

68334

5.1310

5(4)

AUTHORS:

Manzheley, M. Ye., Voytenko, L. V.

S/076/60/034/01/003/044

B010/B014

TITLE:

Electroreduction of Acrylic Acid<sup>7</sup>

PERIODICAL:

Zhurnal fizicheskoy khimii, 1960, Vol 34, Nr 1, pp 27 - 31 (USSR)

ABSTRACT:

Electroreduction of acrylic acid on cathodes of pure platinized platinum as well as on a gradually thicker deposition of mercury on the cathode was investigated in the present paper. The cathode potential (with Luggin's capillary) was measured with increasing polarizing current and simultaneously the volume of the hydrogen formed. Besides, charge curves were drawn (Refs 3 and 4), and hydrogenation was observed in the adsorbed hydrogen layer (Ref 5). The electrode production, the drawing of charge curves, and the calculation of the actual surface were carried out by a method elaborated by A. I. Shlygin and A. N. Frumkin. 0.1 N  $H_2SO_4$  solution purified by means of electrolysis was used as an electrolyte. Figure 1 shows the results of hydrogenation in the adsorbed hydrogen layer. Hence it may be seen that acrylic acid reacts with the adsorbed hydrogen both on pure platinized platinum and on platinum partly covered with

Card 1/3

## Electroreduction of Acrylic Acid

08334

S/076/60/034/01/003/044  
B010/B014

mercury. In the latter case the reaction is slower (Fig 2 and Table). If about 35% of the electrode surface is covered with mercury, the electroreduction ceases. As may be seen from the charge curves, the ability of the electrode to adsorb hydrogen changes consequently. In the case of a thicker deposition of mercury on the electrode (up to 200%, 400%) it acts like a mercury electrode (Fig 3). It was found that electroreduction may take place both on platinized platinum and on mercury, however, only with potentials which differ by more than 1 v. Further experiments with addition of atomic arsenic obtained by reduction of  $\text{HAsO}_2$  furnished the following results: Admixtures ✓

of arsenic caused a considerable deceleration of the reduction process on the platinized platinum cathode. With a 2% deposition the electrode was completely poisoned. On the basis of experimental data and considering data of publications the following mechanism of electroreduction of  $\alpha$ ,  $\beta$ -unsaturated acids may be assumed: On a cathode of platinized platinum, reduction is brought about by adsorbed hydrogen atoms under the catalytic action of the cathode surface on the adsorbed acrylic acid molecules. On a mercury cathode, reduction may take place due

Card 2/3

Electroreduction of Acrylic Acid

68334

S/076/60/034/01/003/044  
B010/B014

to a direct addition of cathode electrons to the strongly polarized molecule, in which the  $\beta$ -carbon atom may be an electron acceptor. A reduction scheme is suggested. E. Razumovskaya, K. I. Rozental', and Z. A. Iofa are mentioned in this paper. There are 3 figures, 1 table, and 13 references, 12 of which are Soviet.

ASSOCIATION: Kishinevskiy gosudarstvennyy universitet (Kishinev State University)

SUBMITTED: March 17, 1958

Card 3/3

MANZHELEY, M.Ye.; SHOLIN, A.F.

Electrochemical hydrogenation of allyl alcohol. Dokl. AN SSSR  
141 no.4:897-899 D '61. (MIRA 14:11)

1. Kishinevskiy gosudarstvennyy universitet. Predstavleno  
akademikom A.A. Balandinym.  
(Allyl alcohol) (Hydrogenation)  
(Electrochemistry)

L 18309-63

EWP(q)/EWT(m)/BDS

AFFTC/ASD/ESD-3

RM/RH/JD

ACCESSION NR: AP3004978

S/0076/63/037/008/1825/1831 64

AUTHORS: Manzheley, M. Ye.; Sholin, A. F. 63

TITLE: Electroreduction of unsaturated compounds on a platinized platinum cathode

SOURCE: Zhurnal fiz. khimii, v. 37, no. 8, 1963, 1825-1831. 27

TOPIC TAGS: electroreduction, unsaturated compound., platinized platinum, allyl alcohol, Hg, As, I, Tl, NaOH.

ABSTRACT: The electroreduction of allyl alcohol on a platinized platinum cathode with clean surface and with additions of Hg, As, I<sup>-</sup> and Tl<sup>+</sup> has been investigated by plotting the polarization curves  $\Phi_{hi} - \log i$ , measuring the absorption of hydrogen (charging curves) and of allyl alcohol and carrying out the hydrogenation reaction in a layer of adsorbed hydrogen. It has been found that, in both an acid (0, 1N H<sub>2</sub>SO<sub>4</sub>) as well as in an alkaline (NaOH) medium, the electroreduction begins at a potential zone more positive than the reversible hydrogen electrode potential. A considerable difference between the two media has also been revealed, with progressive reduction products such as C<sub>3</sub>H<sub>6</sub>, C<sub>3</sub>H<sub>8</sub> and small amounts of the hydrogenolysis products CH<sub>4</sub>, C<sub>2</sub>H<sub>4</sub> and C<sub>2</sub>H<sub>6</sub> being formed in the acid medium. Reduction is retarded and then completely inhibited in the zone of hydrogen

Card 1/2

L 18309-63

ACCESSION NR: AP3004978

overvoltage. The use of addition agents made it possible to establish the catalytic character of the electroreduction process and its dependence upon the presence of adsorbed hydrogen on the electrode surface as well as upon the energy of the hydrogen-platinum bond. Orig. art. has: 4 figures, 1 table.

ASSOCIATION: Kishinevskiy gosudarstvennyy universitet (Kishinev state university).

SUBMITTED: 05Oct61

DATE ACQ: 06Sep63

ENCL: 00

SUB CODE: CH

NO REF SOV: 007

OTHER: 004

Card 2/2

MANZHELEY, M.Ye.

Effect of the nature of the substituent on the kinetics of  
nitrobenzene electroreduction. Zhur.fiz.khim. 36 no.10:  
2113-2117 0 '62.

(MIRA 17:4)

1. Kishinevskiy gosudarstvennyy universitet.

MANZHELEY, M.Ye.

Mercury electrode. Uch.zap.Kish.un. 68:41-44 '63 [cover '64].  
(MIRA 18:12)



NOVIKOV, B.G.; MANZHELEY, V.U.

Development and growth of ducks reared at different seasons of the  
year. Trudy Inst.zoel.AN URSR 12:54-67 '55. (MIRA 9:7)  
(Ducks)

NOVIKOV, B.G. [Novykov, B.H.]; MANZHELEY, V.U.

Biological foundations of year-round raising of waterfowl. Visnyk  
Kyiv.un. no.5: Ser.biol. no.2:91-97 '62. (MIRA 16:5)  
(GEESE) (DUCKS)

MANZHELIY, I. I.

USSR/Agriculture

Card 1/1

Author : Manzheliy, I. I., Cand. in Agricultural Sciences

Title : About agriculture booklets of the "Znanie" Publishing Office

Periodical : Nauka i Zhizn' 21/5, 46-47, Mar/1954

Abstract : The author comments on the importance of spreading scientific knowledge in accordance with orders of the Communist Party and the Government. The reader demands from agricultural books information that will solve the problems that confront him in his work. The editions put out by "Znanie" are taken up separately and commented on. He finds some things to criticize.

Institution : .....

Submitted : .....

Manzheliy, I.I.

Category: USSR/General Division. Congresses. Meetings. Conferences. A-4

Abs Jour: Referat Zh.-Biol., No 6, 25 March 1957, 21365

Author : Manzheliy, I.I.

Inst : not given

Title : The December Session of the Academy [V.I. Lenin Agricultural Sciences].

Orig Pub: Agrobiologiya, 1955, No 1, 150-153

Abstract: The session, held from the 6th to the 13th of October 1954, examined the accomplishments of scientific-experimental work for 1954 and thematic plans for 1955 of the institutes included in the academy system, and the Kazakh affiliate of the academy.

Card : 1/1

-19-

MANZHELIY, I. I.

USSR / Cultivated Plants. Cereals.

M

Abs Jour : Ref Zhur - Biol., M., 8, 1958, No 34611

Author : Manzheliy, I. I.

Inst : None

Title : Large-Ear, Low-Resistant Varieties of Winter Wheat.

Orig Pub : Vestn. s. kh. nauki, 1957, No 3, 118-121.

Abstract : Work done between 1950 and 1956 led to the development of short-stem, large-ear winter wheat, low-resistant in large harvest years, by means of selection and by raising plants under conditions, prevalent in the Moscow Oblast, from samples of winter wheat varieties received in 1949 from the German Democratic Republic, where they have been chosen by the scientist Dr. Ribbschl. A description is given of 6 samples with a positive rating. -- Yu. L. Gushev.

Card 1/1

MANZHELIY, I.I., kand.sel'skokhoz.nauk, red.; BLOKHINA, V.V., red.;  
PECHENKIN, I.V., tekhn.red.

[Monospermous sugar beet] Odnosemiannaya sakharnaya svekla;  
sbornik statei. Pod red. I.I.Manzheliya. Moskva, Izd-vo M-va  
sel'. khoz. SSSR, 1960. 183 p. (MIRA 13:12)

1. Russia (1923- U.S.S.R.) Glavnaya inspektsiya po zemledeliyu.
2. Uchenyy sekretar' otdeleniya zemledeliya Vsesoyuznoy akademii  
sel'skokhozyaystvennykh nauk imeni V.I.Lenina (for Manzheliy).  
(Sugar beets)

MANZHELIY, I.I., kand.sel'skokhozyaystvennykh nauk

Session of the Lening All-Union Academy of Agricultural Sciences.  
Zemledelie 8 no.10:90-91 0 '60. (MIRA 13:10)

(Agricultural research)

SINYAGIN, I.I., akademik, red.; BUZANOV, I.F., akademik, laureat  
Leninskoy premii, red.; MAZLUNOV, A.L., akademik, red.;  
MAYSURIYAN, N.A., akademik, red.; VASILENKO, P.M., akademik,  
red.; VASILENKO, P.M., akademik, red.; MANZHELIY, I.I., red.;  
CORELIK, L.Ya., red.; ANTONOVA, N.M., tekhn. red.

[Achievements of science and advanced practices in sugar beet  
growing] Dostizheniia nauki i peredovoi opyt po sveklovodstvu.  
Moskva, Sel'khozgiz, 1961. 403 p. (MIRA 15:2)

1. Vsesoyuznaya akademiya sel'skokhozyaystvennykh nauk imeni  
V.I.Lenina. 2. Uchenyy sekretar' seksii tekhnicheskikh kul'tur  
Otdeleniya zemledeliya Vsesoyuznoy akademii sel'skokhozyaystven-  
nykh nauk im. V.I.Lenina (for Manzheliy).  
(Sugar beet breeding)



MANZHELIY, L. S.

The Second All-Union Conference on the Preparation and Analysis of High-Purity Elements, held on 24-28 December 1963 at Gorky State University im. N. I. Lobachevskiy, was sponsored by the Institute of Chemistry of the Gorky State University, the Physicochemical and Technological Department for Inorganic Materials of the Academy of Sciences USSR, and the Gorky Section of the All-Union Chemical Society im. D. I. Mendeleyev. The opening address was made by Academician N. M. Zhavoronkov. Some 90 papers were presented, among them the following:

V. A. Novoselov and T. K. Aydarov. Spectrochemical analysis for S, Se, Te, Sb in InAs.

L. M. Ivantsov. Possibilities of increasing sensitivity of emission spectroscopy.

A. M. Bulgakova, N. P. Zalyubovskaya, and L. S. Manzheliy. A high-sensitivity amperometric method for determining I, Mo, and Tu in LiF, CdS, NaI, CsI, and other single crystals.

(Zhur. ANAL. Khim, 19 No. 6, 1964 p. 777-79)

MANZHELEY, M.Ye.

Temperature effect on the kinetics of electroreduction of  
unsaturated organic compounds. Zhur. fiz. khim. 36 no.9:  
1958-1962 S '62. (MIRA 17:6)

1. Kishinevskiy gosudarstvennyy universitet, kafedra fizicheskoy  
khimii.

MANZHELEY, V. G.

Distr: 4B13

Investigation of diffusion in liquids by the method of saturation from the gaseous phase. M. N. Bagrov, D. O. Dolgoplov, and V. G. Manzheley (A. M. Gorkii State Univ., Kharkov). *Trudy i issled. Kharkovskogo univ.* 1950, No. 81-3. Described are the theory and the method of exptl. detn. of diffusion of condensed vapor in liquid-phase systems with limitless mutual soly. and arbitrary vapor pressure of the components. The vapor pressure  $p$  of the component undergoing the diffusion process, and the wt.  $w$  of the liquid soln. during the diffusion at const. temp. are measured. The diffusion coeff. is derived on the basis of Henry's law. In equil.  $p$  and  $w$  are const. and independent of time at const. temp. Tests of the system benzene-octol agreed with the theory. E. Ryskhkovich

11

SOV/58-59-8-17735

Translated from: Referativnyy Zhurnal Fizika, 1959, Nr 8, p 108 (USSR)

AUTHORS: Dolgoplov, D.G., Manzheley, V.G.

TITLE: The Determination of the Coefficient of Diffusion in Liquids by Means of the Volatile-Component Method

PERIODICAL: Uch. zap. Khar'kovsk. un-t, 1958, Vol 98, Tr. Fiz. otd. fiz.-matem. fak., pp 365-367

ABSTRACT: A method is proposed for measuring the coefficient of diffusion  $D$  in liquids during the evaporation of a dissolved substance. By means of this method, the  $D$  of benzene at  $17.5^{\circ}\text{C}$  in octoil (2.5% of benzene) was computed. Its value proved to be equal to  $0.75 \cdot 10^{-6} \text{ cm}^2/\text{sec.}$ , which agrees with an accuracy of about 3% with the  $D$  previously obtained by means of another method (RZhFiz, 1957, Nr 8, 19637). Since the convection which arises upon a variation in the density of the solution influences the accuracy of the measurement of  $D$ , a condition was found under which convection will be absent:

$$l^3 \delta g \Delta C / \nu D \leq 1100,$$

Card 1/2

where  $l$  is the height of the convection region,  $\Delta C$  is the difference

SOV/58-59-8-17735

The Determination of the Coefficient of Diffusion in Liquids by Means of the Volatile-Component Method

in concentration, and  $\nu$  is the viscosity. The proposed method for measuring  $D$  entails the danger that the solution may begin to boil. In the opinion of the authors, this danger can be avoided in the case of an arbitrary difference in pressures by admitting into the apparatus a vapor or gas which does not dissolve in the system under consideration, so that the total vapor pressure exceeds the pressure of the saturated vapor of the solution.

L.P. Kholpanov

Card 2/2

5 (4)

AUTHORS: Manzheliy, V. G., Verkin, B. I.

SOV/76-33-8-13/39

TITLE: Investigation of the Diffusion Phenomena in Liquefied Gases

PERIODICAL: Zhurnal fizicheskoy khimii, 1959, Vol 33, Nr 8, pp 1758 - 1761 (USSR)

ABSTRACT: An investigation method, as well as the corresponding apparatus, for the study of diffusion phenomena in liquefied gases at low temperatures were developed. The advantage of the method of the gaseous phase applied (Refs 1-4) in contrast with the capillary method (Ref 5) lies in the fact that the former permits the checking of the occurrence of a convection as well as the continuous recording of the diffusion coefficient as a function of the concentration. The system methane (I)-propylene(II) was investigated, since it possesses relatively simple molecules. The test arrangement (Fig 1) contains a copper flask (250 cm<sup>3</sup>) in which the pressure can be measured by means of a manometer and read by means of a cathetometer. The flask is contained in a Dewar vessel. The dependence of the diffusion coefficient of (I) and (II) on the concentration in the range of 0 - 27.5 mol% at 90.2°K was examined, and the results obtained were indicated (Table). The aggregate error in the determinations is given as

Card 1/2

Investigation of the Diffusion Phenomena in Liquefied Gases SCV/76-33-8-13/39

amounting to 6% at most. The authors thank V. A. Pikovets, Ye. A. Sen'ko, and G. L. Shatrovskiy. There are 2 figures, 1 table, and 5 references, 4 of which are Soviet.

ASSOCIATION: Khar'kovskiy gosudarstvennyy universitet im. A. M. Gor'kogo  
(Khar'kov State University imeni A. M. Gor'kiy)

SUBMITTED: January 17, 1958

Card 2/2

MANZHELIY, V.G. [Manzhelii, V.H.]; TOLKACHEV, A.M.

Device for investigating the diffusion of weakly soluble gases  
in nonvolatile liquids. Ukr.fiz.zhur. 5 no.3:431-433 My-Je  
'60. (MIRA 13:7)

1. Khar'kovskiy gosudarstvennyy universitet.  
(Diffusion)



MANZHELIY, V.G. [Manzhelii, V.H.]

Some peculiarities of diffusion in liquids with great molar volume.  
Ukr. fiz. zhur. 5 no. 5:696-701 S-O '60. (MIRA 14:4)

1. Khar'kovskiy gosudarstvennyy universitet.  
(Diffusion)

S/076/60/034/006/032/039/XX  
B015/B063

AUTHOR: Manzheliy, V. G.

TITLE: Study of Diffusion in Some Organic Liquids With a Large  
Molar Volume

PERIODICAL: Zhurnal fizicheskoy khimii, 1960, Vol. 34, No. 8,  
pp. 1856-1861

TEXT: The diffusion theory (Ref. 1) of liquids is only valid if the  
diffusing molecules are much larger than those of the solvent, otherwise  
the effect of the solvent upon diffusion must not be neglected since it  
might lead to different rules. As these may be significant, the authors  
studied diffusion in organic liquids whose molar volume is larger than  
that of the diffusing substance. The method of the gaseous phase (Refs.2-4)  
was applied which, in principle, consists in bringing a certain quantity  
of the vapor of the diffusing substance into contact with the solvent  
and determining the diffusion coefficient from the variation of weight  
or vapor pressure in time, i.e., until equilibrium is reached. The validity  
of the Henry law is presupposed. A series of gravimetric experiments were

Card 1/4

Study of Diffusion in Some Organic Liquids  
With a Large Molar Volume

S/076/60/034/008/032/039/XX  
B015/B063

conducted at  $20 \pm 0.05^\circ\text{C}$  (Refs. 3, 4), and the viscosity  $\eta$  of the solvent was simultaneously determined at  $20^\circ\text{C}$  by means of a capillary viscometer. The measurements included the diffusion of methyl formate, acetone, ethyl ether, ethyl acetate, etc., in tricresyl phosphate, dibutyl phthalate, diethyl phthalate, dimethyl phthalate, and oleic acid. The results indicate that the diffusion coefficient  $D$  is little dependent on the type of diffusing substance, but chiefly on the solvent properties. The value of  $D \cdot \eta$  differs for the various solvents. If a mixture with a solvent having a small molar volume (of the order of magnitude of the diffusing substance) (resorcinol in the present case) is used instead of a solvent with a large molar volume,  $D$  will change with the diffusing substance (Table 2). On the basis of the hole theory of liquids formulated by Ya. I. Frenkel' in Ref. 5, it is shown that at low concentrations of the diffusing substance the energy of hole formation is a function of the solvent properties, that the activation energy drops with an increase of the holes, and that the  $D$  values of different substances are about the same in the same solvent. Resorcinol in the mixture apparently leads to a decrease of the mean hole dimensions and, thus, to an increase of the activation energy and a dependence of the  $D$  values on the type of diffusing molecule. The

Card 2/4

Study of Diffusion in Some Organic Liquids  
With a Large Molar Volume

S/076/60/034/002/012/039/XX  
R015/R063

change of  $\eta$  and  $D$  of the solvents with temperature shows that the activation energies of diffusion and viscous flow resemble each other, and the activation energy is thus apparently small as compared with the energy of hole formation. Professor B. I. Verkin and Docent D. G. Dolzopolov are thanked for suggestions, Docent Ya. Ye. Gogizin for a discussion, and G. L. Shatrovskiy for measurements. There are 4 figures, 2 tables, and 7 references: 6 Soviet and 1 US.

ASSOCIATION: Khar'kovskiy gosudarstvennyy universitet im. A. M. Gor'kogo  
(Khar'kov State University imeni A. M. Gor'kiy)

SUBMITTED: December 10, 1958

Card 3/4

S/076/60/034/008/032/039/XX  
5015/B063

Tab. 2

Таблица 2

Диффундирующее вещество	Раствор	$\eta \cdot 10^3$ пуазы	$D \cdot 10^6$ $\frac{\text{см}^2}{\text{сек}}$
1 Метилформат ( $\text{C}_2\text{H}_4\text{O}_2$ )	9 Трикрезилфосфат 40 мол. %	31.3	1.78
6 Ацетон ( $\text{C}_3\text{H}_6\text{O}$ )	10 Дибутилфталат 60 мол. %		
7 Этиловый эфир ( $\text{C}_4\text{H}_{10}\text{O}$ )			1.79
	11 Резорцин 35 мол. %	69.1	1.77
1 Метилформат ( $\text{C}_2\text{H}_4\text{O}_2$ )	10 Дибутилфталат 65 мол. %		1.16
6 Ацетон ( $\text{C}_3\text{H}_6\text{O}$ )			1.22
7 Этиловый эфир ( $\text{C}_4\text{H}_{10}\text{O}$ )			0.71
8 Этилацетат ( $\text{C}_4\text{H}_8\text{O}_2$ )			0.96

Legend to Table 2: 1 = Diffusing substance; 2 = Solution; 3 =  $\eta \cdot 10^2$  poises;  
4 =  $D \cdot 10^6 \text{cm}^2/\text{sec}$ ; 5 = Methyl formate; 6 = Acetone; 7 = Ethyl ether;  
8 = Ethyl acetate; 9 = Tricresyl phosphate; 10 = Dibutyl phthalate;  
11 = Resorcinol.

Card 4/4

MANZHELIY, V. G., CAND PHYS-MATH SCI, "INVESTIGATION  
OF DIFFUSION IN LIQUIDS WITH HIGH MOLAR VOLUME." KIEV,  
1961. (MIN OF HIGHER AND SEC SPEC ED UKSSR, KIEV ORDER  
OF LENIN STATE UNIV IM T. G. SHEVCHENKO). (KL, 3-61,204).

ACCESSION NR: AP4041734

S/0181/64/006/007/2194/2196

AUTHORS: Gavrilko, V. G.; Manzheliy, V. G.

TITLE: Density of crystalline xenon

SOURCE: Fizika tverdogo tela, v. 6, no. 7, 1964, 2194-2196

TOPIC TAGS: xenon, argon, density determination, thermal expansion coefficient, solid phase, melting point, crystalline phase

ABSTRACT: The density of solid xenon under equilibrium vapor tension was measured in the range 120--160K by a pycnometric method (V. G. Manzheliy and A. M. Tolkachev, FTT v. 5, 3413, 1963). The experimental error did not exceed 0.25%. The results agree well with data obtained below 120K by an x-ray method. Inasmuch as there were no published data on the density of liquid xenon at the triple point, the authors determined pycnometrically the density and the coefficient of thermal expansion of liquid xenon at 162K and obtained values

Card 1/3

ACCESSION NR: AP4041734

$2.96_3 \text{ g/cm}^3$  and  $(1.46 \pm 0.20) \times 10^{-3} \text{ deg}^{-1}$ , respectively. These yielded for the jump in volume at the triple point a value  $V = 5.65 \pm 0.20 \text{ cm}^3/\text{mole}$ , which agrees well with the result calculated by the Clapeyron-Clausius formula. The authors also found that the density of crystalline argon at 77.4K is  $1.64_8 \text{ g/cm}^3$ , which agrees with data by others. The authors thank corresponding member of AN UkrSSR B. I. Verkin for valuable advice and also N. N. Grinchenko and V. I. Kuchnev for participating in the measurements." Orig. art. has: 1 figure, 1 formula, and 1 table:

ASSOCIATION: Fiziko-tekhnicheskiy institut nizkikh temperatur AN UkrSSR, Khar'kov (Physicotechnical Institute of Low Temperature, AN UkrSSR)

SUBMITTED: 13Feb64

SUB CODE: SS

NR REF SOV: 002

ENCL: 01

OTHER: 008

Card 2/3



L 3340-66 EMT(d)/EMT(l)/EMT(m)/EPF(c)/EEC(k)-2/EPF(n)-2/EMP(j)/T/EMP(t)/EMP(b)/  
 STC(m) IJR(c) JD/AN/RM  
 ACCESSION NR: AP5017308 UR/0181/65/007/007/2125/2128

AUTHORS: Tolkachev, A. M.; Manzheliy, V. G. 44, 55

TITLE: Density of solidified gases

SOURCE: Fizika tverdogo tela, v. 7, no. 7, 1965, 2125-2128 21, 44, 55

TOPIC TAGS: solid physical property, gas density, nitrogen, oxygen, methane, ammonia 27

ABSTRACT: The method employed in this investigation for the determination of the density of solidified gases was described in detail earlier (FTT v. 5, 3413, 1963). The present article describes a new variant of pycnometer for use with this method. The pycnometer can be operated at a temperature other than that of liquified gas and its temperature can be maintained constant. The pycnometer is shown in Fig. 1 of the Enclosure. It was used to determine the densities of solid nitrogen (at 20.4, 50.8, and 62.2K), oxygen (52.2K), methane (20.4K), and ammonia (20.4K). The corresponding densities are 1.0253, 0.9677, 0.9456, 1.3625, 0.5225, and 0.8666, respectively. The

Card 1/3

L 3340-66

ACCESSION NR: AP5017308

authors thank Ye. I. Voytovich for participating in the measurements.  
Orig. art. has: 1 figure and 1 table

ASSOCIATION: Fiziko-tekhnicheskiy institut nizkikh temperatur,  
Khar'kov (Physicotechnical Institute of Low Temperatures)

SUBMITTED: 08Feb65

ENCL: 01

SUB CODE: SS, ME

NR REF SOV: 001

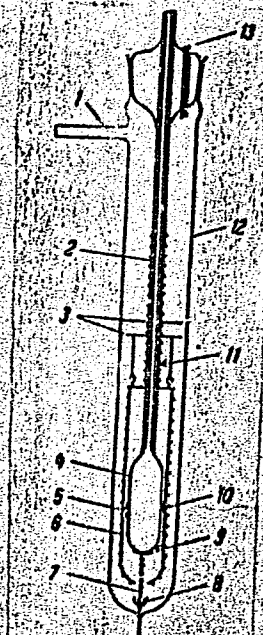
OTHER: 019

Card 2/3

I-3340-66  
ACC NR: AP5017308

Fig. 1. Scheme of low temperature device section for determination of the density of solidified gases.

ENCLOSURE: 01



1. outlet
2. capillary
3. screens
4. adiabetical screen
6. pycnometer
7. cooling duct
8. cooling duct cap
- 5, 9, 10, 11. thermocouples
12. housing
13. conductors outlets

Card 3/3 DP

KRUP-SKIY, I.N.; DOLGOPOLOV, D.G.; MANZHELIY, V.G.; KOLA-BKOVA, I.A.

Determining the heat conductivity of paraffin at low temperatures.  
Inzh.-Fiz. zhur. 8 no.1:11-15 Jan '65. (MIRA 18:3)

1. Fiziko-tekhnicheskiy institut nizkikh temperature AN UkrSSR,  
Khar'kov.

ACC NR: AP6005439

IJP(c) JD/GG/RM

SOURCE CODE: GE/0030/66/013/002/0351/0358

AUTHOR: Manzheliy, V. G.; Tolkachev, A. M.; Voytovich, Ye. I.

ORG: Institute of Low-temperature Physics and Technology AN UkrSSR, Kharkov  
(Fiziko-tehnicheskiiy institut nizkikh temperatur)

TITLE: Thermal expansion of crystalline nitrogen, oxygen, and methane

SOURCE: Physica status solidi, v. 13, no. 2, 1966, 351-358

TOPIC TAGS: nitrogen, oxygen, methane, crystal, thermal expansion

ABSTRACT: The experimental data obtained on the physical properties of crystals with simple molecular structure cannot often be properly interpreted because of the lack of data on thermal expansion of the crystals. The thermal expansion data are also important for verifying many conclusions based on the dynamic theory of a lattice. This paper deals with the linear coefficients of thermal expansion of crystallized solid nitrogen, oxygen, and methane for which the linear coefficients were measured in the temperature range 21 to 45K, 21 to 45K, and 21 to 60K, respectively. As in the first-order phase transformation temperatures are approached from the low-temperature phase side, the linear expansion coefficients exhibit an anomalously rapid increase. A possible explanation of these anomalies based on the idea of lattice orientation defects in molecular crystals is given. The specific heat at constant volume and the Grueneisen coefficient for crystalline methane are calculated and a possible explanation of the low values for the Grueneisen co-  
Card 1/2

L 21248-66

ACC NR: AP6005439

efficients is offered. The graphs of the temperature dependence of the linear expansion coefficient for crystalline nitrogen, oxygen, and methane are presented. Authors thank V. I. Peresada, B. Ya. Sukharevskiy, L. S. Kukushkin, and I. O. Kulik for valuable discussions. Orig. art. has: 5 figures, 1 table, and 3 formulas. [JKP]

SUB CODE: 20/ SUBM DATE: 11Nov65/ ORIG REF: 001/ OTH REF: 001/ SOV REF: 004/

Card 2/2 BLG

BEZUGLYY, P.A.; YEREMENKO, V.V.; KUKUSHKIN, L.S.; KULIK, I.G.; MANZHELIY,  
V.G.; PERESADA, V.I.; PESCHANSKIY, V.G.; POPOV, V.A.; SHISHKIN, L.A.

Conference on the physics of the condensed state. Usp. fiz. nauk  
88 no.2:387-393 F '66. (MIRA 19:2)

1. Fiziko-tekhnicheskiy institut nizkikh temperatur AN UkrSSR.

I 22300-66 EWT(m)/FMP(t)/ETI IJP(c) JD/WW/JW  
 ACC NR: AP6012458 SOURCE CODE: UR/0181/66/008/004/1035/1039  
 AUTHORS: Manzheliy, V. G.; Tolkachev, A. M.  
 ORG: Physicotechnical Institute of Low Temperatures AN UkrSSR, Khar'kov  
 (Fiziko-tekhnicheskii institut nizkikh temperatur AN UkrSSR)  
 TITLE: Thermal expansion of crystalline ammonia  
 SOURCE: Fizika tverdogo tela, v. 8, no. 4, 1966, 1035-1039  
 TOPIC TAGS: ammonia, thermal expansion, low temperature research,  
 specific heat, temperature dependence  
 ABSTRACT: The authors have determined the coefficient of linear expansion of crystalline ammonia in the temperature interval 24 -- 175K, using a specially designed quartz dilatometer (Fig. 1), whose low temperature part is constructed of transparent quartz in glass to permit a visual observation of the crystallized gas. The procedure for maintaining the crystal temperature, measuring the temperature, and crystallizing the gas was described by the authors in an earlier paper (FTT v. 7, 2125, 1965). The coefficient of linear expansion exhibited nearly linear growth with rising temperature. The values of the specific heat at constant volume and of the Grunelsen coefficient calculated from the experimental data exhibited an unusual behavior, in that the curve of the

Card 1/3



L 29300-66

ACC NR:

AP6012458

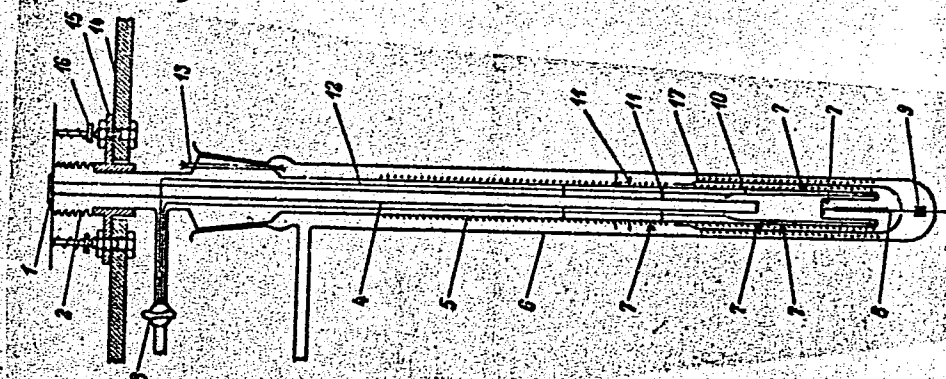


Fig. 1. Diagram of dilatometer. 1 -- Bearing platform, 2 -- bellows, 3 -- gate, 4 -- rod, 5 -- quartz ampoule, 6 -- inner ampoule, 7 -- thermocouples, 8 -- cold finger, 9 -- cup of cold finger, 10 -- glass cylinder, 11 -- screens, 12 -- filaments, 13 -- leads, 14 -- plate, 15 -- guiding bushing, 16 -- adjusting nuts, 17 -- adiabatic jacket.

Card

2/3

L 29300-66

ACC NR: AP6012458

2

temperature dependence of the coefficient of linear expansion showed two points of inflection, and the Gruneisen coefficient exhibited a strong temperature dependence. This suggests the existence of a second mechanism, other than the lattice mechanism of thermal expansion. This additional mechanism is attributed to hindered rotation of the molecules and its effect on the thermal expansion of the crystal. In view of the low accuracy of the experiment, the agreement between the experimental and calculated values is regarded as good. The authors thank B. G. Udovidenko for developing the small-displacement meter and Ye. I. Voytovich for help with the measurements. Orig. art. has: 2 figures, 3 formulas, and 1 table.

SUB CODE: 20/ SUBM DATE: 09Aug65/ ORIG REF: 003/ OTH REF: 001

Card

3/3 BK

MANZHERON, D. [Mangeron, D.]

Optimal functional equations of dynamic programming related to the new class of boundary value problems with "total derivatives". Soob. AN Gruz. SSR 33 no.3:521-528 M'r '64  
(MIRA 17:8)

1. Rumynskaya Narodnaya Respublika, Yasskiy politekhnicheskii institut. Predstavleno akademikom O.D. Oniashvili.

*Manzheron, D. I.*  
USSR/Engineering - Accelerations

Card 1/1      Pub. 22 - 13/53

Authors :      Manzheron, D. I.

Title :      Generalization of Somov's formulae of various orders of an acceleration

Periodical :      Dok. AN SSSR 102/4, 705-706, Jun 1, 1955

Abstract :      By using the matrix forms a generalization of Somov's vector method for the expression of various orders of an acceleration is outlined. Three USSR references (1948-1953).

Institution :      Yasskiy Polytechnical Institute, Yassi, Rumania

Presented by:      Academician A. I. Nekrasov, October 29, 1954

MANZHERON, D. I.

USSR/Physics - Kinematics

Card 1/1 Pub. 22 - 11/54

Authors : Manzheron, D. I.

Title : Regarding the grapho-analytical methods of kinematics of the material systems

Periodical : Dok. AN SSSR 102/5, 897-898, June 11, 1955

Abstract : A series of theorems are presented dealing with the  $n$ -th order accelerations of points of material non-changeable systems moving in 3-dimensional space. An application of these theorems to a flat parallel moving systems (of points), deforming during their movement but keeping up the similarity, is outlined. Two USSR references (1954-1955).

Institution : Yassi Polytechnical Institute, Yassi, Rumanian Peoples Republic

Presented by : Academician A. I. Nekrasov, January 11, 1955

MANZERON, D.I.

SUBJECT USSR / PHYSICS CARD 1 / 2 PA - 1913  
 AUTHOR MANZERON, D.I.  
 TITLE On the Reduced Accelerations of Any Order and on Some of their  
 Extremum Properties.  
 PERIODICAL Dokl. Akad. Nauk, 112, fasc. 1, 27-28 (1957)  
 Issued: 2 / 1957

Let it be assumed that  $\vec{w}_M^{(n)}$  is the acceleration of the n-th order of the point M of a body which is in plane-parallel motion. This motion is expressed by the following generalized formulae by SOMOV:

$$\begin{pmatrix} x_1^{(n+1)} \\ x_2^{(n+1)} \end{pmatrix} = \begin{pmatrix} x_{10}^{(n+1)} \\ x_{20}^{(n+1)} \end{pmatrix} + \begin{pmatrix} -A_n & -B_n \\ B_n & -A_n \end{pmatrix} \begin{pmatrix} x_1 \\ x_2 \end{pmatrix} \begin{pmatrix} -x_{10} \\ -x_{20} \end{pmatrix}$$

Here  $A = A_n(t)$  and  $B = B_n(t)$  are determined by the following recurrence formulae:  $A_{n+1} = \dot{A} + \dot{\theta} B_n$ ,  $B_{n+1} = \dot{B}_n - \dot{\theta} A_n$ ,  $A_1 = \dot{\theta}^2$ ,  $B_1 = \dot{\theta} (\equiv d/dt)$ ,  $x_i^{(n+1)} = (d/dt)x_i^{(n)}$ , ( $i = 1, 2$ ;  $n = 1, 2, \dots$ ). The following theorems are then true:

1.) The geometric locus of the points  $M^*$  which are determined by the vector equation  $\vec{r}_{M^*} = \vec{r}_M + \lambda \vec{w}_M^{(n)}$  is a straight line ( $D_{M^*}$ ), which, with the straight line ( $D_M$ ) comprises the angle  $\varphi_n$  which satisfies the relation  $\operatorname{tg} \varphi_n = \lambda_n B_n / (1 - \lambda_n A_n)$ . Here M is a point which is located on a certain

Dokl.Akad.Nauk, 112, fasc.1, 27-28 (1957) CARD 2 / 2

PA - 1913

straight line ( $D_M$ ) and which participates in a plane-parallel motion.

2.) The reduced accelerations satisfying the relations  $\vec{w}^{(n)} = \vec{w}^{(n)} / A_n$ ,  $\vec{w}^{(1)} = \vec{w}^{(1)} / A_1 = \vec{w} / A_1$  ( $n = 1, 2, \dots$ ) are characterized by the extremum properties of the function  $\text{tg} \varphi_n = \lambda_n B_n / (1 - \lambda_n A_n)$ . Here  $A_n$  and  $B_n$  are expressed by the above mentioned extremum properties.

3.) (On the distribution of the accelerations of any order): The geometric locus of the end points of the reduced accelerations of the  $n$ -th order of the points of the straight line ( $D$ ), which is in planeparallel motion, is the straight line which is vertical to the given straight line ( $D_r$ ).

4.) (Generalized theorem by KOTEL'NIKOV): The circles, which have the reduced accelerations of the  $n$ -th order of the points of any planeparallel body as diameter, pass through the present center of the accelerations of the same order.

5.) (Generalized similarity theorem): The ends of the accelerations of  $n$ -th order of the points of a planeparallelly moved solid body form a figure which is similar to this solid body but is rotated through the angle  $\theta_n = \text{arc tg}(B_n / A_n)$  if the initial points of these accelerations are located at one point. Here  $A_n$  and  $B_n$  satisfy the first mentioned conditions.

The theorems mentioned here are the basis of further theorems and lead to a new method (worked out by a group under the supervision of the author) which is called "method of reduced accelerations of any kind".

INSTITUTION: Polytechnic Institute JASSY, Roumania

MANZHERON, D.[Manjeron, D.] prof., doktor fiz.-mat.nauk

Creative cooperation ("Bulletin of the Jassy Polytechnical Institute"  
[in Rumanian]. Reviewed by D. Manjeron). Nauka i zhizn' 25  
no.5:76 My '58. (MIRA 11:5)

1. Redaktor zhurnala "Izvestiya Yasskogo politekhnicheskogo inatituta,"  
Rumyniya.  
(Rumania--Science--Periodicals)



~~MANJERON~~, D. [Manjeron, D], prof. (Yassy, Rumyniya).

Scientific activities of the Jassy Polytechnical Institute. Priroda  
47 no.5:109-110 My '58. (MIRA 11:5)  
(Jassy, Rumania—Colleges and universities)

S/179/60/000/01/024/034  
E031/E535

AUTHOR: Manzheron, D (Yassy, Roumania)

TITLE: A Three-Dimensional Generalization of Kotel'nikov's Cross

PERIODICAL: Izvestiya Akademii nauk SSSR, Otdeleniye tekhnicheskikh nauk, Mekhanika i mashinostroyeniye, 1960, Nr 1, pp 168-169 (USSR)

ABSTRACT: Some theorems are given below which serve as the basis for the method of reduced accelerations of any order (Refs 1,2), generalized for kinematical problems of three-dimensional mechanisms. The method of "threads" is used in the description.  
Theorem 1. (The fundamental theorem of the three-dimensional method of reduced accelerations of any order). The geometrical locus of the ends  $M_n$  of the reduced accelerations  $a_{Mr}^{(n)}$  of the n-th order defined by the vector equations

$$\underline{r}_{M_n} = \underline{r}_M + a_{Mr}^{(n)} \quad (1.1)$$

where the point M lies on the straight line D

Card 1/5

S/179/60/000/01/024/034  
E031/E535

A Three-Dimensional Generalization of Kotel'nikov's Cross

$$\underline{r}_M = \underline{r}_O + \mu_M \underline{u}, \quad \underline{u}^2 = 1 \quad (1.2)$$

belonging to some rigid body in complicated three-dimensional motion, where  $\mu_M$  is a parameter,  $\underline{u}$  is the vector of the straight line  $(D)$ ,  $\underline{r}_O$  is the radius vector of the point  $O \in (D)$ , defined by Eqs (1.3) to (1.5) and  $A_n(\underline{u})$ , the straight line  $(D_n)$  which is perpendicular to the given straight line, is derived uniquely from  $A_n$  by the operation of "resolution on  $\underline{u}$ " defined by the expression of Eq (1.6). Following A. P. Kotel'nikov (Ref 3), we shall call the set of vectors whose origins lie on the straight line and whose ends lie on the other straight line which is perpendicular to the first, a cross of vectors; the first straight line on which lie the origins of the vectors we shall call the initial straight line of the cross and the second straight line on which the ends lie we shall call the final straight line of the cross. We have the following

Card 2/5 theorem. ✓

S/179/60/000/01/024/034  
E031/E535

A Three-Dimensional Generalization of Kotel'nikov's Cross

Theorem 2. (generalization of Kotel'nikov's theorem).  
The reduced accelerations of the  $n$ -th order  $a_M^{(n)}$  of the points  $M$  lying on the same straight line belonging to some rigid body in general motion in space belong to a cross of accelerations of the same order.

Theorem 3. (Theorem on isogonal crosses). The geometrical locus of points  $M_n$  defined by the vector equations

$$\underline{r}_{M_n} = \underline{r}_M + \lambda_n \underline{a}_M^{(n)}, \quad \underline{a}_M^{(n)} = \frac{d^{n-1} \underline{a}_M}{dt^{n-1}} \quad (1.7)$$

where the straight line  $(D_n)$

$$\underline{r}_M = \underline{r}_O + \mu_M \underline{u}, \quad \underline{u}^2 = 1 \quad (1.8)$$

belongs to some rigid body in complicated motion in space, where  $\lambda_n$ ,  $\mu_M$  are parameters is a straight line  $(D_n)$  and the complex angle (written in the form sometimes called dual)  $\alpha_n = \theta_n + w d_n$ ,  $w^2 = 0$ , between  $(D_n)$  and  $(D_n)$

Card 3/5

S/179/60/000/01/024/034  
E031/E535

A Three-Dimensional Generalization of Kotel'nikov's Cross

where  $\theta_n$  is the ordinary angle between the unit vectors of the axes of the straight lines and  $d_n$  is the shortest distance between the straight lines is expressed in terms of trigonometrical functions of the complex angle by the Eqs (1.9) to (1.11).

Theorem 4. (The extremal property of three-dimensional accelerations of any order). Reduction of the scalar product of two free unit vectors on the straight lines  $(D^*)$  and  $(D^*)$  given by Eqs (1.7) and (1.8) of theorem 3 to a purely dual (moment) form corresponds to the values

$$\lambda_n^* = [A_n - A_n(\underline{u})]^{-1} \quad (1.12)$$

where  $A_n$  and  $A_n(\underline{u})$  are determined from (1.4) to (1.6), which are known from theorem 1. Since in this case the ordinary angle between the given unit vectors is a right angle the term extremal, given by the theorem, is justified. The results obtained can be used for the solution of problems in the analysis and synthesis of

Card 4/5

S/179/60/000/01/024/034  
E031/E535

A Three-Dimensional Generalization of Kotel'nikov's Cross

of three-dimensional mechanisms.

(Note: This is a complete translation except for  
copying some of the equations)

There are 3 Soviet references.

SUBMITTED: October 16, 1959

Card 5/5

MANZHERON, D. (Jassy, Narodnaya Respublika Rumynii); DREGAN, K. (Jassy, Narodnaya Respublika Rumynii)

Tensor forms of the basic equations of the kinematics of chains and mechanisms. Izv mat inst BAN 4 no.2:57-65 '60.

(EEAI 10:9)

(Calculus of tensors) (Mechanical movements)

16.4500

35869

S/044/62/000/002/062/092

C111/C222

AUTHORS: Manzheron, D., Krivoshein, L. Ye.

TITLE: The approximate solution of some linear integro-differential equations

PERIODICAL: Referativnyi zhurnal, Matematika, no. 2, 1962, 40, abstract 2V213. ("Bul. Inst. politehn. Iasi", 1960, 6, no. 1-2, 17-28)

TEXT: According to the Galerkin method, the Cauchy problem

$$y^{(i)}(x_0) = y_0^{(i)} \quad (i = 0, 1, \dots, n-1) \quad x_0 \in [a, b] \quad (1)$$

for the integro-differential equation of the Fredholm type

$$L[y] = f(x) + \lambda \int_a^b \sum_{i=0}^m K_i(x, t) y^{(i)}(t) dt \quad (2)$$

is solved approximately. Here  $L[y] = y^{(n)}(x) + \sum_{i=1}^n a_i(x) y^{(n-i)}(x)$ ,

$n \geq m$ ,  $\lambda$  -- parameter. The solution is sought in the form

Card 1/3

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S/044/62/000/002/062/092  
C111/C222

The approximate solution of some ...

$$y_k(x) = \varphi(x) + \sum_{s=1}^k b_s \varphi_s(x),$$

where the  $n$ -times differentiable functions  $\varphi(x)$  and  $\varphi_s(x)$  are linearly independent and satisfy the conditions  $\varphi^{(i)}(x_0) = y_0^{(i)}$ ,  $\varphi_s^{(i)}(x_0) = 0$  ( $i = 0, 1, \dots, n-1$ ;  $s = 1, \dots, k$ ). The unknown coefficients  $b_s$  ( $s = 1, \dots, k$ ) of the approximating function  $y_k(x)$  are determined through a system of equations, which is obtained in one of the following ways: a) from the condition that the deviation is orthogonal to an arbitrary system of  $k$  linearly independent functions; b) from the condition that the square integral of the deviation is a minimum; c) with the collocation method; d) from the condition that the deviation has a contact of first order with the  $x$ -axis. In all cases, the deviation of the approximate solution from the rigorous solution of (1) - (2) is estimated for all  $x \in [a, b]$ ,  $|\lambda| \leq |c|$  (assuming that certain inequalities are fulfilled).

Card 2/3

The approximate solution of some ... S/044/62/000/002/062/092  
C111/C222

Approximate solutions of problem (1) are constructed in an analogous way for integro-differential equations of the Volterra type, where an error estimate is given. The method is also applied to the integral equation which corresponds to (1)-(2); the error is estimated. The method of integral equations is used to solve (1)-(2) in the case  $m > n$ , where it is assumed that the functions  $a_i(x)$ ,  $f(x)$  and the kernels  $K_i(x, s)$  are differentiable as is necessary.

[Abstracter's note: Complete translation.]

Card 3/3

f

38500

16.500

S/044/62/000/005/041/072  
C111/C444

AUTHORS: Manzheron, D., Krivoshein, L. Ye.

TITLE: The approximative solution of boundary value problems  
for ordinary differential equations

PERIODICAL: Referativnyy zhurnal, Matematika, no. 5, 1962, 58,  
abstract 5V182. ("Bul. Inst. politehn. Iasi," 1960, 6,  
no. 3-4, 21-30)

TEXT: It is presumed that the boundary value problem

$$R_j[y] \equiv \sum_{i=0}^{n-1} [a_{ij} y^{(i)}(c) + b_{ij} y^{(i)}(d)] = \gamma_j \quad (j=1, 2, \dots, n) \quad (1)$$

$$L[y] = f(x) + \lambda \int_a^b \sum_{j=0}^m K_j(x, t) y^{(j)}(t) dt \quad (2)$$

where  $a_{ij}, b_{ij}, \gamma_j$  ( $i+1, j=1, \dots, n$ ) are well-known numbers;  $L[y] \equiv y^{(n)}(x) + \sum_{i=1}^n a_i(x) y^{(n-i)}(x)$ ; the functions appearing in (2) are piecewise

Card 1/3

S/044/62/000/005/041/072

The approximative solution of boundary ... C111/C444

continuous for  $n \geq m$  and  $p = n-m$ -times differentiable with respect to  $x$  on  $[a, b]$  for  $m > n$ ;  $\lambda$  is a parameter;  $[c, d] \subset [a, b]$  possesses a solution. The solution is searched with the rate

$$y_k(x) = \varphi_0(x) + \sum_{s=1}^k \alpha_s \varphi_s(x) \quad (3)$$

where the well-known linear independent functions  $\varphi_0(x), \varphi_1(x), \dots, \varphi_k(x)$  are  $n$ -times continuously differentiable, satisfying the boundary conditions  $R_j[\varphi_0] = y_j$ ;  $R_j[\varphi_s] = 0$  ( $j = 1, \dots, n$ ;  $s = 1, \dots, k$ ). The unknown coefficients are determined according to methods of Galerkin, by the least square error and by collocation; the deviation of the function (3) from the exact solution of (1), (2) is estimated. Analogously one solves the boundary value problem (1) for the Volterra integro-differential equation

$$L[y] = f(x) + \lambda \int_0^x \sum_{i=0}^m K_i(x, t) y^{(i)}(t) dt \quad (4)$$

and 2/3

The approximative solution of boundary ... S/044/62/000/005/041/072  
C111/C444

where

$$L[y] = y^{(n)}(x) + \sum_{i=1}^n a_i(x) y^{(n-i)}(x), \quad x \in [a, d].$$

The given approximation methods are not only applied immediately on the problems (1), (2) and (1); (4), but also on especially constructed so-called solving integral equations (as well in the case of  $n \geq m$  as in the case of  $m > n$ ).

[Abstracter's note: Complete translation.]

Card 3/3

MANZHERON, D. (Yassy, Rumynskaya Narodnaya Respublika)

Generalized forms of equations in analytic dynamics. Izv. AN SSSR.  
Otd. tekhn. nauk. Mekh. i mashinostr. no. 2:128 Mar-Apr '62. (MIRA 15:5)

1. Yasskiy politekhnicheskiy institut.  
(Dynamics)

L 23315-65 EWT(d) Pg-4 IJP(c)

ACCESSION NR: AR5002276

S/0044/64/000/010/B062/B062

SOURCE: Ref. zh. Matematika, Abs. 10B292

AUTHOR: Krivoshein, L. Ye.; Manzheron, D.

*B*

TITLE: Contribution to the solution of the initial problem for the integro-differential equation in partial derivatives

CITED SOURCE: Sb. Materialy 12-y Nauchn. konferentsii prof. -prepodavat. sostava Fiz. -matem. fak. Kirg. un-t. Sekts. matem. Frunze, 1964, 17-20

TOPIC TAGS: integro differential equation, differential operator, linear transformation, integral equation

TRANSLATION: The initial linear integro-differential equation contains differential operators of the form

$$\left( \frac{\partial^2}{\partial t^2} + \frac{\partial^2}{\partial \eta^2} \right) u, \frac{\partial^2 u}{\partial t^2 \partial \eta^2}$$

Card 1/2

L 23315-65

ACCESSION NR: AR5002276

By means of linear transformation this equation is brought into the form

$$P^{\alpha}u(A) + \int \sum_{k=0}^n \left[ T_k(A,B) P^k u(B) + K_{ik}(A,B) \frac{\partial^k u(B)}{\partial t^k \partial \tau^k} \right] dtd\tau = -F(A), \quad (1)$$

where  $P^k u(A) \equiv \partial^k u(A) / (\partial x^k \partial y^k)$ ,  $S = [a < x < b] \times [c < y < d]$

The solution of equation (1) is sought which would satisfy the conditions

$$\left. \frac{\partial^l u(A)}{\partial x^l} \right|_{x=a} = \psi_l(y), \quad \left. \frac{\partial^l u(A)}{\partial y^l} \right|_{y=c} = \varphi_l(x) \quad (l=0, 1, \dots, n-1), \quad \varphi_0(a) = \psi_0(c). \quad (2)$$

Applying results of the paper (RZHMat, 1964, 3B373), a system of integral equations is constructed through which the conditions for the existence and continuous dependence of the solution from known functions entering into (1) and (2) are determined. Other results are also presented. V. Fedorov

SUB CODE: MA

ENCL: 00

Card 2/2



L 54892-65 EWT(d) Pg-4 IJF(c)

ACCESSION NR: AR5016321

UR/0044/65/000/006/B067/B067  
517.948.34

SOURCE: Ref. zh. Matematika, Abs. 6B339

AUTHORS: Manzheron, D.; Krivoshein, L. Ye.

TITLE: Solution of the Goursat problem for a class of integro-differential equations

CITED SOURCE: Dokl. 3-y Sibirsk. konferentsii po matem. i mekhan., 1964. Tomek, Tomskiy un-t, 1964, 133-135

TOPIC TAGS: integral equation, differential equation

TRANSLATION: The Goursat problem for a linear integro-differential equation with higher Picone derivative (RZhMat, 1964, 3B373) is solved. Conditions for existence and for continuous dependence of the solution on known functions together with an estimate of the modulus of the solution are given. V. D. Fedorov

SUB CODE: MA

ENCL: 00

Card

ACCESSION NR: APL031760

S/0251/64/033/003/0521/0528

AUTHOR: Manzheron, D.

TITLE: Optimal functional equations of dynamic programming related to a class of boundary value problems in "total derivatives" (Presented by Academician O. D. Oniashvili on 25 January 1963)

SOURCE: AN GruzSSR. Soobshcheniya, v. 33, no. 3, 1964, 521-528

TOPIC TAGS: optimal function equation, dynamic programming, boundary value problem, total derivative, calculus of variations, differential operator, harmonic oscillator

ABSTRACT: The author considers the solution of two boundary value problems

$$u'' + \lambda^2 f(t)u = 0, \quad (1)$$

$$u(0) = u(1) = 0 \quad (2)$$

and

$$\frac{\partial^2 u}{\partial x^2} - \lambda A(x, y)u = 0, \quad (3)$$

$$u|_{\partial R} = 0, \quad R \equiv \left( \begin{array}{l} 0 < x < 1 \\ 0 < y < 1 \end{array} \right). \quad (4)$$

Card 1/2

ACCESSION NR: AP4031760

where  $u'$  is given by

$$u' \equiv \frac{\partial^2 u}{\partial x_1 \partial x_2 \dots \partial x_n} \quad (5)$$

He reduces these problems to problems in the calculus of variations which he solves by obtaining functional equations by the method of dynamic programming. Orig. art. has: 40 formulas.

ASSOCIATION: Rumynskaya Narodnaya Respublika Yasskiy politekhnicheskiy institut (Rumanian Peoples Republic, Jassy Polytechnical Institute)

SUBMITTED: 25Jan63

DATE ACQ: 01May64

ENCL: 00

SUB CODE: MA

NO REF SOV: 005

OTHER: 018

Card 2/2

MANZHEYEV, D. N.

Analyzing fulfillment of the labor productivity plan at an industrial  
enterprise. Bukhg. uchët 15 no.5:12-17 My '58. (MIRA 11:5)  
(Labor productivity)

KOPNYAYEV, V.P., dots.; MASSARYGIN, F.S., dots.; MANZHEYEV, D.N., dots.; KOPNYAYEV, V.P., dots.; USATOV, I.A., kand. ekonon. nauk; IL'IN, V.M., dots.; KOLYAKOV, D.S.; MOTOV, S.I., dots.; KOROTKOVA, L., red.; MEDVEDEVA, R., red.; TELEGINA, T., tekhn. red.

[Analysis of the financial and economic operations of enterprises] Analiz finansovo-khoziaistvennoi deiatel'nosti predpriatii. Pod obshchei red. Kopnyayeva. Moskva, Gosfinizdat, 1962. 357 p. (MIRA 15:12)

(Finance) (Industrial management)

DORDZHIYEV, B.S.; KIRBASOVA, M.B.; MUSHANOV, S.P.; MANZHIKOVA, R.M.;  
CHERNOUSOV, I.P.; KIYEVSKAYA, V.I.; DZHELACHINOV, E.B., red.  
GAYDASH, Ya., tekhn. red.

[Economy of the Kalmyk A.S.S.R.; statistical collection] Narodnoe  
khoziaistvo Kalmytskoi ASSR; statisticheskii sbornik. Elista,  
Kalmytskoe knizhnoe izd-vo, 1960. 107 p. (MIRA 14:8)

1. Kalmyk A.S.S.R. Statisticheskoye upravleniye. 2. Kollektiv  
rabotnikov Statisticheskogo upravleniya Kalmytskoy ASSR (for all  
except Gaydash). 3. Nachal'nik Statisticheskogo upravleniya Kal-  
mytskoy ASSR (for Dzhelachinov)  
(Kalmyk A.S.S.R.—Statistics)

MANZHIN, V. V.

"Codex of Laws and Regulations for Commercial Seafaring and Ports", published  
by State Publishers of Sea Transport Literature, Moscow, 1940

MANZHINSKIY, E. A.

Contemporary international trade in the capitalist camp. Moskva, Vneshtorgizdat. 1954.  
111 p.



MANZHIROVA, G.A., SVESHNIKOV, P.M., TOLOKONNIKOV, V.V., FOMIN, V.M., GRAMM, M.N.,  
VASYUTINSKAYA, A.R., KVANINA, L.I.

"Akchagyl Deposits in the Lower Reaches of the Amu-Darya"  
Dokl. Uz. SSR, 1953, No 12, 18-21, (Uzbekistan resume)

In 1952 in the lower reaches of the Amu-Darya during columnar drilling in a number of wells the drillers uncovered sandstone-clay deposits of the Akchagyl age with thicknesses up to several dozen meters. These deposits lie on an eroded surface of the Paleogene and are superimposed by ancient delta sedimentary deposits of the Anthropogene. The character of the ostracod fauna testifies to the strong fresh-water nature of Akchagyl gulf. (RZhGeol, No 3, 1954)

SO: W\_31187, 8 Mar 55

MANZHOLA, Ye.I. [Manzhola, IE.I.]

Novocaine block of the active points of the skin in the treatment of patients with bone and joint tuberculosis. Fiziol. zhur. [Ukr.] 8 no.2:210-213 Mr-Apr '62. (MIRA 1:5)

1. Laboratory of the Higher Nervous Activity and Trophic Functions of the Nervous System of the A.A.Bogomoletz Institute of Physiology of the Academy of Sciences of the Ukrainian S.S.R. and the Kiev Research Institute for Orthopedics and Traumatology.  
(NOVOCAINE) (SKIN) (TUBERCULOSIS)

MANZHORA, A.A.

Experience in the operation of the Troitskoye Fats Combine.  
Masl.-zhir. prom. 24 no.1:33 '58. (MIRA 11:3)

1.Troitskiy zhirkombinat.  
(Oils and fats)

MANZHOS, A.M.

Larch

Nature of development of the female gametophyte of Siberian larch in cross-pollination and self-pollination, Dokl. AN SSSR, No. 2, 1952.

Monthly List of Russian Accessions, Library of Congress, November 1952. Unclassified.

MANZHOS, A. M.

Manzhos, A. M.

"The biology of blossoming and fertilization of the Siberian larch with xenogamic and geitonogamic fertilization." Acad Sci USSR. Inst of Forestry. Moscow, 1956 (Dissertation for the degree of Candidate in Biological Science)

Knizhnaya letopis'  
No. 25, 1956. Moscow

MANZHOS, A.M.

20-1-54/64

AUTHOR

MANZHOS, A.M.

TITLE

The Embedding and Grouping of the Small Microsporophyll Spadices of the Siberian Larch (Larix Sibirica LDB) During the Course of One Annual Cycle. Zalozheniye i formirovaniye mikrosporofillovykh koloskov u listvennitsy sibirskoy (Larix Sibirica LDB) - Russian.)

PERIODICAL

Doklady Akademii Nauk SSSR, 1957, Vol 114, Nr 1, pp 195-198 (U.S.S.R.)

ABSTRACT

The paper under review deals with the investigation of the different stages of microsporogenesis and of the time span connected with it, with respect to the Larix Sibirica. Very little research has been done on this process so far.

The investigations were conducted during 1951-52-53, i.e. during the two annual cycles 1951-52 and 1952-53. During this period, the young shoots were cut off twice a month. The preparations were colored with iron hematoxylin and with Newton's gentian violet. The observations described in the paper under review showed, inter alia, that in the early stage of development there are produced in the microsporophyll four microsporangia, of which only two become fully developed. The recognition of this fact is of great importance for a correct picture of the evolution of the microsporophyll. No deep hibernation exists for the sprout buds of the Siberian larch. During the winter, the differentiation process of the archeosporos takes place.

Card 1/2

(1 chart, references - S.V. Viktorov, Usp. sov. biol. 14, v. 3 (1941), K.I. Meier,

The Embedding and Grouping of the Small Microsporophyll Spadi- 20-1-54/64  
ces of the Siberian Larch(*Larix Sibirica* LDB) During the Course of One  
Annual Cycle.

Razmnozhenie rastenii, m., 1937, J.Dovle, Ann.Bot.Soc.1916, K.Schnarf,  
Handbuch der Pflanzenanatomie, Lief. 30, Berlin, 1933.

ASSOCIATION Not Given.

PRESENTED BY

SUBMITTED

AVAILABLE Library of Congress.

Card 2/2

MANZHOS, A.M.

Bud types in the Siberian larch and their phenology. Bot.  
zhur. 44 no.8:1148-1154 Ag '59. (MIRA 13:2)

1. Institut lesa AN SSSR, Moskva.  
(Larch) (Plants, Flowering of)





DOBRETSOVA, T.B.; LUTKOV, A.N.; MANZIOS, A.M.

Spontaneous polyploid and haploid forms of twin sugar beet plants.  
Dokl. AN SSSR 164 no.4:921-924 O '65. (MIRA 18:10)

1. Institut tsitologii i genetiki Sibirskogo otdeleniya AN SSSR.  
Submitted July 20, 1964.

MANZHOS, F. M.

Short manual on woodworking  
Moskva, Goslesteckhizdat, 1945. 267 p. (55-20658)

TT180.M32

PHASE I BOOK EXPLOITATION

868

Andreyev, N.V., Kalyuzhnyy, V.G., Konstantinov, A.S., Livshits, M.P.,  
Manzhos, F.M., Savkov, Ye.I.; Uspasskiy, P.P., Feygina, A.Ya.,  
Chebotarevskiy, V.V., Sheydeman, I.Yu.

Nonmetallicheskiye materialy, ikh obrabotka i primeneniye (Nonmetallic  
Materials, Their Processing and Use) Moscow, Oborongiz, 1949.  
535 p. 6,000 copies printed.

Ed. (title page): Kalyuzhnyy, V.G.; Ed. (inside book):  
Ponomareva, K.A.; Tech. Ed.: Zudakin, I.M.

PURPOSE: This book is intended for students of aviation institutes  
and other institutes and it may also be useful to engineering  
technicians dealing with nonmetal materials.

COVERAGE: The book consists of two parts and deals with various  
nonmetallic materials used in the aircraft industry. The first  
Card ~~1/28~~

Nonmetallic Materials (Cont.)

868

part discusses wooden materials and the second part presents basic information on plastics, adhesives, textiles, paper and rubber. The basic mechanical and chemical properties of nonmetallic materials, their engineering requirements and methods of processing them are presented. The book was written by personnel of the Moscow Aircraft Institute imeni Sergo Ordzhonikidze, the Moscow Aircraft Engineering Institute, the All-Union Scientific Research Institute for Aircraft Materials and other organizations. Chapters I, II, V, and VI were written by Ye. I. Savkov, chapter III by Candidate of Technical Sciences F.M. Manzhos, chapter IV by Candidate of Technical Sciences V.G. Kolyuzhnyy, chapters VII and VIII by Candidate of Technical Sciences A.Ya. Feygina, chapters IX and XI by Professor P.P. Uspasskiy, chapter X by Candidate of Technical Sciences N.V. Andreyev, chapter XII by Candidate of Technical Sciences I.Yu. Sheydeman, and N.V. Andreyev, chapter XIII by Candidate of Technical Sciences I.Yu. Sheydeman, and Engineer A.S. Konstantinov, chapter XIV by Candidate of Technical Sciences V.V. Chebotarevskiy, and I.V. Andreyev, chapter XV by Candidate of Technical Sciences

Card 2/28

Nonmetallic Materials (Cont.) 868

V.V. Chebotarevskiy, and chapter XVI by Engineer M.P. Livshits and Candidate of Technical Sciences N.V. Andreyev. The authors thank Professor A.V. Shepelyavyy, Professor, Doctor of Chemical Sciences I.P. Losev, Engineers A.A. Babichev, V.S. Bondarev for their assistance in supplying data and reviewing the book, and they also thank Engineer V.P. Leont'yev for his assistance in preparing chapter X, Paper Materials. There are 60 Soviet references.

TABLE OF CONTENTS:

Foreword	3
Introduction	7

PART I. WOOD MATERIALS, THEIR PROCESSING AND USE

Card 3/28

MANZHES, F. M.

Dissertation: "Basic Problems of the Precision of Mechanical Woodworking." Dr Tech Sci,  
Moscow Forestry Engineering Inst, 21 Apr 54. (Vechernyaya Moskva, Moscow, 12 Apr 54)

C: SUK 243, 19 Oct 1954

MANZHOS, F.M., professor, doktor tekhnicheskikh nauk, redaktor; KRYUGER, Yu.V.,  
redaktor; TOKER, A.M., tekhnicheskiiy redaktor.

[Manual for the woodworker machine operator; work with circular saws]  
Pamiatka stoliaru-stanochniku; rabota na kruglopil'nykh stankakh.  
Moskva, Gos.izd-vo lit-ry po stroit. i arkhitekture, 1956. 54 p.  
(MLRA 9:5)

1. Moscow. Gosudarstvennyy institut po vnedreniyu peredovykh metodov  
rabot i truda v stroitel'stve.  
(Saws) (Woodworker)



MANZHOS, Fedor Matvovovich, professor, doktor tekhnicheskikh nauk; ROZHKOV,  
D.S., redaktor; KOLESHNIKOVA, A.P., tekhnicheskii redaktor.

[Testing wood working machines for precision] Ispytaniia dereve-  
rezhushchikh stankov na tochnost' v usloviakh ekspluatatsii.  
Moskva, Goslesbunizdat, 1956. 113 p. (MLRA 9:2)  
(Woodworking machinery)

MANZHOS, F.M.

NECHUNAYEV, B.K.; MANZHOS, F.M., prof., doktor tekhn.nauk, nauchnyy red.;  
KRYUGER, Yu.V., red.izd-va; STEPANOVA, E.S., tekhn.red.

[Manual for carpenters operating machine tools; work on circular  
saws] Pamiatka stoliary-stanochniku; rabota na kruglopil'nykh  
stankakh. Izd.2-oe. Moskva, Gos.izd-vo lit-ry po stroit.i  
arkhit., 1957. 54 p. (MIRA 11:1)

1. Moscow. Gosudarstvennyy institut po vnedreniyuпередовых  
методов работ и труда в строител'стве. 2. Starshiy instruktor  
передовых методов труда по столыarno-plotnichnym работам  
instituta Orgstroy Ministerstva stroitel'stva predpriyatiy  
metallurgicheskoy i khimicheskoy promyshlennosti (for Nechunayev).  
(Saws)

MOVNIN, Mikhail Savel'yevich, prof., doktor tekhn. nauk; ~~MANZHOS, F.M.~~, prof.,  
doktor tekhn. nauk, retsenzent; KONDRASHKIN, Ye.P., dots., red.;  
VARKOVETSKAYA, A.I., red. izd-va; SOKOLOVA, L.V., tekhn. red.

[Feeding mechanisms of woodworking machinery] Podaiushchie mekha-  
nizmy derevoobrabatyvalushchikh stankov. Moskva, Gos. nauchno-  
tekhn. izd-vo mashinostroit. lit-ry, 1958. 178 p. (MIRA II:7)  
(Woodworking machinery)

AFANAS'YEV, Pavel Semenovich, kand. tekhn. nauk,; MANZHOS, F.M., prof., doktor  
tekhn.nauk, retsenzent,; MASLENKOV, F.N., inzh., retsenzent,;  
YANYSHCHEVSKIY, A.F., inzh., red.; PROKOF'YEVA, L.G., red. izd-va,;  
TIKHANOV, A.Ya, tekhn.red.

[Woodworking machinery] Konstruktsii derevoobrabatyvalushchikh  
stankov. Moskva, Gos. nauchno-tekhn. izd-vo mashinostroit. lit-ry.  
Vol. 3. [Installation, repair, and operation] Montazh, remont i  
ekspluatatsiya. 1958. 566 p. (MIRA 11:12)  
(Woodworking machinery)

MANZHOS, Fedor Matveyevich, doktor tekhn.nauk; IVANKOV, P.G., red.;  
FEDOROV, B.M., red.izd-va; KARASIK, N.P., tekhn.red.

[Precision of mechanical woodworking] Tochnost' mekhanicheskoi  
obrabotki drevesiny. Moskva, Goslesbumizdat, 1959. 261 p.  
(MIRA 13:3)

(Woodwork)

MANZHOS, F.M., doktor tekhn.nauk; BUKHTIYAROV, V.P., inzh.

Efficient arrangement of revolving cutter blocks in planing  
machines. Der.prom. 8 no.1:9-13 Ja '59. (MIRA 12:1)  
(Planing machines)

MANZHOS, F.M., prof., doktor tekhn.nauk; VOSKRESENSKIY, S.A., prof.,  
doktor tekhn.nauk; ORLOV, M.N., dots., kand.tekhn.nauk;  
SOLOV'YEV, A.A., assistant

Errors in P.S. Afanas'ev's book "Design of woodworking machinery."  
Der. prom. 10 no. 4:25-26 Ap '61; (MIRA 14:4)

1. Kafedra stankov i instrumentov Moskovskogo lesotekhnicheskogo  
instituta. 2. Zaveduyushiy kafedroy stankov i instrumentov  
Moskovskogo lesotekhnicheskogo instituta (for Manzhos).  
(Woodworking machinery) (Afanas'ev, P.S.)

PIZHURIN, Andrey Abramovich, kand. tekhn. nauk; MANZHOS, F.M., red.;  
LEBEDEVA, I.D., red. izd-va; VDOVINA, V.M., tekhn. Fed.

[Principles underlying the process of wood turning] Osnovy  
protssessa tocheniia drevesiny. Moskva, Goslesbumizdat,  
1963. 115 p. (MIRA 16:9)

(Turning)



MANZHOS, F.M., doktor tekhn. nauk, prof.

"Atlas of the design of woodworking machines". Ser. prom. 13 no. 7:  
30 J1 '64. (MIRA 17:11,

13'K.V., Afanasy Ivanovich, kand. tekhn. nauk; MANZHOS, r.m.,  
prof., retsezent; MAKOVIKIY, N.V., prof., red.

Automation of the quality control of parts made of wood  
and wood plastics, Avtomatizatsiya kontrolya kachestva  
izdeliy iz drevesiny i drevesnykh plastikov. Moskva,  
'Izdatel'stvo promyshlennosti', 1965. 263 p. (KDF 18:6)

MANZHOS, G.A., dotsent

Use of ultrasonic techniques in the industry of the Ryazan Economic  
Region. Za indus.Riaz. no.2:61-63 D '61. (MIRA 16:10)

1. Zaveduyushchiy kafedroy tekhnologii materialov Ryazanskogo  
radiotekhnicheskogo instituta.

43023

S/194/62/000/010/048/084  
A061/A126

AUTHORS: Manzhos, G.A., Posokhin, A.I.

TITLE: The use of ultrasound for cutting circular quartz resonators

PERIODICAL: Referativnyy zhurnal, Avtomatika i radioelektronika, no. 10, 1962, 19, abstract 10-5-38k (In collection: Prom. primeneniye ultrazvuka. Kuybyshevsk. aviats. in-t, Kuybyshev, 1961, 97 - 103)

TEXT: A 1.8-kw quartz-machining ultrasonic machine tool with a working frequency of 20 kc has been developed by the Kafedra tekhnologii metallov i el-radiomaterialov Ryazanskogo radiotekhnich. in-ta (Department of Metal and Radio-electric Material Technology at the Ryazan Radio Engineering Institute) in collaboration with other organizations. The tool is intended for cutting plates and circular resonators from quartz, but it can also be used for making grooves and complex openings, and for cutting other brittle materials of poor workability. An amplifier in the frequency range of 15 - 20 kc ensures a power output of 500 - 1,800 w; the master oscillator works on an RC circuit. The electroacoustic transducer consists of a magnetostriction oscillator and a concentrator with the

Card 1/2