

32151 R
S/C76/60/034/006/002/014
B101/B208

Thermodynamic theory of...

$$\left. \begin{aligned} \varphi_1^{(21)} &\equiv \zeta_{11}^{(2)} (x_1^{(1)} - x_1^{(2)}) + \zeta_{12}^{(2)} (x_2^{(1)} - x_2^{(2)}), \\ \varphi_1^{(22)} &\equiv \zeta_{11}^{(2)} (x_1^{(2)} - x_1^{(3)}) + \zeta_{12}^{(2)} (x_2^{(2)} - x_2^{(3)}), \\ \varphi_2^{(21)} &\equiv \zeta_{12}^{(2)} (x_1^{(1)} - x_1^{(2)}) + \zeta_{22}^{(2)} (x_2^{(1)} - x_2^{(2)}), \\ \varphi_2^{(22)} &\equiv \zeta_{12}^{(2)} (x_1^{(2)} - x_1^{(3)}) + \zeta_{22}^{(2)} (x_2^{(2)} - x_2^{(3)}), \end{aligned} \right\} \quad (4)$$

$$\begin{aligned} \eta_{21} &\equiv \eta^{(1)} - \eta^{(2)} - \sum_{i=1}^2 (x_i^{(1)} - x_i^{(2)}) \left(\frac{\partial \eta}{\partial x_i} \right)^{(2)}, \\ \eta_{23} &\equiv \eta^{(3)} - \eta^{(2)} - \sum_{i=1}^2 (x_i^{(3)} - x_i^{(2)}) \left(\frac{\partial \eta}{\partial x_i} \right)^{(2)}; \end{aligned} \quad (5)$$

$$U_2^{(2)} \equiv \zeta_{11}^{(2)} \zeta_{22}^{(2)} - [\zeta_{12}^{(2)}]^2, \quad (6)$$

Abstracter's note: ζ = coexistent]. ζ denotes the thermodynamic Gibbs potential, $\zeta_{ik} = (\partial^2 \zeta / \partial x_i \partial x_k)_P, T$; x_i = molar part of the i-th component; η = molar entropy; the superscripts denote the coexistent phases.

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Thermodynamic theory of...

For the equalization of the second with the third phase, the following is written down: $(dT/dx_1^{(2)})_{\text{coex.P}}^{(c,1)} = (dT/dx_1^{(3)})_{\text{coex.P}}^{(c,1)} = (dT/dx_2^{(2)})_{\text{coex.P}}^{(c,1)}$
 $= (dT/dx_2^{(3)})_{\text{coex.P}}^{(c,1)} = 0$ (7). The index $(c,1)$ denotes that the derivatives are taken in the critical end-point where the critical and the first phase are coexistent. It is found: $(dx_2/dx_1)_{\text{coex.P}}^{(c,1)} = - \zeta_{11}^{(c)} / \zeta_{12}^{(c)} = - \zeta_{12}^{(c)} / \zeta_{22}^{(c)}$ (9). This equation is identical with that for the isothermal isobaric line of the coexistence of two phases in the critical point. In the critical point the following condition is satisfied: $(dx_2/dx_1)_{\text{coex.P}}^{(c,1)} = (dx_2/dx_1)_{\text{coex.P,T}}^{(c)}$ (10). This means that the isothermal isobaric line of the diphase equilibrium of the projection of the isobaric line of the triphase equilibrium is tangent to the $x_1 - x_2$ plane in the critical point.

II) Behavior of the triphase curve expressed in the variables of that phase which does not attain the critical state. The first and the second phase

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Thermodynamic theory of...

become identical, the third phase coexists (Fig.). The following is written down: $(dx_2^{(2)}/dx_1^{(2)})_{\text{coex.P}} = -(\varphi_1^{(21)} \Delta \eta_{21} - \eta_{21} \varphi_1)/(\varphi_2^{(21)} \Delta \eta_{21} - \eta_{21} \varphi_2)$ (12).

Division of numerator and denominator of the right side of Eq. (12) by x_1 , and passage to the limit gives: $\lim_{x_1 \rightarrow 0} (\Delta \eta/\Delta x_1) = (\partial \eta/\partial x_1)^{(c)} - (\partial \eta/\partial x_1)^{(2)}$

$$+ k [(\partial \eta/\partial x_2)^{(c)} - (\partial \eta/\partial x_2)^{(2)}]; \lim_{x_1 \rightarrow 0} (\Delta \varphi_1/\Delta x_1) = \zeta_{11}^{(2)} + k \zeta_{12}^{(2)}; \lim_{x_1 \rightarrow 0} (\varphi_2/x_1)$$

$$= \zeta_{12}^{(2)} + k \zeta_{22}^{(2)} \quad (13), \text{ where } k = (dx_2/dx_1)^{(c,2)}_{\text{coex.P}}. \text{ Applying the relations:}$$

$$(\partial r/\partial x_1)^{(c)} - (\partial r/\partial x_1)^{(2)} = (L_1^{(2c)} - L_3^{(2c)})/T; (\partial \eta/\partial x_2)^{(c)} - (\partial \eta/\partial x_2)^{(2)}$$

$$= (L_2^{(2c)} - L_3^{(2c)})/T \quad (14), \text{ where } L^{(2c)} \text{ is the partial molar heat of the transition of the i-th component from the second into the critical phase,}$$

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Thermodynamic theory of...

it is obtained: $(dx_2^{(2)}/dx_1^{(2)})(c, 2)$
 $\text{coex. } P = \varphi_1^{(2c)} [L_1^{(2c)} - L_3^{(2c)} + k(L_2^{(2c)} - L_3^{(2c)})]$
 $- Q_{2c}^{(2)} + k_{11}^{(2)} / (\varphi_2^{(2c)} [L_1^{(2c)} - L_3^{(2c)} + k(L_2^{(2c)} - L_3^{(2c)})])$
 $- Q_{2c}^{(2)} + k_{12}^{(2)} / (\varphi_2^{(2c)} [L_1^{(2c)} - L_3^{(2c)} + k(L_2^{(2c)} - L_3^{(2c)})])$
 $- Q_{2c}^{(2)} + k_{22}^{(2)}$ (15). $Q_{2c}^{(2)} = T_{2c}$; $\varphi_1^{(2c)}$, $\varphi_2^{(2c)}$, and T_{2c} may be
calculated from Eqs. (4) and (5) by replacing the indices of the 2nd and
3rd phase by those of the critical phase. If the composition of the
critical and the 2nd phase is equal, it holds: $(dx_2^{(2)}/dx_1^{(2)})(c, 2)$

$= - (k_{11}^{(2)} + k_{12}^{(2)}) / (k_{12}^{(2)} + k_{22}^{(2)})$, (16). For the temperature dependence of
the triphase equilibrium on the composition of that phase coexisting with
the critical one, it is obtained:

$$\left(\frac{dT}{dx_1^{(2)}}\right)_{\text{coex. } P}^{(K, 2)} = \frac{T [k(x_1^{(K)} - x_1^{(2)}) - (x_2^{(K)} - x_2^{(2)})] U_2^{(2)}}{\varphi_2^{(2K)} [L_1^{(2K)} - L_3^{(2K)} + k(L_2^{(2K)} - L_3^{(2K)})] - Q_{2K}^{(2)} [k_{12}^{(2)} + k_{22}^{(2)}]}, \quad (18)$$

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Thermodynamic theory of...

$$\left(\frac{dT}{dx_2^{(2)}} \right)_{\text{coexist. } P}^{(n, 2)} = - \frac{T [k(x_1^{(n)} - x_1^{(2)}) - (x_2^{(n)} - x_2^{(2)})] \cdot U_2^{(2)}}{\varphi_1^{(2n)} [L_1^{(2n)} - L_3^{(2n)} + k(L_2^{(2n)} - L_3^{(2n)})] - Q_{2n} [\xi_{11}^{(2)} + k\xi_{12}^{(2)}]} . \quad (19)$$

It follows from this that, contrary to binary systems a temperature maximum in the critical end-point is possible in ternary systems. The right sides of Eqs. (18) and (19) vanish, if 1) the compositions of the critical and non-critical phases are equal in the critical point; 2) the following condition is satisfied: $(x_2^{(c)} - x_2^{(2)})/(x_1^{(c)} - x_1^{(2)}) = k$ (17). It is

written for the temperature extremum in the critical end-point: $k(x_1^{(c)} - x_1^{(2)}) - (x_2^{(c)} - x_2^{(2)}) = 0$ (20). III) The critical end-point of the isothermal line of the triphase equilibrium in the ternary system is calculated by replacing in the equation system Eqs. (1)-(3), temperature by pressure, entropy by volume, and changing the signs. The following ansatzes result:

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Thermodynamic theory of...

$(dP/dx_1)_{coex.T}^{(c,1)} = (dP/dx_2)_{coex.T}^{(c,1)} = 0$ (21) and $(dx_2/dx_1)_{coex.T}^{(c,1)} = -\frac{(c)_{11}}{(c)_{12}}$
 $= -\frac{(c)_{12}}{(c)_{22}}$ (22). Condition Eq. (10) is now extended: $(dx_2/dx_1)_{coex.P}^{(c,1)}$
 $= (dx_2/dx_1)_{coex.T}^{(c,1)} = (dx_2/dx_1)_{coex.P,T}^{(c)}$ (23). Similar equations as Eqs. (15),
(18), and (19) result. For the pressure extremum in the critical point:
 $(dx_2^{(2)}/dx_1^{(2)})_{coex.T}^{(c,2)} = -(\frac{c_{11}}{c_{12}} + k \frac{c_{21}}{c_{22}})/(\frac{c_{12}}{c_{22}} + k \frac{c_{21}}{c_{11}})$ (27) is found.
The curve of the non-critical phase is not tangent in the critical point
to the curves of the phases becoming identical, but intersects them.
Comparison of Eqs. (16) and 27 gives the important relation:

$(dx_2^{(2)}/dx_1^{(2)})_{coex.P}^{(c,2)} = (dx_2^{(2)}/dx_1^{(2)})_{coex.T}^{(c,2)}$ (28). It may be seen
 $\frac{dP}{dT} = 0$

therefrom that in the case of extreme temperature and pressure values the
isobaric- and the isothermal lines of the phase that is not in the
critical state are tangent to each other in the concentration diagram of

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Thermodynamic theory of...

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B101/B208

the triphase equilibrium. There are 4 Soviet-bloc references.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet im. A. A. Zhdanova
(Leningrad State University imeni A. A. Zhdanova)

SUBMITTED: July 9, 1958

Card 9/10

RIK, G.R.; RUSANOV, A.I.; STEPANOV, S.I.

Photographic action of slow ions. Trudy Radiev.inst.AN SSSR 9:
238-249 '59. (MIRA 14:6)
(Photographic emulsions) (Photography, Particle track)

RUSANOV, A.I.

Thermodynamic consideration of the membrane equilibrium taking into account the surface discontinuity. Vest.IGU# no.10:77-86 '61.

(MIRA 14:5)

(Phase rule and equilibrium)

STORONKIN, A.V.; RUSANOV, A.I. (Leningrad)

Thermodynamic theory of critical phenomena in three-component systems. Part 2: Shape of the isotherm and isobar curve for the coexistence of two phases in the vicinity of the critical point. Zhur. fiz. khim. 34 no.4:749-753 Ap '60. (MIRA 14:5)

1. Leningradskiy gosudarstvennyy universitet imeni A.A.Zhdanova.
(Phase rule and equilibrium) (Systems (Chemistry))

STORONKIN, A.V.; RUSANOV, A.I.

Thermodynamic theory of critical phenomena in three-component systems.
Part 1. Zhur. fiz. khim. 34 no.3:530-536 Mr '60. (MIRA 13:11)

1. Leningradskiy gosudarstvennyy universitet imeni A.A.Zhdanova.
(Systems (Chemistry)) (Thermodynamics)

PHASE I BOOK EXPLOITATION

SOV/5043

Rusanov, Anatoliy Ivanovich

Termodinamika poverkhnostnykh yavleniy (Thermodynamics of Surface Phenomena) [Leningrad] Izd-vo Leningradskogo univ., 1960. 179 p. Errata slip inserted. 3,000 copies printed.

Sponsoring Agency: Leningradskiy ordena Lenina gosudarstvennyy universitet imeni A. A. Zhdanova.

Ed.: V. D. Piastro; Tech. Ed.: S. D. Vodolagina.

PURPOSE: This book is intended for students specializing in physics and chemistry, and for aspirants, engineers, and scientific workers interested in surface phenomena of dispersed and capillary systems.

COVERAGE: The book contains a systematic discussion of problems relating to the thermodynamics of surface phenomena and the thermodynamics of dispersed and capillary systems. New equations are obtained, characterizing the interrelationship of surface tension, temperature, pressure, composition

Card 1/10

Thermodynamics of Surface Phenomena

SOV/5043

of phases and the curvature of the surface. The properties of systems containing minute nuclei of new phases are given. No personalities are mentioned. There are 92 references: 25 Soviet (3 translations), 54 English, 12 German, and 1 French.

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Card 2/10

RUSANOV, Anatoliy Ivanovich; PIASTRO, V.D., red.; VODOLAGINA, S.D.,
tekhn.red.

[Thermodynamics of surface phenomena] Termodinamika po-
vekhnostnykh iavlenii. Leningrad, Izd-vo Leningr.univ.,
1960. 179 p. (MIRA 14:1)
(Thermodynamics) (Surface chemistry)

STORONKIN, A.V.; RUSANOV, A.I. (Leningrad)

Thermodynamic theory of critical phenomena in three-component systems. Part 3: On the shape of the cusp at the critical point of a ternary system. Zhur.fiz.khim. 34 no.5:977-982 My '60.
(MIRA 13:7)

1. Leningradskiy gosudarstvennyy universitet im.A.A.Zhdanova.
(Systems (Chemistry))

11.5100
54210

S/076/60/034/008/002/014
B015/B054

AUTHORS: Storonkin, A. V. and Rusanov, A. I. (Leningrad)

TITLE: Thermodynamic Theory of Critical Phenomena in Three-component Systems. VI. Critical End Points of Ternary Systems

PERIODICAL: Zhurnal fizicheskoy khimii, 1960, Vol. 34, No. 8,
pp. 1677-1683

TEXT: The authors investigated the critical end points of ternary three-phase systems by calculating the isothermal and isobaric lines of the three-phase equilibrium. They discuss the extreme temperatures and pressures at the critical end point. On the basis of the equations (16) and (27) obtained, they derive an important final equation (28) which shows that, in the case of an extreme pressure and temperature at the critical end point, the isobaric and isothermal lines (for the phases not attaining the critical state) are touching at the critical end point on the concentration diagram of the three-phase equilibrium. There are

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Thermodynamic Theory of Critical Phenomena
in Three-component Systems. VI. Critical
End Points of Ternary Systems

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B015/B054

1 figure and 4 Soviet references.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet im. A. A.
Zhdanova (Leningrad State University imeni A. A. Zhdanov)

SUBMITTED: July 9, 1958

✓B

Card 2/2

STORONKIN, A.V.; RUSANOV, A.I. (Leningrad)

Thermodynamic theory of critical phenomena in three-component systems. Part 4: Critical curves of a three-component system. Zhur.fiz.khim. 34 no.6:1212-1218
(MIRA 13:7)
Je '60.

1. Leningradskiy gosudarstvennyy universitet imeni A.A.
Zhdanova.
(Systems(Chemistry))

STORONKIN, A.V.; RUSA NOV, A.I.

Thermodynamic theory of critical phenomena in three-component
systems. Part 5. Zhur.fiz.khim. 34 no.7:1407-1413
(MIRA 13:7)
J1 '60.

1. Leningradskiy gosudarstvennyy universitet im. A.A.
Zhdanova.
(Phase rule and equilibrium) (Thermodynamics)

S/076/60/034/05/06/038
B010/B002

AUTHORS: Storonkin, A. V., Rusanov, A. I.

TITLE: Thermodynamic Theory of Critical Phenomena in Ternary Systems. III. On the Shape of the Cusp in the Critical Point of a Ternary System

PERIODICAL: Zhurnal fizicheskoy khimii, 1960, Vol. 34, No. 5,
pp. 977-982

TEXT: An investigation of the shape of cusps allows the derivation of thermodynamic inequalities determining the type of the critical point, while a comparison of the "coexistence" curve and the cusp yields important information on the metastable and unstable field near the critical point. In this manner, ternary systems were studied in the present case. Explanations are given in the following sections: shape of the isothermal-isobaric cusp in the critical point of a ternary system, shape of the isobaric cusp in the critical point of a ternary system; shape of the isothermal cusp of a ternary system. The inequalities derived characterize the possible relations between the unstable and meta-

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Thermodynamic Theory of Critical Phenomena
in Ternary Systems. III. On the Shape
of the Cusp in the Critical Point of a
Ternary System

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B010/B002

stable fields near the critical point of a ternary system. There are
1 figure and 3 references: 2 Soviet and 1 German.

✓ E

ASSOCIATION: Leningradskiy gosudarstvennyy universitet im. A. A. Zhdanova
(Leningrad State University imeni A. A. Zhdanov)

SUBMITTED: June 2, 1958

Card 2/2

RUSANOV, A.I., Cand Chem Sci -- (diss) "Thermodynamic
study of critical phenomena in multicomponent systems."

Len, 1958, 10 pp (Len Order of Lenin State Univ im A.A. Zhdanov) 100 copies (KL, 28-58, 103)

Rusakov, A. I.

PAGE I BOOK EXPLOITATION

Sov/3503

Akademija nauk SSSR. Radjewyj Institut
Trudy, t. IX (Transactions of the Radium Institute, Academy of Sciences USSR,
vol. 9). Moscow, Izd. v AN SSSR, 1959. 277 p. Lireas sign. Inserted.

1,700 copies printed.

Ed.: N.A. Perfil'ev, Doctor of Physical and Mathematical Sciences; Ed. of Publishing
House: G.N. Aron; Tech. Ed.: A.V. Sal'mova.

PURPOSE: The volume is intended for physicians.

CONTENTS: The book represents volume 9 of the Transactions of the Radium Institute
and contains the results of studies conducted at the Institute chiefly from
1955 to 1956. There are a number of articles dealing with the study of nuclear
reactions occurring with particles of different energies ranging from several
eV up to hundreds of Mev. Others treat different problems of the physics of
radiation. Results of studies of various neutron sources, neutron energy distri-
bution in a moderator (water), and other problems connected with the theory of
electron interaction with matter are presented. The utility of the articles
concerned with problems of method. The authors provide a complete de-
scription of the construction of equipment and of the results of tests performed
under laboratory conditions, and of the results of tests performed
under laboratory conditions. The personalities are mentioned. References
and biography individual articles.

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RUSANOV, A.I.; SHUL'TS, M.M.

Simplified Le Chatelier - Braun principle. Vest. LGU 15 no.4:60-65
'60.
(Thermodynamics)

EUSANOV, A.I.

Ther-modynamics of surface phenomena. Vest.LGU 14 no.16:71-79
'59. (MIRA 12:10)
(Surface chemistry)

5(4)

SOV/54-59-3-13/21

AUTHOR:

Rusanov, A. I.

TITLE:

On the Thermodynamics of Surface Phenomena

PERIODICAL:

Westnik Leningradskogo universiteta. Seriya fiziki i khimii,
1959, Nr 3, pp 71 - 79 (USSR)

ABSTRACT:

According to Gibbs it is possible to calculate the surface tension from the adsorption equation for a geometric surface in the inhomogeneity layer of the phases:

$$Sd\sigma = -\eta(S) dT - \sum_{i=1}^n m_i^S d\mu_i \quad (1)$$
 where S denotes the area of the tension surface, η and m_i^S the excess of entropy and mass of the i-th component with respect to the tension surface and σ the surface tension, and μ_i the chemical potential of the i-th component. This equation may be used for plane and curved surfaces. The second method according to Van der Waals and references 3, 4, 5 has been developed from the concept of tension surfaces of finite thickness and has the following form for the plane surface:

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On the Thermodynamics of Surface Phenomena

SOV/54-59-3-13/21

$$Sd\sigma = - \int (S) dT + v(S) dP - \sum_{i=1}^n m_i(S) d\mu_i \quad (2)$$

Both equations have - al-
though they are mathematically very simple - the disadvantage that
their independent variables are themselves functions of pressure,
temperature and phase composition. Guggenheim made a transfor-
mation of equation (2) into a direct function of $\sigma(p,T)$, and of
the phase composition; it holds, however, strictly only for
plane tension surfaces. In the present paper the attempt is
made of setting up an equation of direct dependence for plane
and curved tension surfaces. The representation made leads from
the theory of the heterogeneous equilibrium of Van der Waals to
the multicomponent systems which were basically developed by
A. V. Storonkin. The surface tension of a plane surface is de-
termined on the basis of equation (2) for a molar surface and
the molar part x_i of the i-th component. The calculation is made
for a two-phase equilibrium under consideration of the tension
surface. In the case of thermal and chemical equilibrium it is
possible to determine the chemical potential for the two phases
by two separate equations which contain σ implicitly as a func-
tion of p, T and the composition. The thermodynamical relations

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On the Thermodynamics of Surface Phenomena

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according to reference 7 are introduced for the explicit representation of this dependence, furthermore a variable of the composition x_i of one of the existing phases. Finally, the three thermodynamical fundamental equations are obtained representing the equilibrium of two phases with the existence of a tension surface. They are mentioned individually. For curved tension surfaces the effect of the curvature upon the thermodynamic equations is investigated which is given by equation

$$p^{(1)} - p^{(2)} = \frac{2\sigma}{r} . \text{ The thermodynamical equations obtained for a}$$

plane tension surface are a first approximation to weakly curved tension surfaces. The further investigation is also based upon the Van der Waals equation (2). Also for equation (1) it is possible to set up three equations for the state of the surface layer which, in combined form are the general equation (2) for curved surfaces. Next, the new variables pressure, temperature and phase composition are introduced like in the first case taking curvature into account. There are 7 references, 3 of which are Soviet.

SUBMITTED:
Card 3/3
March 12, 1959

5 (2)

AUTHORS: Storonkin, A. V., Rusanov, A. I., SOV/79-29-8-5/81
Markuzin, N. P.

TITLE: On the Equilibrium "Liquid - Liquid" in Three-component Systems

PERIODICAL: Zhurnal obshchey khimii, 1959, Vol 29, Nr 8, pp 2480 - 2485
(USSR)

ABSTRACT: Many papers have hitherto described the equilibrium between two liquids in ternary systems. However, only few of these papers dealt with the thermodynamic standpoint. The empirical mathematical interrelationships and peculiarities observed in the equilibrium diagrams were in most cases discussed with respect to two liquids in ternary systems without the aid of thermodynamics. The rules set up by Krupatkin (Ref 5) and Tarasenkov are discussed in this connection. In the present paper, the authors attempted to fill this gap and to complete and define the existing results. It was attempted to solve the following problems mathematically and by means of diagrams in a demonstrative manner: (1) The course of the isothermal-isobaric lines for the coexistence of two liquid phases in the three-component system (Fig 1); (2) The grouping of the nodes in the concentration diagram (Fig 2). The results of investi-

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On the Equilibrium "Liquid - Liquid" in Three-component Systems SOV/79-29-8-5/81

gation offered the following rule: if the content of one of the components of the three-component system is equal in the coexistent phases, the chemical potentials of the two other components change by equal values as they move along the iso-thermal isobar of the coexistent phases. V. F. Alekseyev's rule for binary systems holds also near the critical point of the ternary system. There are 2 figures and 13 references, 11 of which are Soviet.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet (Leningrad State University)

SUBMITTED: July 14, 1958

Card 2/2

"APPROVED FOR RELEASE: 08/25/2000

CIA-RDP86-00513R001446110015-8

RUSANOV, A.I.

Final critical point of a binary system. Vest.LGU 14 no.4:
62-66 '59. (MIRA 12:5)
(Systems (Chemistry))

APPROVED FOR RELEASE: 08/25/2000

CIA-RDP86-00513R001446110015-8"

RUSANOV, A.I.

Investigation of the three-phase equilibrium in the system isopro-
pyl alcohol - phenol - water. Vest.LGU 14 no.4:132-138 '59.
(MIRA 12:5)

(Phase rule and equilibrium)

5.4210(1273,1320,1160)

7741
S/076/6/034/007/010/042/xx
B004/P068

AUTHORS: Storonkin, A. V., and Rusanov, A. I.

TITLE: Thermodynamic Theory of Critical Phenomena in Three-component Systems. v. Equilibrium of Heterogeneous Systems Containing a Critical Phase

PERIODICAL: Zhurnal fizicheskoy khimii, 1960, Vol. 34, No. 7,
pp. 1407-1413

TEXT: The authors start from the fact that the direct experimental investigation of the properties of a critical phase is sometimes impractical. In this case, an indirect method which is based on the study of the phases coexisting with the critical one may be used to study the critical state. In this paper, the general method of describing binary phase equilibria with a critical phase being present is treated. Moreover, some cases of such equilibria in ternary systems are investigated. The coexisting phases bear the indices 1 and 2, and the generalized van der Waals differential equation is written using the variables of the first phase:

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Thermodynamic Theory of Critical Phenomena
 in Three-component Systems. V. Equilibrium
 of Heterogeneous Systems Containing a Critical
 Phase

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 3004/B068

$$v_{12} dP = \eta_{12} dT + \sum_{i=1}^{n-1} \sum_{k=1}^{n-1} (x_i^{(2)} - x_i^{(1)}) \xi_{ik}^{(1)} dx_k^{(1)} \quad (1), \text{ where}$$

$$\eta_{12} \equiv \eta^{(2)} - \eta^{(1)} - \sum_{i=1}^{n-1} (x_i^{(2)} - x_i^{(1)}) (\partial \eta / \partial x_i)^{(1)};$$

$$v_{12} \equiv v^{(2)} - v^{(1)} - \sum_{i=1}^{n-1} (x_i^{(2)} - x_i^{(1)}) (\partial v / \partial x_i)^{(1)}, \text{ where } v \text{ is the molar volume;}$$

η is the molar entropy; x_i is the molar portion of the i -th component;
 ξ is the molar thermodynamic Gibbs potential; $\xi_{ik} \equiv (\partial^2 \xi / \partial x_i \partial x_k)_{P,T}$;

P is the pressure; T is the temperature; n is the number of components.
 In addition, it holds that $d(\partial \xi / \partial x_i)^{(1)} = d(\partial \xi / \partial x_i)^{(2)}$, ($i = 1, 2, \dots, n-1$)

(2). Equations (1) and (2) result from the equilibrium conditions:
 $dT^{(1)} = dT^{(2)}$, $dP^{(1)} = dP^{(2)}$, $d\mu_i^{(1)} = d\mu_i^{(2)}$; ($i = 1, 2, \dots, n$) (3). μ_i is

the chemical potential of the i -th component. By substituting index k of

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the critical phase for index 2 in equations (1) and (2), a set of equations is obtained

$$\left. \begin{aligned} \eta_{1n}dT - v_{1n}dP + \sum_{i=1}^{n-1} \sum_{l=1}^{n-1} (x_i^{(n)} - x_l^{(1)}) \zeta_{ij}^{(1)} dx_l^{(1)} &= 0; \\ \left(\frac{\partial U_{n-1}}{\partial T} \right)^{(n)} dT + \left(\frac{\partial U_{n-1}}{\partial P} \right)^{(n)} dP + \sum_{i=1}^{n-1} \left(\frac{\partial U_{n-1}}{\partial x_i} \right)^{(n)} dx_i^{(n)} &= 0; \\ \left(\frac{\partial V_{n-1}}{\partial T} \right)^{(n)} dT + \left(\frac{\partial V_{n-1}}{\partial P} \right)^{(n)} dP + \sum_{i=1}^{n-1} \left(\frac{\partial V_{n-1}}{\partial x_i} \right)^{(n)} dx_i^{(n)} &= 0; \\ d \left(\frac{\partial \zeta}{\partial x_i} \right)^{(1)} = d \left(\frac{\partial \zeta}{\partial x_i} \right)^{(n)} \quad (i = 1, 2, \dots, n-1). \end{aligned} \right\} \quad (6)$$

A set of $n+2$ equations (6) sufficiently characterizes the two-phase equilibrium in a system containing a critical phase. For the coexistence of one critical with two non-critical phases in a ternary system, it is assumed that the critical phase contains all three components of the system.

Equation (8) is derived:

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$$\begin{aligned} \eta_{\text{m1}}dT - v_{\text{m1}}dP + \varphi_1^{(n)}dx_1^{(n)} + \varphi_2^{(n)}dx_2^{(n)} &= 0, \\ \left(\frac{\partial U_2}{\partial T}\right)^{(n)}dT + \left(\frac{\partial U_2}{\partial P}\right)^{(n)}dP + \left(\frac{\partial U_2}{\partial x_1}\right)^{(n)}dx_1^{(n)} + \left(\frac{\partial U_2}{\partial x_2}\right)^{(n)}dx_2^{(n)} &= 0, \\ \left(\frac{\partial V_2}{\partial T}\right)^{(n)}dT + \left(\frac{\partial V_2}{\partial P}\right)^{(n)}dP + \left(\frac{\partial V_2}{\partial x_1}\right)^{(n)}dx_1^{(n)} + \left(\frac{\partial V_2}{\partial x_2}\right)^{(n)}dx_2^{(n)} &= 0, \end{aligned} \quad (8)$$

where

$$\begin{aligned} \varphi_1^{(n)} &\equiv \zeta_{11}^{(n)}(x_1^{(n)} - x_1^{(n)}) + \zeta_{12}^{(n)}(x_2^{(n)} - x_2^{(n)}), \\ \varphi_2^{(n)} &\equiv \zeta_{12}^{(n)}(x_1^{(n)} - x_1^{(n)}) + \zeta_{22}^{(n)}(x_2^{(n)} - x_2^{(n)}). \end{aligned}$$

Solving system (8) with respect to the derivatives $(dT/dx_1)_{\text{coexist}}$, $(dP/dx_1)_{\text{coexist}}$, and $(dx_2/dx_1)_{\text{coexist}}$, one obtains:

$$\left(\frac{dT}{dx_1}\right)_{\text{coexist}} = - \frac{\begin{vmatrix} \varphi_1^{(n)} & -v_{\text{m1}} & \varphi_2^{(n)} \\ \left(\frac{\partial U_2}{\partial x_1}\right)^{(n)} & \left(\frac{\partial U_2}{\partial P}\right)^{(n)} & \left(\frac{\partial U_2}{\partial x_2}\right)^{(n)} \\ \left(\frac{\partial V_2}{\partial x_1}\right)^{(n)} & \left(\frac{\partial V_2}{\partial P}\right)^{(n)} & \left(\frac{\partial V_2}{\partial x_2}\right)^{(n)} \end{vmatrix}}{\Delta_s^{(n)}}; \quad (9)$$

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$$\left(\frac{dP}{dx_1} \right)_{\text{coexist}} = - \begin{vmatrix} \eta_{K1}, & \varphi_1^{(K1)}, & \varphi_2^{(K1)} \\ \left(\frac{\partial U_1}{\partial T} \right)^{(K)}, & \left(\frac{\partial U_2}{\partial x_1} \right)^{(K)}, & \left(\frac{\partial U_3}{\partial x_1} \right)^{(K)} \\ \left(\frac{\partial V_1}{\partial T} \right)^{(K)}, & \left(\frac{\partial V_2}{\partial x_1} \right)^{(K)}, & \left(\frac{\partial V_3}{\partial x_1} \right)^{(K)} \end{vmatrix}; \quad (10)$$

$$\left(\frac{dx_2}{dx_1} \right)_{\text{coexist}} = - \begin{vmatrix} \eta_{K1}, & -v_{K1}, & \varphi_1^{(K1)} \\ \left(\frac{\partial U_1}{\partial T} \right)^{(K)}, & \left(\frac{\partial U_2}{\partial P} \right)^{(K)}, & \left(\frac{\partial U_3}{\partial x_1} \right)^{(K)} \\ \left(\frac{\partial V_1}{\partial T} \right)^{(K)}, & \left(\frac{\partial V_2}{\partial P} \right)^{(K)}, & \left(\frac{\partial V_3}{\partial x_1} \right)^{(K)} \end{vmatrix}; \quad (11)$$

$$\Delta_3^{(K)} \equiv \begin{vmatrix} \eta_{K1}, & -v_{K1}, & \varphi_1^{(K1)} \\ \left(\frac{\partial U_1}{\partial T} \right)^{(K)}, & \left(\frac{\partial U_2}{\partial P} \right)^{(K)}, & \left(\frac{\partial U_3}{\partial x_1} \right)^{(K)} \\ \left(\frac{\partial V_1}{\partial T} \right)^{(K)}, & \left(\frac{\partial V_2}{\partial P} \right)^{(K)}, & \left(\frac{\partial V_3}{\partial x_1} \right)^{(K)} \end{vmatrix}.$$

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Thermodynamic Theory of Critical Phenomena
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If the critical phase contains only two components of the system, one obtains:

$$\left. \begin{aligned}
 \eta_{1N} dT - v_{1N} dP + \varphi_1^{(1N)} dx_1^{(1)} + \varphi_2^{(1N)} dx_2^{(1)} &= 0, \\
 - \left(\frac{\partial^2 \eta}{\partial x_1^2} \right)^{(N)} dT + \left(\frac{\partial^2 v}{\partial x_1^2} \right)^{(N)} dP &= 0, \\
 - \left(\frac{\partial^2 \eta}{\partial x_2^2} \right)^{(N)} dT + \left(\frac{\partial^2 v}{\partial x_2^2} \right)^{(N)} dP + \left(\frac{\partial^2 \zeta}{\partial x_1^2} \right)^{(N)} dx_1^{(N)} &= 0, \\
 \left[\left(\frac{\partial \eta}{\partial x_1} \right)^{(N)} - \left(\frac{\partial \eta}{\partial x_1} \right)^{(1)} \right] dT - \left[\left(\frac{\partial v}{\partial x_1} \right)^{(N)} - \left(\frac{\partial v}{\partial x_1} \right)^{(1)} \right] dP + \zeta_{11}^{(1)} dx_1^{(1)} + \zeta_{12}^{(1)} dx_2^{(1)} &= 0,
 \end{aligned} \right\} \quad (14)$$

$\varphi_1^{(1N)} \equiv \zeta_{11}^{(1)} (x_1^{(N)} - x_1^{(1)}) - \zeta_{12}^{(1)} x_2^{(1)},$

$\varphi_2^{(1N)} \equiv \zeta_{12}^{(1)} (x_1^{(N)} - x_1^{(1)}) - \zeta_{22}^{(1)} x_2^{(1)},$

$\eta_{1N} \equiv \eta^{(N)} - \eta^{(1)} - \left(\frac{\partial \eta}{\partial x_1} \right)^{(1)} (x_1^{(N)} - x_1^{(1)}) + \left(\frac{\partial \eta}{\partial x_1} \right)^{(1)} x_2^{(1)},$

$v_{1N} \equiv v^{(N)} - v^{(1)} - \left(\frac{\partial v}{\partial x_1} \right)^{(1)} (x_1^{(N)} - x_1^{(1)}) + \left(\frac{\partial v}{\partial x_1} \right)^{(1)} x_2^{(1)}.$

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Thermodynamic Theory of Critical Phenomena
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5034, 7-652

The following conclusion is drawn which is important for practical purposes:
The investigation of the critical state of a binary phase with a coexisting
third phase leads to the same result as the investigation of a binary
phase alone. There are 3 Soviet references.

ASSOCIATION: Leningradskiy gosudarstvennyy universitet im. A. A.
Zhdanova
(Leningrad State University imeni A. A. Zhdanov)

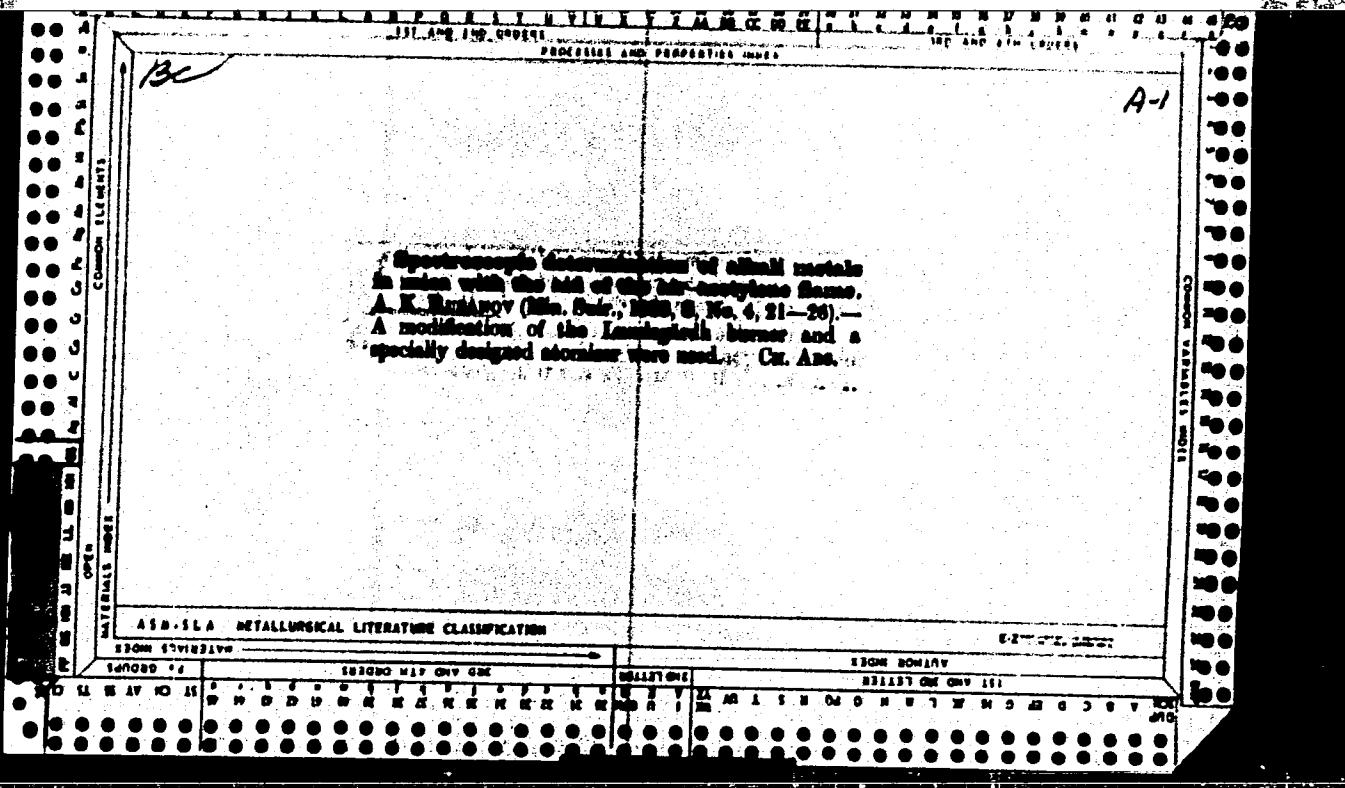
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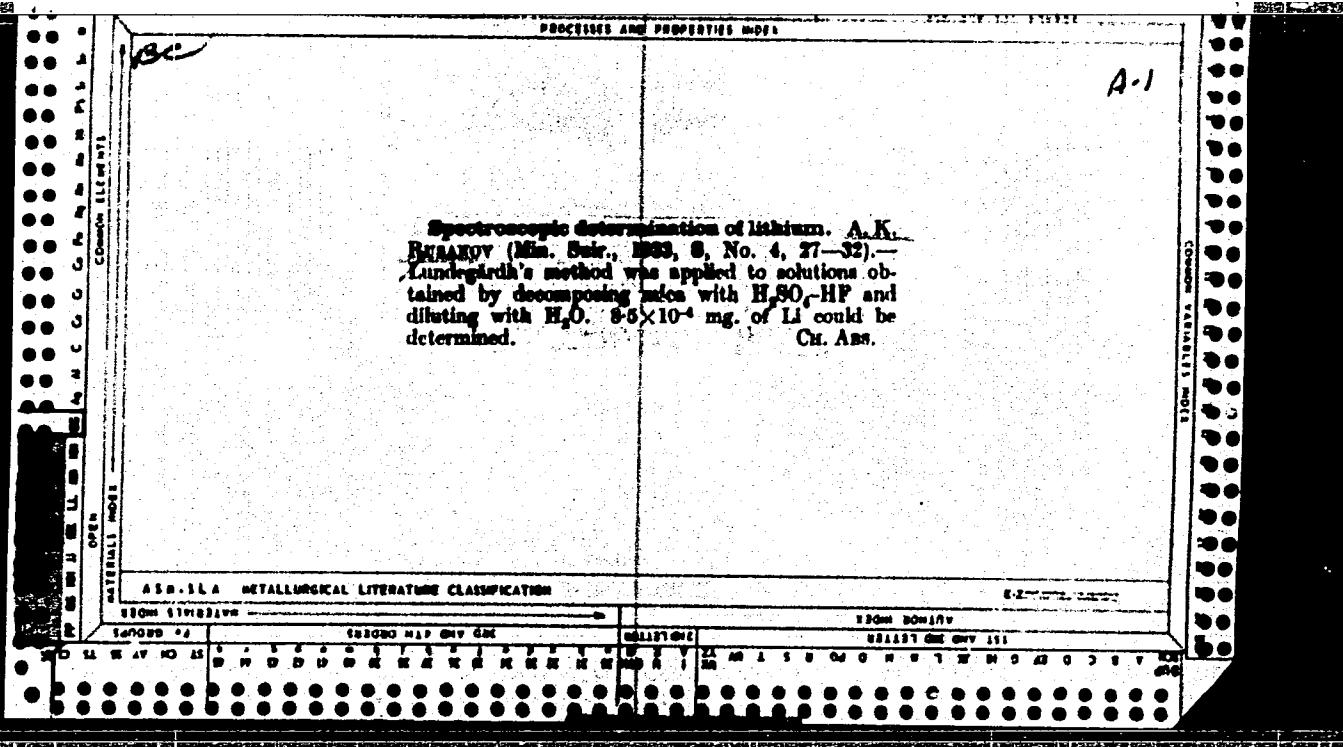
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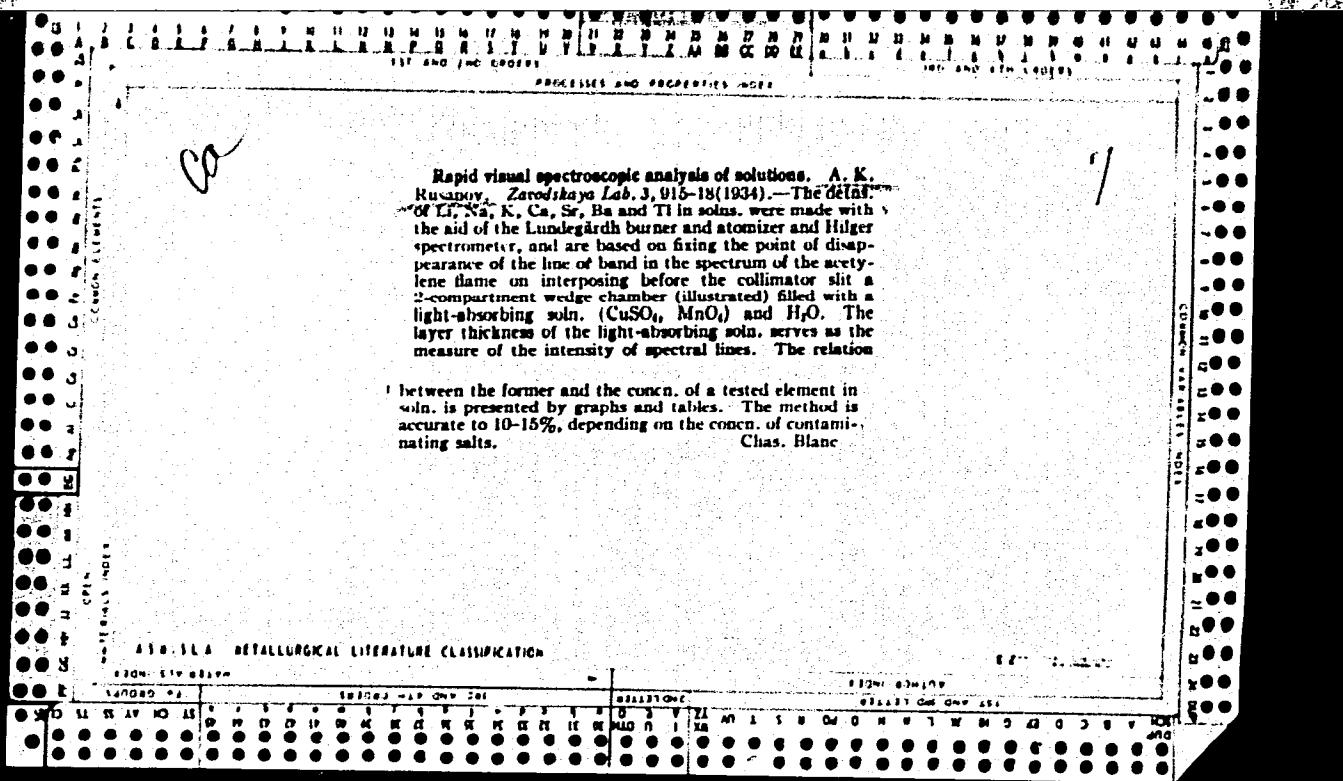
ROSANOV, A.A., DANOV, N.T.

Effect of chemical reactions on the intensity of spectral lines
when powders are injected into the arc plasma. Zhur. anal. khim.
20 no.7:769-773 '65. (MIRA 18:9)

I. All-Union Scientific-Research Institute of Mineral Resources,
Moscow.







βc

PREPARATION OF SPECTRALLY PURE CARBON ELECTRODES. A. K. Rusakov (J. Appl. Chem. Russ., 1935, 8, 520-523).--The electrodes are freed from Fe, Al, Si, Ti, and V by heating at 2700° for 10--20 sec., and from Cu by heating for 35 sec. Ca, Mg, and B are not entirely eliminated after 2 min. R. T.

B-1-2

R. T.

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The question of the distribution of germanium in fossil coals. V. A. Zilbermanis, A. N. Rusanov and V. M. Kostrikin. *Abad. U. I. Vernadskogo k Pustidesavstrelivym Nauch. Delostranitii*, 1, 169-190 (1950); *Chem. Zentr.* 1938, I, 1709.—The Ge contents of a large no. of fossil coals from almost all the deposits in the U. S. S. R. were detd. by a specially developed spectrographic method. Of the large no. of specimens tested only 19 from the Donets region, 13 from the Ural and Pechora regions, 1 from Barents Island and 1 from Northern Dvina showed a high Ge content (0.1-1%). In 68 samples the Ge content was 0.01-0.1%. The greater part of the coals rich in Ge were especially low in ash. The enrichment of the coal with Ge is assumed to be the result of adsorption and of metasomatic conversion of the circulating solns. by the coal mass. M. G. Moore
 into a liquid fuel. II. Aleksandritia brown coal. N. K. D'yakova and S. A. Senyavin. *Ibid.* 55-62.—The coal dissolved best at 300-80°; other conditions were the same as above. The treatment permitted soln. of 65% of the org. substance of coal; 10% was decompd. during the process into gas and water and 25% remained solid. The solns. obtained (12-20%) were concd. *in vacuo* to 42-60% and hydrogenated; they gave liquid products 58.7, solid coal 1.30, water 2, gas and losses 8%. Thus 58% of the org. substance of coal was transformed into a liquid fuel.
 A. A. Podgorny

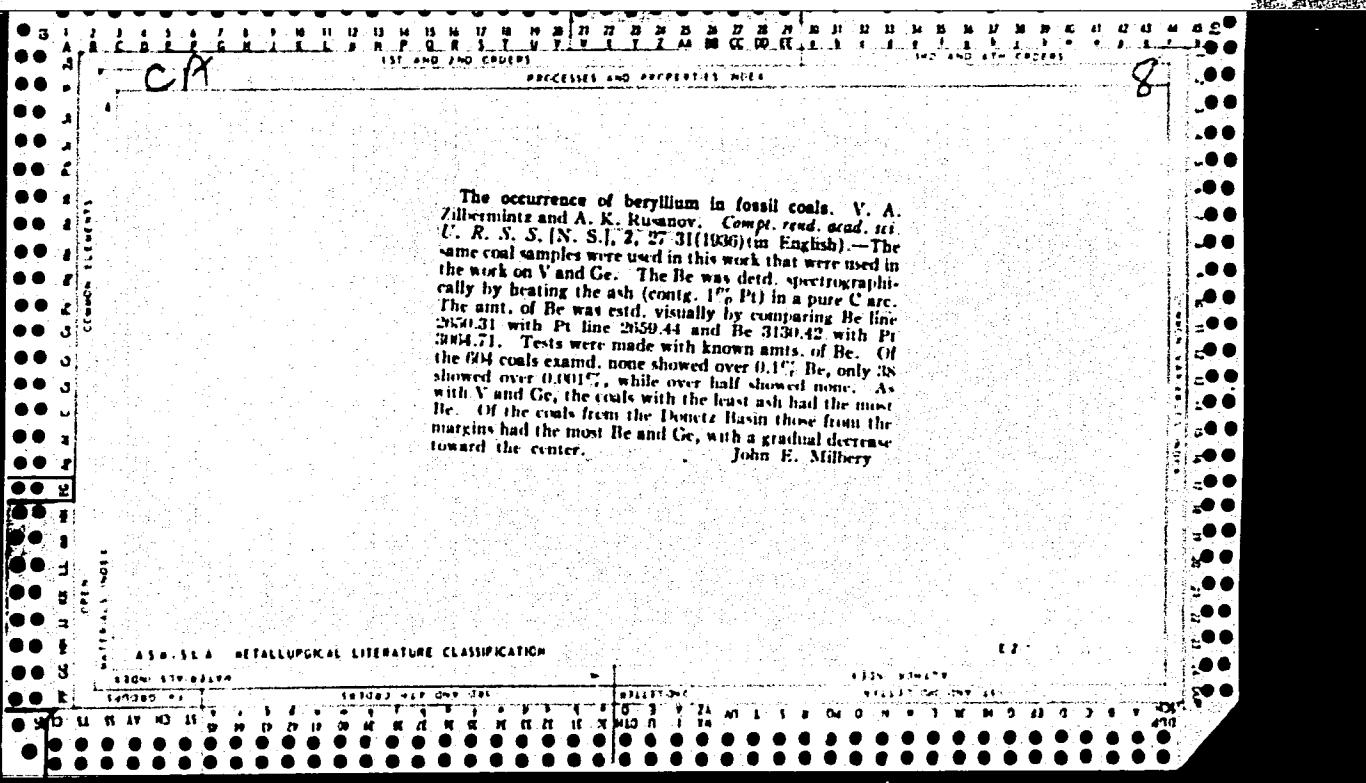
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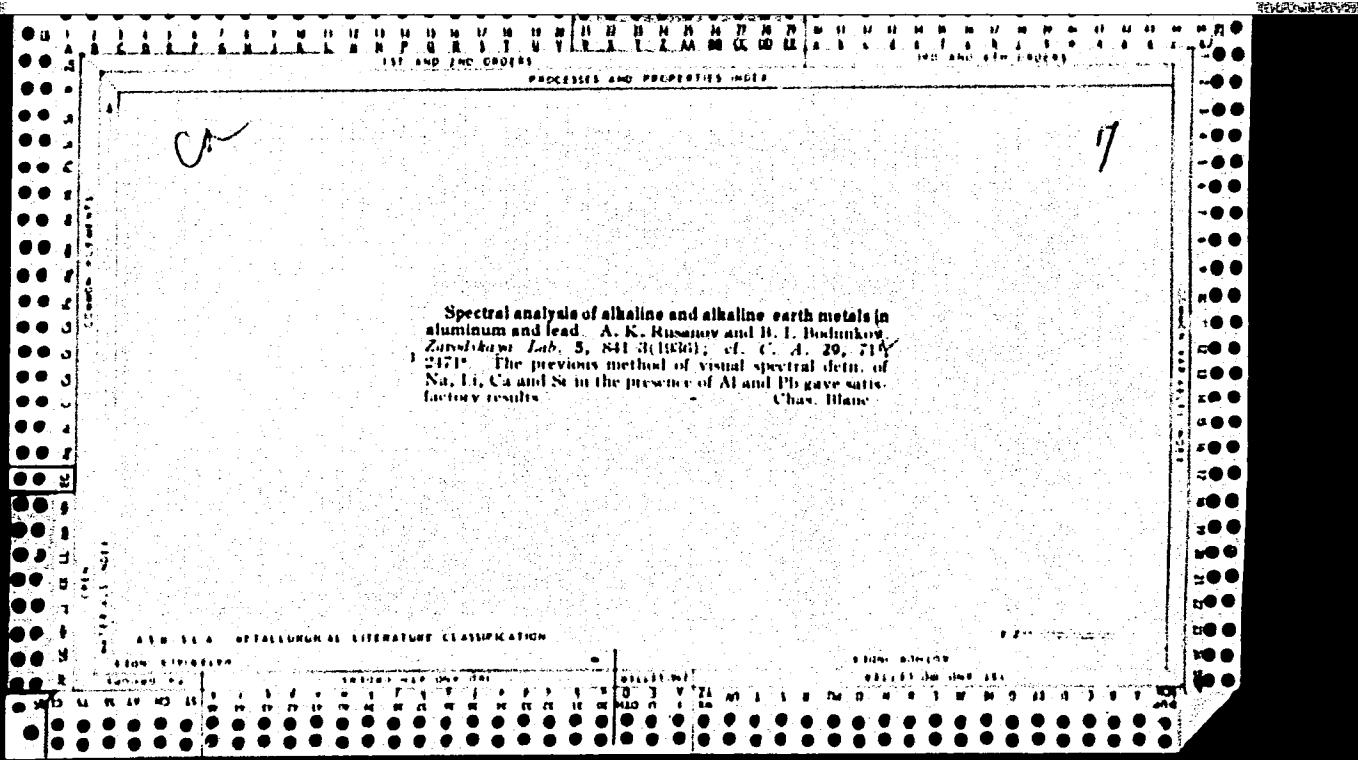
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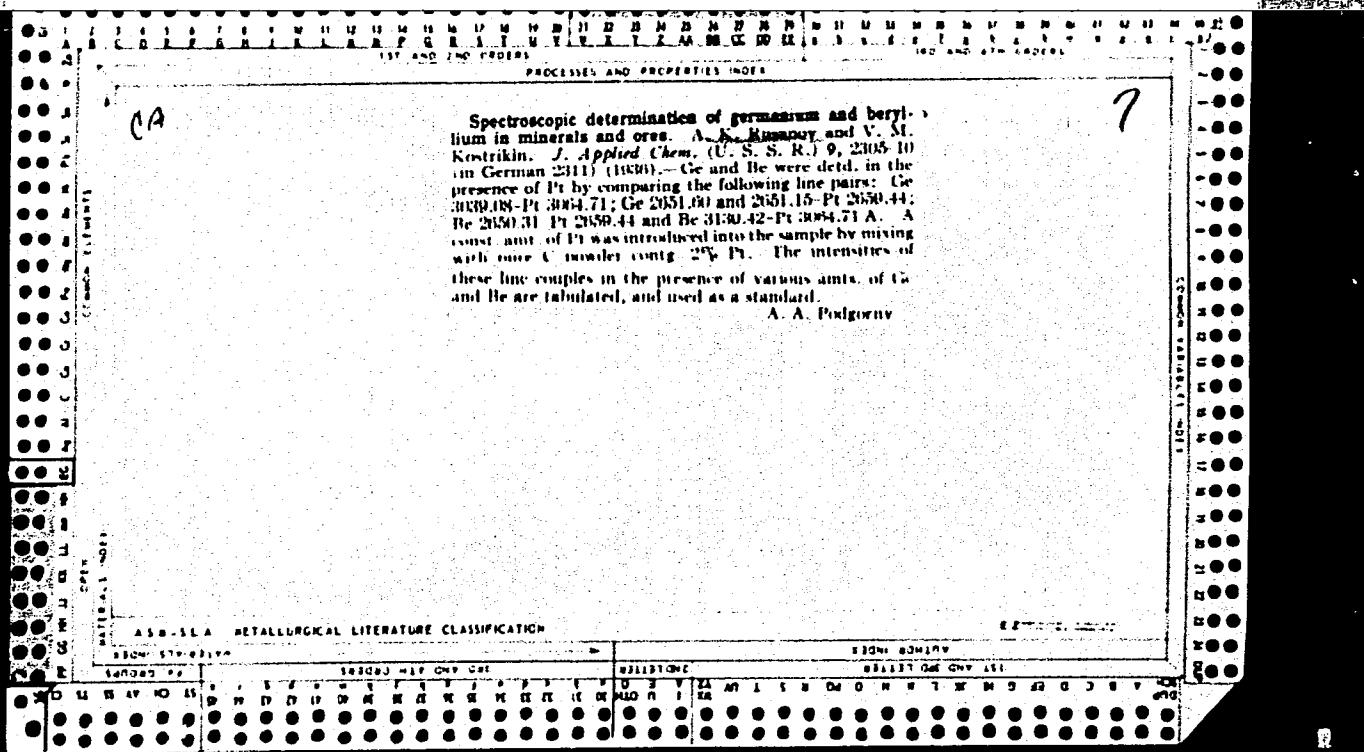
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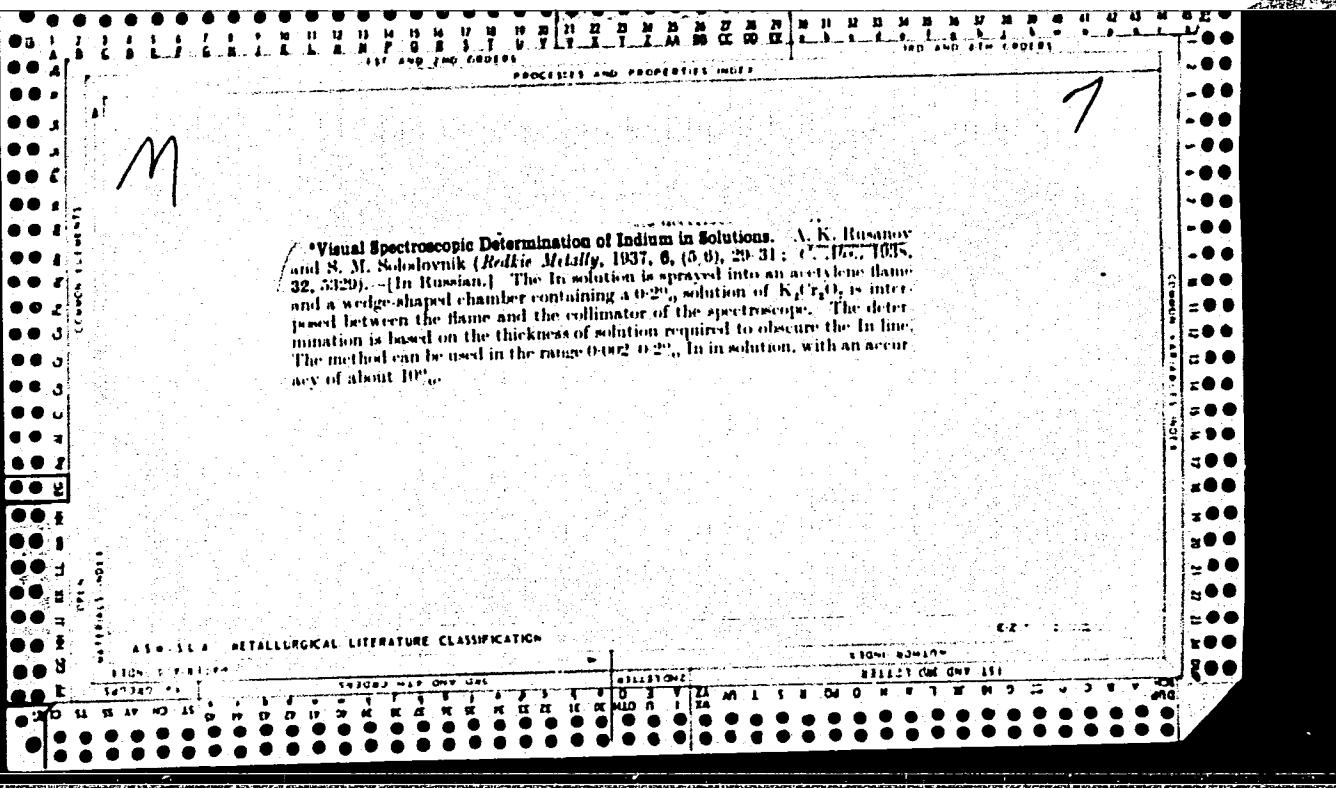
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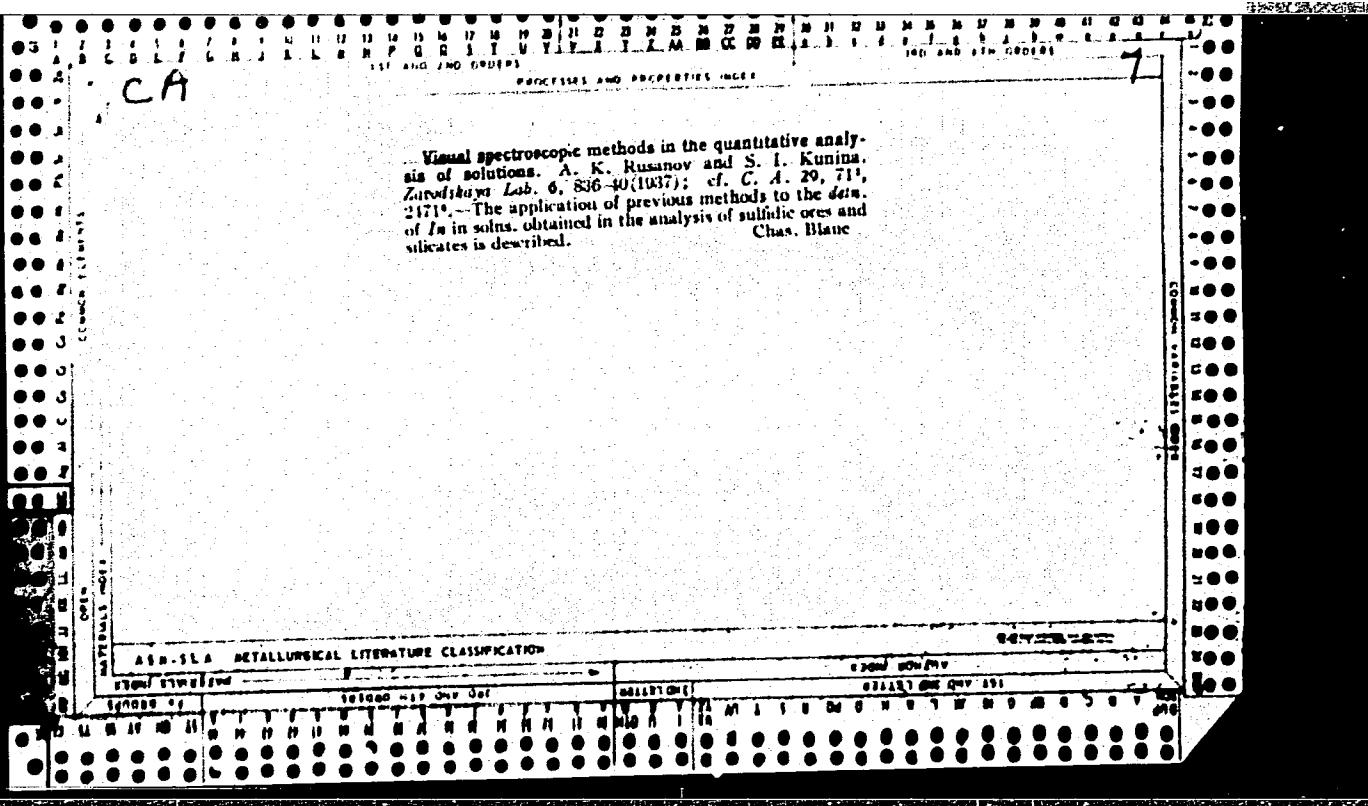
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A-1

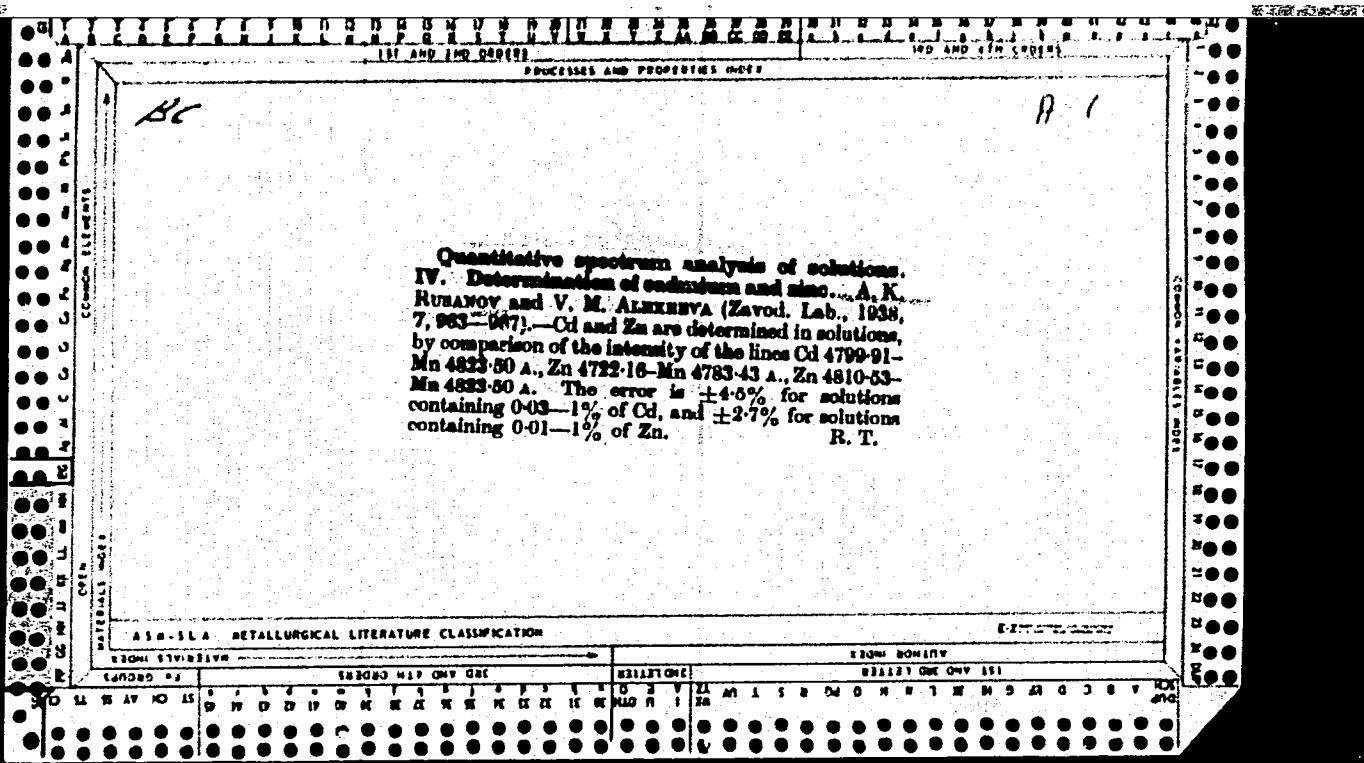
Quantitative spectrum analysis of solutions.
 A. K. RYBANOV, S. I. KUNINA, and K. N. VASILIEV
 (Zavod "EAV", 1937, 6, 1420-1423).—A quant.
 photometric method of determining Ga in solutions
 is described. The range investigated covers Ga
 contents varying between 0.00620 and 0.400%.
 The spectroscopic experiments were carried out in

an C_6H_6 flame in presence of K and Rb, respectively, the following pairs of lines being investigated: (a) Ga 4033-01 Å-K 4044-16 and 4047-22 Å., (b) Ga 4172-06 Å-Rb 4201-81 Å., and (c) Ga 4172-03 Å-Rb 4215-58 Å. The average error is $\pm 5\%$. The min. Ga content determinable is 0.0075%. D. G.

ASME-SEA METALLURGICAL LITERATURE CLASSIFICATION

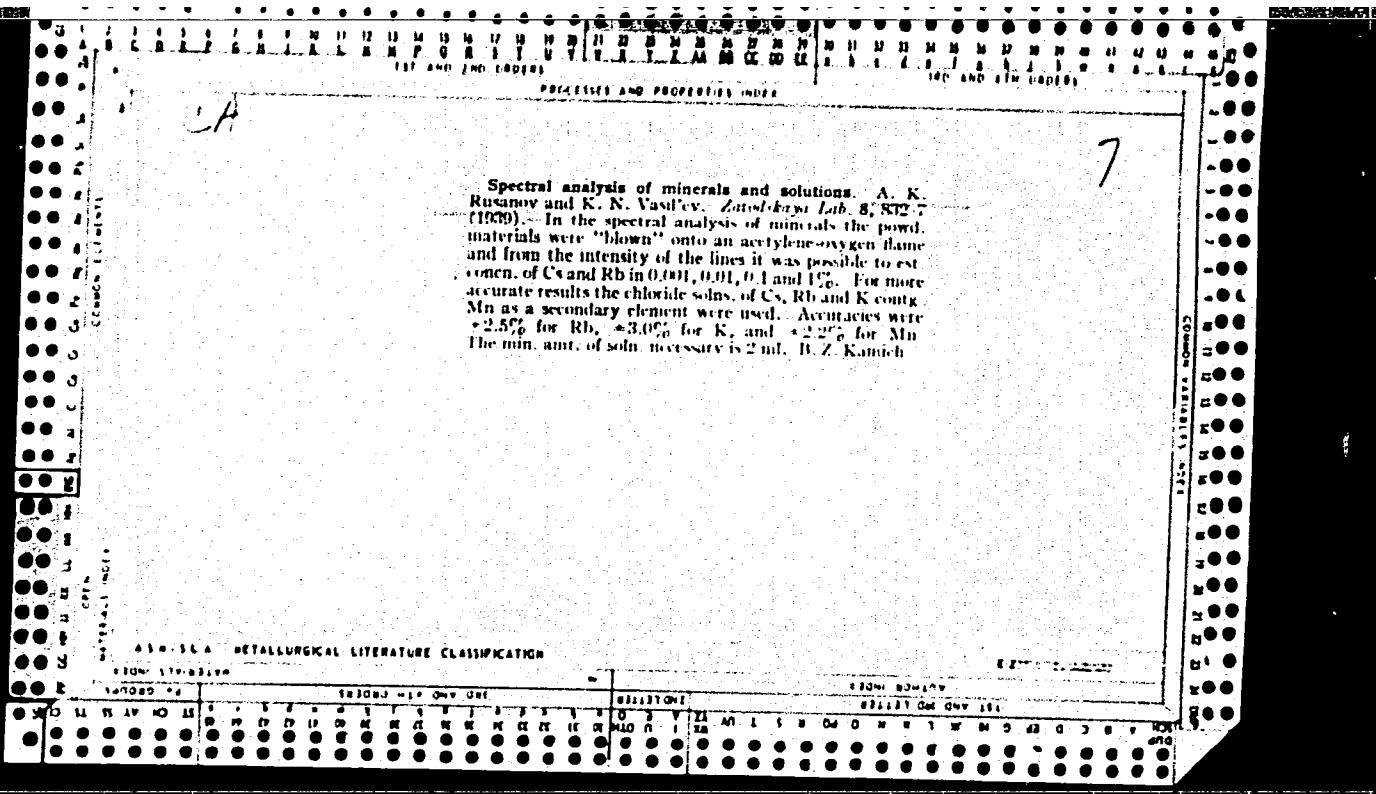
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CIA-RDP86-00513R001446110015-8"



Spectroscopic investigation of zinc blende for germanium, indium, cadmium and gallium. F. I. Abramov and A. K. Rusanov. Soviet Geol. 8, No. 5, 61-73 (1968).
Data are given for various samples of marmatite, sphalerite, cleophaite and shell-like blende. In all cases Cd is most plentiful; the order of Ge, In and Ga varies for different blende. E. H. Rathmann

AMERICAN METALLURGICAL LITERATURE CLASSIFICATION



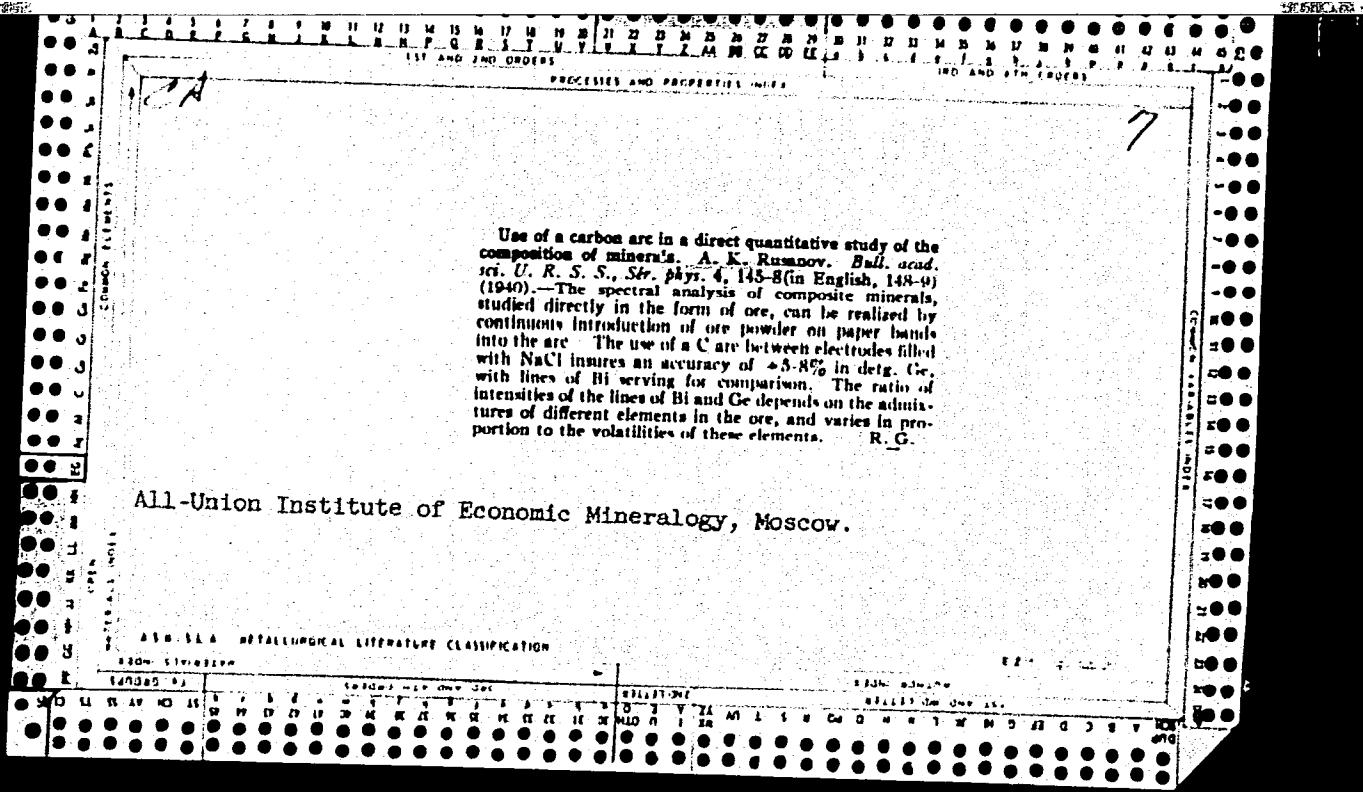
7
a
Spectral analysis of solutions and minerals. A. K.
Rusanov and V. M. Alekseeva. Zavodskaya Lab. 8, 963-
57(1930). The intensities of the lines Na 5890.0 and
5893.0 Å, Cr 6787.0 Å, and Li 6163.50 Å. Mn 6160.00
were measured to det. Na and Li. With a 2-ml. sample
the Na can be detd. down to a concn. of 0.001% and Li to
0.003%. These elements can be detd. in the presence of
other alk. metals with a probable error of $\pm 1.0\%$ for Li
within the concn. range of 0.001-0.2% and $\pm 1.3\%$ for Na
for the concn. range of 0.001-0.1%.

ASB-LSA METALLURGICAL LITERATURE CLASSIFICATION

Rare and nonferrous metals. Spectral analysis of solutions and minerals. A. K. Rosman. *Trans. All-Union Natl. Research Inst. Econ. Mineral.* (U. S. S. R.) 147, 180-82 (1959).—See C. A. 54, 1589. Chas. Blane

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A

7

Use of a spark discharge and an acetylene flame in the analysis of solutions and minerals. A. K. Rusanov.
Bull. acad. sci. U. R. S. S. Ser. phys. 4, 195-7 (1940);
cf. *C. A.* 34, 50, 2727, 2624. — The quant. spectroscopic
analysis of solns. for Li, Na, Ti, In, Zn and Cd, was
carried out: (1) by the method of visual estn. of the
relative intensities of spectral lines in a spark discharge,
(2) by photographic photometry with a logarithmic sector
in an acetylene flame. Mineral powders were analyzed
by the method of photographic photometry in an oxy-
acetylene flame. The results obtained are tabulated.
Roksalana Gamow

All-Union Institute of Economic Mineralogy, Moscow.

ASB-LSA METALLURGICAL LITERATURE CLASSIFICATION

TOMO 1940

6-ZT-2727-2624

130M 30-114

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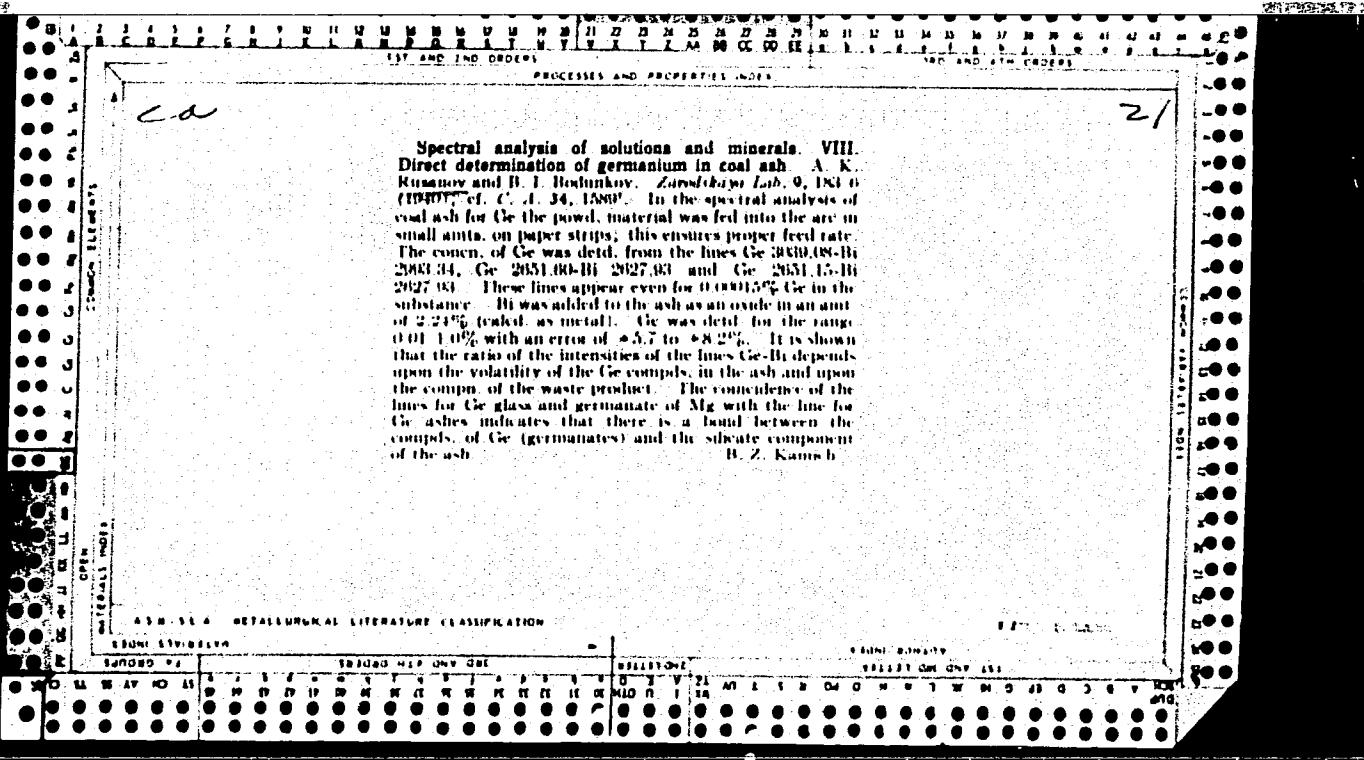
Methods for the quantitative spectral analysis of minerals and solutions. VII. Direct determination of thallium, indium and gallium in zinc blende. A. K. Musanov and V. M. Alekseeva. *Zinodinskaya Lab.*, 9, No. 1, 61-9 (1940); cf. C. A. 35, 50561. —ZnS powder (0.2 g.) was distributed evenly over thin cigarette paper, said, with $(\text{NH}_4)_2\text{SO}_4$, and the paper placed in the center of an oxyacetylene flame and kept there for 30-40 sec. The detectable concns. of Tl (green), In (blue) and Ga (violet) are, resp.: in zinc blende (ZnS) 0.0015, 0.0008 and 0.01%; in pyrite (FeS_2) 0.0005, 0.001, 0.0008-0.001 and 0.01%; in chalcocite (Cu_2S) 0.0005, 0.0006, 0.0006 and 0.01%; in galenite (PbS) 0.005, 0.001 and 0.01%. The intensities of the Tl, In and Ga lines at various concns. are, resp.: at 1% dazzling bright, dazzling bright and easily perceptible; at 0.1% bright, bright and perceptible; at 0.01% easily perceptible, easily perceptible and very weak; at 0.001% weak, weak and absent. At 0.0001% all lines are absent. Addin. to ZnS of const. amts. of Co_2O_4 (0.05 g. of CoO , added to 0.2 g. of ZnS powder) makes possible the detn. of the concns. of Tl, In and Ga from the relative intensities

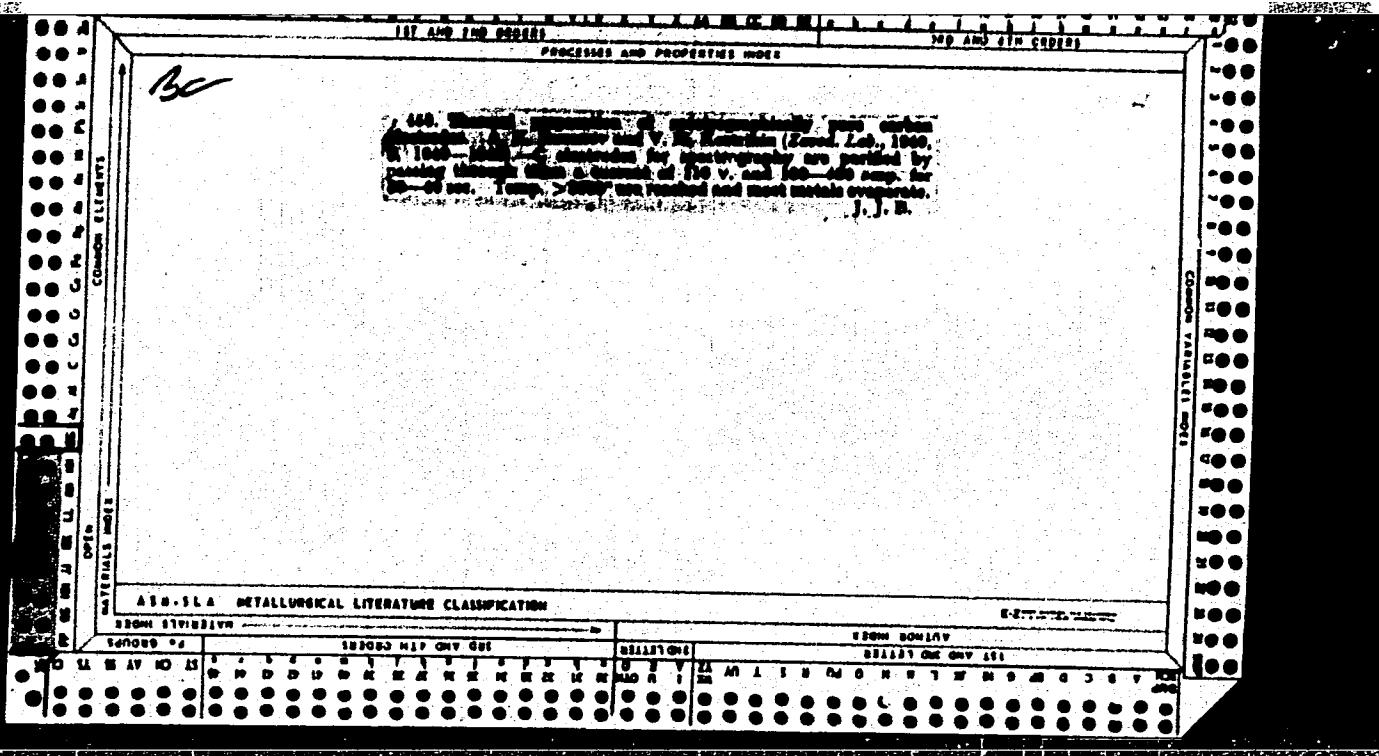
of the selected pairs of lines with a probable error of $\pm 8\text{--}13\%$. The wave lengths, the intervals of concen., and the probable errors are, resp.: Ti 3775.73-Co 3704.08 Å, $0.001\text{--}0.3\% \pm 13\%$; in 41018-Co 4092.4 Å, $0.001\text{--}0.03\% \pm 12\%$; Ga 4033.01-Co 4092.4 Å, $0.01\text{--}0.03\% \pm 9\%$; Ga 4172.02-Co 4092.4 Å, $0.01\text{--}0.3\% \pm 8\%$; Ti, In and Ga can be detd. in the presence of galenite and In and Ga can be detd. in the presence of pyrite in ZnS. Ti cannot be detd. in the presence of large amounts of pyrite in ZnS, because the weak Fe line interferes with the Cu line (3704.00 Å). The presence of abnormally large amounts of pyrite in ZnS produces in the spectrum another weak Fe line (3802.23 Å). In such cases Ti can be detd. only by comparison of the Ti 3775.73 Å. and Co 3841.48 Å. lines. Detns. of Ti, In and Ga can be made simultaneously in 1 hr. in $0.50\text{--}0.03$ g. of ZnS. Seven references.

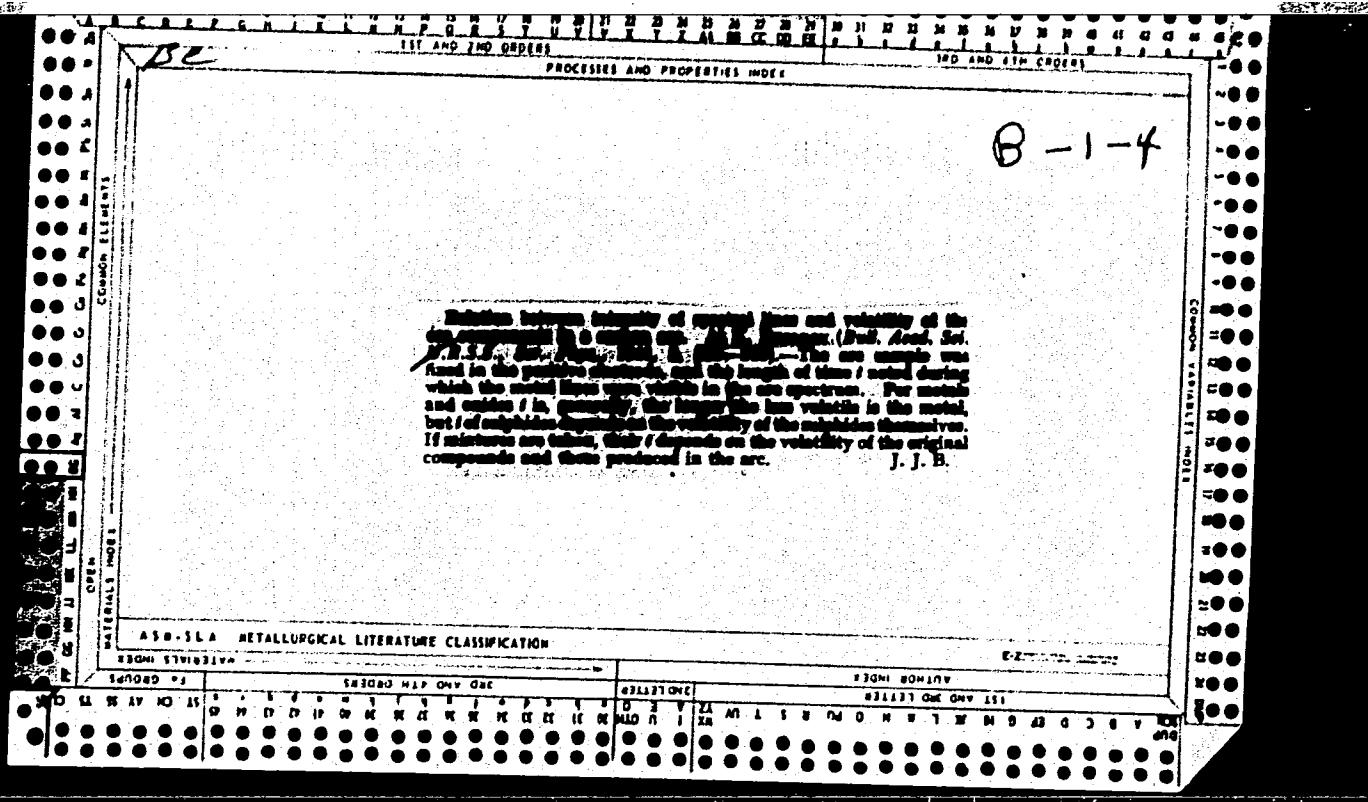
W. R. Henn

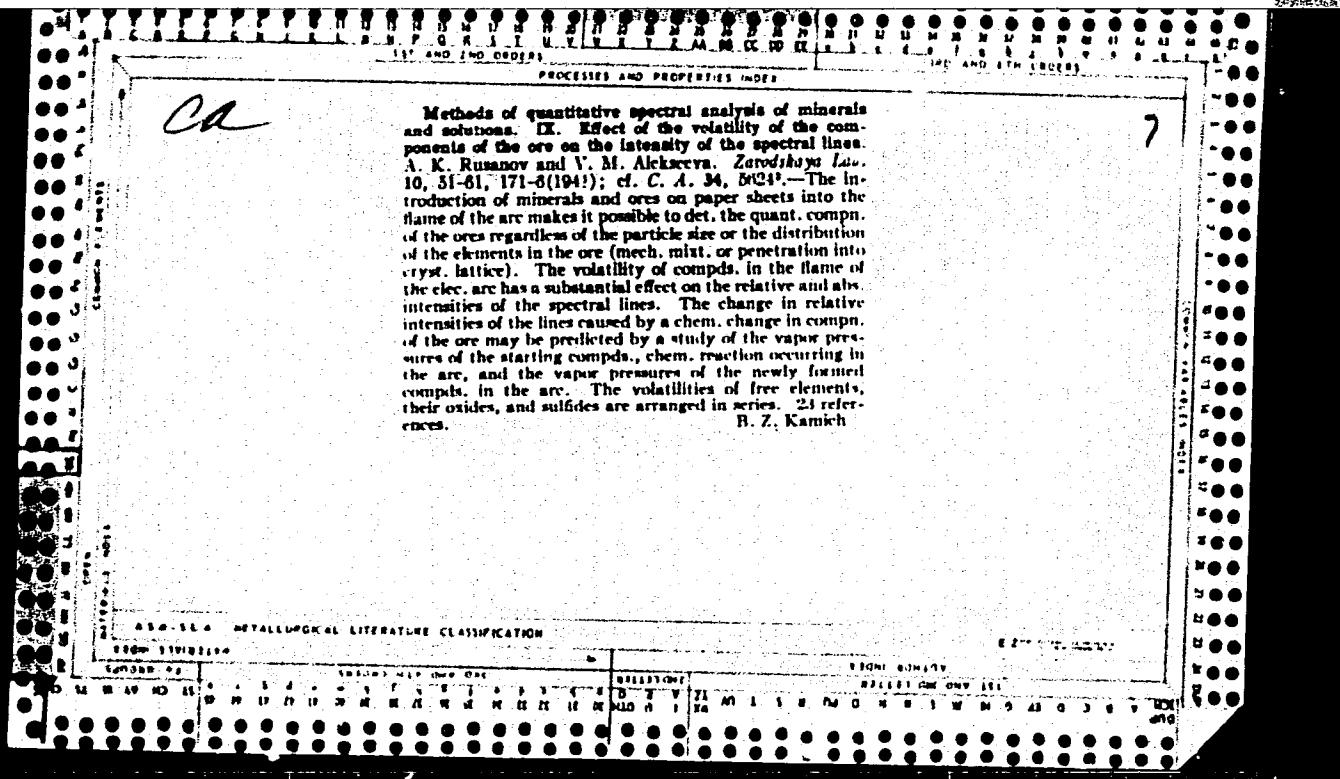
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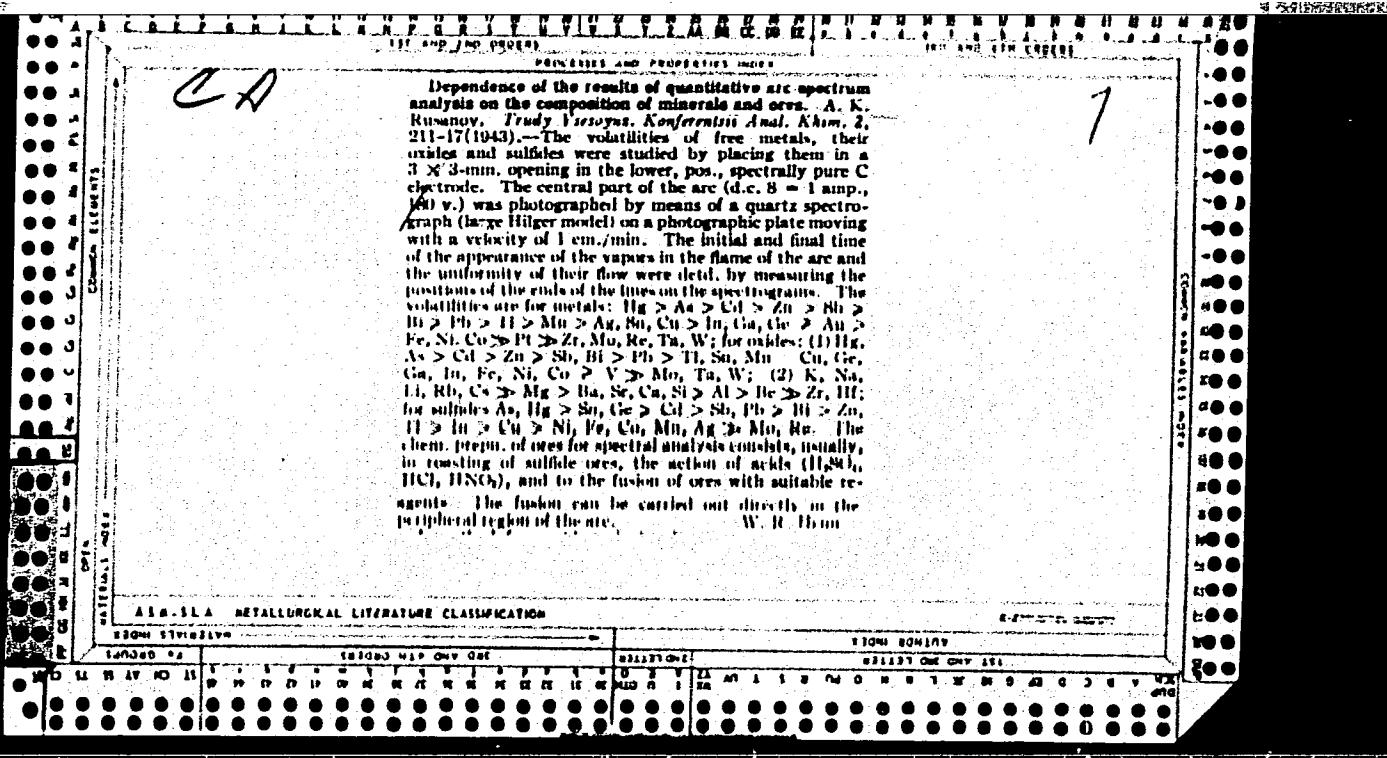
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		1ST AND 2ND COORDS		3RD AND 4TH COORDS			
		PROCESSES AND PROPERTIES INDEX					
<i>BC</i>		<p>1978. Improved methods of metallographic analysis of impurities in metals. A. V. Kostylev, V. N. Shchegoleva, and A. V. Tikhonova. Sov. Metalloved. 1978, No. 6, p. 1323-1329. Standard electrodes and spectrophotometrical analysis of impurities may be prepared, in the case of finely-ground metals Nb-Bi or Ta, by powder substitutes of the powdered pure metal with varying amounts of a powdered alloy containing known and appreciable amounts of the impurities. Suitable Sb electrodes, 8 mm. diameter, are obtained under a pressure of 8000 kg. per sq. cm. A Fournier circuit, quartz spectrograph, and three-step optical wedge are used. The first pair need, the second in each pair being an Sb tip, and the cones, tips covered are as follows: Pb (0.00-0.3%) 2439-67; Sn61-1; Ti (0.00-0.3%) 2407-72; Zn60-60; Cu (0.01-0.4%) 3349-64; Mn (0.00-0.3%) 3100-66; Sn60-60; Ag (0.00-0.5%) 2444-61; Sn60-60; Cu (0.00-0.5%) 2401-63; Sn23-63; Au (0.01-0.5%) 2400-68; Sn60-1; Mo (0.00-0.5%) 2437-66; 2444-53; Co (0.01-0.5%) 2406-13; 2407-68; Ni (0.00-0.5%) 2419-50; 2427-53; Mn (0.00-0.5%) 2408-72; 2412-51; Fe (0.01-0.5%) 2785-74; 2786-64. The probable errors are $\pm 3\text{--}5\%$ of the content.</p>					
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ELEMENTS	ELEMENTS	ELEMENTS	ELEMENTS	ELEMENTS	ELEMENTS	ELEMENTS	ELEMENTS
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INDEXED	INDEXED	INDEXED	INDEXED	INDEXED	INDEXED	INDEXED	INDEXED
SERIALIZED	SERIALIZED	SERIALIZED	SERIALIZED	SERIALIZED	SERIALIZED	SERIALIZED	SERIALIZED
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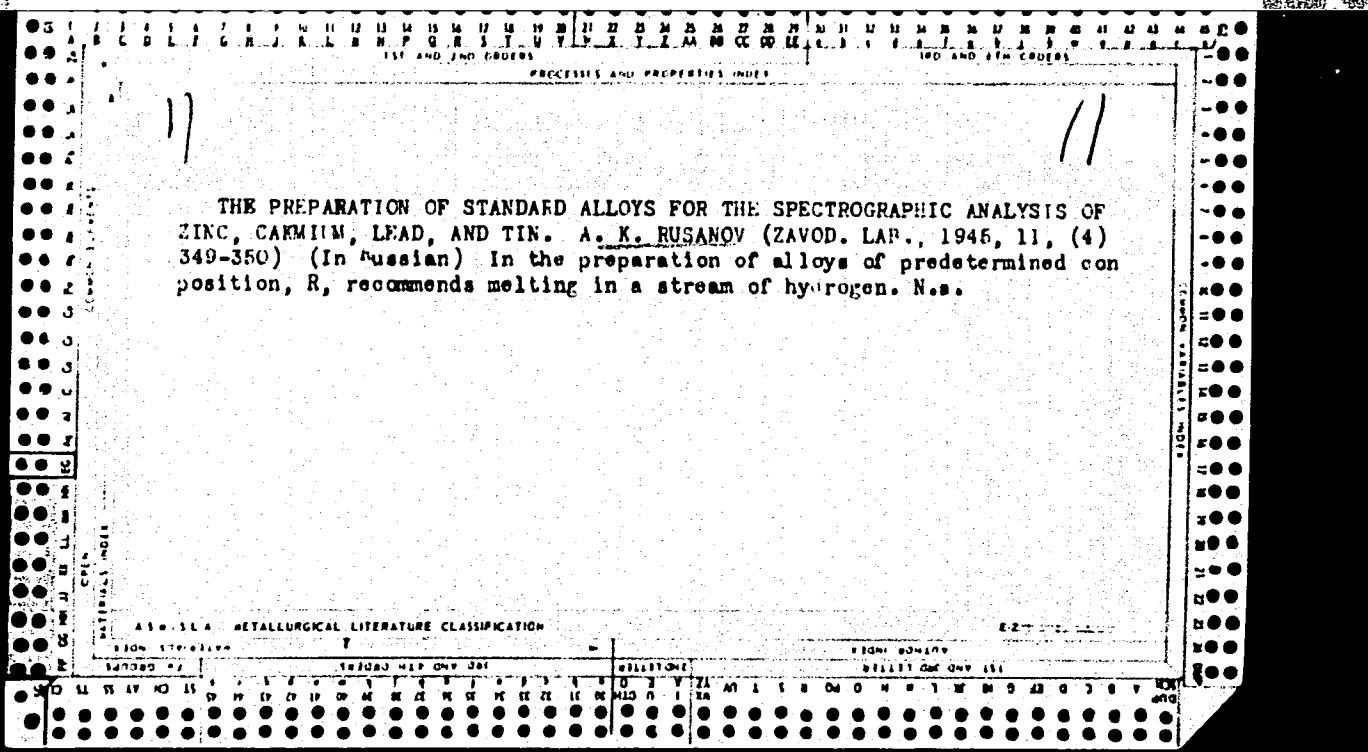
100-A-100-0001		100-A-100-0001	
PROCESSES AND PROPERTIES INDEX			
<input checked="" type="checkbox"/> CROWN ELEMENTS <input type="checkbox"/> OPEN <input type="checkbox"/> MATERIALS MODE	<p><i>BC</i></p> <p>1906. Influence of volatility on the compounds of zinc on the temperature of the arc and the character of the resulting arcs. A. K. Ramanayya. <i>J. Ind. Acad. Sci. U. Rad. S. Phys.</i>, 1946, 8, 707-714. —Spectra photographed on photo-movings at 10 mm. per min. are used to determine the relative rates of evaporation and volatility sequences of elements and compounds present in arcs when the substance (50 mg.) is placed in a hole made in the lower C electrode (positive) of a pair with a 6-mm. gap through which passes a d.c. current of 8 amp. The substances are arranged in series. It was noticed during the work that with a current of 8 amp. and an anode gap of 5 mm. the rate of the evaporation of the substances varied between 40 (for the pure C arc) and 20 v.p. (Chew's passing voltage) as a function of time and mirror images of the curves obtained by plotting the volatility of their constituents which has the heat ionization potential, V_i, in place of v. Hence observation of changes of a parameter, the rate and sequence of evaporation of the constituents is to be controlled to a greater extent. Except in the case of some substances difficult to volatilize, v and V_i for various compounds are linearly related and, since V_i is closely related to the temp. of the C. arc (cf. Ramanayya, <i>Z. Physik</i>, 1947, 60, 239), this temp. can be determined from v. G. S. S.</p>		
AIA-SLA METALLURGICAL LITERATURE CLASSIFICATION		EST. INDEX	
EXCERPT FROM SLA INDEX		EXCERPT FROM SLA INDEX	
SEARCHED	INDEXED	COLLECTED	SEARCHED
SERIALIZED	FILED	FILED	SERIALIZED
1 2 3 4 5 6 7 8 9 10 11 12 13 14 15	1 2 3 4 5 6 7 8 9 10 11 12 13 14 15	1 2 3 4 5 6 7 8 9 10 11 12 13 14 15	1 2 3 4 5 6 7 8 9 10 11 12 13 14 15
W W D D H H N N N N K K P P E E I I	W W D D H H N N N N K K P P E E I I	W W D D H H N N N N K K P P E E I I	W W D D H H N N N N K K P P E E I I

CA

Methods of quantitative spectral analysis of minerals and solutions. XI. Direct determination of cadmium in zinc blende and smithsonites. A. K. Rusanov and V. M. Alekseeva. Zavodskaya Lab. 11, 181-7 (1945); cf. C.A. 38, 6469. Cu (0.02-0.5%) can be detected in Zn blende, smithsonites, CaCO_3 , and MgCO_3 , with a probable error of 9-11% by introducing the mineral on strips of paper into the arc flame and measuring the relative intensities of Cd and Sb spectral lines. The calibration curves were made by plotting the difference in the intensities of the lines Cd 326.05 Å, Sb 3232.6 Å on the Y-axis and the corresponding contents of Cd in the ore on the X-axis. Each point on the calibration curves was the mean of the measurements of 2 spectra of the ores. The presence of 16% galenite in Zn blende had no appreciable effect on the results of spectral analysis. More than 16% of galenite resulted in the displacement of the calibrated curves and higher contents of Cd. The considerable weakening in the intensity of the Sb line in the presence of Pb is caused by the absorption of Sb by the undecomposed particles of the Pb. e. The presence of 8.5% of chalcopyrite in Zn blende had no appreciable effect on the relative intensities of the Cd and Sb lines. The presence of considerable quantities of FeCO_3 in ZnCO_3 has a very small effect on the displacement of the calibration curves. Larger quantities of FeCO_3 displaced the curves considerably. Two references.

W. R. Henn

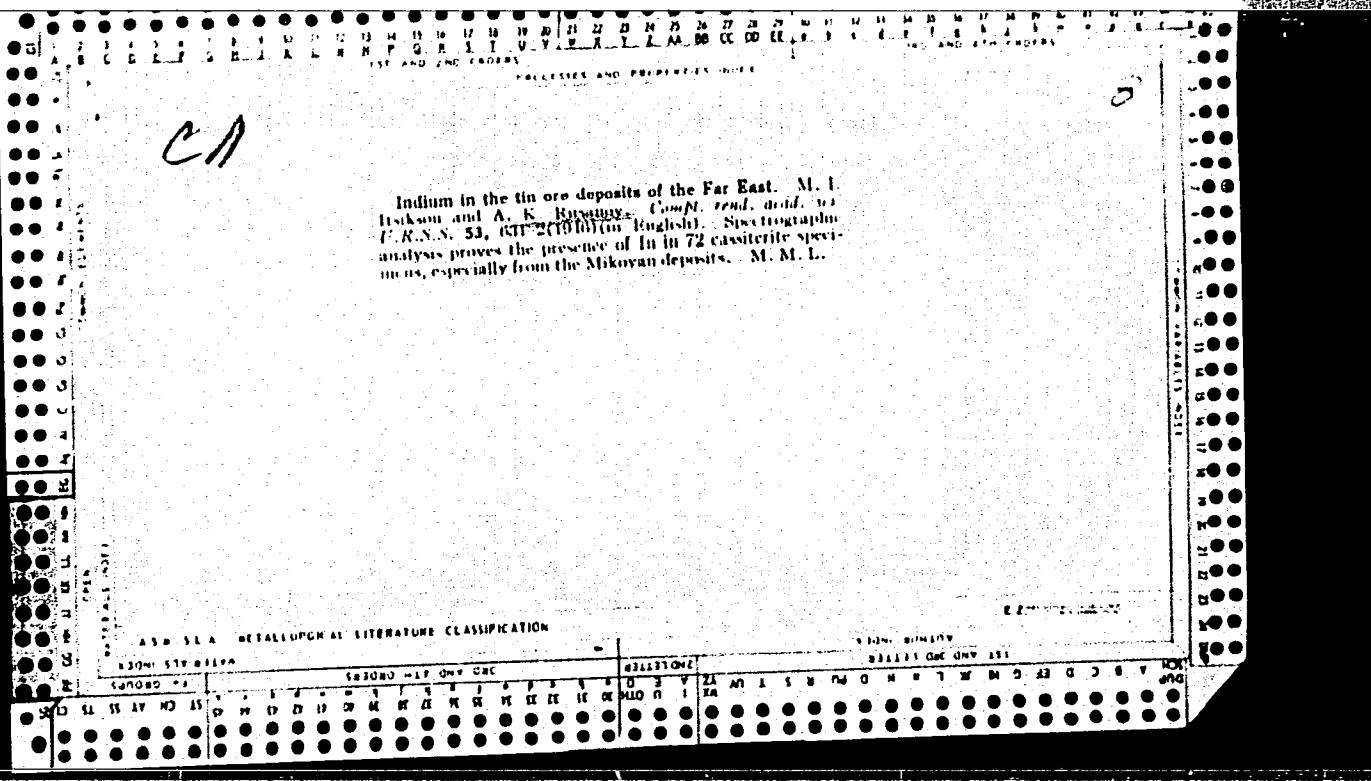
9-15-54
mud



Scattered elements in cassiterite deposits of the Far East. (According to spectral-analytical data). M. I. Itskova and A. N. Ruzanov, *Izv. Akad. Nauk S.S.R., Ser. Geol.* 1946, No. 6, pp. 309-310; *Chem. Zentr.* 1947, 1, 1108. The results of spectral analyses on 72 samples from 21 Sn deposits are reported. V was found in 67 samples in amounts of 0.001-0.01%, Cr was found in 5, and Mo in about 20 in amounts of 0.001-0.1%. The W content was 0.1-1.0%. Cb and Ta occurred with pegmatitic in amounts up to 1.0%. Pb, Ga, and In were always found; Ag, Bi, Sb, Cb, Ta, and Cu were less frequently found.

Ni, Co, As, Zn, and Be were seldom found; and Hf, Ti, Cd, and Cr were still less frequently found. In comparison with other Sn deposits of Russia, those of the Far East are distinguished by the fact that Pb, Ga, In, V, and W are always present and Ge is absent. Mo is typical for pegmatitic, less so for the sulfide-cassiterite deposits. Higher concns. of W, In, and Co occur in the latter.

M. I. Moore



RUSANOV, A. K. Dr. Tech. Sci.

Dissertation: "Spectrum Analysis of Ores and Minerals." All-Union Sci. Res. Inst.
of Mineral Raw Materials. 9 Jul 47.

SO: Vechernyaya Moskva, Jul, 1947 (Project #17836)

RUSANOV, A. K.

PA 24T20

USSR/Electricity
Arcs, Carbon
Electrodes, Carbon

May/Jun 1947

"Process of Vaporizing Elements in a Carbon Arc and Stabilization of the Temperature by the Flame of the Arc," A. K. Rusanov, 8 $\frac{1}{4}$ pp

"Iz Ak Nauk SSSR, Ser Fiz" Vol XI, No 3

Well illustrated with graphs showing the speed of cooling of electrodes of various dimensions, change of the intensity of the copper lines, distribution of temperature along the graphite anode and others. Table shows the relationship of the expansibility of vapors of gold, silver, copper and lead to temperature. Submitted at the All-Union Institute for Mineral Ore. Moscow.

24T20

RUSANOV, A. K.

APPROVED FOR RELEASE: 08/25/2000 CIA-RDP86-00513R001446110015-8"

RUSANOV, A. K. Spektral'nyy analiz rud i mineralov. 1947. 259p and 14 charts.
A reference book on spectral analysis of ore and minerals, including apparatus and materials, quantitative and qualitative spectral analysis, practical directions for establishing elements in ores, etc; published as a Government Edition on Geology.

CA

7

Spectroanalytical determination of rare alkali metals in minerals with the aid of a flame. M. A. Rivkina and A. K. Rusanov. *Izv. Akad. Nauk S.S.R., Ser. Fiz.* 12, 467-70 (1948).—In a C₂H₆-air flame, lines of the alkali metals in pollucite (Cs, Rb, Na, Li, K), (Sr, RbO₂)₂O appear only if the sample is fused with Na₂CO₃ + 20% Na₂B₄O₇. Rb is conveniently detd. against In as standard, by the line pairs Rb 4201.8-In 4101.0, for Rb 0.07-2.9%, mean probable error 4.1%; for Cs 0.06-5.0%, by Cs 4555.3-In 4511.5 Å, error 4.0%; and for Cs 0.18-5.0%, by Cs 4583.2-In 4511.5, error 3.7%. N. Thor

RUSANOV, A. K.

APPROVED FOR RELEASE: 08/25/2000 CIA-RDP86-00513R001446110015-8

Spectrum Analysis

"Determination of Small Quantities of Beryllium in Solutions and Alumino-Magnesium Alloys by Spectrum Analysis," E. V. Gusyatinskaya, A. K. Rusanov, State Inst. of Rare and Fine Metals, 3 pp

"Iz Akad. Nauk SSSR, Ser. Fiz." Vol XIII, No 4, 1948

Applied method of spectrum analysis using a preliminary introduction of the metal into a solution to determine beryllium in aluminum, magnesium, and their alloys. Placed 0.1 g of the metal in a graduated test tube and dissolved in 2 ml of

53/49276

USSR/Metals/Minerals (Contd)

Jul/Aug 48

HCl. Used measurements of the relative intensities of beryllium and cadmium (0.1% cadmium chloride in every solution) to determine beryllium in the solution.

53/49176

RUSANOV, A. K.

57/49T13

USSR/Chemistry - Beryllium - Mar/Apr 49
Detection

Chemistry - Spectral Analysis

"The Identification of Small Quantities of
Beryllium in Solutions and Aluminum and Magnesium
Alloys by Spectral Analysis," E. V. Gusyatinskaya,
A. K. Rusanov, State Inst of Rare and Fine
Metals, 81 pp

"Zhur Anal Khim" Vol IV, No 2

Probability of error using new rapid method is
+ 5%. Studies effect on results of analysis
or changes in the ratio of magnesium to aluminum

57/49T13

USSR/Chemistry - Beryllium
Detection (Contd) Mar/Apr 49

In the alloys, content of hydrochloric acid in
solutions, spark discharge time, and magnitude
of spark gap. This accelerated method permits
analysis of approximately 30 solutions in one
day. Submitted 13 Apr 48.

57/49T13

B.A.

74

Chemical topography of micro-elements in the human brain as determined by spectral analysis. A. O. Volnar and A. K. Rusanov (*Biochimia*, 1949, 14, 102-106).—Spectral analysis of the ash of human brain showed the presence of Ag, Al, Bi, Cr, Cu, Mn, Mo, Ni, Pb, Si, Sn, Ti, V, and Zr. Mo occurs only in the sensory cortex, Cr chiefly in the caudate nucleus, Si and Ni chiefly in the substantia nigra. The approximate distribution of the other elements mentioned is also given.

D. H. SMYTH.

Chair Biochem. Med. Inst., Staline (Donets Basin) and All-Union Inst. Mineral Ores, Moscow.

JSSR/Chemistry - Analytical Methods
Photometry

Apr 50

"Photometric Flame Method for Determination of Sodium and Potassium in Solutions," A. K. Rusanov, E. V. Gus-yatskaya, N. V. Il'yasova, 7 pp

"Zavod Lab" Vol XVI, No 4 - 1947-53

Use of acetylene flame for spectrum excitation in determining sodium and potassium eliminates use of monochromators, allows separation of lines of these elements with aid of light filters installed before photocells. Amplification of photoelectric currents, most difficult part of process, may be omitted. In this

160T10

JSSR/Chemistry - Analytical Methods (Contd)

Apr 50

case. Simple apparatus for rapid determination of sodium and potassium gives possibility of determining these elements in several minutes in cases of their simultaneous presence in solutions.

160T10

Rusanov, A.K.

SHAYLIKOV, A.S.; KAZANTSEV, G.V.; PROSKURIN, N.V.; RUSANOV, A.K., redaktor;
STEPANOVA, L.S., redaktor; POPOV, N.D., tekhnicheskij redaktor.

[Work practices in the spectrum analysis laboratory of the Geological
Administration] Opyt raboty spektral'noi laboratorii geologicheskogo
upravlenii. Moskva, Gos.nauchno-tekhn.izd-vo lit-ry po geologii i
okhrane nedr, 1954. 1954. 26 p. (Trudy laboratorii geologicheskikh
upravlenii, trestov, ekspeditsii i parti, no.5) (MLRA 10:4)
(Spectrum analysis)
(Chemical laboratories)

RUSANOV, A. K.

USSR/ Chemistry - Spectral analysis

Card 1/2 : Pub. 145 - 1/14

Authors : Rusanov, A. K., and Alekseyeva, V. M.

Title : Horizontal DC-arc as a source of excitation of the spectrum of
ores and minerals

Periodical : Zhur. anal. khim. 9/4, 183-192, Jul-Aug 1954

Abstract : The applicability and advantage of a horizontal carbon-arc, placed
between two charged puncture-electrodes and used as a source of
excitation of ore and mineral spectra, are described. The general
law governing the symmetrical distribution of intensities of arc
and spark lines of elements in a horizontal DC-arc, which depends
very little upon the properties of the elements and volatility of
the compounds, was established.

Institution : All-Union Scientific Research Institute of Mineral Raw Materials,
Moscow

Submitted : April 8, 1954

Periodical : Zhur. anal. khim. 9/4, 183-192, Jul-Aug 1954

Card 2/2 : Pub. 145- 1/14

Abstract : The distribution of line intensities in an arc flame, based on measured temperature distribution and relative atom concentration in the arc, is explained. Eight references: 7-USSR and 1-German (1930-1952). Graphs; drawings.

"APPROVED FOR RELEASE: 08/25/2000

CIA-RDP86-00513R001446110015-8

APPROVED FOR RELEASE: 08/25/2000

CIA-RDP86-00513R001446110015-8"

USSR/Chemistry - Spectral analysis

Card 1/1 Pub. 43 - 73/97

Authors : Rusanov, A. K.

Title : Horizontal AC-arc as a source of excitation of spectra of ores and minerals

Periodical : Izv. AN SSSR. Ser. fiz. 18/2, page 288, Mar-Apr 1954

Abstract : The author investigated the possibility of utilizing a carbon arc (AC-arc, 220 v. 15 amp), between horizontal electrodes during the analysis of ores and minerals with the addition to the latter of SrSO_4 mixed with carbon powder for the purpose of stabilizing the flame temperature. The suitability of this method for quantitative spectral analysis of powdery samples was confirmed experimentally.

Institution : The All-Union Institute of Mineral Raw Materials

Submitted :

RULSANOV, A.K.

V Determination of hafnium and zirconium by optical spectrum analysis. Z.V. Gudat-kaya and A.K. Rusanov (All-USSR Inst. Mineral Deposits, Moscow). Zhur. Anal. Khim. 10, 75-85 (1955); J. Anal. Chem. U.S.S.R. 10, 67-76 (1955) (Engl. translation).—Detsn. of Hf and Zr in a C arc and a spark discharge are described. When Hf and Zr were detsd. in the presence of other elements, as is the case in ores and minerals, fractionation of the elements caused changes in the arc temp. which in turn affected the intensity of the Hf and Zr lines. In order of their vaporization, the elements studied were arranged as follows: As, Cd, Zn, Bi, Pb, Sb, Na, B, Sn, Mo, W, U, Th, Nb, Ta, Hf, and Zr. Attempts at stabilizing the arc temp. with addns. proved unreliable. When only Hf and Zr were present, the C arc gave satisfactory results. In the presence of other elements detsn. of Hf and Zr was difficult. For spark-discharge detsn. ZrO₂ and HfO₂ were freed of their admixts. and thoroughly mixed with sponge Ag by using Ag:75 and oxides 25%. The mixt. was pressed into rods of 4-mm. diam. and briefly heated at approx. 800°. To conserve Hf and Zr they were incorporated only in 1-1.5 mm. of the electrode, the rest being pure Ag. This method of detsn. Hf in Zr and Zr in Hf over a wide range of concns. gave good results.

M. Hoseh

✓

(1)

RUSANOV, A. K.

Spectroscopic analysis of powdered substances by feeding the powder into the discharge zone by means of air. A. K. Rusanov and T. I. Tarasova (All-Union Sci. Research Inst. Mineral Deposits, Moscow). *Zhur. Anal. Khim.* 10, 207-75 (1955).—An app. is described by means of which a powd. sample is down-fed into the discharge zone between 2 electrodes. The advantage of this procedure is better reproducibility of results. Where the sample is placed inside a depression of an electrode the rate of vaporization of the constituents varies which also causes the temp. of the arc to fluctuate, both factors affecting the intensity of spectrum lines. Feeding the sample directly into the discharge obviates these difficulties. The rate at which the sample flows into the discharge is of importance and this phase is discussed at length. M. Horsch. (1)

RUSANOV, A.K.; RUSYATSKAYA, E.V.; IL'YASOVA, N.V.

Atlas of spark and arc spectra of elements (range 2100--6600 Å).
Izv. AN SSSR. Ser. fiz. 19 no.1:44-45 Ja-F '55. (MIRA 8:9)

1. Vsesoyuznyy institut mineral'nogo syr'ya
(Spectrum analysis) (Spectrometer)

RUSANOV, A.K.

Changes in the thermal conditions of excitation in arc spectrum
analysis of ores and minerals. Izv. AN SSSR. Ser. fiz. 19 no.1:
106-113 Ja-F '55. (MIRA 8:9)

1. Vsesoyuznyy institut mineral'nogo syr'ya
(Spectrum analysis) (Spectrometer)

POLYAKOV, P.M.; RUSANOV, A.K.

Spectrum analysis for determining impurities in vanadium pentoxide.
Izv.AN SSSR.Ser.fiz.19 no.2:180-182 Mr-Ap '55. (MLRA 9:1)
(Tartu --Spectrum analysis--Congresses)

KODAK SAFETY FILM

Spectrophot. Determination. Exponents in varied am.

M. P. D. S. A. 1000

Exponents in varied am.

On the basis of the present knowledge of the variation of the absorption coefficient with wavelength, it is difficult to estimate the spectrum and absorption coefficient over a considerable interval of wavelength. The figure $\Delta \log_{10} \text{log}_{10} \text{absorbance}$ is plotted against $\log_{10} \text{wavelength}$ in the range $\lambda = 3500 \text{ to } 4500 \text{ Å}$ with a probability of about 12% that the curve will be linear with a slope of -1.5 ± 0.5 . The value of $\Delta \log_{10} \text{log}_{10} \text{absorbance}$ is plotted against $\log_{10} \text{wavelength}$ in the range $\lambda = 3500 \text{ to } 4500 \text{ Å}$ with a probability of about 12% that the curve will be linear with a slope of -1.5 ± 0.5 .

The following values are obtained:

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 4.0$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 4.2$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 4.4$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 4.6$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 4.8$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 5.0$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 5.2$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 5.4$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 5.6$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 5.8$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 6.0$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 6.2$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 6.4$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 6.6$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 6.8$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 7.0$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 7.2$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 7.4$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 7.6$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 7.8$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 8.0$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 8.2$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 8.4$

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$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 8.8$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 9.0$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 9.2$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 9.4$

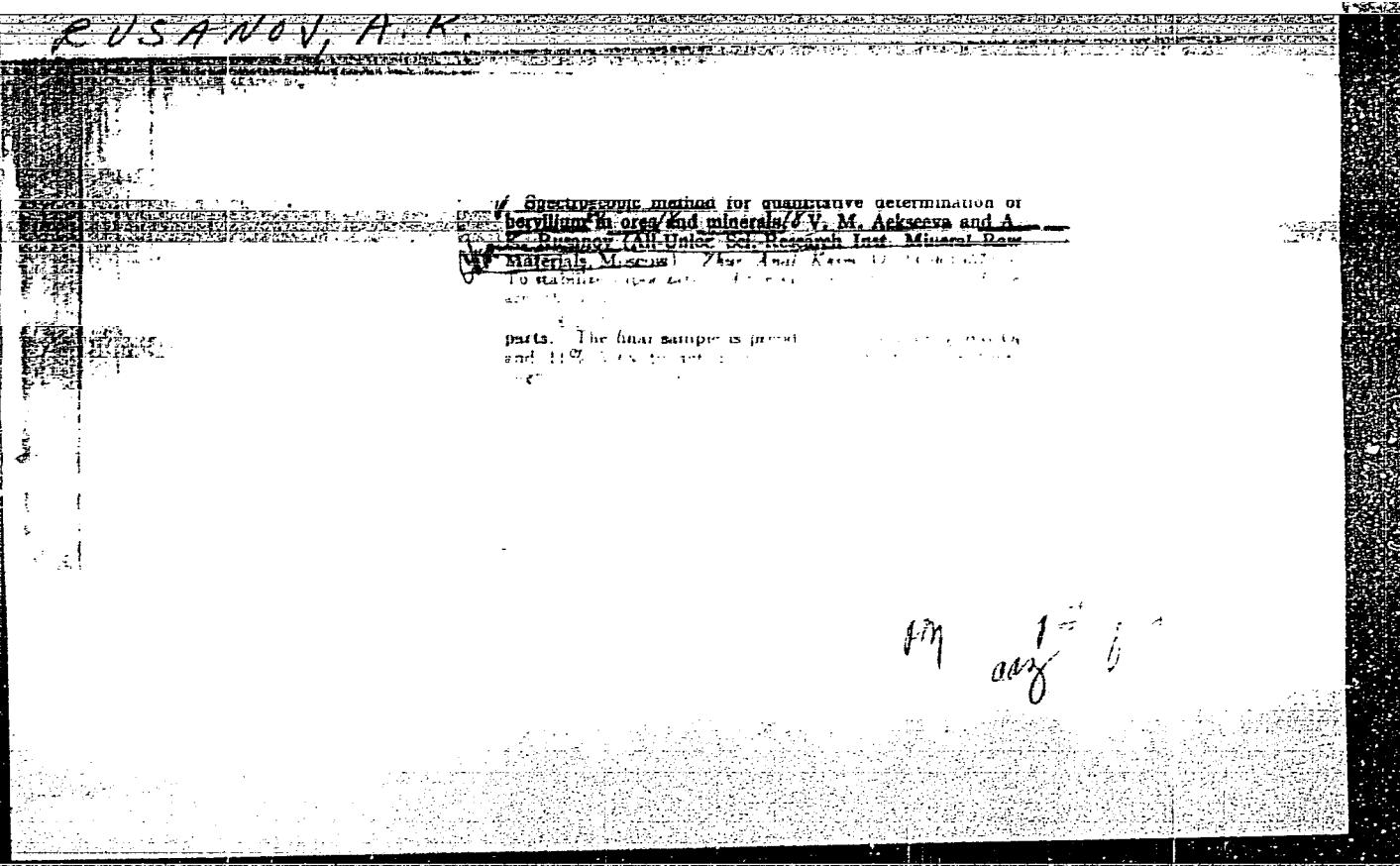
$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 9.6$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 9.8$

$\Delta \log_{10} \text{log}_{10} \text{absorbance} = -1.5 \pm 0.5$ at $\log_{10} \text{wavelength} = 10.0$

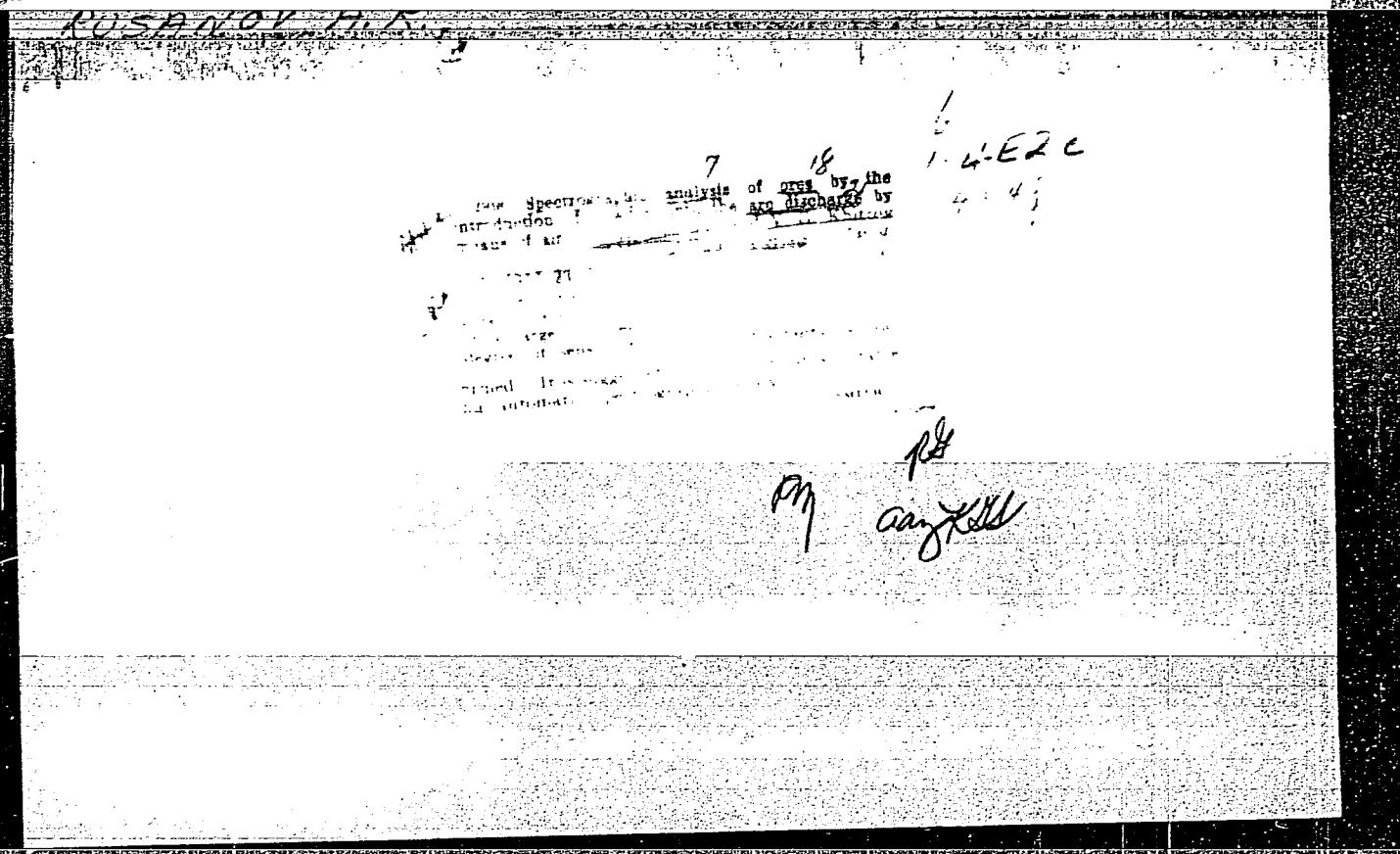
KALININ, S.K.; NAYMARK, L.E.; MARZUVANOV, V.L.; ISMAGULOVA, K.I.;
RUSANOV, A.K., professor, doktor tekhnicheskikh nauk, redaktor;
POTAPOV, V.S. redaktor izdatel'stva; GUROVA, O.A., tekhnicheskiy
redaktor

[Atlas of spectrum lines for a glass spectrograph; explanatory
text and 26 diagrams] Atlas spektral'nykh linii dlia stekliannogo
spektrografa; poiasnitel'nyi tekst i 26 planshetov. Pod red.
A.K. Rusanova. Moskva, Gos. nauchno-tekhn. izd-vo lit-ry po geol.
i okhrane nedr, 1956. 45 p., 26 l. (MLRA 10:4)
(Spectrum analysis--Tables, etc.)



"APPROVED FOR RELEASE: 08/25/2000

CIA-RDP86-00513R001446110015-8



APPROVED FOR RELEASE: 08/25/2000

CIA-RDP86-00513R001446110015-8"

RUSANOV, A. K.

The spectrographic analysis of the rare earth elements,
P. M. Polyakov and A. K. Rusanov, Zavodskay Lab. 23,
604-9 (1957).—The mixtures were dissolved in redistd. HNO₃
before testing and ignited at 700° in a muffle furnace for
30 min. Pr, Nd, Sm, and Er can be tested by measuring
their absorption spectra in aq. solns. Directions were de-
veloped for the detn of V and Yb in a mixt. of rare earths
the admixt. in La (99.98% pure) with Pb, Sr, Bi, Sb, and
Cd not exceeding $\delta \times 10^{-4}\%$. The analytical lines of the
impurities were detd. from their spectra and a table was
given for the absorption bands of Pr, Nd, Sm, and Er in
their aq. solns. W. M. Sternberg

-74
1-4E&C
1-1E3d

M.T.

82

AUTHOR: Shmanenkov, I. V., Professor, Deputy Director 32-1o-14/32

TITLE: Comments

PERIODICAL: Zavodskaya Laboratoriya, 1957, Vol 23, Nr 1o, pp 1186-1186 (USSR).

ABSTRACT: In his report on the occasion of the 40th anniversary of the October revolution, the author states that Soviet geology made great endeavors under Soviet rule in order to procure the necessary sources for the industry of this country. These successes were achieved by Soviet geologists by applying complex investigation methods with respect to the mineral resources of the earth besides a thorough investigation of their occurrence. The means applied for this purpose were the following: mineral-petrographic, petro-chemical, chemico-analytic, spectroscopic, luminescent, radiographic, physico-mechanical, physico-chemical, chemical-technological, and other methods. The foundation of this branch of science was laid by M. V. Lomonosov, the afore-mentioned methods were, however, only rarely applied in pre-revolutionary Russia, above all because of the lack of means and adequate laboratories. Only the "Soviet-times" fully contributed to this development. This was manifested above all in the prodigious development of the industrial branches concerned with the production of: aluminum, nickel, cobalt, molybdenum, titanium, vanadium,

Card 1/3

Comments

32-lo-14/32

and rare metals. Soviet geologists at present mostly apply chemical and spectroscopic analysis and frequently also combinations of these two methods. The perfection of technical work in the laboratories plays an important rôle due to which up to 500 to 600 tests can be carried out on a spectrograph, during one shift. Spectral analysis is not only applied in central laboratories, but also in the field-laboratories of expeditions which contributed especially to the discovery of new occurrences, above all indium, gallium, thallium, germanium, and other very much dispersed rare elements. The most important scientists in this report are the following: A. K. Rusanov (Allunion institute of scientific researches in geology), N. F. Zakhariya (Ukrainian branch of the institute of rare metals), and Ya. D. Reikhbaum (Branch of the institute of rare metals in Irkutsk), and others. An important rôle is attributed here also to the development and application of the methods of chemical analysis, especially as regards the application of organic reagents, polarography, photocolorimetry, and luminiscence. The most important Soviet scientists in this field mentioned in this report are: B. G. Karpov, Yu. V. Morachevskiy, Yu. N. Knipovich, M. I. Chervyakov, K. C. Viskont, I. P. Akimar, V. I. Lisitsyn, V. I. Kuznetsov, and E. A. Ostroumov (Allunion institute of mineral raw materials). The following Soviet scientists distin-

Card 2/3

Comments

32-10-14/32

guished themselves particularly with respect to the discovery of new sources of raw materials: V. S. Syrokomskiy, who discovered occurrences of vanadium in the Ural-district, V. A. Nazarenko, who elaborated a new high-sensitive method of colorimetric qualitative analysis of germanium which led to the discovery of several occurrences of germanium. Concluding his report, the author says, that the Soviet scientists are expected to solve the problems of full automation on the strength of the introduction of the latest physical achievements in Soviet laboratories.

ASSOCIATION: Vsesoyuznyy institut mineral'nogo syr'ya (All-Union Institute of Mineral Raw Materials)

AVAILABLE: Library of Congress
1. Science-USSR-Progress

Card 3/3

VOROB'YEV, V.S.; RUSANOV, A.K.

Spectrographic and quantometric analysis of solutions and
silicate rocks after the solubilization of samples. Zhur.
anal. khim. 19 no.3;286-292 '64. (MIRA 17:9)

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32-11-21/60

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TITLE:

Spectral Analysis of Beryllium (Spektral'nyy analiz berilliya)

PERIODICAL:

Zavodskaya Laboratoriya, 1957, Vol. 23, Nr 11, pp.1320-1323 (USSR)

ABSTRACT:

A direct determination of the concentration of the admixture, which is small after the sample changed from the metal- into the oxide form, was carried out without any sort of preparation. This method was comparatively well developed (in the USSR) between 1948 and 1951, and is widely in use as a means of control in laboratories and industrial plants. In the first stage of beryllium production the half-volume evaluation of several elements is employed. In finishing production it is sufficient to determine the elements B, Ni, Cu, Pb, Sn, W, Mo, Zn, Ba, Na, K, Li, Al, Fe, Si, Mg, Mn, Cr and Ca; for the determination of the others the method developed by Smith and Fassel (1) is used. In the chapter dealing with preparation of samples for analysis and preparation of standard mixtures these processes are described. In the former case a beryllium dose is burnt in a small quartz can in a "Mars" furnace under the influence of the mixture of oxygen and steam (within 2 hours at 900°), after which it is chemically oxidized. In the case of a content of boron the latter is determined according

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to a special method (2). The standard mixtures are obtained by mixing the base with the oxides of the corresponding elements in a certain proportion. Each of the following standards is diluted 3-fold by the addition of the basis substance, the last series being prepared by dilution with water and by the solutions of the nitrogenous acid salts of the alkali elements. In the chapter: Half-volume evaluation of admixtures in beryllium it is said that in this case the spectrum is photographed twice: First with respect to easily volatile elements, and then with respect to such as occur in the arc in the middle and at the end of the experiment. A table is given. The chapter: Determination of admixtures by volume describes this process. Boron, chromium, and tin is determined by separate vaporization from one sample. The process is based upon the difference in the vapor pressure of various elements and the basic substance. In individual cases so-called carriers of these effects were used, i.e. admixtures by which this effect is accentuated. In this case special graphite electrodes are used, which are shown in form of a drawing. In the chapter: The determination of alkali elements and elements of alkaline earths it is pointed out that when determining lithium and potassium beryllium oxide with admixtures of various portions of sodium carbonate are

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