

PONOMEREV, Fedor Gavrilovich; SOLOVETCHIK, Mikhail Zakharovich;
SHISHINKOV, Ye.S., red.

[Aid for ticket and baggage cashiers] Poscoble bilettabagazhnomu kassiru. Moskva, Transport, 1965. 263 P.

(MIRA 18:3)

SHISHMAKOV, V.; SAPATOV, P.

Superheterodyne with crystal triodes. Radio no.12:50-52 D '55.

(MIRA 9:4)

(Radio--Receivers and reception) (Triodes)

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05211 S0V/142-2-3-19/27

(2,3) **X**UTHOR:

Shishmakov, V.N., (Moscow)

TITLE:

The Terminology in the Field of Transistor Electronics

PERIODICAL:

Izvestiya vysshikh uchebnykh zavedeniy, Radiotekhnika, 1959, Vol

2, Nr 3, pp 376-377 (USSR)

ABSTRACT:

The author refers to the article by T.M. Agakhanyan, B.N. Kononov and I.P. Stepanenko, titled "The Terminology in the Field of Transistor Electronics", published in Izvestiya vysshikh uchebnykh zavedeniy, Radiotekhnika, 1958, Vol 1, Nr 4. He presents his opinions in the same arrangement as in the aforementioned article, dealing with General Problems, Junctions and Contacts, Diodes, Triodes and Circuit Problems. The author recommends the term "poluprovodnikovyye pribory" (semiconductor devices) instead of "tranzistornaya elektronika" (transistor electronics) since "transistors" are usually controlled triodes or tetrodes. Similar suggestions were made for junctions and contacts, diodes and triodes.

card 1/1

As far as circuits are concerned the author recommends distin-

guishing between emitter or base input, etc.

SUBMITTED:

February 12, 1958

PHASE I BOOK EXPLOITATION SOV/5521

.Kobzev, V.V., and V.N. Shishmakov

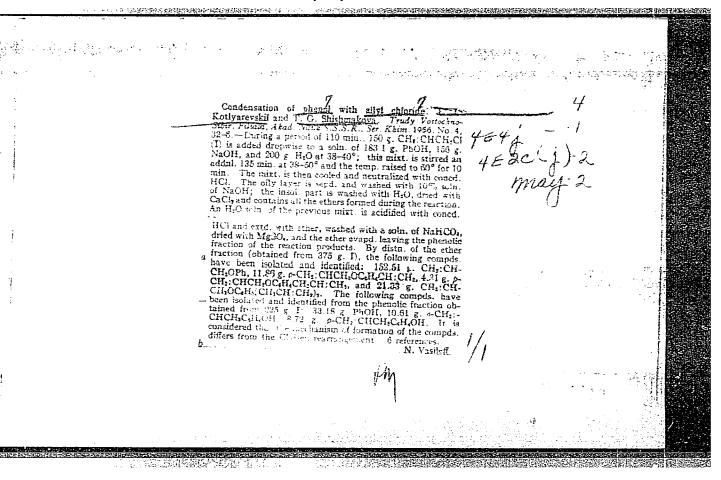
Kaskady radiopriyemnikov na tranzistorakh (Cascades of Transistorized Radio Receivers)
Moscow, Gesenergoizdat, 1960. 271 p. 17,000 copies printed.

Ed.: Ya.A., Fedotov; Tech. Ed.: G.Ye. Larionov.

PURPOSE: This book is intended for technical personnel engaged in the development of radio receiving equipment. It may also be useful to students of radio engineering in schools of higher and secondary education.

COVERAGE: The book presents the basic principles of the design and calculation of cascades in transistorized radio receivers. Physical processes occurring in semiconductor devices and the basic relationships of semiconductor parameters to on the conditions, temperature, and frequency are briefly described. The actionships of them N.I. Chistyakov, Professor, Doctor of Technical Sciences, and Ya.A. Feditor, Candidate of Technical Sciences, for their advice. There are 66 references: A5 Soviet (including 13 translations), 20 English, and 1 French.

Caid 1/6

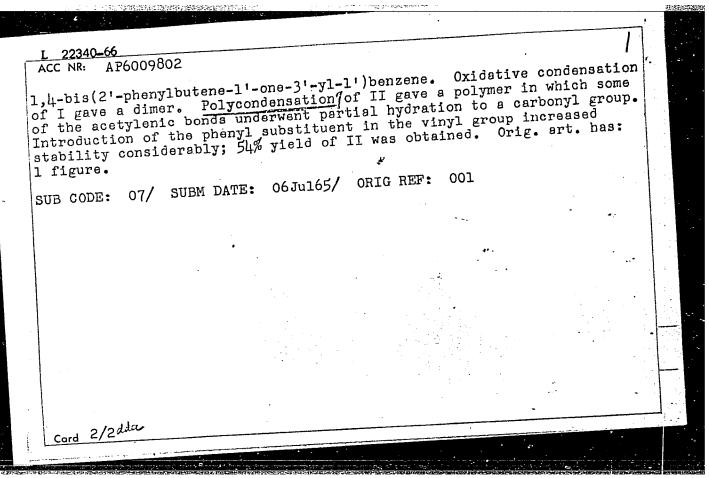


BARRI PROVA, M.I.; SHISHMAKOVA, T.G.; KOTLYAREVSKIY, 1.1.

4-Hydroxy-4'-ethynylazobenzene. Izv. AN SSSR. Ser. khim. no.9: 1674-1675 '65. (MIRA 18:9)

1. Institut khimicheskoy kinetiki i goreniya Sibirskogo otdeleniya AN SSSR.

22340-66 ENT(m)/E/IP(j)/T RM AP6009802 UR/0062/66/000/002/0360/0362 98 SOURCE CODE: Shishmakova, T. G.; Bardamova, M. I.; Kotlyarevskiy, I. L. AUTHOR: ORG: Institute of Chemical Kinetics and Combustion, Siberian Department of the Academy of Sciences, SSSR (Institut khimicheskoy kinetiki i goreniya Sibirskogo otdeleniya Akademii nauk SSSR) TITLE: Synthesis of vinylacetylene aromatic hydrocarbons from unsaturated ketones SOURCE: AN SSSR. Izvestiya. Seriya khimicheskaya, no. 2, 1966, 360-362 TOPIC TAGS: aromatic ketone, aromatic hydrocarbon, alkyne, polycondensation ABSTRACT: The stabilizing effect on aromatic vinylacetylenes of introducing a phenyl radiacal in the vinyl group and of substituting the monophenyl with a diphenyl group were investigated. Mono- and divinylacetylene derivatives of aromatic hydrocarbons were synthesized by reacting unsaturated aromatic ketones with PClg and NaNH2. l-biphenylylbutene-l-ine-3 (I) was synthesized from p-phenylbenzalacetore and l,4-bis(2'-phenylbutene-l'-ine-3'-yl-l')benzene (II), from Card 1/2 UDC: 542.91+547.362



#### "APPROVED FOR RELEASE: 08/23/2000

#### CIA-RDP86-00513R001549610017-7

L 29366-66 EnF(j), EnT(m), T IJE(c) nM ACC NR: AP6017879 (A) SOURCE CODE: UR/0062/66/000/005/0909/0914 AUTHOR: Kotlyarevskiy, I. L.; Bardamova, M. I.; Shishmakova, T. G. ORG: Institute of Chemical Kinetics and Combustion, Siberian Department, Academy of Sciences SSSR (Institut khimicheskoy kinetiki i goreniya Sibirskogo otdeleniya Akademii nauk SSSR) TITLE: Highly unsaturated polymers. Communication 17. Synthesis of mono- and di-ethynylvinyl derivatives of benzene and oxidative condensation thereof SOURCE: AN SSSR. Izvestiya. Seriya khimicheskaya, no. 5, 1966, 909-914 TOPIC TAGS: organic semiconductor, semiconducting polymer, polyacetylene, polyvinyleneacetylene New unsaturated polymers \V (see below) with alternating double and triple bonds in the backbone have beep prepared by a new route. It is noted that the polymers previously prepared by the authors,  $[(C = C)_m - Ar - (C = C)_m]_n$ where m = 1 and 2, contained diacetylene and tetraacetylene bonds in the backbone. To determine the difference between the effect on properties of double and triple bonds, it was of interest to prepare such polymers in which triple bonds would be UDC: 547.362+542.952

L 29380-66 ACC NR: AP6017879

partly or fully replaced by double bonds. Polymer V was prepared as follows:

$$II_{\theta}CCOCII = CII - CO - CH_{\theta} \xrightarrow{PCI_{\theta}}$$

$$(VII)$$

$$\rightarrow \begin{bmatrix} II_{\theta}C - CCI_{\theta} - CII = CII - CCI_{\theta} - CII_{\theta} \end{bmatrix} \xrightarrow{N_{\theta}N_{II_{\theta}}}$$

$$\rightarrow IIC = C - CII = CII - C = CII = CII - C = CII_{\theta}$$

$$(VI)$$

$$II \begin{bmatrix} -C = C - CII = CII - C = C \end{bmatrix} \xrightarrow{CII = CII - C} - CH = CH - C = C - CII = CII - C$$

$$(V)$$

Polymer V was a brown powder. It gave a narrow, intense EPR signal which indicates continuous conjugation in the backbone. Elemental analysis and IR spectroscopy indicated the presence of some carbonyl substituents, apparently due to hydration of end-group triple bonds. To determine the effect on properties of the removal of the double bonds in V, polymer IX was prepared as follows:

$$H_{g}C-CO-CH=CH-CH-CO-CH_{g} \xrightarrow{H_{g}} H_{g}$$

$$-CH=CH-CO-CH_{g} \xrightarrow{Pd/GaGO_{g}} H_{g}$$

$$-CH=CH-CO-CH_{g} \xrightarrow{PGI_{g}} -CO-CH_{g} \xrightarrow{PGI_{g}} H_{g}$$

Card 2/3

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L 2938	6-66		1
ACC N	R: AP6017879	GEC-GH <sub>3</sub> —CH	ntinuous vinyl- [SM]
SUB	3 CODE: 07/ SUBM DATE.		
Ca	rd 3/3 CC		i - <u>i</u>

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SHERMAN, D. 1.

Windowski, A. J., Resprey, R. A., and Shishman, B. V. "An investigation of the impluse at willty of the insolation of rotary electrical decrime, a rady Leningr. politekhn. in-ta im. Kalinina, 19h6, No. 3, p. 180-40.

SD: U-3/36, 21 Nay 53, (Letopis 'Zharnal 'ayan Statey, no. 18, 19h).
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SHISHMAN, D.V.

O4922 Shishman, D.V. Velichina Napryazheniya Povavleniya Skol zvashchikh Razryadov Po Poverkhosti Tvordogo Dielektrika V Transforratornom Masle. Vestnik Elektroprom-sti, 1949, No. 7, S. 19-24

1. Svetoteknnika

So: Letopis! No. 33. 1949

Chinal Charles and American State of the Company of

SHISHMAN, D. V. PA 171T26

USSK/Electricity - Lightning Protection Oct 50
Networks, Low-Voltage

"Damage From Storms, and Protection of Rural Low-Voltage Networks," K. M. Semchinov, Engr, D. V. Shishman, Cand Tech Sci, Leningrad Affiliate, All-Union Inst for Electrification of Agr

"Elektrichestvo" No 10, pp 37-39

Analyzes overvoltages in subject networks in Leningrad Oblast due to storms in 1948-49. Discusses protection of these networks from atmospheric overvoltages and recommends testing certain protective measures for internal-wiring systems in houses.

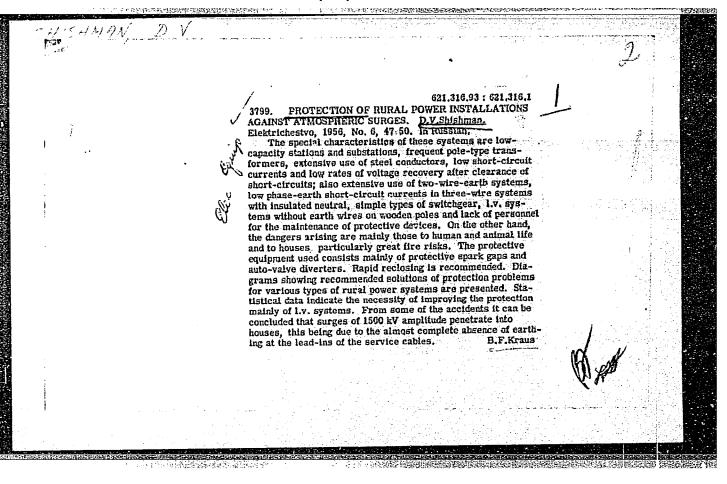
FDD 171T26

"Simplified method of routine testing vilit" lightning arresters.
Elek.sta. 25 no.9:39-43 S '54. (MLRA 7:9)

(Lightning arresters)

#### "APPROVED FOR RELEASE: 08/23/2000 CIA-

CIA-RDP86-00513R001549610017-7



MEKHOVA, N.N., inzhener; SHISHMAN, D.V., kandidat tekhnicheskikh nauk.

Possibility of maintenance tests on vilite arresters at below-freezing temperatures. Elek.sta. 27 no.9:60-61 S '56. (MLRA 9:11)

(Lightning protection)

APPROVED FOR RELEASE: 08/23/2000 CIA-RDP86-00513R001549610017-7"

SHISHMAN, D.V., kand.tekhn.nauk

Some data on the electric conductivity of silicon carbide powder.

Trudy GIEKI no.2:121-133 '57. (MIRA 11:7)

(Electric conductivity) (Silicone carbide)

8(2) SOV/112-58-3-3982

Translation from: Referativnyy zhurnal. Elektrotekhnika, 1958, Nr 3, p 73 (USSR)

AUTHOR: Shishman, D. V.

TITLE: Carrying Capacity of Working Resistors in Modern Valve-Type Lightning Arresters (Propusknaya sposobnost' rabochikh soprotivleniy sovremennykh ventil'nykh razryadnikov)

PERIODICAL: Tr. Gos. issled. elektrokeram. in-ta, 1957, Nr 2, pp 133-141

ABSTRACT: Investigations conducted by manufacturing plants and scientificresearch institutes have permitted a considerable rise in the carrying capacity
of working resistors (vilit disks) of valve-type lightning arresters. As a rule,
the vilit-disk carrying capacity decreases with an increase in the disk
resistance. A high-temperature firing results in a higher resistance of the
disk due to the oxidation of carborundum grains. The voltage drop across
individual carborundum grains and across the contacts between them increases
while the carrying capacity decreases. The disk-resistance increase also

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8(2) SOV/112-58-3-3982

Carrying Capacity of Working Resistors in Modern Valve-Type Lightning Arresters takes place when it is prepared from a lower-conductivity carborundum. In this case, too, the voltage drop across the individual grains and grain-to-grain contacts increases. With the disk prepared from finer carborundum grains, the residual voltage across the disk also increases. The presence of a small number of larger carborundum grains in the disks results in the fact that the larger grain contacting several smaller grains passes a heavy current; this, in turn, results in a damage to the larger grains and, therefore, in a lower disk carrying capacity. The disk carrying capacity also materially depends on the quality of its molding and the moisture content of the molding mass. Even if the mass were placed in the mold in a uniform manner, it is, nevertheless, less compressed around the disk edge, as the mass is partly squeezed into the gap between the insert and the mold; the maximum electric-field concentration also occurs at the edge of the metallized area, and the disk breakdown usually occurs there. If the disk is prepared from the mass with a

Card 2/3

8(2)

SOV/112-58-3-3982

Carrying Capacity of Working Resistors in Modern Valve-Type Lightning Arresters low moisture content, the cohesion between the carborundum grains is poor. The disk carrying capacity can be increased by: (1) firing the disk at a normal temperature; (2) manufacturing the disk from a higher-conductivity carborundum; (3) segregating larger grains from the carborundum powder; (4) using a harder pressure around the disk edges; (5) molding the disk from a sufficiently moistened mass. Bibliography: 4 items.

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Card 3/3

8(2)

SOV/112-59-2-2821

Translation from: Referativnyy zhurnal. Elektrotekhnika, 1959, Nr 2, p 79 (USSR)

AUTHOR: Shishman, D. V.

TITLE: Operating Experience With Vilite Arrestors (Opyt ekspluatatsii vilitovykh razraydnikov)

PERIODICAL: Tr. mezhvuzovsk. nauchno-tekhn. konferentsii po dal'nim elektroperedacham, 1956, Sekts 3, L., 1957, pp 88-97

ABSTRACT: Operating-experience data with vilite arrestors is presented; the data shows that the average annual number of arrestor operations recorded by an RVR counter was 0.25 per phase; the maximum number was 5. RVS-220 and RVVM counters operated much less frequently. Many failures of RVR counters due to seal breaks are noted. Statistics of arrestor failures are presented, and it is noted that all existing types of arrestors cannot stand the internal overvoltages that occur when a no-load line is switched off, or when a resonant or arc overvoltage appears, etc. A reliable arrestor operation during internal

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SOV/112-59-2-2821

Operating Experience With Vilite Arrestors

overvoltages could be ensured only by altering the series gap and by raising the current-carrying capacity of arrestor resistors.

Ye.V.K.

Card 2/2

SHISHMAL Dereckandidat tekhnicheskikh nauk.

Experience using "vilite" arrestors. Elek. sta. 25 no.5:76-79
(MIRA 10:6)

(Lightning protection)

sov/110-59-9-10/22

Shishman, D.V. (Cand. Tech. Sci.) The Operating Resistance of Vilite Lightning Agresters AUTHOR: PERIODICAL: Vestnik elektropromyshlennosti, 1959, Nr. 9, pp 34-36 (USSR)

ABSTRACT: The Vilite lightning arresters described in this article are made of carborundum. A most important property of lightning arresters is their current-carrying capacity. It is defined either as the minimum amplitude of current impulses of given wave shape which the discs can carry for a fairly large number of times (usually not less than 20-30) without damage; or as the minimum number of current impulses of given amplitude and wave shape which the dises can pass without damage. The current-carrying capacity of Vilite lightning arresters is greatly influenced by the actual resistance of the discs, which is usually defined as the ratio of the remanent voltage on the disc when a certain current is passed. Thus for discs of 75, 100 and 150 mm diameter the remanent voltages are usually measured as currents of 50, 80 and 100 A respectively. The currentcarrying capacity of Vilite dises is best characterised by testing in accordance with the first of the above-mentioned definitions and plotting the results as functions of the remanent voltage or voltage gradient on the discs.

sov/110-59-9-10/22

The Operating Resistance of Vilite Lightning Arresters

was done with current impulses of wave shape 18/40 and 180/500 microseconds (front and tail times) and Vilite discs of 100 mm diameter, 30 mm high, subjected to 20-30 impulses, the voltage gradients on the discs being determined at a current of 80 A. plotted against the voltage gradients in Figs 1 and 2. The bold lines correspond to mean current-carrying capacity and the dotted lines to minimum capacity. of low current-carrying capacity usually have very nonlinear properties, as will be seen from the graph in Fig 3. Here the coefficient of non-linearity is plotted as function of the voltage gradient at a current of 80 A for discs of the types mentioned in Figs 1 and 2. If the carborundum powder from which the discs are made is finer than usual their resistance is high and current-carrying capacity low. The reasons for this are discussed. If the amplitude of the current impulses is increased the number of impulses that the disc can withstand decreases: a similar effect is observed if the duration of the current impulses is increased. Data are given in support of these statements, and the relationships between

Card 2/3

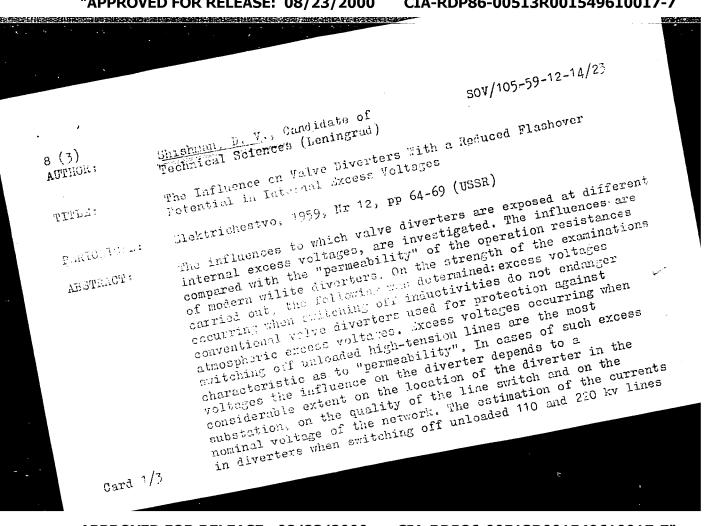
SOV/110-59-9-10/22

The Operating Resistance of Vilite Lightning Arresters

current-carrying capacity and wave length of the impulses are plotted in Fig 4. For example, the current-carrying capacity of lightning arresters types RVS and RVVM, with discs of 100 mm diameter, ranges from 9000 to 10000 A with a wave shape of 18/40 microseconds to 170-200 A with a wave shape of 1000/2500 microseconds. Corresponding data are given for other sizes of disc. Storage tests showed that the current-carrying capacity did not change after five years storage under dry conditions but was greatly reduced by storage for relatively short times under humid conditions. In some cases moisture may cause cracks to appear in the discs.

Gard 3/3

There are 4 figures and 3 Soviet references.



The Influence on Valve Diverters With a Reduced Flashover Potential in Internal Excess Voltages

SOV/105-59-12-14/23

shows that the "permeability" of working resistors of modern RVS-dischargers is seemingly sufficient for the following: if the diverters are mounted on the track-side of the substation, the diverters can be used for limiting the excess voltage occurring when switching off unloaded 110-220 kv-lines. The excess voltages occurring with intermittent ground leaks, with different resonance- and other unusual phenomena, may cause damage of the diverter, because of their long duration. As the diverters for limiting internal excess voltages are used in the first place for limiting excess voltages acting on the insulation of power transformers, it is advisable to connect the diverters near the inlet of the transformer's concerned. In this case the diverters are less loaded by the influence of the excess voltage caused by switching-off of unloaded lines than are diverters connected on the side of the line. For testing the possibility of limiting the internal excess voltage with valve diverters of the same transmissivity as that present in valve diverters used for protection against atmospheric excess voltage, the following is recommended: in networks with a dead ground neutral feeder and of 110 and 220 kv it would be

Card 2/3

The Influence on Valve Diverters With a Reduced Flashover Potential in Internal Excess Voltages

SOV/105-59-12-14/23

suitable to undertake a test operation with RVS-conductors. The flashover potential of the diverter at 50 cps frequency should be reduced to 2.2-2.5 Uphase. Because of the difficult

conditions it would be advisable to use spark segments with insulation interlayers of mica or "amofos" (amofosnyy) micanite instead of the conventional commutator micanite. The computations were made according to a method worked out at the Leningradskiy politekhnicheskiy institut im. Kalinina (Leningrad Polytechnic Institute imeni Kalinin). There are 4 figures, 1 table, and 21 references, 8 of which are Soviet.

SUBMITTED:

May 18, 1959

Card 3/3 .

SHISHMAN, D.V., kand.tekhn.nauk

Protection of small electric power substations against overvoltages. Elek.sta. 31 no.5:53-54 My '60.

(MIRA 13:8)

(Electric protection) (Electric substations)

SHISPMAN, D.V., kand. tekhn.nauk; MERHOVA, N.N., inzh.

Vilite 3 to kv. dischargers with a simplified design for electric substations. Vest. elektroprom. 31 no.10:74-76 0 '60. (MIRa 15:1)

(Electric switchgear)

(Electric substations--Equipment and supplies)

SHISHMAN, D.V., kand.tekhn.nauk; TRUSOVA, V.N., inzh.

Rod-type supporting electric insulators for outdoor use with a 35 to 220 kv. power rating. Vest.elektroprom. 32 no.8:74-76 Ag <sup>1</sup>61.

(Electric insulators and insulation) (Electric lines--Overhead)

SHISHMAN, D.V., kand.tekhn.nauk; MEKHOVA, N.N., inzh.; ROZET, V.Ye., inzh.

Valve discharger for the production of electric machinery. Vest.
elektroprom. 33 no.2:75-77 F 162. (MIRA 15:2)
(Electric machinery) (Electric protection)

SHISHMAN, D.V., kand.tekhn.nauk; GUREVICH, A.A., inzh.

Experience in using "vilite" arresters. Elek.sta. 33 no.12:46-51

(MIRA 16:12)

(Electric protection) (Electric power distribution)

SHISHMAN, D.V., kand. tekhn. nauk; MEKHOVA, N.N., inzh.; GUREVICH, A.A., inzh.; IKHTEYMAN, F.M., inzh.; Prinimali uchastiye: ROZET, V.Ye., inzh.; KAPLAN, G.S.; KAZIMIR, A.F.

Light-weight RVO-35 valve-type discharger. Mekh. i elek. sots. sel'khoz. 21 no.3:60-62 '63. (MIRA 16:8)

1. Leningradskiy filial Gosudarstvennogo issledovatel'skogo elektrokeramicheskogo instituta (for Shishman, Mekhova, Gurevich). 2. Nauchno-issledovatel'skiy institut mekhanizatsii i elektrifikatsii sel'skogo khozyaystva Severo-Zapada (for Ikhteyman). (Electric protection)

Valve o	dischargers with magn 3-44 F '63.	etic quenching.	Standartizatsiia 27 (MIRA 16:4)	
	(Electric insulator	s and insulation	n—Safety appliances)	

SHISHMAN, D.V., kand. tekhn. nauk

Valve dischargers for the overvoltage protection of nongrounded

Valve dischargers for the overvoltage protection of nongrounded

Natural lines of 110-220 kv. transformers. Elek. sta. 35 nc.6:

NHEW 18:1)

38-20 Je '64.

Withington, G.A., Fand. tekhn. mank (beningrad); SHISHMAN, D.V., kand. tekhn. nauk (beningrad); BUKIR', P.P., inzh. (leningrad); stilet, V.Te., inzh. (Leningrad)

Spark gaps with electromagnetic narrow-slot arc querchers for a.e. walve dischargers. Blektrichestvo no.12:58-60 D '64.

(MIRA 18:12)

SHISHMAN, S. S. (Senior Engineer)

"Methods of Modeling Random Disturbances in Gyro Systems"

report presented at the Scientific-technical Conference on Modern Gyroscope Technology Ministry of Higher and Secondary Special Education RSFSR, held at the Leningrad Institute of Precision Mechanics and Optics, 20-24 November 1962

(Izv. vysshikh uchebnykh zavekeniy. Priborostroyeniye, v. 6, no. 2, 1963)

#### "APPROVED FOR RELEASE: 08/23/2000 CIA-R

CIA-RDP86-00513R001549610017-7

ACCESSION NR: AR4034722

S/0124/64/000/003/A011/A012

SOURCE: Ref. zh. Mekhan., Abs. 3A81

AUTHOR: Shishman, S. S.

TITLE: Modeling gyroscopic systems including the calculation of friction

CITED SOURCE: Tr. Leningr. in-t aviats. priborostr., vy\*p. 40, 1963, 119-127

TOPIC TAGS: gyroscopic system, modeling, friction, Cardan suspension

TRANSLATION: Methods of modeling gyroscopic systems are shown with computation of friction as a stationary random process. A simple system of a generator of random disturbances is noted, and an engineering method for calculating transmission functions is given. A generalized system of modeling makes it possible to model all possible variants of the movement of a gyroscope in a Cardan suspension.

DATE ACQ: 02Apr64

SUB CODE: AE, PH

ENCL: 00

- <sup>Cord</sup> 1/1

BULGARIA / Chemical Technology. Chemical Products & Their Applications. Synthetic Polymers. Plastics.

Abs Jour : R Zh Khim., No 12, 1959, No 44149

nuthor : Shishmanov, Ch.; Zlaterev, K.

Inst : Not given

Title : Plastics and Their Use for Machinery.

Orig Pub : Tezhka promishlenost, 1958, 7, No 4, 17-25

Obstract : Classification of present-day plastics, their basic proper-

ties, and the use of plastics for machinery. - L. Pesin.

Card: 1/1

H-66

#### SHISHMANOV, Ch.

"ew Hungarian metal-cutting machines. p. 40.

TEZHKA PROMISHLENOST. (Ministerstvo na tezhkata promishlenost) Sofiia, Bulgaria. Vol. 8, no. 6, June 1959.

Monthly List of East European Accessions EEAI) LC, Vol. 9, No. 2, Feb. 1960. UNCL

DRACHEV, Iv.; SHISHMANOV, D.

Clinical possibilities of diagnosis of Q fever. Suvrem. med.,
Sofia 5 no.2:117-120 1954.

1. Iz terapevtichnoto otdelenie pri Garnizoniia gospital, Plovdiv.

(Q FEVER, diagnosis,)

SHISHMANOV, D.; GRIGOROV, D.V.

Densography and densometry in electrophoresis on filter paper. Suvrem. med., Sofia 9 no.2:69-71 Feb 58.

1. Iz Vutreshnoto otdelenie na Voennata bolnitsa; Plovdiv (Zavezhdashch: Iv. Drachev).

(SIECTROPHORESIS

filter paper, densography & densometry (Bul))

KHAVEZOV, K.; SHISHMANOV, N.

Sulfohemoglobin intoxication in simultaneous therapy with analgin and magnesium sulfate. Suvrem. med., Sofia 8 no.10:103-106 1957.

1. Iz Klinikata po fakulteteka terapiia pri VMI--Sofiia (Zavezhdashch: prof. D-r. M. Rashev.

(DIABETES MELLITUS, complications, polyneuritis, analgin with magnesium sulfate ther. causing sulfohemoglobinemia (Bul))

(POLYNEURITIS, etiol. & mathogen, diabetes mellitus, analgin with magnesium sulfate ther. causing sulfohemoglobinemia (Bul))

(BLOOD DISEASES, etiol. & pathogen. sulfohemoglobinemia caused by analgia with magnesium sulfate ther. of diabetic polyneuritis (Bul))

(AMINOPYRINE, rel. cpds, analgin with magnesium sulfate ther. of diabetic polyneuritis causing sulfohemoglobinemia (Bul))

(MAGNESIUM SUIFATE, inj. eff. sulfohemoglobinemia in ther. of diabetic polyneuritis, with analgin (Bul))

SHISHMANOV, P.

Eleminating impulse disturbances in amateur short-wave receivers. p.16. (RADIO Vol. 4, no. 4, 1955, Sofiya)

SO: Monthly List of East European Accessions, (REAL). LX, Vol. 4m No. 11, Nov. 1955, Uncl.

SHISHMANOV, P. ; RADEV, S.

Construction of electric transformers with coils of conic bobbins. p. 38.

TEZHKA PHOMISHLENOST. (Ministerstvo na tezhkata promishlenost) Soffia, Bulgaria Vol. 8, No. 9, Sept. 1959.

Monthly List of Past European Accessions (MPAL) LC, Vol. 9, No. 2, Feb. 196. UNCL

Shis knows I

BULGARIA / Chemical Technology. Chemical Products : Heather and Their Application. Leather. Fur. Gelatin. Tanning Materials. Industrial Pro-

teins.

Abs Jour: Ref Zhur-Khimiya, No 9, 1959, 33660.

Author : Shishmanov, P. Inst : Not given.

Title : The State of the Technique of Leather Impreg-

nation.

Orig Pub: Leka promishlenost, 1958, 7, No 5, 9-11.

Abstract: There is set forth a review of the contemporary

state of the technique of leather impregnation for the increase of its hydrophobic properties and its resistance to laundering, at the same time retaining good air and steam penetrability. The impregnation by complex Cr salts and fatty

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IONKOV, I.; TSOLOV, R.; STANCHEV, A.; DOSKOV, I.; SHISHMANOVA, IU.; BALCHEV, A.; PENEVA, M.; SUKIASIAN, Kh.; MATEV, M.; NIKOLOV, St.; ATANASOV, E.; TODOROV, B.; STEFANOVA, A.

Clinical, pathophysiologic, and therapeutic aspects of tuberculous exudative pleurisy. Nauch. tr. Med. akad. Chervenkov, Sofia 1 no.1: 117-137 1953.

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On combined therapy of diabetes mellitus with insulin and sex hormones. Nauch. tr. vissh. med. inst. Sofia 40 no.1:191-209 61.

1. Predstavena ot prof. Iv. Ionkov, rukovod. na Katedrata po propedsvtika na vutreshnite bolesti.

(SEX HORMONES ther) (INSULIN ther)

IONKOV, Iv.; NIKOLAEV, A.; BOZADZHIEVA, E.; SHISHMANOVA, IV.

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1. Predstavena ot prof. Iv. Ionkov, rukovoditel na Katedrata po propedevtika na vutreshnite bolesti, i ot prof. A. Nikolaev, rukovoditel na Katedrata po rentgenologiia.

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# SHISHMANOVA, IU.

Studies on the duration of the electrical systole in patients with chronic cardiac decompensation. Suvr. med. 12 no.12: 39-44 161.

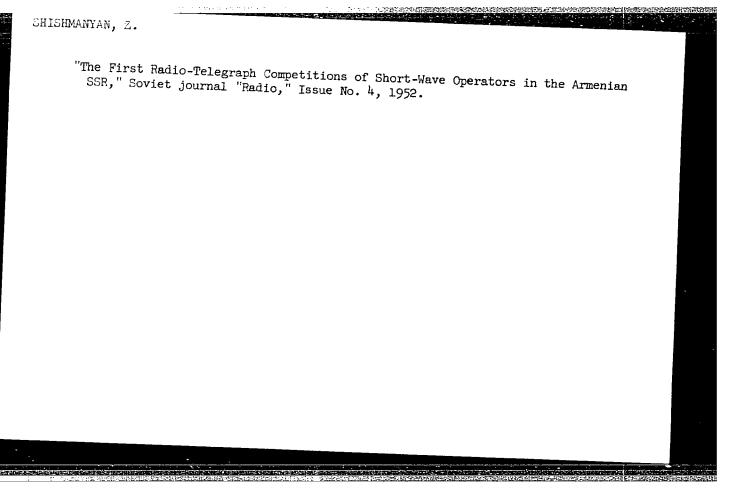
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A rare case of gouty polyarthritis. Suvr. med. 13 no.7:33-34

162. (GOUT) (PTELONEPHRITIS) (CINCHOPHEN)

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IONKOV, Iv.; TSOLOV, R.; DOSKOV, I.; SHISHMANOVA, IU1.; ANDREEV, I.;
NIKOLOV, St.; SUKIASIAN, Kh.; MATEV, M.; ATANASOV, E.;
TODOROV, B.; STEFANOVA, A.; PETRUNOV, St.; TSVETKOV, D.;
ORESHKOV, V.; SIMEONOV, S.; PATARINSKI, D.; AVRAMOVA, N.;
MALCHEV, Kh.
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          1959 epidemic. Nauch. tr. vissh, med. inst. Sofia 41 no.7:
          9-14 62.
          1. Predstavena ot prof. I. Ionkov.
                                                                       (IRON METABOLISM)
                                            (GAMMA GLOBULIN)
                     🧻 (INFLUENŽA)
                                                                    (BLOOD CHOLESTEROL)
                                            (BICARBONATES)
                         (BILIRUBIN)
                                   (BLOOD SUGAR) (PROTEIN METABOLISM)
                          (UREA)
                         (POTASSIUM) (BLOOD PROTEINS) (SODIUM)
                                                   (SODIUM CHLORIDE)
                         (17-KETOSTEROIDS)
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SHISHMANYAN, Zh.

Erivan - Zaporozh'ye. Radio no.9:19 S '56. (MLRA 9:11)

1. Predsedatel korotkovolnovoy i ulitravolnovoy sektsii Yerevanskogo radiokluba.

(Erivan--Radio, Shortwave)

KOZLOV, F.; SHISHMANYAN, Zh.; GAGARNIKOVA, T.; KOVAL', V.

Ultra-shortwave operators on the air. Radio no.11:17 N '56. (MLRA 9:12)

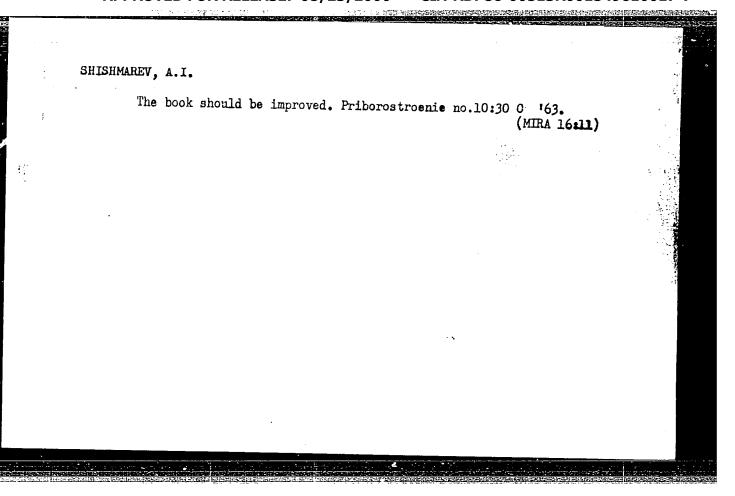
1. Predsedatel' korotkovolnovoy i ul'trakorotkovolnovoy sektsiy radiocluba, Yereven, Armeniya (for Shishmanyan).

(Radio, Shortwave)

SHISHMANYAN, Zh. (UG6AW), sud'ya respublikanskoy kategorii (Yerevan)

Justified requests. Radio no.12:17 D '58. (MIRA 11:12)

(Radio, Shortwave--Competitions)



16(1)

AUTHORS:

Il'in, V.A., Shishmarev, I.A.

SOV/20-126-6-6/67

TITLE:

On the Connection Between the Classical and the Generalized Solution of the Dirichlet Problem and of the Problem of

Eigen Values

PERIODICAL:

Doklady Akademii nauk SSSR, 1959, Vol 126, Nr 6,

pp 1176 - 1179 (USSR)

ABSTRACT:

It is proved that the classical and the generalized solutions of the Dirichlet problem

 $Lu = -f \quad in \quad G \quad , \quad u \mid_{\Gamma} = 0 \quad ,$ 

where  $\Gamma$  is the boundary of G, are almost everywhere identical in G, if certain conditions are satisfied guaranteeing the existence of the classical solution.

A similar result for the eigen value problem

 $Lv + \lambda v = 0$  in G,  $v \mid_{\Gamma} = 0$ ,

is obtained.

Five theorems and lemmata are given.

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。 1945年11月2日,1947年11月2日,1947年11月1日,1947年11月1日,1947年11月1日,1947年11日,1947年11日,1947年11日,1947年11日,1947年11日,1947年11日,1

On the Connection Between the Classical and the SOV/20-126-6-6/67 Generalized Solution of the Dirichlet Problem and of the Problem of Eigen Values

There are 8 references, 4 of which are Soviet, 2 German,

1 American, and 1 French.

ASSOCIATION: Moskovskiy gosudarstvennyy universitet imeni M.Y.Lomonosova

(Moscow State University imeni M.V. Lomonosov)

PRESENTED: March 17, 1959, by S.L. Sobolev, Academician

SUBMITTED: February 24, 1959

Card 2/2

S/038/60/024/04/01/001 c111/c222

16.3500

AUTHORS: Il'in, V.A., and Shishmarev, I.A.

On the Connection Between the Generalized and Classical Solutions TITLE: of the Dirichlet Problem

Izvestiya Akademii nauk SSSR, Seriya matematicheskaya, 1960, Vol 24, No. 4, pp. 521 - 530

TEXT: In the arbitrary N-dimensional domain g with the boundary \( \tag{T} \) authors consider the Dirichlet problem

authors consider the Lu = - f in g, 
$$u \mid_{\Gamma} = 0$$
,

(1)

where L is an elliptic selfadjoined differential operator

where  $c(x) \geqslant 0$  . A function u(x) which is continuous in  $(g + \Gamma)$  , two times Card 1/2

On the Connection Between the Generalized and Classical Solutions of the Dirichlet Problem

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continuously differentiable in g, and which satisfies (1) is called a classical solution of the problem (1). A function v = u for which

(4) 
$$\phi(\mathbf{v}) = \int_{g} \left[ \sum_{i,j=1}^{N} \mathbf{a}_{i,j} \frac{\partial \mathbf{v}}{\partial \mathbf{x}_{i}} \frac{\partial \mathbf{v}}{\partial \mathbf{x}_{j}} + \mathbf{c}\mathbf{v}^{2} - 2 \mathbf{f}\mathbf{v} \right] d\mathbf{x}$$

becomes a minimum, where  $v \in D(g)$  is called a generalized solution of (1).

O(g) is the closure in the norm of the space  $W_2^{(1)}(g)$  of the set of all functions continuously differentiable in g, which vanish in a certain boundary strip of g.

Under assumptions which guarantee the existence of the classical solution (i.e. for an arbitrary normal domain) it is proved that the classical and the general solution of problem (1) are identical (almost everywhere in g). The authors mention S.G. Mikhlin; they thank A.N. Tikhonov, B.M. Budak and M.I. Vishik. There are 8 references: 3 Soviet, 2 German, 2 American and 1 French. PRESENTED: by S.L. Sobolev, Academician SUBMITTED: April 9, 1959

Card 2/2

16.3500

S/038/60/024/005/004/004 C111/C222

AUTHORS:

Il'in, V.A. and Shishmarev, I.A.

TITLE: On the Equivalence of Systems of Generalized and Classical Eigenfunctions

PERIODICAL: Izvestiya Akademii nauk SSSR, Seriya matematicheskaya, 1960, Vol. 24, No. 5, pp. 757 - 774

TEXT: In the N - dimensional domain g with the boundary  $\Gamma$  the author considers the eigenvalue problem

(1) 
$$\begin{cases} Lu + \lambda u = 0 & (in g) \\ u|_{x \in \Gamma} = 0 \end{cases}$$

X

where

(2) 
$$Lu = \sum_{j} \frac{\partial}{\partial x_{j}} \left( a_{ij}(x) \frac{\partial u}{\partial x_{j}} \right) - c(x) \cdot u$$

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On the Equivalence of Systems of Generalized and Classical Eigenfunctions

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is a linear selfadjoint operator of elliptic type and c(x) > 0. Under these conditions theorem 1 asserts: Let g be a normal domain (i.e. let the Dirichlet problem for the Laplace equation for every continuous boundary function be solvable in g, cf. (Ref. 4)) and let it lie together with  $\lceil$  in an open domain C. Let the coefficients of L belong to the classes

(5) 
$$a_{ij}(x) \in c^{(1,\mu)}$$
,  $c(x) \in c^{(0,\mu)}$   $(\mu > 0)$ .

Then there exists a complete orthogonally normed system of the classical eigenfunction of (1).

As a generalized eigenfunction of (1) the author denotes a function u(x) not equivalent to zero which belongs to the class D(g) (D(g) is the closure with respect to the norm of the

 $\mathbb{V}_{2}^{(1)}(g)$  of the set of functions continuously differentiable in g which remark in g

continuously differentiable in g which vanish in a certain boundary strip of the domain g) and which satisfies the identity

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On the Equivalence of Systems of Generalized and Classical Eigenfunctions

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(4) 
$$\int_{\mathcal{B}} \left[ \sum_{i,j=1}^{N} a_{ij} \frac{\partial u}{\partial x_{i}} \frac{\partial \Psi}{\partial x_{j}} + c u \Psi - \lambda u \Psi \right] dx = 0$$

for each function  $\psi(x)\in D$  (g) . Theorem 2: If the assumptions of theorem 1 are satisfied, then the orthogonally normed systems of the generalized and the classical eigenfunctions of the problem (1) as well as the corresponding systems of the eigenvalues are identical.

If g is not only normal but bounded by a surface of the Lyapunov type, then it is sufficient when the  $a_{i,j}(x)$  and c(x) satisfy the conditions in (g + f) formulated in theorem 1 and 2.

The proof of the theorems bases on the investigation of the Green's function of the problem Lu = -f,  $u \mid x \in \Gamma = 0$ . The existence of the Green's

function K(x,y) follows from (Ref. 6). Then the author proves that in g: K(x,y) = K(y,x), K(x,y) > 0, K(x,y) is continuous everywhere in g + with the exception of x = y. Then the existence and continuity of the first and second derivatives of K as well as of the regular part of K are proved Card 3/4

On the Equivalence of Systems of Generalized and Classical Eigenfunctions

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and these derivatives are estimated (lemmas 1 - 4). Then the theorems 1 and 2 are proved with the aid of the Green's function and its properties. The author mentions S.G. Mikhlin. There are 9 references: 6 Soviet, 1 German and 3 American.

PRESENTED:

by S.L. Sobolev, Academician

SUBMITTED:

April 9, 1959

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S/038/60/024/006/001/004 C111/C333

AUTHORS: Il'in, V.A., Shishmarev, I.A.

TITLE: Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

PERIODICAL: Izvestiya Akademii nauk SSSR, Seriya matematicheskaya, 1960, Vol. 24, No. 6, pp. 883 - 896

TEXT: Let the linear self-adjoint differential operator

(1) Lu = 
$$\sum_{i,j=1}^{N} \frac{\partial}{\partial x_i} \left[ a_{ij}(x) \frac{\partial u}{\partial x_j} \right] - c(x)u$$

be given in the open N-dimensional domain C; assume that it is elliptic,

i.e. let

(2) 
$$a_{ij}(x) = a_{ji}(x)$$
 and  $\sum_{i,j=1}^{N} a_{ij} \xi_i \xi_j \ge \alpha \sum_{i=1}^{N} \xi_i^2 (\alpha = \text{const} > 0)$ 

for all  $x = (x_1, x_2, ..., x_N) \in C$  for arbitrary real  $\xi_1, ..., \xi_N$ . Let Card 1/7

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Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

Elliptic Operator and of Their Derivatives 
$$(3) \quad a_{ij}(x) \in C^{(1,\mu)} \quad , \quad c(x) \in C^{(0,\mu)} \quad , \quad \mu > 0 \quad , \quad c(x) \geqslant 0$$

be in C. Assume that g is an arbitrary open normal domain which lies in C together with its boundary [ (g is normal, if in g the Dirichlet problem for the Laplace equation is solvable for every continuous boundary function). The authors consider the eigenvalue problem

(4) 
$$\begin{cases} Lu + \lambda u = 0 & (in g) \\ u = 0 & (in g) \end{cases}$$

in g. As it is well-known (4) possesses complete orthogonally normed systems of classical and generalized eigenfunctions, where these systems are identical according to (Ref. 3). All the eigenfunctions correspond to

positive eigenvalues. At first the authors prove the following formula for the eigenfunctions of problem (4):

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Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

Elliptic Operator and of Their Derivatives
$$(16) \quad u_{n}^{2}(y) = \int_{g} H(x,y) \left\{ 2 \lambda_{n} u_{n}^{2}(x) - \left[ 2 \sum_{i,j=1}^{N} a_{ij} \frac{\partial u_{n}}{\partial x_{i}} \frac{\partial u_{n}}{\partial x_{j}} + cu_{n}^{2}(x) \right] \right\} dx$$

$$+ \left\{ u_{n}^{2}(x) LH dx \right\},$$

where y is an arbitrary fixed interior point of g ,

where y is an arbitrary fixed interior point of g,

$$(12) \quad H(x,y) = \frac{1}{(N-2)\omega_N \sqrt{A(y)}} \left[ \sum_{r,s=1}^{N} A_{rs}(y)(x_r - y_r)(x_s - y_s) \right]^{\frac{2-N}{2}}$$

 $A(y) = \det \| a_{rs}(y) \|$ ,  $A_{rs}(y)$  the ratio of the algebraic complement of the element  $a_{rs}^{(y)}(y)$  to the determinant A(y) ,  $\omega_{N} = \frac{2(\sqrt{x})^{N}}{\Gamma(\frac{N}{2})}.$ 

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Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

Then the authors show : The estimation

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 $|u_n(x)| \le c_2 \lambda_n^{\frac{1}{4}N}$ (7)

holds uniformly in an arbitrary closed domain (g(k, k)), if the equation A closed domain is said to belong to the class A(k, k), if the equation of the boundary surface in local coordinates belongs to the class  $c^{(k,\mu)}$ (i.e. if its k-th derivatives satisfy the Hölder condition with the exponent  $\mu$ ). Theorem 2  $\epsilon$  If the domain  $(g+\Gamma)$  belongs to  $\mathbf{A}^{k}, \mu$  and if the , c(x) belong to the class  $C^{(k-2,\mu)}(k\gg 2)$  in the closed domain  $(g+\Gamma)$ , then the eigenfunctions of (4) belong to  $C^{(k,\mu)}$  in the closed domain  $(g+\Gamma)$ . Theorem 3 : For all  $u(x) \in C^{(k, /c)}$  in (g + f) there hold uniformly the estimations

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Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

$$(37) \quad u_{1} = O\left(u_{k,\mu}^{\frac{1}{k+\mu}} u_{0}^{\frac{k+\mu-1}{k+\mu}} + u_{0}^{R-1}\right), \quad 1 \leq k$$

(38) 
$$u_1, = 0 \left( u_{k,\mu}^{\frac{1+\mu}{k+\mu}} u_0^{\frac{k-1}{k+\mu}} + u_0^{R^{-(1+\mu)}} \right), \quad 1 < k$$

where R is the diameter of g,  $u_1$  the sum of the maxima of the absolute values of all 1-th derivatives of u(x) in  $(g + \Gamma)$ ,  $u_1$ , the sum of the Hölder coefficients of these derivatives for the exponent  $\mu$ , where  $u_0$  and  $u_0$ , are the maxima of the absolute value and the Hölder coefficient of the function u(x) in  $(g + \Gamma)$ . Theorem 2 is deduced from theorem 1 (theorem of Schauder and Caccioppoli). Theorem 3 and a further theorem 4 contain well-known apriori-estimations Card 5/7

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Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

of Schauder and Caccioppoli (theorem 1 and the estimations of theorem 3 and 4 are contained in (Ref. 4)).

From the estimations of the theorems 1-4 the authors obtain the following results:

1. For the derivatives of the eigenfunctions of (4) it holds uniformly in  $(g + \Gamma)$ :

N, + k/-

(9)  $|u_{n}^{(k)}(x)| \leq c_{4} \lambda_{n}^{N/4} + k/2$ 

2. for the Hölder coefficient  $\mathbf{u}_{k,\mu}$  of the k-th derivative of the eigenfunction it holds :

(10)  $u_{k, \mu} \leq c_5 \lambda^{N/4 + k/2 + \mu/2}$ ;

 $^{\rm C}_4$  ,  $^{\rm C}_5$  depend on k,  $^{\mu}$  is the Hölder exponent. Kh.L. Smolitskiy, D.M. Eydus and L.N. Slobodetskiy are mentioned. Card 6/7

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Uniform Estimations in the Closed Domain of the Eigenfunctions of an Elliptic Operator and of Their Derivatives

There are 10 references: 7 Soviet, 2 American and 1 French.

[Abstracter's note: (Ref. 3) is a paper of the authors in Izvestiya Akademii nauk SSSR, Seriya matematicheskaya, 1960, 24, 757-774; (Ref.4) is the book of Miranda: Partial Differential Equations of Elliptic Type]

PRESENTED: by S.L. Sobolev, Academician

SUBMITTED: April 9, 1959

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16(1) 16,3500

**68976** s/020/60/131/02/014/071

AUTHOR:

Shishmarev, I.A.

A Priori Estimation of Solutions to Dirichlet Problem for an

PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol 131, Nr 2, pp 269-272 (USSR)

ABSTRACT:

Let g be an N-dimensional open domain with the boundary manifold  $\Gamma_2$ . Let the (N-1)-dimensional geometrically closed

surface  $\Gamma_1$  lie in g and divide g into the subdomains  $g_1$  and  $g_2$ .

The author considers the Dirichlet problem

(1)  $L_1 u = 0$  in  $g_1$ ;  $L_2 u = 0$  in  $g_2$ ;  $\left[ u \right]_{\Gamma_A} = 0$ ,  $\left[ \frac{\partial u}{\partial v} \right]_{\Gamma_A} = k$ ,

Here
(2) 
$$L_1 u = \sum_{i,j=1}^{N} a_{i,j}^{(1)}(x) \frac{\partial^2 u}{\partial x_i \partial x_j} + \sum_{i=1}^{N} b_i^{(1)}(x) \frac{\partial u}{\partial x_i} + c^{(1)}(x)u,$$

l=1,2 is an elliptical operator defined in  $g_1$ . Besides it is

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**68976** s/020/60/131/02/014/071

A Priori Estimation of Solutions to Dirichlet Problem for an Elliptical Operator With Discontinuous Coefficents

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A Priori Estimation of Solutions to S/020/60/131/02/014/071 Dirichlet Problem for an Elliptical Operator With Discontinuous Coefficients

(4) 
$$\max_{x \in (g+\Gamma_2)} |u(x)| \le C \max_{x \in \Gamma_1} |k(x)|$$
,  $C = const.$ 

To the class  $C^{\left(k\right)}$  there belong functions the k-th derivatives of which are continuous.

The author thanks V.A.Il'in for the theme and attention to the paper.

There are 4 references, 1 of which is Soviet, 2 French, and 1 American.

PRESENTED: November 19, 1959, by S.L.Sobolev, Academician

SUBMITTED: November 18, 1959

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16.3500

AUTHORS: Il'in, V.A., and Shishmarev, I.A.

Some Problems for the Lu = div[p(x)grad u]-q(x)u Operator With TITLE: Discontinuous Coefficients

PERIODICAL: Doklady Akademii nauk SSSR, 1960, Vol.135, No.4, pp.775-778 TEXT: Let g be an N-dimensional open region with the boundary  $\Gamma$ ; let Cbe an (N-1)-dimensional region in g being homeomorphic to the sphere and dividing g into  $g_1$  and  $g_2$ . Let T be an open region containing (g+ $\Gamma$ ). In (g+F) the author considers the following Dirichlet problem:

 $[u]_{C} = u_{C-0}^{-u}_{C+0} \left[ \frac{\partial u}{\partial n} \right]_{C} - p_{1} \frac{\partial u}{\partial n}_{C-0}^{-p_{2}} \frac{\partial u}{\partial n}_{C+0}^{-p_{1}}, \text{ n is the }$ where outer normal of g, and the symbols C-O and C+O mean that the boundary values are taken from the inner and outer side, respectively, of C (with Card 1/6

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Some Problems for the Lu = div[p(x)grad u]-q(x)u Operator With Discontinuous Coefficients

respect to g.).

Definition 1. A function u(x) which satisfies the following conditions is called a classical solution of the problem (1): 1) u(x) belongs to the class  $C^{(0)}$  in  $(g_1+C)$  and  $(g_2+C+C)$ ; u(x) belongs to  $C^{(1)}$  in  $(g_1+C)$  and  $(g_2+C)$ ; u(x) belongs to  $C^{(1)}$  in  $(g_1+C)$  and  $(g_2+C)$ ; u(x) belongs to  $C^{(2)}$  in  $g_1$  and  $g_2$ ; (2) (2) (2) (3) satisfies the problem (3) in the classical sense.  $(C^{(n)}$  and  $C^{(n)}$  are defined as in (Ref.1)). The following five conditions (A) are formulated:

1) C belongs to the Lyapunov class. (2) is regular.

2)  $p_1(x) \in C^{(1)}$  in  $(g_1+C)$ ;  $p_2(x) \in C^{(1)}$  in (2);

 $q_1(x) \in C^{(0, n)}$  in  $(g_1+C)$ ;  $q_2(x) \in C^{(0, n)}$  in  $(T-g_1)$ ;  $f_1(x) \in C^{(0,M)}$  in  $g_1$ ;  $f_2(x) \in C^{(0,M)}$  in  $g_2$ ; besides:  $f_1(x) \in C^{(0)}$  in  $(g_1+C)$ ;  $f_2(x) \in C^{(0)}$  in  $(g_2+C+C)$ Card 2/6

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Some Problems for the Lu = div[p(x)grad u]-q(x)u Operator With Discontinuous Coefficients

- 3)  $p_i(x) \ge 0$ ,  $q_i(x) \ge 0$  (i=1,2) everywhere in the regions of definition of
- 4)  $\Phi(x)$  is defined and continuous on  $\Gamma$ .

5)  $\psi(x)$ ,  $\chi$  are defined on 0;  $\psi \in c^{(1,\rho_{-})}$ ,  $\chi \in c^{(0,\rho_{-})}$ . Theorem 1: If the first and third condition A is satisfied then it exists only one classical solution of (1).

Theorem 2: If all conditions A are satisfied then there exists a unique solution of (!), where it belongs to the class  $C^{(1, p)}$  in each of the regions  $(\varepsilon_1+0)$  and  $(\varepsilon_2+0)$ .

If  $\psi = \psi = \lambda = 0$  then the classical solution is simultaneously the generalized solution in the sense of (Ref. 4,5). The Green's function K(x,y) of (1) is symmetrical, continuous in (x,y)everywhere in (g+f) (inclusively 0:) for  $x \neq y$ , and in (g+f) it satisfies the estimations

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Some Problems for the Lu = div[p(x)grad u]-q(x)u Operator With Discontinuous Coefficients

(2) 
$$|K(x,y)| \le c_1 + c_2 \ln \frac{1}{r_{xy}} \quad \text{for } N = 2$$
$$|K(x,y)| \le c_3 r_{xy}^{2-N} \quad \text{for } N > 2.$$

Then the authors consider

(3) 
$$\begin{cases} L_1 u + \lambda u = 0 & \text{in } g_1 \\ L_2 u + \lambda u = 0 & \text{in } g_2 \\ u|_{C} = 0, \left[u\right]|_{C} = 0, \left[p\frac{\partial u}{\partial n}\right]|_{C} = 0, \end{cases}$$

where  $L_1$  and  $L_2$  are the same as in (Ref.1).

Definition 2: The classical eigenfunction of (3) is a function  $u(x) \not\equiv 0$  which 1) satisfies the condition 1) of the definition 1, and 2) for a certain  $\lambda$  satisfies (3) in the classical sense. Theorem 3: If the first three conditions of A are satisfied then there exists a complete system of classical eigenfunctions of (3) orthogonally Card 4/6

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Some Problems for the Lu = div[p(x)grad u]-q(x)u Operator With Discontinuous Coefficients

normed in the  $L_2(g)$ , where besides each of these eigenfunctions belongs to the class  $C^{(1, \sim)}$  in each of the regions  $(g_1+C)$ ,  $(g_2+C)$ .

Theorem 4: The complete system of classical eigenfunctions of (3) is identical with the complete system of generalized eigenfunctions of (3). Theorem 5: Under the assumptions of theorem 4 there exists a constant c so that uniformly in  $(g+\Gamma)$  it holds

(5)  $|u_n(x)| \leq c_0 \lambda_n^{N/4}$ 

(here  $u_n(x)$  is an arbitrary eigenfunction of (3) corresponding to the eigenvalue  $\lambda_n$ ).

The authors mention D.M.Eydus and O.A.Oleynik; they thank A.N.Tikhonov

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s/020/60/135/004/003/037 C111/C222

Some Problems for the Lu =  $div[p(x)grad\ u]-q(x)u$  Operator With Discontinuous Coefficients

for advices. There are 8 references: 6 Soviet, 1 German and 1 American.

[Abstracter's note: (Ref.1) concerns Miranda, Partial Differential Equations of Elliptic Type. (Ref.4) concerns Courant and Hilbert, Methods of Mathematical Physics, 2, Chapter 7.]

ASSOCIATION: Moskovskiy gosudarstvennyy universitet imeni M.V.Lomonosova (Moscow State University imeni M.V.Lomonosov)

PRESENTED: June 20, 1960, by I.G.Petrovskiy, Academician

SUBMITTED: June 18, 1960

Card 6/6

s/199/61/002/001/003/008 B112/B218

16.3500

AUTHORS:

Il'in, V. A., Shishmarev, I. A.

TITLE:

Method of potentials of the Dirichlet-Neumann problem in the

case of equations with discontinuous coefficients

Sibirskiy matematicheskiy zhurnal, v. 2, no. 1, 1961, 46-58

TEXT: The authors' study is based on an N-dimensional open domain g with a boundary manifold  $\Gamma$ . The domain g divides an (N-1)-dimensional surface Cwhich is homeomorphic to the sphere, into two subdomains  $g_1$  and  $g_2$ . The

authors deal with the following Dirichlet problem:  $L_k u = \text{div}\left[p_k(x) \text{ grad } u\right] - q_k(x) u =$ 

 $u|_{\Gamma} = \varphi, [u]|_{C} = \Psi, \left[\frac{\partial u}{\partial n}\right]|_{C} = \chi.$ 

They assume that C belongs to Lyapunov class of surfaces, that \( \tau \) is regular, Card 1/2

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S/199/61/002/001/003/008 Method of ... B112/B218

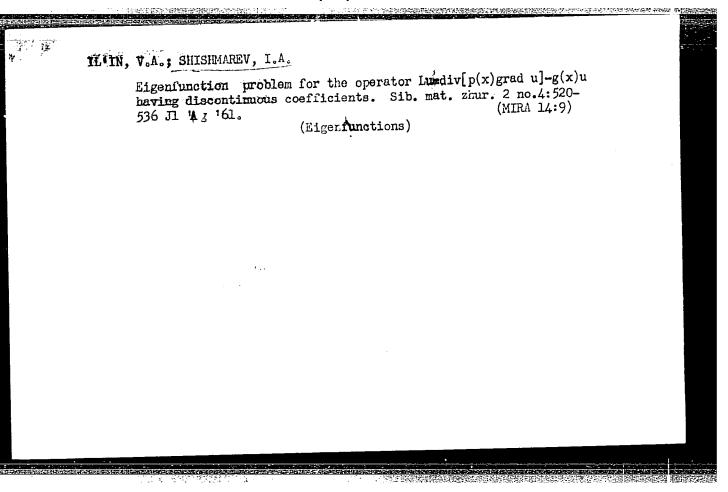
and that the functions  $p_i(x)$ ,  $q_i(x)$ ,  $f_i(x)$ ,  $\varphi$ ,  $\psi$ ,  $\chi$  belong to certain classes of functions which are more general than the classes of functions corresponding to the classical Dirichlet problem. O. A. Oleynik has proved existence theorems for a similar but more special Dirichlet problem. The authors of the present paper prove the existence and uniqueness of a classical solution of the Dirichlet problem formulated above. Their existence is proved by the method of potentials; explicit solutions are not given. Following this, they discuss the Neumann problem:  $L_1 u = f_1(x)$  in  $g_1$ ,  $L_2 u = f_2(x)$  in  $g_2$ ,

 $(p_2 \frac{\partial u}{\partial n_2} + hu) = \varphi$ ,  $[u]_C = \psi$ ,  $[p \frac{\partial u}{\partial n}]_C = \chi$ , where h is a function given on  $\Gamma$ .

Also for this boundary problem, the authors prove the existence and uniqueness of a classical solution. Finally, they solve the Dirichlet problem in a general way and study its relation to the classical solution. An appendix gives the explicit form of some theorems that were implicitly used or derived in the paper. The authors thank A. N. Tikhonov for discussions of the results obtained. There are 6 Soviet-bloc references.

SUBMITTED: July 2, 1960

Card 2/2



S/020/61/137/001/005/021 C111/C222

16.3500 AUTHOR:

Shishmarev, I.A.

TITLE:

Uniform evaluations of the derivatives of solutions to Dirichlet's problem and to the problem of eigenfunctions for the Lu = div (p(x) grad u) + q(x)u operator with discontinuous coefficients

PERIODICAL: Akademii nauk SSSR. Doklady, v. 137, no. 1, 1961, 45-47

Let g be an N-dimensional region with the boundary  $\Gamma_2$  and  $\Gamma_4$ be an (N-1)-dimensional closed surface in g which subdivides g into the regions g, and g,.

In the region  $(g + \Gamma_2)$  the author considers the Dirichlet problem

 $L_1 u = f_1 \quad \text{in} \quad g_1$   $L_2 u = f_2 \quad \text{in} \quad g_2$ (1)

 $[u]|_{\Gamma_1} = \varphi, \left[\frac{\Im u}{\Im v}\right]|_{\Gamma_1} = \psi, \quad u|_{\Gamma_2} = \chi$ 

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S/020/61/137/001/005/021 C111/C222

Uniform evaluations of the derivatives ..

Here

$$L_{\eta}u = div(p_{\eta}(x) \text{ grad } u) + q_{\eta}(x) \cdot u$$
 (2)

is an elliptic operator given in  $g_1$  (1 = 1,2,);  $p_1 > 0$ ,  $q_1 \le 0$  in  $g_1$ ;

$$\left[\mathbf{u}\right]\Big|_{\Gamma_{1}} \equiv \mathbf{u}\Big|_{\mathbf{x} \to \Gamma_{1} - 0} - \mathbf{u}\Big|_{\mathbf{x} \to \Gamma_{1} + 0} ; \left[\frac{\partial \mathbf{u}}{\partial \mathbf{y}}\right]\Big|_{\Gamma_{1}} + \frac{\partial \mathbf{u}}{\partial \mathbf{y}_{2}}\Big|_{\mathbf{x} \to \Gamma_{1} + 0} , \text{ where } \frac{\partial}{\partial \mathbf{y}_{2}}$$

is the derivative in the direction of the conormal, which is equal to  $p_1 = \frac{\partial}{\partial n_1}$  ( $n_1$  - outer normal for  $g_1$ ).

Definition: The classical solution of (1) is a function u(x) which satisfies the following conditions: 1)  $u(x) \in C^{(0)}$  in  $(g_1 + \Gamma_1)$  and  $g_2 + \Gamma_1 + \Gamma_2)$ , 2)  $u(x) \in C^{(1)}$  in  $(g_1 + \Gamma_1)$  and  $(g_2 + \Gamma_1)$ , 3)  $u(x) \in C^{(2)}$  in  $g_1$  and  $g_2$  4) u(x) satisfies (1) in the classical sense. Card 2/5.

Uniform evaluations of the derivatives ... S/020/61/137/001/005/021 C111/C222

Theorem 1: Let  $\Gamma_1$  and  $\Gamma_2$  belong to the class  $A^{(n,\mu)}$ ; let  $p_1 \in C^{(n,\mu)}$ ,  $q_1 \in C^{(n-2,\mu)}$ ,  $f_1 \in C^{(n-2,\mu)}$  in  $g_1 + \Gamma_1$ );  $p_2 \in C^{(n,\mu)}$ ,  $q_2 \in C^{(n-2,\mu)}$ ,  $f_2 \in C^{(n-2,\mu)}$  in  $(g_2 + \Gamma_1 + \Gamma_2)$ ;  $\psi \in C^{(n,\mu)}$ ,  $\psi \in C^{(n-1,\mu)}$  on  $\Gamma_1$ ;  $\chi \in C^{(n,\mu)}$  on  $\Gamma_2$   $(n \ge 2)$ . Then there exists a unique solution u(x) of (1); u(x) belongs to the class  $C^{(n,\mu)}$  in each of the regions  $(g_1 + \Gamma_1)$  and  $(g_2 + \Gamma_1 + \Gamma_2)$ , where the estimation

$$u^{(n,\mu)} = 0 \left( F^{(0)} + \psi^{(0)} + \psi^{(0)} + \chi^{(0)} + \sum_{i=1}^{n} \psi^{(i-1,\mu)} + \sum_{i=0}^{n} \psi^{(i,\mu)} + \sum_{i=0}^{n} \chi^{(i,\mu)} + \sum_{i=2}^{n} F^{(i-2,\mu)} \right)$$
(3)

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Uniform evaluations of the derivatives ...

is valid. The constant in 0 depends on the coefficients of the operators  $L_1$  and  $L_2$  and on the form of the regions  $g_1$  and  $g_2$  .

The classes  $A^{(n,\mu)}$  and  $C^{(n,\mu)}$  are defined by K. Miranda (Ref. 1 : Uravneniya s chastnymi proizvodnymi ellipticheskogo tipa [Partial elliptic differential equations] IL, 1957);  $z^{(k)}$  denotes the sum of the maxima of the absolute values of all derivatives of k-th order  $(k \le n)$  of

 $z(x) \in C^{(n,\mu)}$ , and  $z^{(k,\mu)}$  denotes the sum of the Hölder coefficients of these derivatives (for the exponent  $\mu$ ). The author considers the problem of eigenfunctions

$$L_{1}u + \lambda u = 0 \quad \text{in} \quad g_{1}$$

$$L_{2}u + \lambda u = 0 \quad \text{in} \quad g_{2}$$

$$\left[u\right] \left| \begin{array}{c} 1 \\ 1 \end{array}\right| = 0 \quad , \quad \left[\frac{\partial u}{\partial y}\right] \left| \begin{array}{c} 1 \\ 1 \end{array}\right| = 0 \quad . \tag{9}$$

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Uniform evaluations of the derivatives ...

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Theorem 2: Let  $\Gamma_1$  and  $\Gamma_2 \in \mathbf{A}^{(n,\mu)}$ ,  $\mathbf{p}_1 \in \mathbf{C}^{(n,\mu)}$ ,  $\mathbf{q}_1 \in \mathbf{C}^{n-2,\mu}$  in  $(\mathbf{g}_1 + \Gamma)$ ;  $\mathbf{p}_2 \in \mathbf{C}^{(n,\mu)}$ ,  $\mathbf{q}_2 \in \mathbf{C}^{(n-2,\mu)}$  in  $(\mathbf{g}_2 + \Gamma_1 + \Gamma_2)$ . Then the eigenfunctions of (g) belong to the class  $c^{(n,\mu)}$  in each of the regions  $(g_1 + \Gamma_1)$  and  $(g_2 + \Gamma_1 + \Gamma_2)$ , where in  $(g + \Gamma_2)$  the estimations

 $u_1^{(k)} = O\left(\lambda_1^{\frac{N}{4} + \frac{k}{2}}\right), \quad u_1^{(k,\mu)} = O\left(\lambda_1^{\frac{N}{4} + \frac{k}{2} + \frac{\mu}{2}}\right)$ (10)

(1 - number of the eigenfunction ) hold for them. The author mentions A.N. Tikhonov. He thanks V.A.  $\Pi$  in. There are 4 Sovietbloc references.

ASSOCIATION: Moskovskiy gosudarstvennyy universitet imeni M.V.Lomonosova

(Moscow State University imeni M.V. Lomonosov) October 14, 1960, by I.G. Petrovskiy, Academician

PRESENTED:

SUBMITTED: October 13, 1960

Card 5/5

IL'IN, V.A.; SHISHMAREV, I.A.

Smoothness properties of the generalized potentials of an elliptic operator. Dokl. AN SSSR 141 no.3:547-550 N '61. (MIRA 14:11)

IL'IN, Vladimir Aleksandrovich; POZNYAK, Eduard Genrikhovich; TIKHONOV, A.N., red. SVESHNIKOV, A.G., red.; SHESHMAREV, L.A., red.; SHESHMAREV,

Fundamentals of mathematical analysis] Osnovy matematicheskogo analiza. Moskva, Nauka, 1965. 571 p. (Kursvysshei matematiki i matematicheskoi fiziki, no.1) (MIRA 18:9)

ZHABIN, A.I., inzh.; RYBAL'CHENKO, P.S., inzh.; SHISHMAREV, L.I., inzh.; KNOBLOKH, V.P., inzh.

Determining tolerances for machining bushing holes eliminating their scraping after press fitting. Vest. mashinostr. 45 no.5: 41-45 My 165. (MIRA 18:6)

#### CIA-RDP86-00513R001549610017-7 "APPROVED FOR RELEASE: 08/23/2000

SOV/32-24-10-28/70 Yagn, Yu. I., Shishmarev. O. A. AUTHORS:

Investigation of the Plastic Deformation With Simultaneous TITLE:

Expansion and Torsion of Thin-Walled Tubular Metal Samples (Issledovaniye plasticheskogo deformirovaniya pri odnovremennom rastyazhenii i kruchenii tonkostennykh trubchatykh obraztsov

metalla)

Zavodskaya Laboratoriya, 1958, Vol 24, Nr 10, pp 1243-1245 (USSR) PERIODICAL:

In studying the plastic deformation the samples mentioned in the ABSTRACT: title are often used (Refs 1-7). The results of these investi-

gations do, however, not agree in many respects. In the present paper a perfection of this method and apparatus for carrying out the investigations mentioned in the title are described. The

force of expansion and the angular momentum are produced by putting on certain weights. A diagram of the apparatus as well as a description are given. The apparatus described was used for investigating the deformation anisotropy of thin-walled

nickel tubes (diameter 5 mm, wall thickness 0,2 mm). The samples were subjected to a plastic expansion or torsion on the same

apparatus prior to the investigation. Two different types of

test methods were employed. According to the first, all limiting Card 1/2

sov/32-24-10-28/70

Investigation of the Plastic Deformation With Simultaneous Expansion and Torsion of Thin-Walled Tubular Metal Samples

> points of the elastic state were determined with one and the same sample, whereas in the second case a number of samples were tested with which the same initial deformation was obtained, The most important results and data of this work were published in the Doklady AS USSR 1958, Vol 119, Nr 1. A number of diagrams corresponding to different stages of the initial plastic deformation of expanded samples are given. There are 2 figures and 7 references, 2 of which are Soviet.

ASSOCIATION: Leningradskiy politekhnicheskiy institut im. M. I. Kalinina (Leningrad Polytechnical Institute imeni M. I. Kalinin)

Card 2/2