta t = A_{N}u_{k-1}^{N},$ (2.1)where $A_N^u \rightarrow Au \quad (u \in D(A)),$ converge uniformly towards a solution v(t) of (1.1) if $u_0^N \rightarrow v(0)$ for (2.2)N ----- (3) The uniformly bounded solutions $v_n(t)$ of the system $dv_n/dt = A_n v_n, v_n(0) = v_n^0,$ (3.1), (3.2) $A_n u \rightarrow Au$ (u $\in D(A)$), converge uniformly towards a solution v(t) of (1.1) (3.3)SUBMITTED: February 17, 1962

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KREYN, S.G.

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"Mathematical problems of the dynamics of a viscous incompressible liquid" by 0.A.Ladyzhenskaia. Reviewed by S.G.Krein. Usp. mat. nauk 18 no.2:251-253 Mr-Ap '63. (MIRA 16:8) (Hydrodynamics) (Ladyzhenskaia, 0.A.)

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ACCESSIO	N'NR: AR4046311	S/0044/64/000/008/B	061/E062
SOURCE:	Ref. zh. Matematika, Abs. 8		11
AUTHOR:	Berezanskiy, Yu. M.; Kreyn,	S. C.; Roytberg, Ya. A.
TITLE: The down to the	e theorem on <u>homeomorphis</u> boundary of solutions of elli	no and the Ineed lung	of smoothness,
CITED SO	URCE: Materialy* k Sovmestr	lomu sovetsko-amerikansk	omu simpozium-
	eniyam s chestny*mi proizvo SR. dovosibirsk, 1963.	dny*mi. Novosibirsk, avg.	1963. Sib.
	GS: homeomorphism, smooth conjugate operator, finite dim tle, discontinuous coefficient	ness, elliptic equation, E nensional space, interpolat	uclidian space, tion theorem,
•	FION: Let $\Omega \subset \mathbb{R}^n$ be a limited Ω . Within Ω , the operator	region in the Euclidian s	pace with the
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L 32469-65 ACCESSION NR: AR4046311 $\mathfrak{A}^*: \mathcal{H}^{-l+\mathfrak{sn}}(\Omega) \times \mathrm{II} \mathcal{H}^{-l+\mathfrak{m}_l+\frac{1}{2}}(\partial \Omega) \rightarrow \mathcal{H}^{-l}(\Omega)$ determines the homeomorphism (also with an accuracy to finite-dimensional spaces). . In addition, the following theorem on increased smoothness is correct: if the solution of the equation Au = f(x) (xEQ). BIK-PI(x) (xEDA)a priori pertains to $H^{g}(\Omega) \gg t_{0}$, and $f(x) \in H^{1-2m}(\Omega)$, $\psi_{j} \in H^{1-m_{j}-1/2}(\Omega)$, then for t'>s, the solution actually pertains to the space $H^{1}(\Omega)$ and the corresponding apriori estimate is true. The paper presents theorems on homeomorphism for the intermediate spaces Hk and normal homogeneous boundary conditions. These theorems are applied to local increase of smoothness of the solution down to the boundary. The proof rests on the interpolation theorem which consists in the following: if H^tand H^t are 2 Hilbert scales of space and the operator B operates Card 3/4